# EFFECTS OF SKEWED DISTRIBUTIONS IN INDIVIDUAL MEASUREMENT X AND MOVING RANGE (n=2) MR CONTROL CHARTS

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# **CHAPTER I**

# THE PROBLEM AND ITS SETTING

# INTRODUCTION

Control charts were originally developed by Dr. Walter A. Shewhart in order to determine if a sequence of data (measurements) obtained from an industrial process may be used for predictions of what this process will yield in the future. Shewhart reached the brilliant conclusion that it would be desirable and possible to set limits upon the natural variation of any process, so that fluctuations within these limits could be readily explained by chance or common causes, but any variation outside these limits would indicate the presence of special or assignable causes of variation in the process. When special causes are present, prediction is not feasible due to the presence of sources of uncontrolled variation. When only common causes are present, the process is said to be in state of statistical control (SOSC) and prediction is feasible. According to Shewhart (16, p. 6), "A phenomenon will be said to be controlled when, through the use of past experience, we can predict, at least within limits, how the phenomenon may be expected to behave in the future."

Any quality characteristic of an industrial process can be studied by some type of control chart which has limits of variation based on the inherent or natural variability of the process. If the quality characteristic is measurable, it is common practice to organize the data in a rational manner in order to monitor the level and dispersion of the values generated by the process under study. Normally samples or subgroups of four or five

measurements are taken and the average  $\overline{X}$  and the range R of the subgroup are calculated to measure level and variability, respectively. Then, a series of such  $\overline{X}$  and R values are plotted in graphs in order to construct the  $\overline{X}$  and R control charts.

The setting of limits on the average  $\overline{X}$  control chart and range R control chart is based on the assumption of normal distribution underlying the process in study. For the average control chart the assumption is justified by the central limit theorem. The normal assumption is introduced into the  $\overline{X}$  and R control charts through the use of the control chart constants  $A_2$ ,  $D_3$ , and  $D_4$ . Many researches have been done to justify the robustness of the average  $\overline{X}$  and range R control charts when the underlying distribution is non-normal.

In some cases, the use of the average and range control charts is not appropriate because natural subgrouping is not possible. This might happen when the process is too slow in producing results being operationally impractical to wait until a subgroup of four or five can be formed, or when each measurement represents a given condition of a batch at a given time. Under these circumstances the logical subgroup size is n=1 and a combination of individual measurement X and moving range MR based on two consecutive observations can be used to monitor the level and dispersion of the process simultaneously. This is accomplished by constructing a control chart for individuals and a control chart for the moving range of two consecutive items. After all subgroups based on two consecutive observations are formed, the moving range MR for each subgroup and the average moving range  $\overline{MR}$  for all subgroups are calculated. Then, one can set the upper control limit for the moving range control chart UCL<sub>MR</sub> using the equation  $D_4\overline{MR}$ 

(the lower control limit for the moving range n=2 MR control chart does not exist). If there are MRs > UCL<sub>MR</sub> the delete and revise procedure should be applied one time and the average moving range  $\overline{MR}$  and the UCL<sub>MR</sub> recalculated. From the revised average moving range of two consecutive measurements  $\overline{MR}$ , one can estimate the standard deviation of the process  $\sigma$  using  $\hat{\sigma} - \frac{\overline{MR}}{d_2}$ . This estimate is likely to be only slightly affected by uncontrolled variation in individuals due to special causes. Then, one can set the control limits for the individual measurement control chart using  $\overline{X} \pm 3\frac{\overline{MR}}{d_2}$ .

The assumption of normality underlying the process is more critical for the individual measurement X control chart because the effect of the central limit theorem is not present. In addition, it is a well-known fact that many of the distributions encountered in our every-day experience cannot be described as normal distributions. Chemical, economical, biological, and physical factors have distributions which are commonly skewed in character. One of the commonest causes of non-normality is that the distribution may be unable to go beyond a certain point, such as zero. According to Burr (2, p. 67), "The Pearson type III family of distributions can be used as a second approximation of practical data when asymmetry is present." However, the individual measurement X and moving range n = 2 MR control charts are used widespread in industry under the blind assumption of normality. According to Duncan (1, p.400), "Control charts for individuals must be very carefully interpreted if the process shows evidence of marked departure from normality. In such cases, the multiples of  $\sigma$  used to set control limits might be better derived from other distributions for which the percentage points have been computed." Not too much work has been done to justify the

validity of the widespread use of the individual measurement X and moving range n=2 MR control charts in industry when the underlying process distribution is non-normal.

# GENERAL STATEMENT OF THE RESEARCH PROBLEM

This creative component research attempts to evaluate the effects of skewed distributions represented by the Pearson type III family of distributions with location parameter c = 0 (gamma distributions) on the control limits for individual measurement X and moving range n = 2 MR control charts.

The objectives of the study are stated as follows:

- (1) Evaluate the performance of the individual measurement X and moving range n=2 MR control charts, using the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  under the assumption of normality, when the underlying distribution is Pearson type III family of distributions with location parameter c=0 (gamma distributions) so often encountered in industry.
- (2) Determine empirical functions  $f(\alpha, \beta)$  for the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  when the process distribution can be approximated by a Pearson type III distribution with location parameter c = 0, shape parameter  $\alpha$ , and scale parameter  $\beta$ .
- (3) Compare the performance of the individual measurement X and moving range n = 2 MR control charts, using the normal control chart constants, with the performance of these control charts using the Pearson type III c = 0 control chart constants evaluated in objective two, when 10, 30, and 50 data values are available from an unknown process distribution.

### STATEMENT OF THE HYPOTHESES

The first hypothesis is that individual measurement X and moving range n=2 MR control charts, through the values of the normal curve control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  used in the calculation of the control limits, work well for practical purposes in industry when the underlying process distribution can be approximated for a Pearson type III distribution with location parameter c=0 (gamma distribution). For the X control chart, practical purpose in industry means a minimum average run length (ARL) of 100 without run rules when the process is in state of statistical control (no shifts) and maximum average run lengths (ARLs) of 43.9, 6.3, and 2 without run rules when the process is under shifts in the process average of 1, 2, and 3 process standard deviations, respectively. For the n=2 MR control chart, practical purpose in industry means a minimum average run length (ARL) of 100 without run rules when the process is in control.

The second hypothesis is that the individual measurement X and moving range n = 2 MR control charts, using gamma control chart constants, have better performance than the control charts using the normal curve control chart constants, when 10, 30, and 50 data values are available from an unknown process distribution. Better performance means less empirical false alarm rate in control (X and MR control charts) and power of detection (X chart), for shifts in the process average of 1 and 2 sigma, at least equal to the theoretical power using the normal assumption (0.0228 and 0.1587 respectively for shifts in the process average of 1 and 2 sigma).

## THE DELIMITATIONS

The study is limited to the effects of non-normality on the control limits for individual measurement X and moving range  $n=2\,$  MR control charts when the underlying process distribution is approximated for a Pearson type III distribution with c=0.

The study will not address composite distributions (mixtures) as a severe test to evaluate the effects of non-normality because the consideration of a mixture of processes in a control chart is outside the good use of the control chart technique.

The evaluation of the type I error ( $\alpha$ ') does not include the effects of run rules. It means that only a point outside control limits is considered a signal.

The evaluation of the average run length (ARL) considers only shifts in the process average. It means that no shifts in the process standard deviation  $\sigma$  are considered

In the evaluation of the performance of the individual measurement X control chart, using the Pearson type III c=0 (gamma) bias correction factor  $d_2$ , only the probability of type I error and two shifts in the process average (1 and 2 sigma) are considered.

