

STRESS AND DEFLECTION ANALYSIS OF REGULAR,
TELESCOPING AND TIE ROD CYLINDERS

By

KOLAR L. SESHASAI

Bachelor of Engineering
Bangalore University
Bangalore, India
1973

Master of Science
Oklahoma State University
Stillwater, Oklahoma
1974

Submitted to the Faculty of the Graduate College
of the Oklahoma State University
in partial fulfillment of the requirements
for the Degree of
DOCTOR OF PHILOSOPHY
December, 1976

9Lans
1976D
S493S
Cop. 2



STRESS AND DEFLECTION ANALYSIS OF REGULAR,
TELESCOPING AND TIE ROD CYLINDERS

Thesis Approved:

A handwritten signature in blue ink, appearing to be "W. M. ...".

Thesis Adviser

A handwritten signature in black ink, appearing to be "A. E. Kelly".

A handwritten signature in black ink, appearing to be "John P. ...".

A handwritten signature in black ink, appearing to be "E. ...".

A handwritten signature in black ink, appearing to be "Norman D. Durham".

Dean of the Graduate College

1042001

ACKNOWLEDGMENTS

The author wishes to express his sincere appreciation to the following individuals who made this study possible:

Dr. William P. Dawkins, major adviser and chairman of the committee, for his excellent instruction, guidance and understanding throughout this study, and for the inspiration he generated to the author; Dr. Ernest C. Fitch, Jr., for his constant advice, particularly toward the direct practical application of this work, for serving on the advisory committee, and without whose interest the work would have never begun; Dr. John P. Lloyd and Dr. Allen E. Kelly, for their assistance and advisement while serving on the author's advisory committee; Dr. John W. Harvey, for his suggestions and friendship; Dr. R. K. Munshi and Dr. Duane S. Ellifritt, for their friendship and encouragement.

Dr. George A. Ekstrom, Industrial Truck Division, Eaton Corporation; Mr. John T. Parrett, Benton Harbor Division, Koehring; Dr. D. I. Malm, Deere and Company; Mr. K. Koch, Bruning, Division of ITE Imperial; Mr. E. L. Falendysz, J. I. Case Company; Mr. M. Beck, DROTT Manufacturing, Division of J. I. Case; Mr. Clayton L. Brundidge, Forestry Division, Eaton Corporation; and Mr. H. Y. Smith, U. S. Army Mobility Equipment Research and Development Command, who sponsored the research and whose invaluable suggestions have made the work more meaningful.

Dr. S. K. R. Iyengar, for his friendship and for his excellent management of the project; graduate students of the Structures group, notably Dr. R. Lakshmikanthan and Mr. Tom D. Jordan, for their friendship

and help in innumerable ways; Ms. Charlene Fries, for her excellent and meticulous typing of the manuscript.

The author is greatly indebted to his parents for their sacrifice, encouragement, and early guidance.

TABLE OF CONTENTS

Chapter	Page
I. INTRODUCTION	1
II. CYLINDERS--GENERAL	3
Types of Cylinders	4
Parts of Cylinders	9
Cylinder Sealing	15
Cylinder Mounts	17
III. REVIEW AND DISCUSSION OF EARLIER ANALYSIS	20
IV. DEVELOPMENT OF ANALYSIS	26
Types of Failures	26
Factors Influencing Primary Failure	27
Problem Definition	28
Assumptions and Limitations	29
Analytical Model	30
Method of Analysis	32
V. DETERMINATION OF CROOKEDNESS ANGLE	34
Absence of Kinematic Constraints	38
Presence of One Kinematic Constraint	40
Presence of Two Kinematic Constraints	45
Lateral Forces on Bearings and Seals	48
VI. ANALYSIS OF REGULAR CYLINDERS	49
VII. ANALYSIS OF TELESCOPING CYLINDERS	59
VIII. ANALYSIS OF TIE ROD CYLINDERS	68
Analysis for Separation Pressures	68
Bending Analysis	81
IX. STRESS CALCULATIONS	85
Axial Stresses	85
Bending Stresses	88
Hoop Stresses	88

Chapter	Page
Shear Stresses	89
Stress Failure Criteria	89
X. COMPUTER PROGRAMS AND APPLICATIONS OF THE ANALYSES	90
Computer Programs	90
Example Problems	91
Parametric Studies	91
XI. SUMMARY AND RECOMMENDATIONS	97
REFERENCES	99
APPENDIX A - COMPUTER PROGRAM FOR REGULAR CYLINDERS--SACREG	100
APPENDIX B - COMPUTER PROGRAM FOR TELESCOPING CYLINDERS--SACTEL	146
APPENDIX C - COMPUTER PROGRAM FOR TIE ROD CYLINDERS--SACTIE	193

LIST OF FIGURES

Figure	Page
1. Single Acting Cylinders	5
2. Double Acting Cylinders	5
3. Tie Rod Cylinder	8
4. Telescoping Cylinder	8
5. Differential Cylinder	8
6. Tandem Cylinder	10
7. Duplex Cylinder	10
8. Multipiston Cylinder	10
9. Parts of a Regular Cylinder	11
10. Parts of a Telescoping Cylinder	12
11. Parts of a Tie Rod Cylinder	13
12. Common Types of Cylinder Mounts	18
13. Stepped Column Representation	21
14. Crookedness Angle	23
15. Analytical Model	31
16. Deformations of Bearings and Seals	36
17. No Metal-to-Metal Contact	37
18. Contact at Piston Head Front Edge	37
19. Contact at Stuffing Box Outside Edge	43
20. Contact at Piston Head Edges	43
21. Contact at Stuffing Box Edges	47

Figure	Page
22. Contact at Piston Head Front and Stuffing Box Outside Edges	47
23. Forces and Reactions in a Regular Cylinder System	50
24. Line Diagram Showing the Deflected Positions of a Typical Hydraulic Cylinder	50
25. Forces and Reactions in a Telescoping Cylinder System	60
26. Matrix Form of Equations	66
27. Cylinder Mounting Positions	70
28. Piston Head Positions and Pressurization Side Combinations . . .	71
29. Equilibrium Equations	73
30. Determination of Tie Rod Moment	82
31. Axial Stresses in a Telescopic Cylinder	87
32. Effect of Crookedness Angle on Critical Load Versus Stroke Variation for Cylinder REG1	93
33. Effect of Loading Eccentricities on Critical Load Versus Stroke Variation for Cylinder REG1	94
34. Effect of Friction Coefficients on Critical Load Versus Stroke Variation for Cylinder REG1	96
35. Summary Flow Diagram of Program SACREG	102
36. Cylinder Dimensions for SACREG	110
37. Dimensions of Bearings and Seals for SACREG	110
38. Sign Conventions for Eccentricities of Loading and Friction Coefficients for SACREG	110
39. Summary Flow Diagram of Program SACTEL	148
40. Lengths and Diameters of Tubes and General Dimensions for SACTEL	156
41. Dimensions at a Typical Sliding Connection (i) for SACTEL . . .	158
42. Sign Conventions for Eccentricities of Loading and Friction Coefficients for SACTEL	158
43. Summary Flow Diagram of Program SACTIE	195

Figure	Page
44. Cylinder Dimensions for SACTIE	204
45. Dimensions of Bearings and Seals for SACTIE	204
46. Sign Convention for Eccentricities of Loading and Friction Coefficients for SACTIE	204

NOMENCLATURE

A_b	bore area of the cylinder tube
A'_b	bore area of the cylinder minus rod cross sectional area
A_c	cross sectional area of the cylinder wall
A_t	total cross sectional area of the tie rods
e_c and e_r	eccentricities of loading at cylinder and rod supports, respectively
E_i	modulus of elasticity of the i th tube material
E_t	modulus of elasticity of tie rods material
f_c and f_r	friction coefficient times the radius of the support pin at the cylinder and rod supports, respectively
F_b^p and F_f^p	lateral force at the piston head backside and frontside metal-to-metal contact points, respectively
F_b^r and F_f^r	lateral force at the stuffing box inside and outside metal-to-metal contact points, respectively
F_{bot}	final force in bottom tie rods in deflected cylinder
F_c	final axial force on the cylinder wall
F_{cc}	final axial force on cap side cylinder part in an intermediately supported cylinder
F_{cr}	final axial force on head side cylinder part in an intermediately supported cylinder
F_i	force in tie rods equal to force on the cylinder wall, before pressurizing the cylinder
F_i^p	lateral force on the i th piston bearing
F_i^r	lateral force on the i th rod bearing
F_t	final force in the tie rods in straight pressurized cylinder
F_{top}	final force in top tie rods in deflected cylinder

I_i	moment of inertia of the i th tube
K_c and K_r	stiffnesses of the rotational springs at the cylinder and rod pin supports, respectively
K_i^D	stiffness of the i th piston bearing in compression
K_i^R	stiffness of the i th rod bearing in compression
l_c	length of the modeled cylinder part
l_i	distance of the i th step point from the cylinder support
l_p	overhanging length of the cylinder part from the cylinder support
l_r	length of the modeled rod part
L	distance between the supports
L_c	length of the cylinder tube
L_{cc}	overhanging length of cylinder tube in intermediately supported cylinders
L_{cp}	pressurized length of the cylinder during forward stroking
L'_{cp}	pressurized length of the cylinder during backward stroking
L_{cr}	length of the cylinder tube part within supports in intermediately supported cylinders
L_t	length of tie rods between the tie rod nuts
M	number of piston bearings and seals on the piston head
M_G	bending moment at the sliding connection
M_p	moment at the cylinder support due to overhanging cylinder part's self weight
M_t	tie rod moment on the cylinder part
N	number of rod bearings and seals in the stuffing box
p	fluid pressure on the cap side
p'	fluid pressure on the head side
p_s	separation pressure
P	axial compressive load on cylinder during a forward stroke

P'	axial tensile load on cylinder during a backward stroke
PCL	radial clearance between piston head and cylinder tube
R'_C and R'_r	lateral reactions due to self weights of the system at the cylinder and rod supports, respectively
RCL	radial clearance between rod and stuffing box
w_i	weight per unit length of the i th tube
W_i	total concentrated weight at the i th step point
δ_D^p	displacement of the piston head backside edge
δ_D^r	displacement of the stuffing box inside edge
δ_C	change in length of the cylinder tube due to pressurization of the cylinder
δ_F^p	displacement of the piston head frontside edge
δ_F^r	displacement of the stuffing box outside edge
δ_t	change in length of the tie rods due to pressurization of the cylinder
δ_{tm}	change in length of the tie rods due to bending of the cylinder
θ_C	slope of the cylinder at the cylinder support
θ_g	slope of the cylinder at the step point
θ_i	crookedness angle at the i th sliding connection
θ_r	slope of the rod at the rod support
μ_C	Poisson's ratio for the cylinder material

CHAPTER I

INTRODUCTION

Fluid power cylinders have found a wide application in practice in all branches of industry. The primary functions of fluid power cylinders in industrial application are to move or position loads or mechanisms. A cylinder will properly perform these functions only if the stresses and deflections to which it is subjected remain within tolerable limits. In addition to physical sizes, stroke and operating pressure, the design of a cylinder must be based on the same principles of stress analysis as any other structural member.

To date empirical formulae have been used for establishing loading limits. The factors of safety incorporated into such formulae are subjective in nature and have resulted generally in overly conservative ratings for static loading.

Historically, all attempts at developing structural analysis techniques for statically loaded cylinders have considered them as long columns, and buckling loads were calculated by using classical buckling theory. A regular cylinder was, at best, treated as a stepped column with constant crookedness angle at the sliding connection (1). Analyses for telescoping cylinders have been developed (2)(3) for computing the critical load by treating them as stepped column having a finite number of steps with rigid connections. As yet a bending analysis of tie rod cylinders has not been made.

Presented herein are the methods of analyses for regular, telescoping and tie rod cylinders which permit the determination of stress and deflection at any point in the system under any particular loading, and hence, permit the determination of the critical load for a cylinder assembly by iterating with different loads and comparing the maximum stresses and deflections with limiting values.

The analyses include the influences of: the crookedness angle at the sliding connection; the eccentricity of loading at both supports; the friction effects at both supports; self weights of the system; stop tube effects; and overhanging cylinder part effects in the case of internally mounted cylinders. The analyses apply to regular, telescoping, and tie rod cylinders with: pinned, fixed, or elastically restrained supports; solid rod or hollow rod with or without fluid pressure in it; any number of piston and rod bearings and seals; and any number of tie rods.

Three separate computer programs have been written for the analytical procedures developed for the three major types of cylinders, mainly to determine the critical load for the system and to determine the maximum stresses and deflections in the system at any operating pressure. The programs can be further used to make parametric studies and to develop design aids.

CHAPTER II

CYLINDERS--GENERAL

General information on fluid power cylinders is presented in this chapter. This general information on types of cylinders, parts of cylinders, cylinder sealing, and cylinder mounts, was obtained from several cylinder manufacturer's catalogs, design handbooks, and specifications.

Fluid power cylinders are linear actuators which are used in industrial applications to move or position loads or mechanisms. Cylinders can be categorized into two types on the basis of the kind of fluid used--"pneumatic," where air is the fluid; or "hydraulic," where oil is the fluid. The same design concepts are used for both types except that pneumatic cylinders are usually designed for much lower pressures.

The higher the fluid pressure which can be used in a cylinder, the more compact and more efficient the hydraulic system is likely to be. However, there is an upper limit at which the stresses in the material involved in accommodating the internal pressure start to outweigh the advantages to be gained. This is in the range of 5,000 to 6,000 psi (350-420 kg/cm²), although higher pressures still may well be utilized in large cylinders for press work. Normally, however, 3,000 psi (210 kg/cm²) is the maximum for normal working, and 2,000 psi (140 kg/cm²) is a more usual maximum for industrial hydraulics.

In the case of pneumatic cylinders, the maximum pressure available from a compressed air supply is of the order of 90 to 100 psi (6.3 to

7.0 kg/cm²). Compressed air is seldom produced and worked at higher pressures, except for specialized applications, because of the practical difficulties involved both in compressing and utilizing an essentially "elastic" fluid at high compression ratios.

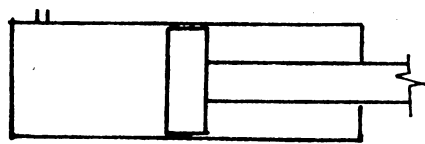
Some of the factors favoring pneumatics are: low initial cost; low operating costs; high reliability, high operating speeds; simplicity of control; operation in hazardous ambients; operation at high temperatures; and cleanliness of operation. Some of the factors favoring hydraulics are: high output forces; high rigidity of system; good synchronization possible; extremely high power amplification; working components self-lubricated by fluid; and low noise levels.

Types of Cylinders

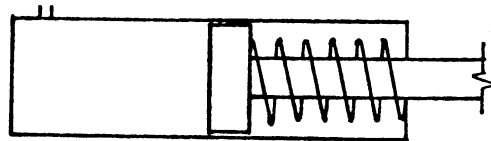
Cylinders can be categorized into different groups in many ways. For example: depending on the type of fluid used--pneumatic cylinders and hydraulic cylinders; depending on whether the piston is acted on by fluid pressure on one side or both sides--single acting cylinders and double acting cylinders; depending on their structural shape and application--roundline series or regular cylinders, squareline cylinders or tie rod cylinders, telescoping cylinders, differential cylinders, multi-piston cylinders, tandem and duplex cylinders, locking cylinders, rotating cylinders, etc. Brief descriptions of the most commonly used cylinders are given in the following sections.

Single Acting Cylinders

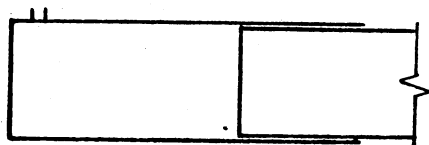
These are the simplest type of cylinders (Figure 1). Fluid pressure is applied to one side only of the piston to produce the power



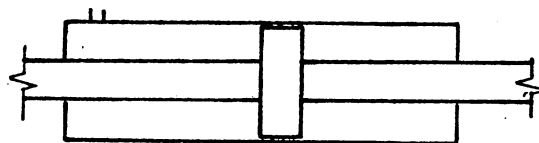
Force Return Type



Spring Return Type

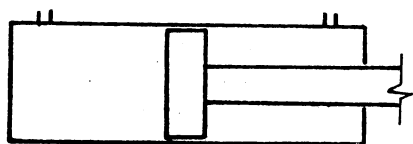


Ram Type

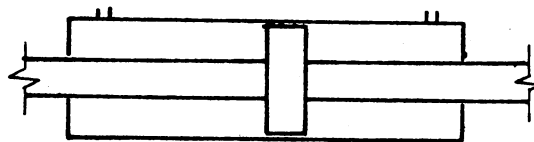


Through-Rod Type

Figure 1. Single Acting Cylinders



Single Rod Type



Double Rod Type

Figure 2. Double Acting Cylinders

stroke, or outward stroke. Return action on release of the fluid pressure is by means of a spring or some external force or by gravity, in the case of a vertical cylinder. Depending on the type of return action, these cylinders are generally classified as: gravity return cylinders, force return cylinders, and spring return cylinders. Two lesser used variations on the single acting cylinder are the plunger type (ram type), and the through-rod type. In the former case the conventional piston and rod assembly is replaced by a plunger, the action remaining the same. The through-rod configuration is unusual for a single acting cylinder, but may be employed where greater mechanical rigidity is required.

Double Acting Cylinders

This type of cylinder is by far the most common, and can be used in nearly all types of applications (Figure 2). With a double acting cylinder, ports are provided at each end so that the piston can be acted on by fluid pressure on both sides, alternately, to extend and retract the rod. The single rod configuration is the more usual, although the through-rod form may be adopted for greater rigidity or where exactly equal forces are required on both the outward and inward stroke.

Two other familiar types in single and double acting cylinders are: one piece cylinders and threaded head cylinders. One piece cylinders are compact and simple, but unlike other types, they cannot be repaired when damaged or worn. Threaded head cylinders can be disassembled for repair by unthreading either or both ends from the cylinder body.

Tie Rod Cylinders

The oldest and most common type made is typically used in industrial jobs (Figure 3). The cylinder body is held together by four or more tie rods that extend the full length of the body and pass through the end caps or mounting plate. This type performs any of the functions that the above two types perform.

Telescoping Cylinders

This type of cylinder, also known as a co-axial cylinder, is often used where a relatively long stroke is required in relation to the retracted length of the cylinder (Figure 4). These are manufactured as either single acting or double acting. The disadvantages with this type of cylinder are that the operating speeds, both when extending and retracting, vary over the total stroke. Force output is highest at the beginning, when full piston area is used, and lowest at the end of the stroke, when only the area of the final stage can be used to transmit force.

Differential Cylinders

The differential cylinder is used where differential outputs are required. Figure 5 shows a three volume, double acting differential cylinder. There are three modes of operation--inward and outward stroking of the piston and main hollow rod unit, and independent extension via pressurization of the third volume. The same principles can be applied to give a larger number of modes of operation.

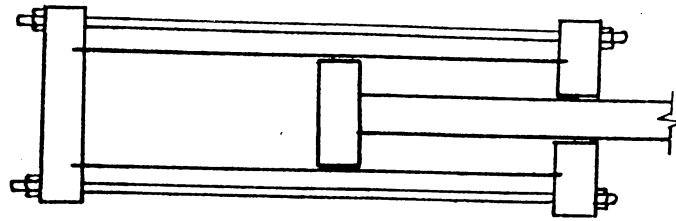


Figure 3. Tie Rod Cylinder

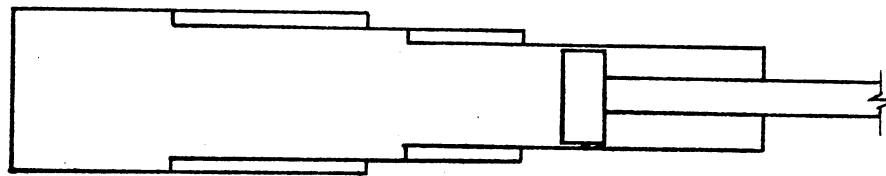


Figure 4. Telescoping Cylinder

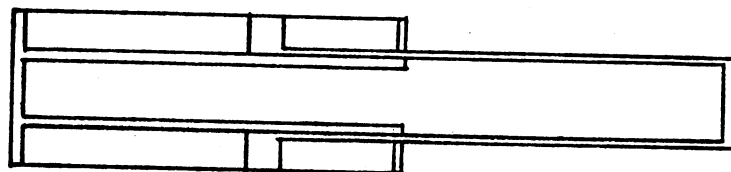


Figure 5. Differential Cylinder

Tandem and Duplex Cylinders

Tandem cylinders comprise single or double acting cylinders mounted in line in a common construction. There are numerous possible arrangements, capable of providing separate movements, and because of this, tandem cylinders are sometimes called multi-position cylinders. The simplest and most common type is a two cylinder combination giving a three position movement (Figure 6). In the case of duplex cylinders the cylinders are physically separated, but their pistons are mounted on a common rod (Figure 7).

Multi-Piston Cylinders

Multi-piston cylinders provide specialized motion by moving two or more pistons simultaneously. The positional cylinder shown (Figure 8) provides three rod positions: one step, two steps, or full retract.

Parts of Cylinders

Figures 9, 10 and 11 show all the important parts of regular, telescoping and tie rod cylinders, respectively. Descriptions of the major components are given in the following paragraphs.

Cylinder Tube

The cylinder tube is usually hard drawn tubing, although cast tubes and welded tubes are also in use. Common materials used in medium duty and heavy duty cylinders are hard drawn brass or steel tubes, aluminum, brass, bronze, iron or steel castings, or welded steel tubes. A high bore finish and excellent geometric and material properties increase the durability and efficiency of the cylinder and increase the life of

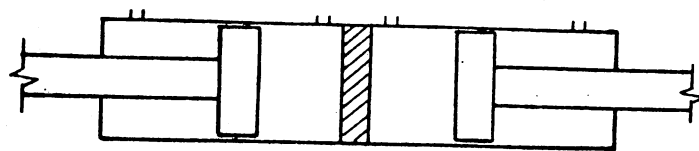


Figure 6. Tandem Cylinder

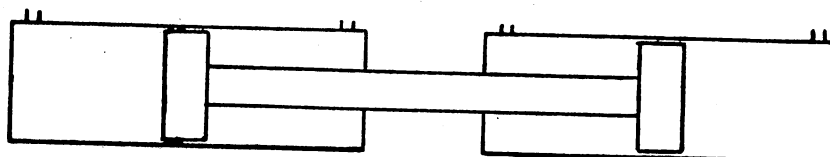


Figure 7. Duplex Cylinder

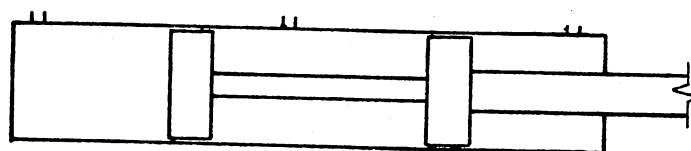
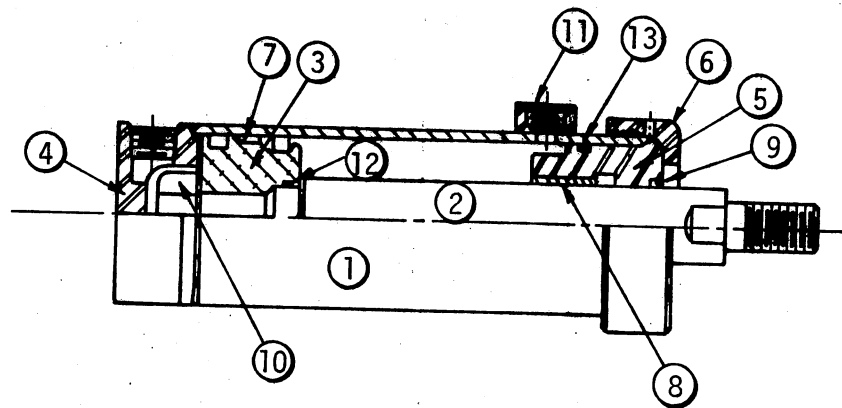
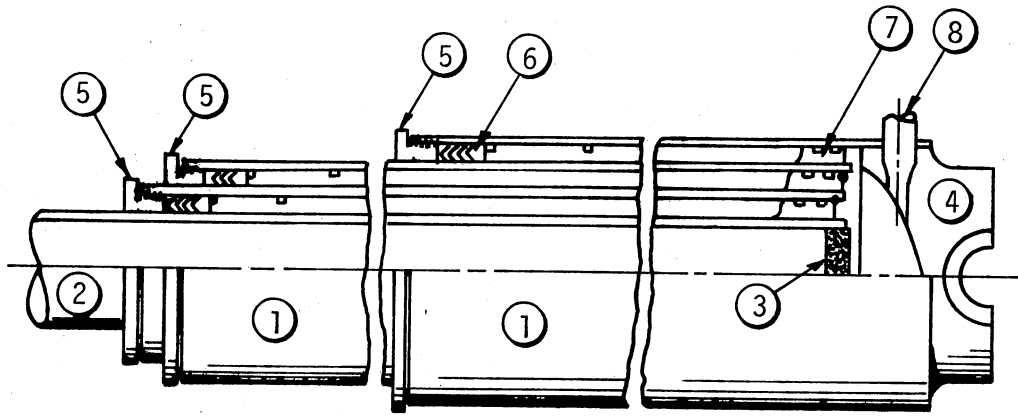


Figure 8. Multipiston Cylinder



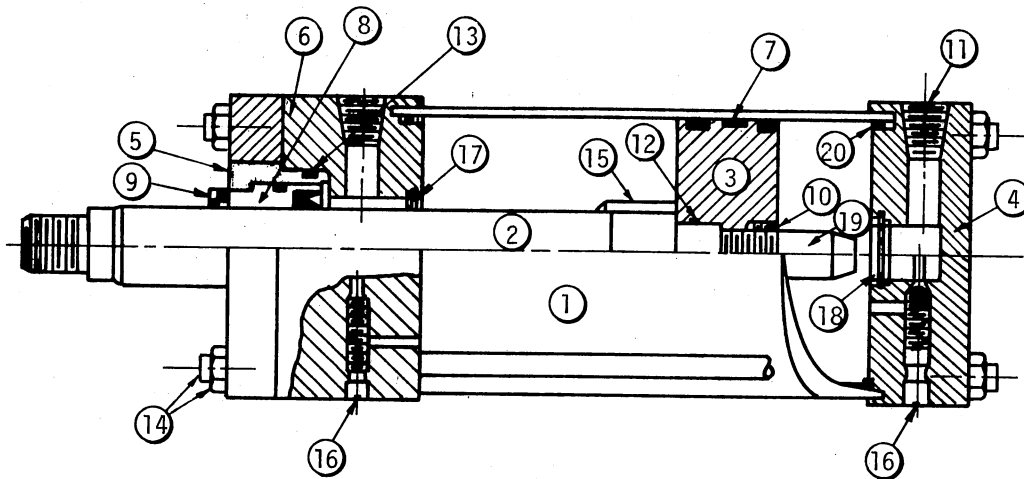
- | | |
|-------------------------|-----------------------------|
| ① Tube | ⑦ Piston bearings and seals |
| ② Rod | ⑧ Rod bearings and seals |
| ③ Piston | ⑨ Rod scraper and/or wiper |
| ④ Cap end | ⑩ Piston nut |
| ⑤ Head | ⑪ Ports |
| ⑥ Head retaining design | ⑫ Piston seal "O" ring |
| | ⑬ Rod bearing "O" ring |

Figure 9. Parts of a Regular Cylinder



- ① Tubes
- ② Rod (or tube)
- ③ Piston (just a metal cap)
- ④ Cap end
- ⑤ Gland nuts (act as bearings)
- ⑥ V-rings (seals)
- ⑦ Bearings and seals
- ⑧ Port

Figure 10. Parts of a Telescoping Cylinder



- | | |
|--|--|
| ① Tube | ⑫ Piston seal "O" ring |
| ② Rod | ⑬ Rod bearing "O" ring |
| ③ Piston | ⑭ Tie rod and nuts |
| ④ Cap end | ⑮ Cushion sleeve of stop tube
in long cylinders |
| ⑤ Rod bearing cartridge | ⑯ Needle valve or ball check
valve |
| ⑥ Head | ⑰ Head cushion |
| ⑦ Piston bearings and seals | ⑱ Cap cushion |
| ⑧ Rod bearings and seals | ⑲ Cushion spear |
| ⑨ Rod scraper and/or wiper | ⑳ Tube seals |
| ⑩ Pilot fitting or self-locking
nut | |
| ⑪ Ports | |

Figure 11. Parts of a Tie Rod Cylinder

bearings and seals. A honed finish, which is common in medium to high pressure cylinders, is capable of producing a surface finish of 10-15 microinches (400-600 microns). The bore surface may be protected by nickel or chromium plating.

Piston Rods

Piston rods are normally of hardened steel, ground and polished, or chrome plated and polished. A very smooth rod finish is desirable as this reduces wear on the rod bearings and seals. Since the diameter of the rod can be relatively large, a hollow rod may be preferred in some cases. Wiper seals only or wiper seals together with metal scrapers are generally used to provide protection against dirt or solid contaminants clinging to the rod surface being drawn back into the rod bearing.

Piston

The piston is generally constructed of cast iron or high grade alloy iron or steel, but light weight cylinders may use heat treated aluminum alloy. The piston is usually of one-piece construction, but may be of two-piece or three-piece construction for certain types of seals. The piston may be attached to the rod by a nut or nuts, threaded in place on the end of the rod, or welded to the rod.

End Covers

Cap and head ends are usually made of aluminum stock, brass stock, bronze stock, or aluminum, brass, iron or steel castings. They do not present any particular problem in design or material construction, since no limitation is imposed on their thicknesses. The main problem is the

method of fastening them in place to provide a tight, high pressure seal. Popular types of covers are threaded, welding, or shear bar types (full 360° internal locking key type), and finally tie rod construction. Probably the most positive fitting of all for high pressure operation, is tie rod construction. The end covers are usually square in shape, with holes drilled in each corner through which high tensile steel tie rods are fitted and bolted. The cover can seal on a gasket, or be plug fitted to accommodate an O-ring seal.

Stop Tube

The function of a stop tube (Figure 11) is to limit the minimum distance between the piston and rod bearing when the piston rod is in its fully extended position. This increase in spacing serves to reduce bearing loads and, at the same time, to increase the structural rigidity of the assembly to prevent excessive deflection and jack-knifing.

Rod Bearing Cartridge

The externally removable cartridge (Figure 11) is a steel shell containing a floating metal rod scraper, rod bearing, multiple vee chevron packings with a male adapter, and all spring loaded. In case of wear or damage of bearings and packings, the cartridge can be easily threaded out and replaced with a new or rebuilt cartridge.

Cylinder Sealing

Hydraulic seals are used in many different operating conditions. The ideal would, of course, be one type of seal for all pressures, temperatures, surfaces, and fluids. The ranges of use of most types are,

however, very limited. For this reason the differences between the various types of seals are great. In the following paragraphs a summary of different types of seals is presented.

All seals can be described as falling into three basic categories:

1. Positive interference seals--which are designed to be larger than the seal housing, such that they have built-in interference which ensures an immediate seal at low pressures.

2. Pressure energized seals--which require a housing which permits rapid access of fluid pressure to the sealing lips to ensure successful operation. These have a low friction value at low pressures while friction values at high pressures may be higher than with positive interference seals.

3. Housing preloaded seals--which differ from positive interference seals in that they need to have light tension applied endwise to effect the initial sealing. As pressure increases, the seal lip load becomes greater against the static and dynamic faces, as with other seals.

Seals are also classified as dynamic seals and static seals.

Dynamic seals between a moving and a static surface are used on the rim of the piston and inside the rod opening in the cylinder head. These are also known as packings. The most common types of dynamic seals are lip seals, U-seals, and V-rings, often stacked together into a chevron configuration. Static seals are used at many points between two static surfaces, for example, piston to rod, cylinder to end cap, cylinder to head, etc. O-rings are the most common type of static seals.

Lip seals which include flange, cup, U-cup, U-ring, and V-ring are made of impregnated leather or synthetic rubber, with or without fabric reinforcement. The most common fabrics are cotton duck, asbestos, and

nylon. V-rings are installed in sets, each set consisting of a number of V-rings and male and female adapter rings. The female adapter supports the entire set when the set is under pressure and the male adapter acts as a guide and spacer. Both types of adapters are usually made from metal, hard homogeneous rubber, leather, phenolics, or fabric reinforced rubber.

Squeeze type seals include D-rings, delta rings, T-rings, square-rings, X-rings, and O-rings. O-rings used as rod seals or piston seals, must be used in conjunction with backup rings. The main function of a backup ring is to reduce the clearance gap around a rod or piston so that extrusion of the O-ring is prevented. Backup rings are usually made of thin metal, bakelite, leather, or teflon.

Piston seals and rod seals are dynamic seals. Prevention of leakage is their main purpose. On the other hand, low static and dynamic friction is important so that maximum cylinder power and smooth piston movement can be obtained. They must be long wearing and tough. They must have resistance to rolling, extrusion, and have good shape retention.

Cylinder Mounts

A wide variety of mounts are available for pneumatic and hydraulic cylinders. Each type of mount has its own specific application. They can be grouped broadly as "floating" or "rigid" mounts with numerous variations on individual attachments.

A floating mount anchors the cylinder at one point only with freedom to move in one plane. The common forms of floating mounts are Cap, Intermediate or Head trunnion and Clevis mounts (Figure 12 (a)). These are also referred to as pivoted centerline mountings. For fully

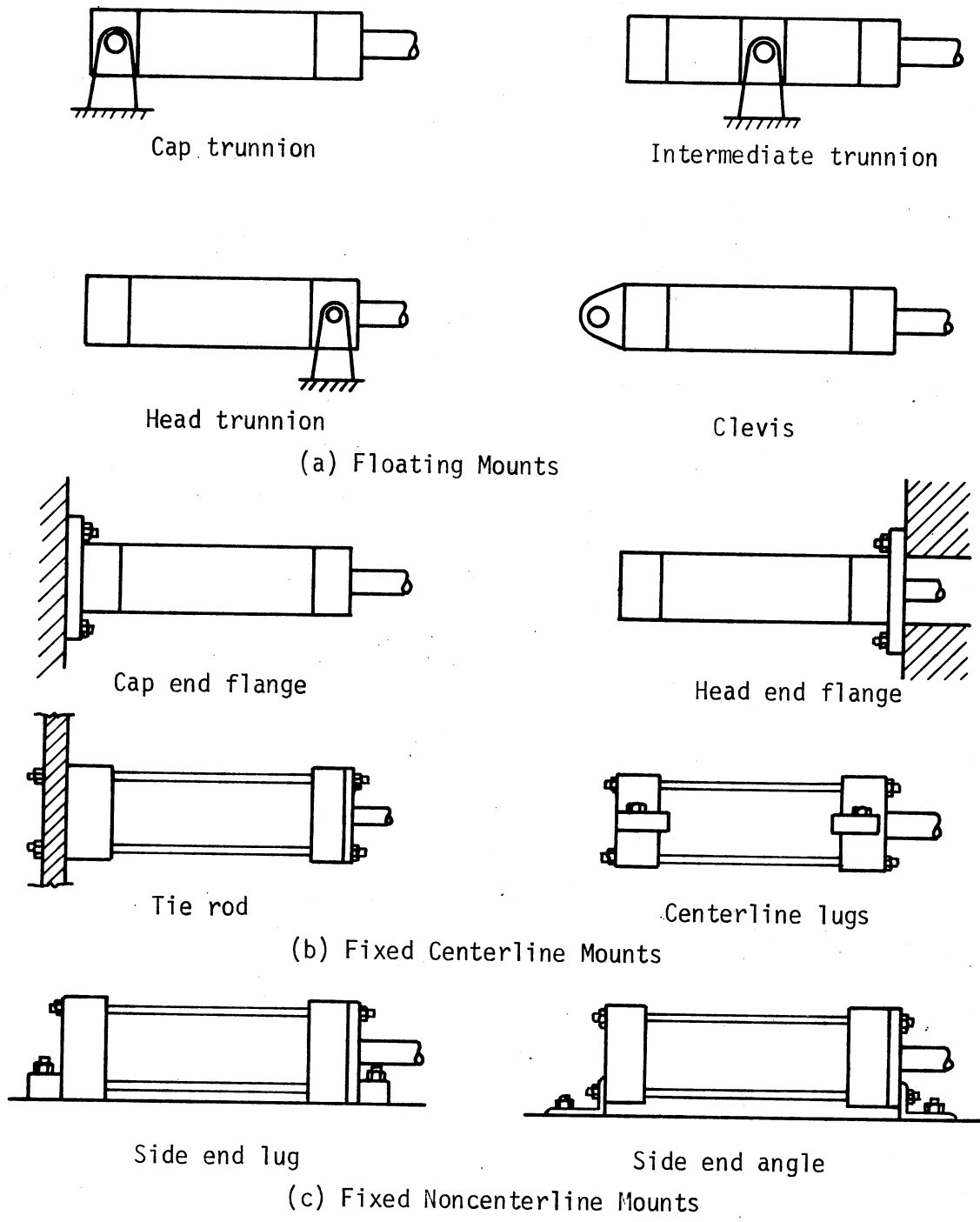


Figure 12. Common Types of Cylinder Mounts

floating mounting, ball and socket or universal joint type mounts fitted to the rear end cover, can be used.

Rigid mounts support the cylinder rigidly at the point of support and may be single or double mounts. These can be sub-divided into fixed centerline mountings and fixed noncenterline mountings. Some forms of fixed centerline mounts are--cap and flange, head and flange, tie rod mount, and centerline lugs (Figure 12 (b)). Some forms of fixed non-centerline mounts (foot mounts) are--side end lug, side end angle, integral key, and flush (Figure 12 (c)). All of the above may be used in combination, for example: flange and foot.

CHAPTER III

REVIEW AND DISCUSSION OF EARLIER ANALYSES

Early analytical investigations of cylinders use Euler's buckling analysis for columns. Initially, only the rod portion was analyzed as an axially loaded, slender column (1). For short and intermediate length columns, numerous empirical formulas, each with certain limitations, were developed.

In the slender column analysis of the rod portion, the cylinder was considered as a sealed tube with internal fluid pressure. Because the cylinder is usually much stiffer than the rod and it was misinterpreted that the cylinder would not buckle, only the rod portion was considered in the analysis. However, tubes sealed at both ends will have a stabilizing axial load in the wall due to internal pressure that is exactly equal to the destabilizing compression load carried by the fluid. In cylinders one end is sealed rigidly and the other end is sealed by means of a sliding connection. Due to the presence of the sliding connection there will not be stabilizing axial load in the wall of the cylinder. Hence, the cylinder must also be included in the analysis for buckling. When it was felt necessary to include both cylinder and rod in the analysis, the system was treated as a stepped, continuous column (Figure 13).

A transcendental equation describing buckling of an ideal stepped column was developed (4) (5) along the same lines as for Euler's simple

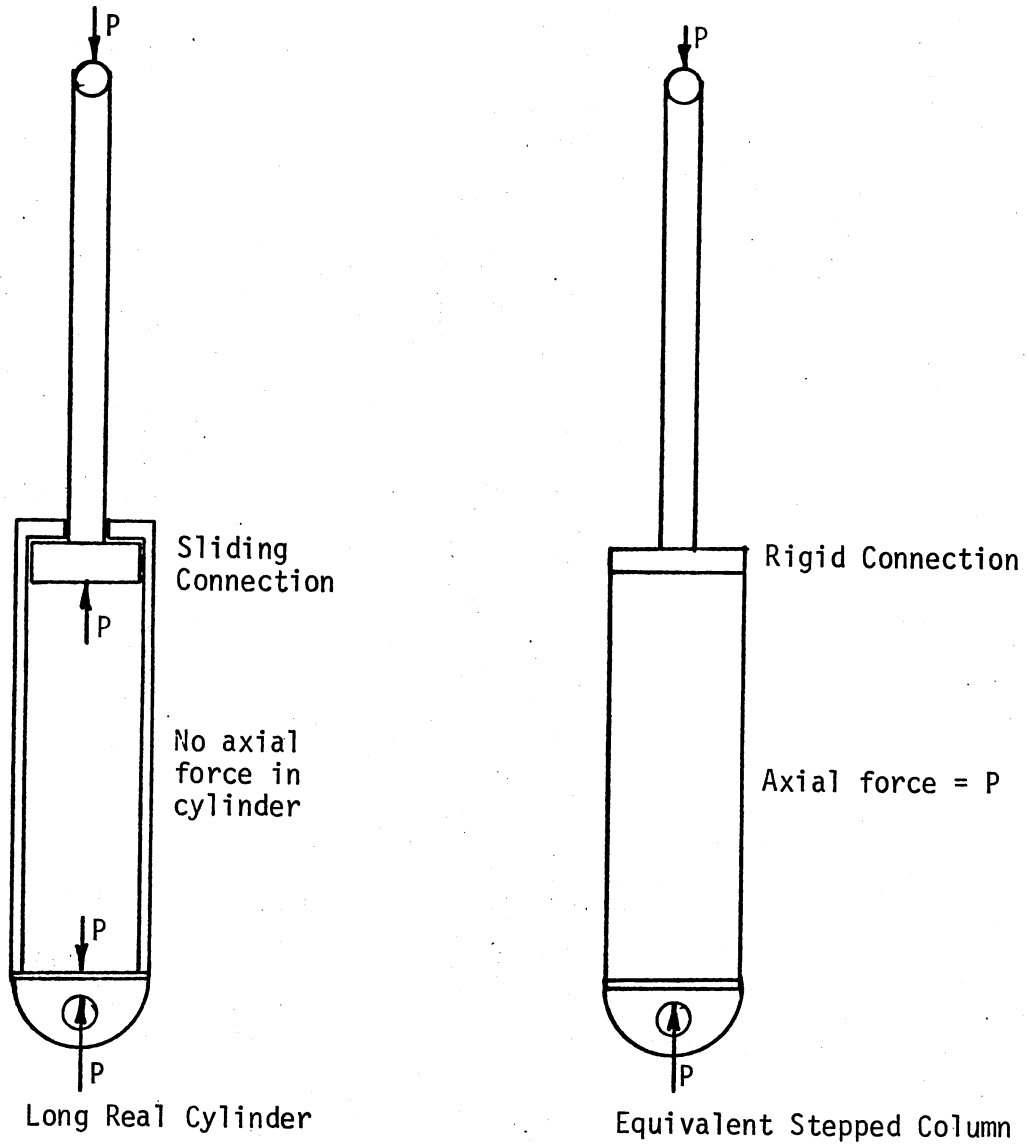
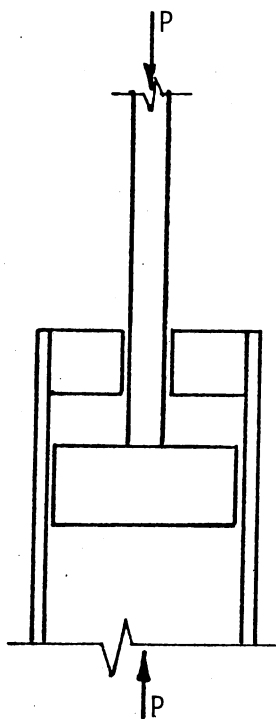


Figure 13. Stepped Column Representation

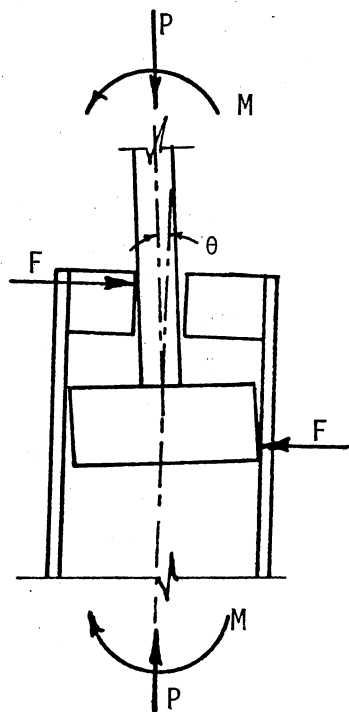
column. With the use of this equation, charts for computing the critical buckling loads of stepped columns with a rigid connection at the step were developed (6).

Although the stress distribution in the stepped column is not the same as the actual cylinder stress distribution, it turns out to be fortuitously correct for buckling analysis, since buckling is mainly due to bending moments. If either axial load or internal fluid pressure causes any bending, it is found that the bending moment distribution is the same for both cases, and lateral elastic buckling is primarily dependent on bending moment (7). Hence, for only buckling analysis, the internal pressure in the cylinder can be replaced by axial load on the walls of the cylinder. This axial load, which is equal to pressure times cross sectional area of the cylinder bore, is the same as the load on the rod. It should be noted that this analysis cannot be used to determine stress failure of the cylinder, since the stress distribution in the cylinder due to internal pressure is completely different from that due to axial load.

A real cylinder differs from a stepped column mainly in the following aspects. The axial load is transmitted over part of the length of the column by fluid pressure. The two parts are not rigidly joined, but have a sliding contact between them. When the cylinder is straight there is no force transferred at the sliding connection, but when the cylinder is deflected lateral forces perpendicular to the axis of the cylinder are developed at the interface. These forces transfer moments across the interface and develop a crookedness angle between the two parts (Figure 14).



Straight cylinder
 No force transfer at interface
 Zero crookedness angle



Deflected cylinder
 Moment transfer at interface
 Crookedness angle develops

Figure 14. Crookedness Angle

The presence of the crookedness angle reduces the stiffness of the system and hence the load carrying capacity decreases. Several analyses were developed to account for crookedness angle at the sliding connection between the cylinder and rod (8) (1) (9). In one of the procedures (1) a constant crookedness angle determined from empirical data was assumed; in another (9) a small eccentricity in loading was assumed to account for the crookedness angle.

A more rigorous analysis (8) was made which includes the effects of self weights and crookedness angle, but the cylinder part was treated as an infinitely stiff member which restricts the application to a particular type of cylinder.

The critical load is the smallest when the distance between the cylinder support and piston rod support is at its maximum. In general, only this case needs to be investigated. However, if the force developed by the assembly decreases inherently as the length between supports increases, investigations must be made for several combinations of load and length. When the cylinder is not fully extended, the central overlapping part consisting of the rod inside the cylinder may be reasonably long compared to the cylinder tube and rod portions on either side of it. In such a case it is required to consider two steps in the system resulting in three parts with different bending stiffnesses. With certain approximations, equations for moments and stresses in these three spans were developed (10) for this particular type of cylinder.

For buckling analysis, a telescoping cylinder can be treated as a stepped column with more than one step. A few procedures have been developed (2) (3) for computing the critical load of a column having a finite number of steps with rigid connections.

It should be noted that in all the methods of analysis no direct solution is possible and the critical load is obtained by iteration. Stepped column analyses apply only for long, and to some moderately long, cylinders. Cylinders which are fairly short usually fail by yielding (material failure) due to combined direct and bending stresses, since the real cylinder is neither ideal nor perfectly axially loaded.

Little work has been done towards the analyses of cylinders with tie rods. Equations for hoop and axial stresses in a straight cylinder mounted at the head were developed (11), but as yet bending analyses of tie rod cylinders have not been made.

CHAPTER IV

DEVELOPMENT OF ANALYSIS

Types of Failure

Failure types are categorized as primary failures and secondary failures.

Primary failures are structural failures of the main components (cylinder, rod and tie rods), which mainly depend on length, yield stress and stiffness of the members. Primary failures in cylinders can occur due to: excessive axial stress as in short columns; excessive hoop stress due to internal hydraulic pressure; buckling, as in long columns; or a combination of axial, bending and hoop stresses resulting in excessive of material capacity. Where the cylinder part is very stiff compared to the rod, the rod can fail individually by excessive stress or buckling, depending on its length. If a tie rod cylinder bends excessively, some tie rods may lose tension resulting in fluid leakage or others may yield in tension.

Secondary failures are due to stress concentrations at threads, piping connections, welds, bolt holes, etc., due to failure of nonstructural components such as bearings and seals, or due to failure of secondary structural elements such as support pins. These failures are mainly due to the configuration and strength characteristics of the individual elements and local effects such as wear and tear, fatigue and stress concentrations.

The analysis developed herein is concerned only with primary failures. Once the capacity of the system against primary failure has been determined, the secondary components can always be proportioned suitably to avoid secondary types of failures.

Factors Influencing Primary Failure

Failure occurs when any type of stress at any point in the system reaches a prescribed limit. In the following paragraphs the factors that influence the magnitude of stresses in the system are discussed.

The main factor contributing to any kind of stress at any point is the axial load. In the rod it produces direct axial stresses and hoop stresses if the rod is hollow and pressurized, and in the cylinder it results in hoop stresses due to hydraulic pressure. Axial load also interacts with deflections to develop bending stresses in both rod and cylinder portions.

Eccentricity of loading, eccentricity of supports, and self weights develop bending moments in the system and, hence, bending stresses.

The cylinder support location and type of support, either fixed or pinned, determines the effective length of the system. As the cylinder support is moved toward the rod end, the distance between pins decreases which in turn increases the load carrying capacity. On the other hand, in the case of an inclined or horizontal cylinder with an intermediate cylinder support, the overhanging portion beyond the cylinder support produces a constant moment at the cylinder pin which will induce moments and stresses in the system.

The crookedness angle at the sliding connection causes the system deflections to increase and, hence, increases the bending moments and

bending stresses.

Stop tubes reduce the contact forces at the cylinder/rod interface by increasing the lever arm of the moment carried by the sliding connections. Stop tubes also reduce the crookedness angle and hence reduce deflections, moments and stresses. It is to be noted that as the stop tube length increases, the extended length of the cylinder also increases which in turn reduces the load carrying capacity of the cylinder. The stresses resulting from each of the above may be additive or subtractive.

Friction moments at nonrotating support pins tend to stabilize the system. However, rotation of the support pins occurs in mechanisms where a rotating crank is pinned to the rod end, in which case friction moments may be either stabilizing or destabilizing depending on the direction of rotation of the pins.

All of the above mentioned factors are included in the analysis described later. There are numerous other factors which may influence the stresses in the system. However, these factors cannot be treated mathematically and can only be accounted for by increasing the factor of safety applied to the system.

Problem Definition

Methods of analysis to determine the capacity of the system and to determine deflections and stresses in the system at any other loading for regular, telescoping and tie rod cylinders are presented here. The effects taken into consideration in the analyses are: selfweight of the system; loading eccentricities at both ends; variation in crookedness angle due to the elasticity of the bearings; friction moments at supports; general support conditions--pinned, fixed or elastically

restrained; cylinder support location anywhere along the cylinder length; inclination of the cylinder; and solid rod or hollow rod with or without internal pressure.

Assumptions and Limitations

The assumptions and limitations on the above effects used in the development of the analyses are described below:

1. All materials are linearly elastic, isotropic and homogeneous.
2. Deflections are small compared to the total length of the system.
3. Ordinary bending analysis is applicable.
4. The system is perfectly straight before loading.
5. The axes of the cylinder and rod portions are colinear before loading.
6. The rod is fully extended but the piston head is not in contact with the stuffing box.
7. The length of the sliding connection is small compared to the total length of the cylinder. In telescoping cylinders, the ratio of length of each sliding connection to the total length of its neighboring tubes is small.
8. The system can be treated as piecewise prismatic with a change in cross section occurring at each sliding connection.
9. The portion of the rod within the sliding connection region remains straight.
10. Bearings and seals at the sliding connections can be replaced by linear springs in the plane of bending.
11. There is no axial force transfer through friction in either piston head or stuffing box bearings.

12. All applied forces and moments act in one of the principal planes of the system and produce bending in that plane only.
13. All support pins are perpendicular to the plane of bending.
14. Cylinder support anywhere along the cylinder length however the sliding connection must be between the cylinder and rod supports.
15. The end blocks (cap and head) of a cylinder with tie rods remain perpendicular to the cylinder axis at the cylinder ends before and after loading.
16. All tie rods are pretensioned to the same level before external load is applied to the system.

Analytical Model

The assumptions discussed above permit the real structure to be modeled as shown in Figure 15. The two parts of the model, AC and CB (Figure 15 (b)), have stiffnesses equal to the cylinder and rod stiffnesses, respectively. The step point, C, is the point at which the cylinder axis and the rod axis meet when the system is deflected due to loads. Parts AC and CB are loaded uniformly with cylinder and rod weights per unit length, respectively. The weight of the sliding connection is applied as a concentrated load at the step point C, as shown in Figure 15. For an intermediate cylinder support condition, the moment due to weight of the overhanging part is applied at the cylinder support.

Rotational springs at the supports can represent pinned, fixed, or elastic end restraint conditions, depending on their stiffnesses. The bearings and seals at the sliding connection are replaced by linear springs.

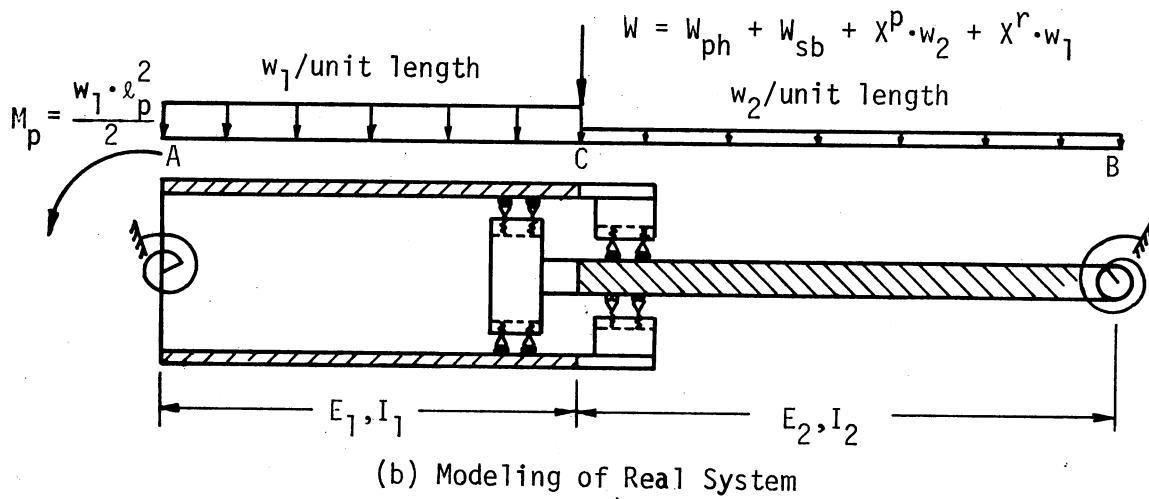
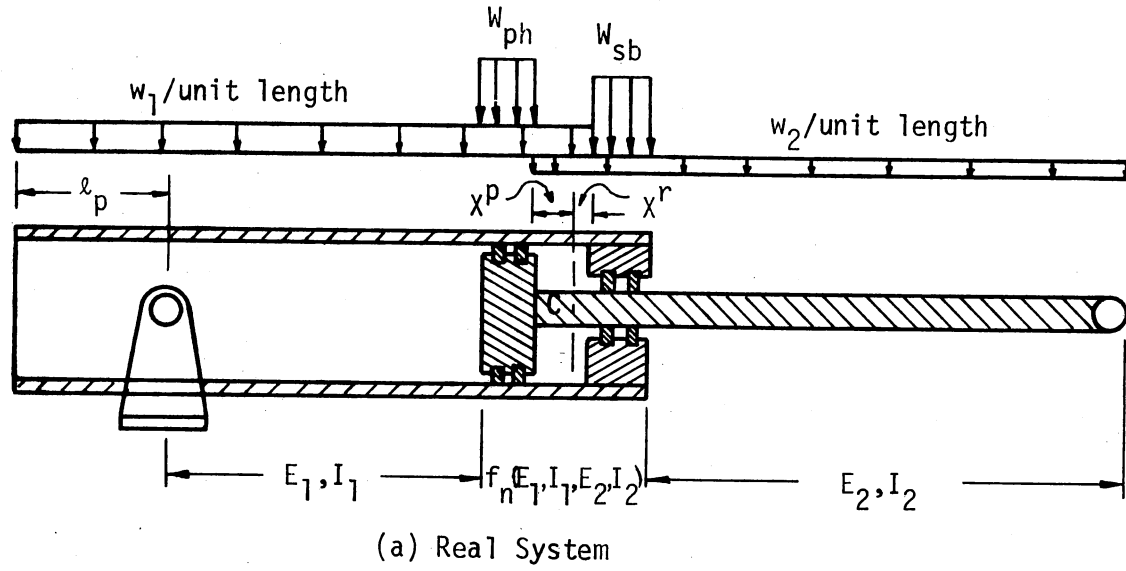


Figure 15. Analytical Model

Method of Analysis

A real fluid power cylinder may be considered as a beam-column with flexible joints at each sliding connection. As indicated earlier, the flexible joint develops a crookedness angle, the magnitude of which depends on the bending moment at the sliding connection. In this analysis a differential equation for deflections is written for each part and solved using boundary conditions that deflections and slopes are continuous at each sliding connection. The number of unknown constants in the solution of differential equations and the number of available boundary conditions are equal, and hence the unknown constants can be determined.

The moment equations and the slope compatibility condition equation at each sliding connection involve the crookedness angle term which is an unknown. Hence, the complete solution will be in terms of the unknown crookedness angle.

To determine the crookedness angle and the deflected equilibrium position, the following method is used. An initial value of the crookedness angle is determined (a small value is assumed in the case of vertical cylinders) from the moment at the sliding connection due to selfweight. This value of crookedness angle and the applied load are used to estimate the deflections of the system. Using this estimate of deflections a new bending moment at the sliding connection is determined along with the corresponding value of the crookedness angle. The process is repeated until constant values of crookedness angle are obtained on successive iterations. This process converges to an error in the crookedness angle of less than half a percent of the total angle within 3 to

5 iterations.

The analysis for tie rod cylinders is similar to that for regular cylinders with the addition of a moment term for the cylinder part due to deformation of the tie rods. The magnitude of the tie rod moment depends on the deflected shape of the cylinder and is always opposite in direction to the bending moment in the cylinder. Hence, the tie rod moment reduces bending moments in the cylinder and reduces deflections. The tie rod moment term is evaluated by the following method. First, the deflections of the cylinder are determined with the tie rod moment equal to zero and the tie rod moment corresponding to this deflected shape is calculated. A fraction of this moment is applied to the system and the analysis is repeated. Again, the tie rod moment is determined and a fraction of this is added to the previous applied moment. This process is repeated until applied and calculated moments agree. It should be noted that at every step of this process, determination of the crookedness angle also requires iteration.

From the above discussion it is clear that two distinctly different parts of the analysis are linked by the iteration procedure. These two parts are: determination of the crookedness angle for a particular moment at the sliding connection, and determination of deflections in the system.

Although the crookedness angle analysis is the same for regular, telescoping and tie rod cylinders, the deflection analysis differs for each type. The following four chapters deal with these four types of analysis, namely: determination of the crookedness angle; deflection analysis for regular cylinders; deflection analysis for telescoping cylinders; deflection analysis for tie rod cylinders.

CHAPTER V

DETERMINATION OF CROOKEDNESS ANGLE

The sliding connection at the cylinder/rod interface in a fluid power cylinder introduces an angular deflection at the interface which increases with increasing applied load. To account for this angular distortion in the deflection and stress analysis of the cylinder, the relationship between crookedness angle and moment at the sliding connection must be determined. As indicated in Chapter II, the bearings and seals may appear in a variety of configurations and materials. Because of differences in design, assembly, and materials used in the sliding connection components, no completely general relationship is possible. The following procedure is used to develop the relationship between the moment and the crookedness angle at the sliding connection. It is sufficiently general that, with adjustments in the stiffnesses, it can be used for the analysis of a wide variation of configurations of the bearings and seals.

As the cylinder deflections increase with loading, the lateral loads on the bearings and seals increase. The compression in the bearings and seals, and hence, the angular deflection is directly proportional to the lateral loads. This linear variation of crookedness angle with the moment at the sliding connection is valid as long as no contact point (contact of rims of piston head or stuffing box with the cylinder wall or rod, respectively) is developed at the sliding connection. Depending

on the configuration of the sliding connection (clearance between piston head and cylinder wall; clearance between stuffing box and rod; piston head and stuffing box lengths; and overlap length of cylinder and rod), as the crookedness angle increases, a contact point can occur. This contact point introduces a kinematic constraint and also a part of the lateral load develops at that point. Hence, when a contact point occurs there exists a different relationship between moment and crookedness angle. The increase in crookedness angle terminates when two kinematic constraints develop due to the occurrence of two contact points.

It can be seen from the above discussion that for low values of moments at the sliding connection there exists a direct relation between the moment and the crookedness angle. However, as the moment increases, a contact may occur either at the front edge of the piston head or at the outside edge of the stuffing box at which time the moment-crookedness angle relation changes. As the moment continues to increase, a second contact point occurs after which the crookedness angle remains constant. Depending on the configuration of the sliding connection, these pairs of contact points may be in three different combinations, such as: the front and back edges of the piston head; the outside and inside edges of the stuffing box; or the front edge of the piston head and the outside edge of the stuffing box. The equations for the moment-crookedness angle relationship for these six different cases and the equations for the lateral forces on the bearings and seals and on the contact points are developed in the following sections for a general sliding connection with any number of bearings and seals.

The line diagram (Figure 16) shows the crookedness angle between the cylinder axis and the rod axis, and the deformations of piston bearings

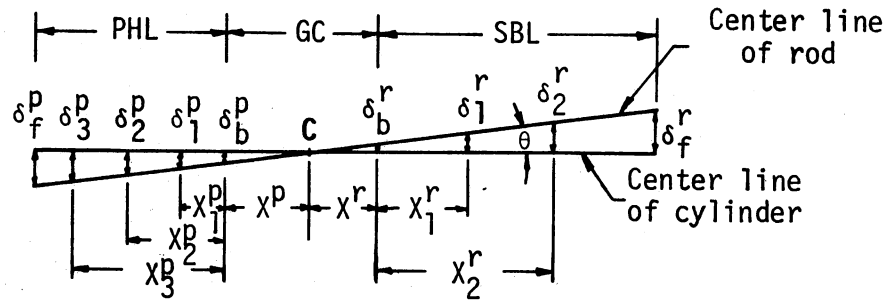


Figure 16. Deformations of Bearings and Seals

and rod bearings. From the free body diagram,

$$\begin{aligned} \theta &= \frac{\delta_1^p}{x^p + x_1^p} = \frac{\delta_2^p}{x^p + x_2^p} = \dots = \frac{\delta_M^p}{x^p + x_M^p} \\ &= \frac{\delta_1^r}{x^r + x_1^r} = \frac{\delta_2^r}{x^r + x_2^r} = \dots = \frac{\delta_N^r}{x^r + x_N^r} \end{aligned} \quad (5.1)$$

where

$\delta_i^p, i = 1$ to M are the deformations in the piston head bearings;

$\delta_i^r, i = 1$ to N are the deformations in the rod bearings;

$x_i^p, i = 1$ to M are the distances of the piston head bearings from the piston head backface (see Figure 17);

$x_i^r, i = 1$ to N are the distances of the rod bearings from the stuffing box innerface (see Figure 17);

x^p is the distance of the piston head backface from step point C; and

x^r is the distance of the stuffing box innerface from step point C.

The bearings and seals are modeled as linear springs, hence

$$\delta_i^p = \frac{F_i^p}{K_i^p}; \quad i = 1 \text{ to } M$$

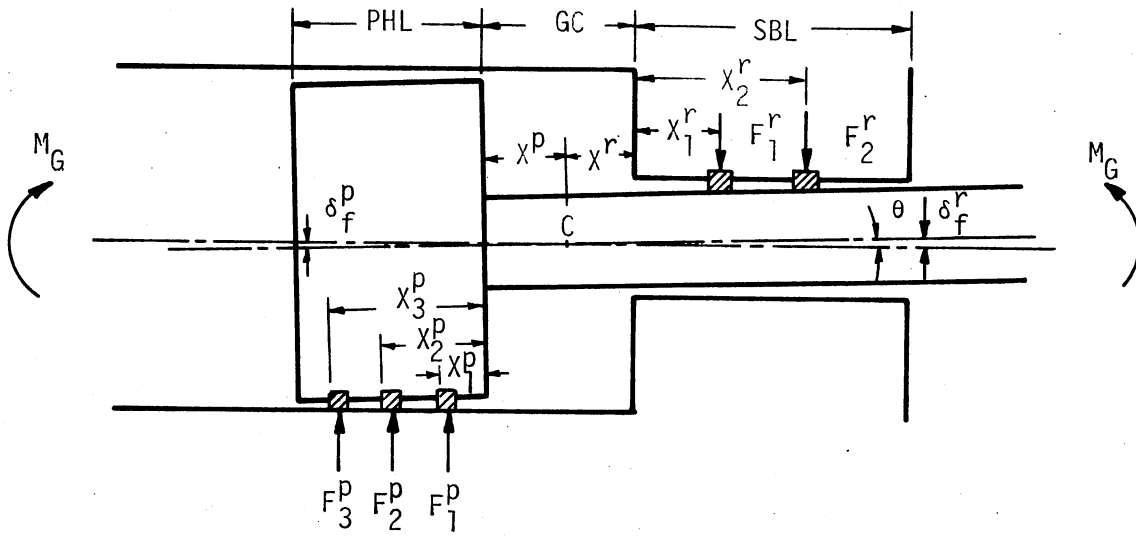


Figure 17. No Metal-to-Metal Contact

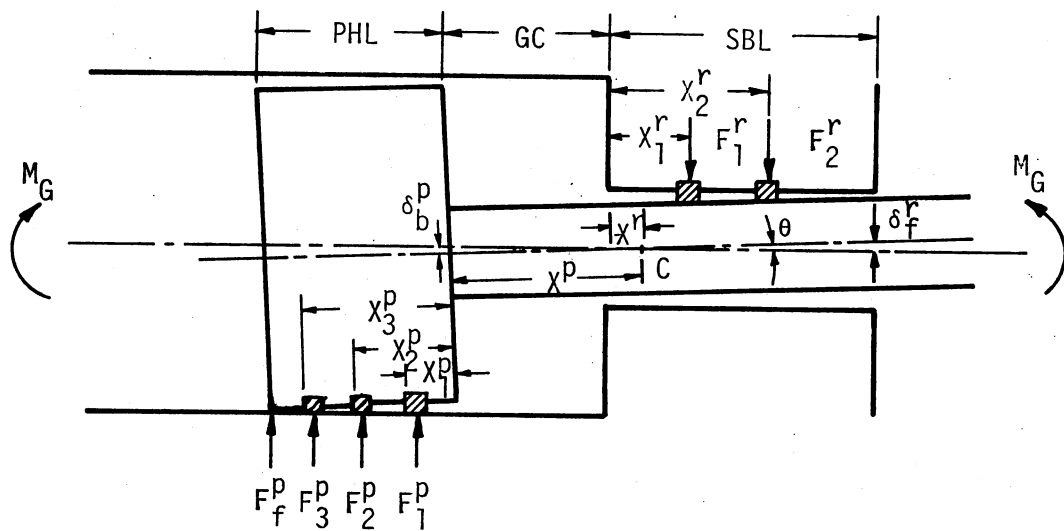


Figure 18. Contact at Piston Head Front Edge

and

$$\delta_i^r = \frac{F_i^r}{K_i^r}; \quad i = 1 \text{ to } N \quad (5.2)$$

where

F_i^p and F_i^r are the lateral forces on the piston bearings and rod bearings, respectively; and

K_i^p and K_i^r are the stiffnesses of the piston bearings and rod bearings, respectively, which are modeled as linear springs.

Equations (5.1) and (5.2) are combined to obtain

$$\begin{aligned} \theta &= \frac{F_1^p}{K_1^p \cdot (X^p + X_1^p)} = \frac{F_2^p}{K_2^p \cdot (X^p + X_2^p)} = \dots = \frac{F_M^p}{K_M^p \cdot (X^p + X_M^p)} \\ &= \frac{F_1^r}{K_1^r \cdot (X^r + X_1^r)} = \frac{F_2^r}{K_2^r \cdot (X^r + X_2^r)} = \dots = \frac{F_N^r}{K_N^r \cdot (X^r + X_N^r)} \end{aligned} \quad (5.3)$$

in which X^r and X^p are related by

$$X^r = GC - X^p \quad (5.4)$$

where GC = gland clearance (see Figure 17).

Absence of Kinematic Constraints

The moment across the sliding connection develops lateral forces on only the bearings and seals. Figure 17 shows the crookedness angle and the corresponding forces on the bearings and seals. Summation of vertical forces gives,

$$\sum_{i=1}^M F_i^p = \sum_{i=1}^N F_i^r \quad (5.5)$$

These forces are expressed in terms of θ using Equation (5.3) to obtain

$$\sum_{i=1}^M K_i^p \cdot X_i^p + X^p \cdot \sum_{i=1}^M K_i^p = \sum_{i=1}^N K_i^r \cdot X_i^r + GC \cdot \sum_{i=1}^N K_i^r - X^p \cdot \sum_{i=1}^N K_i^r$$

which may be solved for X^p

$$X^p = \frac{\sum_{i=1}^N K_i^r \cdot X_i^r + GC \cdot \sum_{i=1}^N K_i^r - \sum_{i=1}^M K_i^p \cdot X_i^p}{\sum_{i=1}^M K_i^p + \sum_{i=1}^N K_i^r} \quad (5.6)$$

Moments are summed about point C to obtain

$$\sum_{i=1}^M F_i^p \cdot (X^p + X_i^p) + \sum_{i=1}^N F_i^r \cdot (X^r + X_i^r) = M_G \quad (5.7)$$

where M_G is the bending moment at the sliding connection. The lateral forces in Equation (5.7) are expressed in terms of θ using Equation (5.3), which results in

$$\theta = \frac{M_G}{\sum_{i=1}^M K_i^p \cdot (X^p + X_i^p)^2 + \sum_{i=1}^N K_i^r \cdot (X^r + X_i^r)^2} \quad (5.8)$$

The displacements at the piston head front edge and at the stuffing box outside edge are,

$$\delta_f^p = (X^p + PHL) \cdot \theta \quad (5.9)$$

and

$$\delta_f^r = (X^r + SBL) \cdot \theta \quad (5.10)$$

where

PHL = piston head length; and

SBL = stuffing box length.

For a certain value of moment, if either δ_f^p is greater than PCL (piston clearance from cylinder wall), or δ_f^r is greater than RCL (rod clearance from stuffing box), the next case with one kinematic constraint

should be considered. If both the displacements are greater than the corresponding clearances, the proper type of one kinematic constraint case to be used is determined by noting whether δ_f^p exceeds PCL first or δ_f^r exceeds RCL as θ is increased in Equations (5.9) and (5.10). If δ_f^p exceeds PCL, the case with one kinematic constraint at the piston head front edge results, and if δ_f^r exceeds RCL, the case with one kinematic constraint at the outside edge of the stuffing box should be considered.

Presence of One Kinematic Constraint

Contact at the Piston Head Front Edge

The metal-to-metal contact of the front edge of the piston head with the cylinder wall (Figure 18) establishes that

$$\delta_f^p = \text{PCL}. \quad (5.11)$$

The crookedness angle is expressed as

$$\theta = \frac{\text{PCL}}{X^p + \text{PHL}} \quad (5.12)$$

with the sign of the moment at the sliding connection.

Summation of vertical forces gives,

$$F_f^p + \sum_{i=1}^M F_i^p = \sum_{i=1}^N F_i^r \quad (5.13)$$

where F_f^p = lateral contact point force at piston head front edge. Bearing forces in terms of θ , Equation (5.3), are substituted in Equation (5.13), and the equation for the lateral contact point force may be expressed as

$$F_f^p = \theta \cdot \left\{ \sum_{i=1}^N K_i^r \cdot X_i^r + \text{GC} \cdot \sum_{i=1}^N K_i^r - \sum_{i=1}^M K_i^p \cdot X_i^p - X^p \cdot \left(\sum_{i=1}^M K_i^p + \sum_{i=1}^N K_i^r \right) \right\}. \quad (5.14)$$

A summation of moments about the contact point yields

$$-\sum_{i=1}^M F_i^p \cdot (PHL - X_i^p) + \sum_{i=1}^N F_i^r \cdot (PHL + GC + X_i^r) = M_G \quad (5.15)$$

Equations (5.3) and (5.12) are equated to provide

$$F_i^p = \frac{PCL \cdot K_i^p \cdot (X^p + X_i^p)}{X^p + PHL} ; \quad i = 1 \text{ to } M$$

and

$$F_i^r = \frac{PCL \cdot K_i^r \cdot (GC - X^p + X_i^r)}{X^p + PHL} ; \quad i = 1 \text{ to } N. \quad (5.16)$$

Combination of Equations (5.15) and (5.16) results in

$$X^p = \frac{\sum_{i=1}^N (GC + X_i^r) \cdot (PHL + GC + X_i^r) \cdot K_i^r - \sum_{i=1}^M (PHL - X_i^p) \cdot X_i^p \cdot K_i^p - \frac{M_G \cdot PHL}{PCL}}{\frac{M_G}{PCL} + \sum_{i=1}^M K_i^p \cdot (PHL - X_i^p) + \sum_{i=1}^N K_i^r \cdot (PHL + GC + X_i^r)} \quad (5.17)$$

For all signs to be consistent, PCL must have the same sign as M_G ; hence, M_G/PCL is always positive.

The displacements at the piston head back edge and at the stuffing box outside edge are,

$$\delta_b^p = X^p \cdot \theta \quad (5.18)$$

and

$$\delta_f^r = (X^r + SBL) \cdot \theta. \quad (5.19)$$

For a certain value of moment, if either δ_b^p is greater than PCL, or δ_f^r is greater than RCL, the next case with two kinematic constraints should be considered. If both the displacements are greater than the corresponding clearances, the proper case of two kinematic constraints

to be used is determined by noting whether δ_b^p exceeds PCL first or δ_f^r exceeds RCL as θ is increased in the Equations (5.18) and (5.19). If δ_b^p exceeds PCL, the case with kinematic constraints at both edges of the piston head should be used, or if δ_f^r exceeds RCL, the case with kinematic constraints at the piston head front edge and at the stuffing box outside edge should be considered.

Contact at the Stuffing Box Outside Edge

The metal-to-metal contact of the stuffing box outside edge with the rod (Figure 19) establishes that,

$$\delta_f^r = RCL \quad (5.20)$$

The crookedness angle is expressed as

$$\theta = \frac{RCL}{GC - X^p + SBL} \quad (5.21)$$

with the sign of the moment at the sliding connection.

