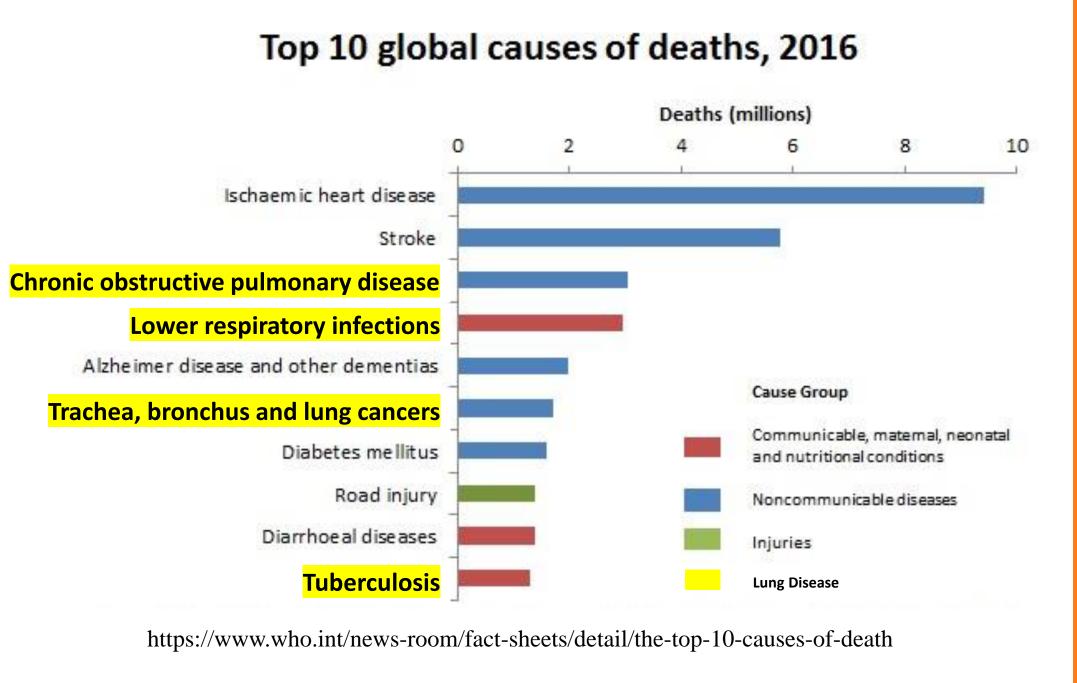
## Blake Bartlett<sup>1</sup>, Yu Feng<sup>1</sup>

<sup>1</sup>School of Chemical Engineering, Oklahoma State University

# Objectives

- Create a physics-based volume-of-fluid model of the conducting airways
- Include the mucus layer and mucociliary clearance
- Simulate the deposition of inhaled particles and their modes of clearance

