MONTE CARLO STUDY OF LIPID

CHOLESTEROL INTERACTIONS

IN BIOMEMBRANES

BY

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TABLE OF CONTENTS

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CHAPT	ER
I.	INTRODUCTION1
	The Membrane Components1 Membrane Models17
II.	THEORY
III.	RESULTS and DISCUSSIONS
BIBLI	ОGRAPHY
APPEN	DIX A - COMPUTER PROGRAM FOR THE CALCULATION OF THE AVERAGE VALUES OF THE ORDER PARAMETERS
APPEN	DIX B - COMPUTER PROGRAM FOR THE CALCULATION OF THE WEIGHTED AVERAGES AND STANDARD DEVIATION

LIST OF TABLES

Table	Page
I.	Standard deviation for the bonds on the cholesterol neighboring chains 41
II	Standard deviation for the bonds on all acyl chains

LIST OF FIGURES

Figure	Page
1.	Some Typical Phospholipid Molecules3
	Some Typical Sphingolipid Molecules4
2.	Monolayers, Bilayers, Micelles and Vesicles5
3.	Trans and Gauche Configurations7
4.	Possible Hydrocarbon Chain Configurations
	in a Membrane
5.	Lipid Phase Transition9
6.	Sterols: Cholesterol Molecule12
7.	Orientation of Cholesterol in the Membrane Hydrogen Bonding14
8.	Effect of Cholesterol on lipid phase transition16
9.	Proteins in Membranes
10.	Model Membranes19
11.	Modes of Mobility of Membrane Components
12.	Flow Chart Displaying Monte Carlo Averaging Procedure28
13.	A Model of a Unit Cell
14.	Gauche Rotation
15.	Plot of S _n vs. Bond Number for boundary lipids
16.	Plot of S _n vs. Bond Number for lipid chains40

CHAPTER I

INTRODUCTION

The purpose of this study is to explore the nature of lipid cholesterol interactions in biomembranes, using the Monte Carlo method.

Our understanding of the membrane and its functions has evolved considerably. It is widely accepted now that a membrane is a two dimensional bimolecular array of molecules of lipids, proteins and in some cases cholesterol. It is about 50 A^{O} thick. Biomembranes are usually curved continuously and form closed sacs. The major components of biomembranes, lipids and proteins, are present in the varying amounts, depending on the type of the membrane (1). The lipids and proteins have certain physical properties that determine the structural organization of the membrane.

The Membrane Components

Lipids : These are organic molecules that can be extracted from wet membranes by use of non polar solvents such as chloroform, benzene or ether. Membrane lipids are amphipathic i.e. a lipid molecule contains both hydrophobic (non-polar) and hydrophilic (polar) regions. These

regions are usually bridged by glycerol moiety or a sphinganine derivative. The most common lipids found in the eukaryotic membranes are phospholipids, glycolipids, sphingolipids and sterols. The last two classes are usually absent in the prokaryotic membranes. Figure 1 shows some typical lipid molecules.

The polar headgroups determine the affinity of the phospholipids for the water, whereas the acyl chains determine the solubility of these molecules in the solvents - polar or non polar. In an aqueous phase the amphipathic molecules reorient themselves so as to minimize unfavorable interactions between hydrocarbon chains and water. This leads to various arrangements that the lipid molecules assume in an aqueous phase (Figure 2). As seen in this figure the hydrophilic region always faces the aqueous environment and the hydrophobic region moves away from the aqueous zone.

The hydrophobic effect (2) has its origin in the strong attractive forces between water molecules. If the solute is to dissolve in the water, it must disrupt these strong attractive forces in favour of attractive forces between water and solute. This is why the ionic solutes readily dissolve in the water.

Apolar groups on the other hand, cause an extensive rearrangement of the neighboring water molecules. This ordering of molecules apparently leads to a decrease in entropy which is thermodynamically unfavorable. For this reason the solution of the apolar solvents in the







Figure 1. (continued) Sphingolipids and Glycolipids. (a) Galactosyldiacylglycerol. (b) Ceramide. (c) Sphingomylein.



(Ь)

(D)



(C)

WATER

(d)

Figure 2. (a) Monolayer. (b) Bilayer. (c) Micelles. (d) Vesicle.

water is resisted. The apolar groups - hydrocarbon chains of the lipid molecules cluster together, excluding water so as to minimize the free energy of the system. The hydrophobic nature of the lipid chains is thus an entropic consideration rather than any other specific interaction.

The geometry of hydrocarbon chains in their stretched form, called all trans configuration, forms a hydrophobic cylinder (Figure 3).

There is a rotation about C-C bonds. In trans configuration the dihedral angle between C_1 to C_2 and C_3 to C_4 bonds is 180 degrees. For gauche rotation the most stable and thus lowest in energy, dihedral angles are 120 degrees and 240 degrees (i.e. -120 degrees).

Because of the steric strain the gauche confirmation is less stable by about 0.5 kcal/mole or more, than trans configuration. It is also possible to have two gauche rotations which produce a common chain configuration by rotating about one C-C bond by 120 degrees then rotating either of the two next nearest neighbors by -120 degrees. This produces what is called a 'kink' in the chain. It is obvious that such kinks shorten the length of hydrocarbon chains and thereby increase the volume of the hydrophobic cylinder. The increase in temperature will allow more kinks in the acyl chains. Figure 4 shows some of the chain disorders that may take place in the membrane. At the lower temperatures however, when the phospholipids are in the solid



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crystalline state the acyl chains are in fully stretched all trans state.

In the crystalline state the lipid molecules are packed together in an hexagonal array, with the acyl chains parallel to each other. If the temperature is increased the bilayers undergo distinct organizational changes, although the general structure of the membrane remains the same (Figure 5). At transition temperature the lipids change from crystalline solid state to the liquid gel state. The transition temperature depends on such factors as, type of phospholipid headgroup, acyl chain length (3), number of double bonds, their positions in the chains (4), and composition of the mixture of phospholipids. In general transition temperatures are higher for longer acyl chains and are lower for highly unsaturated acyl chains.

As seen in the Figure 5, below the transition temperature the acyl chains are predominantly in all trans state, parallel to each other but not perpendicular to the bilayer plane. The main transition is preceded by a pretransition which involves reorientation of chains from tilted to the perpendicular positions along with distortion of the bilayer by periodic ripple. Above the transition temperatures the kinks are introduced in the chains which decreases thickness of the bilayer and increases the area of the membrane. The hexagonal array is disrupted as well. The phase transition involves a small volume change (5). The change of pressure over temperature has been found (6) to be 00.44 atm per 1 degree Celsius, using Clausius-Claperon equation.

$$\Delta P / \Delta T = \Delta H / (T_{0} (V_{1} - V_{0}))$$
(1)

where ΔH = Enthalpy of Transition; T_c = Transition Temperature and $(V_1 - V_g)$ = Change in volume of two phases. The volume change of 00.037 ml/mg is observed (7) at the main transition temperature 41.4 degree Celsius for Diapalmitoyl phosphatidylcholine water system. The phase transition in the lipid bilayers are studied by several experimental techniques such as calorimetry (8), X-ray diffraction (9) and spin label resonance (10).

Sterols: are a third major class of lipids, first two being phospholipids and glycolipids. In animal membranes cholesterol is a predominant sterol but in plant membrane it is rare.

A cholesterol molecule consists of a rigid sterol ring about 1.1 nm in length with a hydroxyl group attached at one end (Figure 6). At the other end of the sterol ring structure there is a flexible hydrocarbon chain about 0.8 nm long. Most phospholipid molecules whose acyl chains are at least 9 $-CH_2$ units long can accommodate cholesterol molecules in bilayers. The molecule is inserted into the bilayer with its hydroxyl -OH, group towards polar headgroup of lipids and its apolar hydrocarbon tail towards hydrophobic acyl chains of the bilayer. The plane of the sterol ring is thus perpendicular to the plane of the bilayer. The hydrocarbon tail of cholesterol - with two methyl groups at the end - is rather mobile and interacts with neighboring acyl chains. The molecule is inserted deeply into the bilayer to allow hydrogen bonding between





oxygen of -OH group and oxygen of C=O group of the lipid molecule (Figure 7). The rigid ring structure of cholesterol prevents kinks from forming in neighboring acyl chains. This decreases the molecular area of the phospholipids. Thus the area of cholesterol-phospholipid (1:2) mixture is 25 % lower than the direct sum of their areas (11). This is so called 'Condensing effect'. On the other hand, the hydrogen bonding causes the separation between the polar headgroups of the lipids, thus minimizing electrostatic interaction among them allowing greater freedom of mobility. Incorporation of cholesterol has long been controversial to the extent that some of the early models do not propose hydrogen bonding at all, a claim later refuted (13). The structure of cholesterol is rather significant to the membrane properties but less so for its incorporation into the bilayer.

The amount of cholesterol that can be incorporated in the bilayer without disrupting the membrane function has a upper limit. At > 50 mole % some sterol molecules will have no phospholipid neighbors and there are too many sterol-sterol interactions destabilizing the membrane. At about 10 mole % cholesterol there is an increased rate of lateral diffusion of phospholipids. At about 22 mole % cholesterol the regions of pure phospholipids and cholesterol disappear and the bilayer consists of closely packed clusters of cholesterol and lipids. Between 33 to 50 mole % of cholesterol both species are distributed randomly with some sterols separated by only one lipid molecule. The increase in the amount of cholesterol slowly abolishes the phase transition. (14,15)



Figure 7. Orientation of Cholesterol in the Membrane, Hydrogen Bonding.

The effect of increase in cholesterol on lipid phase transition is shown in Figure 8.

Temperature plays a key role in the lipid-cholesterol interactions. At the temperatures higher than the transition temperature cholesterol increases bilayer rigidity by ordering the fluid state lipids whereas below this temperature it increases fluidity of the solid state lipid by disordering them.

Proteins: The proteins associated with the membranes can be classified in a number of ways - The ease of separation from membrane, geometric structure or simply by their chemical contents.

Weakly bound proteins (peripheral, extrinsic proteins)- The proteins that can be isolated easily using strong salt solutions or EDTA solution. Such an isolation does not significantly disrupt the membrane structure. Cytochrome C found in the inner membrane of mitochondria is an example of peripheral protein.

Tightly bound proteins (Integral, Intrinsic proteins) - Proteins can be isolated by the use of detergents such as Sodium dodecyl sulfate, SDS. The isolation of integral proteins from the membrane causes a serious damage to the membrane structure. The integral proteins are firmly built into the membranes. Globular proteins are quite bulky. They consist of several loops of polypeptide chains. Fibrous proteins consist of a single strand of a polypeptide chain. Both, the globular



TEMPERATURE

Figure 8. Effect of Cholesterol on lipid Phase Transition.

and the fibrous proteins may be transmembrane and therefore, integral proteins (Figure 9).

Proteins play key role in allowing passage of selective chemicals across the membrane. Specific proteins allow passage to a particular chemical species. Thus proteins too, like lipids, are found in the variety of kinds and amounts. The type and the amount of protein present depends on the function of the membrane in question. For example, inner mitochondrial membrane is highly active in its functions and therefore contains 25 different kinds of proteins which constitute 75% of its weight. On the other hand, mylein which acts as an insulator contains only 20% protein by weight.

Membrane Models

The membrane components described in the previous section namely lipids, cholesterol and proteins are organized in a special manner so as to form a functional membrane. Several models have been proposed by various researchers. Of these, the 'fluid mosaic model' is now widely accepted (15). This model stresses the dynamic aspects of the membrane structure such as membrane fluidity. The extrinsic proteins are external but close to the membrane and may interact electrostatically with the polar headgroups of the lipids. The globular proteins in this model float surrounded by lipids (Figure 10).



A. GLOBULAR PROTEIN B. FIBROUS PROTEIN C. EXTRINSIC PROTEIN

Figure 9. Proteins in the Membranes.





The lipids surrounding the proteins are further classified as the 'annular lipids' which are nearest neighbors of the protein and form a 'ring' around it. The lipids that are further away from the proteins are called 'bulk lipids'. Interaction of lipids and proteins has been under intense investigation both by experimentalists and theorists. Among experimental techniques x-ray diffraction (16), freeze etch fracture (17), thermal differential calorimetry (18, 19) and spin label spectroscopy (20, 21) have been used. On theoretical front, Monte Carlo simulation technique has been used by Scott (22), to study lipid-protein interaction.