In the same manner as in the previous case, summation of vertical forces gives,

$$\sum_{i=1}^M F_i^p = \sum_{i=1}^N F_i^r + F_f^r \quad (5.22)$$

when bearing forces in terms of θ , Equation (5.3) is substituted in Equation (5.22), the lateral contact point force at the stuffing box outside edge is

$$F_f^r = \theta \cdot \left\{ X^p \cdot \left(\sum_{i=1}^M K_i^p + \sum_{i=1}^N K_i^r \right) - \left(\sum_{i=1}^N K_i^r \cdot X_i^r + GC \cdot \sum_{i=1}^N K_i^r - \sum_{i=1}^M K_i^p \cdot X_i^p \right) \right\} \quad (5.23)$$

Moments are summed about the contact point to obtain

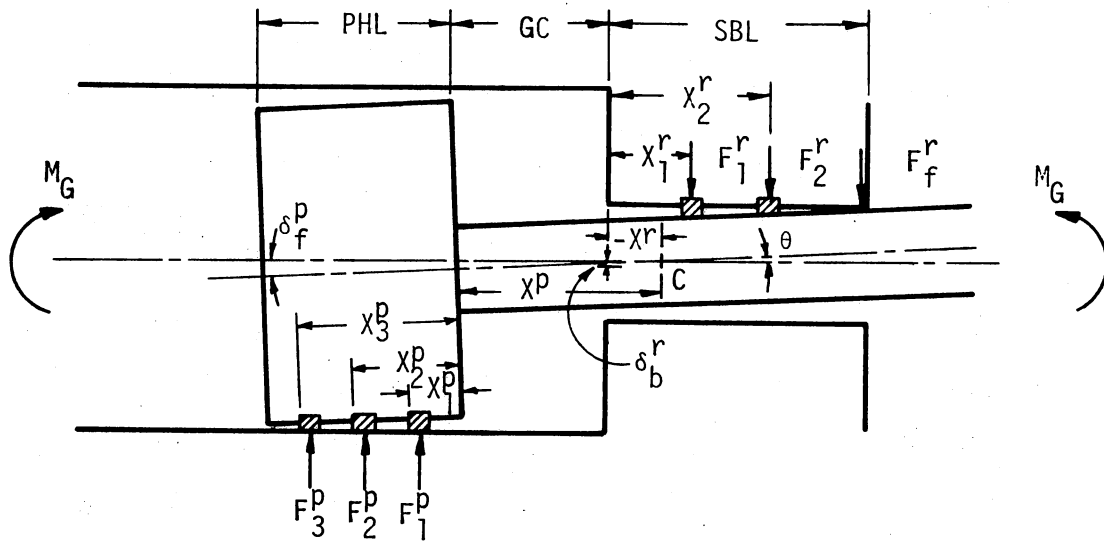


Figure 19. Contact at Stuffing Box Outside Edge

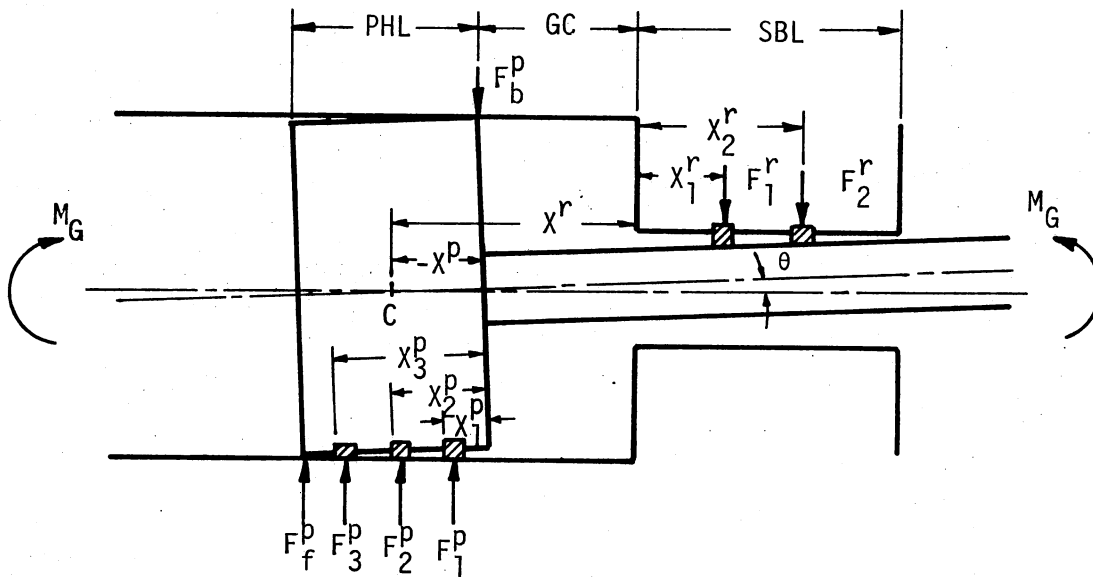


Figure 20. Contact at Piston Head Edges

$$\sum_{i=1}^M F_i^P \cdot (SBL+GC+X_i^P) - \sum_{i=1}^N F_i^R \cdot (SBL-X_i^R) = M_G \quad (5.24)$$

Equations (5.3) and (5.21) are equated to provide

$$F_i^P = \frac{RCL \cdot K_i^P \cdot (X^P + X_i^P)}{GC - X^P + SBL} ; \quad i = 1 \text{ to } M$$

and

$$F_i^R = \frac{RCL \cdot K_i^R \cdot (GC - X^P + X_i^R)}{GC - X^P + SBL} ; \quad i = 1 \text{ to } N. \quad (5.25)$$

Equation (5.25) is substituted in Equation (5.24) to yield

$$X^P = \frac{\sum_{i=1}^N (GC+X_i^R) \cdot (SBL-X_i^R) \cdot K_i^R - \sum_{i=1}^M (SBL+GC+X_i^P) \cdot X_i^P \cdot K_i^P + \frac{M_G \cdot (GC+SBL)}{RCL}}{\frac{M_G}{RCL} + \sum_{i=1}^M K_i^P \cdot (SBL+GC+X_i^P) + \sum_{i=1}^N K_i^R \cdot (SBL-X_i^R)} \quad (5.26)$$

Again, for all signs to be consistent, RCL must have the same sign as M_G ; hence, M_G/RCL is always positive.

The displacements at the piston head front edge and at the stuffing box inside edge are,

$$\delta_f^P = (X^P + PHL) \cdot \theta \quad (5.27)$$

and

$$\delta_b^R = X^R \cdot \theta. \quad (5.28)$$

For a certain value of moment, if either δ_f^P is greater than PCL, or δ_b^R is greater than RCL, the next case with two kinematic constraints should be considered. If both the displacements are greater than the corresponding clearances, the proper case of two kinematic constraints to be used is determined by noting whether δ_f^P exceeds PCL first or δ_b^R

exceeds RCL as θ is increased in Equations (5.27) and (5.28). If δ_f^p exceeds PCL, the case with kinematic constraints at the piston head front edge and at the stuffing box outside edge should be used, or if δ_b^r exceeds RCL, the case with kinematic constraints at both edges of the stuffing box should be considered.

Presence of Two Kinematic Constraints

Contact at Piston Head Edges

The metal-to-metal contact at the piston head edges with the cylinder wall (Figure 20) establishes that,

$$x^p = -PHL/2 \cdot \theta \quad (5.29)$$

and also,

$$\theta = 2 \cdot \theta(PCL)/PHL \quad (5.30)$$

with the sign of the moment at the sliding connection.

Moments are summed about the piston head backside contact point,

$$F_f^p \cdot PHL + \sum_{i=1}^M F_i^p \cdot x_i^p + \sum_{i=1}^N F_i^r \cdot (GC + x_i^r) = M_G$$

from which

$$F_f^p = \frac{M_G - \sum_{i=1}^M F_i^p \cdot x_i^p - \sum_{i=1}^N F_i^r \cdot (GC + x_i^r)}{PHL} \quad (5.31)$$

Summation of vertical forces gives the backside piston head edge contact point force,

$$F_b^p = F_f^p + \sum_{i=1}^M F_i^p - \sum_{i=1}^N F_i^r \quad (5.32)$$

Contact at Stuffing Box Edges

The metal-to-metal contact at the stuffing box edges with the rod (Figure 21) establishes that,

$$x^p = GC + SBL/2 \cdot 0 \quad (5.33)$$

and also,

$$\theta = 2 \cdot 0(RCL)/SBL \quad (5.34)$$

with the sign of the moment at the sliding connection.

Moments are summed about the stuffing box inside edge contact point,

$$F_f^r \cdot SBL + \sum_{i=1}^M F_i^p \cdot (GC + x_i^p) + \sum_{i=1}^N F_i^r \cdot x_i^r = M_G$$

from which

$$F_f^r = \frac{M_G - \sum_{i=1}^M F_i^p \cdot (GC + x_i^p) - \sum_{i=1}^N F_i^r \cdot x_i^r}{SBL} \quad (5.35)$$

The stuffing box inside contact point force is obtained from summation of vertical forces,

$$F_b^r = F_f^r + \sum_{i=1}^N F_i^r - \sum_{i=1}^M F_i^p \quad (5.36)$$

Contact at Piston Head Front and Stuffing Box Outside Edges

The metal-to-metal contact at the piston head front edge with the cylinder wall and the stuffing box outside edge with the rod (Figure 22) establishes that,

$$\theta = \frac{PCL + RCL}{PHL + GC + SBL} \quad (5.37)$$

with the sign of the moment at the sliding connection.

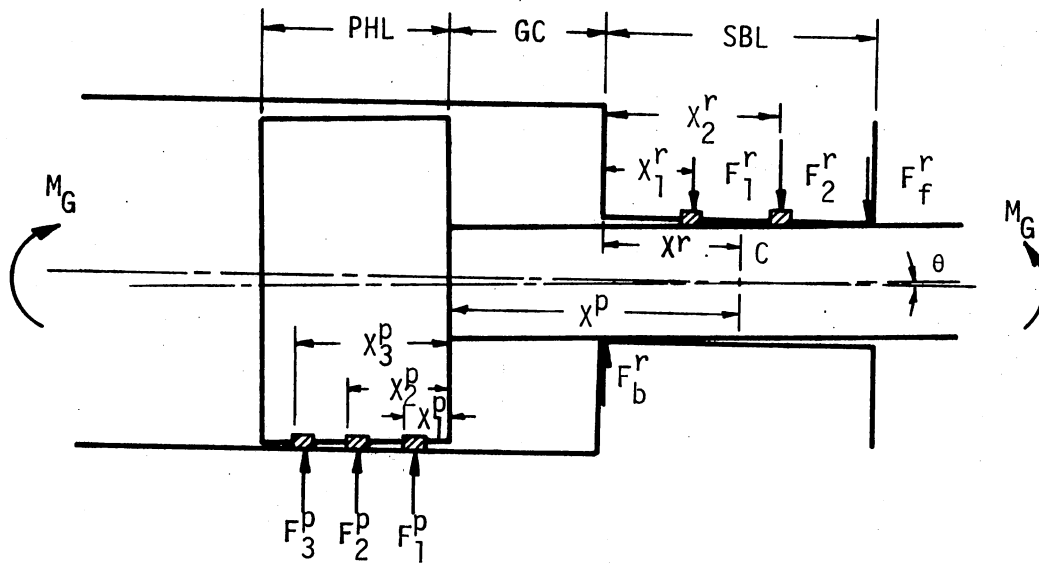


Figure 21. Contact at Stuffing Box Edges

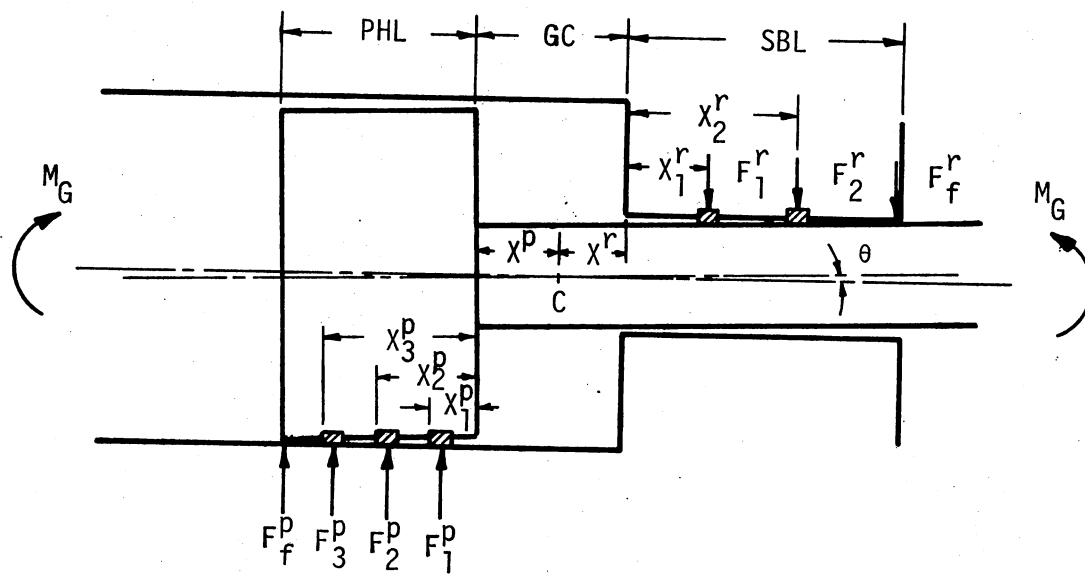


Figure 22. Contact at Piston Head Front and Stuffing Box Outside Edges

The distance of point C from the piston head backface is given by,

$$x^p = \frac{PCL}{\theta} - PHL \quad (5.38)$$

with PCL/θ being always positive for consistent sign convention.

Summation of moments about the stuffing box outside contact point gives,

$$F_f^p = \frac{M_G - \sum_{i=1}^M F_i^p \cdot (SBL + GC + x_i^p) + \sum_{i=1}^N F_i^r \cdot (SBL - x_i^r)}{PHL + GC + SBL} \quad (5.39)$$

Summation of vertical forces gives,

$$F_f^r = F_f^p + \sum_{i=1}^M F_i^p - \sum_{i=1}^N F_i^r. \quad (5.40)$$

Lateral Forces on Bearings and Seals

In all cases, after the crookedness angle, θ , is calculated, the lateral forces on the bearings and seals are calculated with Equation (5.3).

CHAPTER VI

ANALYSIS OF REGULAR CYLINDERS

Equations for moments, slopes and deflections at all points along the length of the cylinder are developed in this chapter for regular cylinders. The problem definition, assumptions and limitations and the modeling method are given in Chapter IV. Figure 23 shows the resulting system for regular cylinders with all forces and reactions.

In this analysis, differential equations for deflections are written for the cylinder and rod parts of the deflected cylinder. These differential equations are solved using the boundary and compatibility conditions to obtain the deflection equations. The slope equations are then obtained by differentiation of the deflection equations.

A line diagram of a typical hydraulic cylinder is shown in Figure 24 in three possible positions: perfectly straight; with an initial crookedness angle, θ' , at no axial load; and in a loaded condition with crookedness angle, θ , which increases with load. The system will progress through these three positions as an axial load is applied at the ends. It is clear that the deflection at any point in the system is partly due to the presence of the crookedness angle and partly due to the bending of the cylinder and rod elements. In Figure 24, the portion of the deflection from the perfectly straight position to the position indicated by the dotted lines is due to the crookedness angle, and the portion from the dotted lines to the bent position is due to the bending

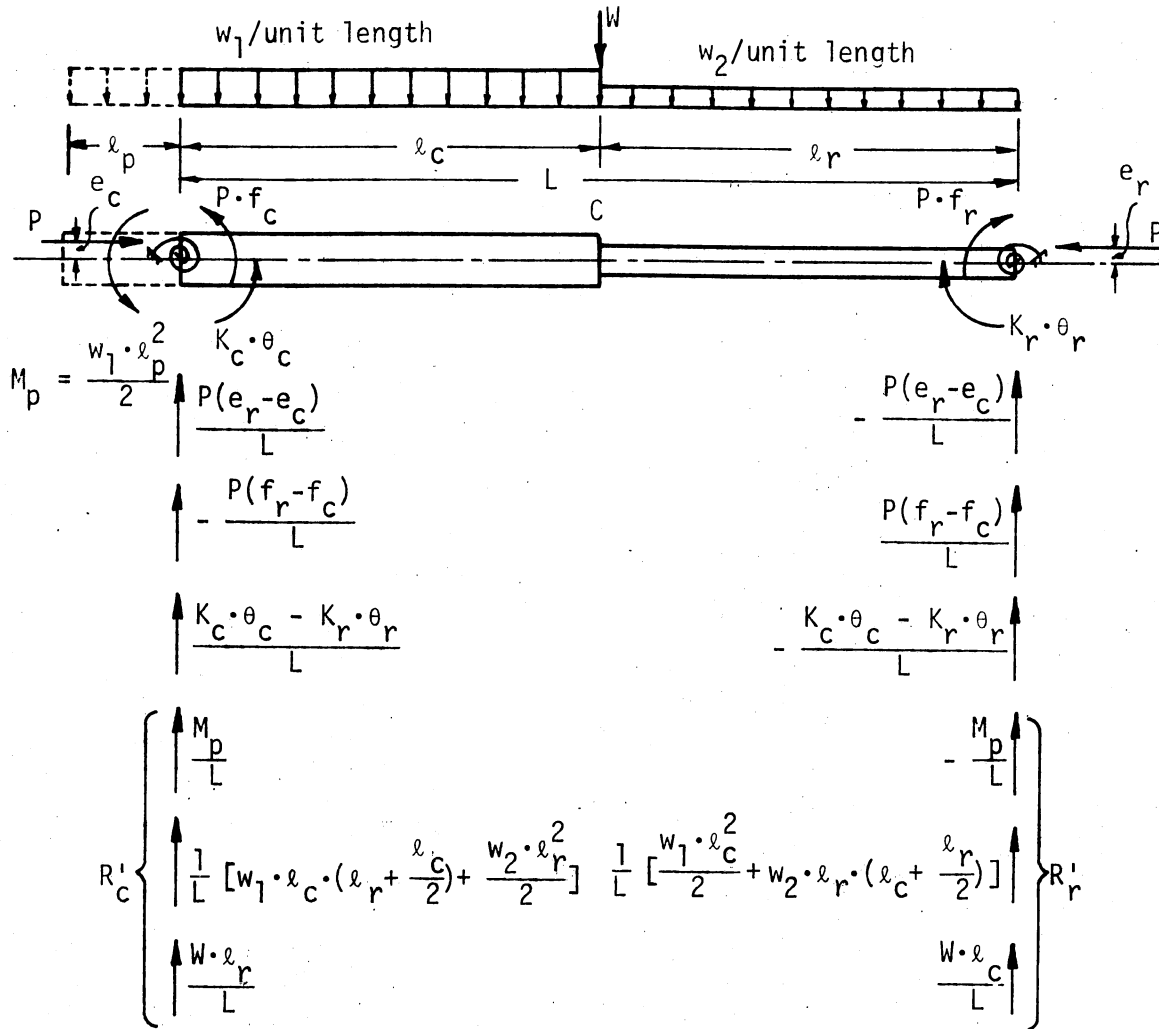


Figure 23. Forces and Reactions in a Regular Cylinder System

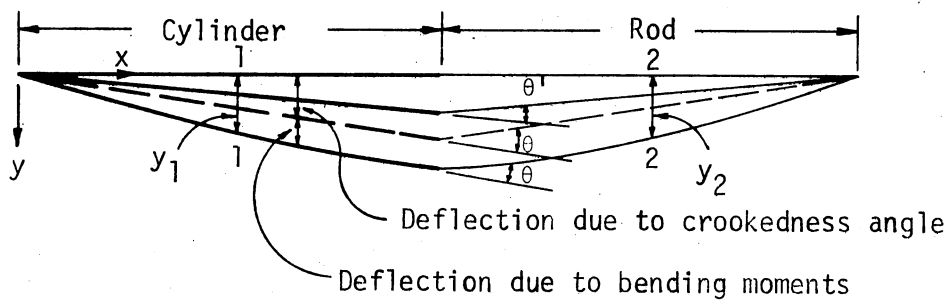


Figure 24. Line Diagram Showing the Deflected Positions of a Typical Hydraulic Cylinder

moments in the system. The differential equations in this analysis are written in terms of the total deflection.

At a typical section in the cylinder portion, e.g., Section 1-1, Figure 24, the bending moment due to curvature obtained from ordinary bending theory is

$$M_1 = -E_1 \cdot I_1 \cdot \frac{d^2 y_1}{dx^2} \quad (6.1)$$

where

E_1 = modulus of elasticity of the cylinder material; and

I_1 = moment of inertia of the cylinder part.

The bending moment at the same location due to the external loads and reactions is

$$M_1 = \frac{P \cdot (e_r - e_c)}{L} \cdot x - \frac{P \cdot (f_r - f_c)}{L} \cdot x + \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{L} \cdot x + R'_c \cdot x - M_p - P \cdot f_c - K_c \cdot \theta_c - \frac{W_1}{2} \cdot x^2 + P \cdot (e_c + y_1) \quad (6.2)$$

where

P = axial load on the cylinder;

L = length of the cylinder between supports;

e_c and e_r = eccentricities of loading at cylinder and rod supports, respectively;

θ_c and θ_r = slopes of the cylinder axis and rod axis at the cylinder support and rod support, respectively;

K_c and K_r = stiffnesses of the rotational springs at the cylinder and rod pin supports, respectively;

f_c and f_r = friction coefficient times the radius of the support pin at the cylinder and rod supports, respectively;

R'_c = lateral reaction at the cylinder support due to self weights of the system (see Figure 23);

M_p = moment at the cylinder support due to the self weight of the overhanging part of the cylinder;

w_1 = weight per unit length of the cylinder part; and

y_1 = deflection at any distance x in the cylinder part from the cylinder support.

For equilibrium, the internal and external moments must be equal; hence, Equations (6.1) and (6.2) may be combined to yield

$$\frac{d^2 y_1}{dx^2} + K_1^2 \cdot y_1 = K_1^2 \cdot \left[-\frac{e_r - e_c}{L} \cdot x + \frac{f_r - f_c}{L} \cdot x - \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{P \cdot L} \cdot x - \frac{R'_c}{P} \cdot x + \frac{M_p}{P} + f_c + \frac{K_c \cdot \theta_c}{P} + \frac{w_1}{2 \cdot P} \cdot x^2 - e_c \right] \quad (6.3)$$

where

$$K_1^2 = \frac{P}{E_1 \cdot I_1}$$

A similar analysis of a typical section in the rod portion, e.g., Section 2-2, results in

$$\begin{aligned} \frac{d^2 y_2}{dx^2} + K_2^2 \cdot y_2 = & K_2^2 \cdot \left[\frac{e_r - e_c}{L} \cdot (L-x) - \frac{f_r - f_c}{L} \cdot (L-x) \right. \\ & + \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{P \cdot L} \cdot (L-x) - \frac{R'_r}{P} \cdot (L-x) + f_r \\ & \left. + \frac{K_r \cdot \theta_r}{P} + \frac{w_2}{2 \cdot P} \cdot (L-x)^2 - e_r \right] \quad (6.4) \end{aligned}$$

where

$$K_2^2 = \frac{P}{E_2 \cdot I_2}$$

R'_r = lateral reaction at the rod support due to self weights of the system (see Figure 23);

w_2 = weight per unit length of the rod part;

and other variables are as defined earlier. Differential Equations (6.3) and (6.4) describe the load deflection behavior of the cylinder

and rod portions of the system.

The boundary and compatibility conditions which are to be enforced on the solutions of these equations are:

$$\begin{aligned}
 x = 0 & \quad y_1 = 0 \\
 x = L & \quad y_2 = 0 \\
 x = \ell_c & \quad y_1 = y_2 \\
 \text{and } x = \ell_c & \quad \frac{dy_1}{dx} - \theta = \frac{dy_2}{dx}
 \end{aligned} \tag{6.5}$$

The general solutions of Equations (6.3) and (6.4) are

$$\begin{aligned}
 y_1 = & C_1 \cdot \cos(K_1 \cdot x) + D_1 \cdot \sin(K_1 \cdot x) - \frac{e_r - e_c}{L} \cdot x + \frac{f_r - f_c}{L} \cdot x \\
 & - \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{P \cdot L} \cdot x - \frac{R'_c}{P} \cdot x + T_1 + \frac{K_c \cdot \theta_c}{P} + \frac{w_1}{2 \cdot P} \cdot x^2 \\
 & (0 \leq x \leq \ell_c) \tag{6.6}
 \end{aligned}$$

and

$$\begin{aligned}
 y_2 = & C_2 \cdot \cos(K_2 \cdot x) + D_2 \cdot \sin(K_2 \cdot x) + \frac{e_r - e_c}{L} \cdot (L-x) - \frac{f_r - f_c}{L} \cdot (L-x) \\
 & + \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{P \cdot L} \cdot (L-x) - \frac{R'_r}{P} \cdot (L-x) + T_2 + \frac{K_r \cdot \theta_r}{P} \\
 & + \frac{w_2}{2 \cdot P} \cdot (L-x)^2 \\
 & (\ell_c \leq x \leq L) \tag{6.7}
 \end{aligned}$$

where,

$$T_1 = \frac{M_p}{P} + f_c - e_c - \frac{w_1}{P \cdot K_1^2} \tag{6.8}$$

and

$$T_2 = f_r - e_r - \frac{w_2}{P \cdot K_2^2} \tag{6.9}$$

C_1 , C_2 , D_1 , and D_2 are constants to be determined using the boundary and compatibility conditions, Equation (6.5).

Application of the deflection boundary conditions at the ends yields:

$$C_1 = -T_1 - \frac{K_c \cdot \theta_c}{P} \quad (6.10)$$

and

$$C_2 = [-D_2 \cdot \sin(K_2 \cdot L) - T_2 - \frac{K_r \cdot \theta_r}{P}] \cdot \frac{1}{\cos(K_2 \cdot L)} \quad (6.11)$$

Application of the deflection compatibility condition at the sliding connection, i.e., at $x = \ell_c$, and substituting for C_1 and C_2 from Equations (6.10) and (6.11) yields

$$\begin{aligned} D_1 \cdot \sin(K_1 \cdot \ell_c) + D_2 \cdot \frac{\sin(K_2 \cdot \ell_r)}{\cos(K_2 \cdot L)} &= (T_1 + \frac{K_c \cdot \theta_c}{P}) \cdot \cos(K_1 \cdot \ell_c) \\ &- (T_2 + \frac{K_r \cdot \theta_r}{P}) \cdot \frac{\cos(K_2 \cdot \ell_c)}{\cos(K_2 \cdot L)} - T_3 \end{aligned} \quad (6.12)$$

where

$$T_3 = \frac{w_2}{P \cdot K_2^2} - \frac{w_1}{P \cdot K_1^2} \quad (6.13)$$

The equations for slopes are equal to the first derivative of the deflection Equations (6.6) and (6.7). These slope equations are

$$\begin{aligned} \frac{dy_1}{dx} &= -C_1 \cdot K_1 \cdot \sin(K_1 \cdot x) + D_1 \cdot K_1 \cdot \cos(K_1 \cdot x) - \frac{e_r - e_c}{L} + \frac{f_r - f_c}{L} \\ &- \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{P \cdot L} - \frac{R'_c}{P} + \frac{w_1}{P} \cdot x \quad (0 \leq x \leq \ell_c) \end{aligned} \quad (6.14)$$

and

$$\frac{dy_2}{dx} = -C_2 \cdot K_2 \cdot \sin(K_2 \cdot x) + D_2 \cdot K_2 \cdot \cos(K_2 \cdot x) - \frac{e_r - e_c}{L} + \frac{f_r - f_c}{L}$$

$$- \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{P \cdot L} + \frac{R'_r}{P} - \frac{w_2}{P} \cdot (L-x) \quad (\ell_c \leq x \leq L). \quad (6.15)$$

Application of the slope compatibility condition at the sliding connection, Equation (6.5), and substitution for C_1 and C_2 from Equations (6.10) and (6.11) yield:

$$\begin{aligned} D_1 \cdot K_1 \cdot \cos(K_1 \cdot \ell_c) - D_2 \cdot K_2 \cdot \frac{\cos(K_2 \cdot \ell_r)}{\cos(K_2 \cdot L)} \\ = (-T_1 - \frac{K_c \cdot \theta_c}{P}) \cdot K_1 \cdot \sin(K_1 \cdot \ell_c) \\ + (T_2 + \frac{K_r \cdot \theta_r}{P}) \cdot \frac{K_2 \cdot \sin(K_2 \cdot \ell_c)}{\cos(K_2 \cdot L)} + \frac{W_1}{P} + \theta \end{aligned} \quad (6.16)$$

where

$$W_1 = R'_c + R'_r - w_1 \cdot \ell_c - w_2 \cdot \ell_r.$$

Equations (6.12) and (6.16) are solved simultaneously to obtain

$$\begin{aligned} D_1 = \frac{1}{Q} \cdot \left[(T_1 + \frac{K_c \cdot \theta_c}{P}) \cdot \frac{K_2 - K_1 \cdot \tan(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_r)}{\tan(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_r)} \right. \\ - (T_2 + \frac{K_r \cdot \theta_r}{P}) \cdot \frac{K_2}{\sin(K_1 \cdot \ell_c) \cdot \sin(K_2 \cdot \ell_r)} \\ \left. - T_3 \cdot \frac{K_2}{\sin(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_r)} + (\theta + \frac{W_1}{P}) \cdot \frac{1}{\sin(K_1 \cdot \ell_c)} \right] \end{aligned} \quad (6.17)$$

and

$$\begin{aligned} D_2 = \frac{1}{Q} \cdot \left[(T_1 + \frac{K_c \cdot \theta_c}{P}) \cdot \frac{K_1 \cdot \cos(K_2 \cdot L)}{\sin(K_1 \cdot \ell_c) \cdot \sin(K_2 \cdot \ell_r)} \right. \\ \left. - (T_2 + \frac{K_r \cdot \theta_r}{P}) \cdot \frac{K_2 \cdot \tan(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_c) + K_1}{\tan(K_1 \cdot \ell_c) \cdot \sin(K_2 \cdot \ell_r)} \cdot \cos(K_2 \cdot \ell_c) \right] \end{aligned}$$

$$- T_3 \cdot \frac{K_1 \cdot \cos(K_2 \cdot L)}{\tan(K_1 \cdot \ell_c) \cdot \sin(K_2 \cdot \ell_r)} - \left(\theta + \frac{W_1}{P} \right) \cdot \frac{\cos(K_2 \cdot L)}{\sin(K_2 \cdot \ell_r)} \quad (6.18)$$

where,

$$Q = \frac{K_1}{\tan(K_1 \cdot \ell_c)} + \frac{K_2}{\tan(K_2 \cdot \ell_r)} \quad (6.19)$$

The values of the constants C_1 , C_2 , D_1 , and D_2 in the deflection Equations (6.6) and (6.7), and in the slope Equations (6.14) and (6.15) are given by Equations (6.10), (6.11), (6.17), and (6.18), respectively. The crookedness angle, θ , is determined by the method explained in Chapter V. Two other unknowns, θ_c and θ_r , exist in the deflection and slope equations and in the equations for the constants C_1 , C_2 , D_1 , and D_2 . These two unknown slopes at the supports are determined from the following slope boundary conditions.

$$x = 0 \quad \frac{dy_1}{dx} = \theta_c$$

and

$$x = L \quad \frac{dy_2}{dx} = \theta_r \quad (6.20)$$

Combination of Equations (6.10, 6.11, 6.14, 6.15, 6.17, 6.18, and 6.20) yields two equations of the form:

$$\theta_c \cdot A_{11} + \theta_r \cdot A_{12} = B_1 \quad (6.21)$$

and

$$\theta_c \cdot A_{21} + \theta_r \cdot A_{22} = B_2 \quad (6.22)$$

where,

$$A_{11} = 1 - \frac{K_c}{P} \cdot \frac{K_1 \cdot (K_2 - K_1 \cdot \tan(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_r))}{K_1 \cdot \tan(K_2 \cdot \ell_r) + K_2 \cdot \tan(K_1 \cdot \ell_c)} + \frac{K_c}{P \cdot L} \quad (6.23)$$

$$A_{12} = \frac{K_r}{P} \cdot \frac{K_1 \cdot K_2}{K_1 \cdot \tan(K_2 \cdot \ell_r) + K_2 \cdot \tan(K_1 \cdot \ell_c)} \cdot \frac{1}{\cos(K_1 \cdot \ell_c) \cdot \cos(K_2 \cdot \ell_r)} - \frac{K_r}{P \cdot L} \quad (6.24)$$

$$B_1 = \frac{K_1}{Q} \cdot [T_1 \cdot \frac{K_2 - K_1 \cdot \tan(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_r)}{\tan(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_r)} - T_2 \cdot \frac{K_2}{\sin(K_1 \cdot \ell_c) \cdot \sin(K_2 \cdot \ell_r)} - T_3 \cdot \frac{K_2}{\sin(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_r)} + (\theta + \frac{W_1}{P}) \cdot \frac{1}{\sin(K_1 \cdot \ell_c)}] - \frac{e_r - e_c}{L} + \frac{f_r - f_c}{L} - \frac{R'_c}{P} \quad (6.25)$$

$$A_{21} = - \frac{K_c}{P} \cdot \frac{K_1 \cdot K_2}{K_1 \cdot \tan(K_2 \cdot \ell_r) + K_2 \cdot \tan(K_1 \cdot \ell_c)} \cdot \frac{1}{\cos(K_1 \cdot \ell_c) \cdot \cos(K_2 \cdot \ell_r)} + \frac{K_c}{P \cdot L} \quad (6.26)$$

$$A_{22} = 1 + \frac{K_r}{P} \cdot \frac{K_2 \cdot \tan(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_c) + K_1}{K_1 \cdot \tan(K_2 \cdot \ell_r) + K_2 \cdot \tan(K_1 \cdot \ell_c)} \cdot \frac{K_2 \cdot \cos(K_2 \cdot \ell_c)}{\cos(K_2 \cdot \ell_r) \cdot \cos(K_2 \cdot L)} - \frac{K_r}{P} \cdot \frac{K_2 \cdot \sin(K_2 \cdot L)}{\cos(K_2 \cdot L)} - \frac{K_r}{P \cdot L} \quad (6.27)$$

$$B_2 = \frac{K_2}{Q} \cdot [T_1 \cdot \frac{K_1}{\sin(K_1 \cdot \ell_c) \cdot \sin(K_2 \cdot \ell_r)} - T_2 \cdot \frac{K_2 \cdot \tan(K_1 \cdot \ell_c) \cdot \tan(K_2 \cdot \ell_c) + K_1}{\tan(K_1 \cdot \ell_c) \cdot \sin(K_2 \cdot \ell_r)} \cdot \frac{\cos(K_2 \cdot \ell_c)}{\cos(K_2 \cdot L)} - T_3 \cdot \frac{K_1}{\tan(K_1 \cdot \ell_c) \cdot \sin(K_2 \cdot \ell_r)} - (\theta + \frac{W_1}{P}) \cdot \frac{1}{\sin(K_2 \cdot \ell_r)}] + T_2 \cdot K_2 \cdot \tan(K_2 \cdot L) - \frac{e_r - e_c}{L} + \frac{f_r - f_c}{L} + \frac{R'_r}{P} \quad (6.28)$$

Simultaneous solution of Equations (6.21) and (6.22) gives

$$\theta_c = \frac{B_1 \cdot A_{22} - A_{12} \cdot B_2}{A_{11} \cdot A_{22} - A_{12} \cdot A_{21}} \quad (6.29)$$

and

$$\theta_r = \frac{B_2 \cdot A_{11} - A_{21} \cdot B_1}{A_{11} \cdot A_{22} - A_{12} \cdot A_{21}} \quad (6.30)$$

Equations (6.10), (6.11), (6.17), (6.18), (6.29), and (6.30) give the values of all the six unknowns, C_1 , C_2 , D_1 , D_2 , θ_c , and θ_r , respectively, in the deflection Equations (6.6) and (6.7), and in the slope Equations (6.14) and (6.15).

The moment equation for the cylinder portion is given by Equation (6.2). Similarly, the moment equation for the rod portion is given by

$$\begin{aligned} M_2 = & - \frac{P \cdot (e_r - e_c)}{L} \cdot (L-x) + \frac{P \cdot (f_r - f_c)}{L} \cdot (L-x) \\ & - \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{L} \cdot (L-x) + R_r' \cdot (L-x) - P \cdot f_r - K_r \cdot \theta_r \\ & - \frac{w_2}{2} \cdot (L-x)^2 + P \cdot (e_r + y_2) \end{aligned} \quad (6.31)$$

CHAPTER VII

ANALYSIS OF TELESCOPING CYLINDERS

The analysis of a telescoping cylinder with an arbitrary number of tubes is developed in this chapter. For a cylinder with n tubes, there will be $n-1$ sliding connections. The numbering system for tubes and sliding connections is shown in Figure 25. This figure also shows the forces and reactions on a modeled telescoping cylinder. The modeling is the same as for regular cylinders and corresponds to the problem definition, assumptions, and limitations stated in Chapter IV.

The method of analysis is the same as for regular cylinders. Differential equations relating the deflections and loads are written for each tube and are solved using appropriate boundary and compatibility conditions. The solution of each differential equation will have two unknown constants, and in addition the slopes at the supports are unknowns in all equations. These $(2n + 2)$ unknowns are determined using two deflection boundary conditions at the supports, two slope boundary conditions at the supports, and a deflection and a slope continuity compatibility condition at each sliding connection.

The bending moment at any section in the first tube portion, Figure 25, due to the external forces and reactions is

$$M_1 = \frac{P(e_r - e_c)}{L} \cdot x - \frac{P(f_r - f_c)}{L} \cdot x + \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{L} \cdot x + R_c' \cdot x - M_p - P \cdot f_c - K_c \cdot \theta_c - \frac{w_1}{2} \cdot x^2 + P \cdot (e_c + y_1). \quad (7.1)$$

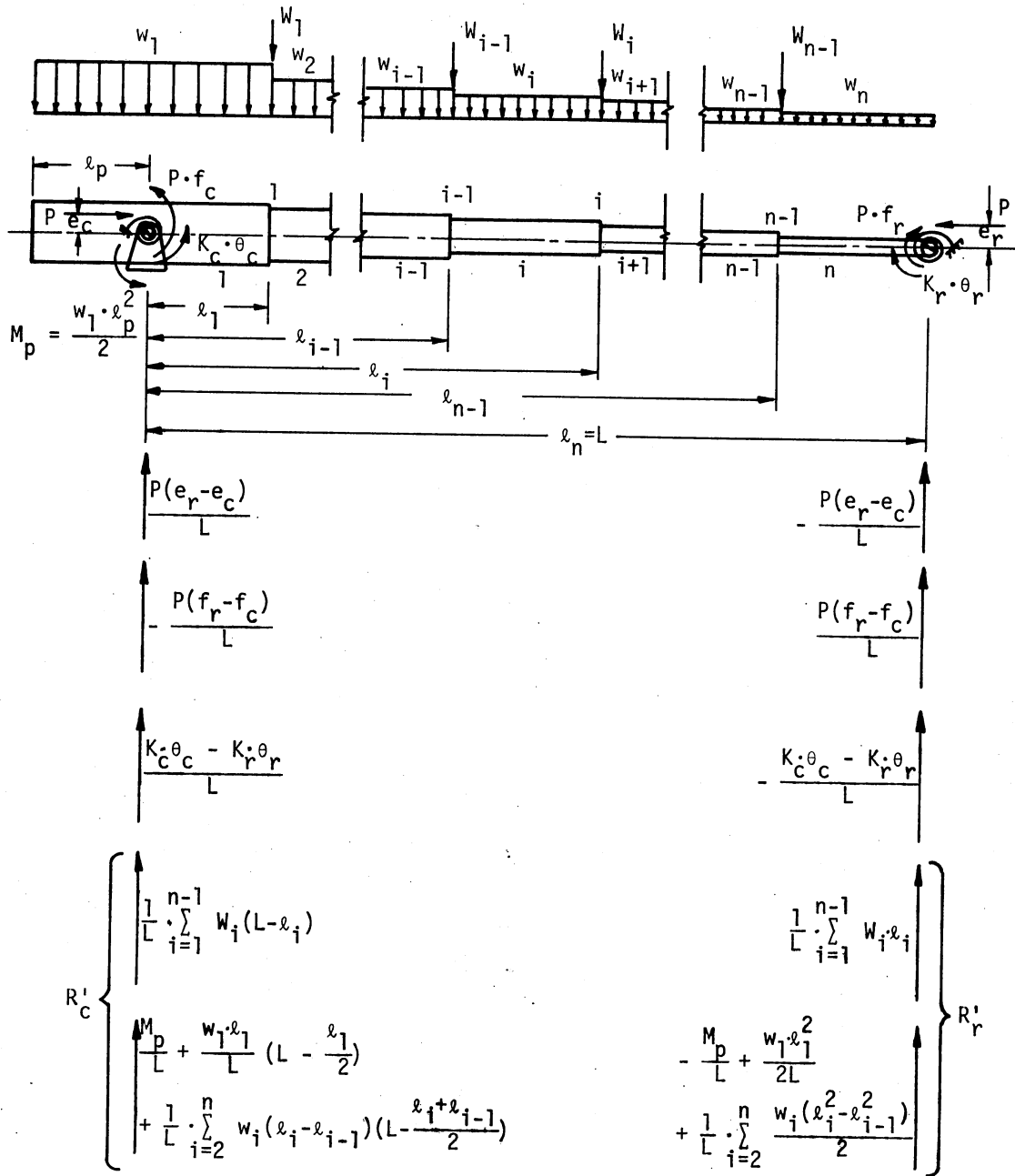


Figure 25. Forces and Reactions in a Telescoping Cylinder System

Similarly, for the second tube portion,

$$\begin{aligned}
 M_2 = & \frac{P(e_r - e_c)}{L} \cdot x - \frac{P(f_r - f_c)}{L} \cdot x + \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{L} \cdot x + R'_c \cdot x \\
 & - M_p - P \cdot f_c - K_c \cdot \theta_c - w_1 \cdot l_1 \cdot \left(x - \frac{l_1}{2}\right) - \frac{w_2}{2} \cdot (x - l_1)^2 \\
 & - W_1 \cdot (x - l_1) + P(e_c + y_2). \tag{7.2}
 \end{aligned}$$

For the tube portions 3 to n,

$$\begin{aligned}
 M_i = & \frac{P(e_r - e_c)}{L} \cdot x - \frac{P(f_r - f_c)}{L} \cdot x + \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{L} \cdot x + R'_c \cdot x \\
 & - M_p - P \cdot f_c - K_c \cdot \theta_c - w_1 \cdot l_1 \cdot \left(x - \frac{l_1}{2}\right) \\
 & - \sum_{j=2}^{i-1} w_j \cdot (l_j - l_{j-1}) \cdot \left(x - \frac{l_j + l_{j-1}}{2}\right) - \frac{w_i}{2} \cdot (x - l_{i-1})^2 \\
 & - \sum_{j=1}^{i-1} W_j \cdot (x - l_j) + P(e_c + y_i); \quad i = 3 \text{ to } n \tag{7.3}
 \end{aligned}$$

where the variables are as defined in Chapter VI.

At any section, the internal bending moment due to the curvature obtained from ordinary bending theory is

$$M_i = -E_i \cdot I_i \cdot \frac{d^2 y_i}{dx^2}; \quad i = 1 \text{ to } n. \tag{7.4}$$

For equilibrium, the internal and external moments must be equal; hence, Equations (7.1), (7.2), and (7.3) may be combined with Equation (7.4) to yield

$$\frac{d^2 y_1}{dx^2} + K_1^2 \cdot y_1 = -(Y_{c1} \cdot x + Y_{c2}) \cdot K_1^2 + \frac{K_1^2 \cdot w_1}{2 \cdot P} \cdot x^2 \tag{7.5}$$

$$\frac{d^2 y_2}{dx^2} + K_2^2 \cdot y_2 = -(Y_{c1} \cdot x + Y_{c2}) \cdot K_2^2 + \frac{w_1 \cdot l_1 \cdot K_2^2}{P} \cdot \left(x - \frac{l_1}{2}\right)$$

$$+ \frac{w_2 \cdot K_2^2}{2 \cdot P} \cdot (x - \ell_1)^2 + \frac{w_1 \cdot K_2^2}{P} \cdot (x - \ell_1) \quad (7.6)$$

$$\begin{aligned} \frac{d^2 y_i}{dx^2} + K_i^2 \cdot y_i = & -(Y_{c1} \cdot x + Y_{c2}) \cdot K_i^2 + \frac{w_1 \cdot \ell_1 \cdot K_i^2}{P} \cdot (x - \frac{\ell_1}{2}) \\ & + \frac{K_i^2}{P} \cdot \sum_{j=2}^{i-1} w_j \cdot (\ell_j - \ell_{j-1}) \cdot (x - \frac{\ell_j + \ell_{j-1}}{2}) \\ & + \frac{w_i \cdot K_i^2}{2 \cdot P} \cdot (x - \ell_{i-1})^2 + \frac{K_i^2}{P} \cdot \sum_{j=1}^{i-1} W_j \cdot (x - \ell_j); \quad i = 3 \text{ to } n \end{aligned} \quad (7.7)$$

where

$$K_i^2 = \frac{P}{E_i \cdot I_i}; \quad i = 1 \text{ to } n \quad (7.8)$$

$$Y_{c1} = \frac{e_r - e_c}{L} - \frac{f_r - f_c}{L} + \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{P \cdot L} + \frac{R'_c}{P} \quad (7.9)$$

and

$$Y_{c2} = -\frac{M_p}{P} - f_c - \frac{K_c \cdot \theta_c}{P} + e_c. \quad (7.10)$$

The general solution of Equations (7.5), (7.6), and (7.7) yields the deflection equations.

For tube portion 1,

$$\begin{aligned} y_1 = & C_1 \cdot \cos(K_1 \cdot x) + D_1 \cdot \sin(K_1 \cdot x) - Y_{c1} \cdot x - Y_{c2} \\ & + \frac{w_1}{2 \cdot P} \cdot x^2 - \frac{w_1}{P \cdot K_1^2} \end{aligned} \quad (7.11)$$

For tube portion 2,

$$y_2 = C_2 \cdot \cos(K_2 \cdot x) + D_2 \cdot \sin(K_2 \cdot x) - Y_{c1} \cdot x - Y_{c2}$$

$$+ \frac{w_1 \cdot \ell_1}{P} \cdot \left(x - \frac{\ell_1}{2}\right) + \frac{w_2}{2 \cdot P} (x - \ell_1)^2 - \frac{w_2}{P \cdot K_2^2} + \frac{w_1}{P} \cdot (x - \ell_1) \quad (7.12)$$

For tube portions 3 to n,

$$y_i = C_i \cdot \cos(K_i \cdot x) + D_i \cdot \sin(K_i \cdot x) - Y_{c1} \cdot x - Y_{c2} \\ + \frac{w_1 \cdot \ell_1}{P} \cdot \left(x - \frac{\ell_1}{2}\right) + \frac{1}{P} \cdot \sum_{j=2}^{i-1} w_j \cdot (\ell_j - \ell_{j-1}) \cdot \left(x - \frac{\ell_j + \ell_{j-1}}{2}\right) \\ + \frac{w_i}{2 \cdot P} \cdot (x - \ell_{i-1})^2 - \frac{w_i}{P \cdot K_i^2} + \frac{1}{P} \cdot \sum_{j=1}^{i-1} w_j \cdot (x - \ell_j); \quad i = 3 \text{ to } n \quad (7.13)$$

The equations for slopes are obtained from the first derivatives of the deflection Equations (7.11), (7.12), and (7.13). These slope equations are:

For tube portion 1,

$$\frac{dy_1}{dx} = -C_1 \cdot K_1 \cdot \sin(K_1 \cdot x) + D_1 \cdot K_1 \cdot \cos(K_1 \cdot x) - Y_{c1} + \frac{w_1}{P} \cdot x \quad (7.14)$$

For tube portion 2,

$$\frac{dy_2}{dx} = -C_2 \cdot K_2 \cdot \sin(K_2 \cdot x) + D_2 \cdot K_2 \cdot \cos(K_2 \cdot x) - Y_{c1} + \frac{w_1 \cdot \ell_1}{P} \\ + \frac{w_2}{P} \cdot (x - \ell_1) + \frac{w_1}{P} \quad (7.15)$$

For tube portions 3 to n,

$$\frac{dy_i}{dx} = -C_i \cdot K_i \cdot \sin(K_i \cdot x) + D_i \cdot K_i \cdot \cos(K_i \cdot x) - Y_{c1} + \frac{w_1 \cdot \ell_1}{P} \\ + \frac{1}{P} \cdot \sum_{j=2}^{i-1} w_j \cdot (\ell_j - \ell_{j-1}) + \frac{w_i}{P} \cdot (x - \ell_{i-1}) + \frac{1}{P} \cdot \sum_{j=1}^{i-1} w_j; \\ i = 3 \text{ to } n \quad (7.16)$$

In the above slope and deflection equations C_i and D_i , $i = 1$ to n , and θ_c and θ_r are the $(2n + 2)$ unknowns. The following $(2n + 2)$ boundary and compatibility conditions are used to determine these unknown constants.

The boundary conditions at the cylinder and rod supports are

$$x = 0 \quad \frac{dy_1}{dx} = \theta_c \quad (7.17)$$

$$x = 0 \quad y_1 = 0 \quad (7.18)$$

$$x = L \quad \frac{dy_n}{dx} = \theta_r \quad (7.19)$$

$$x = L \quad y_n = 0 \quad (7.20)$$

The compatibility conditions at each sliding connection are

$$x = \ell_i \quad y_i = y_{i+1} \quad i = 1 \text{ to } n-1 \quad (7.21)$$

$$x = \ell_i \quad \frac{dy_i}{dx} - \theta_i = \frac{dy_{i+1}}{dx} \quad i = 1 \text{ to } n-1 \quad (7.22)$$

Application of the boundary and compatibility conditions results in the following $(2n + 2)$ equations. Equation (7.17) yields,

$$\theta_c \cdot \left(1 + \frac{K_c}{P \cdot L}\right) - D_1 \cdot K_1 - \theta_r \cdot \frac{K_r}{P \cdot L} = -\frac{e_r - e_c}{L} + \frac{f_r - f_c}{L} - \frac{R'_c}{P} \quad (7.23)$$

Equation (7.18) yields,

$$\theta_c \cdot \frac{K_c}{P} + C_1 = -\frac{M_p}{P} - f_c + e_c + \frac{w_1}{P \cdot K_1^2} \quad (7.24)$$

Equation (7.19) yields,

$$\begin{aligned} \theta_c \cdot \frac{K_c}{P \cdot L} + C_n \cdot K_n \cdot \sin(K_n \cdot L) - D_n \cdot K_n \cdot \cos(K_n \cdot L) + \theta_r \cdot \left(1 - \frac{K_r}{P \cdot L}\right) = \\ -\frac{e_r - e_c}{L} + \frac{f_r - f_c}{L} - \frac{R'_c}{P} + \frac{w_1 \cdot \ell_1}{P} + \frac{1}{P} \cdot \sum_{j=2}^n w_j \cdot (\ell_j - \ell_{j-1}) \end{aligned}$$

$$+ \frac{1}{P} \cdot \sum_{j=1}^{n-1} W_j \quad (7.25)$$

Equation (7.20) yields,

$$\begin{aligned} C_n \cdot \cos(K_n \cdot L) + D_n \cdot \sin(K_n \cdot L) + \frac{K_r \cdot \theta_r}{P} &= e_r - f_r - \frac{M_p}{P} + \frac{R'_C}{P} \cdot L \\ - \frac{W_1 \cdot \ell_1}{P} \cdot \left(L - \frac{\ell_1}{2}\right) - \frac{1}{P} \cdot \sum_{j=2}^n W_j \cdot (\ell_j - \ell_{j-1}) \cdot \left(L - \frac{\ell_j + \ell_{j-1}}{2}\right) \\ + \frac{W_n}{P \cdot K_n^2} - \frac{1}{P} \cdot \sum_{j=1}^{n-1} W_j \cdot (L - \ell_j) & \end{aligned} \quad (7.26)$$

Equation (7.21) yields,

$$\begin{aligned} C_{i-1} \cdot \cos(K_{i-1} \cdot \ell_{i-1}) + D_{i-1} \cdot \sin(K_{i-1} \cdot \ell_{i-1}) - C_i \cdot \cos(K_i \cdot \ell_{i-1}) \\ - D_i \cdot \sin(K_i \cdot \ell_{i-1}) = \frac{W_{i-1}}{P \cdot K_{i-1}^2} - \frac{W_i}{P \cdot K_i^2} ; \quad i = 2 \text{ to } n \end{aligned} \quad (7.27)$$

Equation (7.22) yields,

$$\begin{aligned} -C_{i-1} \cdot K_{i-1} \cdot \sin(K_{i-1} \cdot \ell_{i-1}) + D_{i-1} \cdot K_{i-1} \cdot \cos(K_{i-1} \cdot \ell_{i-1}) \\ + C_i \cdot K_i \cdot \sin(K_i \cdot \ell_{i-1}) - D_i \cdot K_i \cdot \cos(K_i \cdot \ell_{i-1}) \\ = \theta_{i-1} + \frac{W_{i-1}}{P} ; \quad i = 2 \text{ to } n \end{aligned} \quad (7.28)$$

Equations (7.23) through (7.28) are solved simultaneously to determine the unknown terms. To simplify the solution, these equations are arranged in a matrix form as shown below.

$$[S] \{U\} = \{R\} \quad (7.29)$$

The matrix form, shown in Figure 26, is solved for the unknown vector $\{U\}$,

$$\begin{bmatrix}
 (1 + \frac{K_c}{pL}) & 0 & -K_1 & 0 & 0 & 0 & 0 & \dots & 0 & 0 & 0 & 0 & -\frac{K_r}{pL} \\
 \frac{K_c}{p} & 1.0 & 0 & 0 & 0 & 0 & 0 & \dots & 0 & 0 & 0 & 0 & 0 \\
 0 & C(K_1 t_1) & S(K_1 t_1) & -C(K_2 t_1) & -S(K_2 t_1) & 0 & 0 & \dots & 0 & 0 & 0 & 0 & 0 \\
 0 & -K_1 S(K_1 t_1) & K_1 C(K_1 t_1) & K_2 S(K_2 t_1) & -K_2 C(K_2 t_1) & 0 & 0 & \dots & 0 & 0 & 0 & 0 & 0 \\
 0 & 0 & 0 & C(K_2 t_2) & S(K_2 t_2) & -C(K_3 t_2) & -S(K_3 t_2) & \dots & 0 & 0 & 0 & 0 & 0 \\
 0 & 0 & 0 & -K_2 S(K_2 t_2) & K_2 C(K_2 t_2) & K_3 S(K_3 t_2) & -K_3 C(K_3 t_2) & \dots & 0 & 0 & 0 & 0 & 0 \\
 \vdots & \vdots & \vdots & \vdots & \vdots & \vdots & \vdots & \ddots & \vdots & \vdots & \vdots & \vdots & \vdots \\
 0 & 0 & 0 & 0 & 0 & 0 & 0 & \dots & C(K_{n-1} t_{n-1}) & S(K_{n-1} t_{n-1}) & -C(K_n t_{n-1}) & -S(K_n t_{n-1}) & 0 \\
 0 & 0 & 0 & 0 & 0 & 0 & 0 & \dots & -K_{n-1} S(K_{n-1} t_{n-1}) & K_{n-1} C(K_{n-1} t_{n-1}) & K_n S(K_n t_{n-1}) & -K_n C(K_n t_{n-1}) & 0 \\
 0 & 0 & 0 & 0 & 0 & 0 & 0 & \dots & 0 & 0 & C(K_n L) & S(K_n L) & \frac{K_r}{p} \\
 \frac{K_c}{pL} & 0 & 0 & 0 & 0 & 0 & 0 & \dots & 0 & 0 & -K_n S(K_n L) & -K_n C(K_n L) & (1 - \frac{K_r}{pL})
 \end{bmatrix}
 \begin{bmatrix}
 e_c \\
 C_1 \\
 D_1 \\
 C_2 \\
 D_2 \\
 C_3 \\
 \vdots \\
 C_{n-1} \\
 D_{n-1} \\
 C_n \\
 D_n \\
 e_r
 \end{bmatrix}
 =
 \begin{bmatrix}
 -\frac{e_r - e_c}{L} + \frac{f_r - f_c}{L} - \frac{R'_c}{p} \\
 e_c - f_c - \frac{M_B}{p} + \frac{W_1}{PK^2} \\
 \frac{W_1}{PK^2} - \frac{W_2}{PK^2} \\
 e_1 + \frac{W_1}{p} \\
 \frac{W_2}{PK^2} - \frac{W_3}{PK^2} \\
 e_2 + \frac{W_2}{p} \\
 \vdots \\
 \frac{W_{n-1}}{PK^2} - \frac{W_n}{PK^2} \\
 e_{n-1} + \frac{W_{n-1}}{p} \\
 e_r - f_r - \frac{M_B}{p} + \frac{R'_c}{p} L - \frac{W_1 t_1}{p} (L - \frac{t_1}{2}) - \frac{1}{p} \sum_{i=2}^{n-1} W_i (x_i - x_{i-1}) (L - \frac{t_i + t_{i-1}}{2}) + \frac{W_n}{PK^2} - \frac{1}{p} \sum_{j=1}^{n-1} W_j (L - x_j) \\
 -\frac{e_r - e_c}{L} + \frac{f_r - f_c}{L} - \frac{R'_c}{p} + \frac{W_1 t_1}{p} + \frac{1}{p} \sum_{i=2}^n W_i (x_i - x_{i-1}) + \frac{1}{p} \sum_{j=1}^{n-1} W_j
 \end{bmatrix}$$

Figure 26. Matrix Form of Equations

$$\{U\} = [S]^{-1} \{R\} \quad (7.30)$$

The crookedness angle at each sliding connection is determined as described in Chapter V. Once the crookedness angles and the unknown constants C_i 's and D_i 's and the end slopes θ_c and θ_r are determined, the moment, deflection, and slope at any section in the system are determined from Equations (7.1) to (7.3), (7.11) to (7.13), and (7.14) to (7.16), respectively.

CHAPTER VIII

ANALYSIS OF TIE ROD CYLINDERS

The presence of tie rods increases the capacity of the cylinder to resist bending; however, the cylinder with tie rods has an additional form of failure due to the potential separation of the cap or head from the cylinder body resulting in fluid leakage. This separation failure is mainly due to the combination of stretch in the tie rods when the fluid load is transferred through them to the mountings and longitudinal contraction with radial expansion of the cylinder due to fluid pressure. Either or both of these factors may cause the separation, depending on the cylinder mounting position, the piston head position in the cylinder, and the side on which pressure is applied.

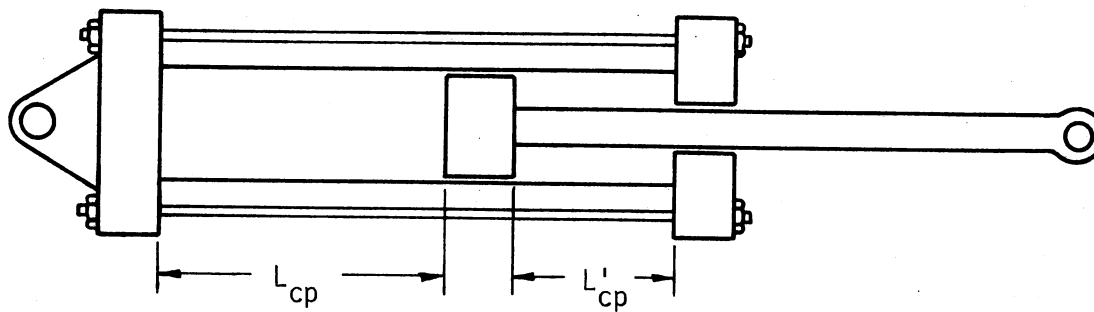
Two independent analyses are required for cylinders with tie rods: first, to determine the separation pressures for different piston head positions and pressurized sides in a straight cylinder; and second, to determine the failure load for a fully extended cylinder due to excessive stress resulting from axial load and bending. Equations for these independent analyses are developed in the following sections.

Analysis for Separation Pressures

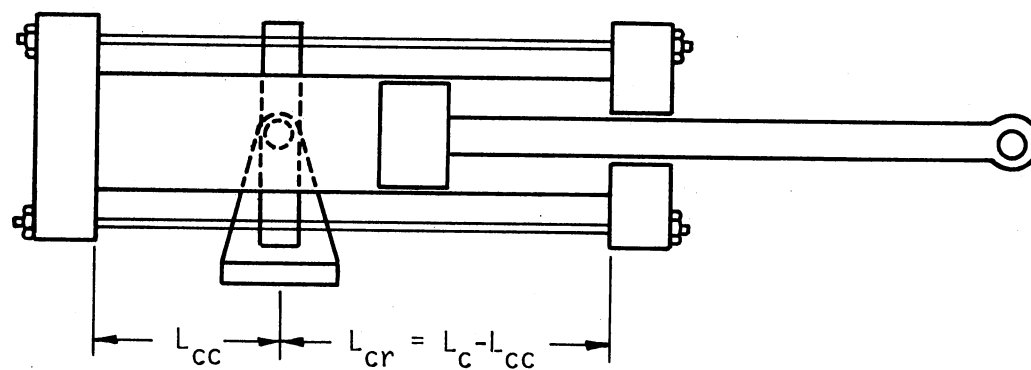
Due to the initial tensioning of the tie rods, there exists a longitudinal compressive stress in the cylinder wall. When the cylinder is pressurized, the load on the rod end is transferred through the fluid

to the cylinder mountings. Whether the load transfer takes place through the tie rods or not, and whether there is cylinder longitudinal contraction due to fluid pressure or not depends on: (1) the type of cylinder mount (cap mounting, intermediate mounting or head mounting (see Figure 27)); (2) piston head position; and (3) pressurized side (rod side or cap side).

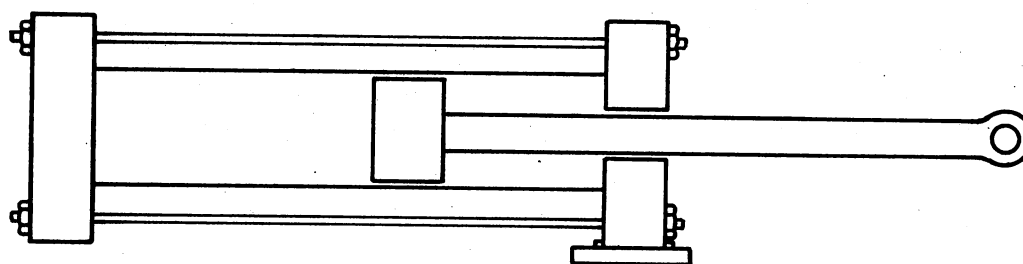
When the piston head is in the position shown in Figure 28(a) with pressure on the cap side, only a very small length of the cylinder is subjected to pressure and hence there is no axial contraction of the cylinder due to pressure. As the piston head moves away from the cap, the pressurized length of cylinder increases and the axial cylinder contraction due to hoop and radial stresses increases. The axial contraction is maximum when piston head is very close to the cylinder head or when it is in contact with the cylinder head. Depending on the type of mounting, for the fully extended position, the load may or may not be transferred through the tie rods. In cap-mounted cylinders, Figure 27(a), the load is not transferred through the tie rod during the forward stroke until the piston head comes in contact with the cylinder head. In other cases of mounting, Figures 27(b) and 27(c), the load is always carried through the tie rods. When the pressure is relieved from the cap side and applied to the rod side, initially there is no cylinder contraction, but as the piston head moves toward the cap the pressurized length of cylinder increases and hence cylinder contraction increases correspondingly. Cylinder contraction is maximum when the piston head is very close to the cap or in contact with the cap. Again, for this backward stroke, depending on the type of mounting, the load may or may not be carried through the tie rods. For each mounting style, the



(a) Cylinder Mounting at Cap

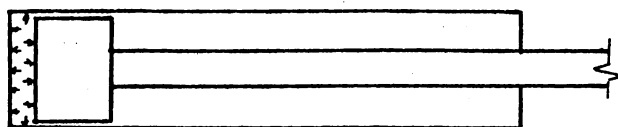


(b) Intermediate Cylinder Mounting

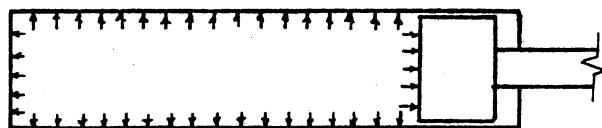


(c) Cylinder Mounting at Head

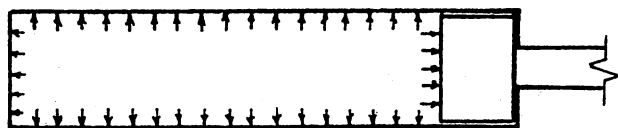
Figure 27. Cylinder Mounting Positions



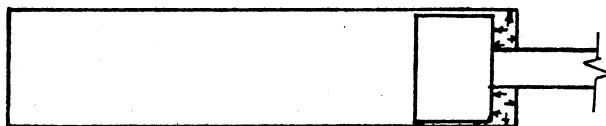
- (a) Case 1: Pressure on cap side; P.H. (piston head) very close to cap



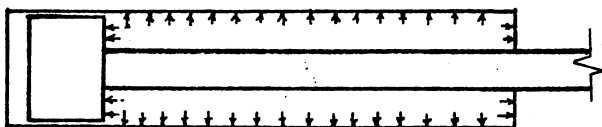
- (b) Case 2: Pressure on cap side; P.H. anywhere along the length but not in contact with cylinder head



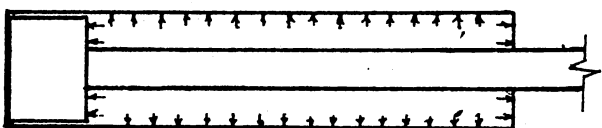
- (c) Case 3: Pressure on cap side; P.H. in contact with cylinder head



- (d) Case 4: Pressure on rod side; P.H. very close to cylinder head



- (e) Case 5: Pressure on rod side; P.H. anywhere along the length but not in contact with cylinder cap.



- (f) Case 6: Pressure on rod side; P.H. in contact with cylinder cap

Figure 28. Piston Head Positions and Pressurization Side Combinations

separation pressure for any piston head position during a cycle of operation can be defined by six equations. These equations are developed in the following sections.

The six different cases that result from different piston head positions and pressurized side are shown in Figure 28. Separation occurs when the longitudinal compressive load on the cylinder wall reduces to zero due to tie-rod stretch and longitudinal contraction of the cylinder. To develop the equations for compressive load on the cylinder, the following equilibrium equations and compatibility conditions are used.

Combinations of forces at the cap and head ends of the cylinder and at an intermediate support are shown in Figure 29, for the mounting cases shown in Figure 27, and piston/pressure cases shown in Figure 28. Equilibrium is described by the following equations.

At cap end:

$$F_t - (F_c \text{ or } F_{cc}) - (P \text{ or } P' \text{ or zero}) = 0 \quad (8.1)$$

At intermediate support:

$$F_{cc} - F_{cr} \pm (P \text{ or } P' \text{ or zero}) = 0 \quad (8.2)$$

At head end:

$$(F_c \text{ or } F_{cr}) - F_t + (P \text{ or } P' \text{ or zero}) = 0 \quad (8.3)$$

where

F_t = final force in tie rods;

F_c = final axial force on cylinder wall;

F_{cc} and F_{cr} = final axial force on cylinder wall on the cap side and on the head side, respectively, in the cylinder supported at an intermediate point;

P = axial compressive load on cylinder during a forward stroke; and

Mounting Style (Fig 27)	Piston and Pressure Case (Fig 28)	At Cap	At Intermediate Support	At Head
Cap Mounting (Fig 27(a))	1 and 2			
	3			
	4, 5 and 6			
Intermediate Mounting (Fig 27(b))	1 and 2			
	3			
	4 and 5			
	6			
Head Mounting (Fig 27(c))	1, 2 and 3			
	4 and 5			
	6			

Figure 29. Equilibrium Equations

P' = axial tensile load on cylinder during a backward stroke.

The compatibility condition that applies to all the cases is

$$\delta_t + \delta_c = 0 \quad (8.4)$$

where

δ_t = change in length of the tie rods due to pressurization of the cylinder; and

δ_c = change in length of the cylinder tube due to pressurization of the cylinder.

The change in length of tie rods, δ_t , for all cases is given by

$$\delta_t = - \frac{(F_i - F_t) \cdot L_t}{A_t \cdot E_t} \quad (8.5)$$

where

F_i = force in tie rods = force on cylinder wall, before pressurization;

L_t = length of tie rods between tie rod nuts;

A_t = total cross sectional area of tie rods; and

E_t = modulus of elasticity of tie rod material.

The change in length of the cylinder, δ_c , is due to two effects: first, δ_{chr} , due to hoop and radial stresses in the pressurized part of the cylinder; and second, δ'_c , due to change in axial force on the cylinder wall.

$$\delta_c = \delta_{chr} + \delta'_c \quad (8.6)$$

The change in length of the cylinder due to hoop and radial stresses is due to the Poisson's ratio effect and is given by

$$\delta_{chr} = \frac{\nu_c}{E_c} \cdot (S_h + S_r) \cdot L_x \quad (8.7)$$

where

μ_c = Poisson's ratio of the cylinder material; and

E_c = modulus of elasticity of the cylinder material.

L_x is either L_{cp} or L'_{cp} , Figure 27(a), the pressurized length of the cylinder, depending on which side of the piston head is pressurized.

S_h and S_r , the hoop and radial stresses, respectively, at any radial distance, r , are given by

$$S_h = \frac{a^2 \cdot \bar{p}}{b^2 - a^2} \cdot \left(1 + \frac{b^2}{r^2}\right) = \frac{A_b \cdot \bar{p}}{A_c} \cdot \left(1 + \frac{b^2}{r^2}\right) \quad (8.8)$$

and

$$S_r = \frac{a^2 \cdot \bar{p}}{b^2 - a^2} \cdot \left(1 - \frac{b^2}{r^2}\right) = \frac{A_b \cdot \bar{p}}{A_c} \cdot \left(1 - \frac{b^2}{r^2}\right) \quad (8.9)$$

where

a = inner radii of the cylinder tube;

b = outer radii of the cylinder tube;

A_b = bore area of the cylinder tube; and

A_c = cross sectional area of the cylinder wall.

\bar{p} is either p or p' , depending on which side of the piston head is pressurized, where p is the fluid pressure on the cap side and p' is the fluid pressure on the head side.

Substitution of Equations (8.8) and (8.9) in Equation (8.7) yields

$$\delta_{chr} = \frac{\mu_c}{E_c} \cdot \left(2 \cdot \bar{p} \cdot \frac{A_b}{A_c}\right) \cdot L_x \quad (8.10)$$

which is independent of the radial distance, and hence, the axial contraction of the cylinder due to hoop and radial stresses is constant at all radial distances.

The change in length of the cylinder due to change in the axial force, δ'_c , depends on the type of mounting. For cap or head mounting,

$$\delta'_c = - \frac{(F_i - F_c) \cdot L_c}{A_c \cdot E_c} \quad (8.11)$$

where L_c = length of the cylinder tube.

In the case of intermediate mounting, the axial force in the cylinder to the left of the mounting differs from that to the right by a quantity equal to P or P' , or may be the same on both sides (see equilibrium equations, Figure 29), depending on the piston head position.

Hence,

$$\delta'_c = - \frac{(F_i - F_{cc}) \cdot L_{cc}}{A_c \cdot E_c} - \frac{(F_i - F_{cr}) \cdot (L_c - L_{cc})}{A_c \cdot E_c} . \quad (8.12)$$

Substitution of Equations (8.5) and (8.10) and either Equations (8.11) and (8.12) as appropriate into the compatibility condition, Equation (8.4), and into the corresponding equilibrium condition, from Figure 29, permits evaluation of the compressive force on the cylinder and the tension in the tie rods for all cases of mountings, piston head positions and pressurized sides. Once the equations for the axial force in the cylinder wall are determined, the separation pressures, p_s , are evaluated by equating the cylinder wall force to zero and solving for P or P' (which is p_s times the corresponding bore area, A_b or A'_b). The resulting equations for the forces in the cylinder wall and tie rods and for the separation pressures for all six cases (Figure 28) of each mounting position (Figure 27) are given in the following sections.

Cylinder Mounted at Cap

Case 1 (Figure 28(a)):

$$F_c = F_i = F_t. \quad (8.13)$$

Separation will not occur at any pressure.

Case 2 (Figure 28(b)):

$$F_c = F_i - 2 \cdot P \cdot \mu_c \cdot \frac{L_{cp}}{A_c \cdot E_c} \cdot Z = F_t \quad (8.14)$$

where

$$Z = \frac{1}{\frac{L_t}{A_t \cdot E_t} + \frac{L_c}{A_c \cdot E_c}} \quad (8.15)$$

$$p_s = \frac{F_i / A_b}{2 \cdot \mu_c \cdot \frac{L_{cp}}{A_c \cdot E_c} \cdot Z} \quad (8.16)$$

Case 3 (Figure 28(c)):

$$F_c = F_i + \frac{P \cdot L_c}{A_c \cdot E_c} \cdot (1 - 2 \cdot \mu_c \cdot \frac{L_{cp}}{L_c}) \cdot Z - P \quad (8.17)$$

$$F_t = F_c + P \quad (8.18)$$

$$p_s = \frac{F_i / A_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot (1 - 2 \cdot \mu_c \cdot \frac{L_{cp}}{L_c}) \cdot Z} \quad (8.19)$$

Case 4 (Figure 28(d)):

$$F_c = F_i - P' + \frac{P' \cdot L_c}{A_c \cdot E_c} \cdot Z \quad (8.20)$$

$$F_t = F_c + P' \quad (8.21)$$

$$p_s = \frac{F_i / A'_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot Z} \quad (8.22)$$

Cases 5 and 6 (Figures 28(e) and (f)):

$$F_c = F_i - P' + \frac{P' \cdot L_c}{A_c \cdot E_c} \cdot (1 - 2 \cdot \mu_c \cdot \frac{A_b \cdot L'_{cp}}{A'_b \cdot L_c}) \cdot Z \quad (8.23)$$

$$F_t = F_c + P' \quad (8.24)$$

$$p_s = \frac{F_i/A_b'}{1 - \frac{L_c}{A_c \cdot E_c} \cdot (1 - 2 \cdot \mu_c \cdot \frac{A_b \cdot L_{cp}'}{A_b' \cdot L_c}) \cdot Z} \quad (8.25)$$

Cylinder With Intermediate Mount

Case 1 (Figure 28(a)):

$$F_{cc} = F_i + \frac{P \cdot L_{cc}}{A_c \cdot E_c} \cdot Z - P \quad (8.26)$$

$$F_{cr} = F_{cc} + P = F_t \quad (8.27)$$

$$p_s = \frac{F_i/A_b}{1 - \frac{L_{cc}}{A_c \cdot E_c} \cdot Z} \quad (8.28)$$

Case 2 (Figure 28(b)):

$$F_{cc} = F_i - P + \frac{P \cdot L_{cc}}{A_c \cdot E_c} \cdot (1 - 2 \cdot \mu_c \cdot \frac{L_{cp}}{L_{cc}}) \cdot Z \quad (8.29)$$

$$F_{cr} = F_{cc} + P = F_t \quad (8.30)$$

$$p_s = \frac{F_i/A_b}{1 - \frac{L_{cc}}{A_c \cdot E_c} \cdot (1 - 2 \cdot \mu_c \cdot \frac{L_{cp}}{L_{cc}}) \cdot Z} \quad (8.31)$$

Case 3 (Figure 28(c)):

$$F_{cc} = F_{cr} = F_i + \frac{P \cdot L_c}{A_c \cdot E_c} \cdot (1 - 2 \cdot \mu_c \cdot \frac{L_{cp}}{L_c}) \cdot Z - P \quad (8.32)$$

$$F_t = F_{cc} + P \quad (8.33)$$

$$p_s = \frac{F_i/A_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot (1 - 2 \cdot \mu_c \cdot \frac{L_{cp}}{L_c}) \cdot Z} \quad (8.34)$$

Case 4 (Figure 28(d)):

$$F_{cc} = F_i + \frac{P' \cdot L_c}{A_c \cdot E_c} \cdot \left(1 - \frac{L_{cc}}{L_c}\right) \cdot Z = F_t \quad (8.35)$$

$$F_{cr} = F_{cc} - P' \quad (8.36)$$

$$p_s = \frac{F_i/A'_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot \left(1 - \frac{L_{cc}}{L_c}\right) \cdot Z} \quad (8.37)$$

Case 5 (Figure 28(e)):

$$F_{cc} = F_i + \frac{P' \cdot L_c}{A_c \cdot E_c} \cdot \left(1 - \frac{L_{cc}}{L_c} - 2 \cdot \mu_c \cdot \frac{L'_{cp} \cdot A_b}{L_c \cdot A'_b}\right) \cdot Z = F_t \quad (8.38)$$

$$F_{cr} = F_{cc} - P' \quad (8.39)$$

$$p_s = \frac{F_i/A'_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot \left(1 - \frac{L_{cc}}{L_c} - 2 \cdot \mu_c \cdot \frac{L'_{cp} \cdot A_b}{L_c \cdot A'_b}\right) \cdot Z} \quad (8.40)$$

Case 6 (Figure 28(f)):

$$F_{cc} = F_{cr} = F_i - P' + \frac{P' \cdot L_c}{A_c \cdot E_c} \cdot \left(1 - 2 \cdot \mu_c \cdot \frac{A_b \cdot L'_{cp}}{A'_b \cdot L_c}\right) \cdot Z \quad (8.41)$$

$$F_t = F_{cc} + P' \quad (8.42)$$

$$p_s = \frac{F_i/A'_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot \left(1 - 2 \cdot \mu_c \cdot \frac{A_b \cdot L'_{cp}}{A'_b \cdot L_c}\right) \cdot Z} \quad (8.43)$$

Cylinder Mounted at Head

Case 1 (Figure 28(a)):

$$F_c = F_i + \frac{P \cdot L_c}{A_c \cdot E_c} \cdot Z - P \quad (8.44)$$

$$F_t = F_c + P \quad (8.45)$$

$$p_s = \frac{F_i/A_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot Z} \quad (8.46)$$

Cases 2 and 3 (Figures 28(b) and (c)):

$$F_c = F_i + \frac{P \cdot L_c}{A_c \cdot E_c} \cdot \left(1 - 2 \cdot \mu_c \cdot \frac{L_{cp}}{L_c}\right) \cdot Z - P \quad (8.47)$$

$$F_t = F_c + P \quad (8.48)$$

$$p_s = \frac{F_i/A_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot \left(1 - 2 \cdot \mu_c \cdot \frac{L_{cp}}{L_c}\right) \cdot Z} \quad (8.49)$$

Case 4 (Figure 28(d)):

$$F_c = F_i = F_t \quad (8.50)$$

Separation will not occur at any pressure.