# Lung Diseases



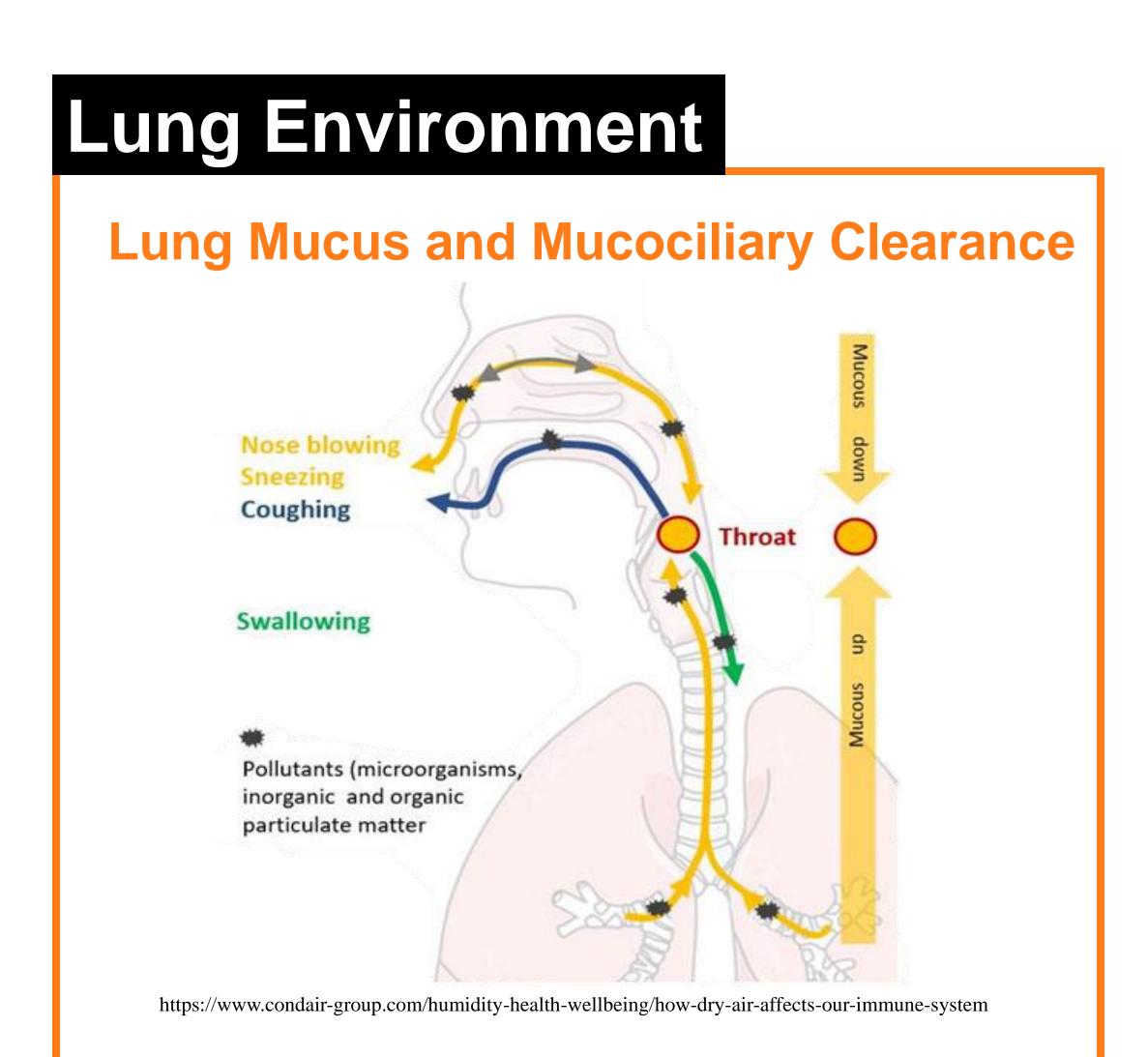
### Sources of Lung Disease

- **Occupational Hazard Exposure**
- Pathogenic infection
- Genetic predisposition

# **Aerosol Treatment Potential**

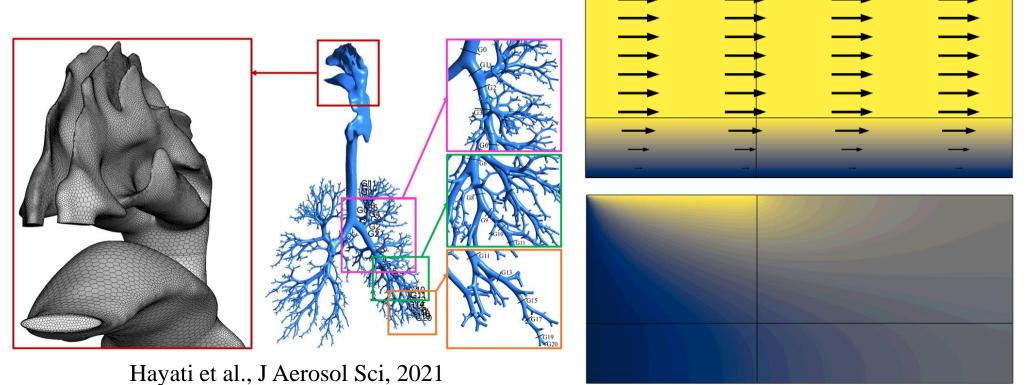
### **Localized Treatment of Lung**

- Maximize the amount of drug that reaches the diseased portion of the lung
- **Reduce off-target side effects**
- Take advantage of large lung surface area
- Minimize administration inconveniences