In the evaluation of the performance of the moving range n=2 MR control chart, using the gamma control chart constant  $D_4$ , only the probability of type I error is considered.

The quality characteristic X under study cannot take negative values. This is due to the fact that the Pearson type III family of distributions with location parameter c = 0

(gamma distributions) does not take negative values. The range is  $(0, +\infty)$ .

# THE DEFINITION OF TERMS

- Central limit theorem: Let  $X_1, X_2, ..., X_n$  be a random sample from a distribution with mean " $\mu$ " and standard deviation " $\sigma$ ". Then, if "n" is sufficiently large, the sample average has approximately a normal distribution with mean " $\mu$ " and standard deviation " $\sigma/\sqrt{n}$ ". The larger the value of "n" the better the approximation.
- Population or Process: The totality of the set of items, units, measurements, etc., real or conceptual, that is under consideration or study.
- Sample or subgroup: A group of units, or portion of material, taken from a large collection of units, or quantity of material, which serves to provide information that can be used as a basis for judging the quality of the larger quantity (population), or as a basis for action on the larger quantity or on the production process.
- Random sample: A sample that contains independent observations selected from the same population or universe.
- Pearson type III family of distributions: This is a particular type of the Pearson system of distributions which was developed to cover different combinations of curve-shape characteristics  $\alpha_3$  and  $\alpha_4$ , where  $2\alpha_4 3\alpha_3^2 6 = 0$ . According to Burr (2, p. 67), the Pearson type III of distributions can be used as a second approximation to practical data when asymmetry is present. The normal curve is

considered as at least a first approximation to practical data if there is one mode and if the frequencies decrease on both sides with something like symmetry. Type III distributions with location parameter c = 0 are gamma distributions which go from a J-shaped curve with range  $(0,+\infty)$  to a bell-shaped curve with range  $(0,+\infty)$ .

- Skewness (α<sub>3</sub>): It is a measure for curve shape designed to measure the extent to which the distribution is unsymmetrical around the mode. For normal data α<sub>3</sub>=0.
   It is defined as the ratio between the third central moment and the standard deviation to the third power.
- Kurtosis (α<sub>4</sub>): It is a second measure for curve shape, supplementing skewness, and it basically measures the relative rapidity of the frequencies to approach zero.
   For normal data α<sub>4</sub>=3. It is defined as the ratio between the fourth central moment and the standard deviation to the fourth power.
- Range: It is an order statistic; that is, its measure depends on the ordering of the individual values in a sample or subgroup, which serves as a measure of dispersion mainly in the quality control field. It is the difference between the largest and smallest values of the sample or subgroup.
- Moving range n = 2 MR: It is the successive differences between the individual values. It represents the short-term variation for a sequence of individual values.
- Control chart: A graphical chart with control limits and plotted values of some statistical measure for a series of samples or individual values. It is a tool created by Walter Shewhart in order to detect the presence of uncontrolled variation. It helps people to understand when they can make predictions regarding future

- observations safely and when they cannot do so.
- Individual measurement X control chart: It is a control chart for evaluating the process level in terms of a single observation per sample used when rational subgrouping is not appropriate.
- Moving range n = 2 MR control chart: It is a control chart for evaluating the variability within a process in terms of the range of the latest two observations in which the current observation has replaced the oldest of the previous two observations.
- Control limits: Limits on a control chart based on the data or standards given which are used as criteria for action or for judging the significance of variations between samples or individual values.
- d<sub>2</sub>: A bias correction factor, varying with the sample size n, used to convert ranges into σ.
- $d_3$ : A bias correction factor, varying with the sample size n, used to transform ranges into  $\sigma_R$ .
- ▶ D<sub>4</sub>: Control chart constant, varying with the sample size n, used to calculate the upper control limit for range R and moving range MR control charts.
- ► E<sub>2</sub>: Control chart constant, varying with the sample size n, used to set control limits for the individual measurement X control chart.
- Robustness: Even though the data used to compute the control limits come from a non-normal distribution, the individual measurement X and moving range n = 2

  MR control charts based on the normal theory are capable of identifying non-

- random variation with not too much type I error (false alarm rate).
- Run length: The run length of any control procedure is the number of sampling periods or subgroups before an out-of-control signal is given on the control chart.
- Average run length (ARL): It is the average number of subgroups or samples taken before an out-of-control condition is given on the control chart. It is a measure of control chart performance. A large ARL is desired when the process is stable or in control, and a small ARL (quick detection) otherwise.
- Average run length curve: It is a curve that shows the performance of a particular control chart under different shifts in the process average.
- Type I error (false alarm rate): It is the probability of thinking that the process is unstable when it really is stable. In other words, it is the probability of looking for problems when nothing has happened

# ABBREVIATIONS AND NOTATION

Symbol	Term	Definition
μ	Population or process mean	
$\sigma$ or $\sigma_X$	Population or process standard deviation	
X	Observed value or observation	
$\overline{X}$	Sample or subgroup average	$\sum X_i/n$
S	Sample or subgroup standard deviation	$\sum (X_i - \overline{X})^2 / (n-1)$
R	Sample or subgroup range	$X_{\text{max.}}$ - $X_{\text{min.}}$
$\sigma_{R}$	Standard deviation of the theoretical distribution of ranges	$d_3\sigma$

$\overline{R}$	Average range	$\sum R_i/N$	
MR	Moving range $n = 2$	$ X_{i+1}$ - $X_i $	
MR	Average moving range	$\sum MR/(N-1)$	
n	Sample or subgroup size		
N	Number of samples or subgroups		
k	Number of individual observations		
k'	Number of new individual observations		
$\alpha_3$	Skewness parameter	$\int [(X - \mu)^3/\sigma^3] f(x) dx$	
$\alpha_4$	Kurtosis parameter	$\int  [(X-\mu)^4\!/\sigma^4] f(x) dx$	
$\mathbf{a}_3$	Skewness statistic	$\sum (X_i - \overline{X})^3 / ns^3$	
$a_4$	Kurtosis statistic	$\sum (X_i - \overline{X})^3 / ns^3$ $\sum (X_i - \overline{X})^4 / ns^4$	
α	Shape parameter gamma distribution	1	
β	Scale parameter gamma distribution		
c	Location parameter Pearson type III distribution		
α'	Type I error (false alarm rate)		
ARL	Average Run Length	1 / P or 1 / P'	
P	Probability of detection X chart	Prob. (UCL <x<lcl)< td=""></x<lcl)<>	
P'	Probability of detection MR chart	Prob. (MR>UCL <sub>MR</sub> )	
IID	Independent and identical distributed		
U (0, 1)	Uniform distribution between 0 and 1		
$X(\alpha, \beta)$	Gamma distribution with parameters $\alpha$ and $\beta$		
$\mathbb{R}^2$	Coefficient of determination 1-	$\left[\Sigma(y_i - \hat{y}_i)^2/\Sigma(y_i - \bar{y})^2\right]$	

X chart	Individual measurement control chart	
MR chart	Moving range of $n = 2$ control chart	
SOSC	State of statistical control	
UCLx	Upper control limit for individuals	$\overline{X}3\overline{MR}/d_2$
LCLx	Lower control limit for individuals	$\overline{X}$ -3 $\overline{MR}$ / $d_2$
CLx	Center line for individuals	$\overline{X}$
$\mathrm{UCL}_{\mathrm{MR}}$	Upper control limit for moving ranges	$D_4 \overline{MR}$
$\mathrm{CL}_{\mathrm{MR}}$	Center line for moving ranges	MR
$d_2$	Bias correction factor	$\overline{R}/\sigma$ or $\overline{MR}/\sigma$
$d_3$	Bias correction factor	$\sigma_R$ / $\sigma$
$D_4$	Control chart constant	$1 + 3d_3/d_2$
$E_2$	Control chart constant	3 / d <sub>2</sub>

# **ASSUMPTIONS**

- Average run lengths of a minimum of 100 for both control charts (X and MR), when the process is in a state of statistical control, are quite acceptable in industry for practical purposes. It means that people in industry are willing to accept a maximum risk of 1 % (1/100).
- ► There is not correlation between individual measurements (batches).
- The widespread use in industry of individual measurement X and moving range n = 2 MR control charts will continue in the future.