Case 5 (Figure 28(e)):

$$F_c = F_i - 2 \cdot \mu_c \cdot P' \cdot \frac{L'_{cp} \cdot A_b}{A_c \cdot E_c \cdot A'_c} \cdot Z = F_t \quad (8.51)$$

$$p_s = \frac{F_i/A'_b}{2 \cdot \mu_c \cdot \frac{L'_{cp} \cdot A_b}{A_c \cdot E_c \cdot A'_c} \cdot Z} \quad (8.52)$$

Case 6 (Figure 28(f)):

$$F_c = F_i - P' + \frac{P' \cdot L_c}{A_c \cdot E_c} \cdot \left(1 - 2 \cdot \mu_c \cdot \frac{A_b \cdot L'_{cp}}{A'_b \cdot L_c}\right) \cdot Z \quad (8.53)$$

$$F_t = F_c + P' \quad (8.54)$$

$$p_s = \frac{F_i/A'_b}{1 - \frac{L_c}{A_c \cdot E_c} \cdot \left(1 - 2 \cdot \mu_c \cdot \frac{A_b \cdot L'_{cp}}{A'_b \cdot L_c}\right) \cdot Z} \quad (8.55)$$

Bending Analysis

The procedure for bending analysis of cylinders with tie rods is virtually the same as that for regular cylinders except that modifications to account for the effects of tie rod forces are required. When the cylinder is deflected due to loading, the cylinder bends, but the tie rods, due to initial tensioning, remain straight. Forces in all tie rods are initially equal; however, due to curvature of the cylinder, the end blocks rotate and result in unequal tie rod forces across the cylinder. This difference in forces develops a constant moment along the cylinder part which acts in an opposite direction to the moments due to applied loads. Hence, the addition of tie rods increases the bending capacity of the cylinder. The method of analysis is as described in Chapter IV.

The tie rod moment for any deflected shape of the cylinder is determined as follows. As indicated in Figure 30, the change in length of the top tie rods due to bending, δ_{tm} , is

$$\delta_{tm} = R \cdot (\theta_c - \theta_g) \quad (8.56)$$

where

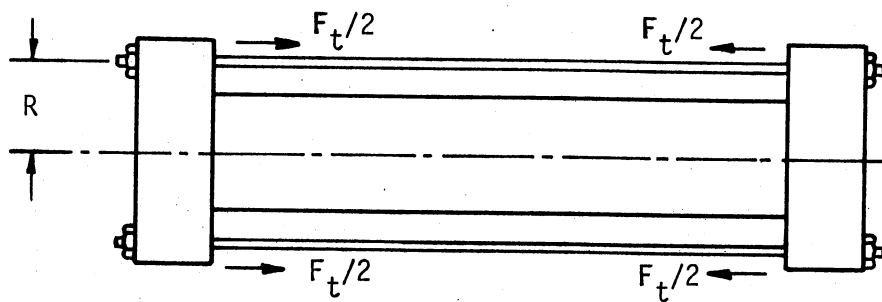
R = distance of the axis of the top or bottom tie rods from the axis of the cylinder in the plane of bending (see Figure 30(a));

θ_c = slope of the cylinder at the cylinder support; and

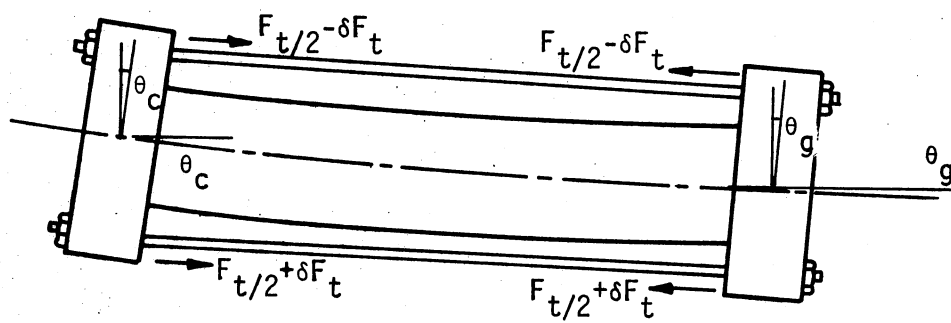
θ_g = slope of the cylinder at the step point c .

By linear stress-strain relations, the change in top tie rods force, δF_t , is

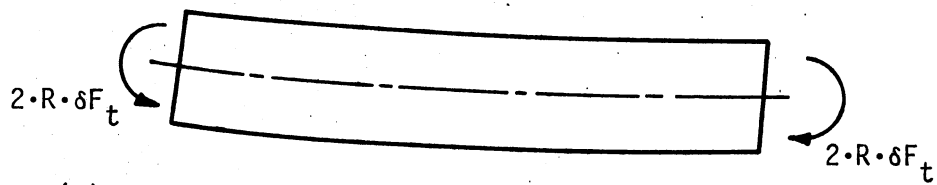
$$\delta F_t = \frac{\delta_{tm} \cdot (A_t/2) \cdot E_t}{L_t} = \frac{\delta_{tm}}{2} \cdot \frac{A_t \cdot E_t}{L_t} \quad (8.57)$$



(a) Initial Tie Rod Forces in Straight Position



(b) Final Tie Rod Forces in Deflected Position



(c) Resulting Tie Rod Moment on Cylinder

Figure 30. Determination of Tie Rod Moment

The force in the top tie rods with the cylinder straight and pressurized is $F_t/2$. The tie rod force, F_t , is determined from Equation (8.14) or (8.30), depending on the mounting position. Final force in the top tie rods is

$$F_{\text{top}} = \frac{F_t}{2} - \delta F_t \quad (8.58)$$

By symmetry, the final force in the bottom tie rods is

$$F_{\text{bot}} = \frac{F_t}{2} + \delta F_t \quad (8.59)$$

The tie rod moment due to the difference in tie rods force is

$$M_t = 2 \cdot R \cdot \delta F_t = R^2 \cdot (\theta_c - \theta_g) \cdot \frac{A_t \cdot E_t}{L_t} \quad (8.60)$$

In the analysis the tie rod stresses are checked for yielding and for compressive stress.

The equations for moments, slopes, and deflections are the same as developed for regular cylinders with the following modifications to account for the tie rod moment.

The moment equation for the cylinder portion is obtained by adding a term ($-M_t$) to Equation (6.2). The moment equation for the rod portion remains the same as Equation (6.31).

The equations for slopes and deflections in the cylinder portion and rod portion and the equations for slopes at the supports are the same as slope Equations (6.14) and (6.15) and deflection Equations (6.6) and (6.7), and slope at support Equations (6.29) and (6.30) with T'_1 and T'_3 instead of T_1 and T_3 in all these equations and in all other equations (Equations (6.10) (6.17) (6.18) (6.25) and (6.28)) in regular cylinder analysis involving T_1 and T_3 where,

$$T_1' = T_1 + \frac{M_t}{P} \quad (8.61)$$

and

$$T_3' = T_3 + \frac{M_t}{P} . \quad (8.62)$$

In the tie rod moment Equation (8.60), the cylinder part slope at the sliding connection, θ_g , is an unknown, which is obtained by evaluation of Equation (6.14) at $x = \ell_1$,

$$\begin{aligned} \theta_g = & -C_1 \cdot K_1 \cdot \sin(K_1 \cdot \ell_1) + D_1 \cdot K_1 \cdot \cos(K_1 \cdot \ell_1) - \frac{e_r - e_c}{L} \\ & + \frac{f_r - f_c}{L} - \frac{K_c \cdot \theta_c - K_r \cdot \theta_r}{P \cdot L} - \frac{R_c'}{P} + \frac{\omega_1 \cdot \ell_1}{P} . \end{aligned} \quad (8.63)$$

CHAPTER IX

STRESS CALCULATIONS

Failures in cylinders can occur due to: excessive axial stress; excessive hoop stress; a combination of axial, bending, and hoop stresses resulting in excessive axial and shear stresses; or, excessive lateral deflection. The methods for calculation of these stresses are developed in the following sections.

The analyses developed in Chapters VI, VII, and VIII give the equations for moments, slopes, and deflections in the cases of regular, telescoping, and tie rod cylinders. The bending stresses can be determined from the bending moments by ordinary bending theory. For any particular values of axial load and corresponding fluid pressure, the axial direct stress and the hoop stresses can be calculated. Shear stresses resulting from the combination of axial, bending, and hoop stresses can be calculated by the theory of elasticity. The equations for calculation of these stresses for the three types of cylinders are given below.

Axial Stresses

Axial stresses act parallel to axis of the cylinder and are produced by the axial loading on the system. Due to the presence of the sliding connection, there are no axial stresses in regular and tie rod cylinders. The axial stress in the rod part is compressive and is given by one of

the following equations depending on whether the rod is solid, or hollow with or without internal fluid pressure.

Solid rod:

$$\sigma_a = \frac{4 \cdot P}{\pi \cdot d_{ro}^2} ; \quad (9.1)$$

Hollow rod without fluid pressure:

$$\sigma_a = \frac{4 \cdot P}{\pi \cdot (d_{ro}^2 - d_{ri}^2)} ; \quad (9.2)$$

Hollow rod with fluid pressure:

$$\sigma_a = \frac{p \cdot (d_{ci}^2 - d_{ri}^2)}{(d_{ro}^2 - d_{ri}^2)} ; \quad (9.3)$$

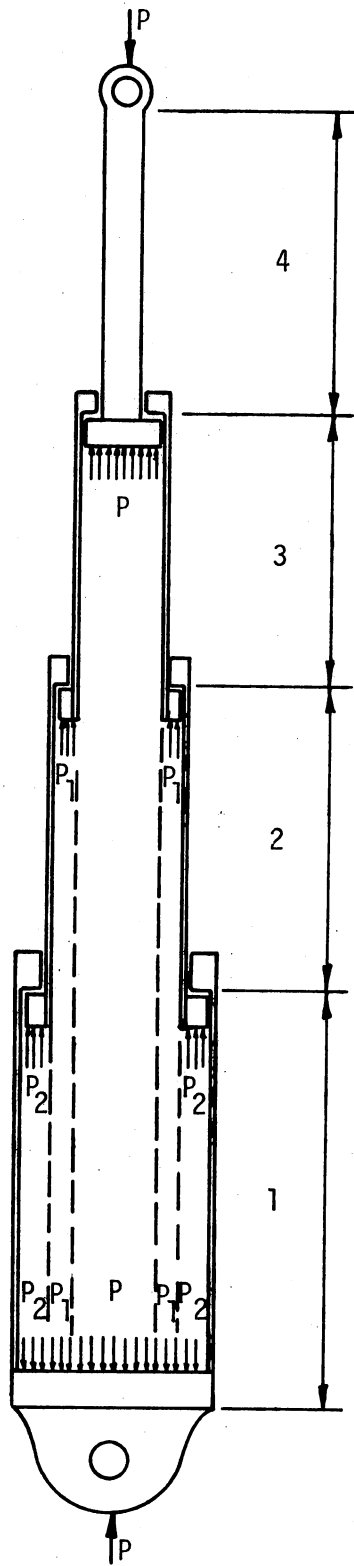
where

d_{ro} = outer diameter of the rod;

d_{ri} = inner diameter of the rod; and

d_{ci} = inner diameter of the cylinder tube.

In telescoping cylinders, there will be uniform axial compressive stress in the innermost tube (or rod) due to the axial loading given by Equations (9.1), (9.2), or (9.3) depending on whether the rod is solid, hollow without fluid pressure or hollow with fluid pressure. In Equation (9.3), d_{ci} is the inner diameter of the second innermost tube. There will be no axial stress due to axial loading or fluid pressure in the second innermost tube. In the remaining tubes there will be uniform axial tensile stresses due to the fluid pressure (Figure 31). The general equation for calculating this tensile stress in any tube in a telescoping cylinder with n tubes is



Uniform Compressive Stress } = $\frac{P}{(CA)_4}$

Zero Axial Stress

Uniform Tensile Stress } = $\frac{P_1}{(CA)_2}$

Uniform Tensile Stress } = $\frac{P_1+P_2}{(CA)_1}$

$(CA)_i$ = Cross Sectional Area of Tube i

Figure 31. Axial Stresses in a Telescopic Cylinder

$$\sigma_a = \frac{p \cdot (d_{i,j}^2 - d_{i,n-1}^2)}{(d_{o,j}^2 - d_{i,j}^2)} ; j = 1 \text{ to } n-2 \quad (9.4)$$

where

$d_{i,j}$ = inner diameter of the j th tube; and

$d_{o,j}$ = outer diameter of the j th tube.

Bending Stresses

The bending stress at any point in the system is given by

$$\sigma_b = \frac{BM \cdot r}{MI} \quad (9.5)$$

The bending moment, BM , at any section is given by the moment equations derived in earlier chapters. r is the radial distance from the centroidal axis at which bending stress is required. MI is the moment of inertia at the section.

Bending stresses and axial stresses both act in the axial direction and may be either additive or subtractive. Maximum bending stresses at a section occur at the extreme fibers and, in a span of constant cross section, at the location of maximum bending moment. The maximum bending moment in a span with constant cross section is determined from the moment equations derived earlier for each type of cylinder.

Hoop Stresses

Hoop stress varies from a maximum at the inner surface of a tube to a minimum at the outer surface. At the inner surface of a pressurized tube the hoop stress is

$$\sigma_{hi} = p \cdot \frac{d_{o,j}^2 + d_{i,j}^2}{d_{o,j}^2 - d_{i,j}^2} ; j = 1 \text{ to } n \quad (9.6)$$

and at the outer surface is

$$\sigma_{ho} = p \cdot \frac{2 \cdot d_{i,j}^2}{d_{o,j}^2 - d_{i,j}^2} ; j = 1 \text{ to } n \quad (9.7)$$

Hoop stresses act perpendicular to the axial and bending stresses.

Shear Stresses

The stresses (axial plus bending stresses and hoop stresses) of an elemental square having sides parallel to the axis and perpendicular to the centroidal axis of the cylinder are the principal stresses. Hence, the maximum shear stress at any point is given by

$$\sigma_s = \frac{(\sigma_h) + (\sigma_a + \sigma_b)}{2} \quad (9.8)$$

with appropriate signs for σ_h , σ_a , and σ_b .

Stress Failure Criteria

The critical load occurs when the stress at any point exceeds a corresponding prescribed limiting stress. The stresses to be compared with limiting stresses in each tube are:

1. Total stress in the axial direction (axial plus bending stresses) at the extreme fibers at the point of maximum bending moment in each tube.
2. Maximum hoop stress in each tube.
3. The shear stresses at the point of maximum bending moment in each tube, at the outermost element and the innermost element of the wall. The shear stress can be maximum at the innermost element or the outermost element depending on the wall thickness of the tube, pressure in the tube, and the bending moment at the section.

CHAPTER X

COMPUTER PROGRAMS AND APPLICATIONS OF THE ANALYSES

Computer Programs

The analytical procedures described in the preceding chapters for regular, telescoping and tie rod cylinders have been programmed for solution on a digital computer. The programs are written in FORTRAN IV language and should require only minor revisions to be operable on other computers. The three programs SACREG, SACTEL, and SACTIE are for the stress and deflection analysis of regular, telescopic and tie rod cylinders, respectively.

All three programs have two options in common: (1) determination of the critical load and analysis for the critical load and for a factored load. The safety factor can be applied to either the limiting stresses or to the critical load; (2) analysis of the system for any input operating pressure. Programs SACREG and SACTIE also provide for the determination of the required stop tube length to limit the crookedness angle and the forces on the bearings to input values.

The programs generate automatically as much of the required data as possible in order to minimize the amount of input data and to permit the solution of as many problems as desired on a single run. The inputs required in general are the dimensions of the major parts, material properties, inclination, support conditions, support pin friction

coefficients, and loading eccentricities at the supports.

The results given by the programs are: the critical load and the corresponding pressure, the factored load and the corresponding pressure, or load corresponding to input pressure and the required length of stop tube; the maximum longitudinal stresses, maximum deflections, their locations, and existing factor of safety on these stresses, in the cylinder tube part and rod part; hoop stresses, maximum shear stresses and their locations, and the existing factor of safety on these stresses; the longitudinal stresses at supports in the case of fixed supports and the corresponding factor of safety; the crookedness angle, lateral forces on each bearing, and the metal to metal contact forces, if any.

Descriptions of the programs, flow charts, guides for data input, example problems and results, and listings for programs SACREG, SACTEL, and SACTIE are given in Appendices A, B, and C, respectively.

Example Problems

The example problems for all three programs are given in Appendix A, B and C, respectively. The example problems for each program illustrate all options of the program and all the possible variations and alternatives in the input data. A listing of the input data is included with the results.

Parametric Studies

Limited parametric studies of regular cylinders for variations in the crookedness angle, loading eccentricity and friction coefficient have been performed. The effect of each parameter on the critical load for various stroke lengths was investigated for a horizontal cylinder

with pinned ends.

Ideal conditions shown in the Figures 32, 33 and 34 are zero crookedness angle, zero friction coefficients and zero loading eccentricities. The cylinder chosen for the parametric study is the first example cylinder described in Appendix A.

Effect of Crookedness Angle

Variations in crookedness angles were introduced by varying the clearances between the piston head and cylinder wall, and between the stuffing box and rod. Figure 32 shows the variation of the critical load with respect to stroke length at several constant values of crookedness angle. The curves indicate that the effect of crookedness angle decreases as the stroke length increases.

Effect of Eccentric Loading

Figure 33 indicates that positive eccentricities decrease the critical load for all stroke lengths where the effects of self weights and eccentricities are additive. Small negative eccentricities increase the critical load for all stroke lengths because the effect of self weight is opposite to the effect of the eccentric loading. At longer strokes the interacting self weight and eccentric loading effects result in higher critical loads than for the ideal situations.

Effect of Friction Coefficients

Parametric study on friction coefficients is shown for a cylinder with rotating pins. In cylinders with rotating pins small positive friction coefficients result in slightly higher critical loads than for

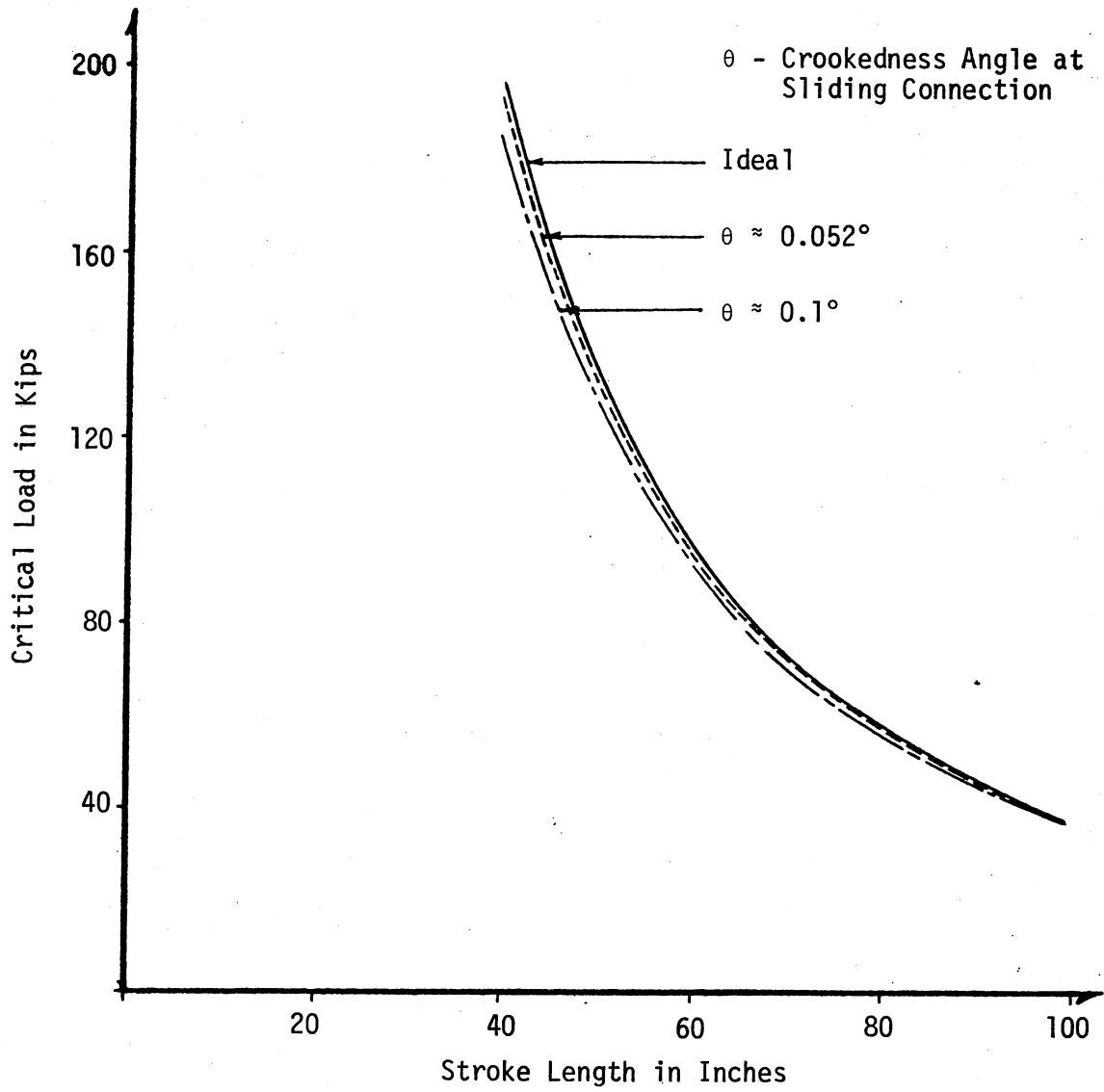


Figure 32. Effect of Crookedness Angle on Critical Load Versus Stroke Variation for Cylinder REG1

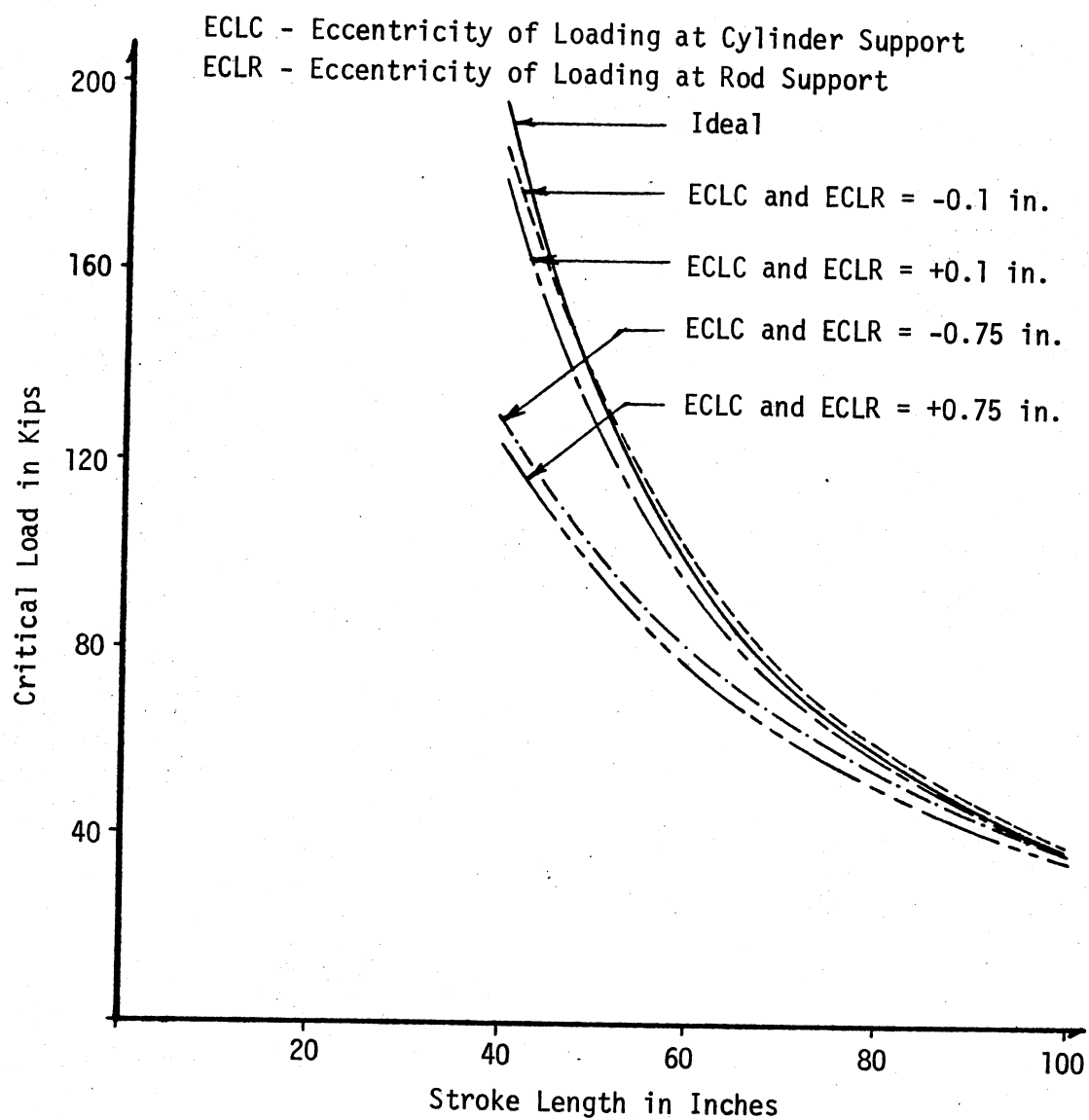


Figure 33. Effect of Loading Eccentricities on Critical Load Versus Stroke Variation for Cylinder REG1

the ideal case due to the effect of self weights and friction moments interaction (Figure 34). At higher friction coefficients, the end friction moments affect the critical load to a greater extent than the self weight, hence, the critical load is reduced. In cylinders with nonrotating pins the effect of friction is always to increase the stability of the system, and hence, the critical load.

In general, whenever the effects of eccentric loadings and friction coefficients compensate the effects of self weights, the system acquires some additional stability, and hence, results in higher load capacity than for ideal conditions.

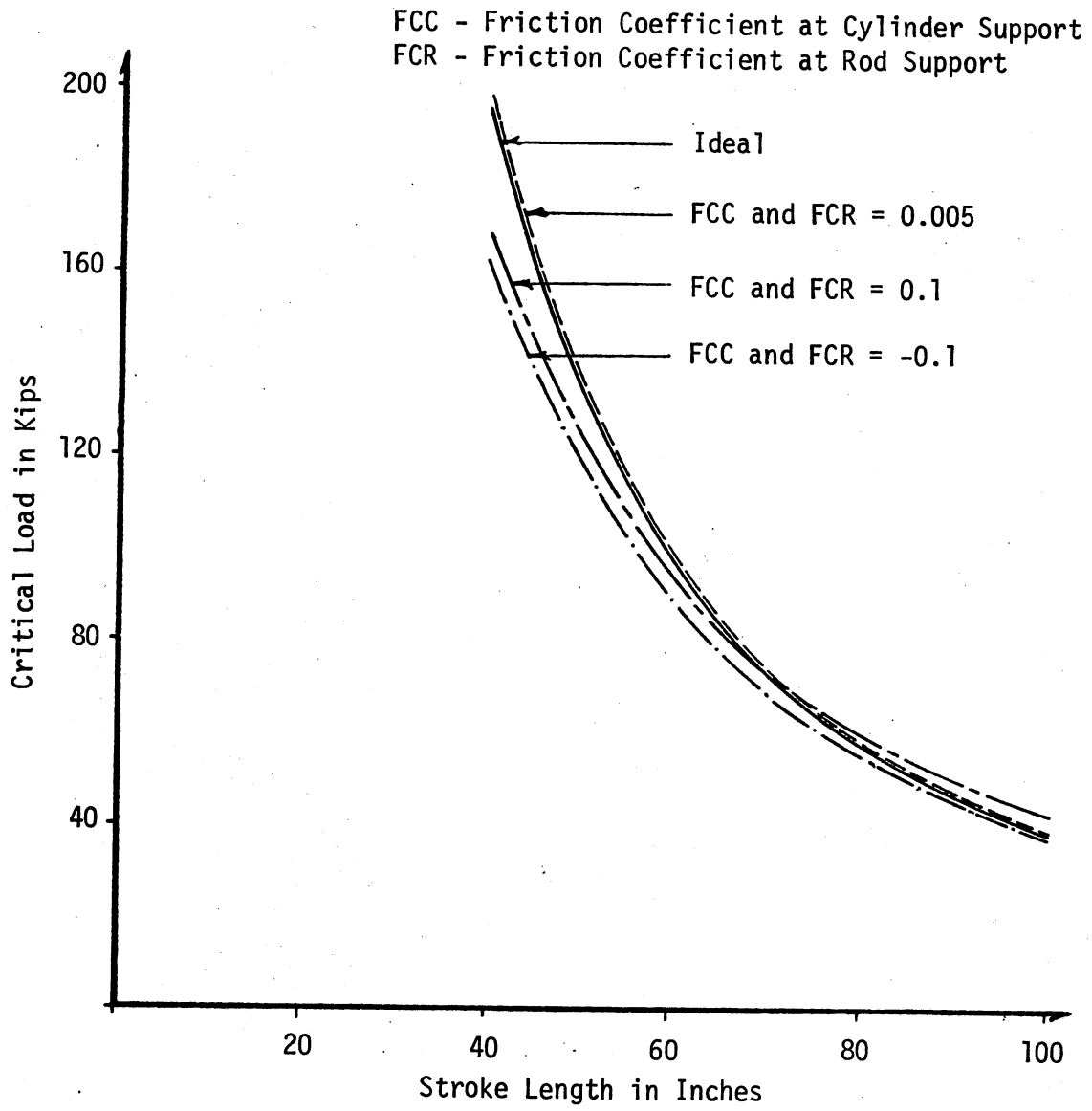


Figure 34. Effect of Friction Coefficients on Critical Load Versus Stroke Variation for Cylinder REG1

CHAPTER XI

SUMMARY AND RECOMMENDATIONS

The analyses presented here for regular, telescoping and tie rod cylinders include all the important factors that influence the capacity of a cylinder and that can be treated mathematically. These factors are: the crookedness angle at the sliding connection; the eccentricity of loading at both ends; the friction effects at both supports; self weights of the system; and stop tube and overhanging cylinder part effects. The analyses are applicable to wide variations in cylinder characteristics. The major variations are: the type of support condition, pinned, fixed, or elastically restrained; solid rod or hollow rod with or without fluid pressure; any number of piston and rod bearings and seals; and, in the case of tie rod cylinders, any number of tie rods.

The numerical values describing the effects are frequently not under the control of the designer and are hard to estimate, hence, it is necessary to develop design aids and charts for standard systems for ranges of the important parameters. The computer programs developed will be very useful in developing such design aids and charts, apart from their basic use in determining critical loads and stresses and deflections in a particular system.

Additional work should be directed toward the following points:

1. Development of design charts and graphs for standard cylinders for variations of parameters.

2. Determination of the linear spring stiffnesses and equivalent rectangular cross sections for modeling the bearings and seals to represent the real condition is difficult. Hence, experimental determination of moment-curvature relations at the sliding connection for standard cylinders and analytical modeling comparison with the experimental result are recommended.

3. In the case of tie rod cylinders, it is assumed that the end blocks remain perpendicular to the cylinder axis even after the cylinder is deflected. This assumption permits the calculation of tie rod moment analytically. There is a possibility that the end blocks may not remain perpendicular to the cylinder axis after deflections occur. An experimental verification of this is necessary, which would provide a method for estimating more correctly the value of the tie rod moment.

4. An overall experimental investigation to determine the capacity of a cylinder with sophisticated instrumentation for measuring the effects of the influencing factors would provide more complete confidence in the analytical techniques and the general purpose programs developed herein.

REFERENCES

- (1) Hoblit, Fred. "Critical Buckling Loads for Hydraulic Actuating Cylinders." Product Engineering, Vol. 21 (July, 1950), pp. 108-112.
- (2) Thompson, W. T. "Critical Load of Columns of Varying Cross Section." Journal of Applied Mechanics, Vol. 17 (June, 1950), pp. 132-134.
- (3) Hoblit, Frederic M. "Buckling Load of a Stepped Column." Journal of the Aeronautical Sciences, Vol. 18 (February, 1951), pp. 124-126 and 138.
- (4) Gwinn, J. M., Jr. and Roy A. Miller. "A Method for Determining the Ultimate Strength of a Column Swaged at the Ends." Journal of the Aeronautical Sciences, Vol. 2 (May, 1935), pp. 94-96.
- (5) Meier, J. H. "Buckling of Uniform and Stepped Columns--I." Product Engineering, Vol. 20 (October, 1949), pp. 119-123.
- (6) Wadler, Richard. "Critical Axial Buckling Load on Columns With Variable Cross-Section." Design Data, Vol. 19 (December, 1961), pp. 76-78.
- (7) Mills, Blake D., Jr. "The Fluid Column." American Journal of Physics, Vol. 28 (1960), pp. 353-356.
- (8) Donnell, L. H. "Analysis of Buckling Strength of Piston Rod." Benton Harbor, Mich.: Benton Harbor Engineering Division, Internal Report, 1958.
- (9) Meier, J. H. "Buckling of Uniform and Stepped Columns--II." Product Engineering, Vol. 20 (November, 1949), pp. 116-118.
- (10) G. L. M. "Stepped Column Analysis." South Bend, Ind.: Bendix Products Division of Bendix Corporation, Report No. 1640 (May, 1961), pp. 2.90-1-2.90-6.
- (11) Berninger, John. "Tie Rod Stress in Cylinders Can Be Accurately Calculated." Product Engineering, Vol. 44 (December, 1973), pp. 40-43.

APPENDIX A

COMPUTER PROGRAM FOR REGULAR CYLINDERS--SACREG

Program SACREG

The analytical procedure for regular cylinders developed in Chapter VI has been programmed for solution on a digital computer. The program is written in FORTRAN IV language and should require only minor revisions to be operable on other computers. Double precision (16 digits accuracy) arithmetic is used, and the program can be run on any computer which has a storage capacity of 80 K bytes. A summary flow diagram is shown in Figure 35. Details of all the Subprogram Operations, Guides for Data Input, Example Problems, Listings of Input Data, and Program Outputs are given in the following sections.

Subprogram Operation

MAIN

MAIN is a driver subroutine for the complete program. MAIN sets up keys to perform different operations and calls all the major subroutines to perform the major operations in the program. For all three problem types, MAIN first goes through critical load analysis. Then, for first problem type sets up factored load analysis, and for second and third problem types checks for input pressure being greater than critical pressure; if not, it goes through corresponding type of analysis.

INPECO

Subroutine INPECO reads all the input data; checks problem name being blank for end of run; and checks the input data at several stages for proper input. If any error is observed, the error is printed out and the program terminates. Echo prints out all the input tables.

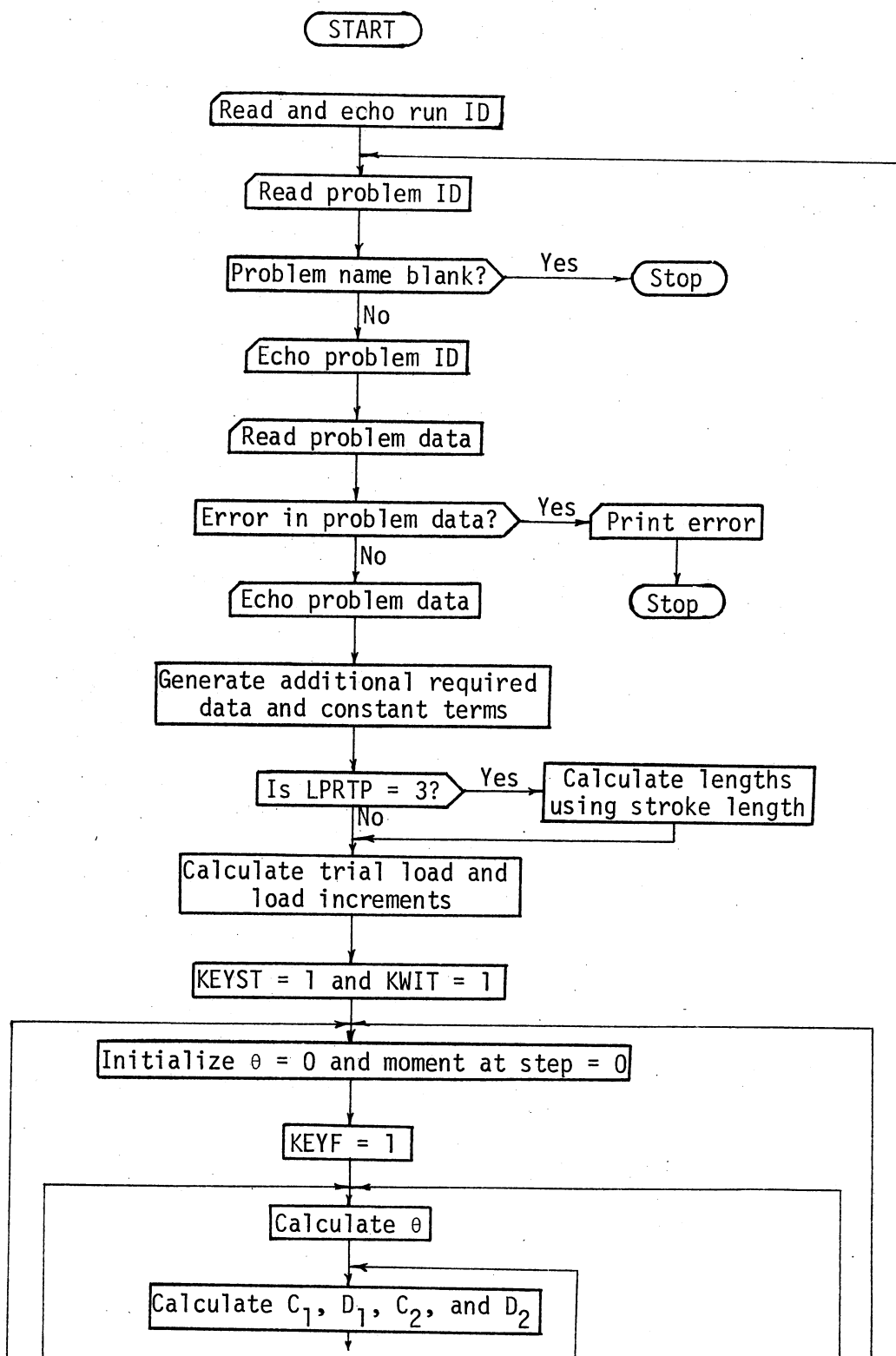


Figure 35. Summary Flow Diagram of Program SACREG

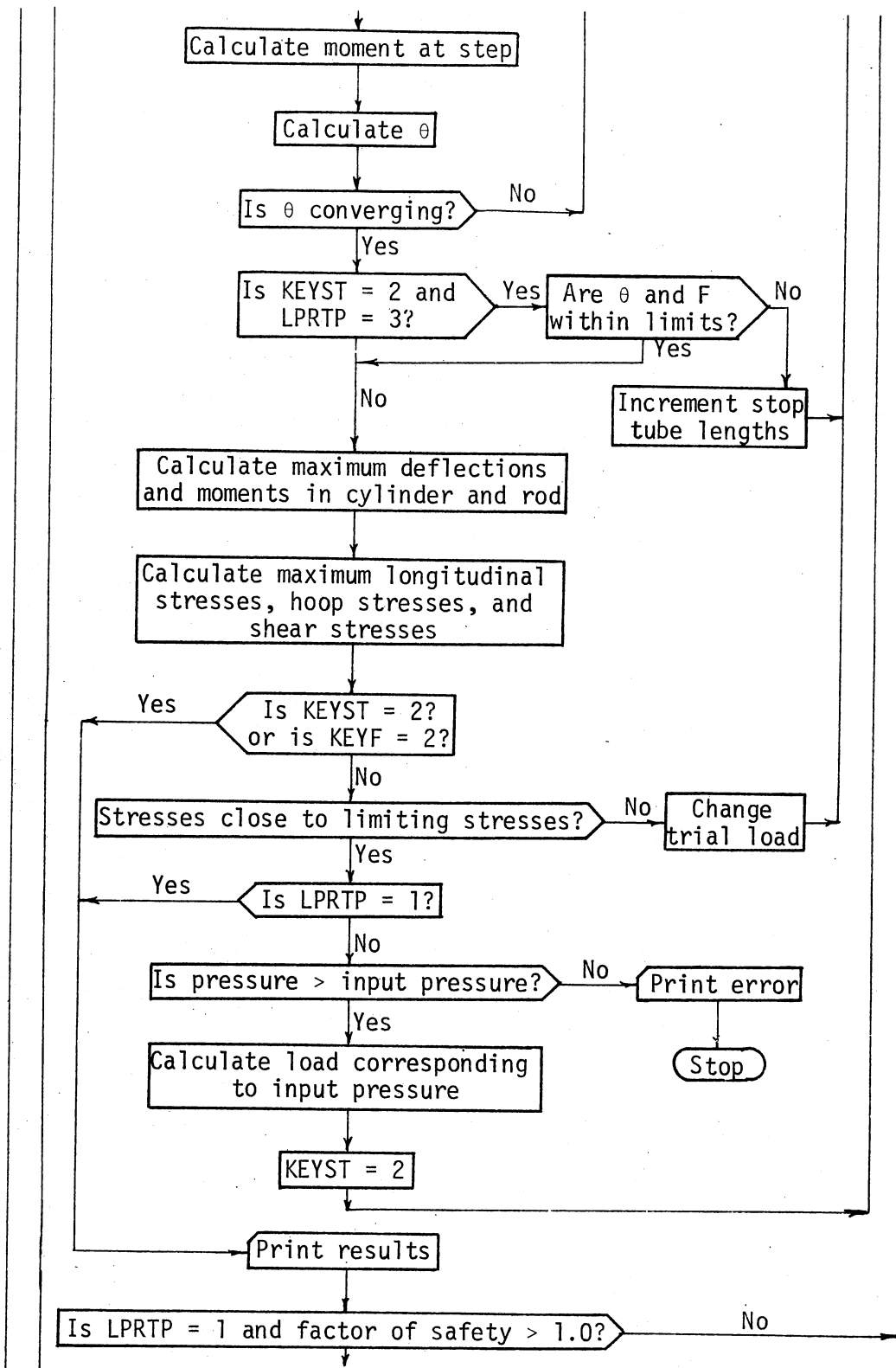


Figure 35. (Continued)

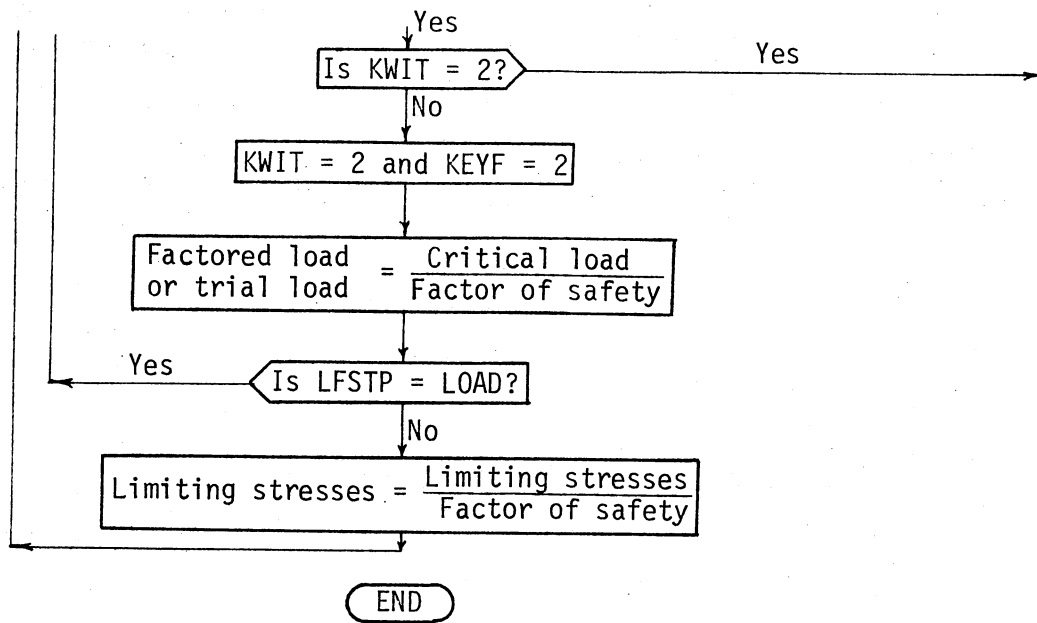


Figure 35. (Continued)

CONST1

Subroutine CONST1 calculates all the constant quantities which do not vary throughout the program. The constant quantities are: stiffnesses of bearings and seals; cross sectional properties of cylinder and rod; hoop stress coefficients; self weight reactions at supports; friction moment coefficients; and moment due to overhang in case of cylinders with overhang.

TRIALP

Subroutine TRIALP calculates a trial load and two load increments required for the iteration process in evaluating the critical load for the cylinder. The trial load is the smallest of critical load by Euler's buckling criteria considering the full length stiffness as that of rod only, critical load by hoop stress criteria for the cylinder part, and critical load by hoop stress criteria for the rod part in the case of hollow pressurized rods. The first load increment is one-fiftieth of the trial load and the second is one-thousandth. The larger load increment is for faster convergence and the smaller load increment is for better accuracy.

EQBRIM

Subroutine EQBRIM determines the equilibrium position of the system for any particular load by repeating the calculation of deflections in the system and the crookedness angle until two consecutive values of the crookedness angle are in close agreement. This subroutine calls subroutine THCD5 for calculating the values of constant terms in the

deflection equations and calls subroutine THETA for calculating the crookedness angle at a particular value of moment at the sliding connection.

THETA

Subroutine THETA calculates the crookedness angle at the sliding connection for any particular value of the moment at the sliding connection. This subroutine also calculates the forces on the bearings by calling subroutine GFORCE and the metal-to-metal contact forces at the sliding connection.

GFORCE

Subroutine GFORCE calculates the forces on the bearings for a particular value of crookedness angle at the sliding connection.

THCDS

Subroutine THCDS calculates the slopes at the supports and the constants in the deflection and moment equations at particular values of load and crookedness angle.

STOPTB

Subroutine STOPTB determines the required length of stop tube by incrementing the length of stop tube by small quantities and checking the crookedness angle and the lateral forces against the limiting values at each length.

XATYMX

Subroutine XATYMX determines the distances at which the maximum deflections occur in cylinder and rod parts.

YMAXS

Subroutine YMAXS calculates the maximum deflections in cylinder and rod parts at the places determined by the subroutine XATYMX.

STRCHS

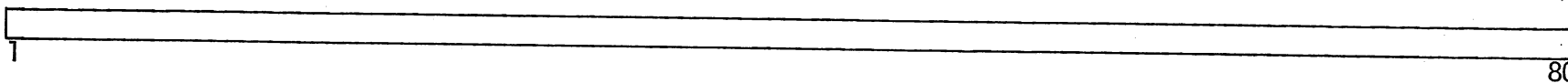
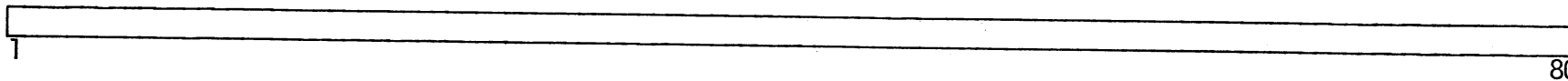
Subroutine STRCHS calculates the maximum bending moments and, hence, maximum longitudinal stresses, maximum hoop stresses, and maximum shear stresses in the cylinder and rod parts; checks these stresses against the limiting stresses and makes corresponding change in the trial load using load increments. This process is repeated until any one of the maximum stress values exceeds the limiting stress. The analysis is repeated for previous load value.

OUTPUT

Subroutine OUTPUT prints out all the results: the maximum deflections, the maximum stresses, the factor of safety existing on these stresses, and the distance from cylinder support at which the above quantities occur in the cylinder and rod parts; the crookedness angle; and the forces on the bearings.

Program SACREG--Guide for Data Input

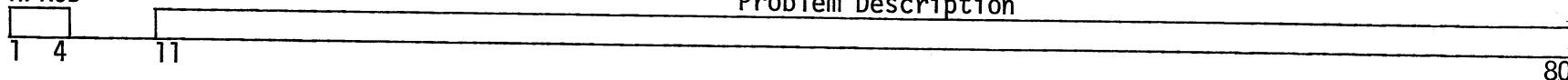
PROGRAM IDENTIFICATION (Two alphanumeric cards at the beginning of run)



Format--20A4

PROBLEM IDENTIFICATION (One card at the beginning of each problem)

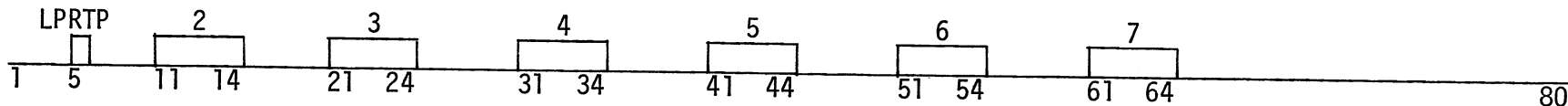
Prob.
Name
NPROB



Format--20A4

Program stops if NPROB is blank

TABLE 1: CONTROL DATA (One card for each problem)



Format--LP RTP - I1; 2 to 7 - A4

LP RTP = 1--Critical load analysis and analysis for a factored load using given factor of safety

2--Analysis for a particular fluid pressure

3--Analysis to determine a stop tube length for given limiting values of crookedness angle and lateral force at the sliding connection at a given fluid pressure

If any of the following tables are same as in the previous problem and are to be retained for this problem, enter "KEEP" in the corresponding blocks 2 to 7

Enter only LP RTP for the first problem

TABLE 2: UNITS OF MEASUREMENTS (No card if TABLE 2 is retained from previous problem)

	LNTU	LODU	LPREU	LANGU	
1	11 14	21 24	31 34	41 44	80

Format--A4 for all

LNTU - Unit of lengths (ex: INCH, FEET, CM, MET, etc.)

LODU - Unit of loads (ex: LBS, KIPS, KGS, etc.)

LPREU - Unit of pressures (ex: KSI, PSI, KSCM, etc.)

LANGU - Unit of angles (enter DEG or RAD starting in column 41)

TABLE 3: CYLINDER DIMENSIONS (No cards if TABLE 3 is retained from previous problem; see Figure 36 for details)

Card No. 1--Lengths

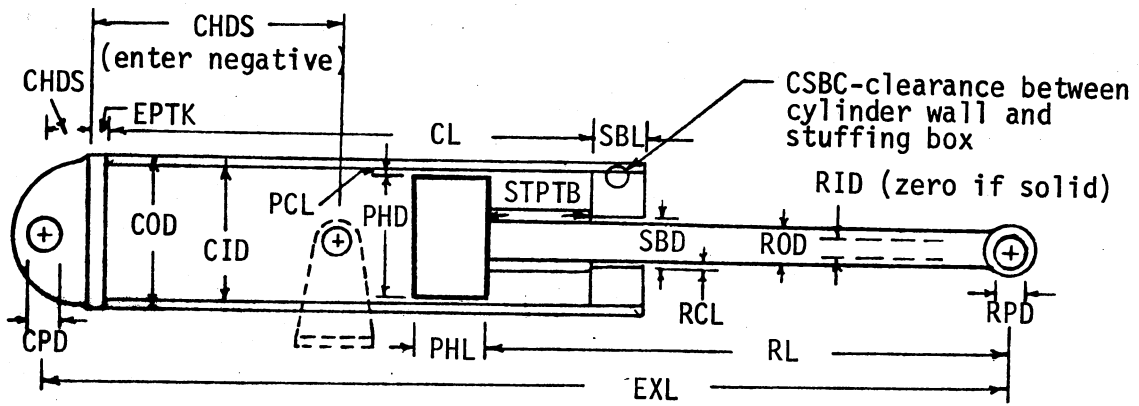


Figure 36. Cylinder Dimensions for SACREG

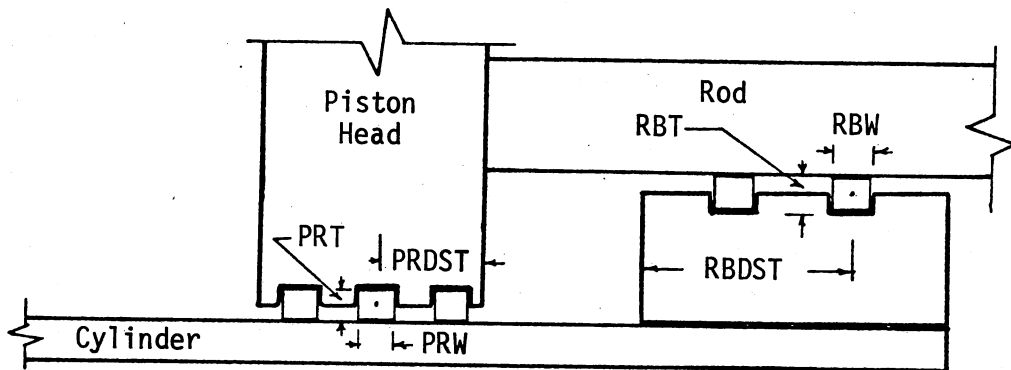


Figure 37. Dimensions of Bearings and Seals for SACREG

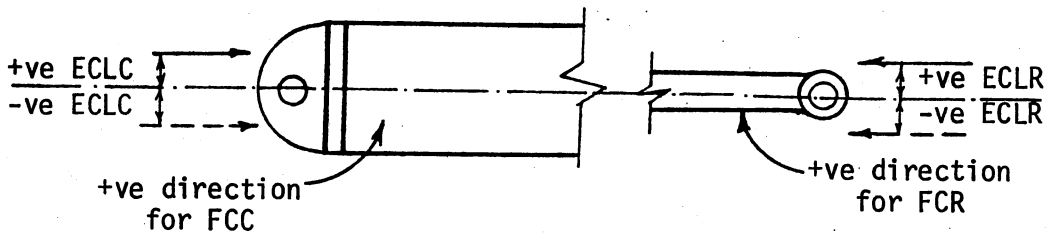
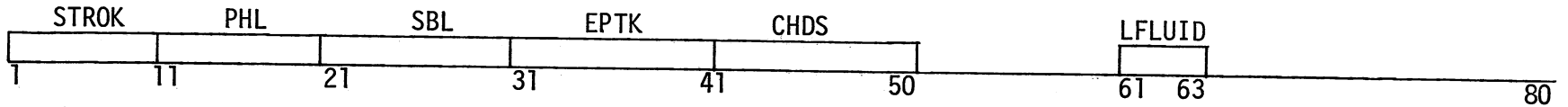


Figure 38. Sign Conventions for Eccentricities of Loading and Friction Coefficients for SACREG

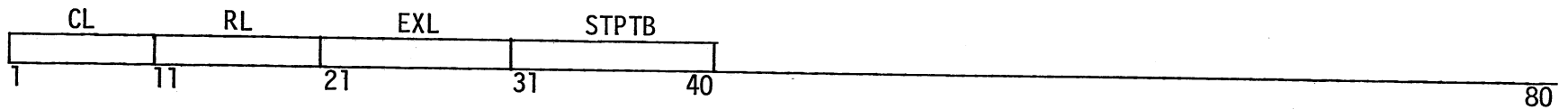


Format--LFLUID--A3; E10.3 for the rest

LFLUID - Enter "YES", for hollow rod with fluid

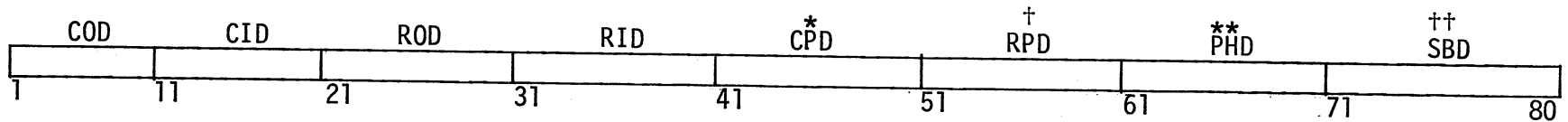
- Enter "NO" or blank, for hollow rod without fluid or solid rod

Card No. 2--Lengths (card No. 2 is not input for LPRTP = 3)



Format--E10.3 for all

Card No. 3--Diameters



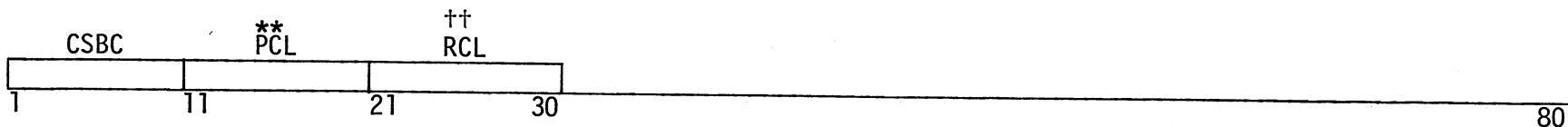
Format--E10.3 for all

* CPD - Leave blank if cylinder support is fixed

† RPD - Leave blank if rod support is fixed

** and †† - See next card

Card No. 4--Clearances



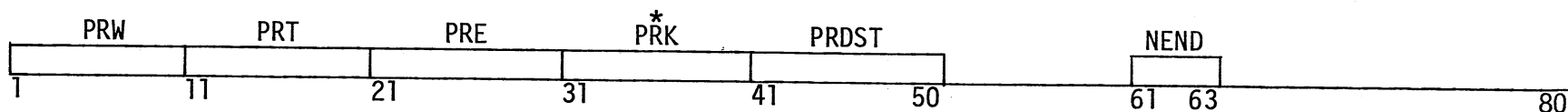
Format--E10.3 for all

**Input either PHD or PCL; if both are input, PCL will be used and PHD will be ignored

††Input either SBD or RCL; if both are input, RCL will be used and SBD will be ignored

TABLE 4: BEARINGS AND SEALS (No cards if TABLE 4 is retained from previous problem; see Figure 37 for details)

Piston Head Bearing Cards: (one card for each bearing)

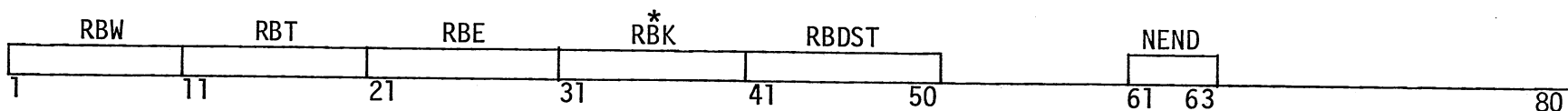


Format--NEND--A3; E10.3 for the rest

NEND - Enter "END" on the last piston head bearing card

* Input either (PRW, PRT and PRE) or (PRK); if PRK and some or all of PRW, PRT, and PRE are input, PRK will be used and the rest ignored

Rod Bearing Cards: (one card for each bearing)



Format--NEND--A3; E10.3 for the rest

NEND - Enter "END" on the last rod bearing card

* Input either (RBW, RBT, and RBE) or (RBK); if RBK and some or all of RBW, RBT and RBE are input, RBK will be used and the rest ignored

PRE and RBE - Young's modulus of piston head bearings and rod bearings

PRK and RBK - Stiffnesses of piston head bearings and rod bearings per unit length (force required to compress a unit length of bearing by one unit)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES (No card, if TABLE 5 is retained from previous problem)

WC	WR	WPH	WSB	ECYL	EROD	FYCYL	FYROD	
1	11	21	31	41	51	61	71	80

Format--E10.3 for all

WC and WR - Weight of cylinder and rod per unit length

WPH - Weight of piston head

WSB - Weight of stuffing box

ECYL and EROD - Modulus of elasticity of cylinder and rod, respectively

FYCYL and FYROD - Yield stresses of cylinder and rod, respectively

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, AND LOADING ECCENTRICITIES (No card if TABLE 6 is retained from previous problem)

CINCL	LCEND	LREND	F [*] CC	F [*] CR	E [*] CLC	E [*] CLR			
1	31	33	36	38	41	51	61	71	80

Format--LCEND and LREND--A3; E10.3 for the rest

CINCL - Inclination of the cylinder with horizontal (always positive and between 0° and 90°)

LCEND - Enter FIX for fixed or PIN for pinned cylinder support

LREND - Enter FIX for fixed or PIN for pinned rod support

FCC - Friction coefficient at cylinder pin. Leave blank if LCEND is FIX

FCR - Friction coefficient at rod pin. Leave blank if LREND is FIX

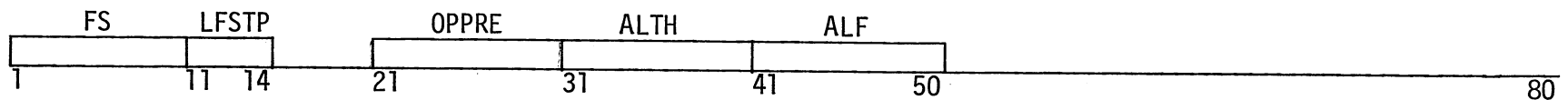
ECLC - Eccentricity of loading at cylinder end

ECLR - Eccentricity of loading at rod end

* See Figure 38 for sign convention

The direction of friction moments at the pins should be visualized by the user depending on the direction of rotation of the pins in the case of rotating pins, and depending on the predicted direction of the slopes at ends of the system for that particular loading, and accordingly proper signs should be assigned for FCC and FCR

TABLE 7: FACTOR OF SAFETY, OPERATING PRESSURE, ALLOWABLE θ AND F (No card if TABLE 7 is retained from previous problem)



Format--LFSTP--A4; E10.3 for the rest

If LPRTP = 1 - enter only FS and LFSTP

= 2 - enter only OPPRE

= 3 - enter only OPPRE, ALTH and ALF

FS - Factor of safety

LFSTP - Factor of safety type (enter LOAD if FS is to be applied to the critical load obtained; enter STRS if FS is to be applied to the limiting stresses)

If only critical load analysis is required and no factored load analysis is required, leave this card blank or enter FS \leq 1.0, and LFSTP--LOAD or STRS or blank

OPPRE - Particular operating pressure for which analysis is required

ALTH - Allowable crookedness angle at the sliding connection

ALF - Allowable total lateral force on bearings (total force on piston head bearings or total force on rod bearings which are equal to each other)

NEXT PROBLEM

Start from "PROBLEM IDENTIFICATION" card

END OF RUN

At the end of last problem data set, insert a blank card (only first 4 columns need to be blank, the rest of the card may be used for comments)

C--- >>> KEY'S--- KEYT AND KEYP ARE SETUP TO MAKE PROPER LOAD INCREMENTS

C
KEYT = 1
KEYP = 1

C--- >>> INITIALIZE TETA AND BMG = ZERO

C
TETA = ZERO
BMG = ZERO
30 CALL EQBRIM
I (PRK, PRDST, RBK, RBDST, NPHBR, NRDBR, CYK, RDK, LPRTP,
I GC, RPD, BMG, CSSTF, RSSTF,
O CLT, RLT, CK, RK, BB1, BB2, TETA, DEFG, THC)
IF (LPRTP .NE. 3) GO TO 40
IF (KEYST .EQ. 1) GO TO 40

C--- >>> CONVERT ALLOWABLE THETA TO RADIAN, IF INPUT IN DEGREES

C
ALTH1 = ALTH
TEMP = PI / H180
IF (LANGU .EQ. LDEG) ALTH1 = ALTH * TEMP
ITERAT = 1
CALL STOPTB
I (TETA, NPHBR, NRDBR, ALTH1, ALF, STROK, ITERAT, GC)
IF (ITERAT .NE. 1) GO TO 30
40 CALL XATYMX
I (CLT, CK, RK, DEFG,
O XCY, XRD, CSLPC, CSLPR)
CALL YMAXS
I (XCY, XRD, CK, RK, CSLPC, CSLPR, BB1, BB2,
O YCMAX, YRMAX)
CALL STRCHS
I (KEYF, KEYT, KEYP, XCY, XRD, YCMAX, YRMAX, RID, CHDS,
I OPPRE, FYRODT, FYCYLT, PINCR1, PINCR2, KEYST, LFLUID,
O HSC, HSR, AXTEN, CSTR, CSTRP, RSTR, RSTRP, CSS, NCSS,
O RSS, NRSS)

C--- >>> IS IT FINAL ITERATION? ? ?

C
IF (KEYF .NE. 3) GO TO 30
IF (KEYST .NE. 1) GO TO 50
IF (LPRTP .EQ. 1) GO TO 50

C--- >>> PROTECTION AGAINST INPUT OPERATING PRE. BEING > CRITICAL PRE.