The 'annular lipids' due to closeness of the proteins are more ordered and less mobile than the lipids in the bulk. Results of the ESR studies (20,21) indicated the existence of a single layer of lipids surrounding protein, cytochrome C oxidase. This result was further confirmed by theoretical models (23,24). The 'annular lipids' though relatively less mobile do frequently exchange themselves with the bulk lipids. This exchange is called 'hopping frequency'. In the bulk lipids this exchange takes place rather rapidly as compare to the exchange between bulk lipids and annular lipids. This reduction in exchange is attributed to the existence of interaction between protein and boundary lipids.

Although general structure of the membrane is preserved, the membrane components themselves are in continuous motion. (Figure 11)





A). Lateral Diffusion: Phospholipid and protein molecules diffuse laterally in the plane of the bilayer.

B). Rotational Diffusion: Phospholipid and protein molecules rotate about their long axis.

C). Lipid flip-flop motion: The phospholipid molecules mutually exchange themselves within the bilayers, going from one half of the bilayer to the other. But this motion is extremely slow on the order of days, compared to lateral diffusion which takes place in matter of seconds.

D). Chain motion: Above transition temperatures T_c , several disorders are introduced in the chain due to rotation about C-C bond. The various modes of motions of the membrane constituents along with their mutual interactions indeed form quite an intricate organization. This study attempts to investigate one important aspect, that of lipid cholesterol interaction by using Scott's method (22) of Monte Carlo simulation technique.

The following chapter describes the essentials of this technique. Following this, results and discussion are presented.

CHAPTER II

THEORY

The lipid cholesterol interaction study presented here is based on Monte Carlo simulation technique similar to one used by Scott (22) in his investigation of lipid protein interactions.

The Monte Carlo method is an efficient technique used to compute average quantities. In the present case we wish to calculate the average of the quantities called order parameters. This quantity, denoted by 'S' presents a measure of the interactions between the lipids and cholesterol by allowing us to find the extent to which the acyl chains are 'distorted' due the presence of a cholesterol molecule. The average order parameter < Sn >, is defined as:

$$\langle s_n \rangle = \langle 3/2 \cos^2 \theta_n - 1/2 \rangle$$
 (2)

Where θ_n represents the angular deviation of nth C-C bond in an acyl chain, from its position while the chain is in all trans state. Thus, for example if the average value of the order parameters were 1.000 it would mean this particular bond did not deviate at all from its original all trans position. A smaller average value of the order parameters

would indicate greater degree of orientational disorder. The average values of the order parameters are thus expected to be in the range of 1 to 0. The values of the order parameters for each bond averaged over all the chains is then plotted against bond numbers as an pictorial indication of the lipid-cholesterol interaction.

In statistical mechanics the average of observable quantities Ai within canonical ensemble is given by (25,26).

$$\langle A \rangle = \left(\sum_{i} A_{i} \exp(-E_{i}/kT)\right) / \left(\sum_{i} \exp(-E_{i}/kT)\right)$$
 (3)

or
$$\langle A \rangle = (\int A \exp(-E/kT) dr) / \int (\exp(-E/kT) dr)$$
 (4)
where $r = (r_1, r_2, r_3, r_4, \dots, r_n)$

 r_i = position vector of i th molecule, E = total energy of the system, T = Absolute temperature of the system and k = Boltzmann constant, 1.987 cal/mole-Kelvin. But evaluation of such an integral is rather complex and thus calculation of < A > demands alternative, simpler method. The Metropolis Monte Carlo method (27) developed in 1953, provides an efficient procedure of calculating average quantities. This method can be briefly described as follows:

 Construct a model of the system under consideration. The initial configuration of the particles in the system - positions of carbon atoms of lipids and cholesterol in this case - should be known and saved. 2) Calculate energy E_O of this initial configuration and save it. Note that this energy consists of potential energy due to gauche rotations about C-C bonds plus sum of potential energies due to pairwise interactions between all atoms in all molecules.

3) Pick any particle--lipid molecule in this case- and translate it within the plane of the bilayer by a small distance dr.

$$r_i \longrightarrow r_i + edr_i$$

where $r_i = co$ -ordinates of particle in question, $dr_i = maximum$ allowed displacement, e = random number.

4) Pick a bond at random on this translated lipid molecule and perform gauch rotation about C-C bond according to rotational probabilities.

5) Apply periodic boundary condition to find if any of the carbon atoms on this chain have been displaced outside the unit cell. Also check for the chain overlaps.

6) Calculate the energy E_1 of this new configuration.

7) Calculate the energy change, $E = E_1 - E_0$, due to translation and rotation of the chain. (In our model system the perturbent cholesterol molecule is always held fixed in its position w.r.t. the origin, except its mobile hydrocarbon tail.)

8) If E < 0 the transition is accepted and the lipid molecule is allowed to retain its new position. If E > 0, then a quantity exp(-E/kT) is calculated.

9) The quantity exp(-E/kT) is compared to a random number RANF (28). 0 < RANF < 1. If exp(-E/kT) < RANF then the move is rejected and the chain is moved back to its previous position. If exp(-E/kT) > RANF then move is accepted.

10) Above procedure is carried out for a large number of steps.

In Metropolis Monte Carlo method the configurations are not chosen randomly but are selected such that the transition probability P_{ij} , between states i and j is proportional to a Boltzman factor, thus

$$P_{ij} = (1/N) * (U_i/U_j) \qquad i \neq j; U_i > U_j$$
(5)

$$P_{ij} = (1/N)$$
 $i = j; U_i < U_j$ (6)

$$P_{ii} = 1 - P_{ij}$$
 (7)

where

 $U_j \propto \exp(-E_j / kT)$ (8)

and

N = number of states

 $U_i \propto exp(-E_i / kT)$

Under these conditions

$$\langle A \rangle = (\sum_{i} A_{i} \exp(-E_{i}/kT)) / (\sum_{i} \exp(-E_{i}/kT))$$
 (9)

simply reduces to arithmetic average. The average value of the quantity A at some step s is given by

$$\langle A \rangle = (1/n) \sum_{n=1}^{S} A_{s}$$

where, n is the number of iterations carried out in the averaging process. In practice n is a large but finite number. Steps (8) and (9) above lead to selection of configurations that are lower in energy and thus eventually would take the system to its equilibrium state.

The average order parameter $\langle S_n \rangle$ for each bond number in all the chains is calculated by the procedure described above. For example, S_3 is an average order parameter for bond number 3 on all 35 chains. The flow chart (Figure 12) summarizes the procedure laid above for calculation of the average order parameters. It should be noted that the small displacement dr mentioned in the flow chart is chosen withsome consideration. If dr is too small then it will take long time for the system to reach equilibrium (wasting valuable computer time) and if dr is too large then too many moves will be rejected.



Figure 12. Flow Chart Displaying Monte Carlo Averaging Procedure.

hydrocarbon chains of the lipid molecules in this unit cell but one of the molecules namely molecule at the 22nd site is replaced bycholesterol molecule. The cell dimension are chosen so as to have approximately 29 Angstrom square area per acyl chain, (not including area of cholesterol). This area corresponds to lipid bilayer area per chain in its fluid state (29). The choice of site number 22 is arbitrary and was chosen to create an asymmetric unit cell. The cholesterol molecule with its surrounding lipids forms an hexagonal array (29). (figure 13). The first and the next nearest neighbors of cholesterol are clearly defined at the beginning of the program. Co-ordinates of the carbon atoms in the sterol ring structure were calculated assuming rings to be planar. The molecule itself is anchored to the membrane at the third carbon (at which B-hydroxy group is located, Figure 6).

Thirty six hydrocarbon chains were then simulated - including 'tail' on the cholesterol ring - by use of rotation matrix operator. C-C bond length was taken to be 1.53 A., and bond angle 109.5 degrees. The C-C bond position vector RVEC has its components as the projections along x,y,z axes. Initially components of RVECs for all chains are set to be (1.53,0,0). Next a rotation matrix operator ROT is defined,

$$ROT = \begin{bmatrix} \cos X & \sin X \cos Y_{i} & \sin X \sin Y_{i} \\ \sin X & -\cos X \cos Y_{i} & -\cos X \sin Y_{i} \\ 0 & -\sin Y_{i} & \cos Y_{i} \end{bmatrix}$$
(10)


Figure 13. A Model of a Unit Cell.

where X = 70.5 degrees (complementary angle of 109.5 degrees) and Yi = gauche rotation angle = +120 or -120 degrees for bond i. But initially all the chains are desired to be in all trans state and so Yi is 0 degrees for all bonds. Operator ROT then becomes,

$$ROT = \begin{bmatrix} Cos X & Sin X & 0 \\ Sin X & -Cos X & 0 \\ 0 & 0 & 1 \end{bmatrix}$$
(11)

The remaining chain i.e. x,y,z components of RVECs (giving positions of carbons on the chain) are obtained by successive application of the matrix operator.

$$\begin{bmatrix} \cos X & \sin X & 0 \\ \sin X & -\cos X & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \end{bmatrix} = \begin{bmatrix} x' \\ y' \\ z' \end{bmatrix}$$
(12)

The axes of these chains are not perpendicular to the y-z plane. In order to achieve this, these chains should be tilted. Therefore, another rotation matrix operator RT is defined.

$$RT = \begin{bmatrix} \cos(X/2) & \sin(X/2) & 0 \\ \sin(X/2) & -\cos(X/2) & 0 \\ 0 & 0 & 1 \end{bmatrix}$$
(13)

This operator operates on each component of RVECs to produce chains that are perpendicular to the yz plane of the membrane.

$$\begin{bmatrix} \cos (X/2) & \sin (X/2) & 0 \\ \sin (X/2) & -\cos (X/2) & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x' \\ y' \\ z' \end{bmatrix} = \begin{bmatrix} x'' \\ y'' \\ z'' \end{bmatrix}$$
(14)

The chains simulated in this manner are in all trans state, their planes being parallel to x-y plane. Each chain in our model is 16 CH₂ units long. The cholesterol tail is shorter, being only 6 CH₂ units long. This short chain is located on the 21st carbon atom of cholesterol. The chain is thus 'placed' on 21st atom simply by adding co-ordinates of 21st carbon to that of first carbon atom of the 'tail'.

Thus far a computer simulated model of the unit cell has been created, with 35 chains in all trans state and cholesterol molecule at the 22nd site. This defines initial configuration of our system. The position co-ordinates of all carbon atoms are known and saved.

The total energy of each chain in this configuration can be computed by summing its internal energy due to any gauche rotations about C-C bonds and interaction energy between all carbon atoms of this chain and all other carbon atoms within interaction range, including those of cholesterol molecule.

$$E = E(i) + \sum_{CH_{2}'s} \sum_{i \neq j} \frac{\epsilon((\delta / r_{ij})^{2} - (\delta / r_{ij})^{6})}{(\delta / r_{ij})^{6}}$$
(15)

where E(i) = internal energy due to gauche rotation (+120 or -120 deg.) of bond number i. E(i) = 500 cal/mole for single gauche rotation and 2500 cal/mole for successive gauche rotations.

The pairwise interaction is obtained by summing Van der Waal interaction energies over all pairs i.e. all CH_2 's of that chain and all other CH_2 's within interaction range. Here \in and \checkmark are Van der Waal parameters, with their values (30) \in = 118 cal/mole and \checkmark = 3.905 A., r_{ij} = distance between CH_2 's on i th and j th chain - including those on chain number 22 - within the interaction range. The condition i \neq j is imposed so as to avoid 'self energy' being calculated. The total energy of initial configuration is thus known.

At this stage we are ready to put the system in a new configuration. A chain is picked and it is translated through a small distance dr. Its long axis still being perpendicular to y-z plane. On the same chain a bond is picked randomly according to the transition probability P_{ij} between states i and j and gauche rotation is attempted. The positions of the carbon atoms of a lipid chain, before and after a



GAUCHE ROTATION

Figure 14. Gauche Rotation.

gauche rotation can be described in terms of a dihedral angle. Consider for example the atoms labelled as A, B, C, D in Figure 14. For the all trans configuration of this chain all four atoms A, B, C, D lie in one plane. More specifically the dihedral angle between the plane containing atoms A, B, C and the plane containing atoms B, C, D is 180 degrees. If a gauche rotation is performed about the bond joining atoms B-C, then the positions of atoms A, B, C remain unchanged. Atom D (and the subsequent atoms of this chain) will occupy new position as a result of gauche rotation. The dihedral angle between the plane containing atoms A, B, C and the plane containing atoms B, C, D is now 120° . Note that the first bond between $C_1 - C_2$ remains fixed at all times i.e. it is never picked for attempting gauche rotation. The transition probability P_{ij} can be calculated as follows.