# THE IMPORTANCE OF THE STUDY

The importance of this thesis research is to create the quantitative foundations to support the widespread use in industry of the individual measurement X and moving range n=2 MR control charts.

# **CHAPTER II**

# REVIEW OF THE LITERATURE

An overview of the literature relevant to the research objectives is presented in this chapter. Also, related research efforts are reviewed. This chapter is divided into seven sections. They are:

- 2.1 An historical overview of quality control and the control chart technique.
- 2.2 A discussion of the basis of control charts.
- 2.3 A description of the main types of variables control charts, their control limits, and related formulas.
- 2.4 A discussion about the estimation of the process standard deviation  $\sigma$  required to set control limits for the  $\overline{X}$  chart and X chart.
- 2.5 A discussion of the estimation of the range standard deviation  $\sigma_R$  required to set control limits for the R chart and MR (n=2) charts.
- 2.6 Estimation of the bias correction factors  $d_2$  and  $d_3$  used to evaluate the control chart constants  $A_2$ ,  $D_3$ ,  $D_4$ , and  $E_2$ .
- 2.7 Identification and discussion of previous researches related to the effects of non-normality in control charts.

# 2.1 Quality Control and Control Charts - An Historical Overview

Quality Control includes efforts to manage quality and maintain assurance of continued high quality of products and services. The word quality here refers to customer

satisfaction through the fitness of a product or service for its intended use. It means customer satisfaction by providing products or services which meet customer needs (product features) and are free from deficiencies (conformance to requirements). This definition of quality and others are discussed in detail in Juran (10), Crosby (11), ANSI/ASQC Standard A3 (12), and Juran and Gryna (13).

Even though most of the developments in quality control are fairly recent, the need for it has existed for a long time. The need for inspection of manufactured products has been around since processes and factories that produce these products have existed. Before the industrial revolution, workers and artisans inspected their own work. However, as work became more complicated and specialized, inspectors were hired to inspect the work of others. In this way, production workers left the responsibility for quality up to the inspector. As industries became larger and larger, the inspection job became too much for inspectors. Therefore, the technology of Quality Control was developed to design tools and techniques which have helped inspectors and quality control personnel to do their job.

According to Wadsworth, et al. (14, p. 6), "From 1925 to 1941, the development of quality control and quality assurance methodology was remarkable. In the December issue of *The Journal of the American Statistical Association*, Shewhart set the tone with his paper: The Application of Statistics as an Aid in Maintaining Quality of a Manufactured Product." In this paper, Shewhart (15) introduced the control chart concept.

The control chart is one of the earliest techniques developed in the quality control

field. When control charts are employed in their original form, they are called Shewhart charts. Dr. Walter Shewhart developed control charts in order to determine if a sequence of data (measurements) obtained from an industrial process may be used for predictions of what this process will yield in the future. Shewhart reached the brilliant conclusion that it would be desirable and possible to set limits based upon the natural variation of any process, so that fluctuations within these limits could be readily explained by chance or common causes, but any variation outside these limits would indicate the presence of special or assignable causes of variation. When special causes are present, prediction is not feasible due to the presence of sources of uncontrolled variation. When only common causes are present, the process is said to be in state of statistical control (SOSC) and prediction is feasible. According to Shewhart (16, p. 6), "A phenomenon will be said to be controlled when, through the use of past experience, we can predict, at least within limits, how the phenomenon may be expected to behave in the future. Here it is understood that prediction within limits means that we can state, at least approximately, the probability that the observed phenomenon will fall within the given limits."

### 2.2 The Basis of Control Charts

As stated in 2.1, control charts were developed by Dr. Walter Shewhart in 1925 to determine if a sequence of observations obtained from an industrial process may be used for prediction of what this process will yield in the future. It means that the control chart technique represents a scientific basis for prediction.

The basis of all control charts is the following: Any varying quantity (whether an

individual measurement X, an average  $\overline{X}$ , a sample standard deviation s, a range R, a moving range MR, a fraction defective p, or a count on the number of defects c) forms a distribution if chance causes alone are present. Any such distribution has a mean and a standard deviation. According to Burr (2, p. 92), "Quite regardless of the shape of the distribution (unless extremely badly behaved), there will be, by chance causes only, very few points outside of the band between the mean minus three standard deviations and the mean plus three standard deviations. Hence, having set such limits, we have a band of normal variability for the statistical measure in question." Then, when a point falls outside this three sigma band, it is a much better bet to think that the point is due to the presence of special causes of variation than to think that the point is due to chance (common) causes alone. On the other hand, when a point falls inside the  $3\sigma$  band, one can safely say that there is not evidence that an assignable (special) cause of variation is present and the process is said to be in state of statistical control (SOSC).

The primary concern of statistical control is predictability. According to Wheeler and Chambers (17, p. 38). "A process is predictable when it is in a state of statistical control, and it is unpredictable when it is not in state of statistical control ... Since the decision is to be based on past experiences, it follows that one will need to begin with data generated by the phenomenon in question. When a reasonable amount of these data have been accumulated, they are used to calculate appropriate limits. If the historical data fall within these limits, and if data collected after the limits have been calculated also stay within these historical limits, then it becomes reasonable to make a prediction regarding future observations."

The control chart technique is a powerful tool for making more fruitful people's efforts in stabilizing and controlling industrial processes at desired levels of performance.

# 2.2.1 The basis for establishing control limits

Any quality characteristic of an industrial process can be represented by a distribution function f(x). Therefore, according to Shewhart (16, p. 275), "Knowing the distribution function f(x), it is possible, in general, to find a distribution function  $f_{\theta}(\theta, n)$  for a given statistic  $\theta$  calculated from samples of size n such that the integral

$$P = \int_{\theta}^{\frac{\theta}{2}} f_{\theta} (\theta, n) d\theta$$

gives the probability that the statistic  $\theta$  will have a value lying within the limits  $\theta_1$  and  $\theta_2$ ." However, people normally do not know f(x) and  $f_{\theta}(\theta, n)$  in sufficient detail to set up such control limits.

As a consequence, Shewhart says (16, p. 276) that the basis for establishing such allowable limits on the variability of sample statistics must be empirical. Under such conditions, Shewhart states (16, p. 276) that it seems reasonable to choose limits  $\theta_1$  and  $\theta_2$  on some statistic  $\theta$  such that the associated probability P is economic. It means, according to Shewhart (16, p. 276), that "if more than one statistic is used, then the limits on all the statistics should be chosen so that the probability of looking for trouble when any one of the chosen statistics fall outside its own limits is economic."

Shewhart stresses (16, p. 276) that one must find a balance between the advantages of increasing the value of P through reduction in the probability of looking for trouble when none exist (type I error) and the disadvantages occasioned by failing to detect troubles when they really exist (type II error).

For all these reasons, Shewhart recommends (16, p. 277) a symmetrical range characterized by limits

$$\bar{\theta} \pm t \sigma_{\theta}$$

symmetrically spaced in reference to  $\bar{\theta}$ . Experience indicates that t=3 seems to be an acceptable economic value.