C
PRES = P / BAREAC
IF (OPPRE .GT. PRES) GO TO 100
P = OPPRE * BAREAC
KEYST = 2
TETA = ZERO

GO TO 30

50 CALL OUTPUT

I (KWIT, BAREAC, XCY, XRD, YCMAX, YRMAX, CHDS, GC, TETA,
I FYCYL, FYROD, CSTR, CSTRP, RSTR, RSTRP, HSC, HSR, AXTEN,
I NPHBR, NRDBR, THC, CSS, NCSS, RSS, NRSS)

C--- >>> IF THIS PROBLEM IS COMPLETE GO TO NEXT PROBLEM

IF (KWIT .NE. 1) GO TO 10
IF (LPRTP .NE. 1) GO TO 10
IF (FS .LE. ONE) GO TO 10

C--- >>> FACTOR OF SAFETY IS TO BE APPLIED TO STRESS OR LOAD

C
P = P / FS
KWIT = 2
TETA = ZERO
IF (LFSTP .EQ. LOAD) GO TO 30
FYCYLT = FYCYL / FS
FYRODT = FYROD / FS
GO TO 20

C--- >>> ERROR MESSAGES

C
100 PRINT 210, PRES
GO TO 10
210 FORMAT (1H1, 20(//),10(10X,21H*** ** ERROR *** ** /),////,
1 10X, 38HOPERATING PRESSURE IS GREATER THAN THE /
2 10X, 42HCAPACITY(CRITICAL LOAD) OF THE CYLINDER. //
3 10X, 37HTHE MAXIMUM PRESSURE FOR THE CYL IS =,1PD10.3,///
END

```

SUBROUTINE INPECO ( IBLNK, GC )
C
C--- >>> SUBROUTINE TO READ AND ECHO INPUT DATA FOR SACREG
C
IMPLICIT REAL * 8 ( A - H, O - Z )
COMMON EXL, P
COMMON / CLERNC / CSBC, PCL1, RCL1
COMMON / DIAMTS / COD, CID, ROD, RID, CPD, RPD, PHD, SBD
COMMON / ECCTRI / ECLC, ECLR
COMMON / ENDS / LGEND, LREND
COMMON / FSOPTF / OPPRE, ALTH, ALF, FS, LFSTP
COMMON / ID / IDCARD(40), NPROB, IPROB(19), LPRTP
COMMON / INCLFR / CINCL, FCC, FCR
COMMON / LENGTS / STROK, PHL, SBL, EPTK, CHDS, LFLUID
COMMON / PISTON / PRW(5), PRT(5), PRE(5), PRK(5), PRDST(5), NPHBR
COMMON / PROPTS / ECYL, ERCD, FYCYL, FYROD
COMMON / RODBRS / RBW(5), RBT(5), RBE(5), RBK(5), RBDST(5), NRDBR
COMMON / STPTBS / CL, RL, STPTB
COMMON / UNITS / LNTU, LDDU, LPREU, LANGU
COMMON / WGTINI / WCI, WRI, WPHI, WSBI

DIMENSION PRKI(5), RBKI(5)

DATA ZERG, TWO / 0.0D00, 2.0D00 /
DATA KEEP, IEND, LYES / 4HKEEP, 3HEND, 3HYES /

C
C--- >>> FORMATS
C
10 FORMAT ( 20A4 )
20 FORMAT ( A4, 19A4 )
30 FORMAT ( 4X, I1, 5X, 6( A4, 6X ) )
40 FORMAT ( 4X, 4( 6X, A4 ) )
50 FORMAT ( 8F10.0 )
60 FORMAT ( 5F10.0, 10X, A3 )
70 FORMAT ( 3F10.0, A3, 2X, A3, 2X, 4F10.0 )
80 FORMAT ( F10.0, A4, 6X, 3F10.0 )
90 FORMAT ( I1, 4X, 36HPROGRAM SACREG - STRESS ANALYSIS OF ,
1 21HCYLINDERS ( REGULAR ), //, 2( 5X, 20A4, / ), / )
100 FORMAT ( 5X, 8HPROBLEM , A4, //, 1X, 19A4 )
110 FORMAT ( /, 5X, 11HINPUT DATA:, //, 5X, 8HTABLE 1:, 5X,
1 12HCONTROL DATA )
120 FORMAT ( /, 10X, 41HPROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS,
1 31H & ANALYSIS FOR A FACTORED LOAD, / )
130 FORMAT ( /, 10X, 27HPROBLEM TYPE = 2 - ANALYSIS,
1 26H FOR A PARTICULAR PRESSURE, / )
140 FORMAT ( /, 10X, 27HPROBLEM TYPE = 3 - ANALYSIS,
1 39H TO DETERMINE SUITABLE STOP-TUBE LENGTH, / )
160 FORMAT ( /, 18X, 37HTABLES RETAINED FROM PREVIOUS PROBLEM, //,
1 20X, 2H 2, 4X, 2H 3, 4X, 2H 4, 4X, 2H 5, 4X, 2H 6,
2 4X, 2H 7, /, 17X, 6( 2X, A4 ) )
190 FORMAT ( 23X, 25HNO KEEP OPTIONS EXERCISED, / )
210 FORMAT ( /, 5X, 33HTABLE 2: UNITS OF MEASUREMENT, //, 17X,
1 6HLENGTH, 6X, 4HLCAD, 5X, 8HPRESSURE, 3X, 7HANGULAR,
2 //, 11X, 4( 7X, A4 ) )
220 FORMAT ( //, 5X, 32HTABLE 3: CYLINDER DIMENSIONS, //, 10X,
1 8HLENGTHS:, //, 19X, 23HSTROKE PISTON HEAD, 2X,
2 40HSTUFFING BOX END PLATE HINGE DIST., //, 14X,
3 5( 2X, 1PD12.5 ) )

```

```

230 FORMAT ( //, 18X, 20HCYLINDER ROD, 8X,
1 23HEXTENDED STOP TUBE )
240 FORMAT ( /, 14X, 4( 2X, 1PD12.5 ) )
250 FORMAT ( /, 15X, 23HTHESE NOT INPUT BECAUSE,
1 35H STOP TUBE LENGTH ANALYSIS IS ASKED, / )
260 FORMAT ( /, 10X, 10HDIAMETERS:, //, 17X, 10HCYL. OUTER, 4X,
1 38HCYL. INNER ROD OUTER ROD INNER, / )
270 FORMAT ( 14X, 4( 2X, 1PD12.5 ), 2X, 9HSOLID ROD, / )
280 FORMAT ( 14X, 4( 2X, 1PD12.5 ), 2X, 10HHOLLOW ROD )
282 FORMAT ( 72X, 10HWITH FLUID )
284 FORMAT ( 72X, 13HWITH NO FLUID )
290 FORMAT ( /, 18X, 23HCYL. PIN * ROD PIN *, 3X,
1 26HPISTON HEAD @ STUF. BOX @, //, 14X, 4( 2X, 1PD12.5 ),
2 /, 16X, 26H(* ZERO, THE END IS FIXED),
3 32H (@ ZERO, OTHER OPTION IS INPUT) )
310 FORMAT ( /, 10X, 19HCLEARANCES BETWEEN:, //, 12X,
1 2( 6X, 8HCYLINDER ), 8X, 3HRD, /, 9X, 3( 11X, 3HAND ),
2 /, 16X, 12HSTUFFING BOX, 2X, 13HPISTON HEAD @, 2X,
3 11HSTUF. BOX @, //, 14X, 3( 2X, 1PD12.5 ), /, 29X,
4 31H(@ ZERO, OTHER OPTION IS INPUT) )
320 FORMAT ( I1, 4X, 31HTABLE 4: BEARINGS AND SEALS, //, 10X,
1 16HPISTON BEARINGS: / )
330 FORMAT ( 21X, 3( 2H A, 12X ), 2H B, 7X, 13HDISTANCE FROM, /,
1 20X, 5HWIDTH, 7X, 9HTHICKNESS, 2X, 14HYOUNGS MODULUS, 3X,
2 9HSTIFFNESS, 5X, 9HBACK FACE, //,
3 5( 14X, 5( 2X, 1PD12.5 ), / ) )
340 FORMAT ( 10X, 13HRD BEARINGS:, / )
350 FORMAT ( 15X, 48H(A IS USED TO CALCULATE B - HENCE, EITHER A OR
1 , 10HB IS INPUT, /, 28X,
2 46HZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT), / )
360 FORMAT ( /, 5X, 44HTABLE 5: WEIGHTS AND MATERIAL PROPERTIES,
1 //, 10X, 17HWEIGHTS OF PARTS:, //, 18X, 8HCYLINDER, 9X,
2 3HRD, 7X, 11HPISTON HEAD, 2X, 12HSTUFFING BOX, /, 21X,
3 17H(PER UNIT LENGTH), //, 14X, 4( 2X, 1PD12.5 ), / )
370 FORMAT ( /, 10X, 20HMATERIAL PROPERTIES:, //, 22X,
1 14HYOUNGS MODULUS, 15X, 12HYIELD STRESS, /, 10X,
2 2( 8X, 8HCYLINDER, 9X, 3HRD ), //, 14X, 4( 2X, 1PD12.5 ) // )
380 FORMAT ( /, 5X, 43HTABLE 6: INCLINATION, FIXITY, FRICTION ,
1 34HCOEFFICIENTS, LOADING ECCENTRICITY, //, 10X,
2 34HCYL INCLINATION WITH HORIZONTAL = , 1PD12.5, //, 46X,
3 24HCYLINDER END ROD END, //, 10X,
4 19HSUPPORT CONDITIONS:, 21X, A3, 12X, A3, //, 10X,
5 36HFRICION COEFFICIENTS AT SUPPORTS: , 2( 1PD12.5, 2X )
6 /, 15X, 19H(ZERO IF FIXED END), /, 10X,
7 23HLOADING ECCENTRICITIES:, 13X, 2( 1PD12.5, 2X ), / )
390 FORMAT ( /, 5X, 42HTABLE 7: FACTOR OF SAFETY OR OPERATING,
1 36H PRESSURE AND/OR ALLOWABLE THETA & F, /, 18X,
2 25HDEPENDING ON PROBLEM TYPE, / )
400 FORMAT ( /, 10X, 27HONLY CRITICAL LOAD ANALYSIS, / )
410 FORMAT ( /, 10X, 19HFACTOR OF SAFETY = , F6.3, 4H ON , A4, / )
420 FORMAT ( /, 10X, 21HOPERATING PRESSURE = , 1PD12.5, / )
430 FORMAT ( /, 10X, 32HOPERATING CYLINDER PRESSURE = , 1PD12.5, //,
1 10X, 32HALLOWABLE CROOKEDNESS ANGLE = , 1PD12.5,
2 10H AT GLAND, //, 10X, 32HALLOWABLE TOTAL LATERAL FORCE =
3 1PD12.5, 13H ON BEARINGS, / )
450 FORMAT ( ///, 10X, 30H***** ERROR IN LENGTHS ***** , / )
460 FORMAT ( ///, 10X, 7H***** ,
1 32HERROR : PHD IS GREATER THAN CID , 6H ***** , / )

```

```

470 FORMAT ( ///, 10X, 7H***** ,
1 37HERROR : RD IS GREATER THAN SBD ***** , /
480 FORMAT ( //, 10X, 6H***** , 19HPROGRAM TERMINATED , 5H*****
490 FORMAT ( 1H1
)
)
C
C---- >>> READ AND ECHO RUN AND PROBLEM IDENTIFICATION
C
      IF ( NPRGB .NE. IBLNK ) GO TO 500
      READ ( 5, 10 ) ( IDCARD( I ), I = 1, 40 )
      500 READ ( 5, 20 ) NPRGB, ( IPROB( I ), I = 1, 19 )
C
C---- >>> TEST FOR END OF RUN
C
      IF ( NPRGB .EQ. IBLNK ) GO TO 1700
      PRINT 90, ( IDCARD( I ), I = 1, 40 )
      PRINT 100, NPRGB, ( IPROB( I ), I = 1, 19 )
C
C---- >>> READ TABLE 1: PROBLEM TYPE AND TABLES TO BE RETAINED FROM
C      PREVIOUS PROBLEM
C
      READ ( 5, 30 ) LPRTP, KEEP2, KEEP3, KEEP4, KEEP5, KEEP6, KEEP7
      IF ( KEEP2 .EQ. KEEP ) GO TO 510
C
C---- >>> READ TABLE 2: UNITS OF MEASUREMENT
C
      READ ( 5, 40 ) LNTU, LODU, LPREU, LANGU
      510 IF ( KEEP3 .EQ. KEEP ) GO TO 540
      READ ( 5, 60 ) STROK, PHL, SBL, EPTK, CHDS, LFLUID
      IF ( LPRTP .EQ. 3 ) GO TO 520
C
C---- >>> READ TABLE 3: LENGTHS AND DIAMETERS
C
      READ ( 5, 50 ) CL, RL, EXL, STPTB
      520 READ ( 5, 50 ) COD, CID, ROD, RID, CPD, RPD, PHD, SBD
      READ ( 5, 50 ) CSBC, PCL1, RCL1
C
C---- >>> CALCULATE GLAND CLEARANCE
C
      GC = ZERO
      IF ( LPRTP .NE. 3 ) GC = CL - STROK - PHL
C
C---- >>> TEST FOR PROPER INPUT
C
      IF ( LPRTP .EQ. 3 ) GO TO 530
      A = EXL - CHDS - EPTK - CL - SBL - RPD / TWO
      IF ( A .LT. STROK ) GO TO 1000
      530 IF ( PCL1 .GT. ZERO .OR. RCL1 .GT. ZERO ) GO TO 540
      IF ( PHD .GT. CID ) GO TO 1100
      IF ( ROD .GT. SBD ) GO TO 1200
C
      540 IF ( KEEP4 .EQ. KEEP ) GO TO 585
C
C---- >>> READ TABLE 4: PISTON RINGS AND ROD BEARINGS DETAILS
C
      I = 1
      J = 1
      550 READ ( 5, 60 ) PRW(I), PRT(I), PRE(I), PRK1(I), PRDST(I), NEND
      PRK(I) = PRK1(I)

```

```

      IF ( NEND .EQ. IEND ) GO TO 560
      I = I + 1
      GO TO 550
      560 NPHBR = I
      570 READ ( 5, 60 ) RBW(J), RBT(J), RBE(J), RBK1(J), RBDST(J), NEND
      RBK(J) = RBK1(J)
      IF ( NEND .EQ. IEND ) GO TO 580
      J = J + 1
      GO TO 570
      580 NRDBR = J
      585 IF ( KEEP5 .EQ. KEEP ) GO TO 590
      >>> READ TABLE 5: WEIGHTS OF PARTS AND MATERIAL PROPERTIES
      READ ( 5, 50 ) WCI, WRI, WPH1, WSB1, ECYL, ERDD, FYCYL, FYROD
      590 IF ( KEEP6 .EQ. KEEP ) GO TO 600
C
C---- >>> READ TABLE 6: INCLINATION, END FIXITY, FRICTION COEFFICIENTS
C      AND ECCENTRICITY OF LOADING
C
      READ ( 5, 70 ) CINCL, CSSTF, RSSTF, LCEND, LREND, FCC, FCR, ECLC,
      * ECLR
      600 IF ( KEEP7 .EQ. KEEP ) GO TO 610
C
C---- >>> READ TABLE 7: FACTOR OF SAFETY AND ITS TYPE, OPERATING
C      PRESSURE AND ALLOWABLE THETA AND LATERAL FORCE
C      DEPENDING ON THE PROBLEM TYPE
C
      READ ( 5, 80 ) FS, LFSTP, OPPRE, ALTH, ALF
      610 CONTINUE
C
C---- >>> PRINT ALL THE TABLES READ
C
      PRINT 110
      IF ( LPRTP - 2 ) 612, 614, 616
      612 PRINT 120
      GO TO 618
      614 PRINT 130
      GO TO 618
      616 PRINT 140
      618 PRINT 160, KEEP2, KEEP3, KEEP4, KEEP5, KEEP6, KEEP7
      IF ( KEEP2 .NE. IBLNK ) GO TO 620
      IF ( KEEP3 .NE. IBLNK ) GO TO 620
      IF ( KEEP4 .NE. IBLNK ) GO TO 620
      IF ( KEEP5 .NE. IBLNK ) GO TO 620
      IF ( KEEP6 .NE. IBLNK ) GO TO 620
      IF ( KEEP7 .EQ. IBLNK ) PRINT 190
      620 CONTINUE
      PRINT 210, LNTU, LODU, LPREU, LANGU
      PRINT 220, STROK, PHL, SBL, EPTK, CHDS
      PRINT 230
      IF ( LPRTP .EQ. 3 ) GO TO 640
      PRINT 240, CL, RL, EXL, STPTB
      GO TO 650
      640 PRINT 250
      650 PRINT 260
      IF ( RID .GT. ZERO ) GO TO 670
      PRINT 270, COD, CID, ROD, RID
      GO TO 680
      670 PRINT 280, COD, CID, RCD, RID

```

```

      IF ( LFLUID .NE. LYES ) GO TO 675
      PRINT 282
      GO TO 680
675 PRINT 284
      GO TO 680
680 PRINT 290, CPD, RPD, PHD, SBD
      PRINT 310, CSBC, PCL1, RCL1
      PRINT 320
      PRINT 330, ( PRW(I), PRT(I), PRE(I), PRK1(I), PRDST(I), I=1, NPHBR )
      PRINT 340
      PRINT 330, ( RBW(I), RBT(I), RBE(I), RBK1(I), RBDST(I), I=1, NRDBR )
      PRINT 350
      PRINT 360, WC1, WR1, WPH1, WSB1
      PRINT 370, ECYL, EROD, FYCYL, FYROD
      PRINT 380, CINCL, LCEND, LREND, FCC, FCR, ECLC, ECLR
      PRINT 390
      IF ( LPRTP .EQ. 1 .AND. FS .LE. ONE ) GO TO 690
      IF ( LPRTP .EQ. 1 ) PRINT 410, FS, LFSTP
      GO TO 700
690 PRINT 400
      IF ( LPRTP .EQ. 2 ) PRINT 420, OPPRE
      IF ( LPRTP .EQ. 3 ) PRINT 430, OPPRE, ALTH, ALF
      RETURN
C
C---- >>> DIAGNOSTICS FOR ILLEGAL INPUTS
C
1000 PRINT 450
      GO TO 1600
1100 PRINT 460
      GO TO 1600
1200 PRINT 470
1600 PRINT 480
1700 PRINT 490
C
C---- >>> END OF RUN IF ERROR IN INPUT IS ENCOUNTERED
C
      STOP
      END

```

```

SUBROUTINE CONST1
I
  ( ECYL, EROD, CHDS, LANGU,
O
  RDI, CYK, RDK, CSSTF, RSSTF
C
C---- >>> SUBROUTINE TO CALCULATE CONSTANT TERMS FOR CONVENIENCE
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON / BRGSTF / PRKX, SPRK, RBKY, SRBK
      COMMON / CRPROP / RDZ, CYZ, RDZI, CYZI, HSCC1, HSCC0, HSCRI,
*
      HSCRO, BAREAC, BAREAR, CAREAC, CAREAR
      COMMON / CLEAR / PCL, RCL
      COMMON / CLERN / CSBC, PCL1, RCL1
      COMMON / DIAMTS / COD, CID, ROD, RID, CPD, RPD, PHD, SBD
      COMMON / ENDS / LCEND, LREND
      COMMON / FRCONS / FCCY, FCRD, CONM
      COMMON / INCLFR / CINCL, FCC, FCR
      COMMON / PISTON / PRW(5), PRT(5), PRE(5), PRK(5), PRDST(5), NPHBR
      COMMON / RODBRS / RBW(5), RBT(5), RBE(5), RBK(5), RBDST(5), NRDBR
      COMMON / WGTCON / WPH, WSB
      COMMON / WGTINI / WC1, WR1, WPH1, WSB1
      COMMON / WGTVER / WC, WR
C
      DATA ZERO, TWO, FOUR, SIXFOR / 0.0000, 2.0000, 4.0000, 64.0000 /
      DATA H180, AINFIN / 180.0000, 1.0020 /
      DATA PI / 3.141592653589793000 /
      DATA LDEG, LFIX / 4HDEG, 3HFIX /
C
C---- >>> CALCULATE STIFFNESSES OF BEARINGS AND SEALS IF NOT INPUT
C
      SPRK = ZERO
      PRKX = ZERO
      DO 110 I = 1, NPHBR
      IF ( PRK(I) .GT. ZERO ) GO TO 100
      PRK(I) = CID * PRW(I) * PRE(I) / PRT(I)
      PRKX = PRK(I) * PRDST(I) + PRKX
100   SPRK = PRK(I) + SPRK
110   SRBK = ZERO
      RBKY = ZERO
      DO 130 I = 1, NRDBR
      IF ( RBK(I) .GT. ZERO ) GO TO 120
      RBK(I) = ROD * RBW(I) * RBE(I) / RBT(I)
      RBKY = RBK(I) * RBDST(I) + RBKY
120   SRBK = RBK(I) + SRBK
130
C
C---- >>> CALCULATE CROSS SECTIONAL PROPERTIES
C
      ROD2 = ROD * ROD
      RID2 = RID * RID
      COD2 = COD * COD
      CID2 = CID * CID
      CYI = PI * ( COD2 * COD2 - CID2 * CID2 ) / SIXFLR
      RDI = PI * ( ROD2 * ROD2 - RID2 * RID2 ) / SIXFOR
      RDZ = RDI * TWO / ROD
      CYZ = CYI * TWO / COD
      RDZI = 1.00+20
      IF ( RID .GT. ZERO ) RDZI = RDI * TWO / RID
      CYZI = CYI * TWO / CID
C

```

C---- >>> BORE AREAS AND CROSS SECTIONAL AREAS OF CYLINDER AND ROD

C
BAREAC = PI * CID2 / FOUR
BAREAR = PI * RID2 / FOUR
CAREAC = PI * (COD2 - CID2) / FOUR
CAREAR = PI * (ROD2 - RID2) / FOUR

C
C---- >>> CALCULATE HOOP STRESS COEFFICIENT

C
RDENC = COD2 - CID2
HSCCI = (COD2 + CID2) / RDENC
HSCCO = TWO * CID2 / RDENC
RDENR = ROD2 - RID2
HSCRI = (ROD2 + RID2) / RDENR
HSCRO = TWO * RID2 / RDENR

C
CYK = DSQRT (ECYL * CYI)
RDK = DSQRT (EROD * RDI)

C
C---- >>> CALCULATE CLEARANCES AT PISTON HEAD AND STUFFING BOX

C
PCL = (CID - PHD) / TWO
IF (PCL1 .GT. ZERO) PCL = PCL1
RCL = (SBD - ROD) / TWO + CSBC
IF (RCL1 .GT. ZERO) RCL = RCL1 + CSBC

C
C---- >>> CALCULATE VERTICAL COMPONENTS OF WEIGHTS

C
TEMP = PI / H180
BETA = CINCL
IF (LANGU .EQ. LDEG) BETA = CINCL * TEMP
CB = DCOS (BETA)
WC = WC1 * CB
WR = WR1 * CB
WPH = WPH1 * CB
WSB = WSB1 * CB

C
C---- >>> CALCULATE FRICTION MOMENT COEFFICIENTS

C
FCCY = FCC * CPD / TWO
FCRD = FCR * RPC / TWO

C
C---- >>> ESTABLISH STIFFNESSES FOR ROTATIONAL SPRINGS AT SUPPORTS
ZERO IF PIN; VERY HIGH IF FIX.

C
CSSTF = ZERO
RSSTF = ZERO
IF (LCEND .EQ. LFIX) CSSTF = AINFIN
IF (LREND .EQ. LFIX) RSSTF = AINFIN

C
C---- >>> MOMENT DUE TO OVER HANG

C
CONM = WC * CHDS * CHDS / TWO
IF (CHDS .GT. ZERO) CONM = ZERO
IF (LCEND .EQ. LFIX) CONM = ZERO
RETURN
END

SUBROUTINE TRIALP

I (EROD, LPRTP, RDI, FYCYL, BAREAC, HSCCI, LCEND, FYROD,
I BAREAR, HSCRI,
O PINCRI, PINCR2)

C
C---- >>> SUBROUTINE TO CALCULATE TRIAL LOAD AND LOAD INCREMENTS

C
IMPLICIT REAL * 8 (A - H, O - Z)
COMMON EXL, P1
COMMON / LENGTS / STROK, PHL, SBL, EPTK, CHDS, LFLUID

C
DATA TWO, FIFTY, FIVHUN / 2.0000, 50.0000, 500.0000 /
DATA PI / 3.141592653589793000 /
DATA LFIX, LYES / 3HFIX, 3HYES /

C
C---- >>> IF LPRTP = 3 CALCULATE APPROXIMATE EXTENDED LENGTH

C
100 IF (LPRTP - 3) 110, 100, 110
EXL = STROK + STROK + PHL + SBL + CHDS + EPTK

C
C---- >>> TRIAL LOAD (1) AS PER EULERS BUCKLING, CONSIDERING FULL
LENGTH STIFFNESS AS THAT OF ROD ONLY

C
110 P1 = PI * PI * EROD * RDI / (EXL * EXL)
IF (LCEND .EQ. LFIX) P1 = TWO * P1

C
C---- >>> TRIAL LOAD (2) AS PER EXCESSIVE HOOP STRESS RESTRICTION IN CYL

C
P2 = FYCYL * BAREAC / HSCCI

C
C---- >>> TRIAL LOAD (3) AS PER EXCESSIVE HOOP STRESS RESTRICTION IN ROD

C
P3 = FYROD * BAREAR / HSCRI
IF (LFLUID .NE. LYES) P3 = P2

C
C---- >>> TRIAL LOAD, SMALLER OF (1), (2) AND (3)

C
P1 = DMINI(P1, P2, P3)

C
C---- >>> CALCULATE LOAD INCREMENTS

C
PINCR1 = P1 / FIFTY
PINCR2 = P1 / (FIVHUN * TWO)

C
RETURN
END

```

SUBROUTINE EQBRIM
  I ( PRK, PRDST, RBK, RBDST, NPHBR, NRDBR, CYK, RDK, LPRTP,
  I GC, RPD, BMG, CSSTF, RSSTF,
  I CLT, RLT, CK, RK, BB1, BB2, TETA, DEFG, THC )
C
C---- >>> SUBROUTINE TO CALCULATE CONSISTENT VALUES OF DEFLECTIONS AND
C CROOKEDNESS ANGLE BY ITERATING, FOR A PARTICULAR VALUE OF LOAD
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON EXL, P
  COMMON / BRGSTF / PRKX, SPRK, RBKY, SRBK
  COMMON / CANDDS / C1, C2, D1, D2
  COMMON / CLEAR / PCL, RCL
  COMMON / CONSTS / EEL, FFL, AKTHC, AKTHR
  COMMON / ECCTRI / ECLC, ECLR
  COMMON / FRCGNS / FCCY, FCRD, CONM
  COMMON / GLDFOR / FX(5), FY(5), F1, F2, F3, F4
  COMMON / LENGTS / STROK, PHL, SBL, EPTK, CHDS, LFLUID
  COMMON / REATNS / REC, RER
  COMMON / STPTBS / CL, RL, STPTB
  COMMON / WGTCON / WPH, WSB
  COMMON / WGTVER / WC, WR

  DIMENSION PRK( NPHBR ), PRDST( NPHBR ), RBK( NRDBR ), RBDST( NRDBR )

  DATA ZERO, TWO, HUNDRD / 0.0000, 2.0000, 100.0000 /
  DATA LFIX / 3HFIX /

C---- >>> COUNTER TO QUIT LOOP AT SPECIFIED NUMBER OF ITERATIONS
C
  N = 1
  IF ( LPRTP .NE. 3 ) GO TO 50

C---- >>> CALCULATE CYLINDER, ROD AND EXTENDED LENGTHS IN CASE OF
C STOP-TUBE LENGTH DETERMINATION ANALYSIS
C
  CL = STROK + PHL + GC
  RL = STROK + SBL + RPD / TWO + GC
  EXL = CL + EPTK + CHDS + RL - GC
  GO TO 50

C---- >>> CALCULATE TRANSFORMED CYLINDER AND ROD LENGTHS
C
  20 CLT = CL + EPTK + CHDS - Y
  RLT = RL - X

C---- >>> CALCULATE EQUIVALENT CONCENTRATED LATERAL LOAD AT STEP
C
  W = WPH + WSB + WC * Y + WR * X

C---- >>> CALCULATE LATERAL REACTIONS AT SUPPORTS
C
  REC = ( W * RLT + CONM + WC * CLT * ( RLT + CLT / TWO
  * ) + WR * RLT * RLT / TWO ) / EXL
  RER = W + WC * CLT + WR * RLT - REC
  CALL THCD
  I ( CYK, RDK, CLT, RLT, CSSTF, RSSTF, TETA, W,
  O BB1, BB2, CK, RK, CKILL, SKILL, THC )

```

```

C
C---- >>> CALCULATE DEFLECTION AT SLIDING CONNECTION
C
  DEFG1 = ( AKTHC - AKTHR ) * CLT / EXL - WC * CLT * CLT /
  * ( TWO * P )
  DEFG = C1 * CKILL + C1 * SKILL - EEL * CLT + FFL * CLT
  * - DEFG1 + BB1 - REC * CLT / P

C---- >>> CALCULATE BENDING MOMENT AT INTERFACE
C
  BMG = P * CLT * ( EEL - FFL ) + DEFG1 * P + P * ECLC
  * + REC * CLT - CONM - P * ( FCCY + AKTHC - DEFG )

C---- >>> CALCULATE CROOKEDNESS ANGLE - THETA, AT SLIDING CONNECTION
C
  50 CALL THETA
  I ( PRK, PRDST, RBK, RBDST, NPHBR, NRDBR, GC, BMG, PHL, SBL,
  O X, Y, TETA )
  N = N + 1
  IF ( N - 2 ) 20, 20, 60
  60 DTETA = DABS( TETA / HUNDRD )
  DIFF = DABS( TETA - TETA )
  TETA = TETA

C---- >>> ARE INITIAL AND FINAL THETAS CLOSE?
C
  IF ( DIFF .LT. DTETA ) RETURN
  IF ( N .GT. 25 ) RETURN
  GO TO 20
END

```

```

SUBROUTINE THETA
  I
  O
  ( PRK, PRDST, RBK, RBDST, NPHBR, NRDBR, GC, BMG, PHL, SBL,
  X, Y, TETA )

```

```

C----- >>> SUBROUTINE TO CALCULATE CROOKEDNESS ANGLE AND FORCES AT
C          INTERFACE
C

```

```

IMPLICIT REAL * 8 ( A - H, O - Z )
COMMON / BRGSTF / PRKX, SPRK, RBKY, SRBK
COMMON / CLEAR / PCL, RCL
COMMON / GLDFOR / FX(5), FY(5), F1, F2, F3, F4

```

```

C
DIMENSION PRK( NPHBR ), PRDST( NPHBR ), RBK( NRDBR ), RBDST( NRDBR )

```

```

C
DATA ZERO, ONE, TWO / 0.0000, 1.0000, 2.0000 /

```

```

C----- >>> MONITOR FOR PROPER SIGN
C

```

```

SIGN = ONE
IF ( BMG ) 100, 110, 100
100 SIGN = BMG / DABS( BMG )
110 SRPBK = SRBK + SPRK
F1 = ZERO
F2 = ZERO
F3 = ZERO
F4 = ZERO

```

```

C----- >>> CASE 1: NO METAL TO METAL CONTACT AT SLIDING CONNECTION
C

```

```

X = ( RBKY + GC * SRBK - PRKX ) / SRPBK
Y = GC - X
IF ( PCL .EQ. ZERO .AND. RCL .EQ. ZERO ) GO TO 690
CF = ZERO
DO 130 I = 1, NPHBR
130 CF = CF + PRK(I) * ( X + PRDST(I) ) * ( X + PRDST(I) )
DO 140 I = 1, NRDBR
140 CF = CF + RBK(I) * ( Y + RBDST(I) ) * ( Y + RBDST(I) )
TETA = BMG / CF
D1 = ( X + PHL ) * DABS( TETA )
D2 = ( Y + SBL ) * DABS( TETA )
IF ( D1 .GE. PCL .AND. D2 .GE. RCL ) GO TO 170
IF ( D1 - PCL ) 150, 200, 200
150 IF ( D2 - RCL ) 170, 300, 300
170 D22 = PCL * ( Y + SBL ) / ( X + PHL )
IF ( D22 - RCL ) 200, 300, 300

```

```

C----- >>> CASE 2: CONTACT AT FRONT FACE OF PISTON HEAD
C

```

```

200 XNUM = ZERO
XDEN = ZERO
A = PHL + GC
B = DABS( BMG ) / PCL
DO 210 I = 1, NPHBR
TEMP = PRK(I) * ( PHL - PRDST(I) )
210 XDEN = XDEN + TEMP
XNUM = XNUM + TEMP * PRDST(I)
XNUM = - XNUM

```

```

DO 220 I = 1, NRDBR
TEMP = RBK(I) * ( A + RBDST(I) )
XDEN = XDEN + TEMP
220 XNUM = XNUM + TEMP * ( GC + RBDST(I) )
XNUM = XNUM - B * PHL
XDEN = B + XDEN
X = XNUM / XDEN
Y = GC - X
TETA = PCL / ( X + PHL ) * SIGN
D3 = DABS( TETA * X )
D2 = ( Y + SBL ) * DABS( TETA )
IF ( D3 .GE. PCL .AND. D2 .GE. RCL ) GO TO 270
IF ( D3 - PCL ) 240, 400, 400
240 IF ( D2 - RCL ) 250, 600, 600
250 F1 = TETA * ( RBKY + GC * SRBK - PRKX - X * SRPBK )
GO TO 750
270 TETA = PCL * TWO / PHL
D2 = ( PHL / TWO + GC + SBL ) * TETA
IF ( D2 - RCL ) 400, 600, 600

```

```

C----- >>> CASE 3: CONTACT AT FRONT FACE OF STUFFING BOX
C

```

```

300 XNUM = ZERO
XDEN = ZERO
A = SBL + GC
B = DABS( BMG ) / RCL
DO 310 I = 1, NPHBR
TEMP = PRK(I) * ( A + PRDST(I) )
310 XDEN = XDEN + TEMP
XNUM = XNUM + TEMP * PRDST(I)
XNUM = - XNUM
DO 320 I = 1, NRDBR
TEMP = RBK(I) * ( SBL - RBDST(I) )
320 XDEN = XDEN + TEMP
XNUM = XNUM + TEMP * ( GC + RBDST(I) )
XNUM = XNUM + B * A
XDEN = B + XDEN
X = XNUM / XDEN
Y = GC - X
TETA = RCL / ( Y + SBL ) * SIGN
D1 = ( X + PHL ) * DABS( TETA )
D4 = DABS( TETA * Y )
IF ( D1 .GE. PCL .AND. D4 .GE. RCL ) GO TO 370
IF ( D1 - PCL ) 340, 600, 600
340 IF ( D4 - RCL ) 350, 500, 500
350 F2 = TETA * ( X * SRPBK - RBKY - GC * SRBK + PRKX )
GO TO 750
370 TETA = RCL * TWO / SBL
D1 = ( PHL + GC + SBL / TWO ) * DABS( TETA )
IF ( D1 - PCL ) 500, 600, 600

```

```

C----- >>> CASE 4: CONTACT AT FRONT AND BACK FACES OF PISTON HEAD
C

```

```

400 X = - PHL / TWO
TETA = TWO * PCL / PHL * SIGN
Y = GC - X
CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR, FX )
CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR, FY )

```



```

DO 470 I = 1, NPHBR
  F3 = F3 + FX(I)
  F1 = F1 + FX(I) * PRDST(I)
DO 480 I = 1, NRDBR
  F3 = F3 - FY(I)
  F1 = F1 + FY(I) * ( GC + RBDST(I) )
  F1 = ( BMG - F1 ) / PHL
  F3 = F1 + F3
RETURN
C
C---- >>> CASE 5: CONTACT AT FRONT AND BACK FACES OF STUFFING BOX
C
500 X = GC + SBL / TWO
    TETA = TWG * RCL / SBL * SIGN
    Y = GC - X
    CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR, FX )
    CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR, FY )
    DO 570 I = 1, NPHBR
      F2 = - FX(I) * ( GC + PRDST(I) ) + F2
      F4 = - FX(I) + F4
    DO 580 I = 1, NRDBR
      F2 = F2 - FY(I) * RBDST(I)
      F4 = F4 + FY(I)
      F2 = ( BMG + F2 ) / SBL
      F4 = F2 + F4
    RETURN
C
C---- >>> CASE 6: CONTACT AT FRONT FACE OF PISTON HEAD AND FRONT FACE
C OF STUFFING BOX
C
600 TETA = ( PCL + RCL ) / ( PHL + GC + SBL ) * SIGN
    X = PCL / DABS( TETA ) - PHL
    Y = GC - X
    CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR, FX )
    CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR, FY )
    DO 670 I = 1, NPHBR
      F1 = - FX(I) * ( SBL + GC + PRDST(I) ) + F1
      F2 = FX(I) + F2
    DO 680 I = 1, NRDBR
      F1 = F1 + FY(I) * ( SBL - RBDST(I) )
      F2 = - FY(I) + F2
      F1 = ( BMG + F1 ) / ( PHL + GC + SBL )
      F2 = F1 + F2
    RETURN
690 TETA = ZERO
C
750 CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR, FX )
    CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR, FY )
    RETURN
    END

```

```

SUBROUTINE GFORCE
  I ( AK, DST, TETA, X, N, F )
C
C---- >>> SUBROUTINE TO CALCULATE FORCES ON EACH BEARING
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  DIMENSION AK(N), DST(N), F(N)
C
  DO 100 I = 1, N
    F(I) = AK(I) * ( X + DST(I) ) * TETA
  100 CONTINUE
  RETURN
  END

```

```

SUBROUTINE THCD5
  I ( CYK, RDK, CLT, RLT, CSSTF, RSSTF, TETA, W,
  O BB1, BB2, CK, RK, CK1L1, SK1L1, THC )
C
C---- >>> SUBROUTINE TO CALCULATE SLOPES AT SUPPORTS AND CONSTANTS IN
C DEFLECTION EQUATIONS
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON EXL, P
  COMMON / CANDDS / C1, C2, D1, D2
  COMMON / CONSTS / EEL, FFL, AKTHC, AKTHR
  COMMON / ECCTRI / ECLC, ECLR
  COMMON / FRCONS / FCCY, FCRD, CONM
  COMMON / REATNS / REC, RER
  COMMON / WGTVER / WC, WR
C
  DATA ZERO, ONE / 0.000, 1.000 /
C
  SQP = DSQRT ( P )
  CK = SQP / CYK
  RK = SQP / RDK
  CK2 = CK * CK
  RK2 = RK * RK
  AK1L1 = CK * CLT
  AK2L2 = RK * RLT
  AK2L1 = RK * CLT
  AK2EL = RK * EXL
  TK1L1 = DTAN( AK1L1 )
  SK1L1 = DSIN( AK1L1 )
  CK1L1 = DCOS( AK1L1 )
  TK2L2 = DTAN( AK2L2 )
  SK2L2 = DSIN( AK2L2 )
  CK2L2 = DCOS( AK2L2 )
  CK2L1 = DCOS( AK2L1 )
  TK2L1 = DTAN( AK2L1 )
  CK2EL = DCOS( AK2EL )
  SK2EL = DSIN( AK2EL )
  TK2EL = DTAN( AK2EL )
  AKCGN = CK / TK1L1 + RK / TK2L2
  BKCGN = CK * TK2L2 + RK * TK1L1
  CKCGN = RK - CK * TK1L1 * TK2L2
  DKCGN = RK * TK1L1 * TK2L1 + CK
  TT = TK1L1 * TK2L2
  SS = SK1L1 * SK2L2
  CC = CK1L1 * CK2L2
  ST = SK1L1 * TK2L2
  CCEL = CK2L2 * CK2EL
  TS = TK1L1 * SK2L2
  WRPK2 = WR / ( P * RK2 )
  WCPK2 = WC / ( P * CK2 )
  WCWR = WRPK2 - WCPK2
  AKCBP = CSSTF / P
  AKRBP = RSSTF / P
  EEL = ( ECLR - ECLC ) / EXL
  FFL = ( FCRD - FCCY ) / EXL
  BB1 = CONM / P + FCCY - ECLC - WCPK2
  BB2 = FCRD - ECLR - WRPK2
  BB3 = TETA + W / P

```

```

C
C---- >>> CALCULATE SLOPES AT CYLINDER AND ROD SUPPORTS
C
  A11 = ONE - AKCBP * CK * CKCGN / BKCGN + AKCBP / EXL
  A12 = AKRBP * CK * RK / BKCGN / CC - AKRBP / EXL
  B1 = ( BB1 * CKCGN / TT - WCWR * RK / ST - BB2 * RK
  * / SS + BB3 / SK1L1 ) * CK / AKCGN - EEL + FFL
  * - REC / P
  A21 = - AKCBP * CK * RK / BKCGN / CC + AKCBP / EXL
  A22 = ONE + AKRBP * CK2L1 * DKCGN * RK / CCEL / BKCGN
  * - AKRBP * RK * TK2EL - AKRBP / EXL
  B2 = ( BB1 * CK / CC - BB2 * DKCGN * CK2L1 / CCEL
  * - WCWR * CK / CK2L2 - BB3 * TK1L1 / CK2L2 ) * RK
  * / BKCGN + BB2 * RK * TK2EL - EEL + FFL + RER / P
  THDEN = A11 * A22 - A12 * A21
  THC = ( B1 * A22 - A12 * B2 ) / THDEN
  THR = ( A11 * B2 - A21 * B1 ) / THDEN
  AKTHC = AKCBP * THC
  AKTHR = AKRBP * THR
  BB1 = BB1 + AKTHC
  BB2 = BB2 + AKTHR

```

```

C
C---- >>> CALCULATE CONSTANTS IN DEFLECTION EQUATIONS
C
  C1 = -BB1
  D1 = ( BB1 * CKCGN / TT - WCWR * RK / ST - BB2 * RK
  * / SS + BB3 / SK1L1 ) / AKCGN
  *
  D2 = ( BB1 * CK * CK2EL / SS - BB2 * DKCGN * CK2L1
  * / TS - WCWR * CK * CK2EL / TS - BB3 * CK2EL
  * / SK2L2 ) / AKCGN
  C2 = ( - D2 * SK2EL - BB2 ) / CK2EL
  RETURN
  END

```

```

SUBROUTINE STOPTH
  I ( TETA, NPHBR, NRDBR, ALTH, ALF, STROK, ITERAT, GC )
C
C---- >>> SUBROUTINE TO CALCULATE THE REQUIRED LENGTH OF STOP-TUBE
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON / GLDFOR / FX(5), FY(5), F1, F2, F3, F4
C
  DATA TWO, HUNDRD / 2.0000, 100.0000 /
C
C---- >>> INCREMENT FOR STOP-TUBE LENGTH
C
  GCI = STROK / HUNDRD
C
C---- >>> CALCULATE TOTAL LATERAL FORCE
C
  TF = DABS( F1 ) + DABS( F2 ) + DABS( F3 ) + DABS( F4 )
  DO 100 I = 1, NPHBR
    TF = TF + DABS( FX(I) )
  100
  DO 110 I = 1, NRDBR
    TF = TF + DABS( FY(I) )
  110
  F = TF / TWO
C
C---- >>> CHECK TOTAL FORCE AND CROOKEDNESS ANGLE LIMITS
C
  IF ( F .LT. ALF .AND. DABS( TETA ) .LT. ALTH ) RETURN
  GC = GC + GCI
  IF ( GC - STROK / TWO / TWO ) 120, 120, 900
  ITERAT = 2
120
  RETURN
900 PRINT 910
910 FORMAT ( 1H1, ///, 5( 25H* * * * * ERROR * * * * *, / ),
1      ///, 45HFORCE AND CROOKEDNESS ANGLE LIMITS AT //
2      45HSLIDING CONNECTION ARE TOO SMALL; //
3      45HRESULTS IN UNECONOMICAL DESIGN; //
4      45HSTOP TUBE LENGTH BECOMES > STROKE / 4; //
5      45HSUGGESTION - INCREASE LIMITING VALUES. // )
  STOP
  END

```

```

SUBROUTINE XATYMX
  I ( CLT, CK, RK, DEFG,
  O XCY, XRD, CSLPC, CSLPR )
C
C---- >>> SUBROUTINE TO CALCULATE THE DISTANCES AT WHICH MAXIMUM
C DEFLECTIONS OCCUR
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON EXL, P
  COMMON / CANDDS / C1, C2, D1, D2
  COMMON / CONSTS / EEL, FFL, AKTHC, AKTHR
  COMMON / REATNS / REC, RER
  COMMON / WGTVER / WC, WR
C
  DATA ZERO, HUNDRD / 0.000, 100.000 /
C
C---- >>> INCREMENT FOR X
C
  AINCR = CLT / HUNDRD
  CSLP = - EEL + FFL - ( AKTHC - AKTHR ) / EXL
  CSLPC = CSLP - REC / P
  CSLPR = CSLP + RER / P
  XCY = CLT
  XRD = CLT
C
C---- >>> POINT AT WHICH MAXIMUM DEFLECTION OCCURS IN CYLINDER
C
100   ANG = CK * XCY
      CSLOP = - C1 * CK * DSIN( ANG ) + D1 * CK * DCOS( ANG )
      *      + CSLPC + WC * XCY / P
120   IF ( DEFG ) 140, 140, 120
140   IF ( CSLOP ) 160, 160, 200
160   IF ( CSLOP ) 200, 160, 160
      XCY = XCY - AINCR
      GO TO 100
C
C---- >>> POINT AT WHICH MAXIMUM DEFLECTION OCCURS IN ROD
C
200   ANG = RK * XRD
      RSLOP = - C2 * RK * DSIN( ANG ) + D2 * RK * DCOS( ANG )
      *      + CSLPR - WR * ( EXL - XRD ) / P
220   IF ( DEFG ) 240, 240, 220
240   IF ( RSLOP ) 300, 260, 260
260   IF ( RSLOP ) 260, 260, 300
      XRD = XRD + AINCR
      GO TO 200
300 RETURN
  END

```

```

SUBROUTINE YMAXS
  I      ( XCY, XRD, CK, RK, CSLPC, CSLPR, BB1, BB2,
  O      YCMAX, YRMAX )
C
C----- >>> SUBROUTINE TO CALCULATE MAX. DEFLECTIONS IN CYLINDER AND ROD
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON EXL, P
  COMMON / CANDDS / C1, C2, D1, D2
  COMMON / WGTVER / WC, WR
C
  DATA TWO / 2.0D00 /
C
  CANG = XCY * CK
  RANG = XRD * RK
  TWOP = TWO * P
  XRDP = EXL - XRD
C
C----- >>> MAXIMUM DEFLECTION IN CYLINDER
C
  YCMAX = C1 * DCOS( CANG ) + D1 * DSIN( CANG )
  *      + CSLPC * XCY + BB1 + WC * XCY * XCY / TWOP
C
C----- >>> MAXIMUM DEFLECTION IN ROD
C
  YRMAX = C2 * DCOS( RANG ) + D2 * DSIN( RANG )
  *      - CSLPR * XRDP + BB2 + WR * XRDP * XRDP / TWOP
C
  RETURN
  END

```

```

SUBROUTINE STRCHS
  I      ( KEYF, KEYT, KEYP, XCY, XRD, YCMAX, YRMAX, RID, CHDS,
  I      OPPE, FYROOT, FYCYLT, PINCR1, PINCR2, KEYST, LFLUID,
  O      HSC, HSR, AXTEN, CSTR, CSTRP, RSTR, RSTRP, CSS, NCSS,
  O      RSS, NRSS )
C
C----- >>> SUBROUTINE TO CHECK THE MAXIMUM STRESSES WITH THE LIMITING
C      STRESSES
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON EXL, P
  COMMON / CONSTS / EEL, FFL, AKTHC, AKTHR
  COMMON / CRPROP / ROZ, CYZ, ROZI, CYZI, HSCCI, HSCCO, HSCRI,
  *      HSCRO, BAREAC, BAREAR, CAREAC, CAREAR
  COMMON / ECCTRI / ECLC, ECLR
  COMMON / FRCONS / FCCY, FCRO, CCNM
  COMMON / REATNS / REC, RER
  COMMON / WGTVER / WC, WR
C
  DATA ZERO, TWO / 0.0D00, 2.0D00 /
  DATA LYES / THREE /
C
C----- >>> CALCULATE BENDING MOMENTS AT MAXIMUM DEFLECTION POINTS
C
  BMC1 = ( EEL - FFL + ( AKTHC - AKTHR ) / EXL ) * P * XCY
  BMC  = DABS( BMC1 + REC * XCY - CONM - P * FCCY - AKTHC
  *      * P - WC * XCY * XCY / TWO + P * ( ECLC + YCMAX ) )
  *      = EXL - XRD
  BMR  = DABS( - BMC1 * XRDP / XCY + RER * XRDP - P
  *      * FCRO - AKTHR * P - WR * XRDP * XRDP / TWO
  *      + P * ( ECLR + YRMAX ) )
C
C----- >>> CALCULATE BENDING MOMENTS AT SUPPORTS
C
  BMCP = DABS( - CONM - P * ( FCCY + AKTHC - ECLC ) )
  BMRP = DABS( - P * ( FCRO + AKTHR - ECLR ) )
C
C----- >>> CALCULATE ALL STRESSES
C
C      HOOP STRESSES
C
  PRE = P / BAREAC
  HSC = HSCCI * PRE
  HSCO = HSCCO * PRE
  HSR = ZERO
  IF ( LFLUID .EQ. LYES ) HSR = HSCRI * PRE
  HSRG = ZERG
  IF ( LFLUID .EQ. LYES ) HSRG = HSCRO * PRE
C
C      LONGITUDINAL STRESSES
C
  AXTEN = ZERO
  IF ( CHDS .LT. ZERO ) AXTEN = P / CAREAC
  CSTR  = BMC / CYZ
  CSTR1 = BMC / CYZI
  CSTRP = BMCP / CYZ
  CSTRP1 = BMCP / CYZI
  PR    = P

```

```

IF ( LFLUID .EQ. LYES ) PR = P - PRE * BAREAR
  AXRST = PR / CAREAR
  RSTR = BMR / RDZ + AXRST
  RSTRI = BMR / RDZI + AXRST
  RSTRP = BMRP / RDZ + AXRST
  RSTRPI = BMRP / RDZI + AXRST

  SHEAR STRESSES

  CSSO = HSCO + CSTR
  CSSI = HSC + CSTR
  CSSPO = HSCO + CSTRP
  CSSPI = HSC + CSTRPI
  IF ( CSSPO.GT.CSSPI.AND.CSSPO.GT.CSSO.AND.CSSPO.GT.CSSI ) GO TO 40
  IF ( CSSPI .GT. CSSO .AND. CSSPI .GT. CSSI ) GO TO 30
  IF ( CSSO .GT. CSSI ) GO TO 20
  CSS = CSSI
  NCSS = 2
  GO TO 50
20  CSS = CSSO
  NCSS = 1
  GO TO 50
30  CSS = CSSPI
  NCSS = 2
  GO TO 50
40  CSS = CSSPO
  NCSS = 1
50  RSS = ZERO
  NRSS = 0
  IF ( LFLUID .NE. LYES ) GO TO 90
  RSSPO = HSR + RSTRP
  RSSPI = HSR + RSTRPI
  RSSO = HSR + RSTR
  RSSI = HSR + RSTRI
  IF ( RSSPO.GT.RSSPI.AND.RSSPO.GT.RSSO.AND.RSSPO.GT.RSSI ) GO TO 80
  IF ( RSSPI .GT. RSSO .AND. RSSPI .GT. RSSI ) GO TO 70
  IF ( RSSO .GT. RSSI ) GO TO 60
  RSS = RSSI
  NRSS = 2
  GO TO 90
60  RSS = RSSO
  NRSS = 1
  GO TO 90
70  RSS = RSSPI
  NRSS = 2
  GO TO 90
80  RSS = RSSPO
  NRSS = 1
90  CONTINUE
  IF ( KEYF .NE. 1 ) GO TO 500
  IF ( KEYST .NE. 1 ) GO TO 500
C----- >>> CHECK WITH LIMITING STRESSES
C
  STRMX1 = DMAX1( CSTR, CSTRP, HSC, CSS )
  STRMX2 = DMAX1( RSTR, RSTRP, HSR, RSS )
  IF ( STRMX1 .GT. FYCYLT .OR. STRMX2 .GT. FYRODT ) GO TO 100
  IF ( KEYT .EQ. 2 ) GO TO 400

```

```

C----- >>> CHANGE THE TRIAL LOAD CORRESPONDINGLY
C
  P = P + PINCR1
  RETURN
100 IF ( KEYP .EQ. 2 ) GO TO 200
  P = P - PINCR1 + PINCR2
  KEYT = 2
  RETURN
C----- >>> ITERATIVE REFINEMENT SECTION
C
200 P = P - PINCR2
  KEYF = 2
  RETURN
400 P = P + PINCR2
  KEYP = 2
  RETURN
500 KEYF = 3
  RETURN
  END

```

```

SUBROUTINE OUTPUT
I ( KWIT, BAREAC, XCY, XRD, YCMAX, YRMAX, CHOS, GC, TETA,
I FYCYLT, FYRODT, CSTR, CSTRP, RSTR, RSTRP, HSC, HSR, AXTEN,
I NPHBR, NRDBR, THC, CSS, NCSS, RSS, NRSS )
C
C---- >>> SUBROUTINE TO PRINT ALL THE RESULTS
C
IMPLICIT REAL * 8 ( A - H, O - Z )
COMMON EXL, P
COMMON / ENDS / LCEND, LREND
COMMON / FSOPF / OPPRE, ALTH, ALF, FS, LFSTP
COMMON / GLDFOR / FX(5), FY(5), F1, F2, F3, F4
COMMON / ID / IDCARD(40), NPROB, IPROB(19), LPRTP
COMMON / UNITS / LNTU, LGDU, LPREU, LANGU
C
DATA ZERG, THO, H180 / 0.0D00, 2.0D00, 180.0D00 /
DATA PI / 3.141592653589793D00 /
DATA LDEG, LFIX / 4HDEG, 3HFIX /
C
C---- >>> FORMATS
C
100 FORMAT ( 1H1, 5X, 36HPROGRAM SACREG - STRESS ANALYSIS OF ,
1 21HCYLINDERS ( REGULAR ), //, 2( 5X, 20A4, / ), / )
110 FORMAT ( 5X, 8HPROBLEM, A4, //, 1X, 19A4 )
120 FORMAT ( //, 5X, 35HRESULTS: CRITICAL LOAD ANALYSIS, / )
130 FORMAT ( //, 5X, 44HRESULTS: ANALYSIS FOR A GIVEN OPERATING ,
1 8HPRESSURE, / )
140 FORMAT ( //, 5X, 49HRESULTS: ANALYSIS TO DETERMINE STOP-TUBE ,
1 6HLENGTH, / )
150 FORMAT ( //, 14X, 25HCRTITICAL LOAD =, 1PD10.3, 4X, A4,
1 //, 14X, 25HMAXIMUM FLUID PRESSURE =, 1PD10.3, 4X, A4,
2 //, 14X, 25HCROOKEDNESS ANGLE =, 1PD12.5, 2X, A4, / )
160 FORMAT ( //, 14X, 25HOPERATING PRESSURE =, 1PD10.3, 4X, A4,
1 //, 14X, 25HLOAD =, 1PD10.3, 4X, A4,
2 //, 14X, 25HCROOKEDNESS ANGLE =, 1PD12.5, 2X, A4, / )
180 FORMAT ( //, 5X, 34HREQUIRED LENGTH OF STOP-TUBE = 1PD10.3, 4X, A4
1 //, 5X, 34HCORRESPONDING EXTENDED LENGTH = 1PD10.3, 4X, A4
2 //, 5X, 32HRESULTS WITH THIS STOP-TUBE ARE:, / )
250 FORMAT ( 1H1, //, 5X, 40HANALYSIS AFTER APPLYING GIVEN FACTOR OF ,
1 10HSAFETY OF, F6.3, 2X, 2HON, 2X, A4, 2H: , / )
260 FORMAT ( //, 14X, 25HLOAD =, 1PD10.3, 4X, A4,
1 //, 14X, 25HFLUID PRESSURE =, 1PD10.3, 4X, A4,
2 //, 14X, 25HCROOKEDNESS ANGLE =, 1PD12.5, 2X, A4, / )
300 FORMAT ( //, 5X, 9HCYLINDER:,
1 //, 10X, 29HMAXIMUM DEFLECTION =, 1PD10.3, 4X, A4,
2 //, 10X, 29HMAXIMUM LONGITUDINAL STRESS =, 1PD10.3, 4X, A4,
3 //, 10X, 29HAT A DISTANCE FROM CYL SUP =, 1PD10.3, 4X, A4,
4 //, 10X, 29HFACTOR OF SAFETY ON CYL =, 1PD10.3, / )
310 FORMAT ( //, 10X, 29HMAX LONG STRESS AT CYL END =, 1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON CYL =, 1PD10.3, / )
312 FORMAT ( //, 10X, 29HMAX SHEAR STRESS IN CYL =, 1PD10.3, 4X, A4,
1 //, 10X, 24HAT MAX LONG STRESS POINT )
314 FORMAT ( 10X, 21HAND AT CUTER SURFACE )
316 FORMAT ( 10X, 21HAND AT INNER SURFACE )
318 FORMAT ( //, 10X, 29HFACTOR OF SAFETY ON CYL =, 1PD10.3, / )
320 FORMAT ( //, 10X, 29HMAXIMUM HOOP STRESS IN CYL =, 1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON CYL =, 1PD10.3, / )
325 FORMAT ( //, 10X, 29HAXIAL TENSION IN OVER HANG =, 1PD10.3, 4X, A4,

```

```

1 //, 10X, 29HFACTOR OF SAFETY ON CYL =, 1PD10.3,
2 //, 10X, 29HEND DEFLECTION IN OVERHANG =, 1PD10.3, 4X, A4 )
330 FORMAT ( //, 5X, 9HROD : ,
1 //, 10X, 29HMAXIMUM DEFLECTION =, 1PD10.3, 4X, A4,
2 //, 10X, 29HMAXIMUM LONGITUDINAL STRESS =, 1PD10.3, 4X, A4,
3 //, 10X, 29HAT A DISTANCE FROM CYL SUP =, 1PD10.3, 4X, A4,
4 //, 10X, 29HFACTOR OF SAFETY ON ROD =, 1PD10.3, / )
340 FORMAT ( //, 10X, 29HMAX LONG STRESS AT ROD END =, 1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON ROD =, 1PD10.3, / )
342 FORMAT ( //, 10X, 29HMAX SHEAR STRESS IN ROD =, 1PD10.3, 4X, A4,
1 //, 10X, 24HAT MAX LONG STRESS POINT )
348 FORMAT ( //, 10X, 29HFACTOR OF SAFETY ON ROD =, 1PD10.3, / )
350 FORMAT ( //, 10X, 29HMAXIMUM HOOP STRESS IN ROD =, 1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON ROD =, 1PD10.3, / )
360 FORMAT ( 1H1, //, 5X, 29HFORCES AT SLIDING CONNECTION:, //, 15X,
1 23HPISTON BEARINGS (SEALS), 6X, 5HFORCE, /, 25X, 2HNU, / )
370 FORMAT ( //, 5( 25X, 12, 12X, 1PD10.3, 2X, A4, // )
380 FORMAT ( //, 18X, 20HRCD BEARINGS (SEALS), 6X, 5HFORCE, /, 25X, 2HNU, / )
390 FORMAT ( //, 8X38HF1- FORCE AT PISTON HEAD FRONT FACE =1PD11.3, 2XA4
1 //, 8X38HF2- FORCE AT STUFFING BOX FRONT FACE =1PD11.3, 2XA4
2 //, 8X38HF3- FORCE AT PISTON HEAD BACK FACE =1PD11.3, 2XA4
3 //, 8X38HF4- FORCE AT STUFFING BOX INNER FACE =1PD11.3, 2XA4
4 //, 11X, 33H(ZERO FORCES INDICATE NO CONTACT), / )
400 FORMAT ( //, 10X, 39HTHETA EQUAL TO ZERO IMPLIES CONTINUOUS ,
1 17HCONTACT AT GLAND. , /, 10X,
2 34HABOVE FORCES CANNOT BE CALCULATED.
3 33HHENCE, ARE PRINTED OUT AS ZERO'S. , // )
C
TEMP = H180 / PI
IF ( LANGU .EQ. LDEG ) TETA = TETA * TEMP
PRE = P / BAREAC
IF ( KWIT .NE. 1 ) GO TO 540
C
C---- >>> PRINT ALL RESULTS
C
PRINT 100, ( IDCARD(I), I = 1, 40 )
PRINT 110, NPROB, ( IPROB(I), I = 1, 19 )
GO TO ( 510, 520, 530 ), LPRTP
510 PRINT 120
PRINT 150, P, LODU, PRE, LPREU, TETA, LANGU
GO TO 550
520 PRINT 130
PRINT 160, OPPRE, LPREU, P, LODU, TETA, LANGU
GO TO 550
530 PRINT 140
PRINT 180, GC, LNTU, EXL, LNTU
PRINT 150, P, LODU, OPPRE, LPREU, TETA, LANGU
GO TO 550
540 PRINT 250, FS, LFSTP
PRINT 260, P, LODU, PRE, LPREU, TETA, LANGU
C
C---- >>> CALCULATE THE FACTOR OF SAFETY'S ON MAXIMUM STRESSES WITH
C LIMITING STRESSES AND PRINT
C
550 FCSF = FYCYLT / CSTR
PRINT 300, YCMAX, LNTU, CSTR, LPREU, XCY, LNTU, FCSF
IF ( CSTRP .GT. ZERO ) FCSF = FYCYLT / CSTRP
IF ( LCEND .EQ. LFIX ) PRINT 310, CSTRP, LPREU, FCSF

```

```

      FCSF = FYCYLT / CSS
      CSS = CSS / TWG
PRINT 312, CSS, LPREU
      IF ( NCSS .EQ. 1 ) PRINT 314
      IF ( NCSS .EQ. 2 ) PRINT 316
PRINT 318, FCSF
      FCSF = FYCYLT / HSC
PRINT 320, HSC, LPREU, FCSF
      IF ( CHDS .GE. ZERO ) GO TO 560
      FCSF = FYCYLT / AXTEN
      ENDDF = THC * CHDS
PRINT 325, AXTEN, LPREU, FCSF, ENDDF, LNTU
560   FCSF = FYRODT / RSTR
PRINT 330, YRMAX, LNTU, RSTR, LPREU, XRD, LNTU, FCSF
      IF ( RSTRP .GT. ZERO ) FCSF = FYRODT / RSTRP
      IF ( LREND .EQ. LFIX ) PRINT 340, RSTRP, LPREU, FCSF
      IF ( HSR .EQ. ZERO ) GO TO 570
      FCSF = FYRODT / RSS
      RSS = RSS / TWO
PRINT 342, RSS, LPREU
      IF ( NRSS .EQ. 1 ) PRINT 314
      IF ( NRSS .EQ. 2 ) PRINT 316
PRINT 348, FCSF
      FCSF = FYRODT / HSR
PRINT 350, HSR, LPREU, FCSF
570   PRINT 360
PRINT 370, ( I, FX(I), LODU, I = 1, NPHBR )
PRINT 380
PRINT 370, ( I, FY(I), LODU, I = 1, NRDBR )
PRINT 390, F1, LODU, F2, LGDU, F3, LODU, F4, LODU
      IF ( TETA .EQ. ZERO ) PRINT 400
RETURN
END

```

00000000111111111222222223333333334444444455555555666666667777777778
 123456789012345678901234567890123456789012345678901234567890123456789012345678901234567890

CARD
 1 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 2 CODED JUNE 9, 1976 BY K. L. SESHASAI
 3 REG1 LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER.
 4 1
 5
 6 50.0 INCH KIPS KSI DEG
 7 56.13 6.13 4.44 0.76 3.0 NO
 8 7.0 56.82 116.71 0.0
 9 0.0 3.0 0.0 4.75 4.75 5.989 3.009
 10 0.316 0.451 500.0 2.375
 11 0.365 0.25 1000.0 3.9
 12 0.316 0.451 500.0 5.45 END
 13 0.35 0.2 750.0 3.15 END
 14 0.0032 0.002 0.05 0.07 29000.0 29000.0 125.0 125.0
 15 0.0 PIN PIN +0.025 +0.025 +0.1 +0.12
 16 2.0 LOAD
 17 REG2 LPRTP=1; P-F; HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.
 18 1 KEEP
 19 50.0 6.13 4.44 0.76 3.0
 20 56.13 56.82 116.71 0.0
 21 7.0 6.0 3.0 1.5 4.75 5.989
 22 0.0 0.009
 23 2100.0 2.375
 24 8800.0 3.9
 25 2100.0 5.45 END
 26 3900.0 3.15 END
 27 90.0 PIN FIX -0.02 +0.1 -0.05
 28 4.0 STRS
 29 REG3 LPRTP=1; F-F; SOLID ROD; 30 DEG INCLINED CYL.
 30 1
 31 INCH LBS PSI DEG
 32 50.0 6.13 4.44 0.76 3.0
 33 56.13 56.82 116.71 0.0
 34 7.0 6.0 3.0 0.0
 35 0.005 0.011 0.009
 36 2100000.0 2.375
 37 8800000.0 3.9
 38 2100000.0 5.45 END
 39 0.35 0.2 750000.0 1.75
 40 0.35 0.4 250000.0 3.5
 41 3.2 2.0 50.0 70.0 29000000. 29000000. 75000.0 125000.0
 42 30.0 FIX FIX -0.05 -0.025
 43
 44 REG4 LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.
 45 1
 46 INCH KIPS KSI RAD
 47 60.0 6.13 4.44 0.76 -15.0
 48 66.13 56.82 116.71 0.0
 49 6.5 5.5 2.75 0.0 2.0 3.0 5.49 2.76
 50 0.005 0.01 0.008
 51 0.316 0.451 500.0 2.375
 52 8800.0 3.9
 53 2100.0 5.45
 54 0.35 0.2 750.0 3.15 END

00000000111111111222222223333333334444444455555555666666667777777778
 123456789012345678901234567890123456789012345678901234567890123456789012345678901234567890

CARD
 55 0.003 0.00175 0.04 0.06 29000.0 100.0 125.0
 56 0.0 LOAD PIN PIN +0.05 +0.01
 57 1.0
 58 REG5 LPRTP=2; F-P; HOLLOW ROD WITH FLUID; INCLINED CYLINDER; METRIC UNITS.
 59 2
 60 CM KGS KGSC RAD
 61 127.0 15.57 11.28 1.53 7.62 YES
 62 142.57 144.38 296.5 0.0
 63 17.78 15.24 7.62 3.8 12.0 15.22 7.64
 64 0.01
 65 0.8 1.15 35000.0 6.0
 66 1.0 0.8 70000.0 10.0
 67 1.0 0.5 50000.0 371000.0 13.5 END
 68 1.5 1.0 23.0 32.0 2100000.0 2100000.0 7050.0 8800.0
 69 0.75 FIX PIN -0.05 +0.1
 70
 71 175.0
 72 REG6 LPRTP=3; P-P; SOLID ROD; HORIZONTAL CYLINDER.
 73 3
 74 INCH KIPS KSI DEG
 75 60.0 6.13 4.44 0.76 3.0 NO
 76 7.0 6.0 3.0 0.0 4.75 4.75 5.989 3.009
 77 0.005
 78 2100.0 2.375
 79 8800.0 3.9
 80 2100.0 5.45 END
 81 3900.0 3.15 END
 82 0.0032 0.002 0.05 0.07 29000.0 29000.0 100.0 125.0
 83 0.0 PIN PIN 0.0 -0.05 +0.1
 84 2.0 0.0075 10.0
 85 THIS IS A BLANK CARD

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG1

LRPTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	DEG

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
5.00000 01	6.13000 00	4.44000 00	7.60000 01	3.00000 00

CYLINDER	RCD	EXTENDEC	STOP TUBE
5.61300 01	5.68200 01	1.16710 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER
7.00000 00	6.00000 00	3.00000 00	0.0

SOLID ROD

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
4.75000 00	4.75000 00	5.98900 00	3.00900 00

(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BCX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
0.0	0.0	0.0

(@ ZERO, OTHER OPTION IS INPUT)

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.16000 01	4.51000 01	5.00000 02	0.0	2.37500 00
3.65000 01	2.50000 01	1.00000 03	0.0	3.90000 00
3.16000 01	4.51000 01	5.00000 02	0.0	5.45000 00

RCD BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.50000 01	2.00000 01	7.50000 02	0.0	3.15000 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT
ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
3.20000 03	2.00000 03	5.00000 02	7.00000 02

MATERIAL PROPERTIES:

YOUNGS MODULUS CYLINDER	YIELD STRESS ROD	YIELD STRESS CYLINDER	ROD
2.90000 04	2.90000 04	1.25000 02	1.25000 02

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 0.0

SUPPORT CONDITIONS:	CYLINDER END PIN	ROD END PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	2.50000 02	2.50000 02
LOADING ECCENTRICITIES:	1.00000 01	1.20000 01

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

FACTOR OF SAFETY = 2.000 ON LOAD

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG1

LP RTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD = 1.282D 02 KIPS
 MAXIMUM FLUID PRESSURE = 4.533D 00 KSI
 CROOKEDNESS ANGLE = 4.79594D-02 DEG

CYLINDER:

MAXIMUM DEFLECTION = 1.913D 00 INCH
 MAXIMUM LONGITUDINAL STRESS= 1.676D 01 KSI
 AT A DISTANCE FROM CYL SUP = 5.898D 01 INCH
 FACTOR OF SAFETY ON CYL = 7.460D 00
 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 2.200D 01 KSI
 FACTOR OF SAFETY ON CYL = 2.841D 00
 MAXIMUM HOOP STRESS IN CYL = 2.964D 01 KSI
 FACTOR OF SAFETY ON CYL = 4.218D 00

ROD :

MAXIMUM DEFLECTION = 2.083D 00 INCH
 MAXIMUM LONGITUDINAL STRESS= 1.240D 02 KSI
 AT A DISTANCE FROM CYL SUP = 7.137D 01 INCH
 FACTOR OF SAFETY ON ROD = 1.008D 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	2.532D 00 KIPS
2	2.173D 01 KIPS
3	7.942D 00 KIPS

ROD BEARINGS (SEALS) NO	FORCE
1	1.347D 01 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 1.874D 01 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

ANALYSIS AFTER APPLYING GIVEN FACTOR OF SAFETY OF 2.000 ON LOAD:

LOAD = 6.408D 01 KIPS
 FLUID PRESSURE = 2.266D 00 KSI
 CROOKEDNESS ANGLE = 7.46908D-03 DEG

CYLINDER:

MAXIMUM DEFLECTION = 1.507D-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.348D 00 KSI
 AT A DISTANCE FROM CYL SUP = 5.763D 01 INCH
 FACTOR OF SAFETY ON CYL = 9.275D 01

 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 7.987D 00 KSI
 FACTOR OF SAFETY ON CYL = 7.825D 00

 MAXIMUM HOOP STRESS IN CYL = 1.482D 01 KSI
 FACTOR OF SAFETY ON CYL = 8.435D 00

ROD :

MAXIMUM DEFLECTION = 1.639D-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.691D 01 KSI
 AT A DISTANCE FROM CYL SUP = 6.973D 01 INCH
 FACTOR OF SAFETY ON ROD = 7.391D 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	3.132D-02 KIPS
2	1.872D 00 KIPS
3	8.739D-01 KIPS

RCD BEARINGS (SEALS) NO	FORCE
1	2.777D 00 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG2

LPKTP=1; P-F; HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2	3	4	5	6	7
KEEP			KEEP		

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	DEG

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
5.000000 01	6.130000 00	4.440000 00	7.600000-01	3.000000 00

CYLINDER	ROD	EXTENDED	STOP TUBE
5.613000 01	5.682000 01	1.167100 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER	HOLLOW ROD WITH NO FLUID
7.000000 00	6.000000 00	3.000000 00	1.500000 00	

CYL. PIN *	ROD PIN *	PISTON HEAD #	STUF. BOX #
4.750000 00	0.0	5.989000 00	0.0

(* ZERO, THE END IS FIXED) (# ZERO, OTHER OPTION IS INPUT)

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD #	ROD AND STUF. BOX #
0.0	0.0	9.000000-03

(# ZERO, OTHER OPTION IS INPUT)

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	2.100000 03	2.375000 00
0.0	0.0	0.0	8.800000 03	3.900000 00
0.0	0.0	0.0	2.100000 03	5.450000 00

ROD BEARINGS:

A WIDTH	A THICKNESS	YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	3.900000 03	3.150000 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT
 ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
3.200000-03	2.000000-03	5.000000-02	7.000000-02

MATERIAL PROPERTIES:

YOUNGS MODULUS CYLINDER	YIELD STRESS ROD
2.900000 04	1.250000 02

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 9.000000 01

SUPPORT CONDITIONS:	CYLINDER END	ROD END
	PIN	FIX

FRICTION COEFFICIENTS AT SUPPORTS: -2.000000-02 0.0
 (ZERO IF FIXED END)

LOADING ECCENTRICITIES: 1.000000-01 -5.000000-02

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

FACTOR OF SAFETY = 4.000 ON STRS

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG2

LPRTP=1; P-F: HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD = 2.9240 02 KIPS
 MAXIMUM FLUID PRESSURE = 1.0340 01 KSI
 CROOKEDNESS ANGLE = 6.31454D-02 DEG

CYLINDER:

MAXIMUM DEFLECTION = 8.182D-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.132D 01 KSI
 AT A DISTANCE FROM CYL SUP = 5.761D 01 INCH
 FACTOR OF SAFETY ON CYL = 1.104D 01
 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 3.866D 01 KSI
 FACTOR OF SAFETY ON CYL = 1.617D 00
 MAXIMUM HCOB STRESS IN CYL = 6.762D 01 KSI
 FACTOR OF SAFETY ON CYL = 1.849D 00

ROD :

MAXIMUM DEFLECTION = 8.523D-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.246D 02 KSI
 AT A DISTANCE FROM CYL SUP = 6.453D 01 INCH
 FACTOR OF SAFETY ON ROD = 1.003D 00
 MAX LONG STRESS AT ROD END = 1.249D 02 KSI
 FACTOR OF SAFETY ON ROD = 1.000D 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	2.287D-01 KIPS
2	1.575D 01 KIPS
3	7.345D 0G KIPS

ROD BEARINGS (SEALS) NO	FORCE
1	2.332D 01 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

ANALYSIS AFTER APPLYING GIVEN FACTOR OF SAFETY OF 4.000 ON STRS:

LOAD = 1.3050 02 KIPS
 FLUID PRESSURE = 4.6160 00 KSI
 CROOKEDNESS ANGLE = 3.929690-03 DEG

CYLINDER:

MAXIMUM DEFLECTION = 4.6190-02 INCH
 MAXIMUM LONGITUDINAL STRESS = 7.0460-01 KSI
 AT A DISTANCE FROM CYL SUP = 5.7610 01 INCH
 FACTOR OF SAFETY ON CYL = 1.7740 02

 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 1.5620 01 KSI
 FACTOR OF SAFETY ON CYL = 4.0010 00

 MAXIMUM HOOP STRESS IN CYL = 3.0180 01 KSI
 FACTOR OF SAFETY ON CYL = 4.1420 00

ROD :

MAXIMUM DEFLECTION = 4.7340-02 INCH
 MAXIMUM LONGITUDINAL STRESS = 2.8550 01 KSI
 AT A DISTANCE FROM CYL SUP = 6.2800 01 INCH
 FACTOR OF SAFETY ON ROD = 4.3780 00

 MAX LONG STRESS AT ROD END = 2.8580 01 KSI
 FACTOR OF SAFETY ON ROD = 4.3740 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	1.4230-02 KIPS
2	9.8010-01 KIPS
3	4.5710-01 KIPS

RCD BEARINGS (SEALS) NO	FORCE
1	1.4510 00 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG3

LPRTP=1; F-F: SOLID ROD; 30 DEG INCLINED CYL.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	LBS	PSI	DEG

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
5.00000D 01	6.13000D 00	4.44000D 00	7.60000D-01	3.00000D 00

CYLINDER	ROD	EXTENDED	STOP TUBE
5.61300D 01	5.68200D 01	1.16710D 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER
7.00000D 00	6.00000D 00	3.00000D 00	0.0

SOLID ROD

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
0.0	0.0	0.0	0.0

(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
5.00000D-03	1.10000D-02	9.00000D-03

(@ ZERO, OTHER OPTION IS INPUT)

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	YOUNGS	A MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	0.0	2.10000D 06	2.37500D 00
0.0	0.0	0.0	0.0	8.80000D 06	3.90000D 00
0.0	0.0	0.0	0.0	2.10000D 06	5.45000D 00

ROD BEARINGS:

A WIDTH	A THICKNESS	YOUNGS	A MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.50000D-01	2.00000D-01	7.50000D 05	0.0	0.0	1.75000D 00
3.50000D-01	4.00000D-01	2.50000D 05	0.0	0.0	3.50000D 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT
ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
3.20000D 00	2.00000D 00	5.00000D 01	7.00000D 01

MATERIAL PROPERTIES:

YOUNGS MODULUS CYLINDER	ROD	YIELD STRESS CYLINDER	ROD
2.90000D 07	2.90000D 07	7.50000D 04	1.25000D 05

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 3.00000D 01

CYLINDER END ROD END

SUPPORT CONDITIONS:

FIX FIX

FRICTION COEFFICIENTS AT SUPPORTS:
(ZERO IF FIXED END)

0.0 0.0

LOADING ECCENTRICITIES:

-5.00000D-02 -2.50000D-02

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F
DEPENDING ON PROBLEM TYPE

ONLY CRITICAL LOAD ANALYSIS

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG3

LPRTP=1; F-F; SOLID ROD; 30 DEG INCLINED CYL.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD = 3.212D 05 LBS
 MAXIMUM FLUID PRESSURE = 1.136D 04 PSI
 CROOKEDNESS ANGLE = 6.91626D-04 DEG

CYLINDER:

MAXIMUM DEFLECTION = 8.070D-03 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.012D 02 PSI
 AT A DISTANCE FROM CYL SUP = 5.753D 01 INCH
 FACTOR OF SAFETY ON CYL = 7.409D 02
 MAX LONG STRESS AT CYL END = 8.365D 02 PSI
 FACTOR OF SAFETY ON CYL = 8.966D 01
 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 3.749D 04 PSI
 FACTOR OF SAFETY ON CYL = 1.000D 00
 MAXIMUM HCOB STRESS IN CYL = 7.427D 04 PSI
 FACTOR OF SAFETY ON CYL = 1.010D 00

ROD :

MAXIMUM DEFLECTION = 9.096D-03 INCH
 MAXIMUM LONGITUDINAL STRESS = 4.620D 04 PSI
 AT A DISTANCE FROM CYL SUP = 6.903D 01 INCH
 FACTOR OF SAFETY ON ROD = 2.706D 00
 MAX LONG STRESS AT ROD END = 4.649D 04 PSI
 FACTOR OF SAFETY ON ROD = 2.689D 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	3.172D-01 LBS
2	1.633D 02 LBS
3	7.827D 01 LBS

RCD BEARINGS (SEALS) NO	FORCE
1	1.955D 02 LBS
2	4.644D 01 LBS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 LBS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 LBS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 LBS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 LBS
 (ZERO FORCES INDICATE NO CONTACT)

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG#

LPRT#1; P-P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTICNS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	RAD

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
6.00000D 01	6.13000D 00	4.44000D 00	7.60000D-01	-1.50000D 01

CYLINDER	ROD	EXTENDED	STOP TUBE
6.41300D 01	6.68200D 01	1.18710D 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER
6.50000D 00	5.50000D 00	2.75000D 00	0.0

SOLID ROD

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
2.00000D 00	3.00000D 00	5.49000D 00	2.76000D 00

(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
5.00000D-03	1.00000D-02	8.00000D-03

(@ ZERO, OTHER OPTION IS INPUT)

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.16000D-01	4.51000D-01	5.00000D 02	0.0	2.37500D 00
0.0	0.0	0.0	8.80000D 03	3.90000D 00
0.0	0.0	0.0	2.10000D 03	5.45000D 00

ROD BEARINGS:

A WIDTH	A THICKNESS	YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.50000D-01	2.00000D-01	7.50000D 02	0.0	3.15000D 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
3.00000D-03	1.75000D-03	4.00000D-02	6.00000D-02

MATERIAL PROPERTIES:

YOUNGS MODULUS CYLINDER	YOUNGS MODULUS ROD	YIELD STRESS CYLINDER	YIELD STRESS ROD
2.50000D 04	2.90000D 04	1.00000D 02	1.25000D 02

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HCRIZCNTAL = 0.0

SUPPORT CONDITIONS:	CYLINDER END PIN	ROD END PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	5.00000D-02	0.0
LOADING ECCENTRICITIES:	0.0	1.00000D-02

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

FACTOR OF SAFETY = 1.000 ON LOAD

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG4

LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD = 7.4700 01 KIPS
 MAXIMUM FLUID PRESSURE = 3.1440 00 KSI
 CROOKEDNESS ANGLE = 1.278460-03 RAD

CYLINDER:

MAXIMUM DEFLECTION = 2.5120 00 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.4640 01 KSI
 AT A DISTANCE FROM CYL SUP = 4.9520 01 INCH
 FACTOR OF SAFETY ON CYL = 6.8290 00

 MAX SHEAR STRESS IN CYL = 1.5690 01 KSI
 AT MAX LONG STRESS POINT
 AND AT INNER SURFACE
 FACTOR OF SAFETY ON CYL = 3.1860 00

 MAXIMUM HOOP STRESS IN CYL = 1.8990 01 KSI
 FACTOR OF SAFETY ON CYL = 5.2650 00

 AXIAL TENSION IN OVER HANG = 7.9250 00 KSI
 FACTOR OF SAFETY ON CYL = 1.2620 01
 END DEFLECTION IN OVERHANG = -7.7970-01 INCH

ROD :

MAXIMUM DEFLECTION = 2.9400 00 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.2240 02 KSI
 AT A DISTANCE FROM CYL SUP = 6.7840 01 INCH
 FACTOR OF SAFETY ON ROD = 1.0220 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	9.6370-03 KIPS
2	1.7200 01 KIPS
3	8.2660 00 KIPS

ROD BEARINGS (SEALS) NO	FORCE
1	2.5480 01 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REGS

LPRTP=2; F-P: HOLLOW ROD WITH FLUID; INCLINED CYLINDER; METRIC UNITS.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 2 - ANALYSIS FOR A PARTICULAR PRESSURE

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
CM	KGS	KGSC	RAD

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
1.27000 02	1.55700 01	1.12800 01	1.93000 00	7.62000 00

CYLINDER	ROD	EXTENDED	STOP TUBE
1.42570 02	1.44380 02	2.96500 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER	
1.77800 01	1.52400 01	7.62000 00	3.80000 00	HOLLOW ROD WITH FLUID

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
0.0	1.20000 01	1.52200 01	7.64000 00

(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
1.00000-02	0.0	0.0

(@ ZERO, OTHER OPTION IS INPUT)

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
8.00000-01	1.15000 00	3.50000 04	0.0	6.30000 00
1.00000 00	8.00000-01	7.00000 04	0.0	1.00000 01
0.0	0.0	0.0	3.71000 05	1.35000 01

ROD BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
1.00000 00	5.00000-01	5.00000 04	0.0	8.00000 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT
ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
1.50000 00	1.00000 00	2.30000 01	3.20000 01

MATERIAL PROPERTIES:

YOUNGS MODULUS CYLINDER	YOUNGS MODULUS ROD	YIELD STRESS CYLINDER	YIELD STRESS ROD
2.10000 06	2.10000 06	7.05000 03	8.80000 03

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 7.50000-01

SUPPORT CONDITIONS:	CYLINDER END	ROD END
	FIX	PIN

FRICTION COEFFICIENTS AT SUPPORTS: 0.0 -5.00000-02

LOADING ECCENTRICITIES: 0.0 1.00000-01

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

OPERATING PRESSURE = 1.75000 02

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG5

LPRTP=2; F-P: HOLLOW ROD WITH FLUID; INCLINED CYLINDER; METRIC UNITS.

RESULTS: ANALYSIS FOR A GIVEN OPERATING PRESSURE

OPERATING PRESSURE = 1.750D 02 KGSC
 LOAD = 3.192D 04 KGS
 CROOKEDNESS ANGLE = -1.36932D-05 RAD

CYLINDER:

MAXIMUM DEFLECTION = 7.159D-02 CM
 MAXIMUM LONGITUDINAL STRESS = 1.020D 01 KGSC
 AT A DISTANCE FROM CYL SUP = 1.470D 02 CM
 FACTOR OF SAFETY ON CYL = 6.909D 02
 MAX LONG STRESS AT CYL END = 1.903D 02 KGSC
 FACTOR OF SAFETY ON CYL = 3.705D 01
 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 6.537D 02 KGSC
 FACTOR OF SAFETY ON CYL = 5.393D 00
 MAXIMUM HOOP STRESS IN CYL = 1.144D 03 KGSC
 FACTOR OF SAFETY ON CYL = 6.161D 00

ROD :

MAXIMUM DEFLECTION = 1.114D-01 CM
 MAXIMUM LONGITUDINAL STRESS = 1.091D 03 KGSC
 AT A DISTANCE FROM CYL SUP = 2.161D 02 CM
 FACTOR OF SAFETY ON ROD = 8.063D 00
 MAX SHEAR STRESS IN ROD AT MAX LONG STRESS POINT AND AT INNER SURFACE = 6.604D 02 KGSC
 FACTOR OF SAFETY ON ROD = 6.662D 00
 MAXIMUM HOOP STRESS IN ROD = 2.909D 02 KGSC
 FACTOR OF SAFETY ON ROD = 3.026D 01

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	-4.569D 00 KGS
2	-8.946D 01 KGS
3	-4.267D 01 KGS

RCD BEARINGS (SEALS) NO	FORCE
1	-1.367D 02 KGS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KGS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KGS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KGS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KGS
 (ZERO FORCES INDICATE NO CONTACT)

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG6

LP RTP=3; P-P: SOLID ROD; HORIZONTAL CYLINDER.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 3 - ANALYSIS TO DETERMINE SUITABLE STOP-TUBE LENGTH

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	DEG

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
6.00000D 01	6.13000D 00	4.44000D 00	7.60000D-01	3.00000D 00

CYLINDER	ROD	EXTENDED	STOP TUBE

THESE NOT INPUT BECAUSE STOP TUBE LENGTH ANALYSIS IS ASKED

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER	
7.00000D 00	6.00000D 00	3.00000D 00	0.0	SOLID ROD

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
4.75000D 00	4.75000D 00	5.98900D 00	3.00900D 00
(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)			

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
5.00000D-03	0.0	0.0
(@ ZERO, OTHER OPTION IS INPUT)		

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	2.10000D 03	2.37500D 00
0.0	0.0	0.0	8.80000D 03	3.90000D 00
0.0	0.0	0.0	2.10000D 03	5.45000D 00

RCD BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	3.90000D 03	3.15000D 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT
 ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD (PER UNIT LENGTH)	PISTON HEAD	STUFFING BOX
3.20000D-03	2.00000D-03	5.00000D-02	7.00000D-02

MATERIAL PROPERTIES:

YOUNGS MODULUS CYLINDER	YOUNGS MODULUS ROD	YIELD STRESS CYLINDER	YIELD STRESS ROD
2.90000D 04	2.90000D 04	1.00000D 02	1.25000D 02

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 0.0

	CYLINDER END	ROD END
SUPPORT CONDITIONS:	PIN	PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	0.0	-5.00000D-02
LOADING ECCENTRICITIES:	0.0	1.00000D-01

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F
 DEPENDING ON PROBLEM TYPE

OPERATING CYLINDER PRESSURE = 2.00000D 00
 ALLOWABLE CROOKEDNESS ANGLE = 7.50000D-03 AT GLAND
 ALLOWABLE TOTAL LATERAL FORCE = 1.00000D 01 ON BEARINGS

PROGRAM SACREG - STRESS ANALYSIS OF CYLINDERS (REGULAR)

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM REG6

LPRTP=3; P-P; SOLID ROD; HORIZONTAL CYLINDER.