- (a) $P_{ij} = P(t \rightarrow g+) = P(t \rightarrow g-) = (1/N) \exp(-E / kT)$ = 1/3 exp((-500 cal/mole)) / ((1.987 cal/mole-K)(300 K) = 0.144
- (b) $P_{q+\to t} = 1/3$

(c)
$$P_{tt} = 1 - 2/3 \text{ epx} (-500 / 1.987 \text{ T})$$

- (d) $P_{gg} = 1/3 \exp(-2200 / 1.98 T)$
- (e) $P_{g+g+} = 1 1/3 1/3 \exp(-2200 / 1.987 T)$

Energy of this new configuration is calculated as described previously (Equation 15). The energy difference between the previous (old) configuration and new configuration is calculated at this stage. Also, at this stage periodic boundary condition is applied. Following which a subroutine CHECK, is devised in order to check overlap of two chains. If carbon atoms belonging to two chains come within a fixed hard-core diameter then they are said to overlap. If such an overlap occurs then the move is rejected and the chain is restored to its previous position. This makes saving the position co-ordinates very important in the program.

The energy difference $(DEL(E_{ij}))$, between the previous configuration and the newly accepted one is then examined as follows.

If $\text{DEL}(\text{E}_{ij}) < 0$, then the new state is accepted. If $\text{DEL}(\text{E}_{ij}) > 0$ then a quantity $\exp(-\text{DEL}(\text{E}_{ij})/kT)$, let it be denoted by D, is calculated and compared to a random number RANF between 0 and 1.

If D > RANF then new state is accepted and If D < RANF the new state is rejected. Such a test ensures that each new configuration is chosen so that system as a whole will reach the equilibrium in a large but finite number of steps.

Following this an average order parameter is calculated for all 15 bonds of all chains.

All computations were performed at the Oklahoma State University Computer Center facilities using IBM mainframe machine. The random number generated by the computer program RANF was developed by J. P. Chandler of the Computer Science Department. The results of our study is presented in the next chapter followed by discussion.

CHAPTER III

RESULTS AND DISCUSSION

The results obtained by computer simulations are shown in Figures 15 and 16. The Tables in I and II show average values for the bond order parameter and the standard deviations of the bonds on cholesterol neighboring chains and all acyl chains respectively. Figure 15 shows graph of order parameter averaged over each bond in acyl chains neighboring cholesterol molecule versus bond number. Figure 16 shows values of order parameters for all chains plotted versus bond number. Each chain in our simulation had been 16 CH₂ units long.

Cholesterol ring structure was assumed to be planar although in reality the rings are 'puckered'. Yet our model is very close approximation of the actual molecule.

As mentioned earlier in Chapter II, the transition probabilities are proportional to Boltzman factor $\exp(-E_{ij} / kT)$. The absolute temperature of the simulated model was chosen to be 300 K at all times. The rotational probabilities were thus proportional to $\exp(-E_{ij} / kT)$, with appropriate values of E_{ij} . Since the temperature enters in the calculation of the probabilities, one might suspect that it plays a



Average Order Parameters vs. Bond Numbers

Figure 15. Plot of Sn vs. Bond Number for Boundary Lipids.



Average Order Parameters vs. Bond Numbers'

Figure 16. Plot of Sn vs. Bond Number for Lipid Chains.

TABLE I

Bond Number	< s _n >	Standard Deviation
1	1.00000	0.00000E+00
2	0.88200	0.98259E-02
3	0.88867	0.14815E-01
4	0.76817	0.18964E-01
5	0.87461	0.18454E-01
6	0.71137	0.51546E-01
7	0.82461	0.38985E-01
8	0.73685	0.42919E-01
9	0.73435	0.93022E-02
10	0.77325	0.74824E-01
11	0.72262	0.99968E-01
12	0.71149	0.33530E-01
13 -	0.66078	0.78854E-01
14	0.62665	0.33124E-01
15	0.52882	0.47242E-01

1

AVERAGE VALUES OF THE ORDER PARAMETERS AND THE STANDARD DEVIATIONS FOR THE BONDS ON THE CHOLESTEROL NEIGHBORING CHAINS.

TABLE II

Bond Number	 < s _n >	Standard Deviation
1	1.00000	0.00000E+00
2	0.84918	0.10306E-01
3	0.87891	0.93375E-02
4	0.76051	0.19716E-01
5	0.89466	0.14034E-01
6	0.72296	0.435117E-01
7	0.84420	0.35723E-01
8	0.73252	0.32989E001
9	0.75443	0.25289E-01
10	0.79258	0.85399E-01
11	0.72546	0.65777E-01
12	0.71829	0.29268E-01
13	0.64602	0.50648E-01
14	0.63105	0.43373E-01
15	0.53266	0.39056E-01

+

AVERAGE VALUES OF THE ORDER PARAMETERS AND THE STANDARD DEVIATIONS FOR THE BONDS ON THE ALL ACYL CHAINS.

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significant role in the outcome of the results. In fact, as found by Scott (22), the values of order parameters are not affected appreciably for two identical systems at different temperatures.

The Monte Carlo averages of the order parameters were found after 20,000 steps, where each step involves more of a single molecule. Although a large number of steps is desirable for more reliable results, it is believed that these averages are adequate, i.e. these values of S_n converge.

Superimposing plots shown in Figures 15 and 16 it is seen that there is very little difference in the order parameter profiles for the bulk and boundary lipids. This implies that the presence of a single cholesterol molecule in the unit cell simulated in our study did not affect the equilibrium of lipid chain states to a significant degree.

The length of a cholesterol molecule is about 19 angstroms. This includes the rigid ring structure (about 11 angstroms) and its tail (about 8 angstroms). The length of an acyl chain, in its all trans state, is also about the same. This was found by taking the product of the projection of the C-C bond vector on the x axis (1.27 angstroms) and the number of bonds. The rigid ring structure should restrict the motion of first 8 to 9 bonds. This is implied by higher values of the order parameters. Remaining 6 to 7 bonds are less restricted and highly interact with the tail of the cholesterol. The values of the order parameters for these bonds declined rapidly (Figure 16).

As described in the flow chart (Figure 12) the acyl chains were translated in the plane of the bilayer before attempting gauche rotations. The principal axis of an acyl chain was still perpendicular to the plane of the bilayer. The side-to-side motion of the chains (Figure 11) was not included in our simulation, nor did we include rotational diffusion of acyl chains.

The effect of tilting of the chains on the order parameters has been studied (31). It is reasonable to expect that such motion will further enhance the interactions between CH_2 groups on the neighboring chains. This will reduce the values of the order parameters. The values of the order parameters reflect the extent of disorder in the chains. Since an acyl chain is attached to the membrane surface at the carbon C_1 , it is immobile. A first few top bonds show less disorder and tend to remain in their gauche states a longer time. The lower bonds being more free to rotate about C-C bonds alter their rotational states frequently. Therefore, there is a consistent decline in the values of the order parameters. But because of the comparable lengths of the acyl chains and the cholesterol molecule, the chains are unable to fold themselves.

The principal conclusion derived from this study is that a single molecule of cholesterol situated among 6x6 array of lipid chains cannot affect the equilibrium of lipid states. This is why the order parameter profiles for the boundary lipids and the bulk lipids follow the same

pattern. This conclusion is consistent with the lipid-protein interaction study by Scott (22).

Increasing lipid-cholesterol ratio will increase computation time to some extent and complexity of the problem. It will be interesting to include at least one more cholesterol molecule in our simulation and observe some changes due to increased interactions.

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APPENDIX A

COMPUTER PROGRAM FOR THE CALCULATION OF THE AVERAGE VALUES OF THE ORDER

PARAMETERS

	· C	
	C	
	С	MONTE-CARLO SIMULATION PROGRAM FOR LIFID CHOLESTEROL INTERACTION
	C	CHAIN NUMBER 22 IS CHOLESTEROL
	č	
	Ċ	THIS PROGRAM COMPUTES AN OPPER PARAMETER WHICH IS A MEASURE
	c	OF INTERACTION RETWEEN LIDED CHAINS AND CHOLESTERDI MOLECULE
	č	IN A MEMPANIE
	č	IN A MEMORANE.
		ATTACATE DANAL TERE USED IN THE BROCKAR ATTACATES
	C	ANGE CULTURE AND
	C	ANGECHAIN LONG AXIS RUIATIUN
	C	CRUT = RECIPRUCAL OF (BULIZMAN CONSTITUTE)
	C C	CRUT = RANDOM NOMBER FOR AXIAL RUTATION
	C	CPS = SAVED CAREON CO-ORDINATES
	C	CHK = SUBRUUTINE :CHECKS OVERLAPS, CALCULATES ENERGY
	С	CP = CARBON POSITION
	С	DEL = ENERGY DIFFERENCE IN GAUCH TRANS CONFIGURATIONS
	С	EPK = LIPID CHOLESTEROL INTERACTION ENERGY
	С	EOLD = OLD LIPID CHOLESTEROL INTERACTION ENERGY
	С	ENEW = NEW TOTAL ENERGY
	Ċ	EOLD = OLD TOTAL ENERGY
	C	EVWD = VANDER WAALS ENERGY
	С	ESV = SAVED ENERGY
	С	EPIL = 6 - 12 ENERGY PARAMETER
	С	GASIN = SIN 120 DEGREES
	č	GACOS = COS 120 DEGREES
	č	GE = +1(+120) DEGREES RUTATION OF ROND)
	č	GS = SAVED CO-ODDINATES
	č	IDAN - CALLS TO DAN RECORE DOOL STARTS
	Č	IRAN - CALLS TO RAIN BEFORE FROG STARTS
	C	IFR' - PRINT INTERVAL
	C	IC,ICC = USED IU PICK BUNDS FUR GAUCH RUTATIONS
ISN	1	COMMON CP(3 27 36) RVEC(3 27 36) NCHAIN NLINK SIZEY SIZEZ RC
ISN	2	COMMON/1ST/BANG LIST JUST LDST
ISN	3	COMMON/VDW/SIG EPI
ISN	4	DIMENSION POT(3 3) AVEC(3 27) D(3) ROTN(3 3) ROTP(3 3)
ISN	5	DIMENSION DVECH $(3, 4)$ (HP $(3, 4)$ TVEC $(3, 16, 36)$
ISN	ŝ	COMMON/CHE/EED SV S7 SVC(27) SVC(27) NPP(36) NNP(36)
ESN	7	DIMENSION CERTER, $G(27, 32)$, $G(27)$
	9	$DIMENSION (G(27, 36), ESC(36), VND(36, -, 36), DF(36) \\ DIMENSION (VDC(46), VDC(46), ZDC(46), ZNN(45), NFE(4(36), ANG(36)) \\ DIMENSION (VDC(46), ZDC(46), ZNN(45), ZNN(45), NFE(4(36), ANG(36)) \\ DIMENSION (VDC(46), ZDC(46), ZNN(46), ZNN(45), ZNN(46)) \\ DIMENSION (VDC(46), ZNN(46), ZNN(46), ZNN(46), ZNN(46)) \\ DIMENSION (VDC(46), ZNN(46), ZNN(46), ZNN(46), ZNN(46), ZNN(46)) \\ DIMENSION (VDC(46), ZNN(46), ZNN(46$
	0	DIMENSION $AFR(15), TR(15), ZFR(15), ZRR(15), IREC(36), ARG(36)$
	•	DIMENSION $GR(27, 36)$ DIMENSION $GR(27, 36)$ DIMENSION $GR(27, 36)$
	10	DIMENSION NN(36,36), EVDW(36,36), RSV(3,21,36), CFS(3,21,36)
	11	DIMENSION $IC(36), IC(36), EC(36), EC(27), GASIN(37, GACUS(3))$
120	12	DIMENSION DCH $(2,27)$, CHUE $(3,27)$, DSI (16) , DOV (3)
ISN	13	UIMENSIUN ENEW(36), EOLD(36)
ISN	14	DIMENSION DEL(36), EPK(36), EPOLD(36), CMP(36), RT(3,3), CROT(36)
ISN	15	PARAMETER(RAD=4.,RREP=7.05,T=300.,NMAX=50.NMIN=0)
ISN	16	PARAMETER(IPRT=25,IRAN=17,RRR=9,RPEP=40.)
	Ċ	******SOME MORE PARAMETERS IN THIS PROGRAM ********
	C	KTR = CHAIN BEING TRANSLATED AND ROTATED