According to Wheeler and Chambers (17, p. 60), "The strongest justification of three sigma limits is the empirical evidence that three sigma limits work well in practice ... that they provide effective action limits when applied to real world data."

Wheeler and Chambers (17) use part three of the Empirical Rule to empirically justify the selection of t = 3. Part three of the Empirical Rule states that given an homogeneous set of data, approximately 99% to 100% of the data will be located within three sigma units on either side of the average, regardless of the distribution function of the data. In order to evaluate the robustness of part three of the Empirical Rule, Wheeler and Chambers (17) use six different probability models: uniform, triangular, normal, the Burr distribution, chi-square, and exponential. The results showed that only for the chi-square distribution (98.6%) and exponential distribution (98.2%), the percentage of the data within three sigma units on either side of the average is scarcely less than the 99% to 100% stated in part three of the Empirical Rule. Therefore, Wheeler and Chambers (17, p. 64) conclude that "No matter how skewed, no matter how heavy-tailed, virtually all of the distribution will fall within three standard deviations of the mean ... Since data which display statistical control are, by definition, reasonably homogeneous, part three of the Empirical Rule provides an explanation why the control chart technique with t = 3

will yield very few false alarms. At the same time, when a point falls outside  $3\sigma$  limits it is very likely to be due to the presence of an assignable cause of variation."

# 2.2.1.1 Standard given

According to ANSI/ASQC Standard A1 1978 (18, p. 1), "Control chart with standard given is a control chart whose control limits are based on adopted standard values applicable to the statistical measure plotted on the chart." This type of control chart is used to discover whether observed values of X,  $\overline{X}$ , p, c, etc., for samples differ from standard values  $X_0$ ,  $\overline{X}_0$ ,  $p_0$ ,  $c_0$ , etc., by an amount greater than should be attributed to chance alone.

According to the ASTM special technical publication 15D (19, p. 75), "The standard value  $X_0$ ,  $\overline{X}_0$ ,  $p_0$ ,  $c_0$ , etc., may be an experienced value based on representative prior data, or an economic value established on consideration of needs of service and costs of production, or a desired or aimed-at value designated by specifications."The problem with this method of setting control limits at  $\overline{\theta}_0 \pm 3\sigma_\theta$  is that people almost never know the standard value of the mean  $\overline{\theta}_0$  and standard deviation  $\sigma_\theta$  of the statistic  $\theta$ . Therefore, this method is rarely used in industry to set control limits for the statistical measure plotted on the chart.

# 2.2.1.2 No standard given

According to ANSI/ASQC Standard A1 1978 (18, p. 1), "Control chart with no standard given is a control chart whose control limits are based on the sample or subgroup data plotted on the chart." These control charts are based entirely on the data from the samples being evaluated. This type of control chart is used to determine whether

observed values of X,  $\overline{X}$ , R, MR, etc., for a series of samples or subgroups vary among themselves by an amount greater than should be attributed to chance alone.

In this thesis research, control charts with no standard given are the ones to be considered because, normally in industry, control limits are based on data rather than on standards.

### 2.3 Shewhart Control Charts based on Variables Data

Any quality characteristic of an industrial process can be studied and analyzed by some type of Shewhart control chart which has limits of variation based on the inherent or natural variability of the process. If the quality characteristic is measurable (variable), it is common practice to organize the data in a rational manner (rational subgroups) in order to monitor the level and dispersion of the values of the quality characteristic generated by the process in study. Usually, subgroups of n observations are taken and the average  $\overline{X}$  and the range R of the subgroup are calculated to measure level and variability, respectively. Then, a series of such  $\overline{X}$  and R values are plotted in a time series with control limits to construct the average  $\overline{X}$  and range R control charts.

The idea behind the use of subgroups to monitor the process in study is to minimize the sources of variation within a subgroup in order to make the control charts more sensitive to changes in the level and dispersion of the process (tighter control limits). According to the ASTM special technical publication 15D (19, p. 76), "One of the essential features of the control chart method is what is referred to as breaking up the data into rationally chosen subgroups called rational subgroups; that is, classifying the

observations under consideration into subgroups or samples, within which the variation may be considered on engineering grounds to be due to nonassignable chance causes only, but between which the differences may be due to assignable causes whose presence is suspected or considered possible."

# $2.3.1 \overline{X}$ and R control charts

The variable control charts that are most commonly used are average, or  $\overline{X}$  charts, and range, or R charts. According to Duncan (1, p. 381), "When control is undertaken by using variables instead of attributes, it usually takes the form of employing an  $\overline{X}$  chart to control the average of the process and an R chart to control the general variability of the process."

Normally, samples or subgroups of four or five measurements are taken and the average  $\overline{X}$  and the range R of the subgroups are calculated. In fact, these two statistics ( $\overline{X}$  and R) are the ones actually used to monitor the process. Individual measurements X are primarily used to get values for the subgroup average and the subgroup range.

# $2.3.1.1 \overline{X}$ charts

An  $\overline{X}$  chart is a control chart for evaluating the process level or subgroup differences in terms of the subgroup average  $\overline{X}$ . According to ANSI/ASQC Standard A1-1978 (18, p. 3), "Averages are generally used for the purpose of determining whether there are differences between subgroup levels."

The setting of limits on the average  $\overline{X}$  control chart is based on the assumption of normality justified by the central limit theorem. The normal assumption is introduced into the  $\overline{X}$  charts through the use of the control chart constants  $d_2$  and  $A_2$ . The central line is

set at

$$CL_{\bar{v}} = \overline{\overline{X}}$$

where  $\overline{\overline{X}}$  is the average of all the data.

The control limits  $UCL_{\bar{X}}$  and  $LCL_{\bar{X}}$  are set at  $\pm$  3  $\hat{\sigma}_{\bar{X}}$  from  $\overline{\bar{X}}$ 

$$UCL_{\bar{v}} = \overline{\bar{X}} + 3 \hat{\sigma}_{\bar{v}}$$

$$LCL_{\bar{y}} = \overline{\bar{X}} - 3 \hat{\sigma}_{\bar{y}}$$

where  $\hat{\sigma}_{\overline{X}}$  is an estimate of  $\sigma_{\overline{X}}$  derived from the data.

Due to the central limit theorem

$$\hat{\sigma}_{\bar{X}} = \hat{\sigma}_{X} / \sqrt{n}$$

where  $\hat{\sigma}_X$  is an estimate of the process standard deviation  $\sigma_X$  derived from the data. It is shown in section 2.4 below that  $\hat{\sigma}_X$  is equal to  $R / d_2$ . Factor  $d_2$  is the bias correction factor used in estimating the process standard deviation using the average sample range as a measure of dispersion.

Then,

$$UCL_{\overline{X}} = \overline{\overline{X}} + 3 (\hat{\sigma}_{X} / \sqrt{n}) = \overline{\overline{X}} + 3 (\overline{R} / d_{2} \sqrt{n})$$

where  $3 / d_2 \sqrt{n}$  is known as the control chart constant  $A_2$ .

Therefore,

$$UCL_{\bar{X}} = \overline{\bar{X}} + A_2 \bar{R}$$

In the same way

$$LCL_{\bar{X}} = \overline{\overline{X}} - A_2 R^{-1}$$

# 2.3.1.2 R charts

An R chart is a control chart for evaluating the variability within a process in

terms of the subgroup range R. According to ANSI/ASQC Standard A1-1978 (18, p. 3), "Ranges of the individual observations within the subgroup or sample are used to estimate the variability from chance causes within short time intervals and ordinarily should not include assignable causes. These ranges serve to estimate the inherent variability within an essentially unchanging process." Ranges are usually easier to compute than sample standard deviations but they are not recommended for n > 10.