RESULTS: ANALYSIS TO DETERMINE STOP-TUBE LENGTH

REQUIRED LENGTH OF STOP-TUBE = 4.2000 00 INCH

CORRESPONDING EXTENDED LENGTH = 1.4090 02 INCH

RESULTS WITH THIS STOP-TUBE ARE:

CRITICAL LOAD = 5.6550 01 KIPS

MAXIMUM FLUID PRESSURE = 2.0000 00 KSI

CROOKEDNESS ANGLE = 6.977220-03 DEG

CYLINDER:

MAXIMUM DEFLECTION = 5.3580-01 INCH

MAXIMUM LONGITUDINAL STRESS= 3.0640 00 KSI

AT A DISTANCE FROM CYL SUP = 6.8580 01 INCH

FACTOR OF SAFETY ON CYL = 3.2640 01

MAX SHEAR STRESS IN CYL
 AT MAX LONG STRESS POINT
 AND AT INNER SURFACE = 7.8510 00 KSI

FACTOR OF SAFETY ON CYL = 6.3680 00

MAXIMUM HOOP STRESS IN CYL = 1.3080 01 KSI

FACTOR OF SAFETY ON CYL = 7.6470 00

ROD :

MAXIMUM DEFLECTION = 5.9270-01 INCH

MAXIMUM LONGITUDINAL STRESS= 2.7060 01 KSI

AT A DISTANCE FROM CYL SUP = 8.5040 01 INCH

FACTOR OF SAFETY ON ROD = 4.6190 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	2.7310-01 KIPS
2	2.7790 00 KIPS
3	1.0590 00 KIPS

ROD BEARINGS (SEALS) NO	FORCE
1	4.1110 00 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS

F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS

F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS

F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

APPENDIX B

COMPUTER PROGRAM FOR TELESCOPING
CYLINDERS--SACTEL

Program SACTEL

The analytical procedure for telescoping cylinders developed in Chapter VII has been programmed for solution on a digital computer. The program is written in FORTRAN IV language and should require only minor revisions to be operable on other computers. Double precision (16 digits accuracy) arithmetic is used, and the program can be run on any computer which has a storage capacity of 80 K bytes. A summary flow diagram is shown in Figure 39. Details of all the Subprogram Operations, Guide for Data Input, Example Problems, Listings of Input Data, and Program Outputs are given in the following sections.

Subprogram Operation

MAIN

MAIN is a driver subroutine for the complete program. MAIN sets up keys to perform different operations and calls all the major subroutines to perform the major operations in the program. For both problem types MAIN first goes through critical load analysis. Then, for first problem type sets up factored load analysis, and for second problem type checks for input pressure being greater than critical pressure; if not, it goes through corresponding type of analysis.

INPECO

Subroutine INPECO reads all the input data; checks problem name being blank for end of run; checks the input data at several stages for proper input. If any error is observed the error is printed out and the program terminates. Echo prints out all the input tables.

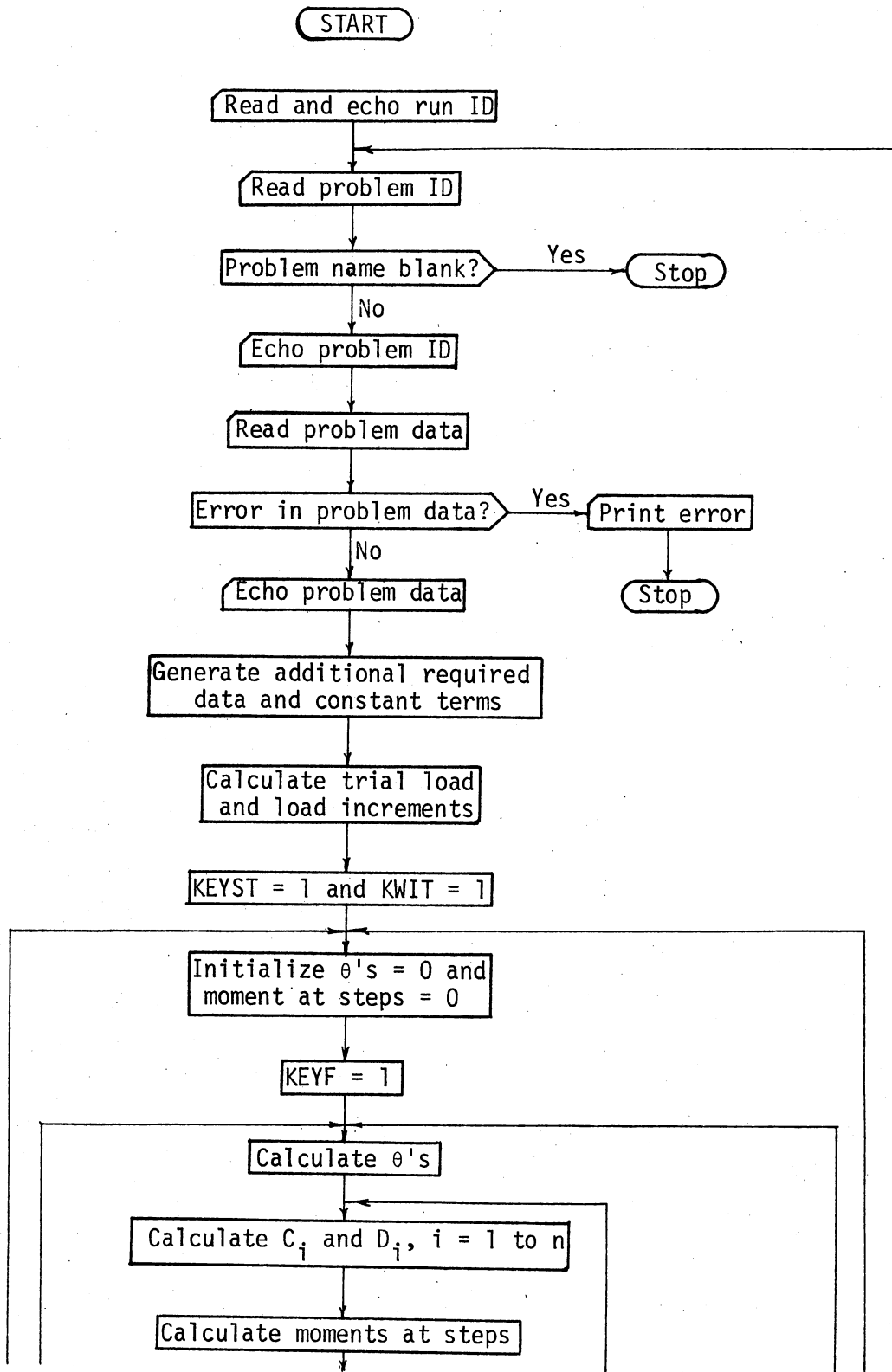


Figure 39. Summary Flow Diagram of Program SACTEL

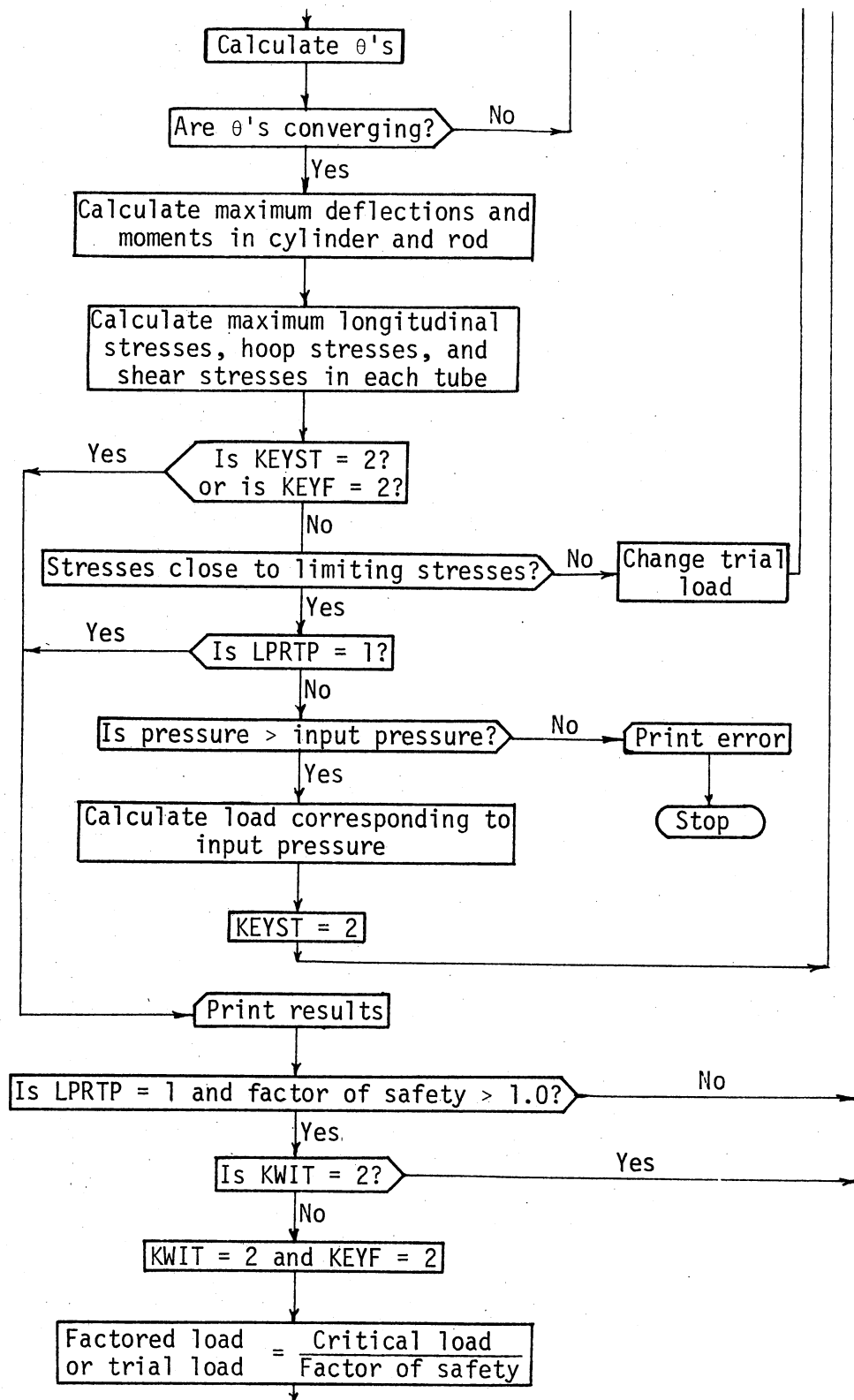


Figure 39. (Continued)

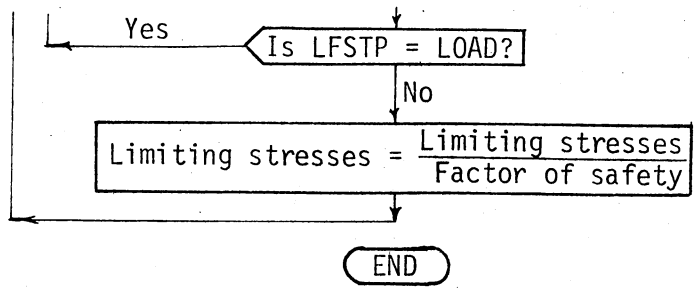


Figure 39. (Continued)

TITLE

Subroutine TITLE prints the title, and program identification and problem identification cards. TITLE also obtains the date from the machine and prints it.

CONST

Subroutine CONST calculates all the constant quantities which do not vary throughout the program. The constant quantities are: stiffnesses of bearings and seals; cross sectional properties of cylinder and rod; hoop stress coefficients; self weight reactions at supports; friction moment coefficients; and moment due to overhang in the case of cylinders with overhang.

TRIALP

Subroutine TRIALP calculates a trial load and two load increments required for the iteration process in evaluating the critical load for the cylinder. The trial load is the critical load given by Euler's buckling criteria considering the full length stiffness as that of the rod only. The first load increment is one-fiftieth of the trial load and the second is one-thousandth. The larger load increment is for faster convergence and the smaller load increment is for better accuracy.

EQBRIM

Subroutine EQBRIM determines the equilibrium position of the system for any particular load. The equilibrium position is determined by repeating the calculation of deflections, bending moments, and crookedness

angles at all sliding connections until two consecutive values for all crookedness angles are in close agreement. This subroutine calls subroutine MTRXOP for calculating the values of constant terms in the deflection equations; calls subroutine DEFMOM for calculating the deflections and moments at the sliding connections; and calls subroutine THETA for calculating the crookedness angles at all the sliding connections.

THETA

Subroutine THETA calculates the crookedness angles at all the sliding connections. THETA also calculates the forces on the bearings by calling subroutine GFORCE and the metal-to-metal contact forces at all the sliding connections.

GFORCE

Subroutine GFORCE calculates the forces on the bearings at any sliding connection for a particular value of crookedness angle at that sliding connection.

MTRXOP

Subroutine MTRXOP formulates the $[S]$ matrix and the $\{R\}$ vector and solves for the unknown vector $\{U\}$ by calling subroutine SIMSOL. Vector $\{U\}$ is a vector consisting of the constant terms in the deflection and moment equations and the slopes at the supports.

SIMSOL

Subroutine SIMSOL solves for the unknown vector $\{U\}$ by Gauss elimination in $[S] * \{U\} = \{R\}$.

DEFMOM

Subroutine DEFMOM calculates the deflections and moments at the input lengths. It also calculates the moments at the supports.

XATYMX

Subroutine XATYMX calculates the distances at which maximum bending moments occur in each tube.

SLOPE

Subroutine SLOPE calculates the slope at an input distance from cylinder support.

STRCHS

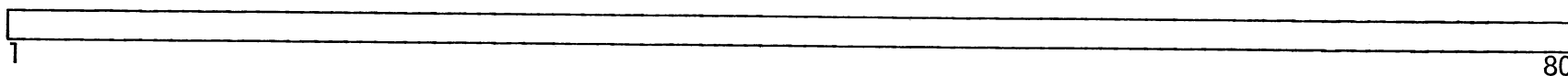
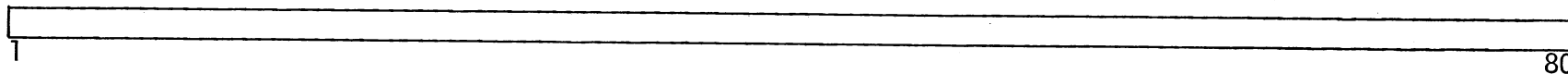
Subroutine STRCHS calculates the maximum longitudinal stress, maximum hoop stress, and maximum shear stress in each tube; checks these stresses against the limiting stresses and makes corresponding changes in the trial load using load increments. This process is repeated until any one of the maximum stress value exceeds the limiting stress. The analysis is repeated for previous load value.

OUTPUT

Subroutine OUTPUT prints out all the results: the maximum deflections, the maximum stresses, the factor of safety existing on these stresses, and the distance from the cylinder support at which the above quantities occur in each tube; the crookedness angles; and the forces on the bearings at each sliding connection.

Program SACTEL--Guide for Data Input

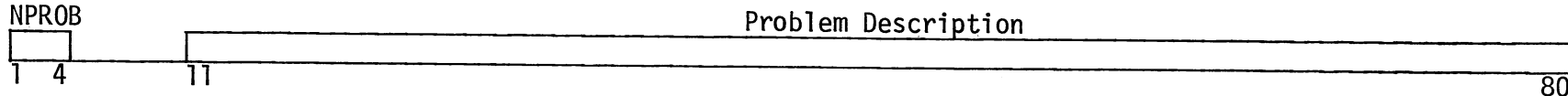
PROGRAM IDENTIFICATION (Two alphanumeric cards at the beginning of run)



Format--20A4

PROBLEM IDENTIFICATION (One card at the beginning of each problem)

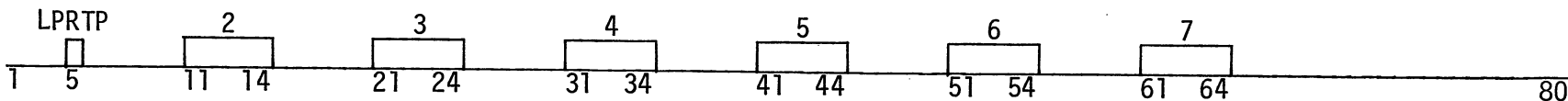
Prob.
Name
NPROB



Format--20A4

Program stops if NPROB is blank

TABLE 1: CONTROL DATA (One card for each problem)



Format--LP RTP - I1; 2 to 7 - A4

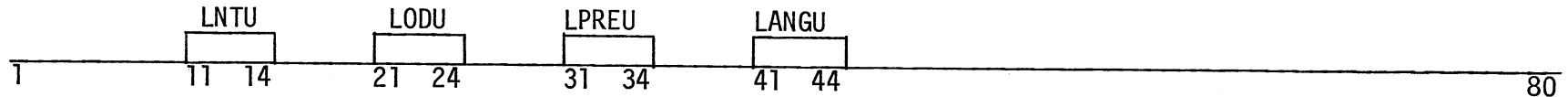
LPRTP = 1--Critical load analysis and analysis for a factored load using given factor of safety

2--Analysis for a particular fluid pressure

If any of the following tables are same as in the previous problem and are to be retained for this problem, enter "KEEP" in the corresponding blocks 2 to 7

Enter only LPRTP for the first problem

TABLE 2: UNITS OF MEASUREMENTS (No card if TABLE 2 is retained from previous problem)



Format--A4 for all

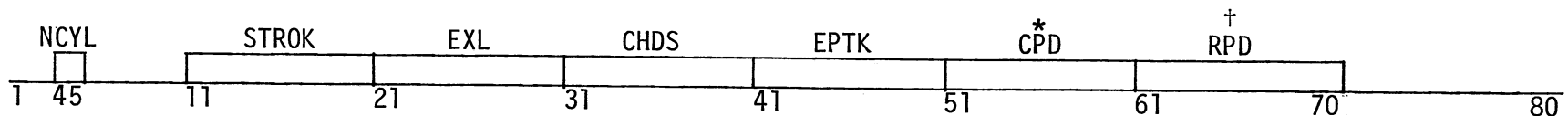
LNTU - Unit of lengths (ex: INCH, FEET, CM, MET, etc.)

LODU - Unit of loads (ex: LBS, KIPS, KGS, etc.)

LPREU - Unit of pressures (ex: KSI, PSI, KSCM, etc.)

LANGU - Unit of angles (enter DEG or RAD starting in column 41)

TABLE 3: STROKE AND EXTENDED LENGTHS AND END DIMENSIONS (No card if TABLE 3 is retained from previous problem; see Figure 40 for details)



Format--NCYL - I2; E10.3 for the rest

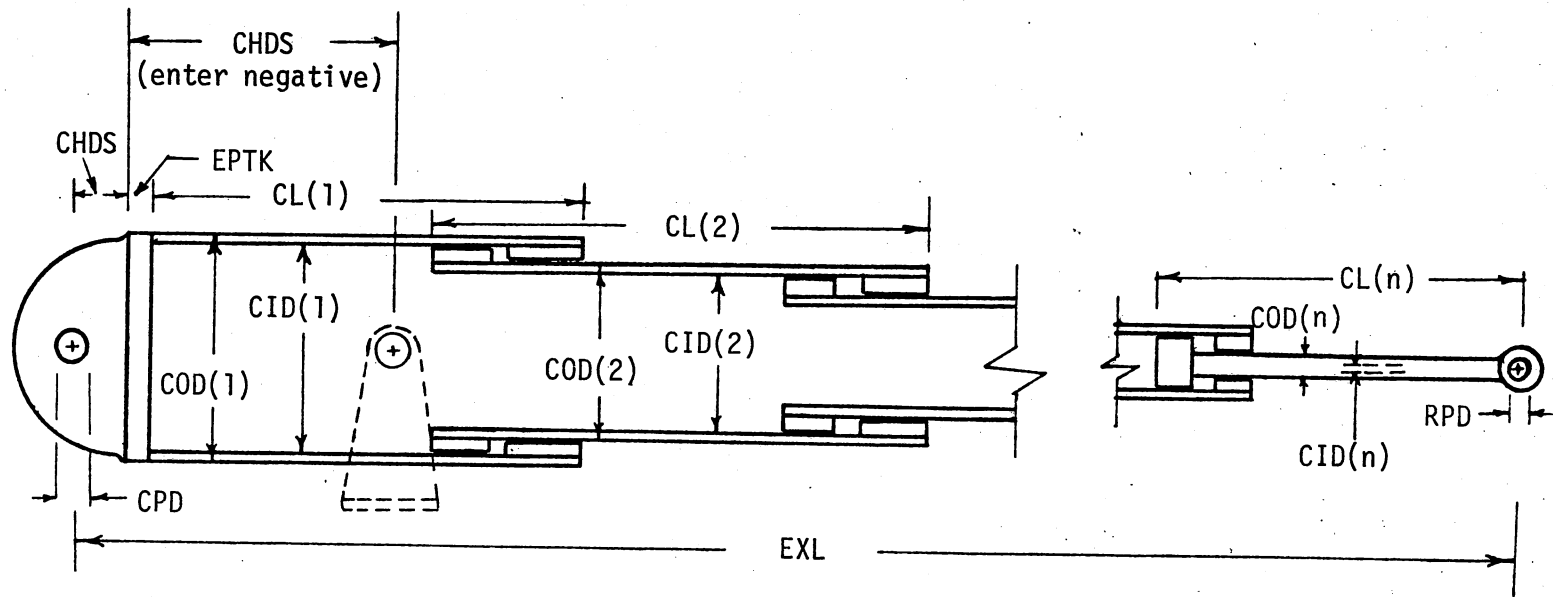


Figure 40. Lengths and Diameters of Tubes and General Dimensions for SACTEL

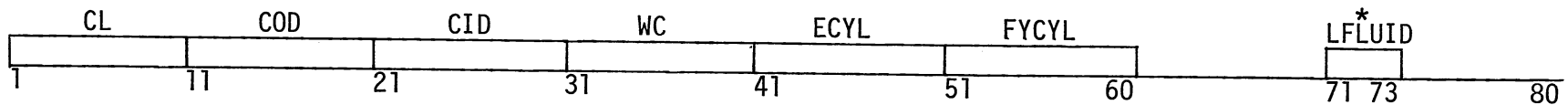
NCYL - Number of tubes (including rod)

STROK - Stroke length of the cylinder

* CPD - Leave blank if cylinder support is fixed

+ RPD - Leave blank if rod support is fixed

TABLE 4: EACH TUBE DIMENSIONS AND MATERIAL PROPERTIES (No cards if TABLE 4 is retained from previous problem; one card per tube; n cards for n number of tubes; order of cards--outer tube card to inner tube card; see Figure 40 for details)



Format--LFLUID - A3; E10.3 for the rest

* Required for only last tube

LFLUID - Enter "YES", for hollow rod with fluid

- Enter "NO" or blank, for hollow rod without fluid or solid rod

WC - Weight of tube per unit length

ECYL - Modulus of elasticity of tube material

FYCYL - Yield stress for tube material

TABLE 5: INTERFACE DIMENSIONS AND DETAILS OF BEARINGS (No cards if TABLE 5 is retained from previous problem; one set of cards per interface; m sets of cards for m interfaces ($m = n - 1$); each set consists of two interface identification and dimensions cards, plus as many cards as the number of bearings at that interface; the sets can be in any order; see Figure 41 for details)

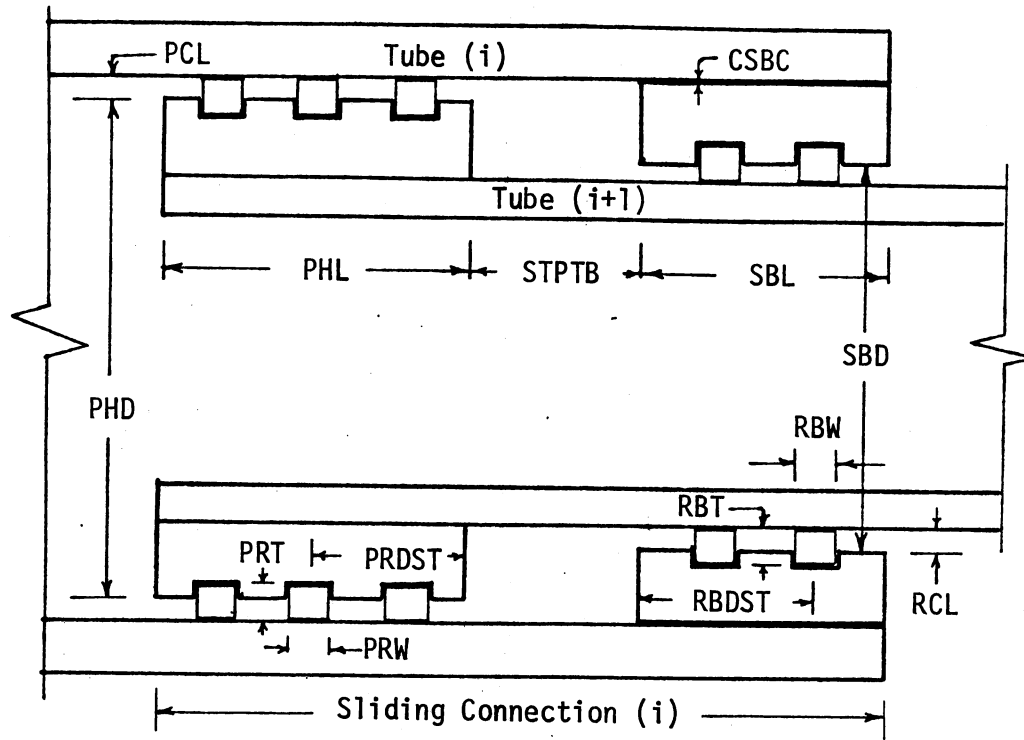


Figure 41. Dimensions at a Typical Sliding Connection (i) for SACTEL

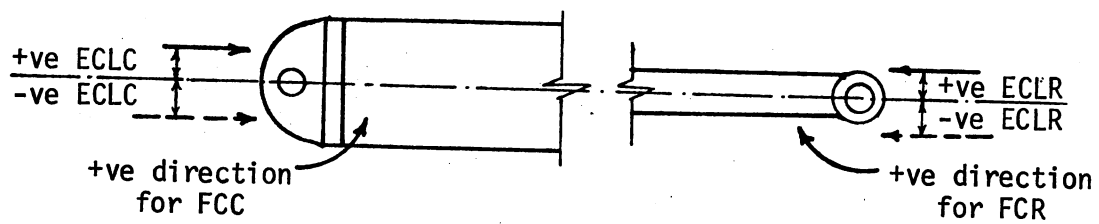
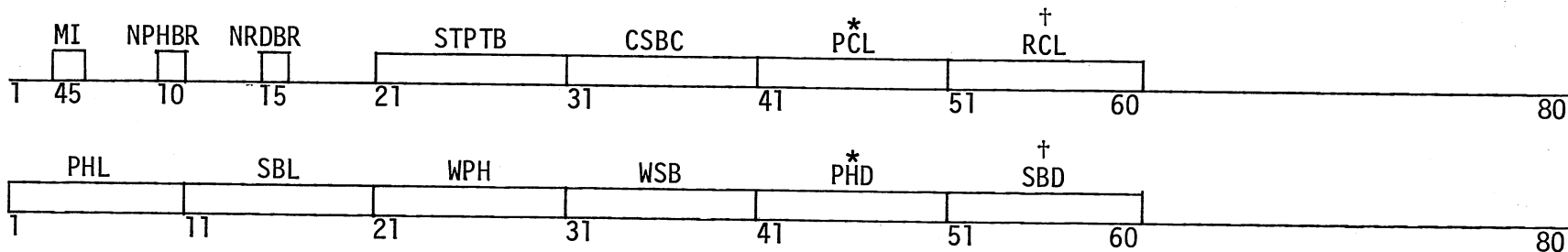


Figure 42. Sign Conventions for Eccentricities of Loading and Friction Coefficients for SACTEL

Interface Identification and Dimensions Cards:



Format--MI - I2; NPHBR and NRDBR - I1; E10.3 for the rest

MI - Number of the interface

NPHBR - Number of piston head bearings at this interface

NRDBR - Number of rod bearings at this interface

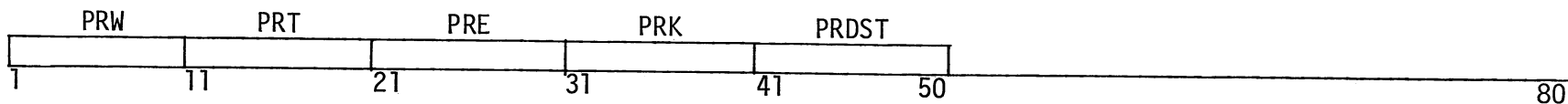
WPH - Weight of piston head

WSB - Weight of stuffing box

* Input either PHD or PCL; if both are input PCL will be used and PHD will be ignored

† Input either SBD or RCL; if both are input RCL will be used and SBD will be ignored

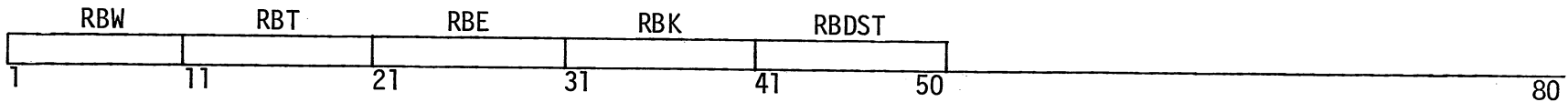
Piston Head Bearings Cards:



Format--E10.3 for all

Input either (PRW, PRT, and PRE) or (PRK); if PRK and some or all of PRW, PRT and PRE are input, PRK will be used and the rest ignored

Rod Bearings Cards:



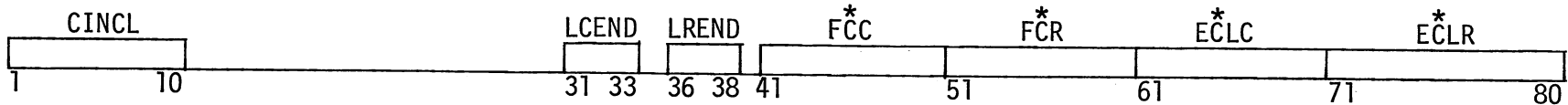
Format--E10.3 for all

Input either (RBW, RBT, RBE) or (RBK); if RBK and some or all of RBW, RBT and RBE are input, RBK will be used and the rest ignored

PRE and RBE - Young's modulus of piston head bearings and rod bearings

PRK and RBK - Stiffnesses of piston head bearings and rod bearings per unit length (force required to compress a unit length of bearing by one unit)

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, AND LOADING ECCENTRICITIES (No card if TABLE 6 is retained from previous problem)



Format--LCEND and LREND - A3; E10.3 for the rest

CINCL - Inclination of the cylinder with horizontal (always positive and between 0° and 90°)

LCEND - Enter FIX for fixed or PIN for pinned cylinder support

LREND - Enter FIX for fixed or PIN for pinned rod support

FCC - Friction coefficient at cylinder pin. Leave blank if LCEND is FIX

FCR - Friction coefficient at rod pin. Leave blank if LREND is FIX

ECLC - Eccentricity of loading at cylinder end

ECLR - Eccentricity of loading at rod end

* See Figure 42 for sign convention

The direction of friction moments at the pins should be visualized by the user depending on the direction of rotation of the pins in the case of rotating pins, and depending on the predicted direction of the slopes at ends of the system for that particular loading, and accordingly proper signs should be assigned for FCC and FCR

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE (No card if TABLE 7 is retained from previous problem)

FS		LFSTP		OPPRE														80
1		11	14	21	30													

Format--LFSTP - A4; E10.3 for the rest

LPRTP = 1 - Enter only FS and LFSTP

= 2 - Enter only OPPRE

FS - Factor of safety

LFSTP - Factor of safety type (enter LOAD if FS is to be applied to the critical load obtained; enter STRS if FS is to be applied to the limiting stresses)

If only critical load analysis is required and no factored load analysis is required, leave this card blank or enter $FS \leq 1.0$, and LFSTP--LOAD or STRS or blank

OPPRE - Particular operating pressure for which analysis is required

NEXT PROBLEM

Start from "PROBLEM IDENTIFICATION" card

END OF RUN

At the end of last problem data set, insert a blank card (only first 4 columns need to be blank, the rest of the card may be used for comments)

STRESS ANALYSIS OF HYDRAULIC CYLINDERS

TELESCOPING CYLINDERS

JANUARY 15, 1975 VERSION

K. L. SESHASAI

SCHOOL OF CIVIL ENGINEERING
OKLAHOMA STATE UNIVERSITY
STILLWATER, OK - 74074

FACTORS CONSIDERED IN THE ANALYSIS:

1. SELF WEIGHT
2. LOADING ECCENTRICITY AT BOTH THE ENDS
3. STIFFNESSES OF THE BEARINGS
4. FRICTION MOMENTS AT THE SUPPORTS
5. VARYING CYLINDER SUPPORT LOCATION
6. INCLINATION OF THE CYLINDER
7. END CONDITIONS - PINNED OR FIXED
8. SOLID ROD OR HOLLOW ROD WITH OR WITHOUT FLUID IN IT

TYPES OF PROBLEMS:

1. DETERMINATION OF CRITICAL LOAD AND ANALYSIS FOR CRITICAL AND A FACTORED LOAD
2. ANALYSIS FOR A PARTICULAR PRESSURE

RESULTS GIVEN BY THE COMPUTER:

1. CRITICAL LOAD AND CORRESPONDING PRESSURE
2. CROOKEDNESS ANGLES AT THE INTERFACES
3. MAX DEFLECTION, MAX LONGITUDINAL AND SHEAR STRESSES, DISTANCE AT WHICH THEY OCCUR, FACTOR OF SAFETY'S ON THESE STRESSES FOR BOTH CYL AND ROD PORTIONS
4. MAXIMUM STRESSES AT SUPPORTS IN CASE OF FIXED SUPPORTS AND FACTOR OF SAFETY'S ON THESE STRESSES
5. MAXIMUM HOOP STRESSES IN EACH TUBE AND FACTOR OF SAFETY'S ON THESE STRESSES
6. FORCES ON EACH BEARING AND AT OTHER CONTACT POINTS
7. AXIAL TENSION AND END DEFLECTION IN OVERHANG IN CASE OF TRUNNION MOUNT

>>> MAIN PROGRAM - SACTEL

```

IMPLICIT REAL * 8 ( A - H, O - Z )
COMMON / BEARDM / PRW(9,5), PRT(9,5), PRE(9,5),
1 RBW(9,5), RBT(9,5), RBE(9,5)
COMMON / BEARPR / PRKX(9), SPRK(9), RBKY(9), SRBK(9)
COMMON / BRSTDS / PRK(9,5), RBK(9,5), PRDST(9,5), RDST(9,5)
COMMON / CANDDS / C( 10 ), D( 10 )
COMMON / CKCLTW / CK( 10 ), CLT( 10 ), W( 9 )
COMMON / CONSTS / CSBC(9), PCL1(9), RCL1(9), WPH1(9), WSB1(9),
1 WC1(10), PHD(9), SBD(9), CID(10), COU(10), ECYL(10)
COMMON / CRPROP / CYZ(10), CYZI(10), BAREA(10), CAREA(10),
1 HSCI(10), HSCD(10)
COMMON / CYLWT / WC(10), EEL, FFL
COMMON / ECGENT / ECLC, ECLR
COMMON / ENDS / LCEND, LREND
COMMON / FCSSTF / FCGY, FCRU, CSSTF, RSSTF, CGNM
COMMON / GLDFOR / FX(9,5), FY(9,5), F1(9), F2(9), F3(9), F4(9)
COMMON / GLLNTS / STPTB(9), PHL(9), SBL(9), CL(10), EPTK
COMMON / INFRPD / CINCL, FCC, FCR, CPU, RPD
COMMON / ID / IDCARD(40), NPROB, IPROB(19), LP RTP
COMMON / NBARS / NPHBR(9), NRDR(9)
COMMON / OPFSTP / FYCYL(10), OPPRE, FS, LFSTP
COMMON / PHSBWC / WPH(9), WSB(9), PCL(9), RCL(9), CYK(10)
COMMON / SPRMOM / AKTHC, AKTHR
COMMON / STRESS / TLSTO(10), HSI(10), SSU(10), SSI(10),
1 TLSRPO, TLRCPG, AXSDH, PRES
COMMON / UNITS / LNTU, LODU, LPREU, LANGU

DIMENSION FYCYLT(10), BM(10), TETA(9), DEF(10), XL(10)
DIMENSION BMG( 9 )

DATA ZERG, ONE, H180 / 0.0000, 1.0000, 180.0000 /
DATA PI / 3.141592653589793000 /
DATA IBLNK, LOAD, LDEG / 4H , 4HLOAD, 4HDEG /

NPROB = IBLNK
100 CALL INPECO
0 ( NCYL, EXL, CHDS, LFLUID )
DO 120 I = 1, NCYL
120 FYCYLT(I) = FYCYL( I )
CALL CONST
I ( NCYL, LANGU, CHDS, EXL )
CALL TRIALP
I ( ECYL(NCYL), CYZ(NCYL), COU(NCYL), EXL,
U P, PINCR1, PINCR2 )

>>> KEY-- KWIT IS SETUP TO APPLY FACTOR OF SAFETY AND REPEAT
ANALYSIS FOR FACTORED LOAD

KWIT = 1

>>> KEY-- KEYF IS SETUP TO QUIT LOOP AT FINAL ITERATION

200 KEYF = 1

>>> KEY-- KEYST IS SETUP TO CHECK INPUT PRESSURE AGAINST CRITICAL

```



```

C      PRESSURE.
C
C      KEYST = 1
C---- >>> KEY'S-- KEYT AND KEYP ARE SETUP TO MAKE PROPER LOAD INCREMENTS
C
C      KEYT = 1
C      KEYP = 1
C      NMI = NCYL - 1
C---- >>> INITIALIZE TETA'S AND BMG'S EQUAL TO ZERO
C
C      DO 220 I = 1, NCYL
C          BMG(I) = ZERO
C          TETA(I) = ZERO
220 300 CALL EQLIBM
C      I      ( NCYL, CHDS, EXL, P, NMI,
C      O      BMG, DEF, TETA, THC, REC )
C      CALL XATYMX
C      I      ( NCYL, DEF, BMG, EXL, REC, P,
C      O      XL )
C      CALL DEFMGM
C      I      ( P, EXL, REC, NCYL, 2, XL,
C      O      DEF, BM, BMC, BMR )
C      CALL STRCHS
C      I      ( NCYL, P, BM, CHDS, LFLUID, BMR, BMC, FYCYLT, CID(NCYL),
C      I      PINCR1, PINCR2, KEYF, KEYST, KEYT, KEYP )
C
C---- >>> IS IT FINAL ITERATION? ? ?
C
C      320 IF ( KEYF - 3 ) 300, 320, 300
C      340 IF ( KEYST - 1 ) 500, 340, 500
C      340 IF ( LPRTP - 1 ) 360, 500, 360
C
C---- >>> PROTECTION AGAINST INPUT OPERATING PRE. BEING > CRITICAL PRE.
C
C      360 PRES = P / BAREA( NMI )
C      380 IF ( OPPRE - PRES ) 380, 380, 1000
C      P = OPPRE * BAREA( NMI )
C      KEYST = 2
C      GO TO 300
500 CALL OUTPUT
C      I      ( P, XL, DEF, CHDS, THC, NCYL, TETA, KWIT, NMI )
C
C---- >>> IF THIS PROBLEM IS COMPLETE GO TO NEXT PROBLEM
C
C      520 IF ( KWIT - 1 ) 100, 520, 100
C      540 IF ( LPRTP - 1 ) 100, 540, 100
C      540 IF ( FS - ONE ) 100, 100, 560
C
C---- >>> FACTOR OF SAFETY IS TO BE APPLIED TO STRESS OR LOAD
C
C      560 P = P / FS
C      KWIT = 2
C      IF ( LFSTP .EQ. LOAD ) GO TO 300
C      DO 580 I = 1, NCYL
580 FYCYLT(I) = FYCYL( I ) / FS
C      GO TO 200

```

```

C
C---- >>> ERRGR MESSAGES
C
1000 PRINT 1100, PRES
C      GO TO 100
1100 FORMAT ( 1H1, 20(/), 10(10X, 21H*** ** ERROR *** ** /), //,
1      10X, 38HOPERATING PRESSURE IS GREATER THAN THE /
2      10X, 42HCAPACITY( CRITICAL LOAD ) OF THE CYLINDER. //
3      10X, 37HTHE MAXIMUM PRESSURE FOR THE CYL IS =, 1P010.3, // )
C      END

```

```

SUBROUTINE INPECO
  ( NCYL, EXL, CHCS, LFLUID )
C----- >>> SUBROUTINE TO READ AND PRINT INPUT DATA FOR SACTEL
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON / BEARDM / PRW(9,5), PRT(9,5), PRE(9,5),
  1 RBW(9,5), RBT(9,5), RBE(9,5)
  COMMON / BRSTDS / PRK(9,5), R&K(9,5), PRDST(9,5), RBDST(9,5)
  COMMON / CONSTS / CSBC(9), PCL1(9), RCL1(9), WPH1(9), WSB1(9),
  1 WC1(10), PHD1(9), SBD(9), CID(10), COD(10), ECYL(10)
  COMMON / ECCENT / ECLC, ECLR
  COMMON / ENDS / LCEND, LREND
  COMMON / GLLNTS / STPTB(9), PHL(9), SBL(9), CL(10), EPTK
  COMMON / ID / IDCARD(40), NPRUB, IPROB(19), LPRTP
  COMMON / INFRPD / CINCL, FCC, FCR, CPD, RPD
  COMMON / NBEARS / NPHBR(9), NRDBR(9)
  COMMON / OPFSTP / FYCYL(10), OPPRE, FS, LFSTP
  COMMON / UNITS / LNTU, LCDU, LPREU, LANGU

  DATA ZERO, P0001, ONE / 0.0000, 0.0001000, 1.0000 /
  DATA IBLNK, KEEP, LYES / 4H , 4HKEEP, 3HYES /

C----- >>> FORMATS
C
  10 FORMAT ( 20A4 )
  20 FORMAT ( A4, 19A4 )
  30 FORMAT ( 4X, 11, 5X, 6( A4, 6X ) )
  40 FORMAT ( 4X, 4( 6X, A4 ) )
  50 FORMAT ( 5F10.0 )
  60 FORMAT ( 3X, 12, 5X, 6F10.0 )
  70 FORMAT ( 3X, 12, 2( 4X, 11 ), 5X, 4F10.0 )
  80 FORMAT ( 6F10.0, 10X, A3 )
  90 FORMAT ( F10.0, 20X, 2( A3, 2X ), 4F10.0 )
  100 FORMAT ( F10.0, A4, 6X, F10.0 )
  110 FORMAT ( /, 5X, 11HINPUT DATA: //, 5X, 8HTABLE 1:, 5X,
  1 12HCONTROL DATA )
  120 FORMAT ( /, 10X, 4HPROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS,
  1 31H & ANALYSIS FOR A FACTORED LOAD, / )
  130 FORMAT ( /, 10X, 27HPROBLEM TYPE = 2 - ANALYSIS,
  1 26H FOR A PARTICULAR PRESSURE, / )
  160 FORMAT ( 18X, 37HTABLES RETAINED FROM PREVIOUS PROBLEM, //,
  1 20X, 2H 2, 4X, 2H 3, 4X, 2H 4, 4X, 2H 5, 4X, 2H 6,
  2 4X, 2H 7, /, 17X, 6( 2X, A4 ) )
  190 FORMAT ( 23X, 25HNO KEEP OPTIONS EXERCISED, / )
  210 FORMAT ( /, 5X, 33HTABLE 2: UNITS OF MEASUREMENT, //, 17X,
  1 6HLENGTH, 6X, 4HLCAD, 5X, 8HPRESSURE, 3X, 7HANGULAR,
  2 //, 11X, 4( 7X, A4 ) )
  220 FORMAT ( //, 5X, 32HTABLE 3: STROKE AND EXTENDED,
  1 27H LENGTHS AND END DIMENSIONS,
  2 //, 15X, 35HNUMBER OF TUBES( INCLUDING ROD ) = , 12,
  3 //, 15X, 35HSTROKE LENGTH = , 1PD12.5,
  4 //, 15X, 35HEXTENDED LENGTH = , 1PD12.5,
  5 //, 15X, 35HCYL. HINGE DIST. FROM END PLATE = , 1PD12.5,
  6 //, 15X, 35HEND PLATE THICKNESS = , 1PD12.5,
  7 //, 15X, 35HCYLINDER PIN DIAMETER = , 1PD12.5,
  8 //, 15X, 35HROD PIN DIAMETER = , 1PD12.5/ )
  230 FORMAT ( /, 5X, 28HTABLE 4: TUBE DIMENSIONS,

```

```

  1 24H AND MATERIAL PROPERTIES //, 10X, 3HNO., 5X,
  2 6HLENGTH, 6X, 9HCUTER DIA, 4X, 9HINNER DIA, 2X,
  3 12HWT/UNIT LNT., 2X, 10HYOUNGS MOD., 3X, 10HYIELD STRS // )
  250 FORMAT ( 10X, 13, 1X, 6( 1X, 1PD12.5 ) )
  260 FORMAT ( 27X, 28H( HOLLOW ROD WITHOUT FLUID ), / )
  270 FORMAT ( 28X, 25H( HOLLOW ROD WITH FLUID ), / )
  280 FORMAT ( 34X, 13H( SGLID ROD ), / )
  300 FORMAT ( 1H1, 4X, 33HTABLE 5: INTERFACE DIMENSIONS,
  1 24H AND DETAILS OF BEARINGS, / )
  310 FORMAT ( 10X, 33HDETAILS AT INTERFACE NUMBER = , 12,
  1 //, 15X, 39HNUMBER OF PISTON BEARINGS = , 12,
  2 //, 15X, 39HNUMBER OF ROD BEARINGS = , 12,
  3 //, 15X, 39HLENGTH OF STOP TUBE = , 1PD12.5,
  4 //, 15X, 39HCLEARANCE BETWEEN CYL & STUFFING BOX = , 1PD12.5/ )
  320 FORMAT ( /, 37X, 6HLENGTH, 7X, 8HDIAMETER, 6X, 9HCLEARANCE, 6X,
  1 6HWIGHT, /, 48X, 27H( ONE OF THESE TWO IS INPUT ), //,
  2 20X, 12HPISTON HEAD, 4( 2X, 1PD12.5 ), //, 20X,
  3 12HSTUFFING BOX, 4( 2X, 1PD12.5 ) )
  330 FORMAT ( //, 15X, 16HPISTON BEARINGS: //, 77X, 13HDISTANCE FROM,
  1 //, 15X, 3HNO., 6X, 5HWIDTH, 7X, 9HTHICKNESS, 2X,
  2 14HYOUNGS MODULUS, 3X, 9HSTIFFNESS, 4X, 12HBACK FACE OF,
  3 //, 77X, 11HPISTON HEAD, / )
  340 FORMAT ( 5( 15X, 12, 1X, 5( 2X, 1PD12.5 ) / ) )
  350 FORMAT ( 15X, 16HROD BEARINGS : //, 77X, 13HDISTANCE FROM,
  1 //, 15X, 3HNO., 6X, 5HWIDTH, 7X, 9HTHICKNESS, 2X,
  2 14HYOUNGS MODULUS, 3X, 9HSTIFFNESS, 4X, 12HBACK FACE OF,
  3 //, 77X, 12HSTUFFING BOX, / )
  360 FORMAT ( 20X, 33HNOTE: EITHER WIDTH, THICKNESS, ,
  1 37HYOUNGS MODULUS OR STIFFNESS IS INPUT., //, 23X,
  2 42HZERO'S INDICATE THAT THEY ARE NOT INPUT. ), / )
  380 FORMAT ( /, 5X, 43HTABLE 6: INCLINATION, FIXITY, FRICTION,
  1 34HCoefficients, LOADING ECCENTRICITY, //, 10X,
  2 34HCYL INCLINATION WITH HORIZONTAL = , 1PD12.5, //, 40X,
  3 24HCYLINDER END ROD END, //, 10X,
  4 19HSUPPORT CONDITIONS: , 21X, A3, 12X, A3, //, 10X,
  5 36HFRICITION COEFFICIENTS AT SUPPORTS: , 2( 1PD12.5, 2X )
  6 //, 15X, 19H( ZERO IF FIXED END ), /, 10X,
  7 23HLOADING ECCENTRICITIES: , 13X, 2( 1PD12.5, 2X ), / )
  390 FORMAT ( /, 5X, 39HTABLE 7: FACTOR OF SAFETY, ITS TYPE,
  1 22H OR OPERATING PRESSURE, / )
  410 FORMAT ( /, 10X, 19HFACTOR OF SAFETY = , F0.3, 4H DN, A4, / )
  420 FORMAT ( /, 10X, 21HOPERATING PRESSURE = , 1PD12.5, / )
  430 FORMAT ( /, 10X, 31HCRITICAL LOAD ANALYSIS IS ASKED, / )
  480 FORMAT ( //, 10X, 6H***** , 19HPROGRAM TERMINATED , 5H***** )
  490 FORMAT ( 1H1 )
  700 FORMAT ( 1H1, 15( / ), 5( 10X, 6H***** ,
  1 28HERROR IN INPUT LENGTHS ***** , / ) )
  720 FORMAT ( 1H1, 15( / ), 10X, 6H***** ,
  1 13HERROR - PCL1( , 12, 20H ) IS NEGATIVE ***** )
  740 FORMAT ( 1H1, 15( / ), 10X, 6H***** ,
  1 12HERROR - CIL( , 12, 20H ) IS LESS THAN PHD( , 12,
  2 8H ) ***** )
  760 FORMAT ( 1H1, 15( / ), 10X, 6H***** ,
  1 13HERROR - RCL1( , 12, 20H ) IS NEGATIVE ***** )
  780 FORMAT ( 1H1, 15( / ), 10X, 6H***** , 12HERROR - COD( , 12,
  1 *+1 ) IS GREATER THAN SBD( , 12, 8H ) ***** )

```

```

C----- >>> READ AND ECHO RUN AND PROBLEM IDENTIFICATION

```

```

C
      IF ( NPROB .NE. IBLNK ) GO TO 1000
      READ ( 5, 10 ) ( IDCARD( I ), I = 1, 40 )
1000 READ ( 5, 20 ) NPROB, ( IPRJB( I ), I = 1, 19 )
C
C---- >>> TEST FOR END OF RUN
C
      IF ( NPROB .EQ. IBLNK ) GO TO 3200
      CALL TITLE
C
C---- >>> READ TABLE 1: PROBLEM TYPE AND TABLES TO BE RETAINED FROM
C      PREVIOUS PROBLEM
C
      READ ( 5, 30 ) LPRTP, KEEP2, KEEP3, KEEP4, KEEP5, KEEP6, KEEP7
      IF ( KEEP2 .EQ. KEEP ) GO TO 1100
C
C---- >>> READ TABLE 2: UNITS OF MEASUREMENT
C
      READ ( 5, 40 ) LNTU, LODU, LPREL, LANGU
      IF ( KEEP3 .EQ. KEEP ) GO TO 1200
1100
C
C---- >>> READ TABLE 3: GENERAL DIMENSIONS
C
      READ ( 5, 60 ) NCYL, STROK, EXL, CHDS, EPTK, CPD, RPD
      IF ( KEEP4 .EQ. KEEP ) GO TO 1300
1200
C
C---- >>> READ TABLE 4: DIMENSIONS AND MATERIAL PROPERTIES OF EACH TUBE
C
      READ ( 5, 80 ) ( CL(I), COD(I), CID(I), WCI(I), ECYL(I), FYCYL(I),
1      LFLUID, I = 1, NCYL )
1300 IF ( KEEP5 .EQ. KEEP ) GO TO 1500
      NMI = NCYL - 1
C
C---- >>> READ TABLE 5: DIMENSIONS & MATERIAL PROPERTIES AT INTERFACES
C
      DO 1400 I = 1, NMI
      READ ( 5, 70 ) MI, NPHBR(MI), NRDBR(MI), STPTB(MI), CSBC(MI),
1      PCL1(MI), RCL1(MI)
      READ ( 5, 80 ) PHL(MI), SBL(MI), WPH1(MI), WSBL(MI), PHD(MI), SBD(MI)
      K = MI
      L = NPHBR( MI )
      READ ( 5, 90 ) ( PRW(K,J), PRT(K,J), PRE(K,J), PRK(K,J), PRDST(K,J),
1      , J = 1, L )
      L = NRDBR( MI )
      READ ( 5, 90 ) ( RBW(K,J), RBT(K,J), RBE(K,J), RBK(K,J), RBDST(K,J),
1      , J = 1, L )
1400 CONTINUE
C
C---- >>> TEST FOR PROPER INPUT
C
      CHKEXL = CHDS + EPTK + CL( NCYL )
      DO 1450 I = 1, NMI
      CHKEXL = CHKEXL + CL(I) - SBL(I) - STPTB(I) - PHL(I)
1450 DIFF = DABS( CHKEXL - EXL )
      IF ( DIFF .GE. 0.01000 ) GO TO 2500
      CHSTRK = EXL - CHDS - EPTK - CL( NCYL ) + P0001
      IF ( CHSTRK .LT. STROK ) GO TO 2500
      DO 1490 I = 1, NMI

```

```

      IF ( PCL1(I) ) 2600, 1460, 1470
1460 IF ( CID(I) .LT. PHD(I) ) GO TO 2700
1470 IF ( RCL1(I) ) 2600, 1480, 1490
1480 IF ( COD(I+1) .GT. SBD(I) ) GO TO 2900
1490 CONTINUE
1500 IF ( KEEP6 .EQ. KEEP ) GO TO 1600
C
C---- >>> READ TABLE 6: INCLINATION, END FIXITY, FRICTION COEFFICIENTS
C      AND ECCENTRICITY OF LOADING
C
      READ ( 5, 90 ) CINCL, LCEND, LREND, FCC, FCR, ECLC, ECLR
1600 IF ( KEEP7 .EQ. KEEP ) GO TO 1700
C
C---- >>> READ TABLE 7: FACTOR OF SAFETY, ITS TYPE / OPERATING PRESSURE
C
      READ ( 5, 100 ) FS, LFSTP, CPPRE
1700 CONTINUE
C
C---- >>> PRINT ALL THE TABLES READ
C
      PRINT 110
      IF ( LPRTP .EQ. 1 ) PRINT 120
      IF ( LPRTP .EQ. 2 ) PRINT 130
      PRINT 160, KEEP2, KEEP3, KEEP4, KEEP5, KEEP6, KEEP7
      IF ( KEEP2 .NE. IBLNK ) GO TO 1750
      IF ( KEEP3 .NE. IBLNK ) GO TO 1750
      IF ( KEEP4 .NE. IBLNK ) GO TO 1750
      IF ( KEEP5 .NE. IBLNK ) GO TO 1750
      IF ( KEEP6 .NE. IBLNK ) GO TO 1750
      IF ( KEEP7 .EQ. IBLNK ) PRINT 190
1750 CONTINUE
      PRINT 210, LNTU, LODU, LPREL, LANGU
      PRINT 220, NCYL, STROK, EXL, CHDS, EPTK, CPD, RPD
      PRINT 230
      DO 1760 I = 1, NCYL
1760 PRINT 250, I, CL(I), COD(I), CID(I), WCI(I), ECYL(I), FYCYL(I)
      IF ( CID( NCYL ) ) 1780, 1780, 1770
1770 IF ( LFLUID .NE. LYES ) PRINT 260
      IF ( LFLUID .EQ. LYES ) PRINT 270
      GO TO 1790
1780 PRINT 280
1790 CONTINUE
      PRINT 300
      DO 1800 I = 1, NMI
      PRINT 310, I, NPHBR(I), NRDBR(I), STPTB(I), CSBC(I)
      PRINT 320, PHL(I), PHC(I), PCL1(I), WPH1(I), SBL(I), SBD(I), RCL1(I),
1      WSBL(I)
      PRINT 330
      L = NPHBR( I )
      PRINT 340, ( J, PRW(I,J), PRT(I,J), PRE(I,J), PRK(I,J), PRDST(I,J),
1      , J = 1, L )
      PRINT 350
      L = NRDBR( I )
      PRINT 340, ( J, RBW(I,J), RBT(I,J), RBE(I,J), RBK(I,J), RBDST(I,J),
1      , J = 1, L )
1800 CONTINUE
      PRINT 360
      PRINT 380, CINCL, LCEND, LREND, FCC, FCR, ECLC, ECLR

```

```

PRINT 390
  IF ( LPRTP .EQ. 1 ) GO TO 1900
  IF ( LPRTP .EQ. 2 ) PRINT 420, UPPRE
  GO TO 1950
1900  IF ( FS .LE. ONE ) PRINT 430
      IF ( FS .GT. ONE ) PRINT 410, FS, LFSTP
1950 RETURN

```

```

C
C---- >>> DIAGNOSTICS FOR ILLEGAL INPUTS
C

```

```

2500 PRINT 700
      GO TO 3100
2600 PRINT 720, I
      GO TO 3100
2700 PRINT 740, I, I
      GO TO 3100
2800 PRINT 760, I
      GO TO 3100
2900 PRINT 780, I, I
3100 PRINT 480
3200 PRINT 490

```

```

C
C---- >>> END OF RUN IF ERROR IN INPUT IS ENCOUNTERED
C

```

```

STOP
END

```

SUBROUTINE TITLE

```

C
C---- >>> SUBROUTINE TO PRINT TITLE, PROGRAM IDENTIFICATION, AND PROBLEM IDENTIFICATION
C

```

```

C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  REAL * 8 IDATE
  COMMON / ID / IDCARD(40), NPROB, IPROB(19), LPRTP
C
100 FORMAT ( I2, 1X, I2, 1X, I2 )
110 FORMAT ( 1H1, 4X, 35HPROGRAM SACTEL - STRESS ANALYSIS OF, )
    1 25H CYLINDERS ( TELESCOPIC ), 6X, 6HDATE: , I2, 1H/, I2, 1H/, )
    2 I2, / )
120 FORMAT ( /, 2( 5X, 20A4, / ) )
130 FORMAT ( 5X, 8HPROBLEM , A4, 1H:, //, 1X, 19A4 )
  CALL DATE ( IDATE )
  CALL CORE ( IDATE, 8 )
  READ ( 99, 100 ) MONTH, IDAY, IYEAR

```

```

C
C---- >>> PRINT DATE
C

```

```

PRINT 110, MONTH, IDAY, IYEAR
PRINT 120, ( IDCARD( I ), I = 1, 40 )
PRINT 130, NPROB, ( IPROB( I ), I = 1, 19 )
RETURN
END

```

SUBROUTINE CONST

```

I ( NCYL, LANGU, CHDS, EXL )
C
C---- >>> SUBROUTINE TO CALCULATE CONSTANT TERMS FOR CONVENIENCE
C

```

```

  IMPLICIT REAL * 8 ( A - H, J - Z )
  COMMON / BEARUM / PRW(9,5), PRT(9,5), PRE(9,5),
    RBW(9,5), RBT(9,5), RBE(9,5)
  COMMON / BEARPR / PRKX(9), SPRK(9), RBKY(9), SRBK(9)
  COMMON / BRSTDS / PRK(9,5), RBK(9,5), PRDST(9,5), RBDST(9,5)
  COMMON / CONSTS / CSBC(9), PCL1(9), RCL1(9), WPH1(9), WSB1(9),
    WCL1(10), PHD(9), SHD(9), CID(10), COD(10), ECYL(10)
  COMMON / CRPROP / CYZ(10), CYZ1(10), BAREA(10), CAREA(10),
    HSCI(10), HSCG(10)
  COMMON / CYLWT / WC(10), EEL, FFL
  COMMON / ECCENT / ECLC, ECLR
  COMMON / ENDS / LGEND, LREND
  COMMON / FCSSTF / FCCY, FCRD, CSSTF, RSSTF, C3NM
  COMMON / INFRPD / CINCL, FCC, FCR, CPJ, RPD
  COMMON / NBEARS / NPHBR(9), NRDBR(9)
  COMMON / PHSBWC / WPH(9), WSB(9), PCL(9), RCL(9), CYK(10)

```

```

  DATA ZERC, TWO, FOUR, SIXFCR / 0.0000, 2.0000, 4.0000, 64.0000 /
  DATA H180, AINFIN / 180.0000, 1.0020 /
  DATA PI / 3.141592653589793000 /
  DATA LDEG, LFIX / 4HDEG, 3HFIX /

```

```

C
C---- >>> CALCULATE STIFFNESSES OF BEARINGS AND SEALS IF NOT INPUT
C

```

```

  NMI = NCYL - 1
  DO 150 I = 1, NMI
    SPRK(I) = ZERC
    PRKX(I) = ZERC
    NL = NPHBR( I )
    DO 110 J = 1, NL
      IF ( PRK( I, J ) ) 95, 95, 100
    95 PRK(I,J) = CID(I) * PRW(I,J) * PRE(I,J) / PRT(I,J)
    100 PRKX(I) = PRK( I, J ) * PRDST( I, J ) + PRKX( I )
    110 SPRK(I) = PRK( I, J ) + SPRK( I )
    SRBK(I) = ZERC
    RBKY(I) = ZERC
    NL = NRDBR( I )
    DO 130 J = 1, NL
      IF ( RBK( I, J ) ) 115, 115, 120
    115 RBK(I,J) = COD(I+1) * RBW(I,J) * RBE(I,J) / RBT(I,J)
    120 RBKY(I) = RBK( I, J ) * RBDST( I, J ) + RBKY( I )
    130 SRBK(I) = RBK( I, J ) + SRBK( I )
    150 CONTINUE
    TEMP = PI / H180
    BETA = CINCL
    IF ( LANGU .EQ. LDEG ) BETA = CINCL * TEMP
    CB = DCCS( BETA )

```

```

C
C---- >>> CALCULATE CROSS SECTIONAL PROPERTIES
C

```

```

  DO 200 I = 1, NCYL
    COD2 = COD(I) * COD(I)
    CID2 = CID(I) * CID(I)

```

```

COD4 = COD2 * CG92
CID4 = CID2 * CIO2
CY1 = PI * ( COD4 - CID4 ) / SXTFOR
CYZ(I) = CY1 * TWC / CCD( I )
IF ( CID(I) ) 170, 170, 160
CYZ1(I) = CY1 * TWO / CID( I )
160
C
C---- >>> BORE AREAS AND CROSS SECTIONAL AREAS OF TUBES
C
170
BAREA(I) = PI * CID2 / FOUR
DEN = COD2 - CID2
CAREA(I) = PI * DEN / FOUR
C
C---- >>> CALCULATE HOOP STRESS COEFFICIENTS
C
HSCI(I) = ( CCD2 + CID2 ) / DEN
HSCO(I) = TWO * CID2 / DEN
CYK(I) = DSQRT( ECYL(I) * CYI )
IF ( I - NCYL ) 190, 200, 200
C
C---- >>> CALCULATE CLEARANCES AT PISTON HEAD AND STUFFING BOX
C
190
PCL(I) = ( CID(I) - PHD(I) ) / TWO
IF ( PCL(I) .GT. ZERO ) PCL(I) = PCL(I)
RCL(I) = ( SBD(I) - COD(I+1) ) / TWO + CSBC(I)
IF ( RCL(I) .GT. ZERO ) RCL(I) = RCL(I) + CSBC(I)
C
C---- >>> CALCULATE VERTICAL COMPONENTS OF WEIGHTS
C
WPH(I) = WPH1(I) * CB
WSB(I) = WSB1(I) * CB
200
WC(I) = WC1(I) * CB
C
C---- >>> CALCULATE FRICTION MOMENT COEFFICIENTS
C
FCY = FCC * CPD / TWO
FCRD = FCR * RPD / TWO
FFL = ( FCRD - FCCY ) / EXL
EEL = ( ECLR - ECLC ) / EXL
C
C---- >>> ESTABLISH STIFFNESSES FOR ROTATIONAL SPRINGS AT SUPPORTS AS
PER INPUT SUPPORT CONDITIONS
C
CSSTF = ZERO
RSSTF = ZERO
IF ( LCEND .EQ. LFIX ) CSSTF = AINFIN
IF ( LREND .EQ. LFIX ) RSSTF = AINFIN
C
C---- >>> MOMENT DUE TO OVER HANG
C
CONM = WC(I) * CHDS * CHDS / TWO
IF ( CHDS ) 230, 230, 220
220
CONM = ZERO
230
IF ( LCEND .EQ. LFIX ) CONM = ZERO
RETURN
END

```

```

SUBROUTINE TRIALP
I
O
( ECYLN, CYZN, CODN, EXL,
P, PINCR1, PINCR2
C
C---- >>> SUBROUTINE TO CALCULATE TRIAL LOAD AND LOAD INCREMENTS
C
IMPLICIT REAL * 8 ( A - H, O - Z )
C
DATA ONEP25, TWO, FIFTY, THOSND / 1.25000, 2.000, 50.000, 1000.000 /
DATA PI / 3.141592653589793000 /
DATA LFIX / 3HFIX /
C
C---- >>> TRIAL LOAD (I) AS PER EULERS BUCKLING, CONSIDERING FULL
LENGTH STIFFNESS AS THAT OF ROD ONLY
C
PI2 = PI * PI
EXL2 = EXL * EXL
CYIN = CYZN * CGDN / TWO
P = PI2 * ECYLN * CYIN / EXL2
P = P * ONEP25
PINCR1 = P / FIFTY
PINCR2 = P / THOSND
RETURN
END

```

```

SUBROUTINE EQLIBM
  I      ( NCVL, CHDS, EXL, P, NMI,
  O      BM, DEF, TETA, THC, REC )
C----- >>> SUBROUTINE TO CALCULATE CONSISTENT VALUES OF DEFLECTIONS AND
C          CROOKEDNESS ANGLES BY ITERATING, FOR A PARTICULAR LOAD
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON / BEARPR / PRKX(9), SPRK(9), RBKY(9), SRBK(9)
  COMMON / BRSTDS / PRK(9,5), RBK(9,5), PRDST(9,5), RBDST(9,5)
  COMMON / CANDOS / C( 10 ), D( 10 )
  COMMON / CKCLTW / CK( 10 ), CLT( 10 ), W( 9 )
  COMMON / CYLWT / WC(10), EEL, FFL
  COMMON / ECCENT / ECLC, ECLR
  COMMON / FCSSTF / FCCY, FCRD, CSSTF, KSSTF, CONM
  COMMON / GLDFOR / FX(9,5), FY(9,5), F1(9), F2(9), F3(9), F4(9)
  COMMON / GLLNTS / STPTB(9), PHL(9), SBL(9), CL(10), EPTK
  COMMON / NBEARS / NPHBR(9), NRDBR(9)
  COMMON / PHSBWC / WPH(9), WSB(9), PCL(9), RCL(9), CYK(10)
  COMMON / SPRMOM / AKTHC, AKTHR
  COMMON / STFDST / PRKT(5), PRDSTT(5), RBKT(5), RBDSTT(5)
C
  DIMENSION BM(NCVL), DEF(NCVL), TETA(NCVL), TETAFL(9)
  DIMENSION FXX( 5 ), FYY( 5 )
  DIMENSION X(9), Y(9)
  DIMENSION S( 22, 22 ), R( 22 )
C
  DATA TWO, HUNDRD / 2.0000, 100.0000 /
C
      KOUNT = 1
      SQP = DSQRT( P )
  DO 210 I = 1, NCVL
    CK(I) = SQP / CYK( I )
  GO TO 400
210
C----- >>> CALCULATE TRANSFORMED CYLINDER AND ROD LENGTHS
C
  220      CLT(I) = CL( I ) + EPTK + CHDS - SBL( I ) - Y( I )
      IF ( NCVL - 2 ) 230, 250, 230
  230      DO 240 I = 2, NMI
  240      CLT(I) = CLT( I-1 ) - X( I-1 ) - PHL( I-1 ) + CL( I )
      - Y( I ) - SBL( I )
  250      CLT(NCVL) = CLT( NCVL-1 ) - X( NCVL-1 ) - PHL( NCVL-1 )
      + CL( NCVL )
C----- >>> CALCULATE LATERAL REACTION AT CYLINDER SUPPORT
C
      REC = CONM + WC( 1 ) * CLT( 1 ) * ( EXL - CLT(1)/TWO )
  DO 300 I = 1, NMI
    W( I ) = WPH(I) + WSB(I) + WC(I) * Y(I) + WC(I+1) * X(I)
    CLC1 = CLT( I+1 ) - CLT( I )
    CLC2 = ( CLT( I+1 ) + CLT( I ) ) / TWO
    REC = REC + W( I ) * ( EXL - CLT( I ) )
      + WC( I+1 ) * CLC1 * ( EXL - CLC2 )
  300      CONTINUE
      REC = REC / EXL
      NTEMP = 2 * NCVL + 2
  CALL MTRXOP

```

```

  I      ( P, EXL, REC, TETA, NTEMP, NMI,
  O      THC, THR, S, R )
      AKTHC = CSSTF * THC
      AKTHR = RSSTF * THR
  CALL DEFMOM
  I      ( P, EXL, REC, NCVL, I, CLT,
  O      DEF, BM, BMC, BMR )
400      DO 450 I = 1, NMI
      KPHBR = NPHBR( I )
  DO 410 J = 1, KPHBR
    PRKT(J) = PRK( I,J )
    PRDSTT(J) = PRDST( I,J )
    KRDBR = NRDBR( I )
  DO 420 J = 1, KRDBR
    RBKT(J) = RBK( I,J )
    RBDSTT(J) = RBDST( I,J )
420
C----- >>> CALCULATE CROOKEDNESS ANGLES AT SLIDING CONNECTIONS - THETA'S
C
  CALL THETA
  I      ( KPHBR, KRDBR, STPTB(I), BM(I), PHL(I), SBL(I), PCL(I),
  I      RCL(I), PRKX(I), SPRK(I), RBKY(I), SRBK(I), X(I), Y(I),
  O      TETAFL(I), F1(I), F2(I), F3(I), F4(I), FXX, FYY )
  DO 430 J = 1, KPHBR
    FX( I,J ) = FXX( J )
  DO 440 J = 1, KRDBR
    FY( I,J ) = FYY( J )
440      CONTINUE
450      KEY = 1
      IF ( KOUNT - 1 ) 470, 450, 470
460      KEY = 2
C----- >>> ARE INITIAL AND FINAL THETAS CLOSE?
C
  470      DO 500 I = 1, NMI
      DTETA = DABS( TETA( I ) / HUNDRD )
      DIFF = DABS( TETAFL( I ) - TETA( I ) )
      TETA(I) = TETAFL( I )
      IF ( DIFF - DTETA ) 500, 500, 490
  490      KEY = 2
  500      CONTINUE
      IF ( KOUNT - 10 ) 520, 520, 550
  520      KOUNT = KOUNT + 1
      IF ( KEY - 1 ) 550, 550, 220
  550      CONTINUE
  RETURN
  END

```

```

SUBROUTINE THETA
I      ( NPHBR, NRDBR, GC, BMG, PHL, SBL, PCL, RCL, PRKX, SPRK,
I      RBKY, SRBK,
O      X, Y, TETA, F1, F2, F3, F4, FX, FY )

```

```

C----- >>> SUBROUTINE TO CALCULATE CROOKEDNESS ANGLE AND FORCES AT
C          INTERFACE
C

```

```

C          IMPLICIT REAL * 8 ( A - H, J - Z )
COMMON / STFDST / PRK(5), PRDST(5), RBK(5), RBDST(5)
C
C          DIMENSION FX( NPHBR ), FY( NRDBR )
C
C          DATA ZERO, ONE, TWO / 0.0000, 1.0000, 2.0000 /

```

```

C----- >>> MONITOR FOR PROPER SIGN
C

```

```

C          SIGN = ONE
80      IF ( BMG ) 80, 100, 80
100     SIGN = BMG / DABS( BMG )
        SRPBK = SRBK + SPRK
        F1 = ZERO
        F2 = ZERO
        F3 = ZERO
        F4 = ZERO

```

```

C----- >>> CASE 1: NO METAL TO METAL CONTACT AT SLIDING CONNECTION
C

```

```

C          X = ( RBKY + GC * SRBK - PRKX ) / SRPBK
C          Y = GC - X
IF ( PCL .EQ. ZERO .AND. RCL .EQ. ZERO ) GO TO 690
CF = ZERO
DO 130 I = 1, NPHBR
130    CF = CF + PRK(I) * ( X + PRDST(I) ) * ( X + PRDST(I) )
DO 140 I = 1, NRDBR
140    CF = CF + RBK(I) * ( Y + RBDST(I) ) * ( Y + RBDST(I) )
        TETA = BMG / CF
        D1 = ( X + PHL ) * DABS( TETA )
        D2 = ( Y + SBL ) * DABS( TETA )
IF ( D1 .GE. PCL .AND. D2 .GE. RCL ) GO TO 170
150    IF ( D1 - PCL ) 150, 200, 200
170    IF ( D2 - RCL ) 750, 300, 300
        D22 = PCL * ( Y + SBL ) / ( X + PHL )
IF ( D22 - RCL ) 200, 300, 300

```

```

C----- >>> CASE 2: CONTACT AT FRONT FACE OF PISTON HEAD
C

```

```

200    XNUM = ZERO
        XDEN = ZERO
        A = PHL + GC
        B = DABS( BMG ) / PCL
DO 210 I = 1, NPHBR
        TEMP = PRK(I) * ( PHL - PRDST(I) )
        XDEN = XDEN + TEMP
210    XNUM = XNUM + TEMP * PRDST(I)
        XNUM = - XNUM
DO 220 I = 1, NRDBR
        TEMP = RBK(I) * ( A + RBDST(I) )

```

```

220    XDEN = XDEN + TEMP
        XNUM = XNUM + TEMP * ( GC + RBDST(I) )
        XNUM = XNUM - B * PHL
        XDEN = B + XDEN
        X = XNUM / XDEN
        Y = GC - X
        TETA = PCL / ( X + PHL ) * SIGN
        D3 = DABS( TETA * X )
        D2 = ( Y + SBL ) * DABS( TETA )
IF ( D3 .GE. PCL .AND. D2 .GE. RCL ) GO TO 270
240    IF ( D3 - PCL ) 240, 400, 400
250    IF ( D2 - RCL ) 250, 600, 600
        F1 = TETA * ( RBKY + GC * SRBK - PRKX - X * SRPBK )
GO TO 750
270    TETA = PCL * TWO / PHL
        D2 = ( PHL / TWO + GC + SBL ) * TETA
IF ( D2 - RCL ) 400, 600, 600