		<pre>C NMAX = # OF STEPS FOR AVERAGING NMIN = # OF STEPS TO EQUILIERATE NNP = CHOL NEICHBOR MATRIX NPP = CHOL NEICHBOR MATRIX NCHAIN = # OF CHAINS NLINK = # OF BONDS REPE = RADIUS OF PEPTIDE(ORIGINAL PROG PARAMETER) A PARAMETER 'DPX'IS COMPARED TO RPEP AND RNNN AND SUBJECT TO CONDITIONS NPP AND NNP ARE SET EQUAL TO 1(LNES 6150-6250) RRR,RPEP.RAD = CUTOFF RADII RT = SECOND ROT OPERATOP(LONG AXIS) ROT = FIRST ROT OPERATOR (BOND-BOND) RVEC = C TO C BOND VECTORS SAVG = AVERAGE DORER PARAMETER SSVG = INITIAL AVG ORDER PARAMETER SSVG = INITIAL AVG ORDER PARAMETER SIZEY.SIZEZ = CELL DIMENSION X = COMPLEMENTARY ANGLE OF 109.5 DEGREES =70.5 DEGREES INITIALIZE '-SIZEY.SIZEZ REFER TO THE DIMENSION OF THE CELL SIG = 3.905 ANGSTROM IS VAN DER WALL RADIUS: EPIL=118 CAL/MOLE IS VANDER WALL ENERGY: CELL DIMENSION IS ADJUSTED TO GIVE 29 ANGSROM SOUARE AREA PER LIPID HEADGROUP. THREE ARE 36 CHAINS IN A CELL :ONE OF WHICH (CHAIN #22) IS CHOLESTEROL(PERTUREANT).REMAINING LIPID CHAINS ARE 10 CH2 UNITS IN LENGTH.AND ARE PERPANDICULAR TO CELL SURFACE SUBPROGRAMS SUBPROGRAM :CHECK ,CHECKS FOR OVERLAPS AND CALCULATES 6-12 ENERGIES BETWEEN CHAIN NO. KTR AND ALL OTHER CHAINS. SUBPROGRAM :CH2(XFR,YPR), CALCULATES ORDER PARAMETERS 'S' SUBPROGRAM :CH1 , GENERATES THE 'TAIL'CHAIN OF CHOLESTEROL. C' C' C' C' C' C' C' C' C' C' C' C' C'</pre>
ISN	17	C*************************************
ISN	18	
ISN	19	RANG=(RRR)**2
ISN	20	NCHAIN=36
ISN	21	NLINK=16
ISN	22	BND=RAD/2. DD 99 LL=1 NCHAIN
ISN	24	99 ESV(LL)=0.
ISN	25	JSKIP=3*NLINK
ISN	26	IREJ=0
ISN	27	
T 2N	28	LJKIP=J*LLINK SI7FV=J4_2
ISN	30	SIZE7-34.2 SIZEZ=29.61807

_

I SN I SN I SN I SN I SN	31 32 - 33 34 35		SIG=3.905 SIG=SIG+*2 SIGLP=SIG EPIL=118. SZ=SIZEZ-RRR
15N	96	0000000	SYESIZEYERR INITIALIZE LIPID-CHOLESTEROL NEIGHBOR ARRAYS: CHOL MOLECULE IN THE CENTRE OF HEXAGONAL ARRAY OF LIPIDS NPP REFERS TO THE NEAREST NEIGHBORS OF CHOL (SIX OF THEM) NNP REFERS TO THE NEXT NEAREST NEIGHBORS (TWELVE OF THEM) NUMBER IN BRACKET E.G. NPP(28) IS CHAIN NUMBER
ISN ISN ISN ISN ISN ISN	37 38 39 40 41 42		DO 3 II=1,NCHAIN NPP(II)=0 NNP(II)=0 DO 3 JJ=1,NCHAIN IF(II.E0.JJ)GO TO 2 NN(II.JJ)=0
ISN ISN ISN ISN ISN ISN	43 44 45 46 47 48	2 3 4	GO TO 3 NN(II,JJ)=1 CONTINUE DO 4 LL=1,LLINK YPR(LL)=0. XPR(LL)=0.
ISN ISN ISN ISN ISN ISN ISN	49 50 51 52 53 54 55		NPP(16)=1 NPP(17)=1 NPP(21)=1 NPP(22)=0 NPP(23)=1 NPP(28)=1 NPP(29)=1
ISN ISN ISN ISN ISN ISN	56 57 58 59 60 61 62		NNP(9)=1 NNP(10)=1 NNP(11)=1 NNP(15)=1 NNP(18)=1 NNP(20)=1 NNP(24)=1
I SN I SN I SN I SN I SN	634 656 657	c	NNP (27) = 1 NNP (30) = 1 NNP (33) = 1 NNP (34) = 1 NNP (35) = 1
		000000	*****CD-ORDINATES OF CARBON ATOMS OF CHOLESTEROL***** FIRST NUMBER IN THE BRACKET IS CO-ORD,SECOND IS CARBON NUMBER UPPER LEFT CORNER OF THE CELL IS ORIGIN,CARTESIAN SYSTEM. CARBON-CARBON BOND IS 1.53 A:BOND ANGLE IS 109.5 DEGREES.
ISN ISN ISN ISN ISN ISN	68 69 70 71 72 73	-	CHOL(1,1)=2.413 CHOL(2,1)=18.524979 CHOL(3,1)=16.404443 CHOL(1,2)=0.883 CHOL(2,2)=18.524979 CHOL(2,2)=16.404443

ISN	7.4		CHOL(1,3)=0:0	
ISN	75		CHOL (2, 3) - 18 524070	
TEN	70			
1 3 1	70		CHUL(3,3)=15,155443	
ISN	17		CHOL(1,4)=0.883	
ISN	78		CHOL(2,4)=18,524979	
ISN	79		CHOL(3, 4) = 13, 906443	
TSN	80			
I SIN	80		CHOL(1,5)=2.413	
ISN	81		CHOL(2,5)=18.524979	
ISN	82		CHOL(3,5)=13,906443	
ISN	83		CHOL(1,6)=3,300	
ISN	8.1			
1			CHUL(2,6)-18.524979	
151	85		CHUL(3,6) = 12.657443	
ISN	86		CHOL(1.7)=4.830	
ISN	87		CHOL(2,7)=18,524979	
ISN	88		CHOI(3,7) = 12,657443	
TSM	80			
151	000			
1 514	90		CHUL(2,8) = 18.524979	
ISN	91		CHOL(3.8)=13.906443	
ISN	92		CHUL(1,9)=4,830	
ISN	93		CHOI(2, 9) = 18, 521979	
ISN	9.1		CHOL(2,0) = 16.524375	
	34		CHOL(3,9)=15,155443	
ISN	95		CHUL(1,10)=3.300	
ISN	. 96		CHDL(2,10)=18.524979	
ISN	97		CHOL(3,10)=15,155443	
ISN	98		CHOL(1, 11) = 3,300	
ISN	99		CHOL (2, 11)=20, 0544070	
TCN	100		C(OL(2, 11) - 20.0544979)	
150	100		CHUL(3,11)=15,155443	
ISN	101		CHOL(1,12)=7.243	
ISN	102		CHOL(2,12)=18.524979	
ISN	103		CHOL(3, 12) = 16, 404443	
ISN	104		$CHO_1(1, 13) = 5, 713$	
TEN	105		CHOL(2, 13) = 18, E04070	
ISN	105		CHUL(2,13)-18.524979	
ISN	106		CHUL(3, 13) = 16.404443	
ISN	107		CHOL(1,14)=7.243	
ISN	108		CHOL(2,14)=18.524979	
ISN	109		CHOL(3,14)=13,906443	
ISN	110		CHOI(1, 15) = 8, 132	
TSN	111		(HO)(2, 15) = 18, 524979	
TCN			C(OL(2, 13) = 18.324979)	
1.514	112		CHUL(3, 15) = 12.664443	
15N	113		CHOL(1, 16) = 11.132	
ISN	114		CHOL(2,16)=18.524979	
ISN	115		CHOL(3,16)=13,191443	
I SN	116		CHOL(1, 17) = 9,593	
TSN	117		(HOL(2, 17) = 18, 524979)	
1 3 1			CHOL(2, 17) = 18.524979	
151	118		CHUL(3, 17) = 14.720943	
ISN	119		CHOL(1,18)=8.126	
ISN	120		CHOL(2,18)=18.524979	
ISN	121		CHOL(3, 18) = 15, 155443	
ISN	122		CHO!(1 19)=8 126	
TEN	100		CHOL (2, 40)-20, 05 4070	
1 DIN	123		CHUL(2,19)=20.0549/9	
ISN	124		CHUL(3,19)=15.155443	
ISN	125		CHOL(1,21)=9.593	
ISN	126		CHOL(2,21)=20,054979	
ISN	127		CHDL (3, 21)=15, 155443	
		C	0.00(0/2//=10/100440	
		GENERATING	G CHULESTERUL CHAIN CU-ORDINATES	********

÷

		C TH C AR C EX C PR C WH C TH C EU	E POSITIONS OF CARBONS(CP) E FOUND BY USING THE SUBPRO ACTLY IN THE SAME MANNER AS OGRAM EXCEPT THAT THIS CHAI ICH IS AT THE LOWER END OF US FOR THIS CHAIN CP(1,1,K) T CP(1,1,K)=9.5930 WHICH IS	ON THE CHAIN OF THIS MOLECULE G CHOL1. THE CHAIN IS GENERATED THE OTHER CHAINS IN THE MAIN N IS LOCATED ON THE 21ST CAREON THE RIGID RING SSTRUCTURE. IS NOT EQUAL TO O. THE X CO-ORD OF 21ST CAREON.
I SN I SN I SN I SN I SN I SN I SN I SN	128 129 130 131 132 133 134 135 136 137 138 139 140 141 142 143 144 145 146 147	ссск	CHO CF CHO CHO CHO CHO CH CF CF CF CF CF CF CF CF CF CF CF CF CF	DL(1,20)=8.34354 HOL(2.20)=19.17194 HOL(3.20)=15.15544 HOL(3.22)=10.84246 HOL(3.22)=15.15544 HOL(3.22)=15.15544 HOL(1.23)=20.05498 HOL(2.23)=20.05498 HOL(3.23)=15.15544 HOL(1.24)=13.34138 HOL(2.24)=19.17194 HOL(3.24)=15.15544 HOL(1.25)=20.05498 HOL(3.25)=15.15544 HOL(1.26)=15.8403 HOL(2.26)=19.17194 HOL(3.26)=15.15544 HOL(2.27)=21.30444 HOL(3.27)=14.59084 HOL(3.27)=16.03847 IN THE RIGID RING STRUCTURE MMS IN THE "TAIL" CHAIN HTTICE: ELSE SET IT = 0
ISN	149	c î	DD 6666 I=1.3	THICE: ELSE SET IT = 0
ISN	150		DD 6669 J=1,27	
ISN	151	6669	CP(I,J,22)=CHOL(I,J)	•
ISN	152	6666	CUNTINUE KSTART=1	
ISN	154		IF (KSTART NE 0)GD TD 10	
ISN	155		GO TO 15	
ISN	158	10	CONTINUE	
ISN	157		DO 13 I=1.NCHAIN	
ISN	158	12	DU 13 J=1.NLINK	
ISN	159	13	BR(0,1)=0.	
ISN	161		RI=2.85	
ISN	162		DLZ=5.0*(.8660254)	
ISN	163		RLZ=DLZ/2.	
ISN	164		DD 21 J=1.6.2	
ISN	165		DU = 21 L = 1,6	
ISN	167		$X_{i} = F_{i} OAT(i - 1)$	•
ISN	168		JL = L + 6 * (J - 1)	
ISN	169		IF (JL .EQ. 22) GO TO 21	
1.011				
15N	170		CP(2,1,JL)=RI+1.425+DLL*XL	-