The setting of limits on the R chart is based on the assumption of normality underlying the process in study. The normal assumption is introduced into the R charts through the use of the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$ . The central line is set at

$$CL_{R} = \bar{R}$$

where  $\bar{R}$  is the average of the subgroup ranges.

The control limits  $UCL_R$  and  $LCL_R$  are set at  $\pm 3 \,\hat{\sigma}_R$  from  $\bar{R}$ 

$$UCL_R = \overline{R} + 3 \hat{\sigma}_R$$

$$LCL_R = \bar{R} - 3 \hat{\sigma}_R$$

where  $\hat{\sigma}_R$  is an estimate of the range standard deviation  $\sigma_R$  derived from the data. It is shown in section 2.5 below that  $\hat{\sigma}_R = d_3$   $\hat{\sigma}_X = (d_3 / d_2) \, \overline{R}$ . Factor  $d_3$  is the bias correction factor used in estimating the range standard deviation.

Then,

$$UCL_{R} = \overline{R} + 3 \hat{\sigma}_{R} = \overline{R} + 3 (d_{3} / d_{2}) \overline{R} = \overline{R} [1 + 3 (d_{3} / d_{2})]$$

where 1 + 3 (d<sub>3</sub> / d<sub>2</sub>) is known as the control chart constant D<sub>4</sub>.

Therefore,

$$UCL_R = D_4 \bar{R}$$

In the same way

$$LCL_{R} = \overline{R} - 3 \hat{\sigma}_{R} = \overline{R} - 3 (d_{3} / d_{2}) \overline{R} = \overline{R} [1 - 3 (d_{3} / d_{2})] = D_{3} \overline{R}$$
where 1 - 3 (d<sub>3</sub> / d<sub>2</sub>) is known as the control chart constant D<sub>3</sub>.

For  $n \le 6$  the lower control limit for the range  $LCL_R$  does not exist.

# 2.3.2 Individual measurement X and moving range n = 2 MR control charts

In some cases, the use of the average and range control charts is not appropriate because natural subgrouping is not possible. This might happen when the process is too slow in producing results, being operationally impractical to wait until a subgroup of four or five can be formed, or when each measurement represents a given condition of a batch at a given time. Under these circumstances the logical subgroup size is n=1 and a combination of individual measurements X and moving ranges MR based on two consecutive observations can be used to monitor the level and dispersion of the process, respectively.

# 2.3.2.1 Control chart for individual observations (X chart)

An X chart is a control chart for evaluating the process level in terms of a single observation per visit to the process. According to Wadsworth, et al. (14, p. 143), "Their use is generally reserved for process and product characteristics for which it is impractical or unreasonable to replicate observations and to form subgroups of observations to aid the study of process variation."

The setting of limits on the individual measurement X control chart is based on the assumption of normality underlying the process under study. The normal assumption is introduced into the X chart through the use of the control chart constants  $d_2$  and  $E_2$ . The

central line is set at

$$CL_{v} = \bar{X}$$

where  $\bar{X}$  is the average of all the data.

The control limits  $UCL_X$  and  $LCL_X$  are set at  $\pm$  3  $\hat{\sigma}_{\!_{\chi}}$  from  $\bar{X}$ 

$$UCL_X = \bar{X} + 3 \hat{\sigma}_X$$

$$LCL_x = \bar{X} - 3 \hat{\sigma}_y$$

where  $\hat{\sigma}_X$  is an estimate of the process standard deviation  $\sigma_X$  derived from the data. It is shown in section 2.4 below that  $\hat{\sigma}_X$  is equal to  $\overline{MR}$  /  $d_2$ . Factor  $d_2$  is the bias correction factor used in estimating the process standard deviation using the moving range (n=2) as a measure of dispersion.

Then,

$$UCL_x = \bar{X} + 3(\bar{MR} / d_2)$$

where  $3 / d_2$  is known as the control chart constant  $E_2$ .

Therefore,

$$UCL_{v} = \overline{X} + E_{2} \overline{MR}$$

In the same way

$$LCL_x = \bar{X} - 3(\bar{MR}/d_2) = \bar{X} - E_2 \bar{MR}$$

## 2.3.2.2 Moving range n = 2 MR control charts

A moving range n = 2 MR control chart is a chart for evaluating the variability within a process in terms of the range of the latest two observations in which the current observation has replaced the older of the previous two observations.

The setting of limits on the MR chart is based on the assumption of normality

underlying the process under study. The normal assumption is introduced into the MR chart through the use of the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$ . The central line is set at

$$CL_{MR} = MR$$

where  $\overline{MR}$  is the average of the k - 1 moving ranges formed of n = 2.

The upper control limit UCL<sub>MR</sub> is set at  $3 \hat{\sigma}_{MR}$  above the central line  $\overline{MR}$ 

$$UCL_{MR} = \overline{MR} + 3 \,\hat{\sigma}_{MR}$$

where  $\hat{\sigma}_{MR}$  is an estimate of the moving range standard deviation for n = 2 ( $\sigma_{MR}$ ) derived from the data. It is shown in section 2.5 below that  $\hat{\sigma}_{MR} = d_3 \hat{\sigma}_X = (d_3 / d_2) \overline{MR}$ . Factor  $d_3$  is the bias correction factor used in estimating the moving range standard deviation for n = 2.

Then,

$$UCL_{MR} = MR + 3 \hat{o}_{MR} = MR + 3 (d_3 / d_2) MR = MR [1 + 3 (d_3 / d_2)]$$

where  $1 + 3 (d_3 / d_2)$  is known as the control chart constant  $D_4$ .

Therefore,

$$UCL_{MR} = \bar{D_4 MR}$$

Due to the fact that the lower control limit for the range does not exist for  $n \le 6$ , the lower control limit for the moving range with n = 2 does not exist.

The values of the bias correction factors  $d_2$  and  $d_3$  and the values of the control chart constants  $A_2$ ,  $D_3$ ,  $D_4$ , and  $E_2$ , when the underlying process distribution is assumed normal, are given in Appendix A. This table is reproduced from ANSI/ASQC Standard A1-1978 (18, p. 13).

In section 2.6 below, the meaning of the bias correction factors d<sub>2</sub> and d<sub>3</sub> is

explained in detail. The other control chart constants used in this creative component research ( $A_2$ ,  $D_3$ ,  $D_4$ , and  $E_2$ ) derive from the two bias correction factors  $d_2$  and  $d_3$ .

## 2.4 Estimation of the Process Standard Deviation required to set control limits for the $\bar{X}$ and X charts.

In small samples or subgroups, the standard deviation and the range are likely to vary together. Thus, if the sample standard deviation is large, the sample range is also likely to be large. If the sample standard deviation is small, the sample range is likely to be small, too. However, in large subgroups, the occurrence of one extreme value will cause the sample range to be large, but it may have much less effect on the sample standard deviation. Therefore, if one is interested in finding an estimate of the process standard deviation, the sample range may often be employed as a substitute for the standard deviation with little loss in efficiency for small subgroup sizes. Grubbs and Weaver (21, p. 224-225) state that "The range should not be used when the sample size is greater than about 15 or 20. The reason for this is due to the practical loss in the efficiency of the range as compared to the standard deviation for sample sizes greater than about 10." Thus, the sample range is not recommended to estimate the process standard deviation for subgroup size n > 10.