```

```

C----- >>> CASE 3: CONTACT AT FRONT FACE OF STUFFING BOX
C

```

```

300    XNUM = ZERO
        XDEN = ZERO
        A = SBL + GC
        B = DABS( BMG ) / RCL
DO 310 I = 1, NPHBR
        TEMP = PRK(I) * ( A + PRDST(I) )
        XDEN = XDEN + TEMP
310    XNUM = XNUM + TEMP * PRDST(I)
        XNUM = - XNUM
DO 320 I = 1, NRDBR
        TEMP = RBK(I) * ( SBL - RBDST(I) )
        XDEN = XDEN + TEMP
320    XNUM = XNUM + TEMP * ( GC + RBDST(I) )
        XNUM = XNUM + B * A
        XDEN = B + XDEN
        X = XNUM / XDEN
        Y = GC - X
        TETA = RCL / ( Y + SBL ) * SIGN
        D1 = ( X + PHL ) * DABS( TETA )
        D4 = DABS( TETA * Y )
IF ( D1 .GE. PCL .AND. D4 .GE. RCL ) GO TO 370
340    IF ( D1 - PCL ) 340, 600, 600
350    IF ( D4 - RCL ) 350, 500, 500
        F2 = TETA * ( X * SRPBK - RBKY - GC * SRBK + PRKX )
GO TO 750
370    TETA = RCL * TWO / SBL
        D1 = ( PHL + GC + SBL / TWO ) * DABS( TETA )
IF ( D1 - PCL ) 500, 600, 600

```

```

C----- >>> CASE 4: CONTACT AT FRONT AND BACK FACES OF PISTON HEAD
C

```

```

400    X = - PHL / TWO
        TETA = TWO * PCL / PHL * SIGN
        Y = GC - X
        CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR,          FX )
        CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR,          FY )
DO 470 I = 1, NPHBR
        F3 = F3 + FX(I)

```

```

470      F1 = F1 + FX(I) * PRDST(I)
      DO 480 I = 1, NRDBR
          F3 = F3 - FY(I)
480      F1 = F1 + FY(I) * ( GC + RBDST(I) )
          F1 = ( BMG - F1 ) / PHL
          F3 = F1 + F3
      RETURN
C
C----- >>> CASE 5: CONTACT AT FRONT AND BACK FACES OF STUFFING BOX
C
500      X = GC + SBL / TWO
          TETA = TWO * RCL / SBL * SIGN
          Y = GC - X
      CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR,          FX )
      CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR,          FY )
      DO 570 I = 1, NPHBR
          F2 = - FX(I) * ( GC + PRDST(I) ) + F2
          F4 = - FX(I) + F4
570      DO 580 I = 1, NRDBR
          F2 = F2 - FY(I) * RBDST(I)
          F4 = F4 + FY(I)
580      F2 = ( BMG + F2 ) / SBL
          F4 = F2 + F4
      RETURN
C
C----- >>> CASE 6: CONTACT AT FRONT FACE OF PISTON HEAD AND FRONT FACE
C OF STUFFING BOX
C
600      TETA = ( PCL + RCL ) / ( PHL + GC + SBL ) * SIGN
          X = PCL / DABS( TETA ) - PHL
          Y = GC - X
      CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR,          FX )
      CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR,          FY )
      DO 670 I = 1, NPHBR
          F1 = - FX(I) * ( SBL + GC + PRDST(I) ) + F1
          F2 = FX(I) + F2
670      DO 680 I = 1, NRDBR
          F1 = F1 + FY(I) * ( SBL - RBDST(I) )
          F2 = - FY(I) + F2
680      F1 = ( BMG + F1 ) / ( PHL + GC + SBL )
          F2 = F1 + F2
      RETURN
690      TETA = ZERO
750      CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR,          FX )
      CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR,          FY )
      RETURN
      END

```

```

SUBROUTINE GFORCE
I
0      ( AK, DST, TETA, X, N,
      F )
C----- >>> SUBROUTINE TO CALCULATE FORCES ON EACH BEARING
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      DIMENSION AK(N), DST(N), F(N)
C
      DO 10 I = 1, N
          F(I) = AK(I) * ( X + DST(I) ) * TETA
10      CONTINUE
      RETURN
      END

```



```

SUBROUTINE MTRXOP
  I ( P, EXL, REC, TETA, NTEMP, NMI,
  O   THC, THR, S, R )
C
C---- >>> SUBROUTINE TO FORM S & R MATRICES IN S * U = R AND SOLVE FOR U
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON / CANDDS / C( 10 ), D( 10 )
  COMMON / CKCLTW / CK( 10 ), CLT( 10 ), W( 9 )
  COMMON / CYLWT / WC( 10 ), EEL, FFL
  COMMON / ECCENT / ECLC, ECLR
  COMMON / FCSSTF / FCCY, FCRD, CSSTF, RSSTF, CONM
C
  DIMENSION S( NTEMP, NTEMP ), R( NTEMP ), TETA( NMI )
C
  DATA ZERO, ONE, TWO / 0.0000, 1.0000, 2.0000 /
C
      NCYL = NMI + 1
C
C---- >>> SET MATRICES INITIALLY TO ZERO
C
  DO 50 I = 1, NTEMP
    R( I ) = ZERC
  DO 50 J = 1, NTEMP
    S( I, J ) = ZERO
  50
C
C---- >>> FORMULATE S MATRIX
C
  DO 100 I = 1, NCYL
    A = CK( I ) * CLT( I )
    J = I * 2
    S( J+1, J ) = DCCS( A )
    S( J+1, J+1 ) = DSIN( A )
  90 IF ( I - 1 ) 100, 100, 90
    A = CK( I ) * CLT( I-1 )
    S( J-1, J ) = -DCOS( A )
    S( J-1, J+1 ) = -DSIN( A )
    S( J, J ) = CK( I ) * DSIN( A )
    S( J, J+1 ) = -CK( I ) * DCOS( A )
    A = CK( I-1 ) * CLT( I-1 )
    S( J, J-2 ) = -CK( I-1 ) * DSIN( A )
    S( J, J-1 ) = CK( I-1 ) * DCOS( A )
  100 CONTINUE
    J = NCYL * 2
    DEN = P * EXL
    S( 1, 1 ) = ONE + CSSTF / DEN
    S( 1, 3 ) = -CK( 1 )
    S( 1, J+2 ) = -RSSTF / DEN
    S( 2, 1 ) = CSSTF / P
    S( 2, 2 ) = ONE
    S( J+1, J+2 ) = RSSTF / P
    S( J+2, 1 ) = CSSTF / DEN
    A = CK( NCYL ) * CLT( NCYL )
    S( J+2, J ) = CK( NCYL ) * DSIN( A )
    S( J+2, J+1 ) = -CK( NCYL ) * DCOS( A )
    S( J+2, J+2 ) = ONE - RSSTF / DEN
C
C---- >>> FORMULATE R MATRIX

```

```

C
  R( 1 ) = FFL - EEL - REC / P
  R( 2 ) = ECLC - FCCY - CONM / P + WC( 1 ) / ( P * CK( 1 ) * CK( 1 ) )
  R( J+1 ) = ECLR - FCRD - CONM / P + REC * EXL / P
    -WC( 1 ) * CLT( 1 ) * ( EXL - CLT( 1 ) / TWO ) / P
    +WC( NCYL ) / ( P * CK( NCYL ) * CK( NCYL ) )
  DO 200 I = 2, NCYL
    R( J+2 ) = FFL - EEL - REC / P + WC( 1 ) * CLT( 1 ) / P
    CLC1 = CLT( I ) - CLT( I-1 )
    CLC2 = EXL - ( CLT( I ) + CLT( I-1 ) ) / TWO
    R( J+1 ) = R( J+1 ) - WC( I ) * CLC1 * CLC2 / P
    - W( I-1 ) * ( EXL - CLT( I-1 ) ) / P
    R( J+2 ) = R( J+2 ) + WC( I ) * CLC1 / P + W( I-1 ) / P
    K = I * 2
    R( K ) = TETA( I-1 ) + W( I-1 ) / P
    R( K-1 ) = ( WC( I-1 ) / ( CK( I-1 ) * CK( I-1 ) )
      - WC( I ) / ( CK( I ) * CK( I ) ) ) / P
  200 CONTINUE
C
C---- >>> SOLVE FOR UNKNOWN VECTOR U
C
  CALL SIMSOL ( S, R, NTEMP )
    THC = R( 1 )
    THR = R( J+2 )
  DO 300 I = 1, NCYL
    K = I * 2
    C( I ) = R( K )
    D( I ) = R( K+1 )
  300 CONTINUE
  RETURN
  END

```

```

SUBROUTINE SIMSOL ( S, R, N )
C
C---- >>> SUBROUTINE TO SOLVE FOR U VECTOR IN S * U = R
C      USING GAUSS ELIMINATION
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      DIMENSION S( N, N ), R( N )
C---- >>> FORMULATE UPPER TRIANGULAR MATRIX
C
      DO 130 I = 1, N
          TEMP = S( I, I )
          DO 100 J = 1, N
              S( I, J ) = S( I, J ) / TEMP
          100 CONTINUE
              R( I ) = R( I ) / TEMP
          IF ( I .EQ. N ) GO TO 130
              IP1 = I + 1
              DO 120 J = IP1, N
                  HOLD = S( J, I )
                  DO 110 K = I, N
                      S( J, K ) = S( J, K ) - HOLD * S( I, K )
                  110 CONTINUE
                      R( J ) = R( J ) - HOLD * R( I )
                  120 CONTINUE
              130 CONTINUE
C---- >>> BACK SUBSTITUTION
C
      DO 150 I = 2, N
          II = N + 1 - I
          M = II + 1
          DO 150 J = M, N
              R( II ) = R( II ) - S( II, J ) * R( J )
          150 CONTINUE
      RETURN
      END

```

```

SUBROUTINE DEFMM
I      ( P, EXL, REC, NCYL, IDEN, XL,
O      DEF, BM, BMC, BMR )
C
C---- >>> SUBROUTINE TO CALCULATE DEFLECTIONS AND BENDING MOMENTS AT
C      INPUT LENGTHS XL'S, AND BENDING MOMENTS AT SUPPORTS
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON / CANDUS / C( 10 ), J( 10 )
      COMMON / CKCLTW / CK( 10 ), CLT( 10 ), W( 9 )
      COMMON / CYLWT / WC( 10 ), EEL, FFL
      COMMON / ECCENT / ECLC, ECLR
      COMMON / FCSSTF / FCCY, FCRD, CSSTF, RSSTF, CGNM
      COMMON / SPRMOM / AKTHC, AKTHR
C
      DIMENSION DEF( NCYL ), BM( NCYL ), XL( NCYL )
C
      DATA ZERG, TWO / 0.0000, 2.0000 /
C
      YCON1 = ( EEL - FFL ) * P + ( AKTHC - AKTHR ) / EXL + REC
      YCON2 = CGNM + P * ( FCCY - ECLC ) + AKTHC
      MM = NCYL
      IF ( IDEN .EQ. 1 ) MM = NCYL - 1
      DO 200 I = 1, MM
          A = CK( I ) * XL( I )
          A = C( I ) * DCOS( A ) + D( I ) * DSIN( A )
          IF ( I .GT. 1 ) GO TO 100
          B = YCON1 * XL( I ) - YCON2 - WC( I ) * XL( I ) * XL( I ) / TWO
          GO TO 150
      100 K = I - 1
          B = ZERG
          IF ( K .EQ. 1 ) GO TO 130
          DO 120 J = 2, K
              N = J - 1
              B = B + WC( J ) * ( CLT( J ) - CLT( N ) )
              * ( XL( I ) - ( CLT( J ) + CLT( N ) ) / TWO ) + W( J ) * ( XL( I ) - CLT( J ) )
          120 B = -B + YCON1 * XL( I ) - YCON2
              - WC( I ) * CLT( I ) * ( XL( I ) - CLT( I ) ) / TWO
              - WC( I ) * XL( I ) * ( XL( I ) - CLT( K ) ) * ( XL( I ) - CLT( K ) ) / TWO
              - W( I ) * ( XL( I ) - CLT( I ) )
          150 DEF( I ) = A - B / P - WC( I ) / ( P * CK( I ) * CK( I ) )
              BM( I ) = B + P * DEF( I )
      200 CONTINUE
          BMR = P * ( FCRD - ECLR ) + AKTHR
          IF ( IDEN - 1 ) 300, 300, 250
          BMC = YCON2
      250 RETURN
          DEF( NCYL ) = ZERG
          BM( NCYL ) = BMR
      300 RETURN
      END

```

```

SUBROUTINE XATYMX
  I      ( NCYL, DEF, BM, EXL, REC, P,
  O      XL
C
C--- >>> SUBROUTINE TO CALCULATE DISTANCES AT WHICH MAXIMUM BENDING
C      MOMENTS OCCUR IN EACH TUBE
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON / CANDDS / C( 10 ), D( 10 )
  COMMON / CKCLTW / CK( 10 ), CLT( 10 ), W( 9 )
  COMMON / CYLWT / WC( 10 ), EEL, FFL
  COMMON / SPRMOM / AKTHC, AKTHR
C
  DIMENSION DEF( NCYL ), BM( NCYL ), XL( NCYL )
C
  DATA ZERG, FIFTY / 0.0000, 50.0000 /
C
      XINCR = EXL / ( NCYL * FIFTY )
  CALL SLOPE ( EXL, REC, P, ZERG, 1,          SB
  DO 600 I = 1, NCYL
    IF ( I - 1 ) 10, 20, 10
  10 CALL SLOPE ( EXL, REC, P, CLT( I - 1 ), I,          SB
  20 CALL SLOPE ( EXL, REC, P, CLT( I ), I,          SF
      XL( I ) = CLT( I )
      DF      = DEF( I )
      DB      = ZERG
    IF ( I - 1 ) 50, 50, 40
  40  DB      = DEF( I - 1 )
  50  IF ( DB .GE. ZERO .AND. DF .GE. ZERO ) GO TO 130
    IF ( DB .LE. ZERO .AND. DF .LE. ZERO ) GO TO 120
    IF ( ( SB .LE. ZERO .AND. SF .LE. ZERO ) .OR.
      ( SB .GE. ZERO .AND. SF .GE. ZERO ) ) GO TO 100
  100 GO TO 260
    IF ( DABS( BM( I ) ) .LT. DABS( BM( I - 1 ) ) ) XL( I ) = CLT( I - 1 )
  120 GO TO 500
    IF ( SB .LE. ZERO .AND. SF .LE. ZERO ) GO TO 500
    IF ( SB .GE. ZERO .AND. SF .GE. ZERO ) GO TO 140
  130 GO TO 260
    IF ( SB .GE. ZERO .AND. SF .GE. ZERO ) GO TO 500
    IF ( SB .LE. ZERO .AND. SF .LE. ZERO ) GO TO 140
  140 GO TO 260
    XL( I ) = CLT( I - 1 )
  160 GO TO 500
    XL( I ) = XL( I ) - XINCR
  260 CALL SLOPE ( EXL, REC, P, XL( I ), I,          SI
    IF ( ( SI .GE. ZERO .AND. SF .GE. ZERO ) .OR.
      ( SI .LE. ZERO .AND. SF .LE. ZERO ) ) GO TO 260
  500  CCNTINUE
  600  CONTINUE
  RETURN
  END

```

```

SUBROUTINE SLOPE
  I      ( EXL, REC, P, XL, I,          SL
C
C--- >>> SUBROUTINE TO CALCULATE THE SLOPE AT INPUT DISTANCE XL FROM
C      CYLINDER SUPPORT
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON / CANDDS / C( 10 ), D( 10 )
  COMMON / CKCLTW / CK( 10 ), CLT( 10 ), W( 9 )
  COMMON / CYLWT / WC( 10 ), EEL, FFL
  COMMON / SPRMOM / AKTHC, AKTHR
C
      YCGN1 = -EEL + FFL - (( AKTHC - AKTHR ) / EXL + REC ) / P
      A      = CK( I ) * XL
      A      = -C( I ) * CK( I ) * DSIN( A ) + D( I ) * CK( I ) * DCOS( A )
  10  IF ( I - 2 ) 10, 20, 30
      SL     = A + YCGN1 + WC( 1 ) * XL / P
  20  RETURN
      SL     = A + YCGN1 + W( 1 ) / P
  30  RETURN
      IM1    = I - 1
      CON    = W( 1 )
  60  DO 60 J = 2, IM1
      CON    = WC( J ) * ( CLT( J ) - CLT( J - 1 ) ) + W( J ) + CON
      CON    = ( CON + WC( I ) * ( XL - CLT( I - 1 ) ) * WC( I ) * CLT( I ) ) / P
      SL     = A + YCGN1 + CON
  RETURN
  END

```

```

SUBROUTINE STRCHS
  I ( NCYL, P, BM, CHDS, LFLUID, BMR, BMC, FYCYLT, CIDN,
  I PINCR1, PINCR2, KEYF, KEYST, KEYT, KEYP )
C
C---- >>> SUBROUTINE TO CHECK THE MAXIMUM STRESSES WITH THE LIMITING
C STRESSES
C
  IMPLICIT REAL * 8 ( A - H, D - Z )
  COMMON / CRPROP / CYZ(10), CYZI(10), BAREA(10), CAREA(10),
  I HSCI(10), HSCC(10)
  COMMON / STRESS / TLSTO(10), HSI(10), SSO(10), SSI(10),
  I TLRPO, TLSCPO, AXSOH, PRE
C
  DIMENSION BM(NCYL), FYCYLT(NCYL)
C
  DATA ZERO, TWO / 0.0000, 2.0000 /
  DATA LYES / 3HYES /
C
C---- >>> CALCULATE ALL STRESSES
C
  NMI = NCYL - 1
  PRE = P / BAREA( NMI )
  DO 50 I = 1, NMI
    AXSTR = ( BAREA(I) - BAREA(NMI) ) * PRE / CAREA( I )
    HSI(I) = HSCI( I ) * PRE
    HSO = HSCC( I ) * PRE
    BSTRO = DABS( BM( I ) ) / CYZ( I )
    BSTRI = DABS( BM( I ) ) / CYZI( I )
    TLSTO(I) = AXSTR + BSTRO
    SSO(I) = ( HSC + BSTRO - AXSTR ) / TWO
    SSI(I) = ( HSI( I ) + BSTRI - AXSTR ) / TWO
  50 CONTINUE
    AXSTR = ( P - PRE * BAREA( NCYL ) ) / CAREA( NCYL )
  60 IF ( CHDS ) 70, 60, 60
    AXSCH = ZERO
  GO TO 80
  70 AXSOH = PRE * BAREA( 1 ) / CAREA( 1 )
  80 IF ( LFLUID .EQ. LYES ) GO TO 90
    HSI(NCYL) = ZERO
    HSO = ZERO
  GO TO 100
  90 HSI(NCYL) = HSCI( NCYL ) * PRE
    HSO = HSCC( NCYL ) * PRE
  100 BSTRO = DABS( BM( NCYL ) ) / CYZ( NCYL )
    BSTRI = ZERO
  IF ( CIDN .GT. ZERO ) BSTRI = DABS( BM( NCYL ) ) / CYZI( NCYL )
    TLSTO(NCYL) = AXSTR + BSTRO
    SSO(NCYL) = ( HSO + BSTRO + AXSTR ) / TWO
    SSI(NCYL) = ( HSI( NCYL ) + BSTRI + AXSTR ) / TWO
    BSRPO = DABS( BMR ) / CYZ( NCYL )
    TLRPO = AXSTR + BSRPO
    BSCPO = DABS( BMC ) / CYZ( 1 )
    AXSTR = ( BAREA( 1 ) - BAREA( NMI ) ) * PRE / CAREA( 1 )
    TLSCPO = AXSTR + BSCPO
  300 IF ( KEYF - 1 ) 320, 300, 320
  320 IF ( KEYST - 1 ) 320, 340, 320
    KEYF = 3

```

```

RETURN
C
C---- >>> CHECK WITH LIMITING STRESSES
C
  340 DO 500 I = 1, NCYL
    STRMX = DMAX1( HSI(I), TLSTO(I), SSO(I)*TWO, SSI(I)*TWO )
  500 IF ( STRMX - FYCYLT(I) ) 500, 500, 600
    CONTINUE
  510 IF ( TLSCPC - FYCYLT( 1 ) ) 510, 510, 600
    IF ( TLRPO - FYCYLT( NCYL ) ) 520, 520, 600
C
C---- >>> CHANGE THE TRIAL LOAD CORRESPONDINGLY
C
  520 IF ( KEYT - 2 ) 530, 540, 530
  530 P = P + PINCR1
  RETURN
  540 P = P + PINCR2
    KEYP = 2
  RETURN
  600 IF ( KEYP - 2 ) 620, 640, 620
  620 P = P - PINCR1
    KEYT = 2
  RETURN
  640 P = P - PINCR2
    KEYF = 2
  RETURN
END

```

```

SUBROUTINE OUTPUT
( P, XL, DEF, CHDS, THC, NCVL, TETA, KWIT, NMI )
C
C---- >>> SUBROUTINE TO PRINT ALL THE RESULTS
C
IMPLICIT REAL * 8 ( A - H, J - Z )
COMMON / ENDS / LCEND, LREND
COMMON / GLDFOR / FX(9,5), FY(9,5), F1(9), F2(9), F3(9), F4(9)
COMMON / ID / IDCARD(40), NPROB, IPROB(19), LPRTP
COMMON / ABEARS / NPHBR(9), NRDR(9)
COMMON / OPFSTP / FYCYL(10), OPPRE, FS, LFSTP
COMMON / STRESS / TLSTD(10), HSI(10), SSO(10), SSI(10),
1 TLSPD, TLSCPC, AXSOH, PRE
COMMON / UNITS / LNTU, LODU, LPREU, LANGU
C
DIMENSION XL(NCVL), DEF(NCVL), TETA(NMI)
C
DATA ZERG, TWO, H180 / 0.0000, 2.0000, 180.0000 /
DATA PI / 3.141592653589793000 /
DATA LDEG, LFIX / 4HDEG, 3HFIX /
DATA LIS, LOS / 2HIS, 2HOS /
DATA LRAD / 4HRAD /
C
C---- >>> FORMATS
C
110 FORMAT ( // 5X,47HANALYSIS AFTER APPLYING GIVEN FACTOR OF SAFETY,
1 3HOF, F6.3, 2X, 2HUN, 2X, A4, 2H: , / )
120 FORMAT ( // 5X,40HRESULTS: CRITICAL LOAD ANALYSIS, / )
130 FORMAT ( // 5X,44HRESULTS: ANALYSIS FOR A GIVEN OPERATING,
1 BHPRESSURE, / )
140 FORMAT ( //10X,33HCRTITICAL LOAD FOR THE CYLINDER = ,1PD10.3,2X,A4,
1 //10X,33HCORRESPONDING MAXIMUM PRESSURE = ,1PD10.3,2X,A4)
160 FORMAT ( //10X,33HOPSRATING PRES OF THE CYLINDER = ,1PD10.3,2X,A4,
1 //10X,33HCORRESPONDING LOAD = ,1PD10.3,2X,A4)
180 FORMAT ( // 5X,48HNOTES FOR THE FOLLOWING TABLES:
1 //10X,48H1 THE NUMBERS IN PARENTHESES ARE FACTORS OF
2 //10X,48H SAFETY AGAINST CORRESPONDING STRESSES
3 //10X,48H2 DEFLECTION, LONGITUDINAL STRESS, AND SHEAR
4 //10X,48H STRESS VALUES ARE AT CRITICAL SECTION
5 //10X,48H3 MAX LONGITUDINAL STRESS IS AT OUTER SURFACE
6 //10X,47H AND MAX HOOP STRESS IS AT INNER SURFACE )
150 FORMAT ( //10X,48H4 HOOP STRESS AT ANY RADIAL DIST. IS CONSTANT
1 //10X,48H ALONG THE LENGTH OF THE TUBE
2 //10X,48H5 CODE "IS" MAX SHEAR STRESS IS AT INNER FACE
3 //10X,48H CODE "OS" MAX SHEAR STRESS IS AT OUTER FACE
4 //10X,48H6 ZERO METAL TO METAL CONTACT FORCES INDICATE
5 //10X,47H NC CONTACT )
200 FORMAT ( 1H1 )
240 FORMAT ( //10X,20H * * * * *
1 34H TABLE OF STRESSES AND DEFLECTIONS
2 20H * * * * * )
260 FORMAT ( //10X,48HTUBE DEFLECTION LONGITUDINAL
1 48H SHEAR CODE HOOP
2 //10X,48H NO. FROM CYL END STRESS
3 47H STRESS STRESS )
280 FORMAT ( //21X, 4( A4, 10X ), 2X, A4 )
300 FORMAT ( //11X, 12, 4( 4X, 1PD10.3 ), 1X, A2, 3X, 1PD10.3 )
320 FORMAT ( 44X, 2( 1H(, 1PD10.3, 1H), 2X ), 2X, 1H(, 1PD10.3, 1H) )

```

```

330 FORMAT ( 44X, 2( 1H(, 1PD10.3, 1H), 2X ) )
340 FORMAT ( //10X,48HMAX LONGITUDINAL STRESS AT CYLINDER FIXED END =
1 2X, 1PD10.3, 2X, A4,
2 //10X,48HFACTOR OF SAFETY AT THIS STRESS =
3 2X, 1PD10.3 )
360 FORMAT ( //10X,48HMAX LONGITUDINAL STRESS AT ROD FIXED END =
1 2X, 1PD10.3, 2X, A4,
2 //10X,48HFACTOR OF SAFETY AT THIS STRESS =
3 2X, 1PD10.3 )
380 FORMAT ( //10X,48HUNIFORM AXIAL TENSILE STRESS IN OVERHANG =
1 2X, 1PD10.3, 2X, A4,
2 //10X,48HFACTOR OF SAFETY AT THIS STRESS =
3 2X, 1PD10.3,
4 //10X,48HEND DEFLECTION OF THE OVERHANG =
5 2X, 1PD10.3, 2X, A4, / )
400 FORMAT ( 10X,14H * * * * *
1 46HTABLE OF CROOKEDNESS ANGLES AND BEARING FORCES
2 14H * * * * * )
420 FORMAT ( //10X,43HINTERFACE CROOKEDNESS ANGLE
1 19HFORCES AT INTERFACE )
440 FORMAT ( 13X,20HNO. DEGREES, 28X, A4 )
460 FORMAT ( 13X,20HNO. RADIANS, 28X, A4 )
480 FORMAT ( //13X, 12, 3X, 1PD12.5 )
500 FORMAT (1H+40X,30HON PISTON HEAD BEARING NO. ,
1 10( I1, 3H = , 1PD10.3, /, 71X ) )
520 FORMAT ( 41X,30HCN RCD BEARING NO. ,
1 10( I1, 3H = , 1PD10.3, /, 71X ) )
540 FORMAT ( 41X,34HMETAL TO METAL CONTACT FORCES - ,
1 //41X,34HF1 - AT PISTON HEAD FRONT FACE = , 1PD10.3,
2 //41X,34HF2 - AT STUFFING BOX FRONT FACE = , 1PD10.3,
3 //41X,34HF3 - AT PISTON HEAD BACK FACE = , 1PD10.3,
4 //41X,34HF4 - AT STUFFING BOX INNER FACE = , 1PD10.3 )
C
C---- >>> PRINT ALL RESULTS
C
CALL TITLE
IF ( KWIT - 1 ) 1020, 1020, 1000
1000 PRINT 110, FS, LFSTP
PRINT 140, P, LODU, PRE, LPREU
GO TO 1200
1020 IF ( LPRTP - 1 ) 1060, 1060, 1100
1060 PRINT 120
PRINT 140, P, LODU, PRE, LPREU
GO TO 1200
1100 PRINT 130
PRINT 160, OPPRE, LPREU, P, LODU
1200 CONTINUE
PRINT 180
PRINT 190
PRINT 240
PRINT 260
PRINT 280, LNTU, LNTU, LPREU, LPREU, LPREU
DO 1600 I = 1, NCVL
IF ( SSO( I ) - SSI( I ) ) 1300, 1300, 1400
1300 SS = SSI( I )
KODE = LIS
GO TO 1500
1400 SS = SSO( I )

```

```

C           KODE = LOS
C----- >>> CALCULATE THE FACTOR OF SAFETY'S ON MAXIMUM STRESSES WITH
C           LIMITING STRESSES AND PRINT
C
1500         FSL5 = FYCYL( I ) / TLSTO( I )
            FSS5 = FYCYL( I ) / ( TWO * SS )
            IF ( HSI( I ) .LE. ZERO ) GO TO 1550
            FSH5 = FYCYL( I ) / HSI( I )
            PRINT 300, I, XL(I), DEF(I), TLSTO(I), SS, KODE, HSI(I)
            PRINT 320, FSL5, FSS5, FSH5
            GO TO 1600
1550 PRINT 300, I, XL(I), DEF(I), TLSTO(I), SS, KODE
            PRINT 330, FSL5, FSS5
1600         CONTINUE
            IF ( TLSCPO ) 1620, 1630, 1620
1620         FSCP = FYCYL( I ) / TLSCPO
            IF ( LCEND .EQ. LFIX ) PRINT 340, TLSCPO, LODU, FSCP
1630         IF ( TLSRPO ) 1640, 1650, 1640
1640         FSRP = FYCYL( NCYL ) / TLSRPO
            IF ( LREND .EQ. LFIX ) PRINT 360, TLSRPO, LODU, FSRP
1650         IF ( CHDS ) 1660, 1680, 1680
1660         FCSF = FYCYL( I ) / AXSOH
            ENDDF = THC * CHDS
            PRINT 380, AXSOH, LPREU, FCSF, ENDDF, LNTU
1680 PRINT 200
            PRINT 400
            PRINT 420
            IF ( LANGU .EQ. LDEG ) PRINT 440, LODU
            IF ( LANGU .EQ. LRAD ) PRINT 460, LODU
            TEMP = H180 / PI
            NMI = NCYL - 1
            DO 1700 I = 1, NMI
                THETA = TETA( I )
            IF ( LANGU .EQ. LDEG ) THETA = TETA( I ) * TEMP
            PRINT 480, I, THETA
            NL = NPHBR( I )
            PRINT 500, ( J, FX( I,J ), J = 1, NL )
            NL = NRDBR( I )
            PRINT 520, ( J, FY( I,J ), J = 1, NL )
            PRINT 540, F1( I ), F2( I ), F3( I ), F4( I )
1700         CONTINUE
            RETURN
            END

```

00000000111111112222222233333333444444445555555566666666777777778888888899999999
 123456789012345678901234567890123456789012345678901234567890123456789012345678901234567890

CARD
 1 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 2 CODED JUNE 9, 1976 BY K. L. SESHASAI
 3 TELL LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER; EQUIVALENT TO PROB. REGI
 4
 5
 6 2 INCH KIPS KSI DEG
 7 60.57 7.0 116.71 3.0 0.76 4.75 4.75
 8 62.95 3.0 0.0 0.0032 29000.0 125.0
 9 1 3 1 0.0 0.002 29000.0 125.0
 10 6.13 4.44 0.05 0.07 5.989 3.909
 11 0.316 0.451 500.0 2.375
 12 0.365 0.25 1000.0 3.9
 13 0.316 0.451 500.0 5.45
 14 0.35 0.2 750.0 3.15
 15 0.0 PIN PIN +0.025 +0.025 +0.1 +0.12
 16 2.0 LOAD
 17 TEL2 LPRTP=1; P-F; HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.
 18 1 KEEP
 19 3 66.0 129.76 3.0 0.76 2.0 1.0
 20 46.94 7.0 6.025 0.0032 29000.0 100.0
 21 52.13 4.75 4.0 0.0022 29000.0 100.0
 22 45.5 3.0 1.5 0.002 29000.0 100.0
 23 1 3 1 0.003 0.03 NO
 24 6.13 4.44 0.04 0.06 6.014 4.76
 25 2100.0 2.375
 26 8800.0 3.9
 27 2100.0 5.45
 28 3900.0 3.15
 29 2 2 1 0.009 0.008
 30 4.0 4.0 0.03 0.04
 31 0.316 0.3 500.0 1.0
 32 0.316 0.3 500.0 2.375
 33 0.45 0.2 500.0 2.5
 34 90.0 PIN FIX -0.05 +0.1 -0.05
 35 4.0 STRS
 36 TEL3 LPRTP=1; F-F; SOLID ROD; 30 DEG INCLINED.
 37 1
 38 INCH LBS PSI DEG
 39 4 90.0 144.0 4.0 1.0
 40 37.0 8.0 7.0 3.5 29000000.0 75000.0
 41 42.0 6.25 5.5 2.8 29000000.0 75000.0
 42 45.0 4.75 4.0 2.5 29000000.0 75000.0
 43 45.0 3.0 0.0 2.0 29000000.0 125000.0
 44 1 2 1 1.0 0.002 0.005 0.004
 45 5.0 5.0 30.0 40.0
 46 2100000.0 2.375
 47 8800000.0 3.9
 48 0.35 0.2 750000.0 0.001 1.75
 49 2 2 1 1.0 0.005 0.005 0.005
 50 4.0 4.0 25.0 35.0
 51 2100000.0 1.75
 52 8800000.0 2.9
 53 4000000.0 2.0
 54 3 2 1 2.0 0.001 0.005 0.008

00000000111111112222222233333333444444445555555566666666777777778888888899999999
 123456789012345678901234567890123456789012345678901234567890123456789012345678901234567890

CARD
 55 4.0 4.0 35.0 30.0
 56 3000000.0 1.75
 57 8000000.0 2.9
 58 4000000.0 2.5
 59 FIX FIX -0.05 -0.025
 60
 61 TEL4 LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.
 62 1
 63 INCH KIPS KSI RAD
 64 3 64.0 101.0 -11.0 1.0 2.0 1.0
 65 40.0 6.25 5.5 0.0028 29000.0 75.0
 66 45.0 4.75 4.0 0.0025 29000.0 75.0
 67 45.0 3.0 0.0 0.002 29000.0 100.0
 68 1 2 1 1.0 0.001
 69 4.0 4.0 0.025 0.035 5.495 4.755
 70 2100.0 1.75
 71 8800.0 2.9
 72 4000.0 2.0
 73 2 2 1 2.0 0.001 0.005 0.008
 74 4.0 4.0 0.035 0.03
 75 3000.0 1.75
 76 8000.0 2.9
 77 4000.0 2.5
 78 0.0 PIN PIN +0.05 +0.1
 79 1.0 LOAD
 80 TEL5 LPRTP=2; F-P; HOLLOW ROD WITH FLUID; INCLINED CYL; METRIC UNITS.
 81 2
 82 CM KGS KSCM RAD
 83 3 165.0 294.0 9.0 2.5 3.0
 84 102.5 16.0 14.0 1.5 2100000.0 7050.0
 85 113.5 12.0 10.0 1.3 2100000.0 7050.0
 86 114.0 8.0 5.0 1.2 2100000.0 8800.0 YES
 87 1 2 1 2.5 0.005 0.01 0.01
 88 10.0 10.0 15.0 18.0
 89 0.8 0.25 35000.0 3.5
 90 0.8 0.25 35000.0 8.0
 91 0.8 0.25 50000.0 7.0
 92 2 2 1 5.0 0.005
 93 10.0 10.0 15.0 16.0 9.99 8.01
 94 375000.0 3.5
 95 375000.0 8.0
 96 500000.0 7.0
 97 0.75 FIX PIN -0.05 +0.1
 98 175.0
 99 THIS IS A BLANK CARD

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 8/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TELL:

LP RTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER; EQUIVALENT TO PROB. REG1

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD
 TABLES RETAINED FROM PREVIOUS PROBLEM
 2 3 4 5 6 7
 NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	DEG

TABLE 3: STROKE AND EXTENDED LENGTHS AND END DIMENSIONS

NUMBER OF TUBES (INCLUDING ROD) = 2
 STROKE LENGTH = 5.00000D 01
 EXTENDED LENGTH = 1.16710D 02
 CYL. HINGE DIST. FROM END PLATE = 3.00000D 00
 END PLATE THICKNESS = 7.60000D-01
 CYLINDER PIN DIAMETER = 4.75000D 00
 ROD PIN DIAMETER = 4.75000D 00

TABLE 4: TUBE DIMENSIONS AND MATERIAL PROPERTIES

NO.	LENGTH	OUTER DIA	INNER DIA	WT/UNIT LNT.	YOUNGS MOD	YIELD STRS
1	6.05700D 01	7.00000D 00	6.00000D 00	3.20000D-03	2.90000D 04	1.25000D 02
2	6.29500D 01	3.00000D 00	0.0	2.00000D-03	2.90000D 04	1.25000D 02

(SOLID ROD)

TABLE 5: INTERFACE DIMENSIONS AND DETAILS OF BEARINGS

DETAILS AT INTERFACE NUMBER = 1

NUMBER OF PISTON BEARINGS = 3
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 0.0
 CLEARANCE BETWEEN CYL & STUFFING BOX = 0.0

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	6.13000D 00	5.98900D 00	0.0	5.00000D-02
STUFFING BOX	4.44000D 00	3.00900D 00	0.0	7.00000D-02

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	3.16000D-01	4.51000D-01	5.00000D 02	0.0	2.37500D 00
2	3.65000D-01	2.50000D-01	1.00000D 03	0.0	3.90000D 00
3	3.16000D-01	4.51000D-01	5.00000D 02	0.0	5.45000D 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
1	3.50000D-01	2.00000D-01	7.50000D 02	0.0	3.15000D 00

(NOTE: EITHER WIDTH, THICKNESS, YOUNGS MODULUS OR STIFFNESS IS INPUT.
 ZERO'S INDICATE THAT THEY ARE NOT INPUT.)

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 0.0

	CYLINDER END	ROD END
SUPPORT CONDITIONS:	PIN	PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	2.50000D-02	2.50000D-02
LOADING ECCENTRICITIES:	1.00000D-01	1.20000D-01

TABLE 7: FACTOR OF SAFETY, ITS TYPE OR OPERATING PRESSURE

FACTOR OF SAFETY = 2.000 ON LOAD

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 8/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TELL:

LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER; EQUIVALENT TO PROB. REG1

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD FOR THE CYLINDER = 1.281D 02 KIPS

CORRESPONDING MAXIMUM PRESSURE = 4.532D 00 KSI

NOTES FOR THE FOLLOWING TABLES:

- 1 THE NUMBERS IN PARENTHESES ARE FACTORS OF SAFETY AGAINST CORRESPONDING STRESSES
- 2 DEFLECTION, LONGITUDINAL STRESS, AND SHEAR STRESS VALUES ARE AT CRITICAL SECTION
- 3 MAX LONGITUDINAL STRESS IS AT OUTER SURFACE AND MAX HOOP STRESS IS AT INNER SURFACE
- 4 HOOP STRESS AT ANY RADIAL DIST. IS CONSTANT ALONG THE LENGTH OF THE TUBE
- 5 CODE "IS" MAX SHEAR STRESS IS AT INNER FACE. CODE "OS" MAX SHEAR STRESS IS AT OUTER FACE.
- 6 ZERO METAL TO METAL CONTACT FORCES INDICATE NO CONTACT

***** TABLE OF STRESSES AND DEFLECTIONS *****

TUBE NO.	CRIT SECTION FROM CYL END	DEFLECTION INCH	LONGITUDINAL STRESS KSI	SHEAR STRESS KSI	CODE	HOOP STRESS KSI
1	5.898D 01	1.908D 00	1.671D 01 (7.481D 00)	2.198D 01 IS (2.844D 00)	IS	2.963D 01 (4.218D 00)
2	7.003D 01	2.077D 00	1.237D 02 (1.011D 00)	6.184D 01 OS (1.011D 00)	OS	

***** TABLE OF CROOKEDNESS ANGLES AND BEARING FORCES *****

INTERFACE NO.	CROOKEDNESS ANGLE DEGREES	FORCES AT INTERFACE KIPS			
		ON PISTON HEAD BEARING NO.			
1	4.79133D-02				
				1 = 2.520D 00	
				2 = 2.167D 01	
				3 = 7.925D 00	
		ON ROD BEARING NO.		1 = 1.347D 01	
		METAL TO METAL CONTACT FORCES =			
		F1 - AT PISTON HEAD FRONT FACE =		0.0	
		F2 - AT STUFFING BOX FRONT FACE =		1.865D 01	
		F3 - AT PISTON HEAD BACK FACE =		0.0	
		F4 - AT STUFFING BOX INNER FACE =		0.0	

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 8/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TELL:

LPRTP=1; P-P: SOLID ROD; HORIZONTAL CYLINDER; EQUIVALENT TO PROB. REG1

ANALYSIS AFTER APPLYING GIVEN FACTOR OF SAFETY OF 2.000 ON LOAD:

CRITICAL LOAD FOR THE CYLINDER = 6.407D 01 KIPS

CORRESPONDING MAXIMUM PRESSURE = 2.266D 00 KSI

NOTES FOR THE FOLLOWING TABLES:

- 1 THE NUMBERS IN PARENTHESES ARE FACTORS OF SAFETY AGAINST CORRESPONDING STRESSES
- 2 DEFLECTION, LONGITUDINAL STRESS, AND SHEAR STRESS VALUES ARE AT CRITICAL SECTION
- 3 MAX LONGITUDINAL STRESS IS AT OUTER SURFACE AND MAX HOOP STRESS IS AT INNER SURFACE
- 4 HOOP STRESS AT ANY RADIAL DIST. IS CONSTANT ALONG THE LENGTH OF THE TUBE
- 5 CODE "IS" MAX SHEAR STRESS IS AT INNER FACE
 CODE "OS" MAX SHEAR STRESS IS AT OUTER FACE
- 6 ZERO METAL TO METAL CONTACT FORCES INDICATE NO CONTACT

***** TABLE OF STRESSES AND DEFLECTIONS *****

TUBE NO.	CRIT SECTION FROM CYL END	DEFLECTION	LONGITUDINAL STRESS	SHEAR STRESS	CODE	HOOP STRESS
	INCH	INCH	KSI	KSI		KSI
1	5.763D 01	1.507D-01	1.348D 00 (9.276D 01)	7.986D 00 IS (7.826D 00)		1.482D 01 (8.437D 00)
2	6.886D 01	1.638D-01	1.694D 01 (7.331D 00)	8.468D 00 OS (7.381D 00)		

***** TABLE OF CROOKEDNESS ANGLES AND BEARING FORCES *****

INTERFACE NO.	CROOKEDNESS ANGLE DEGREES	FORCES AT INTERFACE KIPS	
1	7.46791D-03	ON PISTON HEAD BEARING NO.	1 = 3.152D-02 2 = 1.872D 00 3 = 8.738D-01
		ON ROD BEARING NO.	1 = 2.777D 00
		METAL TO METAL CONTACT FORCES -	
		F1 - AT PISTON HEAD FRONT FACE =	0.0
		F2 - AT STUFFING BOX FRONT FACE =	0.0
		F3 - AT PISTON HEAD BACK FACE =	0.0
		F4 - AT STUFFING BOX INNER FACE =	0.0

PROGRAM STREL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 8/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TEL2:

LP RTP=1; P-F; HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7
 KEEP

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	DEG

TABLE 3: STROKE AND EXTENDED LENGTHS AND END DIMENSIONS

NUMBER OF TUBES (INCLUDING ROD) = 3
 STROKE LENGTH = 6.600000 01
 EXTENDED LENGTH = 1.297600 02
 CYL. HINGE DIST. FROM END PLATE = 3.000000 00
 END PLATE THICKNESS = 7.600000-01
 CYLINDER PIN DIAMETER = 2.000000 00
 ROD PIN DIAMETER = 1.000000 00

TABLE 4: TUBE DIMENSIONS AND MATERIAL PROPERTIES

NO.	LENGTH	OUTER DIA	INNER DIA	WT/UNIT LNT.	YOUNGS MOD	YIELD STRS
1	4.694000 01	7.000000 00	6.025000 00	3.200000-03	2.900000 04	1.000000 02
2	5.213000 01	4.750000 00	4.000000 00	2.200000-03	2.900000 04	1.000000 02
3	4.550000 01	3.000000 00	1.500000 00	2.000000-03	2.900000 04	1.000000 02

(HOLLOW ROD WITHOUT FLUID)

TABLE 5: INTERFACE DIMENSIONS AND DETAILS OF BEARINGS

DETAILS AT INTERFACE NUMBER = 1

NUMBER OF PISTON BEARINGS = 3
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 0.0
 CLEARANCE BETWEEN CYL & STUFFING BOX = 3.000000-03

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	6.130000 00	6.014000 00	0.0	4.000000-02
STUFFING BOX	4.440000 00	4.760000 00	0.0	6.000000-02

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	0.0	0.0	0.0	2.100000 03	2.375000 00
2	0.0	0.0	0.0	8.800000 03	3.900000 00
3	0.0	0.0	0.0	2.100000 03	5.450000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
1	0.0	0.0	0.0	3.900000 03	3.150000 00

DETAILS AT INTERFACE NUMBER = 2

NUMBER OF PISTON BEARINGS = 2
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 0.0
 CLEARANCE BETWEEN CYL & STUFFING BOX = 0.0

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	4.000000 00	0.0	9.000000-03	3.000000-02
STUFFING BOX	4.000000 00	0.0	8.000000-03	4.000000-02

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	3.160000-01	3.000000-01	5.000000 02	0.0	1.000000 00
2	3.160000-01	3.000000-01	5.000000 02	0.0	2.375000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
-----	-------	-----------	----------------	-----------	---

1 4.500000-01 2.000000-01 9.000000 02 0.0 2.500000 00

(NOTE: EITHER WIDTH, THICKNESS, YOUNG'S MODULUS OR STIFFNESS IS INPUT. ZERO'S INDICATE THAT THEY ARE NOT INPUT.)

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 9.000000 01
 CYLINDER END: ROD END
 SUPPORT CONDITIONS: PIN FIX
 FRICTION COEFFICIENTS AT SUPPORTS: -5.000000-02 0.0
 (ZERO IF FIXED END)
 LOADING ECCENTRICITIES: 1.000000-01 -5.000000-02

TABLE 7: FACTOR OF SAFETY, ITS TYPE OR OPERATING PRESSURE

FACTOR OF SAFETY = 4.000 ON STRS

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 8/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA.
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TEL2:

LPRTP=1; P-F; HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD FOR THE CYLINDER = 1.8710 02 KIPS

CORRESPONDING MAXIMUM PRESSURE = 1.4690 01 KSI

NOTES FOR THE FOLLOWING TABLES:

- 1 THE NUMBERS IN PARENTHESES ARE FACTORS OF SAFETY AGAINST CORRESPONDING STRESSES
- 2 DEFLECTION, LONGITUDINAL STRESS, AND SHEAR STRESS VALUES ARE AT CRITICAL SECTION
- 3 MAX LONGITUDINAL STRESS IS AT OUTER SURFACE AND MAX HOOP STRESS IS AT INNER SURFACE
- 4 HOOP STRESS AT ANY RADIAL DIST. IS CONSTANT ALONG THE LENGTH OF THE TUBE
- 5 CODE *IS* MAX SHEAR STRESS IS AT INNER FACE
 CODE *OS* MAX SHEAR STRESS IS AT OUTER FACE
- 6 ZERO METAL TO METAL CONTACT FORCES INDICATE NO CONTACT

***** TABLE OF STRESSES AND DEFLECTIONS *****

TUBE NO.	CRIT SECTION FROM CYL END	DEFLECTION	LONGITUDINAL STRESS	SHEAR STRESS	CODE	HOOP STRESS
	INCH	INCH	KSI	KSI		KSI
1	4.3980 01	8.2490-02	2.5650 01 (3.8990 00)	3.8900 01 IS (1.2850 00)		1.0000 02 (1.0000 00)
2	6.0750 01	9.3510-02	4.6510 00 (2.1500 01)	4.5700 01 IS (1.0940 00)		0.7460 01 (1.1430 00)
3	8.8430 01	7.3250-02	3.4700 01 (2.8320 00)	1.7350 01 OS (2.3820 00)		

MAX LONGITUDINAL STRESS AT ROD FIXED END = 3.7260 01 KIPS

FACTOR OF SAFETY AT THIS STRESS = 2.6820 00

*****TABLE OF CROOKEDNESS ANGLES AND BEARING FORCES*****

INTERFACE NO.	CROOKEDNESS ANGLE DEGREES	FORCES AT INTERFACE KIPS		
1	1.012170-02	ON PISTON HEAD BEARING NO.	1 = 3.6660-02	
			2 = 2.5240 00	
			3 = 1.1770 00	
		ON ROD BEARING NO.	1 = 3.7380 00	
		METAL TO METAL CONTACT FORCES -		
		F1 - AT PISTON HEAD FRONT FACE	= 0.0	
		F2 - AT STUFFING BOX FRONT FACE	= 0.0	
		F3 - AT PISTON HEAD BACK FACE	= 0.0	
		F4 - AT STUFFING BOX INNER FACE	= 0.0	
		2	1.785760-02	ON PISTON HEAD BEARING NO.
	2 = 1.6740 00			
ON ROD BEARING NO.	1 = 2.4460 00			
METAL TO METAL CONTACT FORCES -				
F1 - AT PISTON HEAD FRONT FACE	= 0.0			
F2 - AT STUFFING BOX FRONT FACE	= 0.0			
F3 - AT PISTON HEAD BACK FACE	= 0.0			
F4 - AT STUFFING BOX INNER FACE	= 0.0			

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 07/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TEL2:

LP RTP=1; P-F; HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.

ANALYSIS AFTER APPLYING GIVEN FACTOR OF SAFETY OF 4.000 ON STRES:

CRITICAL LOAD FOR THE CYLINDER = 4.6770 01 KIPS

CORRESPONDING MAXIMUM PRESSURE = 3.7220 00 KSI

NOTES FOR THE FOLLOWING TABLES:

- 1 THE NUMBERS IN PARENTHESES ARE FACTORS OF SAFETY AGAINST CORRESPONDING STRESSES
- 2 DEFLECTION, LONGITUDINAL STRESS, AND SHEAR STRESS VALUES ARE AT CRITICAL SECTION
- 3 MAX LONGITUDINAL STRESS IS AT OUTER SURFACE AND MAX HOOP STRESS IS AT INNER SURFACE
- 4 HOOP STRESS AT ANY RADIAL DIST. IS CONSTANT ALONG THE LENGTH OF THE TUBE
- 5 CODE "IS" MAX SHEAR STRESS IS AT INNER FACE
CODE "CS" MAX SHEAR STRESS IS AT OUTER FACE
- 6 ZERO METAL TO METAL CONTACT FORCES INDICATE NO CONTACT

*****TABLE OF STRESSES AND DEFLECTIONS*****

TUBE NO.	CRIT SECTION FROM CYL END	DEFLECTION INCH	LONGITUDINAL STRESS	SHEAR STRESS	CODE	HOOP STRESS
			KSI	KSI		KSI
1	4.3980 01	1.1460-02	4.2400 00	9.6500 00 IS	IS	2.5000 01
			(1.6030 01)	(5.1810 00)		(4.0000 00)
2	5.8160 01	1.2540-02	4.6020-01	1.1210 01 IS	IS	2.1670 01
			(1.5150 02)	(4.4590 00)		(4.5720 00)
3	1.2890 02	7.6060-06	8.4590 00	4.2290 00 IS	IS	
			(1.1820 01)	(1.1820 01)		

MAX LONGITUDINAL STRESS AT ROD FIXED END = 8.4590 00 KIPS

FACTOR OF SAFETY AT THIS STRESS = 1.1790 01

***** TABLE OF CROOKEDNESS ANGLES AND BEARING FORCES *****

INTERFACE NO.	CROOKEDNESS ANGLE DEGREES	FORCES AT INTERFACE KIPS	
1	1.58846D-03	ON PISTON HEAD BEARING NO.	1 = 5.753D-03
			2 = 3.962D-01
			3 = 1.848D-01
		ON ROD BEARING NO.	1 = 5.867D-01
		METAL TO METAL CONTACT FORCES -	
		F1 - AT PISTON HEAD FRONT FACE	= 0.0
		F2 - AT STUFFING BOX FRONT FACE	= 0.0
		F3 - AT PISTON HEAD BACK FACE	= 0.0
		F4 - AT STUFFING BOX INNER FACE	= 0.0
		2	1.86631D-03
	2 = 1.750D-01		
ON ROD BEARING NO.	1 = 2.556D-01		
METAL TO METAL CONTACT FORCES -			
F1 - AT PISTON HEAD FRONT FACE	= 0.0		
F2 - AT STUFFING BOX FRONT FACE	= 0.0		
F3 - AT PISTON HEAD BACK FACE	= 0.0		
F4 - AT STUFFING BOX INNER FACE	= 0.0		

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 6/10/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TEL3:

LP RTP=1; F-F; SOLID ROD; 30 DEG INCLINED.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	LBS	PSI	DEG

TABLE 3: STROKE AND EXTENDED LENGTHS AND END DIMENSIONS

NUMBER OF TUBES(INCLUDING ROD) = 4
 STROKE LENGTH = 9.00000D 01
 EXTENDED LENGTH = 1.44000D 02
 CYL. HINGE DIST. FROM END PLATE = 4.00000D 00
 END PLATE THICKNESS = 1.00000D 00
 CYLINDER PIN DIAMETER = 0.0
 ROD PIN DIAMETER = 0.0

TABLE 4: TUBE DIMENSIONS AND MATERIAL PROPERTIES

NO.	LENGTH	OUTER DIA	INNER DIA	WT/UNIT LNT.	YOUNGS MOD	YIELD STRS
1	3.70000D 01	8.00000D 00	7.00000D 00	3.90000D 00	2.90000D 07	7.50000D 04
2	4.20000D 01	6.25000D 00	5.50000D 00	2.80000D 00	2.90000D 07	7.50000D 04
3	4.50000D 01	4.75000D 00	4.00000D 00	2.50000D 00	2.90000D 07	7.50000D 04
4.	4.50000D 01	3.00000D 00	0.0	2.00000D 00	2.90000D 07	1.25000D 05

(SOLID ROD)

TABLE 5: INTERFACE DIMENSIONS AND DETAILS OF BEARINGS

DETAILS AT INTERFACE NUMBER = 1

NUMBER OF PISTON BEARINGS = 2
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 1.000000 00
 CLEARANCE BETWEEN CYL & STUFFING BOX = 2.000000-03

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	5.000000 00	0.0	5.000000-03	3.000000 01
STUFFING BOX	5.000000 00	0.0	4.000000-03	4.000000 01

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	0.0	0.0	0.0	2.100000 06	2.375000 00
2	0.0	0.0	0.0	8.800000 06	3.900000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
1	3.500000-01	2.000000-01	7.500000 05	0.0	1.750000 00

DETAILS AT INTERFACE NUMBER = 2

NUMBER OF PISTON BEARINGS = 2
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 1.000000 00
 CLEARANCE BETWEEN CYL & STUFFING BOX = 1.000000-03

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	4.000000 00	0.0	5.000000-03	2.500000 01
STUFFING BOX	4.000000 00	0.0	5.000000-03	3.500000 01

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	0.0	0.0	0.0	2.100000 06	1.750000 00
2	0.0	0.0	0.0	8.800000 06	2.900000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
-----	-------	-----------	----------------	-----------	---

1 0.0 0.0 0.0 4.000000 06 2.000000 00
 DETAILS AT INTERFACE NUMBER = 3

NUMBER OF PISTON BEARINGS = 2
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 2.000000 00
 CLEARANCE BETWEEN CYL & STUFFING BOX = 1.000000-03

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	4.000000 00	0.0	5.000000-03	3.500000 01
STUFFING BOX	4.000000 00	0.0	8.000000-03	3.000000 01

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	0.0	0.0	0.0	3.000000 06	1.750000 00
2	0.0	0.0	0.0	8.000000 06	2.900000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
1	0.0	0.0	0.0	4.000000 06	2.500000 00

(NOTE: EITHER WIDTH, THICKNESS, YOUNGS MODULUS OR STIFFNESS IS INPUT.
 ZERO'S INDICATE THAT THEY ARE NOT INPUT.)

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 3.000000 01
 CYLINDER END..... ROD END
 SUPPORT CONDITIONS: FIX FIX
 FRICTION COEFFICIENTS AT SUPPORTS: 0.0 0.0
 (ZERC IF FIXED END)
 LOADING ECCENTRICITIES: -5.000000-02 -2.500000-02

TABLE 7: FACTOR OF SAFETY, ITS TYPE OR OPERATING PRESSURE

CRITICAL LOAD ANALYSIS IS ASKED

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 8/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TEL3:

LPRTP=1: F-F; SOLID ROD; 30 DEG INCLINED.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD FOR THE CYLINDER = 1.1980 05 LBS

CORRESPONDING MAXIMUM PRESSURE = 9.5320 03 PSI

NOTES FOR THE FOLLOWING TABLES:

- 1 THE NUMBERS IN PARENTHESES ARE FACTORS OF SAFETY AGAINST CORRESPONDING STRESSES
- 2 DEFLECTION, LONGITUDINAL STRESS, AND SHEAR STRESS VALUES ARE AT CRITICAL SECTION
- 3 MAX LONGITUDINAL STRESS IS AT OUTER SURFACE AND MAX HOOP STRESS IS AT INNER SURFACE
- 4 HOOP STRESS AT ANY RADIAL DIST. IS CONSTANT ALONG THE LENGTH OF THE TUBE
- 5 CODE "IS" MAX SHEAR STRESS IS AT INNER FACE. CODE "OS" MAX SHEAR STRESS IS AT OUTER FACE.
- 6 ZERO METAL TO METAL CONTACT FORCES INDICATE NO CONTACT

***** TABLE OF STRESSES AND DEFLECTIONS *****

TUBE NO.	CRIT SECTION FROM CYL END	DEFLECTION	LONGITUDINAL STRESS	SHEAR STRESS	CODE	HOOP STRESS
1	3.5120 01	2.7800-03	2.1150 04 (3.5470 00)	2.5490 04 IS (1.4710 00)	IS	7.1810 04 (1.0440 00)
2	6.6850 01	8.4920-03	1.5600 04 (4.8090 00)	2.9860 04 IS (1.2560 00)	IS	7.4970 04 (1.0000 00)
3	9.0780 01	1.0540-02	5.1990 02 (1.4430 02)	2.8220 04 IS (1.3290 00)	IS	5.6010 04 (1.3390 00)
4	1.4330 02	7.9120-06	1.8250 04 (6.8510 00)	9.1230 03 OS (6.8510 00)	OS	

MAX LONGITUDINAL STRESS AT CYLINDER FIXED END = 2.1690 04 LBS

FACTOR OF SAFETY AT THIS STRESS = 3.4580 00

MAX LONGITUDINAL STRESS AT ROD FIXED END = 1.8290 04 LBS

FACTOR OF SAFETY AT THIS STRESS = 6.8350 00

***** TABLE OF CROCKEDNESS ANGLES AND BEARING FORCES *****

INTERFACE NO.	CROCKEDNESS ANGLE DEGREES	FORCES AT INTERFACE LBS	
1	-1.084750-03	ON PISTON HEAD BEARING NO.	1 = -5.5570 01 2 = -5.0370 02
		ON ROD BEARING NO.	1 = -5.6330 02
		METAL TO METAL CONTACT FORCES -	
		F1 - AT PISTON HEAD FRONT FACE = 0.0 F2 - AT STUFFING BOX FRONT FACE = 0.0 F3 - AT PISTON HEAD BACK FACE = 0.0 F4 - AT STUFFING BOX INNER FACE = 0.0	
2	1.042190-03	ON PISTON HEAD BEARING NO.	1 = 2.2770 01 2 = 2.7950 02
		ON ROD BEARING NO.	1 = 3.0220 02
		METAL TO METAL CONTACT FORCES -	
		F1 - AT PISTON HEAD FRONT FACE = 0.0 F2 - AT STUFFING BOX FRONT FACE = 0.0 F3 - AT PISTON HEAD BACK FACE = 0.0 F4 - AT STUFFING BOX INNER FACE = 0.0	
3	9.782260-04	ON PISTON HEAD BEARING NO.	1 = 5.3950 01 2 = 3.0090 02
		ON ROD BEARING NO.	1 = 3.5490 02
		METAL TO METAL CONTACT FORCES -	
		F1 - AT PISTON HEAD FRONT FACE = 0.0 F2 - AT STUFFING BOX FRONT FACE = 0.0 F3 - AT PISTON HEAD BACK FACE = 0.0 F4 - AT STUFFING BOX INNER FACE = 0.0	

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 8/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TEL4:

LP RTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	RAD

TABLE 3: STROKE AND EXTENDED LENGTHS AND END DIMENSIONS

NUMBER OF TUBES (INCLUDING ROD) = 3
 STROKE LENGTH = 6.40000 01
 EXTENDED LENGTH = 1.01000 02
 CYL. HINGE DIST. FROM END PLATE = -1.10000 01
 END PLATE THICKNESS = 1.00000 00
 CYLINDER PIN DIAMETER = 2.00000 00
 ROD PIN DIAMETER = 1.00000 00

TABLE 4: TUBE DIMENSIONS AND MATERIAL PROPERTIES

NO.	LENGTH	OUTER DIA	INNER DIA	WT/UNIT LNT.	YOUNGS MOD	YIELD STRS
1	4.00000 01	6.25000 00	5.50000 00	2.80000-03	2.90000 04	7.50000 01
2	4.50000 01	4.75000 00	4.00000 00	2.50000-03	2.90000 04	7.50000 01
3	4.50000 01	3.00000 00	0.0	2.00000-03	2.90000 04	1.00000 02

(SOLID ROD)

TABLE 5: INTERFACE DIMENSIONS AND DETAILS OF BEARINGS

DETAILS AT INTERFACE NUMBER = 1

NUMBER OF PISTON BEARINGS = 2
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 1.00000 00
 CLEARANCE BETWEEN CYL & STUFFING BOX = 1.00000-03

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	4.00000 00	5.49500 00	0.0	2.50000-02
STUFFING BOX	4.00000 00	4.75500 00	0.0	3.50000-02

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	0.0	0.0	0.0	2.10000 03	1.75000 00
2	0.0	0.0	0.0	8.80000 03	2.90000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
1	0.0	0.0	0.0	4.00000 03	2.00000 00

DETAILS AT INTERFACE NUMBER = 2

NUMBER OF PISTON BEARINGS = 2
 NUMBER OF ROD BEARINGS = 1

LENGTH OF STOP TUBE = 2.00000 00
 CLEARANCE BETWEEN CYL & STUFFING BOX = 1.00000-03

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	4.00000 00	0.0	5.00000-03	3.50000-02
STUFFING BOX	4.00000 00	0.0	8.00000-03	3.00000-02

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	0.0	0.0	0.0	3.00000 03	1.75000 00
2	0.0	0.0	0.0	8.00000 03	2.90000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
-----	-------	-----------	----------------	-----------	---

1 0.0 0.0 0.0 4.000000 03 2.500000 00

(NOTE: EITHER WIDTH, THICKNESS, YOUNG'S MODULUS OR STIFFNESS IS INPUT.
ZERO'S INDICATE THAT THEY ARE NOT INPUT.)

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 0.0

	CYLINDER END	ROD END
SUPPORT CONDITIONS:	PIN	PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	5.000000-02	0.0
LOADING ECCENTRICITIES:	0.0	1.000000-01

TABLE 7: FACTOR OF SAFETY, ITS TYPE OR OPERATING PRESSURE

CRITICAL LOAD ANALYSIS IS ASKED

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 3/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TEL4:

LP RTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD FOR THE CYLINDER = 1.1980 02 KIPS

CORRESPONDING MAXIMUM PRESSURE = 9.5320 00 KSI

NOTES FOR THE FOLLOWING TABLES:

- 1 THE NUMBERS IN PARENTHESES ARE FACTORS OF SAFETY AGAINST CORRESPONDING STRESSES
- 2 DEFLECTION, LONGITUDINAL STRESS, AND SHEAR STRESS VALUES ARE AT CRITICAL SECTION
- 3 MAX LONGITUDINAL STRESS IS AT OUTER SURFACE AND MAX HOOP STRESS IS AT INNER SURFACE
- 4 HOOP STRESS AT ANY RADIAL DIST. IS CONSTANT ALONG THE LENGTH OF THE TUBE
- 5 CODE "IS" MAX SHEAR STRESS IS AT INNER FACE
CODE "CS" MAX SHEAR STRESS IS AT OUTER FACE
- 6 ZERO METAL TO METAL CONTACT FORCES INDICATE NO CONTACT

***** TABLE OF STRESSES AND DEFLECTIONS *****

TUBE NO.	CRIT SECTION FROM CYL END	DEFLECTION	LONGITUDINAL STRESS	SHEAR STRESS	CODE	HOOP STRESS
1	2.3850 01	8.7750-02	1.6740 01 (4.4800 00)	3.0360 01 IS (1.2350 00)		7.4970 01 (1.0000 00)
2	5.9300 01	1.7580-01	5.8820 00 (1.2750 01)	3.0480 01 IS (1.2300 00)		5.6010 01 (1.3390 00)
3	6.2620 01	1.7770-01	2.8750 01 (3.4780 00)	1.4380 01 OS (3.4780 00)		

UNIFORM AXIAL TENSILE STRESS IN OVERHANG = 3.2720 01 KSI

FACTOR OF SAFETY AT THIS STRESS = 2.2920 00

END DEFLECTION OF THE OVERHANG = -4.0520-02 INCH

***** TABLE OF CROOKEDNESS ANGLES AND BEARING FORCES *****

INTERFACE NO.	CROOKEDNESS ANGLE RADIANS	FORCES AT INTERFACE KIPS			
1	1.31690D-04	ON PISTON HEAD BEARING NO.	1 = 1.6510-01		
			2 = 2.0260 00		
		ON ROD BEARING NO.	1 = 2.1910 00		
		METAL TO METAL CONTACT FORCES -			
		F1 - AT PISTON HEAD FRONT FACE	= 0.0		
		F2 - AT STUFFING BOX FRONT FACE	= 0.0		
		F3 - AT PISTON HEAD BACK FACE	= 0.0		
		F4 - AT STUFFING BOX INNER FACE	= 0.0		
		2	2.04838D-04	ON PISTON HEAD BEARING NO.	1 = 6.4730-01
					2 = 3.6110 00
ON ROD BEARING NO.	1 = 4.2580 00				
METAL TO METAL CONTACT FORCES -					
F1 - AT PISTON HEAD FRONT FACE	= 0.0				
F2 - AT STUFFING BOX FRONT FACE	= 0.0				
F3 - AT PISTON HEAD BACK FACE	= 0.0				
F4 - AT STUFFING BOX INNER FACE	= 0.0				

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 8/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CCDED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TEL5:

LP RTP=2; F-P; HOLLOW ROD WITH FLUID; INCLINED CYL; METRIC UNITS.

INPUT DATA:

TABLE 1: CENTRCL DATA

PROBLEM TYPE = 2 - ANALYSIS FOR A PARTICULAR PRESSURE

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
CM	KGS	KSCM	RAD

TABLE 3: STROKE AND EXTENDED LENGTHS AND END DIMENSIONS

NUMBER OF TUBES (INCLUDING ROD) = 3
 STROKE LENGTH = 1.65000D 02
 EXTENDED LENGTH = 2.54000D 02
 CYL. HINGE DIST. FROM END PLATE = 9.00000D 00
 END PLATE THICKNESS = 2.50000D 00
 CYLINDER PIN DIAMETER = 0.0
 ROD PIN DIAMETER = 3.00000D 00

TABLE 4: TUBE DIMENSIONS AND MATERIAL PROPERTIES

NO.	LENGTH	OUTER DIA	INNER DIA	WT/UNIT LNT.	YOUNGS MOD	YIELD STRS
1	1.02500D 02	1.60000D 01	1.40000D 01	1.50000D 00	2.10000D 06	7.05000D 03
2	1.13500D 02	1.20000D 01	1.00000D 01	1.30000D 00	2.10000D 06	7.05000D 03
3	1.14000D 02	8.00000D 00	5.00000D 00	1.20000D 00	2.10000D 06	8.40000D 03

(HOLLOW ROD WITH FLUID)

TABLE 5: INTERFACE DIMENSIONS AND DETAILS OF BEARINGS

DETAILS AT INTERFACE NUMBER = 1

NUMBER OF PISTON BEARINGS = 2
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 2.500000 00
 CLEARANCE BETWEEN CYL & STUFFING BOX = 5.000000-03

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	1.000000 01	0.0	1.000000-02	1.500000 01
STUFFING BOX	1.000000 01	0.0	1.000000-02	1.800000 01

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	8.000000-01	2.500000-01	3.500000 04	0.0	3.500000 00
2	8.000000-01	2.500000-01	3.500000 04	0.0	8.000000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX
1	8.000000-01	2.500000-01	5.000000 04	0.0	7.000000 00

DETAILS AT INTERFACE NUMBER = 2

NUMBER OF PISTON BEARINGS = 2
 NUMBER OF ROD BEARINGS = 1
 LENGTH OF STOP TUBE = 5.000000 00
 CLEARANCE BETWEEN CYL & STUFFING BOX = 5.000000-03

	LENGTH	DIAMETER (ONE OF THESE TWO IS INPUT)	CLEARANCE	WEIGHT
PISTON HEAD	1.000000 01	8.990000 00	0.0	1.500000 01
STUFFING BOX	1.000000 01	8.010000 00	0.0	1.600000 01

PISTON BEARINGS:

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF PISTON HEAD
1	0.0	0.0	0.0	3.750000 05	3.500000 00
2	0.0	0.0	0.0	3.750000 05	8.000000 00

ROD BEARINGS :

NO.	WIDTH	THICKNESS	YOUNGS MODULUS	STIFFNESS	DISTANCE FROM BACK FACE OF STUFFING BOX

1 0.0 0.0 0.0 5.000000 05 7.000000 00

(NOTE: EITHER WIDTH, THICKNESS, YOUNGS MODULUS OR STIFFNESS IS INPUT. ZERO'S INDICATE THAT THEY ARE NOT INPUT.)

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 7.500000-01

	CYLINDER END	ROD END
SUPPORT CONDITIONS:	FIX	PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	0.0	-5.000000-02
LOADING ECCENTRICITIES:	0.0	1.000000-01

TABLE 7: FACTOR OF SAFETY, ITS TYPE OR OPERATING PRESSURE

OPERATING PRESSURE = 1.750000 02

PROGRAM SACTEL - STRESS ANALYSIS OF CYLINDERS (TELESCOPIC) DATE: 2/16/76

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TELS:

LPRTP=2; F-P; HOLLOW ROD WITH FLUID; INCLINED CYL; METRIC UNITS.

RESULTS: ANALYSIS FOR A GIVEN OPERATING PRESSURE

OPERATING PRES OF THE CYLINDER = 1.7500 02 KSCM

CORRESPONDING LOAD = 1.3740 04 KGS

NOTES FOR THE FOLLOWING TABLES:

- 1 THE NUMBERS IN PARENTHESES ARE FACTORS OF SAFETY AGAINST CORRESPONDING STRESSES
- 2 DEFLECTION, LONGITUDINAL STRESS, AND SHEAR STRESS VALUES ARE AT CRITICAL SECTION
- 3 MAX LONGITUDINAL STRESS IS AT OUTER SURFACE AND MAX HOOP STRESS IS AT INNER SURFACE
- 4 HOOP STRESS AT ANY RADIAL DIST. IS CONSTANT ALONG THE LENGTH OF THE TUBE
- 5 CODE "IS" MAX SHEAR STRESS IS AT INNER FACE
 CODE "CS" MAX SHEAR STRESS IS AT OUTER FACE
- 6 ZERO METAL TO METAL CONTACT FORCES INDICATE NO CONTACT

***** TABLE OF STRESSES AND DEFLECTIONS *****

TUBE NO.	CRIT SECTION FROM CYL END	DEFLECTION	LONGITUDINAL STRESS		SHEAR STRESS	CODE	HOOP STRESS
			CM	KSCM			
1	1.0150 02	2.9700-02	2.9370 02 (2.4000 01)	5.2520 02 IS (6.7120 00)		1.3180 03 (5.3480 00)	
2	1.9140 02	6.6650-02	6.9520 01 (1.0130 02)	5.1420 02 IS (6.6550 00)		9.7050 02 (7.2650 00)	
3	2.0190 02	6.7670-02	4.8370 02 (1.8190 01)	4.1390 02 IS (1.0630 01)		3.9540 02 (2.2040 01)	

MAX LONGITUDINAL STRESS AT CYLINDER FIXED END = 4.2630 02 KGS

FACTOR OF SAFETY AT THIS STRESS = 1.6540 01

***** TABLE OF CROOKEDNESS ANGLES AND BEARING FORCES *****

INTERFACE NO.	CROOKEDNESS ANGLE RADIANS	FORCES AT INTERFACE	
		KGS	
1	-7.810180-06	ON PISTON HEAD BEARING NO.	1 = -4.3370 01 2 = -9.6470 01
		ON ROD BEARING NO.	1 = -1.4160 02
		METAL TO METAL CONTACT FORCES -	
		F1 - AT PISTON HEAD FRONT FACE = 0.0 F2 - AT STUFFING BOX FRONT FACE = 0.0 F3 - AT PISTON HEAD BACK FACE = 0.0 F4 - AT STUFFING BOX INNER FACE = 0.0	
2	6.219910-05	ON PISTON HEAD BEARING NO.	1 = 1.1310 02 2 = 2.1810 02
		ON ROD BEARING NO.	1 = 3.3120 02
		METAL TO METAL CONTACT FORCES -	
		F1 - AT PISTON HEAD FRONT FACE = 0.0 F2 - AT STUFFING BOX FRONT FACE = 0.0 F3 - AT PISTON HEAD BACK FACE = 0.0 F4 - AT STUFFING BOX INNER FACE = 0.0	

APPENDIX C

COMPUTER PROGRAM FOR TIE ROD CYLINDERS--SACTIE

Program SACTIE

The analytical procedure for tie rod cylinders developed in Chapter VIII has been programmed for solution on a digital computer. The program is written in FORTRAN IV language and should require only minor revisions to be operable on other computers. Double precision (16 digits accuracy) arithmetic is used, and the program can be run on any computer which has a storage capacity of 80 K bytes. A summary flow diagram is shown in Figure 43. Details of all the Subprogram Operations, Guide for Data Input, Example Problems, Listings of Input Data and Program Output are given in the following sections.

Subprogram Operation

MAIN

MAIN is a driver subroutine for the complete program. MAIN sets up keys to perform different operations and calls all the major subroutines to perform the major operations in the program. For all three problem types, MAIN first goes through critical load analysis. Then, for first problem type it sets up factored load analysis, and for second and third problem types it checks for input pressure being greater than critical pressure; if not, it goes through corresponding type of analysis.

INPECO

Subroutine INPECO reads all the input data; checks problem name being blank for end of run; checks the input data at several stages for proper input. If any error is observed the error is printed out and the program terminates. Echo prints out all the input tables.