I SN I SN I SN I SN I SN I SN I SN I SN	172 173 174 175 176 177 178 179 180 181 182 183	2 1 2 2 1 5	CONTINUE D0 22 J=2.6.2 D0 22 L=1.6 JL=L+6*(J-1) XL=FLOAT(L-1) XJ=FLOAT(J-1) IF (JL .EQ. 22) GO TO 22 CP(2.1,JL)=DLL*XL+1.425 CP(3.1,JL)=RLZ+DLZ*XJ CONTINUE GO TO 48 CONTINUE
			USING ROTATION MATRICES SUCCESSIVELY INITIAL CHAIN POSITIONS ARE CALCULATED .
ISN ISN ISN ISN ISN ISN ISN ISN ISN ISN	184 185 186 187 188 190 191 192 193 195	- - -	REWIND 9 DO 16 L=1.NCHAIN READ(9.46)ANG(L) IF (L.EQ. 22) THEN IZ1=21 IZ2=27 ELSE IZ1=1 IZ2=16 ENDIF DO 16 J=1.IZ2 READ(9.45)(CP(K.LL) RVEC(K.LL) K=1.2) CP(LL)
ISN	196	16	CONTINUE
ISN	197	45	FORMAT(7F12.6)
ISN	198	46	FORMAT(F12.6)
ISN	199	48	CONTINUE
ISN	200		XDN=NMAX-NMIN
ISN	201		EKT=1./(1.987*T)
ISN	202		PRINT 1233.(D(J).J=1.3).RREP.T
ISN	203	1233	FORMAT(4X, 'CHOL RUN', 3A4, 'RREP= ', F10.3, 5X, 'TEMP= ', F10.3//)
ISN	204		PRINT 1230
15N	205	1230	FORMAT(SX, 'NMAX', 6X, 'NMIN', 6X, 'ILST', 6X, 'KSTART'//)
ISN	206	4004	PRINT 1234, MMAX, NMIN, ILSI, KSTART
ISN	207	1234	P_{1} P_{1
I SIN	208		
ISN	209		11-2P1/3.
TSN	210		
ISN	212		GASIN(1) = SIN(Y1)
ISN	213		GACDS(1)=CDS(Y1)
ISN	214		GASIN(2) = SIN(Y2)
ISN	215		GACDS(2) = CDS(Y2)
ISN	216		GASIN(3) = SIN(Y3)
ISN	217		GACOS(3)=COS(Y3)
ISN	218		X=70.5*PI/180.
ISN	219		ESD=SIN(X)
ISN	220		ECD=CDS(X)
ISN	221		ESON=SIN(-X)
ISN	222		ECON=COS(-X)
ISN	223		ES=SIN(X/2.)

1 5 1	224		EC=COS(X/2.)				
ISN	225		ROTN(1,1)=ECON				
ISN	226		ROTN(2,1)=ESCN				
ISN	227		ROTN(3,1)=0.0				
ISN	228		ROTN(1,2)=-ESON				
ISN	229		ROTN(2,2)=ECON				
ISN	230		ROTN(3,2)=0.0				
ISN	231		ROTN(1,3)=0.0				
ISN	232		ROTN(2,3)=0.0				
ISN	233		ROTN(3,3)=1.0				
ISN	234		ROTP(1,1)=ECO				
ISN	235		ROTP(2,1)=ESD				
ISN	236		ROTP(3,1)=0.0				
ISN	237		ROTP(1,2) = -ESO				
ISN	238		ROTP(2.2)=ECO				
ISN	239		ROTP(3,2)=0.0				
ISN	240		RDTP(1,3)=0.0				
ISN	241		ROTP(2,3)=0.0				
ISN	242		ROTP(3,3)=1.0				
		С	ELEMENTS OF ROTATION MATRICES	ROT	AND RT	ARE	DEFINED
		С	ANGLE X=70.5 DEGREES				
ISN	243		ROT(1,1)=ECO				
ISN	244		ROT(2,1)=ESO				
ISN	245		RDT(3,1)=0.				
ISN	246		ROT(1,2)=ESO				
ISN	247		ROT(2,2) = -ECO				
ISN	248		ROT(3,2)=0.				
ISN	249		ROT(1,3)=0.				
ISN	250		ROT(2,3)=0				
ISN	251		ROT(3,3)=1				
1 0 1	252		DD 116 I=1 NI INK				
ISN	252		SAVG(I)=0				
ISN	254	116					
TSN	255	110	DD 6000 I=1 NCHAIN				
ISN	255		LE(1 E0 22) GB TB 6000				
TSN	250		CP(1, 1, 1)=0, 0				
TSN	259	6000	ANG(1)=0.0				
TSN	250	0000	PT(1, 1) = FC				
TSN	255		PT(2, 1)-ES				
TSN	260		PT(3, 1)=0				
TCN	261		DT(1 2)				
TSN	202		PT(2,2)=C				
TSN	203		PT(2,2)=0				
TCN	204		$R^{+}(3,2)=0$				
TCN	200		RT(1,3)-0.				
TCN	200		RT(2,3)=0.				
ISN	207		$R^{+}(3,3)=1$.				
TCN	200		TP (KSTART.EU.U/GU TU TSS				
TCN	209		TE (V NE 22) COTO 6000				
ISN	270		CALL CHOLI (DDT DT AVEC)				
1 DIN	. 2/1		TV-00				
ISN	272		11=22				
I SIN	2/3		DU /046 12=21,2/ CS(17 IV)-CD(17 IV)				
ISN	274		03(12,11)=0K(12,11)				
ISN	275		DU /049 IW=1.3 DCV(IW IZ IV)-DVEC(IW IZ IV)				
ISN	276		KSV(IW,IZ,IY)=RVEC(IW,IZ,IY)				
1 SN	277	7049	CUNTINUE				

....

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ISN	278	7048	CONTINUE
ISN	279		DO 7019 IZ=1,27
ISN	280		DO 7029 IW=1,3
ISN	281		CPS(IW,IZ,IY)=CP(IW,IZ,IY)
ISN	282	7029	CONTINUE
ISN	283	7019	CONTINUE
		CL***	*****
ISN	284		GO TO 150
ISN	285	6999	CONTINUE
ISN	286		RVEC(1,1,K)=1.53
ISN	287		DD 6001 I=2,3
ISN	288	6001	RVEC(I,1,K)=0.
ISN	289		DO 145 J=2.NLINK
ISN	290		
ISN	291		DO 147 I=1,3
ISN	292		RVEC(I,J,K)=O.
ISN	293		DO 6002 IY=1.3
ISN	294	6002	RVEC(I,J,K)=RVEC(I,J,K)+RVEC(IY,L,K)*ROT(IY,I)
I.SN	295	147	CONTINUE
ISN	296	145	CONTINUE
ISN	297		DO 6003 I=1,3
ISN	298		D0 6004 J=1.NLINK
ISN	299	6004	AVEC(I.J)=RVEC(I.J.K)
ISN	300	6003	CONTINUE
ISN	301		DO 148 I=1.3
ISN	302		DD 148 J=1.NLINK
ISN	303		RVEC(I.J.K)=0.
ISN	304		DD 6005 IY=1.3
ISN	305	6005	RVEC(I,J,K)=RVEC(I,J,K)+AVEC(IY,J)*RT(IY,I)
ISN	306	148	CONTINUE
ISN	307		DD 149 J=2.NLINK
15N	308		
ISN	309		DD 6006 I=1.3
ISN	310	6006	CP(I,J,K)=CP(I,JJ,K)+RVEC(I,JJ,K)
ISN	311	149	CONTINUE
ISN	312	150	CONTINUE
ISN	313	140	CONTINUE
ISN	314	155	PRINT 1109
ISN	315	1109	FORMAT(18X, 'INITIAL VALUES OF CP & IG' ///)
ISN	316		DD 165 L=1.NCHAIN
ISN	317		J1=1
ISN	318		J2=NLINK
ISN	319		IF(L.EQ.22)THEN
ISN	320		1=21
ISN	321		12=27
ISN	322		END IF
ISN	323		DD = 165 = 11 = 12
TSN	324		PPINT 1110 (CP(K,) K=1, 3) GP()
ISN	325	165	CONTINUE
1.514	525	.00	
		č	***** INITIAL CONFIGURATION IS PRINTED AT THIS STEP ****
		č	MEANS CADRON DOSTTIONS OF ADE DOINTED XV7 CO-ODDINATES
		č	HERE SEADER FOILTERS OF ARE FRINCE, ATZ OU URDINATES.
TSN	326	1110	FORMAT(5X 4E12 5)
TSN	220	111.1	$FOPMAT(5X \ '1114' \ TA \ TA)$
TSN	328	1115	FORMAT(5X, 1115' IA IA)
۷ ال د	320		

I SN I SN I SN I SN I SN I SN I SN I SN	329 330 331 332 3334 335 336 337 339 340 341 242	1 100 120 1101	II=0 KK=0 XINIT=RANF(0) PRINT 1100 FORMAT(12X,'XYZ=RANF(0)'//) D0 120 I=1,IRAN XYZ=RANF(0) PRINT 1101,XYZ CONTINUE FORMAT(10X,F12.6/) D0 1210 ILST=1,NCHAIN-1 D0 1210 JLST=1LST+1,NCHAIN CALL CLIST IF(IDST_E0.1)G0 T0 1095 NN(ULST_ULST)=0
ISN ISN ISN ISN ISN ISN ISN ISN ISN	343 344 345 346 347 348 349 350 351	1095 1210 3299 130	NN(JLST.JLST)=0 NN(JLST.ILST)=0 GD TO 1210 NN(ILST.JLST)=1 CONTINUE FORMAT(10X.3GI2) DO 130 K=1.NCHAIN PRINT 3299.(NN(K.I),I=1.NCHAIN)
ISN	352	C INI C FOR C CON C	TIAL ENERGIES OF THE CHAINS ARE CALCULATED AND PRINTED ALL 36 CHAINS.INTERNAL ENERGY OF A CHAIN DUE TO ITS BONDS' FIGURATION AND INTERACTION WITH ALL OTHER CHAINS IS SUMMED.
ISN ISN ISN ISN ISN ISN ISN ISN ISN ISN	3333556789012335667890123456779377567	134 135 1348 1349	<pre>NVEAC IF(KTR.EQ.22)THEN NLINK=27 ELSE NLINK=16 END IF CALL CHECK(IFLAG,NN.ESV) DO 134 J=1,NCHAIN EVDW(K,J)=ESV(J) EVDW(K,J)=ESV(J) CONTINUE DO 1349 IRT=1,NCHAIN IF(IRT.EQ.22)GOTO1349 EPOLD(IRT)=0. EPK(IRT)=0. IF(NPP(IRT).EQ.0)GD TO 1349 DO 1349 KP=1,NLINK DO 1349 KH=1.27 DPK=0. DO 1348 KD=1.3 DPK=DPK+(CP(KD,KP,IRT)-CHOL(KD,KH))**2 CONTINUE EPK(IRT)=EPK(IRT)+EPIL*((SIGLP/DPK)**6-(SIGLP/DPK)**3) CONTINUE DO 161 J=1,NCHAIN</pre>
ISN	378 379		EE=O. DD 163 K=1.NCHAIN

ISN ISN ISN ISN ISN ISN ISN ISN ISN	380 381 382 383 384 385 386 387 388	163 161 3298 C	EE=EE+EVDW(J,K) EE=EE+EPK(J) EPOLD(J)=EPK(J) PRINT 3298.EE.J CONTINUE KMOV=20 FORMAT(10X.'INITIAL ENERGY'.E18.7.5X.I6) JPRT=IPRT JLI=ILI
ISN ISN ISN ISN ISN ISN ISN	389 390 391 392 393 394 395 396		XDP=0. YDP=0. DD 1C02 LMC=1.NMAX IREJ=0 DD 1000 KMC=1.10 DD 6007 IY=1.36 DD 6008 IZ=1.16 GS(IZ,IY)=GR(IZ,IY)
		C	CARBON POSITIONS CP SAVED AS CPS AND RVEC AS RSV.GR AS GS.
ISN ISN ISN ISN ISN	397 398 399 400 401	6009 6008 6007	DD 6009 IW=1.3 RSV(IW.IZ.IY)=RVEC(IW.IZ.IY) CPS(IW.IZ.IY)=CP(IW.IZ.IY) CONTINUE CONTINUE
ISN ISN ISN ISN	402 403 404 405	CL***	****** SAVES K=22 RVECS******** IY=22 DD 6048 IZ=21,27 GS(IZ.IY)=GR(IZ.IY) DD 6049 IW=1.3
ISN ISN ISN ISN ISN ISN	406 407 408 409 410 411	6049 6048	RSV(IW.IZ.IY)=RVEC(IW.IZ.IY) CONTINUE CONTINUE DD 6019 IZ=1.27 DD 6029 IW=1.3 CPS(IW IZ IX)=CP(IW IZ IX)
I SN I SN I SN	412 413	6029 6019 CL*** C C	GENERATE NEW CONFORMATIONS ON ALL CHAINS WITH PROB .5
ISN	414	190 c c c c c c c c c c c c c c c c c c c	CONTINUE D0 1010 L=1,NCHAIN IF(L.E0.22)GDT0 1009 NREJ(L)=0 XV=(NLINK-2)*RANF(0) XVL=14*RANF(0) IC(L)=INT(XV)+2 ICL(L)=IC(L)+1+INT(XVL) 9 IF(L.E0.22)CALL CHOL2(IC,ICL) 0 CONTINUE