A table which provides the efficiency of the estimator  $\hat{\sigma}$  based on the sample range statistic was published by David (20, p. 185). From the table, David states that "the efficiency of  $\hat{\sigma}$  seems to be adequate for  $n \le 12$  and very good for the small sample sizes (typically n = 5) generally used in quality control work." Mathematical statisticians

define the most efficient estimator  $\hat{\theta}$  of a parameter  $\theta$  as the estimator that has the minimum variance. The efficiency of any other unbiased estimator is defined as the ratio of the variance of the sampling distribution of the efficient estimator to the variance of the sampling distribution of the other estimator. David (20, p. 185) defines the efficiency of  $\hat{\sigma}$  based on the sample range statistic as:

$$eff(\hat{\sigma}) = Var S' / Var \hat{\sigma}$$

where S' is the unbiased root mean square estimator of  $\sigma$ .

The sample range, in addition to being nearly as efficient as the sample standard deviation for small samples ( $n \le 10$ ), is easy to calculate. For that reason, it is usually preferred to the standard deviation in quality control analysis.

In statistical quality control, the average subgroup range is used to estimate the process standard deviation. However, the average range is a biased estimator of  $\sigma$ . Therefore, a bias correction factor (d<sub>2</sub>), as a function of the subgroup size n, is required to get an unbiased estimator of the process standard deviation  $\sigma$  based on the average subgroup range.

$$\hat{\sigma} = R / d_2$$

According to Grubbs and Weaver (21, p. 224), "A measure of the true variation in a lot could be estimated by simply taken the difference between the largest and smallest observations in a sample of n items and dividing the range obtained by a factor which depends on the sample size. Although the sample standard deviation is a more efficient estimate of dispersion, it may be desirable from a practical standpoint to use the range in view of its simplicity and since only a slight loss in efficiency is suffered in the case of

small samples."

This estimator  $\hat{\sigma} = R / d_2$  of the process standard deviation  $\sigma$  based on the average subgroup range has been also emphasized in the quality control literature by Shone (22), Nelson (23), and Masuyama (24).

In cases where natural subgrouping is not possible, because the process is too slow in producing results being operationally impractical to wait until a subgroup of four or five can be formed or because each measurement represents a given condition of a batch at a given time, the logical subgroup size is n=1. In this situation, a combination of individual measurement X and moving range MR based on two consecutive observations can be used to monitor the level and dispersion of the process simultaneously. When subgroup size n=1, the subgroup range is impossible to be evaluated. Therefore, the process standard deviation  $\sigma$  required to set control limits for the X chart cannot be estimated using the equation

$$\hat{\sigma} = \overline{R} / d_2$$

According to Cryer and Ryan (25, p. 187), "The standard approach to estimating sigma for an individual observation control chart is to use moving ranges of two consecutive observations." From the average moving range of two consecutive measurements  $\overline{MR}$ , one can easily estimate the process standard deviation  $\sigma$  by using the equation

$$\hat{\sigma} = \overline{MR} / d_2$$

This estimate is likely to be slightly affected by uncontrolled variation in individuals due to special causes. In this regard, Keen and Page (26, p. 13) state that "a rapid estimate of

the standard deviation of a distribution that is nearly normal can be obtained by regarding the mean successive differences between adjacent readings, arranged in order of collection, as an approximation of the mean range of two. This method was suggested by Mr. W. J. Jennett for control chart work carried out in the MO Valve Company Ltd. in 1942, and has since been used extensively in The General Electric Company Ltd. The calculation of the standard deviation is made in three steps: (1) take the differences between the consecutive values, (2) average the differences (ignoring sign), and (3) regarding them as ranges in random samples of two, divide the mean difference by the bias correction factor  $d_2$  (n = 2) = 1.128."

## 2.5 Estimation of the Range Standard Deviation $\sigma_R$ required to set control limits for the R chart and MR (n = 2) charts.

Considering moving ranges of two consecutive measurements MR as ranges R in random samples of two (n = 2), the setting of control limits for the MR (n = 2) chart can be seen as a particular case of the R chart with n = 2. Therefore, in this section, only the estimation of the range standard deviation  $\sigma_R$  is discussed.

As described in sections 2.3.1.2 (p. 23) and 2.3.2.2 (p. 26), the setting of limits on the R chart and MR chart is based on the general Shewhart equations:

$$UCL_R = \overline{R} + 3 \hat{\sigma}_R$$

$$LCL_R = \overline{R} - 3 \hat{\sigma}_R$$

where  $\hat{\sigma}_R$  is an estimate of the range standard deviation  $\sigma_R$  derived from the data.

The estimator  $\hat{\sigma} = \overline{R} / d_2$  is a biased estimator of the range standard deviation.

Therefore, a bias correction factor  $(d_3)$ , as a function of the subgroup size n, is required to get an unbiased estimator of the range standard deviation  $\sigma_R$  based on the process standard deviation.

$$\hat{\sigma}_{p} = d_3 \hat{\sigma} = (d_3 / d_2) \bar{R}$$

In the same way

$$\hat{\sigma}_{MR} = d_3 \hat{\sigma} = (d_3 / d_2) \overline{MR}$$

# Estimation of the Bias Correction Factors $d_2$ and $d_3$ used to evaluate the control chart constants $A_2$ , $D_3$ , $D_4$ , and $E_2$ .

The difficulty in the estimation of the bias correction factors  $d_2$  and  $d_3$  is that the distribution of the sample range does not have a particular probability distribution which represents it. According to Burr (28, p. 636-637) "Formidable difficulties of approximation are usually involved in finding the density function and the first four moments of the range. This is especially true when the population distribution function, F(x) can only be expressed in terms of an integral." In this regard, Grant (41, p. 86) states that for the distribution of the range no simple formula gives either  $\bar{R}$  or  $\sigma_R$ . However, theory fully defines the expected distribution of R when the parent population is normal. According to Duncan (1, p. 126) "Fortunately, tables of the distribution of the relative range  $W = \bar{R} / \sigma$  have been worked out for a normal universe." In addition, the sample range distribution is greatly affected by the shape of the parent distribution. According to Hartley (32, p. 334), "extensive investigations have shown that its random sampling distribution is markedly dependent on the parental population." In the same way,

Shewhart (16, p. 202) states that "We do not know the distribution function of the range ... there is a marked influence of the functional form of the universe upon the distribution function of the ranges."

As mentioned in chapter I (in the definition of terms), the range is an order statistic which serves as a measure of dispersion mainly in the quality control field. It is the difference between the largest and smallest values of the sample or subgroup.

Because of its simplicity, the sample range is often used instead of the sample standard deviation as an estimator of the process standard deviation. David (20), Grubbs and Weaver (21), Shone (22), Nelson (23), Masuyama (24), Cryer and Ryan (25), Keen and Page (26), and others have used the sample range, the sample mean range, the sample moving range of two consecutive observations, and the average sample moving range of two consecutive measurements as estimators of the process standard deviation in normal theory tests.

Since the early paper by Tippett (1925), interest in the distribution of sample ranges and associated applications has steadily grown. In his paper, Tippett (27) states that "It has not been found possible to write down the distribution of ranges in any useful form, so the procedure has been to find those constants involving the first four moments." Values of the bias correction factors  $d_2 = R / \sigma$  and  $d_3 = \sigma_R / \sigma$  were found by Tippett (27) for all sample sizes from two to one thousand when the underlying process distribution is normal.

According to Burr (28, p. 636), "Since the first paper by Tippett (27), the distribution of ranges from independent observations from a normal distribution has been

well covered." Pearson (29, 1926), Pearson (30, 1932), Pearson (31, 1942), Hartley (32, 1942), Harter (33, 1960), and others have showed interest in the range and its properties including quality control applications. All this work has generated tables giving the standardized mean values (d<sub>2</sub>) and the standardized standard deviation (d<sub>3</sub>) of the range from random samples drawn from the normal distribution as well as tables of the probability integral of the range.