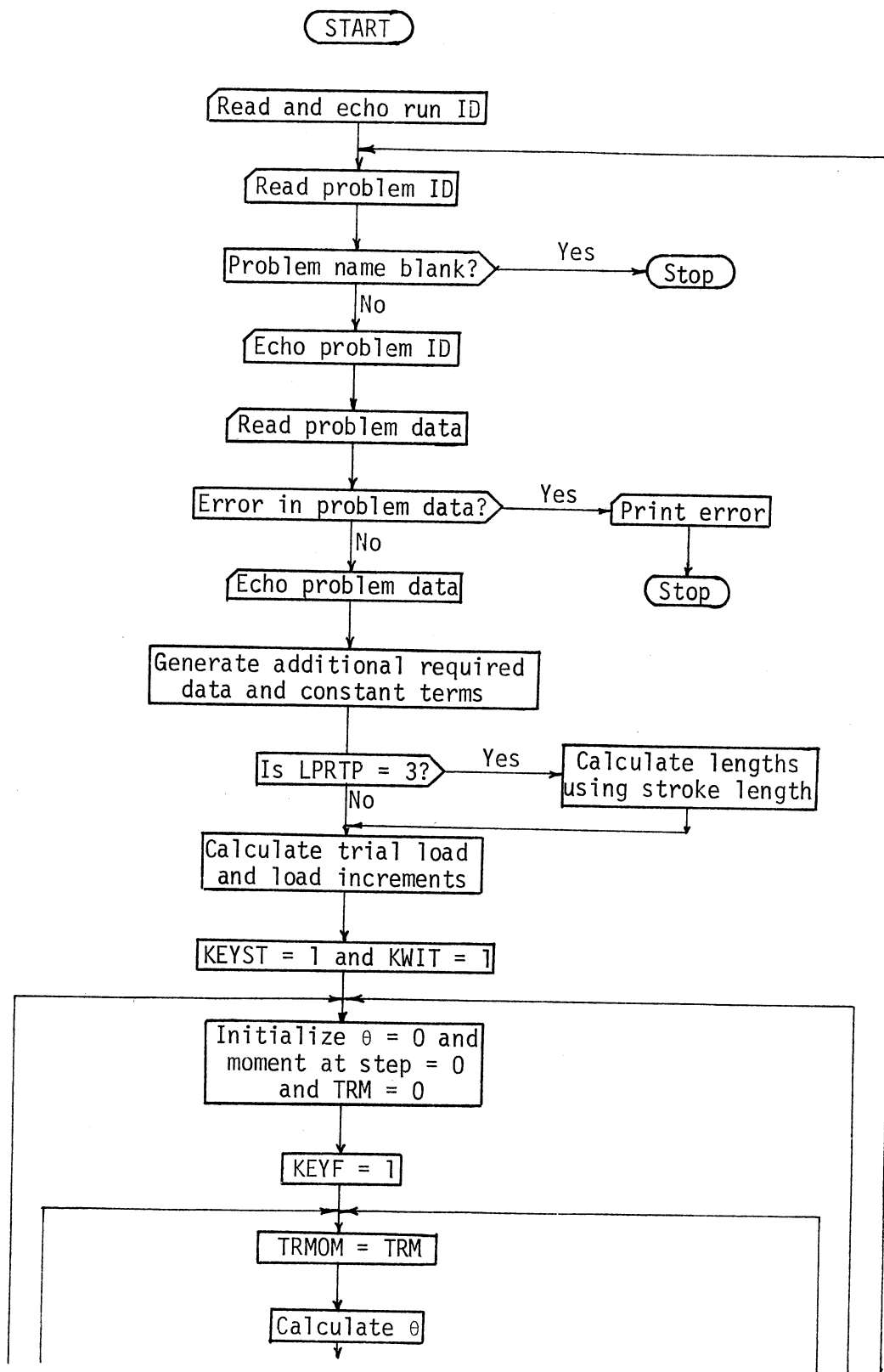


Figure 43. Summary Flow Diagram of Program SACTIE

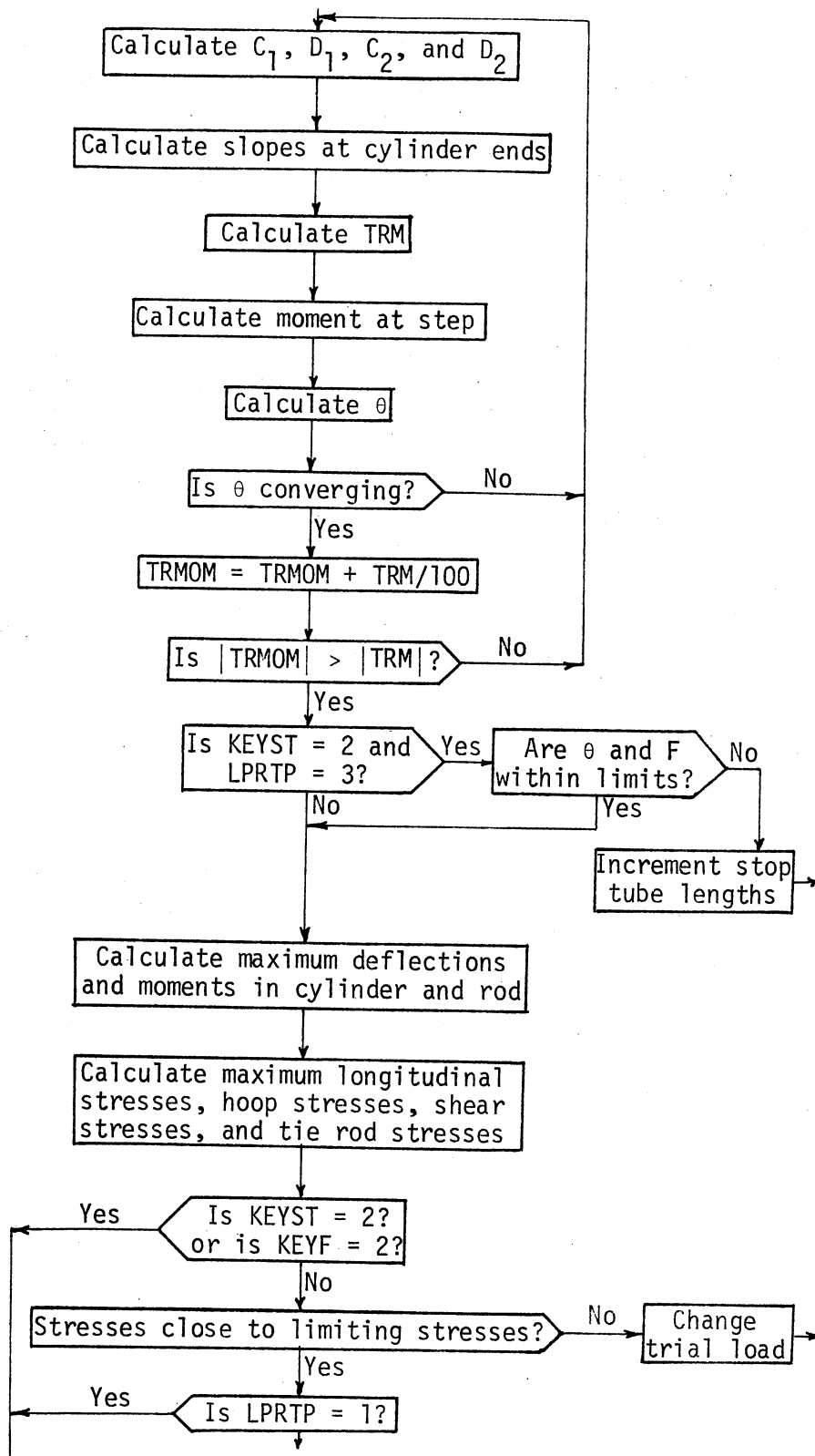


Figure 43. (Continued)

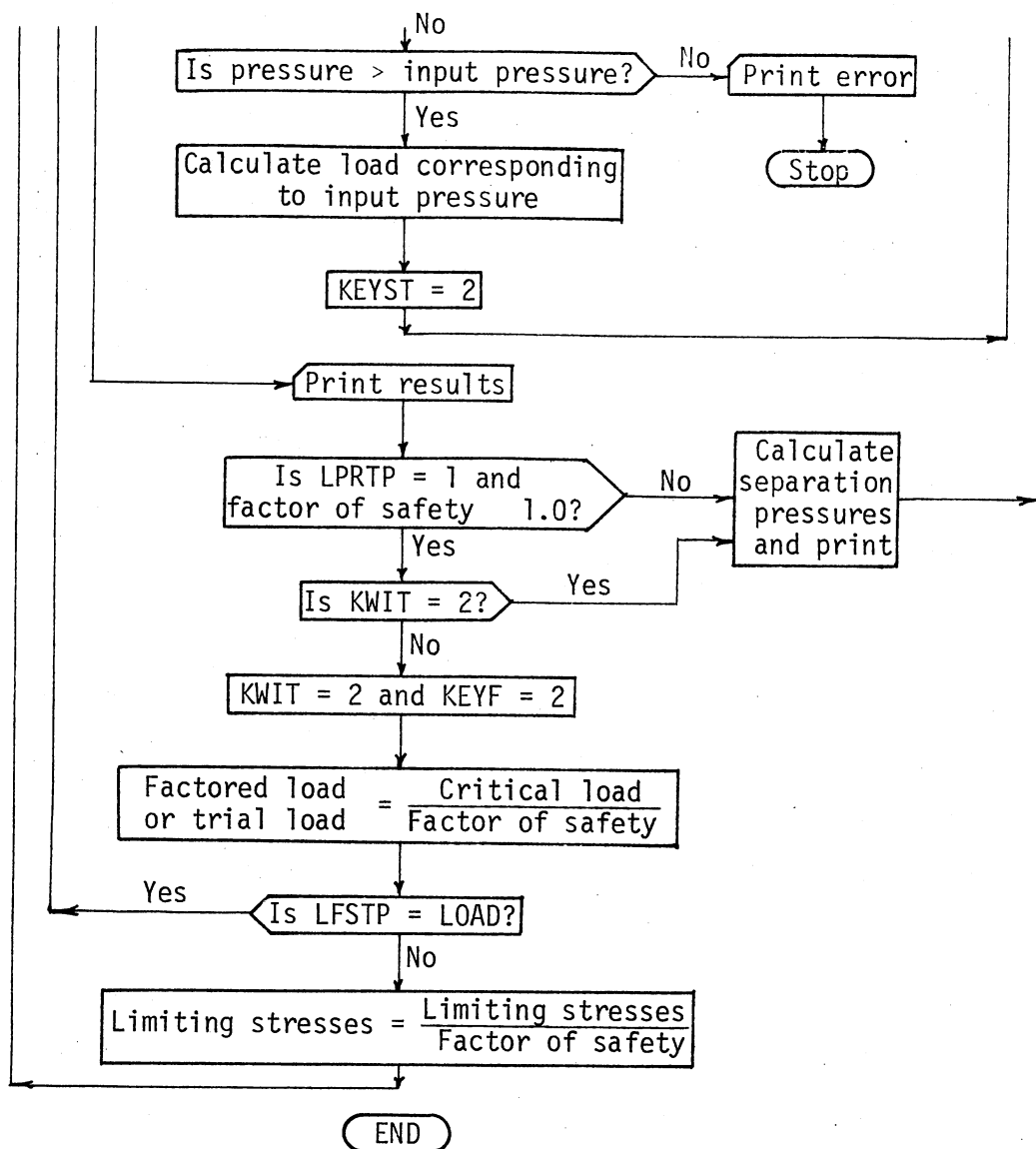


Figure 43. (Continued)

CONST1

Subroutine CONST1 calculates all the constant quantities which do not vary throughout the program. The constant quantities are: stiffnesses of bearings and seals; cross sectional properties of cylinder and rod; hoop stress coefficients; self weight reactions at supports; friction moment coefficients; and moment due to overhang in the case of cylinders with overhang.

CONST2

Subroutine CONST2 calculates the constant terms involved in tie rod stress and separation pressures calculation.

TRIALP

Subroutine TRIALP calculates a trial load and two load increments required for the iteration process in evaluating the critical load for the cylinder. The trial load is the smallest of critical load by Euler's buckling criteria considering the full length stiffness as that of rod only, critical load by hoop stress criteria for the cylinder part, and critical load by hoop stress criteria for the rod part in the case of hollow pressurized rods. The first load increment is one-fiftieth of the trial load and the second is one-thousandth. The larger load increment is for faster convergence and the smaller load increment is for better accuracy.

EQBRIM

Subroutine EQBRIM determines the equilibrium position of the system for any particular load. The equilibrium position is determined by

repeating the calculation of deflections, bending moments, tie rod moment, and the crookedness angle until two consecutive values of tie rod moment and two consecutive values of crookedness angle are in close agreement. This subroutine calls subroutine THCDS for calculating the values of constant terms in the deflection equations and calls subroutine THETA for calculating the crookedness angle at a particular value of moment at the sliding connection.

THETA

Subroutine THETA calculates the crookedness angle at the sliding connection for any particular value of the moment at the sliding connection. This subroutine also calculates the forces on the bearings by calling subroutine GFORCE and the metal-to-metal contact forces at the sliding connection.

GFORCE

Subroutine GFORCE calculates the forces on the bearings for a particular value of crookedness angle at the sliding connection.

THCDS

Subroutine THCDS calculates the slopes at the supports and the constants in the deflection and moment equations at particular values of load and crookedness angle.

STOPTB

Subroutine STOPTB determines the required length of stop tube by incrementing the length of the stop tube by small quantities and checking

the crookedness angle and lateral forces against the limiting values at each length.

XATYMX

Subroutine XATYMX determines the distances at which the maximum deflections occur in cylinder and rod parts.

YMAXS

Subroutine YMAXS calculates the maximum deflections in cylinder and rod parts at the places determined by the subroutine XATYMX.

STRCHS

Subroutine STRCHS calculates the maximum bending moments and, hence, maximum longitudinal stresses, maximum hoop stresses, and maximum shear stresses in the cylinder and rod parts, and calculates the tie rod stresses; it checks these stresses against the limiting stresses and makes corresponding change in the trial load using load increments. This process is repeated until any one of the maximum stress values exceeds the limiting stress. The analysis is repeated for previous load value.

SEPPRE

Subroutine SEPPRE calculates the separation pressures for all piston head positions in a cycle of operation.

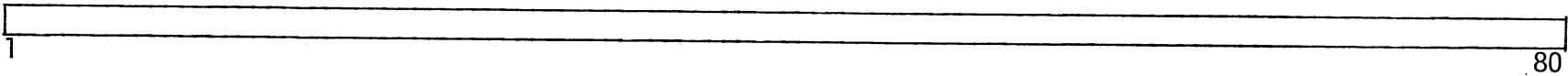
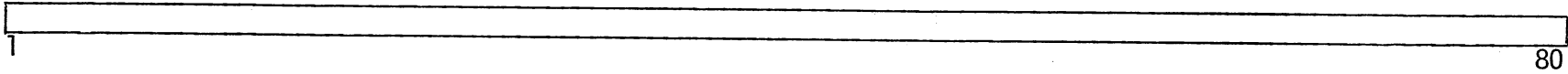
OUTPUT

Subroutine OUTPUT prints out all the results: the maximum deflections, the maximum stresses, the factor of safety existing on these

stresses, and the distance from the cylinder support at which the above quantities occur in the cylinder and rod parts; the stresses in tie rods, and the factor of safety existing on these stresses; the crookedness angle; and the forces on the bearings.

Program SACTIE--Guide for Data Input

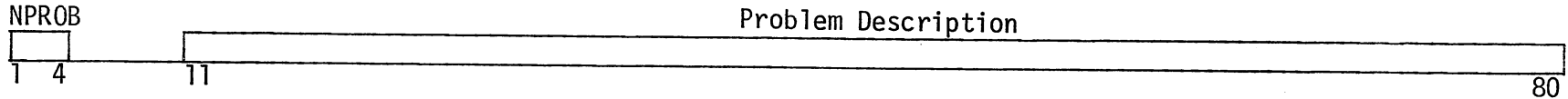
PROGRAM IDENTIFICATION (Two alphanumeric cards at the beginning of run)



Format--20A4

PROBLEM IDENTIFICATION (One card at the beginning of each problem)

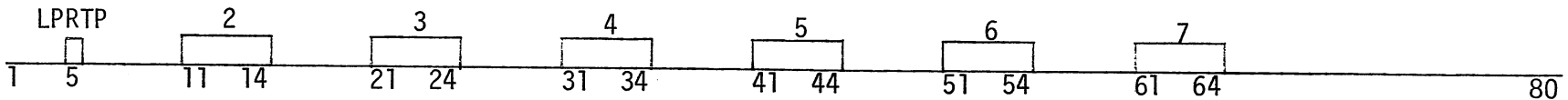
Prob.
Name
NPROB



Format--20A4

Program stops if NPROB is blank

TABLE 1: CONTROL DATA (One card for each problem)



Format--LP RTP - I1; 2 to 7 - A4

LPRTP = 1--Critical load analysis and analysis for a factored load using given factor of safety

2--Analysis for a particular fluid pressure

3--Analysis to determine a stop tube length for given limiting values of crookedness angle and lateral force at the sliding connection at a given fluid pressure

If any of the following tables are same as in the previous problem and are to be retained for this problem, enter "KEEP" in the corresponding blocks 2 to 7

Enter only LPRTP for the first problem

TABLE 2: UNITS OF MEASUREMENTS (No card if TABLE 2 is retained from previous problem)

	LNTU	LODU	LPREU	LANGU	
1	11 14	21 24	31 34	41 44	80

Format--A4 for all

LNTU - Unit of lengths (ex: INCH, FEET, CM, MET, etc.)

LODU - Unit of loads (ex: LBS, KIPS, KGS, etc.)

LPREU - Unit of pressures (ex: KSI, PSI, KSCM, etc.)

LANGU - Unit of angles (enter DEG or RAD starting in column 41)

TABLE 3: CYLINDER DIMENSIONS (No cards if TABLE 3 is retained from previous problem; see Figure 44 for details)

Card No. 1--Lengths

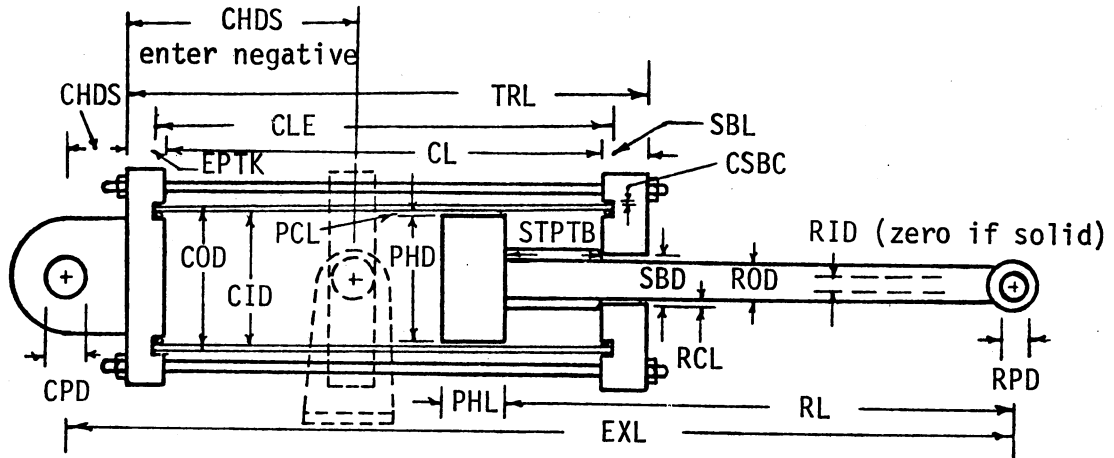


Figure 44. Cylinder Dimensions for SACTIE

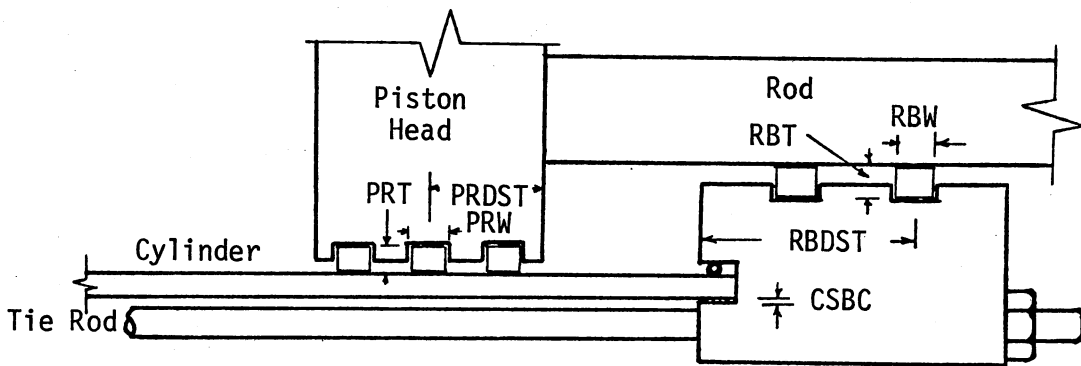


Figure 45. Dimensions of Bearings and Seals for SACTIE

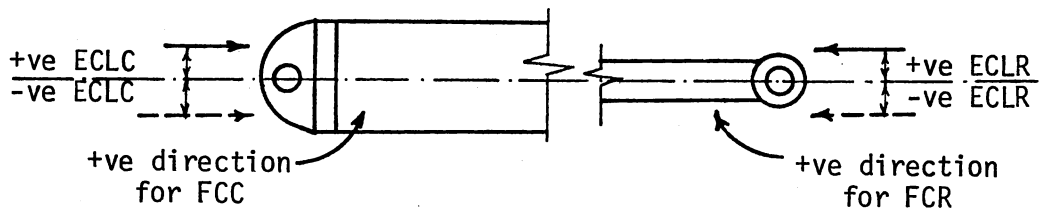
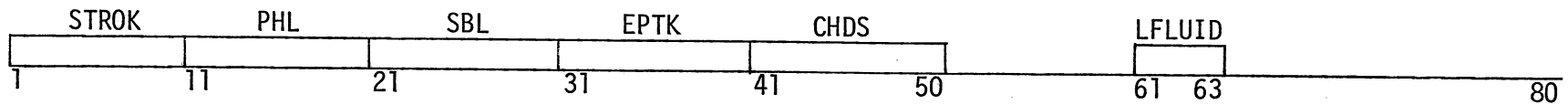


Figure 46. Sign Convention for Eccentricities of Loading and Friction Coefficients for SACTIE

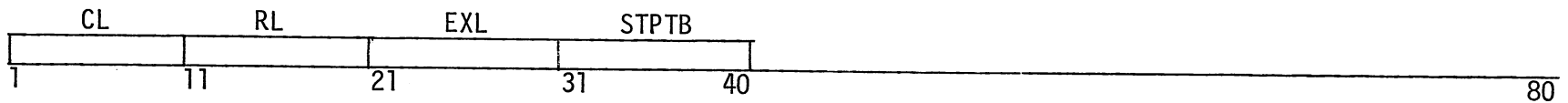


Format--LFLUID - A3; E10.3 for the rest

LFLUID - Enter "YES", for hollow rod with fluid

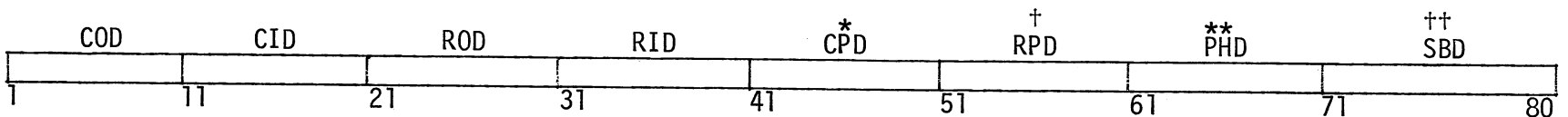
- Enter "NO" or blank, for hollow rod without fluid or solid rod

Card No. 2--Lengths (card No. 2 is not input for LPRTP = 3)



Format--E10.3 for all

Card No. 3--Diameters



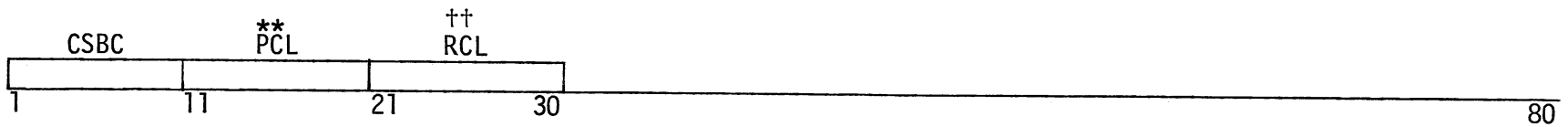
Format--E10.3 for all

* CPD - Leave blank if cylinder support is fixed

† RPD - Leave blank if rod support is fixed

** and †† - See next card

Card No. 4--Clearances

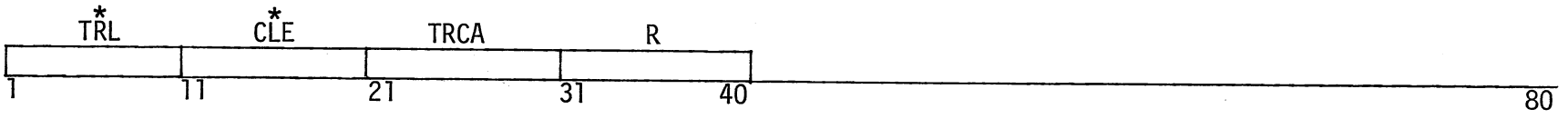


Format--E10.3 for all

** Input either PHD or PCL; if both are input, PCL will be used and PHD will be ignored

++ Input either SBD or RCL; if both are input, RCL will be used and SBD will be ignored

Card No. 5: Tie Rods Details



Format--E10.3 for all

TRL - Tie rod length

CLE - Exact cylinder length

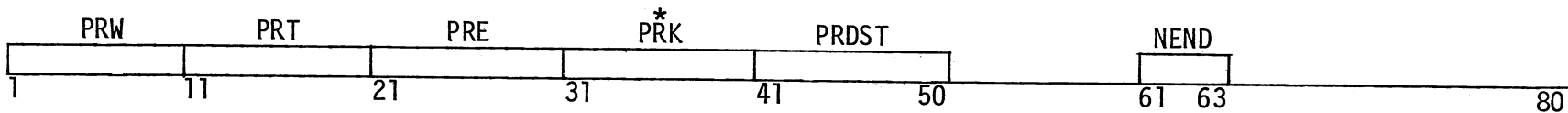
TRCA - Tie rods total cross sectional area

R - Distance of tie rods from cylinder axis in the plane of bending

* TRL and CLE are not input if LPRTP = 3

TABLE 4: BEARINGS AND SEALS (No cards if TABLE 4 is retained from previous problem; see Figure 45 for details)

Piston Head Bearing Cards: (one card for each bearing)

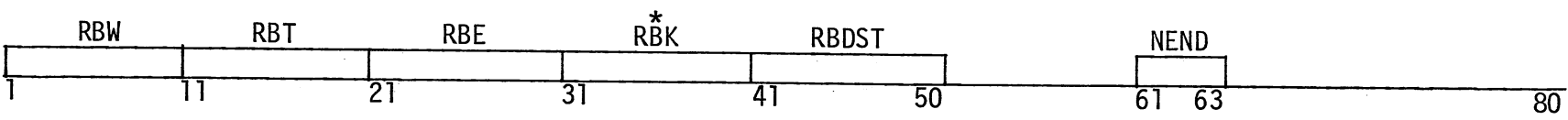


Format--NEND - A3; E10.3 for the rest

NEND - Enter "END" on the last piston head bearing card

* Input either (PRW, PRT and PRE) or (PRK); if PRK and some or all of PRW, PRT, and PRE are input, PRK will be used and the rest ignored

Rod Bearing Cards: (one card for each bearing)



Format--NEND - A3; E10.3 for the rest

NEND - Enter "END" on the last rod bearing card

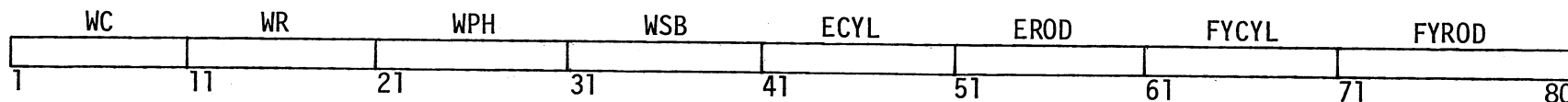
* Input either (RBW, RBT, and RBE) or (RBK); if RBK and some or all of RBW, RBT and RBE are input, RBK will be used and the rest ignored

PRE and RBE - Young's modulus of piston head bearings and rod bearings

PRK and RBK - Stiffnesses of piston head bearings and rod bearings per unit length (force required to compress a unit length of bearing by one unit)

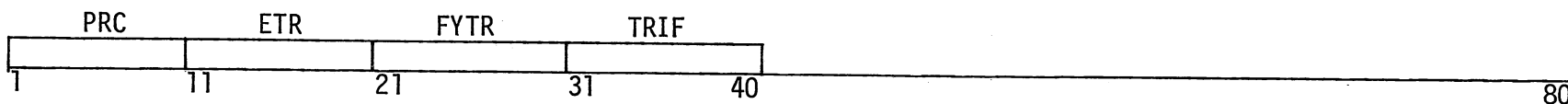
TABLE 5: WEIGHTS AND MATERIAL PROPERTIES (No cards if TABLE 5 is retained from previous problem)

Card No. 1: For Cylinder and Rod



Format--E10.3 for all

Card No. 2: For Tie Rods



Format--E10.3 for all

WC and WR - Weight of cylinder and rod per unit length

WPH - Weight of piston head

WSB - Weight of stuffing box

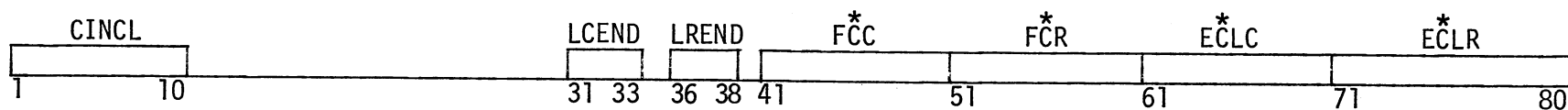
ECYL, EROD and ETR - Modulus of elasticity of cylinder, rod and tie rods, respectively

FYCYL, FYROD and FYTR - Yield stresses of cylinder, rod and tie rods, respectively

PRC - Poisson's ratio for cylinder material

TRIF - Initial force in tie rods (total of all tie rods)

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, AND LOADING ECCENTRICITIES (No card if TABLE 6 is retained from previous problem)



Format--LCEND and LREND - A3; E10.3 for the rest

CINCL - Inclination of the cylinder with horizontal (always positive and between 0° and 90°)

LCEND - Enter FIX for fixed or PIN for pinned cylinder support

LREND - Enter FIX for fixed or PIN for pinned rod support

FCC - Friction coefficient at cylinder pin. Leave blank if LCEND is FIX

FCR - Friction coefficient at rod pin. Leave blank if LREND is FIX

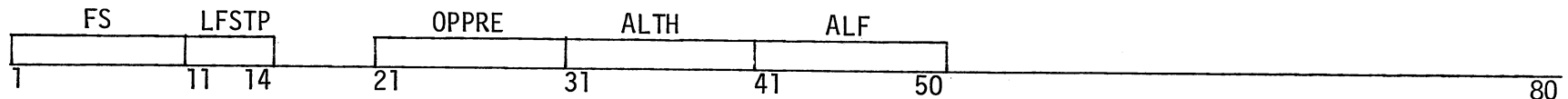
ECLC - Eccentricity of loading at cylinder end

ECLR - Eccentricity of loading at rod end

* See Figure 46 for sign convention

The direction of friction moments at the pins should be visualized by the user depending on the direction of rotation of the pins in the case of rotating pins, and depending on the predicted direction of the slopes at ends of the system for that particular loading, and accordingly proper signs should be assigned for FCC and FCR

TABLE 7: FACTOR OF SAFETY, OPERATING PRESSURE, ALLOWABLE θ and F (No card if TABLE 7 is retained from previous problem)



Format--LFSTP - A4; E10.3 for the rest

If LPRTP = 1 - enter only FS and LFSTP

= 2 - enter only OPPRE

= 3 - enter only OPPRE, ALTH and ALF

FS - Factor of safety

LFSTP - Factor of safety type (enter LOAD if FS is to be applied to the critical load obtained; enter STRS if FS is to be applied to the limiting stresses)

If only critical load analysis is required and no factored load analysis is required, leave this card blank or enter $FS \leq 1.0$, and LFSTP--LOAD or STRS or blank

OPPRE - Particular operating pressure for which analysis is required

ALTH - Allowable crookedness angle at the sliding connection

ALF - Allowable total lateral force on bearings (total force on piston head bearings or total force on rod bearings which are equal to each other)

NEXT PROBLEM

Start from "PROBLEM IDENTIFICATION" card

END OF RUN

At the end of last problem data set, insert a blank card (only first 4 columns need to be blank, the rest of the card may be used for comments)

STRESS ANALYSIS OF HYDRAULIC CYLINDERS

SIMPLE, REGULAR CYLINDERS WITH TIE RODS

JANUARY 30, 1976 VERSION

K. L. SESHASAI

SCHOOL OF CIVIL ENGINEERING
OKLAHOMA STATE UNIVERSITY
STILLWATER, OK - 74074

FACTORS CONSIDERED IN THE ANALYSIS:

1. SELF WEIGHT
2. LOADING ECCENTRICITY AT BOTH ENDS
3. STIFFNESSES OF BEARINGS
4. FRICTION MOMENTS AT SUPPORTS
5. VARYING CYLINDER SUPPORT LOCATION
6. INCLINATION OF CYLINDER
7. END CONDITIONS - PINNED OR FIXED
8. SOLID ROD OR HOLLOW ROD WITH OR WITHOUT FLUID IN IT
9. TIE ROD FORCES AND MOMENTS PRODUCED BY THEM WHEN THE CYLINDER IS DEFLECTED

TYPES OF PROBLEMS:

1. DETERMINATION OF CRITICAL LOAD AND ANALYSIS FOR CRITICAL AND A FACTORED LOAD
2. ANALYSIS FOR A PARTICULAR PRESSURE
3. ANALYSIS TO DETERMINE REQUIRED LENGTH OF STOP-TUBE

RESULTS GIVEN BY THE COMPUTER:

1. CRITICAL LOAD AND CORRESPONDING PRESSURE
2. CROOKEDNESS ANGLE
3. MAX DEFLECTION, MAX LONGITUDINAL AND SHEAR STRESSES, DISTANCE AT WHICH THEY OCCUR, FACTOR OF SAFETY'S ON THESE STRESSES FOR BOTH CYL AND ROD PORTIONS
4. MAXIMUM STRESSES AT SUPPORTS IN CASE OF FIXED SUPPORTS AND FACTOR OF SAFETY ON THIS STRESS
5. MAXIMUM HOOP STRESS IN CYLINDER, AND ROD ALSO IF THE ROD IS HOLLOW, AND FACTOR OF SAFETY ON THIS LOAD ON EACH BEARING AND AT OTHER CONTACT POINTS
7. AXIAL TENSION AND END DEFLECTION IN OVERHANG IN CASE OF TRUNNION MOUNT
8. REQUIRED LENGTH OF STOP-TUBE AND CORRESPONDING EXTENDED LENGTH (IN ANALYSIS OF TYPE 3.)
9. TIE ROD FORCES IN DEFLECTED CYLINDER
10. SEPARATION PRESSURES WITH CYL REMAINING STRAIGHT

>>> MAIN PROGRAM - SACTIE

IMPLICIT REAL * 8 (A - H, O - Z)

COMMON EXL, P

COMMON / BRGSTF / PRKX, SPRK, RBKY, SRBK

COMMON / CANDS / C1, C2, C1, D2

COMMON / CAREAS / BAREAC, BAREAR, CAREAC, CAREAR, RAREAC

COMMON / CLEAR / PCL, RCL

COMMON / CLERN / CSBC, PCL1, RCL1

COMMON / CONSTS / EEL, FFL, AKTHC, AKTHR

COMMON / CRPROP / RDZ, CYZ, RDZI, CYZI, HSCCI, HSCCO, HSCRI, HSCRO

COMMON / DIAMTS / COD, CID, RCD, RID, CPD, RPD, PHD, SBD

COMMON / ECCTRI / ECLC, ECLR

COMMON / ENDS / LCEND, LREND

COMMON / FRCONS / FCCY, FCRD, CCNM

COMMON / FSOPTF / OPPRE, ALTH, ALF, FS, LFSTP

COMMON / GLDFGR / FX(5), FY(5), F1, F2, F3, F4

COMMON / ID / IDCARD(40), NPROB, IPROB(19), LP RTP

COMMON / INCLFR / CINCL, FCC, FCK

COMMON / LENGTS / STRCK, PHL, SBL, EPTK, CHDS, LFLUID

COMMON / PISTON / PRW(5), PRT(5), PRE(5), PRK(5), PRDST(5), NPHBR

COMMON / PROPTS / ECYL, EROD, FYCYL, FYROD

COMMON / RODBRS / RBW(5), RBT(5), RBE(5), RBK(5), RBDST(5), NRDBR

COMMON / STPTBS / CL, RL, STPTB

COMMON / TIEROD / TRL, CLE, TRCA, R, PRC, ETR, FYTR, TRIF

COMMON / UNITS / LNTU, LGDU, LPREU, LANGU

COMMON / WGTCON / WPH, WSB

COMMON / WGTINI / WCI, WR1, WPH1, WSB1

COMMON / WGTVER / WC, WR

DATA ZERO, ONE, H180 / 0.0000, 1.0000, 180.0000 /

DATA PI / 3.141592653589793000 /

DATA IBLNK, LOAD, LDEG / 4H , 4HLOAD, 4HDEG /

NPROB = IBLNK

10 CALL INPECO (IBLNK, GC

FYCYLT = FYCYL

FYRODT = FYROD

CALL CONST1

I (ECYL, EROD, CHDS, LANGU,

O RDI, CYK, RDK, CSSTF, RSSTF

IF (LP RTP .EQ. 3) GO TO 15

CALL CONST2 (FCCN)

15 CONTINUE

CALL TRIALP

I (EROD, LP RTP, RDI, FYCYL, BAREAC, HSCCI, LCEND, FYROD,

I BAREAR, HSCRI,

O PINCRI, PINCR2

>>> KEY-- KWIT IS SETUP TO APPLY FACTOR OF SAFETY AND REPEAT ANALYSIS FOR FACTORED LOAD

KWIT = 1

>>> KEY-- KEYF IS SETUP TO QUIT LOOP AT FINAL ITERATION

20 KEYF = 1


```

C
C---- >>> KEYST IS SETUP TO CHECK INPLT PRESSURE AGAINST CRITICAL PRE.
C
      KEYST = 1
C
C---- >>> KEY'S-- KEYT AND KEYP ARE SETUP TO MAKE PROPER LOAD INCREMENTS
C
      KEYT = 1
      KEYP = 1
C
C---- >>> INITIALIZE TETA, BMG, AND TRM = ZERO
C
      TETA = ZERC
      BMG = ZERO
      TRM = ZERO
30 CALL EQBRIM
  I ( PRK, PRDST, RBK, RBDST, NPHBR, NRDBR, CYK, RDK, LPRTP,
  I   GC, RPD, BMG, CSSTF, RSSTF,
  O   CLT, RLT, CK, RK, BB1, BB2, TETA, DEFG, THC, TRM )
    IF ( LPRTP .NE. 3 ) GO TO 40
    IF ( KEYST .EQ. 1 ) GO TO 40
C
C---- >>> CONVERT ALLOWABLE THETA TO RADIANS, IF INPUT IN DEGREES
C
      ALTH1 = ALTH
      TEMP = PI / H180
      IF ( LANGU .EQ. LDEG ) ALTH1 = ALTH * TEMP
      ITERAT = 1
      CALL STOPTH
  I ( TETA, NPHBR, NRDBR, ALTH1, ALF, STROK, ITERAT, GC )
  IF ( ITERAT .NE. 1 ) GO TO 30
40 CALL XATYMX
  I ( CLT, CK, RK, DEFG,
  O   XCY, XRD, CSLPC, CSLPR )
      CALL YMAXS
  I ( XCY, XRD, CK, RK, CSLPC, CSLPR, BB1, BB2,
  O   YCMAX, YRMAX )
  IF ( LPRTP .NE. 3 ) GO TO 45
      CALL CONST2 ( FCON )
45 CONTINUE
C
C---- >>> KEY-- KEYTR IS TO QUIT LOOP AND PRINT RESULTS WHEN SEPARATION
C OCCURS DUE TO LOSS OF TENSION IN TIE RODS
C
      KEYTR = 1
      CALL STRCHS
  I ( KEYF, KEYT, KEYP, XCY, XRD, YCMAX, YRMAX, RID, CHDS,
  I   OPRE, FYRODT, FYCYLT, PINCR1, PINCR2, KEYST, LFLUID,
  I   TRM, FCON, TSTRT, ISTRB, KEYTR,
  O   HSC, HSR, CSTR, CSTRP, RSTR, RSTRP, CSS, NCSS, RSS, NRSS )
C
C---- >>> IS IT FINAL ITERATION? ? ?
C
      IF ( KEYF .NE. 3 ) GO TO 30
      IF ( KEYST .NE. 1 ) GO TO 50
      IF ( LPRTP .EQ. 1 ) GO TO 50
C
C---- >>> PROTECTICN AGAINST INPUT OPERATING PRE. BEING > CRITICAL PRE.

```

```

C
      PRES = P / BAREAC
      IF ( CPPRE .GT. PRES ) GO TO 100
      P = OPRE * BAREAC
      KEYST = 2
      TRM = ZERO
      TETA = ZERC
      GO TO 30
50 IF ( KWIT .NE. 1 ) GO TO 60
      CALL SEPPRE ( CLE )
60 CALL OUTPUT
  I ( KWIT, BAREAC, XCY, XRD, YCMAX, YRMAX, CHDS, GC, TETA,
  I   FYCYL, FYRODT, CSTR, CSTRP, RSTR, RSTRP, HSC, HSK, EPTK,
  I   FYTR, KEYTR, NPHBR, NRDBR, THC, CSS, NCSS, RSS, NRSS,
  I   TSTRT, ISTRB )
C
C---- >>> IF THIS PROBLEM IS COMPLETE GO TO NEXT PROBLEM
C
      IF ( KWIT .NE. 1 ) GO TO 10
      IF ( LPRTP .NE. 1 ) GO TO 10
      IF ( FS .LE. ONE ) GO TO 10
C
C---- >>> FACTOR OF SAFETY IS TO BE APPLIED TO STRESS OR LGAD
C
      P = P / FS
      KWIT = 2
      TRM = ZERO
      TETA = ZERC
      IF ( LFSTP .EQ. LGAD ) GO TO 30
      FYCYLT = FYCYL / FS
      FYRODT = FYROD / FS
      GO TO 20
C
C---- >>> ERROR MESSAGES
C
100 PRINT 210, PRES
      GO TO 10
210 FORMAT ( I#1, 20(/), 10(10X, 21H*** ** ERROR *** ** / ), //, /,
  1 10X, 38HOPERATING PRESSURE IS GREATER THAN THE /
  2 10X, 42HCAPACITY( CRITICAL LOAD ) OF THE CYLINDER. //
  3 10X, 37HTHE MAXIMUM PRESSURE FOR THE CYL IS =, 1PD10.3, // )
      END

```

SUBROUTINE INPECC (IBLNK, GC)

```
C
C----- >>> SUBROUTINE TO READ AND ECHO INPUT DATA FOR SACREG
C
  IMPLICIT REAL * 8 ( A - H, C - Z )
  COMMON EXL, P
  COMMON / CLERNC / CSBC, PCL1, RCL1
  COMMON / DIAMTS / COD, CID, RGD, RID, CPU, RPD, PHD, SBD
  COMMON / ECCTRI / ECLC, ECLR
  COMMON / ENDS / LCEND, LREND
  COMMON / FSOPTE / OPPE, ALTH, ALF, FS, LFSTP
  COMMON / ID / IDCARD(40), NPROB, IPROB(19), LPRTP
  COMMON / INCLFR / CINCL, FCC, FCR
  COMMON / LENGTS / STROK, PHL, SBL, EPTK, CHDS, LFLUID
  COMMON / PISTON / PRW(5), PRT(5), PRE(5), PRK(5), PRDST(5), NPHBR
  COMMON / PROPTS / ECTL, ERGD, FYCYL, FYROD
  COMMON / RODBRS / RBW(5), RBT(5), RBE(5), RBK(5), RBDST(5), NRDBR
  COMMON / STPTBS / CL, RL, STPTB
  COMMON / TIEROD / TRL, CLE, TRCA, R, PRC, ETR, FYTR, TRIF
  COMMON / UNITS / LNTU, LDDU, LPREU, LANGU
  COMMON / WGTINI / WC1, WR1, WPH1, WSBI
```

DIMENSION PRK1(5), RBK1(5)

DATA ZERO, ONE, TWO / 0.0000, 1.0000, 2.0000 /
DATA KEEP, IEND, LYES / 4HKEEP, 3HEND, 3HYES /

>>> FORMATS

```
C
C----- >>> FORMATS
C
10 FORMAT ( 20A4 )
20 FORMAT ( A4, 19A4 )
30 FORMAT ( 4X, 11, 5X, 6( A4, 6X ) )
40 FORMAT ( 4X, 4( 6X, A4 ) )
50 FORMAT ( 8F10.0 )
60 FORMAT ( 5F10.0, 10X, A3 )
70 FORMAT ( F10.0, 20X, A3, 2X, A3, 2X, 4F10.0 )
80 FORMAT ( F10.0, A4, 6X, 3F10.0 )
90 FORMAT ( 1H1, 4X, 36HPROGRAM SACTIE - STRESS ANALYSIS OF ,
1 23HCYLINDERS WITH TIE RODS, //, 2( 5X, 20A4, / ), / )
100 FORMAT ( 5X, 8HPROBLEM , A4, //, 1X, 19A4 )
110 FORMAT ( /, 5X, 11HINPUT DATA:, //, 5X, 8HTABLE 1:, 5X,
1 12HCONTROL DATA )
120 FORMAT ( /, 10X, 41HPROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS,
1 31H & ANALYSIS FOR A FACTORED LOAD, / )
130 FORMAT ( /, 10X, 27HPRCBLEM TYPE = 2 - ANALYSIS,
1 26H FOR A PARTICULAR PRESSURE, / )
140 FORMAT ( /, 10X, 27HPRCBLEM TYPE = 3 - ANALYSIS,
1 39H TO DETERMINE SUITABLE STOP-TUBE LENGTH, / )
160 FORMAT ( /, 18X, 37HTABLES RETAINED FROM PREVIOUS PROBLEM, //,
1 20X, 2H 2, 4X, 2H 3, 4X, 2H 4, 4X, 2H 5, 4X, 2H 6,
2 4X, 2H 7, /, 17X, 6( 2X, A4 ) )
190 FORMAT ( 23X, 25HNO KEEP OPTIONS EXERCISED, / )
210 FORMAT ( /, 5X, 33HTABLE 2: UNITS OF MEASUREMENT, //, 17X,
1 6HLENGTH, 6X, 4HLOAD, 5X, 8HPRESSURE, 3X, 7HANGULAR,
2 //, 11X, 4( 7X, A4 ) )
220 FORMAT ( //, 5X, 32HTABLE 3: CYLINDER DIMENSIONS, //, 10X,
1 8HLENGTHS:, //, 19X, 23HSTROKE PISTON HEAD, 2X,
2 40HSTUFFING BOX END PLATE HINGE DIST., //, 14X,
```

```
3 5( 2X, 1PD12.5 ) )
230 FORMAT ( //, 18X, 20HCYLINDER ROD, 8X, )
1 23HEXTENDED STOP TUBE )
240 FORMAT ( /, 14X, 4( 2X, 1PD12.5 ) )
250 FORMAT ( /, 15X, 23HTHESE NOT INPUT BECAUSE, )
1 35H STOP TUBE LENGTH ANALYSIS IS ASKED, / )
260 FORMAT ( /, 10X, 10HDIAMETERS:, //, 17X, 10HCYL. OUTER, 4X, )
1 38HCYL. INNER ROD ULTER ROD INNER, / )
270 FORMAT ( /, 14X, 4( 2X, 1PD12.5 ) , 2X, 9HSOLID ROD, / )
280 FORMAT ( /, 14X, 4( 2X, 1PD12.5 ) , 2X, 10HHOLLOW ROD )
282 FORMAT ( /, 72X, 10HWITH FLUID )
284 FORMAT ( /, 72X, 13HWITH NC FLUID )
250 FORMAT ( /, 18X, 23HCYL. PIN * ROD PIN *, 3X,
1 26HPISTON HEAD @ STUF. BOX @, //, 14X, 4( 2X, 1PD12.5 ) ,
2 /, 16X, 26H(* ZERG, THE END IS FIXED),
3 32H @ ZERO, OTHER OPTION IS INPUT )
310 FORMAT ( /, 10X, 19HCLEARANCES BETWEEN:, //, 12X,
1 2( 6X, 8HCYLINDER ), 8X, 3HRD, /, 9X, 3( 11X, 3HAND ),
2 /, 16X, 12HSTUFFING BOX, 2X, 13HPISTON HEAD @, 2X,
3 11HSTUF. BOX @, //, 14X, 3( 2X, 1PD12.5 ) , /, 29X,
4 31H @ ZERO, OTHER OPTION IS INPUT )
315 FORMAT ( /, 10X, 17HTIE RODS DETAILS:,
1 //, 15X, 38HCLEAR TIE ROD LENGTH = , 1PD12.5,
2 /, 15X, 38HEXACT CYLINDER LENGTH = , 1PD12.5,
3 /, 15X, 38HTOTAL TIERODS CROSS SECTIONAL AREA = , 1PD12.5,
4 /, 15X, 38HDIST OF TIE RODS FROM CYL AXIS = , 1PD12.5,
5 /, 20X, 23H( IN PLANE OF BENDING ), / )
320 FORMAT ( 1H1, 4X, 31HTABLE 4: BEARINGS AND SEALS, //, 10X,
1 16HPISTON BEARINGS:, / )
330 FORMAT ( 21X, 3( 2H A, 12X ), 2H B, 7X, 13HDISTANCE FROM, /,
1 20X, 5HWIDTH, 7X, 9HTHICKNESS, 2X, 14HYOUNGS MODULUS, 3X,
2 9HSTIFFNESS, 5X, 9HBACK FACE, //,
3 5( 14X, 5( 2X, 1PD12.5 ) , / ) )
340 FORMAT ( 10X, 13HROD BEARINGS:, / )
350 FORMAT ( 15X, 48HIA IS USED TO CALCULATE B - HENCE, EITHER A OR
1 10HB IS INPUT, /, 28X,
2 46HZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT, / )
360 FORMAT ( /, 5X, 44HTABLE 5: WEIGHTS AND MATERIAL PROPERTIES,
1 //, 10X, 17HWEIGHTS OF PARTS:, //, 18X, 8HCYLINDER, 9X,
2 3HRD, 7X, 11HPISTON HEAD, 2X, 12HSTUFFING BOX, /, 21X,
3 17H(PER UNIT LENGTH), //, 14X, 4( 2X, 1PD12.5 ) , / )
370 FORMAT ( /, 10X, 20HMATERIAL PROPERTIES:,
1 //, 34X, 35HCYLINDER ROD TIERODS,
2 //, 15X, 15HYOUNGS MODULUS , 3( 2X, 1PD12.5 ) ,
3 //, 15X, 15HYIELD STRESS , 3( 2X, 1PD12.5 ) ,
4 //, 15X, 15HPOISSONS RATIO , 2X, 1PD12.5 ,
5 //, 10X, 34HTOTAL INITIAL FORCE IN TIE RODS = , 1PD12.5, / )
380 FORMAT ( /, 5X, 43HTABLE 6: INCLINATION, FIXITY, FRICTION ,
1 34HCOEFFICIENTS, LOADING ECCENTRICITY, //, 10X,
2 34HCYL INCLINATION WITH HORIZONTAL = , 1PD12.5, //, 46X,
3 24HCYLINDER END ROD END, //, 10X,
4 19HSUPPORT CONDITIONS:, 21X, A3, 12X, A3, //, 10X,
5 36HFRICTION COEFFICIENTS AT SUPPORTS:, 2( 1PD12.5, 2X )
6 /, 15X, 19H(ZERG IF FIXED END), /, 10X,
7 23HLOADING ECCENTRICITIES:, 13X, 2( 1PD12.5, 2X ) , / )
390 FORMAT ( /, 5X, 42HTABLE 7: FACTOR OF SAFETY OR OPERATING,
1 36H PRESSURE AND/OR ALLOWABLE THETA & F, /, 18X,
2 25HDEPENDING ON PROBLEM TYPE, / )
```

```

400 FORMAT ( /, 10X, 27HONLY CRITICAL LOAD ANALYSIS , / )
410 FORMAT ( /, 10X, 19HFACTGR OF SAFETY = , F6.3, 4H ON , A4, / )
420 FORMAT ( /, 10X, 21HOPERATING PRESSURE = , 1PD12.5, / )
430 FORMAT ( /, 10X, 32HOPERATING CYLINDER PRESSURE = , 1PD12.5, /,
1 10X, 32HALLOWABLE CROOKEDNESS ANGLE = , 1PD12.5, /,
2 10H AT GLAND, //, 10X, 32HALLOWABLE TGTAL LATERAL FORCE =
3 1PD12.5, 13H ON BEARINGS, / )
450 FORMAT ( ///, 10X, 30H***** ERROR IN LENGTHS ***** , / )
460 FORMAT ( ///, 10X, 7H***** ,
1 32HERROR : PHD IS GREATER THAN CID , 6H ***** , / )
470 FORMAT ( ///, 10X, 7H***** ,
1 37HERROR : RD IS GREATER THAN SBD ***** , / )
480 FORMAT ( //, 10X, 6H***** , 19HPROGRAM TERMINATED , 5H***** )
490 FORMAT ( 1H1 )
C
C---- >>> READ AND ECHC RUN AND PROBLEM IDENTIFICATION
C
      IF ( NPROB .NE. IBLNK ) GO TO 500
      READ ( 5, 10 ) ( IDCARD( I ), I = 1, 40 )
500 READ ( 5, 20 ) NPROB, ( IPROB( I ), I = 1, 19 )
C
C---- >>> TEST FOR END OF RUN
C
      IF ( NPRGB .EQ. IBLNK ) GO TO 1700
      PRINT 90, ( IDCARD( I ), I = 1, 40 )
      PRINT 100, NPROB, ( IPROB( I ), I = 1, 19 )
C
C---- >>> READ TABLE 1: PROBLEM TYPE AND TABLES TO BE RETAINED FROM
C          PREVIOUS PROBLEM
C
      READ ( 5, 30 ) LPRTP, KEEP2, KEEP3, KEEP4, KEEP5, KEEP6, KEEP7
      IF ( KEEP2 .EQ. KEEP ) GO TO 510
C
C---- >>> READ TABLE 2: UNITS OF MEASUREMENT
C
      READ ( 5, 40 ) LNTU, LODU, LPREU, LANGU
510 IF ( KEEP3 .EQ. KEEP ) GO TO 540
      READ ( 5, 60 ) STROK, PHL, SBL, EPTK, CHDS, LFLUID
      IF ( LPRTP .EQ. 3 ) GO TO 520
C
C---- >>> READ TABLE 3: LENGTHS AND DIAMETERS
C
      READ ( 5, 50 ) CL, RL, EXL, STPTB
520 READ ( 5, 50 ) COD, CID, ROD, RID, CPD, RPD, PHD, SBD
      READ ( 5, 50 ) CSBC, PCL1, RCL1
      READ ( 5, 50 ) TRL, CLE, TRCA, R
C
C---- >>> CALCULATE GLAND CLEARANCE
C
      GC = ZERO
      IF ( LPRTP .NE. 3 ) GC = CL - STROK - PHL
C
C---- >>> TEST FOR PROPER INPUT
C
      IF ( LPRTP .EQ. 3 ) GO TO 530
      A = EXL - CHDS - EPTK - CL - SBL - RPD / TWO
      IF ( A .LT. STROK ) GO TO 1000
530 IF ( ( PCL1 .GT. ZERG ) .OR. ( RCL1 .GT. ZERO ) ) GO TO 540

```

```

      IF ( PHD .GT. CIC ) GO TO 1100
      IF ( ROD .GT. SBD ) GO TO 1200
C
540 IF ( KEEP4 .EQ. KEEP ) GO TO 585
C
C---- >>> READ TABLE 4: PISTON RINGS AND ROD BEARINGS DETAILS
C
      I = 1
      J = 1
550 READ ( 5, 60 ) PRW(I), PRT(I), PRE(I), PRK1(I), PRDST(I), NEND
      PRK(I) = PRK1(I)
      IF ( NEND .EQ. IEND ) GO TO 560
      I = I + 1
      GO TO 550
560 NPHBR = I
570 READ ( 5, 60 ) RBW(J), RBT(J), RBE(J), RBK1(J), RBDST(J), NEND
      RBK(J) = RBK1(J)
      IF ( NEND .EQ. IEND ) GO TO 580
      J = J + 1
      GO TO 570
580 NRDBR = J
585 IF ( KEEP5 .EQ. KEEP ) GO TO 590
C
C---- >>> READ TABLE 5: WEIGHTS OF PARTS AND MATERIAL PROPERTIES
C
      READ ( 5, 50 ) WC1, WR1, WPH1, WSB1, ECYL, ERGD, FYCYL, FYRGD
      READ ( 5, 50 ) PRC, ETR, FYTR, TRIF
590 IF ( KEEP6 .EQ. KEEP ) GO TO 600
C
C---- >>> READ TABLE 6: INCLINATION, END FIXITY, FRICTION COEFFICIENTS
C          AND ECCENTRICITY OF LOADING
C
      READ ( 5, 70 ) CINCL, LCEND, LREND, FCC, FCR, ECLC, ECLR
600 IF ( KEEP7 .EQ. KEEP ) GO TO 610
C
C---- >>> READ TABLE 7: FACTOR OF SAFETY AND ITS TYPE, OPERATING
C          PRESSURE AND ALLOWABLE THETA AND LATERAL FORCE
C          DEPENDING ON THE PROBLEM TYPE
C
      READ ( 5, 80 ) FS, LFSTP, CPPRE, ALTH, ALF
610 CONTINUE
C
C---- >>> PRINT ALL THE TABLES READ
C
      PRINT 110
      IF ( LPRTP .EQ. 1 ) PRINT 120
      IF ( LPRTP .EQ. 2 ) PRINT 130
      IF ( LPRTP .EQ. 3 ) PRINT 140
      PRINT 160, KEEP2, KEEP3, KEEP4, KEEP5, KEEP6, KEEP7
      IF ( KEEP2 .NE. IBLNK ) GO TO 620
      IF ( KEEP3 .NE. IBLNK ) GO TO 620
      IF ( KEEP4 .NE. IBLNK ) GO TO 620
      IF ( KEEP5 .NE. IBLNK ) GO TO 620
      IF ( KEEP6 .NE. IBLNK ) GO TO 620
      IF ( KEEP7 .EQ. IBLNK ) PRINT 190
620 CONTINUE
      PRINT 210, LNTU, LODU, LPREU, LANGU
      PRINT 220, STROK, PHL, SBL, EPTK, CHDS

```

```

PRINT 230
  IF ( LPRTP .EQ. 3 ) GO TO 640
PRINT 240, CL, RL, EXL, STPTB
GO TO 650
640 PRINT 250
650 PRINT 260
  IF ( RID .GT. ZERO ) GO TO 670
PRINT 270, COD, CID, ROD, RID
GO TO 680
670 PRINT 280, COD, CID, RGD, RID
  IF ( LFLUID .NE. LYES ) GO TO 675
PRINT 282
GO TO 680
675 PRINT 284
680 PRINT 290, CPD, RPD, PHD, SBD
PRINT 310, CSBC, PCL1, RCL1
PRINT 315, TRL, CLE, TRCA, R
PRINT 320
PRINT 330, ( PRW(I), PRT(I), PRE(I), PRK1(I), PRDST(I), I=1, NPHBR )
PRINT 340
PRINT 330, ( RBW(I), RBT(I), RBE(I), RBK1(I), RBDST(I), I=1, NRDBR )
PRINT 350
PRINT 360, WCI, WRI, WPH1, WSBI
PRINT 370, ECYL, EROD, ETR, FYCYL, FYROD, FYTR, PRC, TRIF
PRINT 380, CINCL, LCEND, LREND, FCC, FCR, ECLC, ECLR
PRINT 390
  IF ( LPRTP .EQ. 1 .AND. FS .LE. GNE ) GO TO 690
  IF ( LPRTP .EQ. 1 ) PRINT 410, FS, LFSTP
GO TO 700
690 PRINT 400
700  IF ( LPRTP .EQ. 2 ) PRINT 420, OPPRE
  IF ( LPRTP .EQ. 3 ) PRINT 430, OPPRE, ALTH, ALF
RETURN
C
C---- >>> DIAGNOSTICS FOR ILLEGAL INPUTS
C
1000 PRINT 450
GO TO 1600
1100 PRINT 460
GO TO 1600
1200 PRINT 470
1600 PRINT 480
1700 PRINT 490
C
C---- >>> END OF RUN IF ERROR IN INPUT IS ENCOUNTERED
C
STCP
END

```

```

SUBROUTINE CONST1
  I ( ECYL, EROD, CHDS, LANGU,
  U ( RDI, CYK, RUK, CSSTF, RSSTF )
C
C---- >>> SUBROUTINE TO CALCULATE CONSTANT TERMS FOR CONVENIENCE
C
  IMPLICIT REAL * 8 ( A - H, O - Z )
  COMMON / BRGSTF / PRKX, SPRK, RBKY, SRBK
  COMMON / CAREAS / BAREAC, BAREAR, CAREAC, CAREAR, RAREAC
  COMMON / CLEAR / PCL, RCL
  COMMON / CLERNC / CSBC, PCL1, RCL1
  COMMON / CRPROP / RDZ, CYZ, RDZI, CYZI, HSCCI, HSCCO, HSCRI, HSCRO
  COMMON / DIAMTS / COD, CID, ROD, RID, CPD, RPD, PHD, SBD
  COMMON / ENDS / LCENG, LREND
  COMMON / FRCGNS / FCCY, FCRO, CCNM
  COMMON / INCLFR / CINCL, FCC, FCR
  COMMON / PISTON / PRW(5), PRT(5), PRE(5), PRK(5), PRDST(5), NPHBR
  COMMON / RODBRS / RBW(5), RBT(5), RBE(5), RBK(5), RBDST(5), NRDBR
  COMMON / WGTCON / WPH, WSB
  COMMON / WGTINI / WCI, WRI, WPH1, WSBI
  COMMON / WGTVER / WC, WR
C
  DATA ZERC, TWG, FGUR, SXTFGR / 0.0000, 2.0000, 4.0000, 64.0000 /
  DATA H180, AINFIN / 180.0000, 1.0020 /
  DATA PI / 3.141592653589793000 /
  DATA LDEG, LFIX / 4HDEG, 3HFIX /
C
C---- >>> CALCULATE STIFFNESSES OF BEARINGS AND SEALS IF NOT INPUT
C
  SPRK = ZERO
  PRKX = ZERO
DO 110 I = 1, NPHBR
  IF ( PRK(I) .GT. ZERO ) GO TO 100
  PRK(I) = CID * PRW(I) + PRE(I) / PRT(I)
  PRKX = PRK(I) * PRDST(I) + PRKX
  SPRK = PRK(I) + SPRK
  SRBK = ZERO
  RBKY = ZERC
DO 130 I = 1, NRDBR
  IF ( RBK(I) .GT. ZERO ) GO TO 120
  RBK(I) = ROD * RBW(I) + RBE(I) / RBT(I)
  RBKY = RBK(I) * RBDST(I) + RBKY
  SRBK = RBK(I) + SRBK
C
C---- >>> CALCULATE CROSS SECTIONAL PROPERTIES
C
  RCD2 = ROD * ROD
  RID2 = RID * RID
  COD2 = COD * COD
  CID2 = CID * CID
  RDI = PI * ( RCD2 * ROD2 - RID2 * RID2 ) / SXTFOR
  CYI = PI * ( COD2 * COD2 - CID2 * CID2 ) / SXTFOR
  RDZ = RDI * TWG / RCD
  CYZ = CYI * TWG / COD
  RDZI = 1.00+20
  IF ( RID .GT. ZERO ) RDZI = RDI * TWG / RID
  CYZI = CYI * TWG / CID
C

```

C---- >>> BORE AREAS AND CROSS SECTIONAL AREAS OF CYLINDER AND ROD

C
BAREAC = PI * CID2 / FCUR
BAREAR = PI * RID2 / FCUR
RAREAC = PI * (CID2 - ROD2) / FOUR
CAREAC = PI * (CCD2 - CID2) / FOUR
CAREAR = PI * (ROD2 - RID2) / FOUR

C
C---- >>> CALCULATE HOOP STRESS COEFFICIENT

C
RDENC = COD2 - CID2
HSCCI = (COD2 + CID2) / RDENC
HSCCO = TWO * CID2 / RDENC
RDENR = ROD2 - RID2
HSCRI = (ROD2 + RID2) / RDENR
HSCRO = TWO * RID2 / RDENR
CYK = DSQRT (ECYL * CYI)
RDK = DSQRT (EROD * RDI)

C
C---- >>> CALCULATE CLEARANCES AT PISTON HEAD AND STUFFING BOX

C
PCL = (CID - PHD) / TWO
IF (PCL .GT. ZERO) PCL = PCL1
RCL = (SBD - ROD) / TWO + CSBC
IF (RCL1 .GT. ZERO) RCL = RCL1 + CSBC

C
C---- >>> CALCULATE VERTICAL COMPONENTS OF WEIGHTS

C
TEMP = PI / H180
BETA = CINCL
IF (LANGU .EQ. LDEG) BETA = CINCL * TEMP
CB = DCCS (BETA)
WC = WC1 * CB
WR = WR1 * CB
WPH = WPH1 * CB
WSB = WSB1 * CB

C
C---- >>> CALCULATE FRICTION MOMENT COEFFICIENTS

C
FCCY = FCC * CPD / TWO
FCRD = FCR * RPC / TWO

C
C---- >>> ESTABLISH STIFFNESSES FOR ROTATIONAL SPRINGS AT SUPPORTS
ZERO IF PIN; VERY HIGH IF FIX.

C
CSSTF = ZERO
RSSTF = ZERO
IF (LCEND .EQ. LFIX) CSSTF = AINFIN
IF (LREND .EQ. LFIX) RSSTF = AINFIN

C
C---- >>> MOMENT DUE TO OVER HANG

C
CONM = WC * CHDS * CHDS / TWO
IF (CHDS .GT. ZERO) CONM = ZERO
IF (LCEND .EQ. LFIX) CONM = ZERO
RETURN
END

SUBROUTINE CONST2 (FCCN)

C
C---- >>> SUBROUTINE TO CALCULATE THE CONSTANT TERMS INVOLVED IN
C TIE ROD STRESS AND SEPARATION PRESSURES CALCULATIONS
C

IMPLICIT REAL * 8 (A - H, O - Z)
COMMON / CAREAS / BAREAC, BAREAR, CAREAC, CAREAR, RAREAC
COMMON / LENGTS / STROK, PHL, SBL, EPTK, CHDS, LFLUID
COMMON / PRGPTS / ECYL, EKGD, FYCYL, FYROD
COMMON / SEPCON / SLAE, TEMPC, TEMPR, CCL, FBAC, FBAR
COMMON / STPTBS / CL, RL, STPTB
COMMON / TIEROD / TRL, CLE, TRCA, R, PRC, ETR, FYTR, TRIF

C
DATA ZERG, TWO / 0.0000, 2.0000 /

SLAE = TRL * CAREAC * ECYL / (TRCA * ETR) + CLE
FBAC = TRIF / BAREAC
FBAR = TRIF / RAREAC
PLC = CL - STPTB - PHL
PLR = CL - PHL
TEMPC = TWC * PRC * PLC
TEMPR = TWC * PRC * PLR
FCON = TEMPC / SLAE
CCL = CHDS + EPTK
IF (CCL .GT. ZERO) RETURN
FCON = (CCL + TEMPC) / SLAE

RETURN
END

```

SUBROUTINE TRIALP
I      ( EROD, LPRTP, RDI, FYCYL, BAREAC, HSCCI, LCEND, FYROD,
I      BAREAR, HSCRI,
O      PINCRI, PINCR2 )
C
C----- >>> SUBROUTINE TO CALCULATE TRIAL LOAD AND LOAD INCREMENTS
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON EXL, P1
      COMMON / LENGTS / STROK, PHL, SBL, EPTK, CHDS, LFLUID
C
      DATA TWO, FIFTY, FIVHUN / 2.0000, 50.0000, 500.0000 /
      DATA PI / 3.141592653589793000 /
      DATA LFIX, LYES / 3HFIX, 3HYES /
C
C----- >>> IF LPRTP = 3 CALCULATE APPROXIMATE EXTENDED LENGTH
C
      100      IF ( LPRTP - 3 ) 110, 100, 110
              EXL = STROK + STROK + PHL + SBL + CHDS + EPTK
C
C----- >>> TRIAL LOAD (1) AS PER EULERS BUCKLING, CONSIDERING FULL
C      LENGTH STIFFNESS AS THAT OF ROD ONLY
C
      110      P1 = PI * PI * EROD * RDI / ( EXL * EXL )
              IF ( LCEND .EQ. LFIX ) P1 = TWO * P1
C
C----- >>> TRIAL LOAD (2) AS PER EXCESSIVE HOOP STRESS RESTRICTION IN CYL
C
              P2 = FYCYL * BAREAC / HSCCI
C
C----- >>> TRIAL LOAD (3) AS PER EXCESSIVE HOOP STRESS RESTRICTION IN ROD
C
              P3 = FYROD * BAREAR / HSCRI
              IF ( LFLUID .NE. LYES ) P3 = P2
C
C----- >>> TRIAL LOAD, SMALLER OF (1), (2) AND (3)
C
              P1 = DMIN1( P1, P2, P3 )
C
C----- >>> CALCULATE LOAD INCREMENTS
C
              PINCR1 = P1 / FIFTY
              PINCR2 = P1 / ( FIVHUN * TWO )
C
      RETURN
      END

```

```

SUBROUTINE EQBRIM
I      ( PRK, PRDST, RBK, RBDST, NPHBR, NRDBR, CYK, RDK, LPRTP,
I      GC, RPD, BMG, CSSTF, RSSTF,
O      CLT, RLT, CK, RK, BBL, BB2, TETA, DEFG, THC, TRM )
C
C----- >>> SUBROUTINE TO CALCULATE CONSISTENT VALUES OF DEFLECTIONS AND
C      CROOKEDNESS ANGLE BY ITERATING, FOR A PARTICULAR VALUE OF LOAD
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON EXL, P
      COMMON / BRGSTF / PRKX, SPRK, RBKY, SRBK
      COMMON / CANDDS / C1, C2, C1, D2
      COMMON / CLEAR / PCL, RCL
      COMMON / CONSTS / EEL, FFL, AKTHC, AKTHR
      COMMON / ECCTRI / ECL, ECLR
      COMMON / FRCUNS / FCCY, FCRD, CGNM
      COMMON / GLOFGR / FX(5), FY(5), F1, F2, F3, F4
      COMMON / LENGTS / STROK, PHL, SBL, EPTK, CHDS, LFLUID
      COMMON / REATNS / REC, RER
      COMMON / STPTBS / CL, RL, STPTB
      COMMON / TIEROD / TRL, CLE, TRCA, R, PRC, ETR, FYTR, TRIF
      COMMON / WGTCON / WPH, WSB
      COMMON / WGTVER / WC, WR
C
      DIMENSION PRK( NPHBR ), PRDST( NPHBR ), RBK( NRDBR ), RBDST( NRDBR )
C
      DATA ZERO, TWO, HUNDRD / 0.0000, 2.0000, 100.0000 /
      DATA LFIX / 3HFIX /
C
      TRMOM = TRM
      M = 1
      N = 1
      IF ( LPRTP .NE. 3 ) GO TO 50
C
C----- >>> CALCULATE CYLINDER, ROD AND EXTENDED LENGTHS IN CASE OF
C      STOP-TUBE LENGTH DETERMINATION ANALYSIS
C
      CL = STROK + PHL + GC
      RL = STROK + SBL + RPD / TWO + GC
      EXL = CL + EPTK + CHDS + RL - GC
      TRL = CL + EPTK + SBL
      CLE = CL
      GO TO 50
C
C----- >>> CALCULATE TRANSFORMED CYLINDER AND ROD LENGTHS
C
      20      CLT = CL + EPTK + CHDS - Y
              RLT = RL - X
C
C----- >>> CALCULATE EQUIVALENT CONCENTRATED LATERAL LOAD AT STEP
C
              W = WPH + WSB + WC * Y + WR * X
C
C----- >>> CALCULATE LATERAL REACTIONS AT SUPPORTS
C
              REC = ( W * RLT + CGNM + WC * CLT * ( RLT + CLT / TWO
              *      ) + WR * RLT * RLT / TWO ) / EXL
              KER = W + WC * CLT + WR * RLT - REC

```

```

CALL THCOS
I
0 ( CYK, RDK, CLT, RLT, CSSTF, RSSTF, TETA, W, TRMOM,
    BB1, BB2, CK, RK, CKILL, SKILL, THC )
C
C---- >>> CALCULATE DEFLECTION AT SLIDING CONNECTION
C
      DEFG1 = ( AKTHC - AKTHR ) * CLT / EXL - WC * CLT * CLT /
      ( TWC * P )
      *
      DEFG = C1 * CKILL + C1 * SKILL - EEL * CLT + FFL * CLT
      *
      - DEFG1 + BB1 - REC * CLT / P
C
C---- >>> CALCULATE CYLINDER SLOPE AT SLIDING CONNECTION
C
      THCG = - C1 * CK * SKILL + D1 * CK * CKILL - EEL + FFL
      1 - ( AKTHC - AKTHR ) / EXL - ( REC - WC * CLT ) / P
C
C---- >>> CALCULATE TIE ROD MOMENT
C
      TRM = R * R * ( THC - THCG ) * TRCA * ETR / TRL
C
C---- >>> CALCULATE BENDING MOMENT AT INTERFACE
C
      BMG = P * CLT * ( EEL - FFL ) + DEFG1 * P + P * ECLC
      *
      + REC * CLT - CCNM - P * ( FCCY + AKTHC - DEFG )
C
C---- >>> CALCULATE CROOKEDNESS ANGLE - THETA, AT SLIDING CONNECTION
C
50 CALL THETA
I
0 ( PRK, PRDST, RBK, RBDST, NPHBR, NRDBR, GC, BMG, PHL, SBL,
    X, Y, TETA )
      N = N + 1
60 IF ( N - 2 ) 20, 20, 60
      DTETA = DABS( TETA / HUNDRD )
      DIFF = DABS( TETA - TETA )
      TETA = TETA
C
C---- >>> ARE INITIAL AND FINAL THETAS CLOSE?
C
      IF ( DIFF .LT. DTETA ) GO TO 80
      IF ( N .GT. 25 ) GO TO 80
      GO TO 20
80 TRMOM = TRMOM + TRM / HUNDRD
C
C---- >>> IS TIE ROD MOMENT CONVERGING TO A CONSTANT VALUE?
C
      IF ( DABS( TRMOM ) .GT. DABS( TRM ) ) RETURN
      M = M + 1
      IF ( M .GT. 100 ) RETURN
      GC, TC 20
END

```

```

SUBROUTINE THETA
I
0 ( PRK, PRDST, RBK, RBDST, NPHBR, NRDBR, GC, BMG, PHL, SBL,
    X, Y, TETA )
C
C---- >>> SUBROUTINE TO CALCULATE CROOKEDNESS ANGLE AND FORCES AT
C INTERFACE
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON / BRGTF / PRKX, SPRK, RBKY, SRBK
      COMMON / CLEAR / PCL, RCL
      COMMON / GLDFCR / FX(5), FY(5), F1, F2, F3, F4
C
      DIMENSION PRK( NPHBR ), PRDST( NPHBR ), RBK( NRDBR ), RBDST( NRDBR )
C
      DATA ZERO, ONE, TWO / 0.0000, 1.0000, 2.0000 /
C
C---- >>> MONITOR FOR PROPER SIGN
C
      SIGN = ONE
      IF ( BMG ) 80, 100, 80
80 SIGN = BMG / DABS( BMG )
100 SRPBK = SRBK + SPRK
      F1 = ZERC
      F2 = ZERC
      F3 = ZERC
      F4 = ZERC
C
C---- >>> CASE 1: NO METAL TO METAL CONTACT AT SLIDING CONNECTION
C
      X = ( RBKY + GC * SRBK - PRKX ) / SRPBK
      Y = GC - X
      IF ( PCL .EQ. ZERO .AND. RCL .EQ. ZERO ) GO TO 690
      CF = ZERC
      DO 130 I = 1, NPHBR
      CF = CF + PRK(I) * ( X + PRDST(I) ) * ( X + PRDST(I) )
      DO 140 I = 1, NRDBR
      CF = CF + RBK(I) * ( Y + RBDST(I) ) * ( Y + RBDST(I) )
140 TETA = BMG / CF
      D1 = ( X + PHL ) * DABS( TETA )
      D2 = ( Y + SBL ) * DABS( TETA )
      IF ( D1 .GE. PCL .AND. D2 .GE. RCL ) GO TO 170
      IF ( D1 - PCL ) 150, 200, 200
      IF ( D2 - RCL ) 750, 300, 300
150 D22 = PCL * ( Y + SBL ) / ( X + PHL )
170 IF ( D22 - RCL ) 200, 300, 300
C
C---- >>> CASE 2: CONTACT AT FRONT FACE OF PISTON HEAD
C
200 XNUM = ZERC
      XDEN = ZERC
      A = PHL + GC
      B = DABS( BMG ) / PCL
      DO 210 I = 1, NPHBR
      TEMP = PRK(I) * ( PHL - PRDST(I) )
      XDEN = XDEN + TEMP
      XNUM = XNUM + TEMP * PRDST(I)
210 XNUM = - XNUM
      DC 220 I = 1, NRDBR