		С	
		С	**** PICK A BOND ON CHAIN NO. LABELLED LROT AND
		C I	"FLIP A COIN " TO MAKE A ROTATION OR NOT *****
		С	
ISN	415		DO 1030 LRDT=1.NCHAIN
ISN	416		IF(LROT.EQ.22)THEN
ISN	417		[2]=21
ISN	418		122=27
ISN	419		ELSE
ISN	420		121=1
ISN	421		122=16
TSN	422		
ISN	423		
ISN	425		
ISN	426		KTR=LROT
ISN	427		FLIF=RANF(O)
ISN	428		IF(FLIP.LT.0.5)GD TD 6099
ISN	429		XV = (IZ2 - 2) + RANF(O)
ISN	430		XVL = (IZ2 - 3) * RANF(0)
ISN	431		IC(LROT) = INT(XV) + 2
ISN	432		ICL(LROT)=IC(LROT)+1+INT(XVL)
ISN	433		IF(ICL(LROT).GE.IZ2)GO TO 1025
ISN	434		
ISN	435		CP(1) + POT) = CP(1) + POT) + 4
ISN	437		IE(GP(1) POT) GT (1) GP(1) POT) = 1
ISN	439		GR(11 ROT) = GR(11 ROT) = 1
ISN	440		IF(GR(LL,LRDT), T, -1, 1)GR(L , LRDT) = 1
ISN	442		AR = (GR(LL, LROT)) * GR(LL, LROT)
ISN	443		AS=GS(LL.LROT)*GS(LL.LROT)
ISN	444		BR=GR(LU, LROT)*GR(LU, LROT)
ISN	445		BS=GS(LU,LROT)*GS(LU,LROT)
ISN	446		DL=AR-AS
ISN	447		DU=BR-BS
ISN	448		RRL=GR(LL-1.LROT)*GR(LL-1.LROT)+GR(LL+1.LROT)+GR(LL+1.LROT)
ISN	449		RRU=GR(LU-1.LROT)*GR(LU-1.LROT)+GR(LU+1.LROT)*GR(LU+1.LROT)
ISN	450		DEL(LRDT)=-500.*(DL+DU)-2500.*(DL*RRL+DU*RRU)
ISN	451	1075	
ISN	452	1025	
ISN	450		IE(CP(1) POT) T = 1 O(1)CP(1) POT) = 1
ISN	456		BR=GR(LU:LROT)*GR(LU_LROT)
ISN	457		ES=GS(LU.LROT)*GS(LU.LROT)
ISN	458		RRU=GR(LU-1,LROT)*GR(LU-1,LROT)+GR(LU+1,LROT)*GR(LU+1,LROT)
ISN	459		DEL(LROT)=-500.*(BR-BS)-2500.*RRU*(BR-BS)
ISN	460	6099	CROT(LROT)=RANF(O)
ISN	461		IF(LROT.EQ.22)GOTO 169
ISN	462		CP(2,1,KTR)=CP(2,1,KTR)+.03*(12.*RANF(0))
ISN	463	-	CP(3,1,KTR)=CP(3,1,KTR)+0.03*(12.*RANF(0))
		C	
		C	NEW CHAIN POSITIONS ARE CALCULATED AFTER ROTATION
		č	AND TRANSLATION OF CHAIN NO.LABELLED LROT. ****
TSN	161	160	CONITINUE
TSN	464	170	ANGSV=ANG(ITP)
1 314	400		ANDSV-ANG(IIR)

ISN	466		RVEC(2, 1, ITR)=0.
ISN	467		RVEC(3, 1, ITR)=0
TCN	469		
LON	466		$ANG(11R) = ANG(11R) + 0.03 \cdot P1 \cdot (12. \cdot CRU1(11R))$
1.214	469		$E^{P}S=SIN(ANG(IR))$
ISN	470		EPC=COS(ANG(ITR))
ISN	471		RT(1,1)=EC
ISN	472		RT(2,1)=ES
ISN	473		RT(3, 1)=0
ISN	474		PT(1,2) = -FS + FPC
ISN	475		
TCN	475		
1 SIN	4/6		RT(3,2)=EPS
ISN	477		RT(1,3)=E5*EPS
ISN	478		RT(2,3)=-EC+EPS
ISN	479		RT(3,3)=EPC
ISN	480		RVEC(1,1,ITR)=1.53
ISN	481		$DD = 210 \ y = IZ1 + 1 \ IZ2$
TEN	482		DD 200 K=1 3
ISN	483		
ISN	483		
ISN	404		
ISN	485		DD 6011 IY=1.3
ISN	486	6011	RVEC(K,J,ITR)=RVEC(IY,LR,ITR)*ROT(IY,K)+RVEC(K,J,ITR)
ISN	487	200	CONTINUE
ISN	488	210	CONTINUE
ISN	489		DD 206 J=IZ1+1, IZ2-1
ISN	490		
TSN	491		12=172+1-1
ISN	192		
ISN	492		
TCN	493		
1 SN	494		$1 \times 1 = 2^{-1} \ln 1 (1 \times 1)$
ISN	495		IF(GR(J2.ITR).E0. +1.0) N=1
ISN	497		IF(GR(J2,ITR).EQ1.0) N=3
ISN	499		IF(IXX1.NE.J1)THEN
ISN	500		DO 806 L=J1+1.IZ2-1
ISN	501		TVEC(2,L,ITR)=RVEC(2,L,ITR)
ISN	502		TVEC(3.L.ITR)=RVEC(3.L.ITR)
ISN	503		RVEC(2, 1, ITR) = TVEC(2, 1, ITR) * GACOS(N) + TVEC(3, 1, ITR) * GASIN(N)
TSM	504		$DVEC(3 \downarrow ITB) = TVEC(3 \downarrow ITB) + CACIDS(N) - TVEC(3 \downarrow ITB) + CACIN(N)$
TSN	505	806	
TCN	505	808	
1 214	506		
ISN	507		D0 807 L=31,122-1
ISN	508		DD 808 K=1,3
ISN	509		TVEC(K.L.ITR)=RVEC(K.L.ITR)
ISN	510	808	CONTINUE
ISN	511		DO 809 K=1,3
ISN	512		RVEC(K.L.ITR)=0.0
ISN	513		DD 810 IY=1 3
ISN	514	810	DVEC(V TTP) = DVEC(V TTP) + TVEC(TV TTP) + DOTD(TV V)
TSN	515	800	
1 214	515	003	
1 SN	516	807	CUNTINUE
ISN	517		DU 811 L=J1+1.1Z2-1
ISN	518		TVEC(2.L.ITR)=RVEC(2.L.ITR)
ISN	519	1	TVEC(3.L.ITR)=RVEC(3.L.ITR)
ISN	520		RVEC(2,L,ITR)=TVEC(2,L,ITR)+GACDS(N)+TVEC(3,L,ITR)+GASIN(N)
ISN	521		RVEC(3.L.ITR)=TVEC(3.L.ITR)*GACDS(N)-TVEC(2.L.ITR)*GASIN(N)
ISN	522	811	CONTINUE
ISN	522		
	J 2 J		ou ora a original i

TCN	504		
150	524		DU 813 K=1,3
ISN	525		TVEC(K.L.ITR)=RVEC(K.L.ITR)
ISN	526	813	CONTINUE
ISN	527		DO 814 K=1.3
ISN	528		RVEC(K,L,ITR)=0.0
ISN	529		DD 815 IY=1,3
ISN	530	815	RVEC(K,L,ITR)=RVEC(K,L,ITR)+TVEC(IY,L,ITR)+ROTN(IY,K)
ISN	531	814	CONTINUE
ISN	532	812	CONTINUE
LSN	533		ENDIE
TSN	534	206	CONTINUE
ISN	525	160	
TSN	536	100	
TEN	530	CO 1 4	
ISN	537	6014	AVEC(17,12)=RVEC(17,12,11R)
1 SIN	538	6015	CONTINUE
ISN	539		DO 260 K=121,122
ISN	540		DD 240 M=1.3
ISN	541		RVEC(M,K,ITR)=O
ISN	542		DD 6016 IY=1,3
ISN	543	6016	RVEC(M,K,ITR)=RVEC(M,K,ITR)+AVEC(IY,K)*RT(IY,M)
ISN	544	240	CONTINUE
ISN	545	260	CONTINUE
ISN	546		DO 280 J=IZ1+1.IZ2
ISN	547		1 - U = U L
ISN	548		DD 6017 IY=1,3
ISN	549	6017	CP(IY, J, ITR)=CP(IY, JJ, ITR)+RVEC(IY, JJ, ITR)
ISN	550	280	CONTINUE
		С	
		Ċ	CHECK FOR LIPID-CHOLESTEROL OVERLAPS
		Č.	
ISN	551		
ISN	552		
ISN	554		$I = \{C, C, C$
TSN	556		$I = \{0, 1, 2, 0, 1, 1, 1, 2, 1, 1, 2, 1, 1, 1, 1, 1, 1, 1, 1, 1,$
ISN	550		
TEN	550	220	CONTAILE
LON	560	320	
ISN	561		DU 7100 K=121+1,122
150	562	7100	IF(CP(1,K,I)R).LT.O.)GD TD 500
ISN	563		EPK(TTR)=0.
ISN	564		IF(NPP(ITR).EQ.1)GD TD 2140
ISN	565		GO TO 7800
ISN	566	2140	EPK(ITR)=0.
ISN	567		IF(ITR .EQ. 22) GD TD 7800
ISN	568	2150	DD 2180 KP=1.NLINK
ISN	569		DO 2179 KC=1,27
ISN	570		DPK=0.
ISN	571		DO 2170 KD=1,3
1 S N	572		DPK=DPK+(CP(KD,KP,ITR)-CP(KD,KC.22))++2
ISN	573	2170	CONTINUE
ISN	574		IF(DPK.LT.2.35)GD TO 500
ISN	575		EPK(ITR)=EPK(ITR)+EPIL*((SIGLP/DPK)**6-(SIGLP/DPK)**3)
ISN	576	2179	CONTINUE
ISN	577	2180	CONTINUE
ISN			CONTINUE
	578	7800	CUNITNUE
	578	7800 C	CONTINCE
	578	7800 C	IF CHAIN IS MOVED CHECK PERIODIC B.C. & RECALC VAN DER W ENERGY