### **Simulation Novelty**

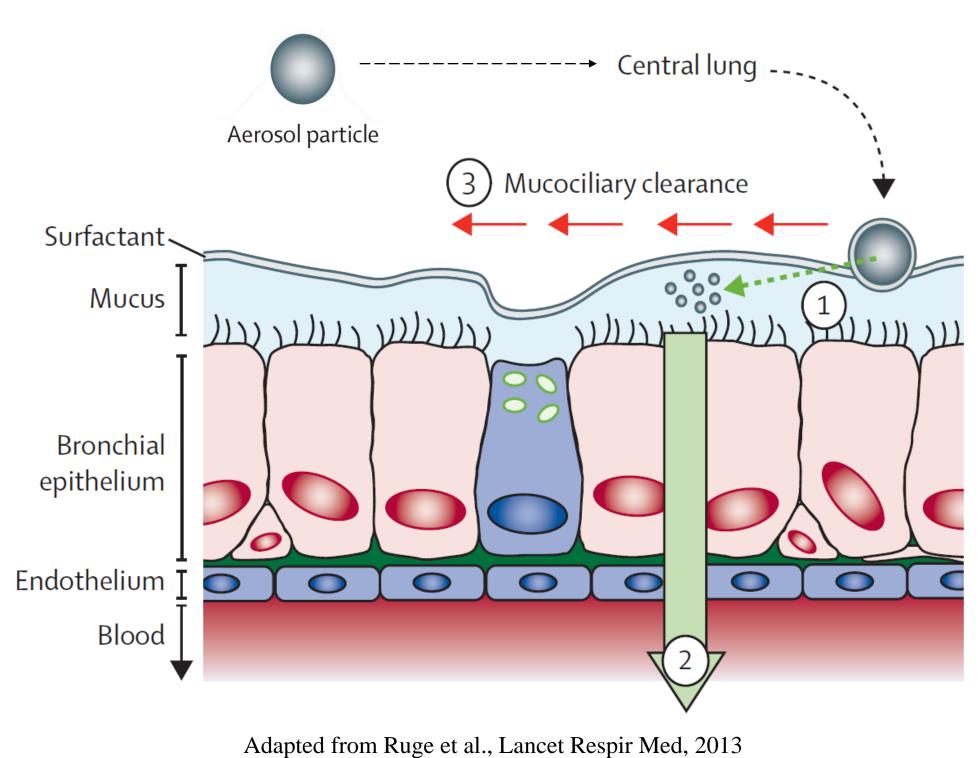
- Handful of existing models for airflow in bifurcating airways, straight tubes
- Small number of simulations for transport of particles through mucus, similar fluids Often on micron scale
- No existing model can study both phenomena simultaneously



Bartlett et al., bioRxiv, 2021

### **Particle Impaction and Clearance**

- Particle contact with the mucus
- 2. Transport of the particle across the epithelium to target tissue
- 3. Mucociliary clearance of particle





### **Computer Model**

**Simulation Domain** 

Two studied domains: single bifurcation and simplified straight cylinder. Rigorous implementation of liquid layer more difficult in complex geometries

#### Equations

Momentum equation governs velocity profile, effect of viscosity

$\frac{\delta}{\delta t}(\rho \overrightarrow{v} + \nabla \cdot (\rho \overrightarrow{v}^2) = -\nabla p + \nabla \cdot (\overline{\overline{\tau}}) + \rho \overrightarrow{g} + \overrightarrow{F}$
$\overline{\overline{\tau}} = \mu \left[ \left( \nabla \overrightarrow{v} + \nabla \overrightarrow{v}^T \right) - \frac{2}{3} \nabla \cdot \overrightarrow{v} I \right]$

Continuity equation governs what portions of the volume are occupied by which phase, and how they interact

 $\frac{\alpha_q^{n+1}\rho_q^{n+1} - \alpha_q^n\rho_q^n}{\Lambda_4}V + \sum (\rho_q U_f^n \alpha_{q,f}^n) = \left|\sum_{i=1}^n (\dot{m}_{pq} - \dot{m}_{qp}) + S_{\alpha_q}\right| V$ 

- Mucus clears at a rate orders of magnitude slower than airflow velocity
- Does not significantly impact where particles are trapped, but does impact their final fate
- Volume fractions of air and mucus not expected to change significantly with time





Lew Wentz Foundation

# Results

### **Airflow and Particle Deposition in Single Bifurcation**



### **Airflow and Particle Deposition in Tube with Liquid Layer**

Airflow is much faster than mucus flow. Velocity change is sharp at the liquid/air interface due to 5.649e+00 3.766e+00 negligible viscous forces between 1.883e+00 the phases. Smaller, lighter particles are more likely to "ride the current" and impact the liquid layer further downstream than larger particles

# Lung Environment

### Skills Learned

- Modeling using ANSYS Fluent
- Generalized methods for optimized modeling
- **Review of literature**

### **Future Plans**

- Apply non-Newtonian fluid models for mucus
- Simulate liquid layer as a hydrogel
- Final fate of particles when they reach wall rather than when they impact mucus
- Add mathematics for electrostatic interactions