```

```

TEMP = RBK(I) * ( A + RBDST(I) )
XDEN = XDEN + TEMP
220 XNUM = XNUM + TEMP * ( GC + RBDST(I) )
XNUM = XNUM - B * PHL
XDEN = B + XDEN
X = XNUM / XDEN
Y = GC - X
TETA = PCL / ( X + PHL ) * SIGN
D3 = DABS( TETA * X )
D2 = ( Y + SBL ) * DABS( TETA )
IF ( D3 .GE. PCL .AND. D2 .GE. RCL ) GO TO 270
IF ( D3 - PCL ) 240, 400, 400
240 IF ( D2 - RCL ) 250, 600, 600
250 F1 = TETA * ( RBKY + GC * SRBK - PRKX - X * SRPBK )
GC TC 750
270 TETA = PCL * TWC / PHL
D2 = ( PHL / TWC + GC + SBL ) * TETA
IF ( D2 - RCL ) 400, 600, 600
C
C---- >>> CASE 3: CONTACT AT FRONT FACE OF STUFFING BOX
C
300 XNUM = ZERO
XDEN = ZERO
A = SBL + GC
B = DABS( BMG ) / RCL
DO 310 I = 1, NPHBR
TEMP = PRK(I) * ( A + PRDST(I) )
XDEN = XDEN + TEMP
310 XNUM = XNUM + TEMP * PRDST(I)
XNUM = - XNUM
DO 320 I = 1, NRDBR
TEMP = RBK(I) * ( SBL - RBDST(I) )
XDEN = XDEN + TEMP
320 XNUM = XNUM + TEMP * ( GC + RBDST(I) )
XNUM = XNUM + B * A
XDEN = B + XDEN
X = XNUM / XDEN
Y = GC - X
TETA = RCL / ( Y + SBL ) * SIGN
D1 = ( X + PHL ) * DABS( TETA )
D4 = DABS( TETA * Y )
IF ( D1 .GE. PCL .AND. D4 .GE. RCL ) GO TO 370
IF ( D1 - PCL ) 340, 600, 600
340 IF ( D4 - RCL ) 350, 500, 500
350 F2 = TETA * ( X * SRPBK - RBKY - GC * SRBK + PRKX )
GO TO 750
370 TETA = RCL * TWC / SBL
D1 = ( PHL + GC + SBL / TWC ) * DABS( TETA )
IF ( D1 - PCL ) 500, 600, 600
C
C---- >>> CASE 4: CONTACT AT FRONT AND BACK FACES OF PISTON HEAD
C
400 X = - PHL / TWC
TETA = TWC * PCL / PHL * SIGN
Y = GC - X
CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR, FX )
CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR, FY )

```

```

DO 470 I = 1, NPHBR
F3 = F3 + FX(I)
470 F1 = F1 + FX(I) * PRDST(I)
DO 480 I = 1, NRDBR
F3 = F3 - FY(I)
480 F1 = F1 + FY(I) * ( GC + RBDST(I) )
F1 = ( BMG - F1 ) / PHL
F3 = F1 + F3
RETURN
C
C---- >>> CASE 5: CONTACT AT FRONT AND BACK FACES OF STUFFING BOX
C
500 X = GC + SBL / TWC
TETA = TWC * RCL / SBL * SIGN
Y = GC - X
CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR, FX )
CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR, FY )
DO 570 I = 1, NPHBR
F2 = - FX(I) * ( GC + PRDST(I) ) + F2
570 F4 = - FX(I) + F4
DO 580 I = 1, NRDBR
F2 = F2 - FY(I) * RBDST(I)
580 F4 = F4 + FY(I)
F2 = ( BMG + F2 ) / SBL
F4 = F2 + F4
RETURN
C
C---- >>> CASE 6: CONTACT AT FRONT FACE OF PISTON HEAD AND FRONT FACE
C OF STUFFING BOX
C
600 TETA = ( PCL + RCL ) / ( PHL + GC + SBL ) * SIGN
X = PCL / DABS( TETA ) - PHL
Y = GC - X
CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR, FX )
CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR, FY )
DO 670 I = 1, NPHBR
F1 = - FX(I) * ( SBL + GC + PRDST(I) ) + F1
670 F2 = FX(I) + F2
DO 680 I = 1, NRDBR
F1 = F1 + FY(I) * ( SBL - RBDST(I) )
680 F2 = - FY(I) + F2
F1 = ( BMG + F1 ) / ( PHL + GC + SBL )
F2 = F1 + F2
RETURN
650 TETA = ZERO
750 CALL GFORCE ( PRK, PRDST, TETA, X, NPHBR, FX )
CALL GFORCE ( RBK, RBDST, TETA, Y, NRDBR, FY )
RETURN
END

```



```

SUBROUTINE GFORCE
I
0      ( AK, DST, TETA, X, N,
        F )
C
C--- >>> SUBROUTINE TO CALCULATE FORCES ON EACH BEARING
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      DIMENSION AK(N), DST(N), F(N)
C
      DO 10 I = 1, N
        F(I) = AK(I) * ( X + DST(I) ) * TETA
10      CONTINUE
      RETURN
      END

```

```

SUBROUTINE THCD5
I
0      ( CYK, RDK, CLT, RLT, CSSTF, RSSTF, TETA, W, TRM,
        B81, B82, CK, RK, CK11, SK11, THC )
C
C--- >>> SUBROUTINE TO CALCULATE SLOPES AT SUPPORTS AND CONSTANTS IN
C      DEFLECTION EQUATIONS
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON EXL, P
      COMMON / CANDDS / C1, C2, D1, D2
      COMMON / CCNSTS / EEL, FFL, AKTFC, AKTHR
      COMMON / ECCTRI / ECLC, ECLR
      COMMON / FRCONS / FCCY, FCRD, CCNM
      COMMON / REATAS / REC, RER
      COMMON / WGTVER / WC, WR
C
      DATA ZERC, ONE / 0.000, 1.000 /
C
      SQP = DSQRT ( P )
      CK = SQP / CYK
      RK = SQP / RDK
      CK2 = CK * CK
      RK2 = RK * RK
      AK11 = CK * CLT
      AK21 = RK * RLT
      AK2L1 = RK * CLT
      AK2EL = RK * EXL
      TK11 = DTAN( AK11 )
      SK11 = DSIN( AK11 )
      CK11 = DCOS( AK11 )
      TK21 = DTAN( AK21 )
      SK21 = DSIN( AK21 )
      CK21 = DCOS( AK21 )
      TK2L1 = DTAN( AK2L1 )
      SK2L1 = DSIN( AK2L1 )
      CK2L1 = DCOS( AK2L1 )
      TK2EL = DTAN( AK2EL )
      SK2EL = DSIN( AK2EL )
      CK2EL = DCOS( AK2EL )
      TK2EL = DTAN( AK2EL )
      AKCON = CK / TK11 + RK / TK21
      BKCON = CK * TK21 + RK * TK11
      CKCON = RK - CK * TK11 * TK21
      DKCON = RK * TK11 * TK21 + CK
      TT = TK11 * TK21
      SS = SK11 * SK21
      CC = CK11 * CK21
      ST = SK11 * TK21
      CCEL = CK21 * CK2EL
      TS = TK11 * SK21
      WRPK2 = WR / ( P * RK2 )
      WCPK2 = WC / ( P * CK2 )
      WCWR = WRPK2 - WCPK2 + TRM / P
      AKCBP = CSSTF / P
      AKRBP = RSSTF / P
      EEL = ( ECLR - ECLC ) / EXL
      FFL = ( FCRD - FCCY ) / EXL
      B81 = CCNM / P + FCCY - ECLC - WCPK2 + TRM / P
      B82 = FCRD - ECLR - WRPK2
      B83 = TETA + W / P

```

```

C
C---- >>> CALCULATE SLOPES AT CYLINDER AND ROD SUPPORTS
C
      A11 = ONE - AKCBP * CK * CKCON / BKCON + AKCBP / EXL
      A12 = AKRBP * CK * RK / BKCON / CC - AKRBP / EXL
      B1  = ( BB1 * CKCON / TT - WCWR * RK / ST - BB2 * RK
            / SS + BB3 / SK1L1 ) * CK / AKCON - EEL + FFL
            - REC / P
      *
      *
      A21 = - AKCBP * CK * RK / BKCON / CC + AKCBP / EXL
      A22 = ONE + AKRBP * CK2L1 * DKCON * RK / CCEL / BKCON
            - AKRBP * RK * TK2EL - AKRBP / EXL
      *
      *
      B2  = ( BB1 * CK / CC - BB2 * DKCON * CK2L1 / CCEL
            - WCWR * CK / CK2L2 - BB3 * TK1L1 / CK2L2 ) * RK
            / BKCON + BB2 * RK * TK2EL - EEL + FFL + RER / P
      *
      *
      THDEN = A11 * A22 - A12 * A21
      THC   = ( B1 * A22 - A12 * B2 ) / THDEN
      THR   = ( A11 * B2 - A21 * B1 ) / THDEN
      AKTHC = AKCBP * THC
      AKTHR = AKRBP * THR
      BB1   = BB1 + AKTHC
      BB2   = BB2 + AKTHR

```

```

C
C---- >>> CALCULATE CONSTANTS IN DEFLECTION EQUATIONS
C

```

```

      C1 = -BB1
      D1 = ( BB1 * CKCON / TT - WCWR * RK / ST - BB2 * RK
            / SS + BB3 / SK1L1 ) / AKCON
      *
      *
      D2 = ( BB1 * CK * CK2EL / SS - BB2 * DKCON * CK2L1
            / TS - WCWR * CK * CK2EL / TS - BB3 * CK2EL
            / SK2L2 ) / AKCCN
      *
      *
      C2 = ( - D2 * SK2EL - BB2 ) / CK2EL

```

```

RETURN
END

```

```

SUBROUTINE STOPTB
      I ( TETA, NPHBR, NRDBR, ALTH, ALF, STROK, ITERAT, GC )
C
C---- >>> SUBROUTINE TO CALCULATE THE REQUIRED LENGTH OF STOP-TUBE
C
      IMPLICIT REAL * 8 ( A - H, C - Z )
      COMMON / GLDFOR / FX(5), FY(5), F1, F2, F3, F4
C
      DATA TWO, HUNDRD / 2.0000, 100.0000 /
C
C
C---- >>> INCREMENT FOR STOP-TUBE LENGTH
C
      GCI = STROK / HUNDRD
C
C---- >>> CALCULATE TOTAL LATERAL FORCE
C
      TF = DABS( F1 ) + DABS( F2 ) + DABS( F3 ) + DABS( F4 )
      DO 10 I = 1, NPHBR
      10 TF = TF + DABS( FX(I) )
      DO 20 I = 1, NRDBR
      20 TF = TF + DABS( FY(I) )
      F = TF / TWO
C
C---- >>> CHECK TOTAL FORCE AND CROOKEDNESS ANGLE LIMITS
C
      IF ( F .LT. ALF .AND. DABS( TETA ) .LT. ALTH ) RETURN
      GC = GC + GCI
      IF ( GC - STROK / TWO / TWO ) 120, 120, 900
      120 ITERAT = 2
      RETURN
      900 PRINT 910
      910 FORMAT ( 'H1, ///, 5( 25H* * * * ERRCR * * * *, / ),
      1 ///, 45HFORCE AND CROOKEDNESS ANGLE LIMITS AT //
      2 45HSLIDING CONNECTION ARE TOO SMALL; //
      3 45HRESULTS IN UNECONOMICAL DESIGN; //
      4 45HSTOP TUBE LENGTH BECOMES > STROKE / 4; //
      5 45HSUGGESTION - INCREASE LIMITING VALUES. // )
      STOP
      END

```

```

SUBRCUTINE XATYMX
I      ( CLT, CK, RK, DEFG,
O      XCY, XRD, CSLPC, CSLPR )
C
C---- >>> SUBROUTINE TO CALCULATE THE DISTANCES AT WHICH MAXIMUM
C      DEFLECTIONS OCCUR
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON EXL, P
      COMMON / CANDDS / C1, C2, D1, D2
      COMMON / CONSTS / EEL, FFL, AKTHC, AKTHR
      COMMON / REATNS / REC, RER
      COMMON / WGTVER / WC, WR
C
      DATA ZERG, HUNDRD / 0.000, 100.000 /
C
C---- >>> INCREMENT FOR X
C
      AINCR = CLT / HUNDRD
      CSLP  = - EEL + FFL - ( AKTHC - AKTHR ) / EXL
      CSLPC = CSLP - REC / P
      CSLPR = CSLP + RER / P
      XCY   = CLT
      XRD   = CLT
C
C---- >>> POINT AT WHICH MAXIMUM DEFLECTION OCCURS IN CYLINDER
C
      100      ANG = CK * XCY
              CSLOP = - C1 * CK * DSIN( ANG ) + D1 * CK * DCOS( ANG )
              *   + CSLPC + WC * XCY / P
              IF ( DEFG ) 140, 140, 120
              120      IF ( CSLOP ) 160, 160, 200
              140      IF ( CSLOP ) 200, 160, 160
              160      XCY = XCY - AINCR
              GO TO 100
C
C---- >>> POINT AT WHICH MAXIMUM DEFLECTION OCCURS IN ROD
C
      200      ANG = RK * XRD
              RSLOP = - C2 * RK * DSIN( ANG ) + D2 * RK * DCOS( ANG )
              *   + CSLPR - WR * ( EXL - XRD ) / P
              IF ( DEFG ) 240, 240, 220
              220      IF ( RSLOP ) 300, 260, 260
              240      IF ( RSLOP ) 260, 260, 300
              260      XRD = XRD + AINCR
              GO TO 200
300 RETURN
      END

```

```

SUBRCUTINE YMAXS
I      ( XCY, XRD, CK, RK, CSLPC, CSLPR, BB1, BB2,
O      YCMAX, YRMAX )
C
C---- >>> SUBROUTINE TO CALCULATE MAX. DEFLECTIONS IN CYLINDER AND ROD
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON EXL, P
      COMMON / CANDDS / C1, C2, D1, D2
      COMMON / WGTVER / WC, WR
C
      DATA TWO / 2.0000 /
C
      CANG = XCY * CK
      RANG = XRD * RK
      TWOP = TWO * P
      XRDP = EXL - XRD
C
C---- >>> MAXIMUM DEFLECTION IN CYLINDER
C
      *   YCMAX = C1 * DCOS( CANG ) + D1 * DSIN( CANG )
          + CSLPC * XCY + BB1 + WC * XCY * XCY / TWOP
C
C---- >>> MAXIMUM DEFLECTION IN ROD
C
      *   YRMAX = C2 * DCOS( RANG ) + D2 * DSIN( RANG )
          - CSLPR * XRDP + BB2 + WR * XRDP * XRDP / TWOP
      * RETURN
      END

```

```

SUBROUTINE STRCHS
I      ( KEYF, KEYT, KEYP, XCY, XRD, YCMAX, YRMAX, RIC, CHDS,
I      OPPE, FYRODT, FYCLY, PINCR1, PINCR2, KEYST, LFLUID,
I      TRM, FCON, TSTR, TSTRB, KEYTR,
O      HSC, HSR, CSTR, CSTRP, RSTR, RSTRP, CSS, NCSS, RSS, NRSS)

C----- >>> SUBROUTINE TO CHECK THE MAXIMUM STRESSES WITH THE LIMITING
C          STRESSES
C
IMPLICIT REAL * 8 ( A - H, O - Z )
COMMON EXL, P
COMMON / CAREAS / BAREAC, BAREAR, CAREAC, CAREAR, RAREAC
COMMON / CONSTS / EEL, FFL, AKTHC, AKTHR
COMMON / CRPROP / RDZ, CYZ, RDZI, CYZI, HSCCI, HSCCO, HSCRI, HSCRO
COMMON / ECCTRI / ECLC, ECLR
COMMON / FRCNS / FCCY, FCRD, CGNM
COMMON / REATNS / REC, RER
COMMON / TIERGD / TRL, CLE, TRCA, R, PRC, ETR, FYTR, TRIF
COMMON / WGTVER / WC, WR

C
DATA ZERC, TWC / 0.0000, 2.0000 /
DATA LYES / 3HYES /

C----- >>> CALCULATE BENDING MOMENTS AT MAXIMUM DEFLECTION POINTS
C
      BMCI = ( EEL - FFL + ( AKTHC - AKTHR ) / EXL ) * P * XCY
      BMC  = DABS( BMCI + REC * XCY - CGNM - P * FCCY - AKTHC
      * P - TRM - WC * XCY * XCY / TWO + P * ( ECLC + YCMAX ) )
      *
      XRD  = EXL - XRD
      BMR  = DABS( - BMCI * XRD / XCY + RER * XRD - P
      * FCRD - AKTHR * P - WR * XRD * XRD / TWO
      * P * ( ECLR + YRMAX ) )

C----- >>> CALCULATE BENDING MOMENTS AT SUPPORTS
C
      BMCP = DABS( - CGNM - P * ( FCCY + AKTHC - ECLC ) - TRM )
      BMRP = DABS( - P * ( FCRD + AKTHR - ECLR ) )

C----- >>> CALCULATE FINAL TENSIONS IN TIE RODS
C
      FT = TRIF - P * FCON
      TRMF = TRM / ( TWO * R )
      FTT = FT / TWC - TRMF
      FTB = FT / TWO + TRMF
      IF ( FTT .GT. ZERC .OR. FTB .GT. ZERO ) GO TO 10
      KEYTR = 2
      KEYF = 2
10    CONTINUE

C----- >>> CALCULATE ALL STRESSES
C----- >>> HOOP STRESSES
C
      PRE = P / BAREAC
      HSC = HSCCI * PRE
      HSCO = HSCCO * PRE
      HSR = ZERC
      IF ( LFLUID .EQ. LYES ) HSR = HSCRI * PRE

```

```

      HSCRO = ZERC
      IF ( LFLUID .EQ. LYES ) HSR = HSCRO * PRE

C----- >>> LONGITUDINAL STRESSES
C
      FTSTR = FT / CAREAC
      CSTR  = BMC / CYZ + FTSTR
      CSTR1 = BMC / CYZI + FTSTR
      CSTRP = BMCP / CYZ + FTSTR
      CSTRPI = BMCP / CYZI + FTSTR
      PR = P
      IF ( LFLUID .EQ. LYES ) PR = P - PRE * BAREAR
      AXRST = PR / CAREAR
      RSTR  = BMR / RDZ + AXRST
      RSTR1 = BMR / RDZI + AXRST
      RSTRP = BMRP / RDZ + AXRST
      RSTRPI = BMRP / RDZI + AXRST

C----- >>> TIE ROD LONGITUDINAL STRESSES
C
      TSTR  = FTT * TWC / TRCA
      TSTRB = FTB * TWC / TRCA

C----- >>> SHEAR STRESSES
C
      CSSO = HSCO + CSTR
      CSSI = HSC + CSTR1
      CSSPO = HSCCO + CSTRP
      CSSPI = HSC + CSTRPI
      IF ( CSSPO .GT. CSSPI .AND. CSSPC .GT. CSSO .AND. CSSPO .GT. CSSI ) GO TO 40
      IF ( CSSPI .GT. CSSO .AND. CSSPI .GT. CSSI ) GO TO 30
      IF ( CSSO .GT. CSSI ) GO TO 20
      CSS = CSSI
      NCSS = 2
20    GO TO 50
      CSS = CSSO
      NCSS = 1
30    GO TO 50
      CSS = CSSPI
      NCSS = 2
40    GO TO 50
      CSS = CSSPC
      NCSS = 1
50    RSS = ZERO
      NRSS = 0
      IF ( LFLUID .NE. LYES ) GO TO 90
      RSSPO = HSR + RSTRP
      RSSPI = HSR + RSTRPI
      RSSO = HSR + RSTR
      RSSI = HSR + RSTR1
      IF ( RSSPC .GT. RSSPI .AND. RSSPC .GT. RSSO .AND. RSSPO .GT. RSSI ) GO TO 60
      IF ( RSSPI .GT. RSSO .AND. RSSPI .GT. RSSI ) GO TO 70
      IF ( RSSO .GT. RSSI ) GO TO 60
      RSS = RSSI
      NRSS = 2
60    GO TO 90
      RSS = RSSC
      NRSS = 1
70

```

```

70      GO TO 90
        RSS      = RSSPI
        NRSS     = 2
      GO TO 90
80      RSS      = RSSPD
        NRSS     = 1
90      CONTINUE
        IF ( KEYF .NE. 1 ) GO TO 500
        IF ( KEYST .NE. 1 ) GO TO 500
C
C---- >>> CHECK WITH LIMITING STRESSES
C
        STRMX1 = DMAX1( CSTR, CSTRP, HSC, CSS )
        STRMX2 = DMAX1( RSTR, RSTRP, HSR, RSS )
        IF ( STRMX1 .GT. FYCYLT .OR. STRMX2 .GT. FYRODT ) GO TO 100
        IF ( ( TSTRT .GT. FYTR ) .OR. ( TSTRB .GT. FYTR ) ) GO TO 100
        IF ( KEYT .EQ. 2 ) GO TO 400
C
C---- >>> CHANGE THE TRIAL LOAD CORRESPONDINGLY
C
        P      = P + PINCR1
      RETURN
100     IF ( KEYP .EQ. 2 ) GO TO 200
        P      = P - PINCR1 + PINCR2
        TRM    = ZERO
        KEYT   = 2
      RETURN
C
C---- >>> ITERATIVE REFINEMENT SECTION
C
200     P      = P - PINCR2
        TRM    = ZERO
        KEYF   = 2
      RETURN
400     P      = P + PINCR2
        KEYP   = 2
      RETURN
500     KEYF   = 3
      RETURN
      END

```

```

SUBROUTINE SEPPRE ( CLE )
C
C---- >>> SUBROUTINE TO CALCULATE THE SEPARATION PRESSURES FOR ALL
C      PISTON HEAD POSITIONS IN A CYCLE OF OPERATION
C
      IMPLICIT REAL * 8 ( A - H, O - Z )
      COMMON / CAREAS / BAREAC, BAREAR, CAREAC, CAREAR, RAREAC
      COMMON / SEPCCN / SLAE, TEMPC, TEMPR, CCL, FBAC, FBAR
      COMMON / SEPRES / SP1, SP2, SP3, SP4, SP5, SP6
C
      DATA ONE / 1.0000 /
C
        SP3 = FBAC / ( ONE - ( CLE - TEMPC ) / SLAE )
        SP6 = FBAR / ( ONE - ( CLE - TEMPR * BAREAC / RAREAC )
1         / SLAE )
        IF ( CCL ) 20, 10, 10
C
C---- >>> FOR SUPPORT AT CYLINDER CAP
C
10      SP2 = FBAC * SLAE / TEMPC
        SP4 = FBAR / ( ONE - CLE / SLAE )
        SP5 = SP6
      RETURN
C
C---- >>> FOR INTERMEDIATE SUPPORT ALONG CYLINDER LENGTH
C
20      SP1 = FBAC / ( ONE + CCL / SLAE )
        SP2 = FBAC / ( ONE - ( -CCL - TEMPC ) / SLAE )
        SP4 = FBAR / ( ONE - ( CLE + CCL ) / SLAE )
        SP5 = FBAR / ( ONE - ( CLE + CCL - TEMPR * BAREAC /
1         RAREAC ) / SLAE )
      RETURN
      END

```

```

SUBROUTINE OUTPUT
I      ( KWIT, BAREAC, XCY, XRD, YCMAX, YRMAX, CHDS, GC, TETA,
I      FYCYLT, FYRCDT, CSTR, CSTRP, RSTR, RSTRP, HSC, HSR, EPTK,
I      FYTR, KEYTR, NPHBR, NRBR, THC, CSS, NCSS, RSS, NRSS,
I      TSTRT, TSTRB )
C
C---- >>> SUBROUTINE TO PRINT ALL THE RESULTS
C
IMPLICIT REAL * 8 ( A - H, C - Z )
COMMON EXL, P
COMMON / ENDS / LCEND, LREND
COMMON / FSOPT / OPPRE, ALTH, ALF, FS, LFSTP
COMMON / GLDFOR / FX(5), FY(5), F1, F2, F3, F4
COMMON / ID / IDCARD(40), NPRCB, IPRCB(19), LPRTP
COMMON / SEPRES / SP1, SP2, SP3, SP4, SP5, SP6
COMMON / UNITS / LNTU, LDUU, LPREU, LANGU
C
DATA ZERO, ONE, TWO, H180 / 0.0000, 1.0000, 2.0000, 180.0000 /
DATA PI / 3.141592653589793000 /
DATA LDEG, LFIX / 4HDEG, 3HFIX /
C
C---- >>> FORMATS
C
100 FORMAT ( 1H1, 5X, 36HPROGRAM SACTIE - STRESS ANALYSIS OF ,
1 23HCYLINDERS WITH TIE RODS, //, 2( 5X, 20A4, / ), / )
110 FORMAT ( 5X, 8HPROBLEM, A4, //, 1X, 19A4 )
120 FORMAT ( //, 5X, 35HRESULTS: CRITICAL LOAD ANALYSIS, / )
130 FORMAT ( //, 5X, 44HRESULTS: ANALYSIS FOR A GIVEN OPERATING ,
1 8HPRESSURE, / )
140 FORMAT ( //, 5X, 45HRESULTS: ANALYSIS TO DETERMINE STOP-TUBE ,
1 6HLENGTH, / )
150 FORMAT ( //, 14X, 25HCRTICAL LCAD = ,1PD10.3, 4X, A4,
1 //, 14X, 25HMAXIMUM FLUID PRESSURE = ,1PD10.3, 4X, A4,
2 //, 14X, 25HCROCKEDNESS ANGLE = ,1PD12.5, 2X, A4, / )
160 FORMAT ( //, 14X, 25HOPERATING PRESSURE = ,1PD10.3, 4X, A4,
1 //, 14X, 25HLOAD = ,1PD10.3, 4X, A4,
2 //, 14X, 25HCROCKEDNESS ANGLE = ,1PD12.5, 2X, A4, / )
180 FORMAT ( //, 5X, 34HREQUIRED LENGTH OF STOP-TUBE = 1PD10.3, 4X, A4
1 //, 5X, 34HCORRESPONDING EXTENDED LENGTH = 1PD10.3, 4X, A4
2 //, 5X, 32HRESULTS WITH THIS STOP-TUBE ARE: / )
250 FORMAT ( 1H1, /, 5X, 40HANALYSIS AFTER APPLYING GIVEN FACTOR OF ,
1 10HSAFETY OF, F6.3, 2X, 2HON, 2X, A4, 2H: / )
260 FORMAT ( //, 14X, 25HLOAD = ,1PD10.3, 4X, A4,
1 //, 14X, 25HFLUID PRESSURE = ,1PD10.3, 4X, A4,
2 //, 14X, 25HCROCKEDNESS ANGLE = ,1PD12.5, 2X, A4, / )
300 FORMAT ( //, 5X, 9HCYLINDER:,
1 //, 10X, 29HMAXIMUM DEFLECTION = ,1PD10.3, 4X, A4,
2 //, 10X, 29HMAXIMUM LONGITUDINAL STRESS = ,1PD10.3, 4X, A4,
3 //, 10X, 29HAT A DISTANCE FROM CYL SUP = ,1PD10.3, 4X, A4,
4 //, 10X, 29HFACTOR OF SAFETY ON CYL = ,1PD10.3, / )
310 FORMAT ( //, 10X, 29HMAX LONG STRESS AT CYL END = ,1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON CYL = ,1PD10.3, / )
312 FORMAT ( //, 10X, 29HMAX SHEAR STRESS IN CYL = ,1PD10.3, 4X, A4,
1 //, 10X, 24HAT MAX LONG STRESS POINT )
314 FORMAT ( 10X, 21HAND AT OUTER SURFACE )
316 FORMAT ( 10X, 21HAND AT INNER SURFACE )
318 FORMAT ( //, 10X, 29HFACTOR OF SAFETY ON CYL = ,1PD10.3, / )
320 FORMAT ( //, 10X, 29HMAXIMUM HOOP STRESS IN CYL = ,1PD10.3, 4X, A4,

```

```

1 //, 10X, 29HFACTOR OF SAFETY ON CYL = ,1PD10.3, / )
325 FORMAT ( //, 10X, 29HEND REFLECTION IN OVERHANG = ,1PD10.3, 4X, A4 )
330 FORMAT ( //, 5X, 9HRD : ,
1 //, 10X, 29HMAXIMUM DEFLECTION = ,1PD10.3, 4X, A4,
2 //, 10X, 29HMAXIMUM LONGITUDINAL STRESS = ,1PD10.3, 4X, A4,
3 //, 10X, 29HAT A DISTANCE FROM CYL SUP = ,1PD10.3, 4X, A4,
4 //, 10X, 29HFACTOR OF SAFETY ON ROD = ,1PD10.3, / )
340 FORMAT ( //, 10X, 29HMAX LONG STRESS AT ROD END = ,1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON ROD = ,1PD10.3, / )
342 FORMAT ( //, 10X, 29HMAX SHEAR STRESS IN ROD = ,1PD10.3, 4X, A4,
1 //, 10X, 24HAT MAX LONG STRESS POINT )
348 FORMAT ( //, 10X, 29HFACTOR OF SAFETY ON ROD = ,1PD10.3, / )
350 FORMAT ( //, 10X, 29HMAXIMUM HOOP STRESS IN ROD = ,1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON ROD = ,1PD10.3, / )
360 FORMAT ( 1H1, //, 5X, 29HFORCES AT SLIDING CONNECTION:, //, 15X,
1 23HPISTON BEARINGS (SEALS), 6X, 5HFORCE, /, 25X, 2HNO, / )
370 FORMAT ( //, 5( 25X, 12, 12X, 1PD10.3, 2X, A4, // )
380 FORMAT ( //, 18X, 20HROD BEARINGS (SEALS), 6X, 5HFORCE, /, 25X, 2HNO, / )
390 FORMAT ( //, 8X38HF1- FORCE AT PISTON HEAD FRONT FACE =1PD11.3, 2XA4
1 //, 8X38HF2- FORCE AT STUFFING BOX FRONT FACE =1PD11.3, 2XA4
2 //, 8X38HF3- FORCE AT PISTON HEAD BACK FACE =1PD11.3, 2XA4
3 //, 8X38HF4- FORCE AT STUFFING BOX INNER FACE =1PD11.3, 2XA4
4 //, 11X, 33HZERO FORCES INDICATE NO CONTACT, / )
400 FORMAT ( //, 10X, 39HTHETA EQUAL TO ZERO IMPLIES CONTINUOUS ,
1 17HCONTACT AT GLAND. , /, 10X,
2 34HABOVE FORCES CANNOT BE CALCULATED.
3 33HWHENCE, ARE PRINTED OUT AS ZERO'S. , // )
420 FORMAT ( //, 5X, 9HTIE RODS: / )
430 FORMAT ( //, 10X, 29HSTRESS IN TOP RODS = ,1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON THESE = ,1PD10.3, / )
440 FORMAT ( //, 10X, 29HSTRESS IN BOTTOM RODS = ,1PD10.3, 4X, A4,
1 //, 10X, 29HFACTOR OF SAFETY ON THESE = ,1PD10.3, / )
450 FORMAT ( 1H1, //, 5X,
1 44HSEPARATION PRESSURES WITH CYLINDER STRAIGHT: //, 13X,
2 15HSTROKE POSITION, 5X, 13HPRESSURE ON ,
3 19HSEPARATION PRESSURE, / )
460 FORMAT ( //, 10X, 33HRETRACTED (NO CONTACT) CAP SIDE,
1 5X, 13HNO SEPARATION, / )
470 FORMAT ( //, 10X, 33HRETRACTED (NO CONTACT) CAP SIDE, 4X, 1PD10.3,
1 2X, A4, / )
480 FORMAT ( //, 10X, 33HEXTENDED (NO CONTACT) CAP SIDE, 1PD14.3, 2X, A4,
1 //, 10X, 33HEXTENDED (CONTACT) CAP SIDE, 1PD14.3, 2X, A4,
2 //, 10X, 33HEXTENDED (NO CONTACT) ROD SIDE, 1PD14.3, 2X, A4,
3 //, 10X, 33HRETRACTED (NO CONTACT) ROD SIDE, 1PD14.3, 2X, A4,
4 //, 10X, 33HRETRACTED (CONTACT) ROD SIDE, 1PD14.3, 2X, A4 )
490 FORMAT ( //, 5X, 27HFAILURE DUE TO SEPARATION: ,
1 21HTOP OR BOTTOM TIE ROD, /, 5X,
2 28HFORCE BECAME LESS THAN ZERO. , / )
C
TEMP = H180 / PI
IF ( LANGU .EQ. LDEG ) TETA = TETA * TEMP
PRE = P / BAREAC
IF ( KWIT .NE. 1 ) GO TO 54C
C
C---- >>> PRINT ALL RESULTS
C
PRINT 100, ( IDCARD(I), I = 1, 40 )
PRINT 110, NPRCB, ( IPRCB(I), I = 1, 19 )

```

```

      GO TO ( 510, 520, 530 ), LPRTP
510 PRINT 120
   PRINT 150, P, LODU, PRE, LPREU, TETA, LANGU
      GO TO 550
520 PRINT 130
   PRINT 160, OPPRE, LPREU, P, LODU, TETA, LANGU
      GO TO 550
530 PRINT 140
   PRINT 180, GC, LNTU, EXL, LNTU
   PRINT 150, P, LODU, OPPRE, LPREU, TETA, LANGU
      GO TO 550
540 PRINT 250, FS, LFSTP
   PRINT 260, P, LODU, PRE, LPREU, TETA, LANGU
C
C--- >>> CALCULATE THE FACTOR OF SAFETY'S ON MAXIMUM STRESSES WITH
C      LIMITING STRESSES AND PRINT
C
550      FCSF = FYCYLT / CSTR
   PRINT 300, YCMAX, LNTU, CSTR, LPREU, XCY, LNTU, FCSF
   IF ( CSTRP .GT. ZERO ) FCSF = FYCYLT / CSTRP
   IF ( LCEND .EQ. LFIX ) PRINT 310, CSTRP, LPREU, FCSF
      FCSF = FYCYLT / CSS
      CSS = CSS / TWO
   PRINT 312, CSS, LPREU
   IF ( NCSS .EQ. 1 ) PRINT 314
   IF ( NCSS .EQ. 2 ) PRINT 316
   PRINT 318, FCSF
      FCSF = FYCYLT / HSC
   PRINT 320, HSC, LPREU, FCSF
   IF ( ( CHDS + EPTK ) .GT. ZERO ) GO TO 560
      ENDDF = THC * CHCS
   PRINT 325, ENDDF, LNTU
560      FCSF = FYRODT / RSTR
   PRINT 330, YRMAX, LNTU, RSTR, LPREU, XRD, LNTU, FCSF
   IF ( RSTRP .GT. ZERO ) FCSF = FYRODT / RSTRP
   IF ( LREND .EQ. LFIX ) PRINT 340, RSTRP, LPREU, FCSF
   IF ( HSR .EQ. ZERO ) GO TO 570
      FCSF = FYRODT / RSS
      RSS = RSS / TWO
   PRINT 342, RSS, LPREU
   IF ( NRSS .EQ. 1 ) PRINT 314
   IF ( NRSS .EQ. 2 ) PRINT 316
   PRINT 348, FCSF
      FCSF = FYRODT / HSR
   PRINT 350, HSR, LPREU, FCSF
570      FCSF = FYTR / TSTRT
   PRINT 420
   PRINT 430, TSTRT, LPREU, FCSF
      FCSF = FYTR / TSTRB
   PRINT 440, TSTRB, LPREU, FCSF
   IF ( KWIT .EQ. 1 .AND. KEYTR .EQ. 2 ) PRINT 490
   PRINT 360
   PRINT 370, ( I, FX(I), LODU, I = 1, NPHBR )
   PRINT 380
   PRINT 370, ( I, FY(I), LODU, I = 1, NRDBR )
   PRINT 390, F1, LODU, F2, LODU, F3, LODU, F4, LODU
   IF ( TETA .EQ. ZERC ) PRINT 400
   IF ( KWIT .EQ. 1 .AND. FS .GT. ONE ) RETURN
      PRINT 450
      IF ( CHDS + EPTK ) 600, 590, 590
590 PRINT 460
      GO TO 610
600 PRINT 470, SP1, LPREU
610 PRINT 480, SP2, LPREU, SP3, LPREU, SP4, LPREU, SP5, LPREU, SP6, LPREU
      RETURN
      END

```

```

000000001111111122222222333333334444444455555556666666777777778
1234567890123456789012345678901234567890123456789012345678901234567890
CARD
1 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
2 CODED JUNE 9, 1976 BY K. L. SESHASAI
3 TIE1 LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER.
4
5
6 INCH KIPS KSI DEG
7 50.0 6.13 4.44 0.76 3.0 NO
8 56.13 56.82 116.71 0.0
9 7.0 6.0 3.0 0.0 4.75 4.75 5.989 3.009
10 61.33 56.63 4.0 3.1
11 0.316 0.451 500.0 2.375
12 0.365 0.25 1000.0 3.9
13 0.316 0.451 500.0 5.45 END
14 0.35 0.2 750.0 END
15 0.0032 0.002 0.05 0.07 29000.0 29000.0 125.0 125.0
16 0.25 29000.0 125.0 240.0
17 0.0 PIN PIN +0.025 +0.025 +0.1 +0.12
18 2.0 LOAD
19 TIE2 LPRTP=1; P-P; HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.
20 KEEP KEEP
21 50.0 6.13 4.44 0.76 3.0
22 56.13 56.82 116.71 0.0
23 7.0 6.0 3.0 0.0 4.75 5.989
24 0.0 0.009
25 61.33 56.63 4.0 3.1
26 2100.0 2.375
27 6800.0 3.9
28 2100.0 5.45 END
29 3900.0 3.15 END
30 90.0 PIN FIX -0.02 +0.1 -0.05
31 4.0
32 TIE3 LPRTP=1; F-F; SOLID ROD; 30 DEG INCLINED CYL.
33
34 INCH LBS PSI DEG
35 50.0 6.13 4.44 0.76 3.0
36 56.13 56.82 116.71
37 7.0 6.0 3.0 0.0
38 0.005 0.011 0.009
39 61.33 56.63 4.0 3.1
40 2100000.0 2.375
41 8800000.0 3.9
42 2100000.0 5.45 END
43 0.35 0.2 750000.0 1.75
44 0.35 0.4 250000.0 3.5 END
45 3.2 2.0 50.0 70.0 29000000. 29000000. 75000.0 125000.0
46 0.25 29000000.0 125000.0 240000.0
47 30.0 FIX FIX -0.05 -0.025
48
49 TIE4 LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.
50
51 INCH KIPS KSI RAD
52 60.0 6.13 4.44 0.76 -15.0
53 66.13 66.82 118.71 0.0
54 6.5 5.5 2.75 2.0 3.0 5.49 2.76

```

```

000000001111111122222222333333334444444455555556666666777777778
1234567890123456789012345678901234567890123456789012345678901234567890
CARD
55 0.005 0.01 0.008
56 71.33 66.63 4.0 2.8
57 0.316 0.451 500.0 2.375
58 6800.0 3.9
59 2100.0 5.45 END
60 0.35 0.2 750.0 3.15 END
61 0.003 0.00175 0.04 0.06 29000.0 29000.0 100.0 125.0
62 0.25 29000.0 125.0 240.0
63 0.0 PIN PIN +0.05 +0.01
64 1.0 LOAD
65 TIE5 LPRTP=2; F-P; HOLLOW ROD WITH FLUID; INCLINED CYLINDER; METRIC UNITS.
66 2
67 CM KGS KGSC RAD
68 127.0 15.57 11.28 1.93 7.62 YES
69 142.57 144.38 296.5 0.0
70 17.78 15.24 7.62 3.8 12.0 15.22 7.64
71 0.01
72 155.78 144.07 25.0 7.75
73 0.8 1.15 35000.0 6.0
74 1.0 0.8 70000.0 10.0
75 371000.0 13.5 END
76 1.0 0.5 50000.0 8.0 END
77 1.5 1.0 23.0 32.0 2100000.0 2100000.0 7050.0 8800.0
78 0.25 2100000.0 10000.0 125000.0
79 0.75 FIX PIN -0.05 +0.1
80 175.0
81 TIE6 LPRTP=3; P-P; SOLID ROD; HORIZONTAL CYLINDER.
82 3
83 INCH KIPS KSI DEG
84 60.0 6.13 4.44 0.76 3.0 NO
85 7.0 6.0 3.0 0.0 4.75 4.75 5.989 3.009
86 0.005 4.0 3.1
87 2100.0 2.375
88 8800.0 3.9
89 2100.0 5.45 END
90 3900.0 3.15 END
91 0.0032 0.002 0.05 0.07 29000.0 29000.0 100.0 125.0
92 0.25 29000.0 125.0 240.0
93 0.0 PIN PIN 0.0 -0.05 +0.1
94 2.0 0.0075 10.0
95
96 THIS IS A BLANK CARD

```


PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIE1

LPRTP=1: P-P: SOLID ROD; HORIZONTAL CYLINDER.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	DEG

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
5.000000 01	6.130000 00	4.440000 00	7.600000-01	3.000000 00
CYLINDER	ROD	EXTENDED	STOP TUBE	
5.613000 01	5.682000 01	1.167100 02	0.0	

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER	
7.000000 00	6.000000 00	3.000000 00	0.0	SOLID ROD
CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @	
4.750000 00	4.750000 00	5.989000 00	3.009000 00	
(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)				

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
0.0	0.0	0.0
(@ ZERO, OTHER OPTION IS INPUT)		

TIE RODS DETAILS:

CLEAR TIE ROD LENGTH	=	6.133000 01
EXACT CYLINDER LENGTH	=	5.663000 01
TOTAL TIE RODS CROSS SECTIONAL AREA	=	4.000000 00
DIST OF TIE RODS FROM CYL AXIS (IN PLANE OF BENDING)	=	3.100000 00

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.160000-01	4.510000-01	5.000000 02	0.0	2.375000 00
3.450000-01	2.500000-01	1.000000 03	0.0	3.900000 00
3.160000-01	4.510000-01	5.000000 02	0.0	5.450000 00

ROD BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.500000-01	2.000000-01	7.500000 02	0.0	3.150000 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT
 ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD (PER UNIT LENGTH)	PISTON HEAD	STUFFING BOX
3.200000-03	2.000000-03	5.000000-02	7.000000-02

MATERIAL PROPERTIES:

	CYLINDER	ROD	TIE RODS
YOUNGS MODULUS	2.900000 04	2.900000 04	2.900000 04
YIELD STRESS	1.250000 02	1.250000-02	1.250000 02
POISSONS RATIO	2.500000-01		

TOTAL INITIAL FORCE IN TIE RODS = 2.400000 02

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 0.0

SUPPORT CONDITIONS:	CYLINDER END	ROD END
	PIN	PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	2.500000-02	2.500000-02
LOADING ECCENTRICITIES:	1.000000-01	1.200000-01

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

FACTOR OF SAFETY = 2.000 ON LOAD

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIE1

LPRTP=1; P-P; SOLID ROD; HORIZONTAL CYLINDER.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD = 1.2960 02 KIPS
 MAXIMUM FLUID PRESSURE = 4.5830 00 KSI
 CROOKEDNESS ANGLE = 4.803230-02 DEG

CYLINDER:

MAXIMUM DEFLECTION = 1.9010 00 INCH
 MAXIMUM LONGITUDINAL STRESS = 3.5300 01 KSI
 AT A DISTANCE FROM CYL SUP = 5.8960 01 INCH
 FACTOR OF SAFETY ON CYL = 3.5410 00

 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 3.1680 01 KSI
 FACTOR OF SAFETY ON CYL = 1.9730 00

 MAXIMUM HOOP STRESS IN CYL = 2.9970 01 KSI
 FACTOR OF SAFETY ON CYL = 4.1710 00

ROD :

MAXIMUM DEFLECTION = 2.0800 00 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.2520 02 KSI
 AT A DISTANCE FROM CYL SUP = 7.1350 01 INCH
 FACTOR OF SAFETY ON ROD = 9.9870-01

TIE RODS:

STRESS IN TOP RODS = 5.1760 01 KSI
 FACTOR OF SAFETY ON THESE = 2.4150 00

 STRESS IN BOTTOM RODS = 6.0640 01 KSI
 FACTOR OF SAFETY ON THESE = 2.0610 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	2.5500 00 KIPS
2	2.1830 01 KIPS
3	7.9650 00 KIPS

ROD BEARINGS (SEALS) NO	FORCE
1	1.3460 01 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 1.8880 01 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

ANALYSIS AFTER APPLYING GIVEN FACTOR OF SAFETY OF 2.000 ON LOAD:

LOAD = 6.479D 01 KIPS
 FLUID PRESSURE = 2.292D 00 KSI
 CRUOKEDNESS ANGLE = 7.46412D-03 DEG

CYLINDER:

MAXIMUM DEFLECTION = 1.483D-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 2.378D 01 KSI
 AT A DISTANCE FROM CYL SUP = 5.763D 01 INCH
 FACTOR OF SAFETY ON CYL = 5.256D 00

 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 1.931D 01 KSI
 FACTOR OF SAFETY ON CYL = 3.237D 00

 MAXIMUM HROP STRESS IN CYL = 1.498D 01 KSI
 FACTOR OF SAFETY ON CYL = 8.343D 00

ROD :

MAXIMUM DEFLECTION = 1.621D-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.701D 01 KSI
 AT A DISTANCE FROM CYL SUP = 7.031D 01 INCH
 FACTOR OF SAFETY ON ROD = 7.350D 00

TIE RODS:

STRESS IN TOP RODS = 5.769D 01 KSI
 FACTOR OF SAFETY ON THESE = 2.167D 00

 STRESS IN BOTTOM RODS = 5.851D 01 KSI
 FACTOR OF SAFETY ON THESE = 2.136D 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	3.130D-02 KIPS
2	1.871D 00 KIPS
3	8.733D-01 KIPS

ROD BEARINGS (SEALS) NO	FORCE
1	2.775D 00 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

SEPARATION PRESSURES WITH CYLINDER STRAIGHT:

STROKE POSITION	PRESSURE ON	SEPARATION PRESSURE
RETRACTED (NO CONTACT)	CAP SIDE	NO SEPARATION.
EXTENDED (NO CONTACT)	CAP SIDE	7.238E 01 KSI
EXTENDED (CONTACT)	CAP SIDE	9.967D 00 KSI
EXTENDED (NO CONTACT)	ROD SIDE	1.541E 01 KSI
RETRACTED (NO CONTACT)	ROD SIDE	1.271D 01 KSI
RETRACTED (CONTACT)	ROD SIDE	1.271D 01 KSI

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIE2

LP RTP=1; P-F: HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.

INPUT DATA:

TABLE 1: CNTRL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7
 KEEP KEEP

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	DEG

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
5.00000D 01	6.13000D 00	4.44000D 00	7.60000D-01	3.00000D 00

CYLINDER	ROD	EXTENDED	STOP TUBE
5.61300D 01	5.68200D 01	1.16710D 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER	HOLLOW ROD WITH NO FLUID
7.00000D 00	6.00000D 00	3.00000D 00	1.50000D 00	

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
4.75000D 00	0.0	5.98900D 00	0.0
(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)			

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
0.0	0.0	9.00000D-03
(@ ZERO, OTHER OPTION IS INPUT)		

TIE RODS DETAILS:

CLEAR TIE ROD LENGTH	=	6.13300D 01
EXACT CYLINDER LENGTH	=	5.66300D 01
TOTAL TIERODS CROSS SECTIONAL AREA	=	4.00000D 00
DIST OF TIE RODS FROM CYL AXIS (IN PLANE OF BENDING)	=	3.10000D 00

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	YOUNGS	A MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	0.0	2.10000D 03	2.37500D 00
0.0	0.0	0.0	0.0	8.80000D 03	3.90000D 03
0.0	0.0	0.0	0.0	2.10000D 03	5.45000D 00

ROD BEARINGS:

A WIDTH	A THICKNESS	YOUNGS	A MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	0.0	3.90000D 03	3.15000D 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT
 ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
3.20000D-03	2.00000D-03	5.00000D-02	7.00000D-02

MATERIAL PROPERTIES:

	CYLINDER	ROD	TIERODS
YOUNGS MODULUS	2.90000D 04	2.90000D 04	2.90000D 04
YIELD STRESS	1.25000D 02	1.25000D 02	1.25000D 02
POISSONS RATIO	2.50000D-01		

TOTAL INITIAL FORCE IN TIE RODS = 2.40000D 02

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 9.00000D 01

SUPPORT CONDITIONS:	CYLINDER END	ROD END
	PIN	FIX

FRICTION COEFFICIENTS AT SUPPORTS: -2.00000D-02 0.0
 (ZERO IF FIXED END)

LOADING ECCENTRICITIES: 1.00000D-01 -5.00000D-02

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

FACTOR OF SAFETY = 4.000 ON STRS

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIE2

LPRTIP=1; P-F; HOLLOW ROD WITH NO FLUID; VERTICAL CYLINDER.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD = 2.9670 02 KIPS
 MAXIMUM FLUID PRESSURE = 1.0490 01 KSI
 CROOKEDNESS ANGLE = 6.207400-02 DEG

CYLINDER:

MAXIMUM DEFLECTION = 7.9130-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 2.8350 01 KSI
 AT A DISTANCE FROM CYL SUP = 5.7610 01 INCH
 FACTOR OF SAFETY ON CYL = 4.4000 00
 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 4.7850 01 KSI
 FACTOR OF SAFETY ON CYL = 1.3050 00
 MAXIMUM HCCP STRESS IN CYL = 6.8610 01 KSI
 FACTOR OF SAFETY ON CYL = 1.8220 00

ROD :

MAXIMUM DEFLECTION = 8.2910-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.2480 02 KSI
 AT A DISTANCE FROM CYL SUP = 6.4530 01 INCH
 FACTOR OF SAFETY ON ROD = 1.0020 00
 MAX LONG STRESS AT ROD END = 1.2480 02 KSI
 FACTOR OF SAFETY ON ROD = 1.0020 00

TIE RODS:

STRESS IN TOP RODS = 4.7710 01 KSI
 FACTOR OF SAFETY ON THESE = 2.6200 00
 STRESS IN BOTTOM RODS = 5.4890 01 KSI
 FACTOR OF SAFETY ON THESE = 2.2770 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	2.2480-01 KIPS
2	1.5480 01 KIPS
3	7.2210 00 KIPS

RCD BEARINGS (SEALS) NO	FORCE
1	2.2930 01 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

ANALYSIS AFTER APPLYING GIVEN FACTOR OF SAFETY OF 4.000 ON STRS:

LOAD = 3.431D 01 KIPS
 FLUID PRESSURE = 1.213D 00 KSI
 CROOKEDNESS ANGLE = 7.13899D-04 DEG

CYLINDER:

MAXIMUM DEFLECTION = 7.486D-03 INCH
 MAXIMUM LONGITUDINAL STRESS = 2.315D 01 KSI
 AT A DISTANCE FROM CYL SUP = 5.761D 01 INCH
 FACTOR OF SAFETY ON CYL = 5.400D 00

 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 1.562D 01 KSI
 FACTOR OF SAFETY ON CYL = 4.800D 00

 MAXIMUM HOOP STRESS IN CYL = 7.934D 00 KSI
 FACTOR OF SAFETY ON CYL = 1.576D 01

ROD :

MAXIMUM DEFLECTION = 7.707D-03 INCH
 MAXIMUM LONGITUDINAL STRESS = 7.152D 00 KSI
 AT A DISTANCE FROM CYL SUP = 6.280D 01 INCH
 FACTOR OF SAFETY ON ROD = 1.748D 01

 MAX LONG STRESS AT ROD END = 7.152D 00 KSI
 FACTOR OF SAFETY ON ROD = 1.748D 01

TIE RODS:

STRESS IN TOP RODS = 5.888D 01 KSI
 FACTOR OF SAFETY ON THESE = 2.123D 00

 STRESS IN BOTTOM RODS = 5.911D 01 KSI
 FACTOR OF SAFETY ON THESE = 2.119D 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	2.540D-03 KIPS
2	1.780D-01 KIPS
3	8.305D-02 KIPS

RCD BEARINGS (SEALS) NO	FORCE
1	2.637D-01 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

SEPARATION PRESSURES WITH CYLINDER STRAIGHT:

STROKE POSITION	PRESSURE ON	SEPARATION PRESSURE
RETRACTED (NO CONTACT)	CAP SIDE	NO SEPARATION
EXTENDED (NO CONTACT)	CAP SIDE	7.230D 01 KSI
EXTENDED (CONTACT)	CAP SIDE	9.967E 00 KSI
EXTENDED (NO CONTACT)	RCD SIDE	1.541D 01 KSI
RETRACTED (NO CONTACT)	ROD SIDE	1.271D 01 KSI
RETRACTED (CONTACT)	RCD SIDE	1.271E 01 KSI

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIES

LPRTP=1; F-F; SOLID ROD; 30 DEG INCLINED CYL.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	LBS	PSI	DEG

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
5.00000D 01	6.13000D 00	4.44000D 00	7.60000D-01	3.00000D 00

CYLINDER	ROD	EXTENDED	STOP TUBE
5.61300D 01	5.68200D 01	1.16710D 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER	
7.00000D 00	6.00000D 00	3.00000D 00	0.0	SOLID ROD

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
0.0	0.0	0.0	0.0
(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)			

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
5.00000D-03	1.10000D-02	9.00000D-03
(@ ZERO, OTHER OPTION IS INPUT)		

TIE RODS DETAILS:

CLEAR TIE ROD LENGTH	=	6.13000D 01
EXACT CYLINDER LENGTH	=	5.68300D 01
TOTAL TIE RODS CROSS SECTIONAL AREA	=	4.00000D 00
DIST OF TIE RODS FROM CYL AXIS (IN PLANE OF BENDING)	=	3.10000D 00

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	2.10000D 06	2.37500D 00
0.0	0.0	0.0	8.80000D 06	3.90000D 00
0.0	0.0	0.0	2.10000D 06	5.45000D 00

RCD BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.50000D-01	2.00000D-01	7.50000D 05	0.0	1.75000D 00
3.50000D-01	4.00000D-01	2.50000D 05	0.0	3.50000D 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
3.20000D 00	2.00000D 00	5.00000D 01	7.00000D 01

MATERIAL PROPERTIES:

	CYLINDER	ROD	TIE RODS
YOUNGS MODULUS	2.90000D 07	2.90000D 07	2.90000D 07
YIELD STRESS	7.50000D 04	1.25000D 05	1.25000D 05
POISSONS RATIO	2.50000D-01		

TOTAL INITIAL FORCE IN TIE RODS = 2.40000D 05

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 3.00000D 01

	CYLINDER END	RCD END
SUPPORT CONDITIONS:	FIX	FIX

FRICTION COEFFICIENTS AT SUPPORTS: 0.0 0.0

LOADING ECCENTRICITIES: -5.00000D-02 -2.50000D-02

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

ONLY CRITICAL LOAD ANALYSIS

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIES

LPRTP=1: F-F; SOLID ROD; 30 DEG INCLINED CYL.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD = 2.316D 05 LBS
 MAXIMUM FLUID PRESSURE = 4.191D 03 PSI
 CROOKEDNESS ANGLE = 4.28971D-04 DEG

CYLINDER:

MAXIMUM DEFLECTION = 5.526D-03 INCH
 MAXIMUM LONGITUDINAL STRESS = 2.104D 04 PSI
 AT A DISTANCE FROM CYL SUP = 5.753D 01 INCH
 FACTOR OF SAFETY ON CYL = 3.565D 00
 MAX LONG STRESS AT CYL END = 2.151D 04 PSI
 FACTOR OF SAFETY ON CYL = 3.487D 00
 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 3.749D 04 PSI
 FACTOR OF SAFETY ON CYL = 1.000D 00
 MAXIMUM HOOP STRESS IN CYL = 5.356D 04 PSI
 FACTOR OF SAFETY ON CYL = 1.400D 00

ROD :

MAXIMUM DEFLECTION = 6.078D-03 INCH
 MAXIMUM LONGITUDINAL STRESS = 3.323D 04 PSI
 AT A DISTANCE FROM CYL SUP = 6.846D 01 INCH
 FACTOR OF SAFETY ON ROD = 3.761D 00
 MAX LONG STRESS AT ROD END = 3.352D 04 PSI
 FACTOR OF SAFETY ON ROD = 3.730D 00

TIE RODS:

STRESS IN TOP RODS = 5.337D 04 PSI
 FACTOR OF SAFETY ON THESE = 2.342D 00
 STRESS IN BOTTOM RODS = 5.305D 04 PSI
 FACTOR OF SAFETY ON THESE = 2.356D 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	1.967D-01 LBS
2	1.013D 02 LBS
3	4.654D 01 LBS

ROD BEARINGS (SEALS) NO	FORCE
1	1.212D 02 LBS
2	2.880D 01 LBS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 LBS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 LBS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 LBS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 LBS
 (ZERO FORCES INDICATE NO CONTACT)

SEPARATION PRESSURES WITH CYLINDER STRAIGHT:

STROKE POSITION	PRESSURE ON	SEPARATION PRESSURE
RETRACTED (NO CONTACT)	CAP SIDE	NO SEPARATION
EXTENDED (NO CONTACT)	CAP SIDE	7.238D 04 PSI
EXTENDED (CONTACT)	CAP SIDE	5.967D 03 PSI
EXTENDED (NO CONTACT)	ROD SIDE	1.541D 04 PSI
RETRACTED (NO CONTACT)	ROD SIDE	1.271D 04 PSI
RETRACTED (CONTACT)	ROD SIDE	1.271D 04 PSI

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIE4

LPRTIP=1; P=P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.

INPUT DATA:

TABLE 1: CENTRGL DATA

PROBLEM TYPE = 1 - CRITICAL LOAD ANALYSIS & ANALYSIS FOR A FACTORED LOAD

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7
 NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LOAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	RAD

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
6.00000 01	6.13000 00	4.44000 00	7.60000 -01	-1.50000 01

CYLINDER	ROD	EXTENDED	STOP TUBE
6.61300 01	6.68200 01	1.18710 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER	
6.50000 00	5.50000 00	2.75000 00	0.0	SOLID ROD

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
2.00000 00	3.00000 00	5.49000 00	2.76000 00

(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
5.00000 -03	1.00000 -02	8.00000 -03

(@ ZERO, OTHER OPTION IS INPUT)

TIE RODS DETAILS:

CLEAR TIE ROD LENGTH	=	7.13300 01
EXACT CYLINDER LENGTH	=	6.66300 01
TOTAL TIE RODS CROSS SECTIONAL AREA	=	4.00000 00
DIST OF TIE RODS FROM CYL AXIS (IN PLANE OF BENDING)	=	2.80000 00

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.16000 -01	4.51000 -01	5.90000 02	0.0	2.37500 00
0.0	0.0	0.0	8.80000 03	3.90000 00
0.0	0.0	0.0	2.10000 03	5.45000 00

ROD BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
3.50000 -01	2.00000 -01	7.50000 02	0.0	3.15000 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
3.00000 -03	1.75000 -03	4.00000 -02	6.00000 -02

MATERIAL PROPERTIES:

	CYLINDER	ROD	TIERGDS
YOUNGS MODULUS	2.90000 04	2.90000 04	2.50000 04
YIELD STRESS	1.00000 02	1.25000 02	1.25000 02
POISSONS RATIO	2.50000 -01		

TOTAL INITIAL FORCE IN TIE RODS = 2.40000 02

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 0.0

	CYLINDER END	ROD END
SUPPORT CONDITIONS:	PIN	PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	5.00000 -02	0.0
LOADING ECCENTRICITIES:	0.0	1.00000 -02

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

ONLY CRITICAL LOAD ANALYSIS

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CCCEG JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIE4

LPRTP=1; P=P; SOLID ROD; HORIZONTAL CYLINDER WITH A OVERHANG.

RESULTS: CRITICAL LOAD ANALYSIS

CRITICAL LOAD = 7.5040 01 KIPS
 MAXIMUM FLUID PRESSURE = 3.1580 00 KSI
 CROOKEDNESS ANGLE = 1.263340-03 RAD

CYLINDER:

MAXIMUM DEFLECTION = 2.4700 00 INCH
 MAXIMUM LONGITUDINAL STRESS = 3.6970 01 KSI
 AT A DISTANCE FROM CYL SUP = 4.9520 01 INCH
 FACTOR OF SAFETY ON CYL = 2.7050 00
 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 2.7100 01 KSI
 FACTOR OF SAFETY ON CYL = 1.8450 00
 MAXIMUM HCOF STRESS IN CYL = 1.9080 01 KSI
 FACTOR OF SAFETY ON CYL = 5.2410 00
 END DEFLECTION IN OVERHANG = -7.5720-01 INCH

ROD :

MAXIMUM DEFLECTION = 2.9000 00 INCH
 MAXIMUM LONGITUDINAL STRESS = 1.2150 02 KSI
 AT A DISTANCE FROM CYL SUP = 6.7840 01 INCH
 FACTOR OF SAFETY ON ROD = 1.0290 00

TIE RODS:

STRESS IN TOP RODS = 5.5890 01 KSI
 FACTOR OF SAFETY ON THESE = 2.2360 00
 STRESS IN BOTTOM RODS = 6.1590 01 KSI
 FACTOR OF SAFETY ON THESE = 2.0300 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	9.5230-03 KIPS
2	1.7000 01 KIPS
3	8.1680 00 KIPS

ROD BEARINGS (SEALS) NO	FORCE
1	2.5180 01 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

SEPARATION PRESSURES WITH CYLINDER STRAIGHT:

STROKE POSITION	PRESSURE ON	SEPARATION PRESSURE
RETRACTED (NO CONTACT)	CAP SIDE	1.0750 01 KSI
EXTENDED (NO CONTACT)	CAP SIDE	9.4660 00 KSI
EXTENDED (CONTACT)	CAP SIDE	1.1970 01 KSI
EXTENDED (NO CONTACT)	ROD SIDE	1.7340 01 KSI
RETRACTED (NO CONTACT)	ROD SIDE	1.4220 01 KSI
RETRACTED (CONTACT)	ROD SIDE	1.5190 01 KSI

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIES

LP RTP=2; F-P; HOLLOW ROD WITH FLUID; INCLINED CYLINDER; METRIC UNITS.

INPUT DATA:

TABLE 1: CONTROL DATA

PROBLEM TYPE = 2 - ANALYSIS FOR A PARTICULAR PRESSURE

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LCAD	PRESSURE	ANGULAR
CM	KGS	KGSC	RAD

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
1.270000 02	1.557000 01	1.128000 01	1.930000 00	7.620000 00

CYLINDER	RCD	EXTENDED	STOP TUBE
1.425700 02	1.443800 02	2.965000 02	0.0

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER
1.778000 01	1.524000 01	7.620000 00	3.800000 00

HOLLOW ROD WITH FLUID

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
0.0	1.200000 01	1.522000 01	7.640000 00

(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
1.000000-02	0.0	0.0

(@ ZERO, OTHER OPTION IS INPUT)

TIE RODS DETAILS:

CLEAR TIE ROD LENGTH = 1.557000 02
 EXACT CYLINDER LENGTH = 1.440700 02
 TOTAL TIERODS CROSS SECTIONAL AREA = 2.500000 01
 DIST OF TIE RODS FROM CYL AXIS (IN PLANE OF BENDING) = 7.750000 00

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
8.000000-01	1.150000 00	3.500000 04	0.0	0.000000 00
1.000000 00	8.000000-01	7.000000 04	0.0	1.000000 01
0.0	0.0	0.0	3.710000 05	1.350000 01

RCD BEARINGS:

A WIDTH	A THICKNESS	A YOUNGS MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
1.000000 00	5.000000-01	5.000000 04	0.0	8.000000 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
1.500000 00	1.000000 00	2.300000 01	3.200000 01

MATERIAL PROPERTIES:

	CYLINDER	ROD	TIERODS
YOUNGS MODULUS	2.100000 06	2.100000 06	2.100000 06
YIELD STRESS	7.050000 03	8.800000 03	1.000000 04
POISSONS RATIO	2.500000-01		

TOTAL INITIAL FORCE IN TIE RODS = 1.250000 05

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 7.500000-01

	CYLINDER END	ROD END
SUPPORT CONDITIONS:	FIX	PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	0.0	-9.000000-02
LOADING ECCENTRICITIES:	0.0	1.000000-01

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

OPERATING PRESSURE = 1.750000 02

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIES

LPRTP=2; F-P; HOLLOW ROD WITH FLUID; INCLINED CYLINDER; METRIC UNITS.

RESULTS: ANALYSIS FOR A GIVEN OPERATING PRESSURE

OPERATING PRESSURE = 1.7500 02 KGSC
 LOAD = 3.1920 04 KGS
 CROOKEDNESS ANGLE = -2.384370-05 RAD

CYLINDER:

MAXIMUM DEFLECTION = 5.4150-02 CM
 MAXIMUM LONGITUDINAL STRESS = 1.8640 03 KGSC
 AT A DISTANCE FROM CYL SUP = 1.4700 02 CM
 FACTOR OF SAFETY ON CYL = 3.7820 00

 MAX LONG STRESS AT CYL END = 2.0040 03 KGSC
 FACTOR OF SAFETY ON CYL = 3.5150 00

 MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 1.5620 03 KGSC
 FACTOR OF SAFETY ON CYL = 2.2560 00

 MAXIMUM HROP STRESS IN CYL = 1.1440 03 KGSC
 FACTOR OF SAFETY ON CYL = 6.1610 00

ROD :

MAXIMUM DEFLECTION = 9.1560-02 CM
 MAXIMUM LONGITUDINAL STRESS = 1.0760 03 KGSC
 AT A DISTANCE FROM CYL SUP = 2.2200 02 CM
 FACTOR OF SAFETY ON ROD = 8.1750 00

 MAX SHEAR STRESS IN ROD AT MAX LONG STRESS POINT AND AT INNER SURFACE = 6.6040 02 KGSC
 FACTOR OF SAFETY ON ROD = 6.6620 00

 MAXIMUM HROP STRESS IN ROD = 2.9090 02 KGSC
 FACTOR OF SAFETY ON ROD = 3.0260 01

TIE RODS:

STRESS IN TOP RODS = 4.9060 03 KGSC
 FACTOR OF SAFETY ON THESE = 2.0350 00

 STRESS IN BOTTOM RODS = 4.8020 03 KGSC
 FACTOR OF SAFETY ON THESE = 2.0620 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	-7.9560 00 KGS
2	-1.5580 02 KGS
3	-7.4300 01 KGS

ROD BEARINGS (SEALS) NO	FORCE
1	-2.3800 02 KGS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KGS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KGS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KGS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KGS
 (ZERO FORCES INDICATE NO CONTACT)

SEPARATION PRESSURES WITH CYLINDER STRAIGHT:

STROKE POSITION	PRESSURE ON	SEPARATION PRESSURE
RETRACTED (NO CONTACT)	CAP SIDE	NO SEPARATION
EXTENDED (NO CONTACT)	CAP SIDE	5.9840 03 KGSC
EXTENDED (CONTACT)	CAP SIDE	6.0170 02 KGSC
EXTENDED (NO CONTACT)	ROD SIDE	1.2340 03 KGSC
RETRACTED (NO CONTACT)	ROD SIDE	1.0230 03 KGSC
RETRACTED (CONTACT)	ROD SIDE	1.0230 03 KGSC

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS
 EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CCEED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIE6

LPRTF=3; P-P; SOLID ROD; HORIZONTAL CYLINDER.

INPUT DATA:

TABLE 1: CNTRCL DATA

PROBLEM TYPE = 3 - ANALYSIS TO DETERMINE SUITABLE STOP-TUBE LENGTH

TABLES RETAINED FROM PREVIOUS PROBLEM

2 3 4 5 6 7

NO KEEP OPTIONS EXERCISED

TABLE 2: UNITS OF MEASUREMENT

LENGTH	LCAD	PRESSURE	ANGULAR
INCH	KIPS	KSI	DEG

TABLE 3: CYLINDER DIMENSIONS

LENGTHS:

STROKE	PISTON HEAD	STUFFING BOX	END PLATE	HINGE DIST.
6.00000 01	6.130000 00	4.440000 00	7.600000-01	3.000000 00

CYLINDER	ROD	EXTENDED	STOP TUBE
----------	-----	----------	-----------

THESE NOT INPUT BECAUSE STOP TUBE LENGTH ANALYSIS IS ASKED

DIAMETERS:

CYL. OUTER	CYL. INNER	ROD OUTER	ROD INNER	
7.000000 00	6.000000 00	3.000000 00	0.0	SOLID ROD

CYL. PIN *	ROD PIN *	PISTON HEAD @	STUF. BOX @
4.750000 00	4.750000 00	5.989000 00	3.009000 00
(* ZERO, THE END IS FIXED) (@ ZERO, OTHER OPTION IS INPUT)			

CLEARANCES BETWEEN:

CYLINDER AND STUFFING BOX	CYLINDER AND PISTON HEAD @	ROD AND STUF. BOX @
5.000000-03	0.0	0.0
(@ ZERO, OTHER OPTION IS INPUT)		

TIE RODS DETAILS:

CLEAR TIE ROD LENGTH	=	0.0
EXACT CYLINDER LENGTH	=	0.0
TOTAL TIERODS CROSS SECTIONAL AREA	=	4.000000 00
DIST OF TIE RODS FROM CYL AXIS (IN PLANE OF BENDING)	=	3.100000 00

TABLE 4: BEARINGS AND SEALS

PISTON BEARINGS:

A WIDTH	A THICKNESS	YOUNGS	A MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.0	0.0	0.0	0.0	2.100000 03	2.375000 00
0.C	0.0	0.0	0.0	8.800000 03	3.900000 00
0.C	0.0	0.0	0.0	2.100000 03	5.450000 00

ROD BEARINGS:

A WIDTH	A THICKNESS	YOUNGS	A MODULUS	B STIFFNESS	DISTANCE FROM BACK FACE
0.C	0.0	0.0	0.0	3.900000 03	3.150000 00

(A IS USED TO CALCULATE B - HENCE, EITHER A OR B IS INPUT ZERO'S ABOVE INDICATE THAT THEY ARE NOT INPUT)

TABLE 5: WEIGHTS AND MATERIAL PROPERTIES

WEIGHTS OF PARTS:

CYLINDER (PER UNIT LENGTH)	ROD	PISTON HEAD	STUFFING BOX
3.200000-03	2.000000-03	5.000000-02	7.000000-02

MATERIAL PROPERTIES:

	CYLINDER	ROD	TIERODS
YOUNGS MODULUS	2.900000 04	2.900000 04	2.900000 04
YIELD STRESS	1.000000 02	1.250000 02	1.250000 02
POISSONS RATIO	2.500000-01		

TOTAL INITIAL FORCE IN TIE RODS = 2.400000 02

TABLE 6: INCLINATION, FIXITY, FRICTION COEFFICIENTS, LOADING ECCENTRICITY

CYL INCLINATION WITH HORIZONTAL = 0.0

	CYLINDER END	ROD END
SUPPORT CONDITIONS:	PIN	PIN
FRICTION COEFFICIENTS AT SUPPORTS: (ZERO IF FIXED END)	0.0	-5.000000-02
LOADING ECCENTRICITIES:	0.0	1.000000-01

TABLE 7: FACTOR OF SAFETY OR OPERATING PRESSURE AND/OR ALLOWABLE THETA & F DEPENDING ON PROBLEM TYPE

OPERATING CYLINDER PRESSURE	=	2.000000 00
ALLOWABLE CROOKEDNESS ANGLE	=	7.500000-03 AT GLAND
ALLOWABLE TOTAL LATERAL FORCE	=	1.000000 01 ON BEARINGS

PROGRAM SACTIE - STRESS ANALYSIS OF CYLINDERS WITH TIE RODS

EXAMPLE PROBLEMS TO DEMONSTRATE ALL THE OPTIONS AND VARIATIONS IN INPUT DATA
 CODED JUNE 9, 1976 BY K. L. SESHASAI

PROBLEM TIE6

LP RTP=3; P-P; SOLID ROD; HORIZONTAL CYLINDER.

RESULTS: ANALYSIS TO DETERMINE STOP-TUBE LENGTH

REQUIRED LENGTH OF STOP-TUBE = 3.6000 00 INCH
 CORRESPONDING EXTENDED LENGTH = 1.4030 02 INCH

RESULTS WITH THIS STOP-TUBE ARE:

CRITICAL LOAD = 5.6550 01 KIPS
 MAXIMUM FLUID PRESSURE = 2.0000 00 KSI
 CROOKEDNESS ANGLE = 7.435940-03 DEG

CYLINDER:

MAXIMUM DEFLECTION = 5.0260-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 2.5150 01 KSI
 AT A DISTANCE FROM CYL SUP = 6.8440 01 INCH
 FACTOR OF SAFETY ON CYL = 3.9760 00

MAX SHEAR STRESS IN CYL AT MAX LONG STRESS POINT AND AT INNER SURFACE = 1.8950 01 KSI

FACTOR OF SAFETY ON CYL = 2.6390 00

MAXIMUM HOOP STRESS IN CYL = 1.3000 01 KSI

FACTOR OF SAFETY ON CYL = 7.6470 00

ROD :

MAXIMUM DEFLECTION = 5.5800-01 INCH
 MAXIMUM LONGITUDINAL STRESS = 2.6280 01 KSI
 AT A DISTANCE FROM CYL SUP = 8.4870 01 INCH
 FACTOR OF SAFETY ON ROD = 4.7560 00

TIE RODS:

STRESS IN TOP RODS = 5.7510 01 KSI
 FACTOR OF SAFETY ON THESE = 2.1740 00

STRESS IN BOTTOM RODS = 5.9050 01 KSI
 FACTOR OF SAFETY ON THESE = 2.1170 00

FORCES AT SLIDING CONNECTION:

PISTON BEARINGS (SEALS) NO	FORCE
1	2.5340-01 KIPS
2	2.8030 00 KIPS
3	1.0910 00 KIPS

ROD BEARINGS (SEALS) NO	FORCE
1	4.1480 00 KIPS

F1- FORCE AT PISTON HEAD FRONT FACE = 0.0 KIPS
 F2- FORCE AT STUFFING BOX FRONT FACE = 0.0 KIPS
 F3- FORCE AT PISTON HEAD BACK FACE = 0.0 KIPS
 F4- FORCE AT STUFFING BOX INNER FACE = 0.0 KIPS
 (ZERO FORCES INDICATE NO CONTACT)

SEPARATION PRESSURES WITH CYLINDER STRAIGHT:

STROKE POSITION	PRESSURE ON	SEPARATION PRESSURE
RETRACTED (NO CONTACT)	CAP SIDE	NO SEPARATION
EXTENDED (NO CONTACT)	CAP SIDE	6.9670 01 KSI
EXTENDED (CONTACT)	CAP SIDE	9.9320 00 KSI
EXTENDED (NO CONTACT)	ROD SIDE	1.5440 01 KSI
RETRACTED (NO CONTACT)	ROD SIDE	1.2640 01 KSI
RETRACTED (CONTACT)	ROD SIDE	1.2640 01 KSI

VITA

Kolar L. Seshasai

Candidate for the Degree of
Doctor of Philosophy

Thesis: STRESS AND DEFLECTION ANALYSIS OF REGULAR, TELESCOPING AND TIE
ROD CYLINDERS

Major Field: Civil Engineering

Biographical:

Personal Data: Born in Kolar, Karnataka State, India, January 28,
1953, the son of Mr. and Mrs. K. V. Lakshmanaswamy Iyer.

Education: Graduated from Basaveswara High School, Bangalore,
India, in April, 1967; received the Bachelor of Engineering
(Civil) degree from Bangalore University, India, in May, 1973;
received the Master of Science degree in Civil Engineering
from Oklahoma State University in December, 1974; completed
the requirements for the Doctor of Philosophy degree at
Oklahoma State University in July, 1976.

Professional Experience: Graduate Research Assistant, School of
Mechanical and Aerospace Engineering, April, 1974 to August,
1974; Graduate Teaching Assistant, School of Civil Engineering,
September, 1974 to December, 1974; Project Engineer, School of
Mechanical and Aerospace Engineering, January, 1975 to May,
1975; Graduate Research Assistant, School of Civil Engineering,
June, 1975 to date, Oklahoma State University.

Professional Activities: Student member, National Society of Pro-
fessional Engineers, Oklahoma Society of Professional Engineers,
American Society of Civil Engineers; member, Chi Epsilon.