		С	
		С	
		С	IF(KMC.EQ.KMOV)GD TO 2300
		C	GO TO 2500
ISN	579		CALL CHECK(IFLAG, NN.ESV)
ISN	580		ENEW(ITR)=O.
ISN	581		EDLD(ITR)=O.
ISN	582		DU 350 K=1.NCHAIN
ISN	563		EUED(ITR)=EUED(ITR)+EVDW(KTR,K)
ISN	595	250	
1.214	202	350	CUNTINUE
		č	**** CHANGE IN ENERGY EVEL-DELTA E/KT) IS COMPARED
		č	WITH RANDOM NO. TO ACCEPT OF PELICOT THE CHANCE****
		č	WITH READOM NO. TO RECEPT OR REDECT THE CHANGE
ISN	586	-	DEL1=ENEW(ITR)-EDLD(ITR)+EPK(ITR)-FPOLD(ITR)
ISN	587		DELT=(DEL1-DEL(LROT))*BKT
ISN	588		IF(DELT.LE.O.)GD TD 400
ISN	589		IF(DELT.GT.10.)GD TO 500
ISN	590		DDD=EXP(-DELT)
ISN	591	1	TST1=RANF(O)
ISN	592		IF(DDD.LE.TST1)GD TD 500
ISN	593	400	DO 420 LE=1,NCHAIN
ISN	594		EVDW(KTR,LE)=ESV(LE)
ISN	595	420	EVDW(LE,KTR)=EVDW(KTR,LE)
ISN	596		EPOLO(ITR)=EPK(ITR)
ISN	597	~	GU 10 2000
		č	DESET AFTER REJECTED MOVE
TSN	508	500	CONTINUE
ISN	599	500	
ISN	600		$D0 \ 6097 \ I7=I71 \ I72$
ISN	601		CP(IY, IZ, KTR)=CPS(IY, IZ, KTR)
ISN	602	6097	RVEC(IY.IZ.KTR)=RSV(IY.IZ.KTR)
ISN	603	6098	CONTINUE
		С	
ISN	604		ANG(KTR)=ANGSV
ISN	605	600	IREJ=IREJ+1
ISN	606		DO 601 IR=IZ1,IZ2
ISN	607	601	GR(IR.KTR)=GS(IR.KTR)
ISN	608	2000	CONTINUE
ISN	609	1030	CONTINUE
ISN	610		DO 3150 KC=1.NCHAIN
ISN	611		IF(NNP(KC).EQ.1)YDP=YDP+1
I SN	613	2450	
ISN	615	3150	
TEN	617	2500	CALL CH2(YPD YPD)
ISN	619	800	LE (LMC EQ JPRT)GO TO 900
TSN	619		G0 T0 990
TSN	620	900	PRINT 2900 KMC LMC IREU
ISN	621	2900	FORMAT(' AFTER'.17.' X 10 X'.14.' MC STEPS IRFU=' 18/)
ISN	622	2000	PRINT 3110
ISN	623	3110	FORMAT(' VALUES OF CP & IG: WRITE ON DISK'/)
ISN	624		REWIND 9
ISN	625		DD 950 L=1.NCHAIN

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ISN ISN ISN ISN	626 627 628 629		IF (L .EQ. 22) THEN IZ2=27 ELSE IZ2=16
ISN	630		ENDIF
ISN	631		WRITE(9,46)ANG(L)
ISN	632		DO 950 J=1.IZ2
ISN	633		WRITE(9, 45)(CP(K, J, L), RVEC(K, J, L), K=1, 3), GR(J, L)
ISN	634	950	CONTINUE
ISN	635		PRINT 3100
ISN	636	3100	FORMAT(' ORDER PARAMETER PROFILE'/)
ISN	637 [°]		FLMC=FLDAT(LMC)
ISN	638		FNMIN=FLOAT(NMIN)
ISN	639		XDN=10.*(FLMC-FNMIN)-9.
ISN	640		YDN=1./((NCHAIN-1)*XDN)
ISN	641		DD 6096 IY=1.LLINK
ISN	642	6096	SSVG(IY)=SAVG(IY)+YDN
ISN	643		PRINT 3200.(K.SSVG(K),K=1,LLINK)
15N	644	3200	FORMAT(5X,14,5X,F12.6)
		C	
		C3412 C	WRITE(18,3412).(K.SSVG(K).K=1,LLINK) FORMAT(5X.I4.5X.F12.6)
ISN	645		DD 3140 JP=1.15
ISN	646		ZNN(JP) = YPR(JP)/YDP
ISN	647		ZPR(JP) = XPR(JP) / XDP
ISN	648	3140	CONTINUE
ISN	649		PRINT 3197
ISN	650		PRINT 3198, (ZPR(II), II=1, 15)
ISN	651		PRINT 3198, (ZNN(II), II=1, 15)
ISN	652	3198	FORMAT(5X,9F10.5)
ISN	653	3197	FORMAT(25X.'ORDER PARAMETERS FOR CHOLESTEROL NEIGHBORS'//)
ISN	654		JPRT=JPRT+IPRT
		С	
		С	***** LIPID-CHOL :VARIOUS INTERACTION ENERGIES
		C	EOLD, ENEW, EPK, EPOLD AND DEL (ENERGY DIFF
		С	BETWEEN GAUCH-TRANS CONFIG.)PRINTED HERE ****
1.01		С	
ISN	655	2100	PRINT JINS
ISN	656	3199	FORMAT(12X, ENEW, 12X, EULD', 12X, EPK', 12X, 'EPOLD', 12X, 'DEL'/)
ISN	657	E000	DU DUUU LEI,NCHAIN
TEN	656	4100	PRINT 4199, ENEW(L), EOLD(L), EPR(L), EPOLD(L), DEL(L)
TSN	600	4199	
TSN	661	000	
TSN	667	330	
TSN	663	992	G0 10 1000
ISN	664	001	DO 999 JI STATI STAT NCHAIN
ISN	665	995	
ISN	666		IF(IDST.EQ.1)GD TO 996
ISN	667		NN(ILST, JLST)=0
ISN	668		NN(JLST,ILST)=0
ISN	669		GO TO 999
ISN	670	996	NN(ILST, JLST)=1
ISN	671		NN(JLST,ILST) = 1
ISN	672	999	CONTINUE

		С	SKIP THIS LOOP IN PURE LIPID PROG
ISN	673		D0 9992 L=1,NCHAIN
ISN	674		IF(L.EQ.22)GO TO 9992
ISN	675		NPP(L)=0
ISN	676		NNP(L) = O
ISN	677		D0 9990 M=1.NLINK
ISN	678		D0 9991 LL=1.27
I 5N	679		DPX=(CP(2,M,L)-CP(2,LL,22))**2+(CP(3,M,L)-CP(3,11,22))**2
ISN	680		IF(DPX.GE.RNNN)GO TO 9991
ISN	681		IF(DPX.LE.RPEP) NPP(L)=1
ISN	683		IF(DPX.LE.RNNN.AND.DPX.GT.RPEP) NNP(L)=1
ISN	685		GO TO 9992
ISN	686	9991	CONTINUE
ISN	687	9990	CONTINUE
ISN	688	9992	CONTINUE
ISN	689		JLI=JLI+ILI
ISN	690	1000	CONTINUE
ISN	691	1002	CONTINUE
ISN	692		DO 8888 L=1,NCHAIN
ISN	693		IF(L_EQ.22)GD TD 2001
ISN	694		PRINT 4G.ANG(L)
ISN	695		DD 8444 J=1,NLINK
ISN	696		PRINT 45,(CP(K,J,L),RVEC(K,J,L),K=1,3),GR(J,L)
ISN	697	8444	CONTINUE
ISN	698		GOTO 8888
ISN	699	2001	DO 2444 J=1,27
ISN	700		PRINT 45, (CP(K, J, 22), RVEC(K, J, 22), K=1, 3), GR(J, 22)
ISN	701	2444	CONTINUE
ISN	702	8888	CONTINUE
ISN	703		STOP 111
ISN	704		END

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ISN	•	0	SURDOUTINE CHECK (TELACINAL ECV)
TCN			SOBROOM THE CHECK (FEAG, NN, ESV)
1 SIN	2		COMMON (P.(3.27,36), RVEC(3,27,36), NCHAIN, NLINK, SIZEY, SIZEZ, RC
ISN	3		COMMON/VBW/SIG.EPIL
ISN	<u>a</u>		CDMMON/CHK/KTR.JR.SY.SZ.SAVG(27).SSVG(27),NPP(36),NNP(36)
ISN	5		DIMENSION NN(36,36),ESV(36)
ISN	6		DIMENSION DIF(3.27).DIST(27).DEL(3.27),RECIP(27).EVV(27)
ISN	7		IF(KTR.EQ.22)THEN
ISN	8		IZ3=27
ISN	9		ELSE
ISN	10		IZ3=NLINK
ISN	11		ENDIF
ISN	12		DO 51 I=1,NCHAIN
ISN	13		IF(I.EQ.22)THEN
ISN	14		174=27
ISN	15		ELSE.
ISN	16		
ISN	17		ENDE
TSN	18		ESV(I) = 0
IEN	10		$E_{\rm SV(1)-0}$
1 DIN	19		
ISN	20		
ISN	21		D0 50 0C=1,123
ISN	22		JCC=IZ3-JC+1
ISN	23		DD 8000 IZ=1,3
ISN	24		DO 8100 IY=1.IZ4
ISN	25		DIF(IZ,IY)=CP(IZ,JCC,KTR)-CP(IZ,IY,I)
ISN	26	8100	DIF(IZ,IY)=ABS(DIF(IZ,IY))
ISN	27	8000	CONTINUE
ISN	28		IF(I.EQ.KTR)GD TO 45
ISN	29	35	DD 38 J=1.IZ4
ISN	30		IF(DIF(2,J),GT,SY)DIF(2,J)=DIF(2,J)-SIZEY
ISN	32		IF(DIF(3, J), GT, SZ)DIF(3, J) = DIF(3, J) - SIZEZ
ISN	34		DIST(J)=0
ISN	35		DD 8200 IY=1.3
ISN	36	8200	DIST(J) = DIE(IY,J) * DIE(IY,J) + DIST(J)
TSN	37	28	CONTINUE
ISN	29	50	
TEN	20	4.4	
TCN	10		
ISN	40	45	
ISN	41	45	
15N	42		
ISN	43		JP=JCC+1
ISN	44		JPP=JCC+2
ISN	45		JM=JCC-1
ISN	46		JMM=JCC-2
ISN	47		IF(J.EQ.JP)GO TO 48
ISN	48		IF(J.EQ.JPP)GO TO 48
ISN	49		IF(J.EQ.JM)GO TO 48
ISN	50		IF(J.EQ.JMM)GO TO 48
-------	------	------	---
ISN	5 1		IF(J.EQ.JCC)GO TO 48
ISN	52		IF(DIF(2,J).GT.SY)DIF(2,J)=DIF(2,J)-SIZEY
ISN	54		IF(DIF(3,J),GT,SZ)DIF(3,J)=DIF(3,J)-SIZEZ
ISN	56		DIST(J)=0
ISN	57		DD 8900 IY=1.3
ISN	58	8900	DIST(J)=DIF(IY,J)*DIF(IY,J)+DIST(J)
ISN	59		IF(DIST(J),LE.2.33)G0 T0 150
ISN	60	48	CONTINUE
ISN	61		GO TO 50
ISN	62	49	EATT=O
ISN	63		DD 8300 IY=1.IZ4
TSN	64		RECIP(IY)=1./DIST(IY)
TSN	65		EVV(IY) = (RECIP(IY) + SIG) + 6 - (RECIP(IY) + SIG) + 3
ISN	66		EVV(IY)=EPIL*EVV(IY)
TSN	67	8300	EATT=EATT+EVV(IY)
TSN	. 68		ENEW=ENEW+EATT
TSN	69	50	CONTINUE
TSN	70		ESV(I)=ENEW
ISN	71		GO TO 51
TSN	72	150	ESV(I)=1.E20
TSN	73		GO TO 300
TSN	74	51	CONTINUE
TSN	75	200	IFLAG=0
TSN	75	300	PETURN
TSN	73	000	END
1 214	11		

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ISN	1		SUBROUTINE CLIST
ISN	2		COMMON CP(3,27,36), RVEC(3,27,36), NCHAIN, NLINK, SIZEY, SIZEZ, RC
ISN	3		COMMON/LST/RANG.ILST.JLST.IDST
ISN .	4		COMMON/CHK/KTR.JR.SY.SZ.SAVG(27).SSVG(27)
ISN	5		DIMENSION DDF(3,27) ·
ISN	6		I = ILST
ISN	7		IDST=0
ISN	8		J=JLST
ISN	9		DO 7000 IY=1.3
ISN	10		DD 7010 IZ=1.16
ISN	11		DDF(IY,IZ)=CP(IY,IZ,J)-CP(IY,IZ,I)
ISN	12	7010	DDF(IY,IZ)=ABS(DDF(IY,IZ))
ISN	13	7000	CONTINUE
ISN	14		DD 40 L=1,NLINK
ISN	15		IF(DDF(2,L).GT.SY)DDF(2,L)=DDF(2,L)-SIZEY
ISN	17		IF(DDF(3,L).GT.SZ)DDF(3,L)=DDF(3,L)-SIZEZ
ISN	19		DST=0.
ISN	20		DD 7020 IY=1,3
ISN	21	7020	DST=DST+DDF(IY,L)*DDF(IY,L)
ISN	22		IF(DST.LE.RANG)GO TO 45
ISN	23	40	CONTINUE
ISN	24		GD TO 50
ISN	25	45	IDST=1
ISN	26	50	CONTINUE
ISN	27		RETURN
I SN	28		END