The effect of non-normality on the mean range has been experimentally studied by Pearson (34, 1928) and Shone (22, 1949). Pearson (35, 1950) has summarized earlier empirical studies on the effect of non-normality on the range and concluded that the range may be used with the appropriate adjustment (d<sub>2</sub>) for a normal population as an estimator of the process standard deviation, provided that samples of not more than 10 observations are taken. David (36, 1954) derived some exact results regarding the mean and probability integral of the range in samples from a number of non-normal populations such as the rectangular, exponential and others. Cox (37, 1954) got a general picture of the effect of process kurtosis on the mean and coefficient of variation of the range in small samples and assessed the effect of non-normality on the common applications of the range.

As mentioned before, Burr (28, p. 636-637) states that "Formidable difficulties of approximation are usually involved in finding the density function and the first four moments of the range. This is especially true when the process distribution function, F(x), can only be expressed in terms of an integral. When, however, F(x) can be given in closed form, the calculations become more feasible." Burr (28), using 81 distributions

from the Burr system of distributions  $F(x) = 1 - (1 + x^c)^{-k}$  for  $x \ge 0$  and c, k > o, evaluated the four moments  $(\mu_R, \sigma_R, \alpha_{3:R}, \alpha_{4:R})$  for the corresponding 81 range distributions generated from the 81 parent distributions.

Due to the complexity in finding the density function and the four moments of the range mentioned by Burr (28), and due to the fact that  $d_2$  and  $d_3$  have been tabulated when the parent population is normal, the quality control field has centered its attention only in the use of the normal  $d_2$  and  $d_3$  bias correction factors. These normal bias correction factors are used in the process of setting control limits for the  $\bar{X}$  chart, R chart, X chart, and MR (n = 2) control charts.

It is one of the objectives of this thesis research to evaluate the performance of these normal  $d_2$  and  $d_3$  bias correction factors when the underlying process distribution is a Pearson type III with location parameter c = 0. In addition, another objective of this study is to find the empirical (approximate) values of  $d_2$  and  $d_3$  when the process distribution is approximated by a Pearson type III with c = 0.

### 2.7 Previous researches - Effects of non-normality in control charts.

Researches in this field have been mainly concentrated on the effects of non-normality in the average  $\overline{X}$  and range R control charts where the central limit theorem plays an important role in the assumption of normality.

#### 2.7.1 Niemann's experimental thesis

Niemann (38) in an unpublished master thesis studied the effect of lack of symmetry of the population upon the control chart constants. The population sampled is

approximately a Pearson type III curve. In his experiment, 4000 samples of n=4 each were drawn with replacement. The values of the mean, standard deviation, and range were calculated for each subgroup and the results tabulated. Then, the values of the control chart constants were approximated and compared with the corresponding values for the normal curve control chart constants for n=4. Comparison of the two set of limits indicates similarity, although the subgroup size is small (n=4) and the process distribution is quite skewed.

Niemann's general conclusion is that if control chart constants for the normal curve are used, when the process distribution is non-normal through lack of symmetry, tighter control limits should be observed. Thus, it is slightly more likely for assignable causes to be indicated when none exist (type I error). Therefore, it is also a bit more difficult to get a process into a perfect state of statistical control than if the unknown correct constants are used.

This experimental study is described in Burr (2, p. 163-165). According to Burr (2, p. 163), "This experimental thesis has given us good grounds for confidently using the normal curve constants even for moderately non-normal populations. For J-shaped or very strongly skewed populations, the normal curve constants probably cannot be much relied upon."

#### 2.7.2 Irving Burr's research

Irving Burr (39, 1967) published a paper in which he discusses the effect of non-normality on the control chart constants. He presents a set of tables where the values of eight control chart constants (d<sub>2</sub>, d<sub>3</sub>, A<sub>2</sub>, E<sub>2</sub>, and D<sub>1</sub>-D<sub>4</sub>) are exactly calculated for 28

different non-normal distributions given by different combinations of skewness and kurtosis. Burr states (39, p.563) that "a literature search, involving about 100 papers, revealed that the sampling distribution for ranges is known for only a very few populations, of which only the normal distribution is of any appreciable practical importance ... the present article provides information on the effects of various practical degrees of non-normality upon the control chart constants for  $\bar{X}$  and R charts."

From the 81 non-normal distributions considered by Burr (28), 28 distributions are selected by Burr (39) in this study to cover to some extent a wide band of the plane  $\alpha_3$  (skewness) -  $\alpha_4$  (kurtosis). In reference (28), Burr calculates E (R),  $\sigma_R$ ,  $\alpha_{3:R}$ , and  $\alpha_{4:R}$  for the 81 sampling distributions of ranges corresponding to the 81 non-normal parent populations chosen. This allows Burr to obtain the control chart constants required for three standard deviation control charts for measurements. The first two constants  $d_2$  and  $d_3$  (bias correction factors) were evaluated using the equations:

$$d_2 = E(R) / \sigma = \overline{R} / \sigma$$
  
 $d_3 = \sigma_R / \sigma$ 

The last six constants  $(A_2, E_2, \text{ and } D_1-D_4)$  were all determined from  $d_2$  and  $d_3$  using the equations:

$$A_2 = 3 / d_2 \sqrt{n}$$

$$E_2 = 3 / d_2$$

$$D_1 = d_2 - 3d_3$$

$$D_2 = d_2 + 3d_3$$

$$D_3 = 1 - 3 (d_3 / d_2)$$

$$D_4 = 1 + 3 (d_3 / d_2)$$

From the values of the control chart constants obtained, Burr (39, p. 567) concludes that "study of constants given in Tables I to IV reveals that they are quite stable, in some cases surprisingly so, as for example  $A_2$ . Thus we can use the ordinary normal curve control chart constants unless the population is markedly non-normal. When it is, the tables provide guidance on what constants to use."

## 2.7.3 Schilling's and Nelson's research

As mentioned before, the setting of limits on  $\overline{X}$  control charts are based on the assumption of normality justified by the central limit theorem. This theorem states that the distribution of sample means will approach the normal distribution for large sample sizes. Schilling and Nelson (40) address the questions, "How large?" and "To what approximation?"

According to Schilling and Nelson (40, p. 183), "By numerically inverting the appropriate characteristic functions, tables are provided which show the manner of approach to normality for various underlying distributions and sample sizes. Also, sample sizes are given such that, at selected points, the sum of the tail areas of the distribution of sample means will be within given values." They investigated nine different populations such as rectangular, right triangular, gammas with  $\beta=1$  and  $\alpha=1/2$ , 1, 2, 3, and 4, symmetric bimodal, and asymmetrical bimodal.

The results of this study indicate that the approach to normality of the distribution of sample means is slower than is often indicated in the literature, especially for the exponential and mixed distributions. In relation with applications to control charts for the

mean  $\bar{X}$ , Schilling and Nelson (40, p. 187) state that "If the risk of a false signal is held to 0.3% for a three sigma control chart, samples of considerable size would be required to be plotted for the exponential (n = 166) and asymmetric bimodal distributions (n = 47) ... The risk of 0.003 for three sigma control charts is often quoted on the basis of normal theory; 0.3% should however not be considered sacrosanct. When used with non-normal distributions, reasonably small probabilities of a type I error should suffice for construction of the chart. Experience over the years has shown  $3\sigma$  limits with small sample sizes to be of utmost practical value. Examination of Table 1 (p. 186-187) indicates that such charts assure the risk of a false signal to be 1.4% or less when plotting subgroups of size 4 or more, over all the distributions studied. A maximum risk of 1 in 72 for the most extreme case studied (gamma with  $\alpha$ =1/2) seems to imply that samples of this size are sufficient for most practical applications."