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ISN	. 1		SUBROUTINE CH2(XPR, YPR)
ISN	2		DIMENSION XPR(15), YPR(15)
ISN	З		COMMON CP(3.27.36), RVEC(3,27.36), NCHAIN, NLINK, SIZEY, SIZEZ, RC
ISN	4		COMMON/CHK/KTR.JR.SY.SZ.SAVG(27).SSVG(27).NPP(36).NNP(36)
ISN	5		DIMENSION DLX(27.36).50(27.36)
ISN	6		LLINK=NLINK-1
ISN	7		DO 70 J=1,NCHAIN
ISN	8		LLINK=15
ISN	g		K 1 = 1
ISN	10		K2=LLINK
1 SIN	11		1F(0.E0.22)THEN
ISN	12		
I SIN	13		
ISN	15		
TSN	16		
ISN	17		D(X(K, J) = KVEC(T, K, J)
ISN	19	70	SO(K, 0) - KVEC(2, K, 0) - KVEC(2, K, 0) + KVEC(3, K, 0) - KVEC(3, K, 0)
ISN	10	10	
TSN	19		
ISN	21		
ISN	.21		
TSN	22		IT (IZ, EU, ZZ) HEN
ISN	2.1		1 - 2 - 1
ISN	24		END IF
ISN	25		
ISN	20		SO(1)(17) = aBS(SO(1)(17))
ISN	28		SO(1Y, 1Z) = SORT(SO(1Y, 1Z))
ISN	20		SO(11, 12) = SO(11, 12)
ISN	30		
ISN	31	•	SD(IY IZ) = ATAN(SO(IY IZ))
ISN	32		SO(1Y, 1Z) = SO(1Y, 1Z) - 955566
ISN	33		SO(1Y, 1Z) = COS(SO(1Y, 1Z))
ISN	34		SD(1Y, 1Z) = SD(1Y, 1Z) = SD(1Y, 1Z)
ISN	35		SO(IY, IZ) = 1.5*SO(IY, IZ)
ISN	36	9100	SO(IY, IZ) = SO(IY, IZ) - 0.5
ISN	37	9000	CONTINUE
ISN	38		DO 100 J=1,NCHAIN
ISN	39		L1=1
ISN	40		L2=15
ISN	41		IF(J.EQ.22)THEN
ISN	42		L1=21
ISN	43		L2=25
ISN	44		END IF
ISN	45		-DO 100 L=L1.L2
ISN	46		SAVG(L)=SAVG(L)+SD(L,J)
ISN	47		IF(NPP(J).EQ.1.)XPR(L)=XPR(L)+SO(L,J)
ISN	49		IF(NNP(J), EQ.1)YPR(L)=YPR(L)+SO(L,J)
ISN	51	100	CONTINUE
ISN	52		RETURN
ISN	53		END

68

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TEN		C	
ISN	,		SOBROUTINE CHUETIKUT, KT, AVEC)
15N	2		COMMON CP(3,27,36), RVEC(3,27,36), NCHAIN, NLINK, SIZEY, SIZEZ, RC
ISN	3		DIMENSION RUT $(3,3)$, RT $(3,3)$, AVEC $(3,27)$
ISN	4		K=22
ISN	5		RVEC(1,21,K)=1.53
ISN	6		DO 194 I=2.3
ISN	7	194	RVEC(I.21.K)=0.
ISN	8		NLINCH=26
ISN	9		DO 196 J=22,NLINCH
ISN	10		
ISN	11		DO 198 I=1.3
ISN	12		RVEC(I,J,K)=0
ISN	13		DD 200 LY=1 3
ISN	14		RVEC(I + K)=RVEC(I + K)+RVEC(IY + K)+RDI(IY I)
ISN	15	200	
TCN	16	100	
TCN	17	196	
TCN	10	196	
1 SIN	18		
15N	19		
ISN	20	204	AVEC(1, J) = RVEC(1, J, K)
ISN	21	202	CONTINUE
ISN	22		DD 206 I=1.3
ISN	23		DD 206 J=21.NLINCH
ISN	24		RVEC(I,J.K)=0.
ISN	25		DO 208 IY=1.3
ISN	26		RVEC(I.J.K)=RVEC(I.J.K)+AVEC(IY.J)+RT(IY.I)
ISN	27	208	CONTINUE
ISN	28	206	CONTINUE
ISN	29		CP(1,21,K)=9.59300
ISN	30		CP(2,21,K)=20.054979
ISN	31		CP(3, 21, K) = 15, 155443
TSN	32		D0 210 J=22.NLINCH
TSN	33		
ISN	34		DD 212 I=1.3
ISN	35	212	CP(I, J, K) = CP(I, JJ, K) + RVEC(I, JJ, K)
TCN	35	210	
TCN	30	210	
TON	37		
TZN	38		ENU

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ISN	1	SUBROUTINE CHOL2(IC,ICL)
ISN	2	DIMENSION NREJ(36),IC(36),ICL(36)
ISN	з	L=22
ISN	4	NLINCH=6
ISN	5	NREJ(L)=0
ISN	6	XV = (NLINCH-2) * RANF(O)
ISN	7	XVL=4*RANF(O)
ISN	8	IC(L)=INT(XV)+2
ISN	9	ICL(L)=IC(L)+1+INT(XVL)
ISN	10	RETURN
ISN	11	END

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The original Computer program 'Monte Carlo Simulation program for lipid-protein interaction' written by Dr. H. L. Scott was modified in the present study of lipid-cholesterol interaction

The following changes were made:

- 1) Comments were inserted to define all parameters.
- 2) DIMENSION statements were modified to suit the cholesterol molecule structure. (ISN 1 16)
- 3) DIMENSION statements were modified so as to accommodate longer acyl chains containing 15 C-C bonds each.
 (ISN 16)
- 4) Comments were introduced at appropriate places to clarify the main steps of the program.
- 5) Neighboring matrix of the cholesterol molecule was defined differently than in the earlier program. (ISN 49 - 67)
- 6) Coordinates of cholesterol molecules were included.
 (ISN 68 148)
- 7) ISN 187 194 were added.
- ISN 225 242 define two new rotation operations ROTN and ROTP.

- 9) ISN 316 325 were re-written to suit the cholesterol molecule.
- 10) ISN 352 373 were modified for cholesterol.
- 11) ISN 402 413 were re-written.
- 12) Necessary changes were made in the main loop so as to make it suitable for the present study concerning cholesterol rather than the protein model used earlier. (ISN 415 -550)
- 13) ISN 699 702.
- 14) Sub-programs, CHECK and SUBROUTINE, were adjusted to accommodate longer acyl chains and the peculiar structure of the cholesterol molecule.
- 15) Sub-program, CHOL1, generates cholesterol 'tail'.

The structure of the main program is essentially the same, except the changes made so as to make it suitable for the present study of lipid-cholesterol interaction.

APPENDIX B

COMPUTER PROGRAM FOR THE CALCULATION OF THE WEIGHTED AVERAGES AND THE STANDARD DEVIATIONS

	С	****A	PROGRAM TO CALCULATE WEIGHTED AVERAGES.STD DEVIATION
ISN	1		IMPLICIT REAL(A-H,O-Z)
ISN	2		DIMENSION SUM1(15), SUM2(15), SUM3(15)
ISN	3		DIMENSION TOTAL(15), AVE(15), SIDEV(20)
ISN	5		DIMENSION $X(15,6), Y(15,6), Z(15,6), SUSUM(20)$
ISN	6		DIMENSION SUSUMI(20), SUSUM2(20), SUSUM3(20)
ISN	7 7		DO 10 IBOND=1 15
ISN	8		TSUM1=0.00
ISN	9		READ(2.15)(X(IBOND,L),L=1.6)
ISN	10		WRITE(6,16)(X(IBOND,L),L=1,6)
ISN	11	15	FORMAT(6(F7.5,5X))
ISN	12	16	FORMAT(1H ,6(F7.5,5X))
ISN	13		DD 401 L=1.6
ISN	14		TSUM1=TSUM1+X(IBOND,L)*50.
ISN	15	401	
ISN	10	10	SUM1(IBUND)=ISUM1
ISN	18	10	CUNTINUE FORMAT(F(F7 E EV))
ISN	19	10	DO 20 IBOND=1 15
ISN	20		TSUM2=0.00
ISN	21		READ(2, 18)(Y(IBOND, M), M=1.5)
ISN	22		WRITE(6, 16)(Y(IBOND, M), M=1,5)
ISN	23		DO 402 M=1.5
ISN	24		TSUM2=TSUM2+Y(IBOND,M)*100.
ISN	25	402	CONTINUE
ISN	26		SUM2(IBOND)=TSUM2
ISN	27	20	CONTINUE
ISN	28		DO 30 IBOND=1,15
ISN	29		TSUM3=0.00
ISN	30		READ(2, 15)(Z(IBOND, N), N=1, 6)
ISN	31		WRITE(6, 16)(2(IBUND, N), N=1, 6)
TSN	32		$10403 N^{-1}, 0$ TSUM2+TSUM2+7(TROND N)+200
ISN	34	403	CONTINUE
ISN	35	400	SUM3(IBOND)=TSUM3
ISN	36	30	CONTINUE
ISN	37		DO 40 IBOND=1.15
ISN	38		TOTAL(IBOND)=SUM1(IBOND)+SUM2(IBOND)+SUM3(IBOND)
ISN	39		AVE(IBOND)=TOTAL(IBOND)/2000.
ISN	40	40	CONTINUE
ISN	41		DO 50 IBOND=1,15
ISN	42		DO 60 $J=1,6$
ISN	43		PRINT 11, (X(IBOND, J)-AVE(IBOND))**2
ISN	44	11	FURMAI(', F14.6)
ISN	45	50	CONTINUE
TSN	40	30	DO 70 IBOND=1 15
ISN	48		DO 80 K=1.5
ISN	49		PRINT 22. (Y(IBOND,K)-AVE(IBOND))**2
ISN	50	22	EOPMAT(', ', E14, E)
ISN	51	80	CONTINUE
ISN	52	70	CONTINUE
ISN	53		DO 71 IBOND=1.15
ISN	54		DO 81 I=1,6
ISN	55		PRINT 33.(Z(IBOND,I)-AVE(IBOND))**2
ISN	56	33	FORMAT(' ',F14.6)
ISN	57	81	CONTINUE
ISN	58	71	CONTINUE
ISN	59		DO 12 IBOND=1,15
ISN	60		
ISN	62	13	CONTINUE
ISN	63	12	

ISN ISSN ISSN ISSN ISSN ISSN ISSN ISSN	645 666 67 69 71 73 75 75 77 77	35 34 37 36	D0 34 IBOND=1.15 D0 35 K=1.5 SQSUM2(IBOND)=(Y(IBOND,K)-AVE(IBOND))**2 CONTINUE CONTINUE D0 36 IBOND=1.15 D0 37 I=1.6 SQSUM3(IBOND)=(Z(IBOND,I)-AVE(IBOND))**2 CONTINUE CONTINUE CONTINUE D0 99 IBOND=1.15 SQSUM(IBOND)=SQSUM1(IBOND)+SQSUM2(IBOND)+SQSUM3(IBOND) PRINT 44.SQSUM(IBOND) FORMAT(30X,F12.6)
ISN	79		PRINT 55.(SOSUM(IBOND), IBOND=1,15)
ISN ISN ISN ISN	80 81 82 83	55	FORMAI(20X,F8.5) DD 95 IBOND=1,15 STDEV(IBOND)=(SQSUM(IBOND)/(N-1))**0.5 PRINT 98,STDEV(IBOND)
ISN	84	98	FORMAT(5X,F8.5/)
ISN	85	95	CONTINUE
ISN	87	75	FORMAT (5X, 'TOTAL', 7X, 'AVERG', 7X, 'SQSUM', 7X, 'STDEV'/)
ISN	89		PRINT 85.TOTAL(IB).AVE(IB).SQSUM(IB).STDEV(IB)
ISN	90	85	FORMAT(1H ,4(E12.5))
ISN	91	400	CONTINUE
1 SN T SN	92		STUP
1 211	93		F INU J

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VITA 2

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