## 2.7.4 <u>Individual measurement X and moving range n = 2 MR control charts</u>

For the individual measurement X and moving range n=2 MR control charts, no work was found that addresses the effects of non-normality on these control charts.

## **CHAPTER III**

### GENERAL PROCEDURE

3.1 Objective one. The first objective is to evaluate the performance of the individual measurement and moving range n=2 MR control charts, using the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  under the assumption of normality, when the underlying distribution is the Pearson type III family of distributions with location parameter c=0 (gamma distributions) so often encountered in industry.

#### PROCEDURE I

The detailed procedure designed to accomplish objective one is the following:

1. Forty gamma distributions are selected using different combinations of shape parameter  $\alpha$  and scale parameter  $\beta$  in order to have a representative set of gamma distributions which go from J-shaped curves to bell-shaped curves approximating the normal distribution as  $\alpha$  increases.

Ten values of the shape parameter  $\alpha$  are selected. They are:

$$\alpha = 0.5, 1, 1.5, 2, 3, 4, 5, 10, 50, and 100$$

Four values of the scale parameter  $\beta$  are selected. They are:

$$\beta = 0.5, 1, 5, \text{ and } 10$$

2. Generate ten thousand (10,000) random variates for each gamma distribution indicated in step one of this procedure.

General gamma random variates are more complicated to generate than other continuous distributions because the distribution function has no simple closed form for

which one can find an inverse in order to use the inverse transform method. However, given  $Y \sim$  gamma distribution  $(\alpha, \beta=1)$ , any gamma distribution  $(\alpha, \beta)$  can be easily obtained by letting  $X = \beta Y$ . Therefore, if one can generate a gamma distribution  $(\alpha, \beta=1)$ , more general gamma distributions  $(\alpha, \beta)$  can be easily generated using the equation  $X = \beta Y$  indicated above.

The algorithm to be used in the generation of the 10,000 random variates for each gamma distribution depends upon the value of the shape parameter  $\alpha$ .

- 2.1 Case  $0 < \alpha < 1$ . This algorithm is due to Ahrens and Dieter (3). Atkinson and Pearce (4) tested three algorithms for the generation of gamma variates and recommend Ahrens and Dieter algorithm for a "one-time" simulation which is the case in this thesis research. In addition, Law and Kelton (5) recommend the use of this algorithm to generate general gamma random variates with shape parameter  $\alpha$  less than one. Algorithm:
  - 2.1.1 Generate  $U_1$  as an independent and identical distributed uniform U (0, 1), and let  $P = bU_1$  and  $b = (e + \alpha) / e$  where

$$e = constant 2.718281828$$

If P > 1, go to step 2.1.3. Otherwise, proceed to step 2.1.2.

2.1.2 Let  $ZP^{\frac{1}{\alpha}}$ , and generate  $U_2 \sim U(0, 1)$ . If  $U_2 \le e^{-Z}$ , return Y = Z and  $X = \beta Y$  where

 $\beta$  is the scale parameter of the general gamma distribution to be generated. Otherwise, go back to step 2.1.1.

- 2.1.3 Let  $Z=-\ln[\frac{(b-P)}{\alpha}]$ , and generate  $U_2 \sim U(0, 1)$ . If  $U_2 \leq Z^{\alpha-1}$ , return Y=Z and  $X=\beta Y$ . Otherwise, go back to step 2.1.1.
- 2.2 Case  $\alpha=1$ . A gamma distribution with shape parameter  $\alpha=1$  and scale parameter  $\beta$  is an exponential distribution with mean  $\beta$ . The algorithm to be used in order to generate gamma variates ( $\alpha=1$ ,  $\beta$ ) is based on the inverse transform method. Algorithm:
  - 2.2.1 Generate  $U \sim U(0, 1)$
  - 2.2.2 Return  $X = -\beta \ln (U)$
- 2.3 Case  $\alpha > 1$ . According to Law and Kelton (5, p. 489), "There are several good algorithms for the case  $\alpha > 1$ ." However, they recommend a method due to Cheng (6), who called this the GB algorithm.

## Algorithm:

- 2.3.1 Generate  $U_1$  and  $U_2$  as IID U (0, 1) and let  $a = 1/(2\alpha-1)^{1/2}$ ,  $b = \alpha-\ln(4)$ ,  $q = (\alpha+1)/a$ ,  $\theta = 4.5$ , and  $d = 1+\ln(\theta)$ .
- 2.3.2 Let  $V = a \ln [U_1 / (1-U_1)]$ ,  $Z = \alpha(e)^V$ ,  $T = U_1^2 U_2$ , and W = b + qV Z
- 2.3.3 If W + d  $\theta T \ge 0$ , return Y = Z and X =  $\beta Y$ . Otherwise, proceed to the next step (2.3.4.).
- 2.3.4 If  $W \ge \ln (T)$ , return Y = Z and  $X = \beta Y$ . Otherwise, go back to step 2.3.1.

In order to generate correct gamma variates, it is essential that a statistically reliable U (0, 1) random-number generator be available. In this thesis research the random-number generator used is the one included in Minitab for windows release 10. This random-number generator generates U<sub>i</sub>'s which resemble values of true independent and

identically distributed uniform U (0, 1) random variables. This generator was tested statistically to see how closely the U<sub>i</sub>'s generated resemble IID U (0, 1) random variables. The test used is a special case of the chi-square test with all parameters known. This test is recommended by Law and Kelton (5, p. 437). The results are shown in Appendix B and they indicate that the generator is good enough to generate reliable gamma variates.

- 3. Calculate the average  $\overline{X}$  of the 10,000 gamma variates for each of the forty gamma distributions using the equation  $(\sum X_i) / 10,000$ .
- 4. Group the 10,000 gamma variates  $X_1$ ,  $X_2$ ,  $X_3$ ,...,  $X_{5000}$ ,  $X_{5001}$ ,...,  $X_{9999}$ ,  $X_{10000}$  for each gamma distribution generated in step 2 in subgroups of two consecutive measurements in the following manner:

$$(X_1, X_2), (X_2, X_3), ..., (X_{5000}, X_{5001}), ..., (X_{9999}, X_{10000}).$$

At the end there will be 9,999 (N-1) subgroups of n = 2 consecutive measurements for each of the forty gamma distributions generated in step 2.

Then, for each subgroup, calculate the moving range n = 2 MR using the equation:

$$MR = Absolute value (X_{i+1} - X_i)$$

In this way, the empirical moving range n = 2 MR distributions are obtained from the 9,999 moving ranges already calculated for each gamma distribution.

5. Evaluate the expected value of each of the forty empirical moving range n = 2 MR distributions. This evaluation is done using the equation:

$$E (MR) = \overline{MR} = (\sum MR_i) / 9,999$$

6. With the average moving range  $\overline{MR}$  for each empirical moving range n = 2 MR

distribution and the value of the normal control chart constants  $d_2$  and  $D_4$ , control limits are set for the individual measurement and moving range n=2 MR control charts for each of the forty gamma distributions using the following equations:

$$UCL_{X} = \overline{X} + 3 \overline{MR} / d_{2} = \overline{X} + 2.6596 \overline{MR}$$

$$LCL_{X} = \overline{X} - 3 \overline{MR} / d_{2} = \overline{X} - 2.6596 \overline{MR}$$

$$UCL_{MR} = D_{4}\overline{MR} = 3.268 \overline{MR}$$

where

 $d_2$  is the bias correction factor which has a value of 1.128 for n=2 under the assumption of normality.

 $D_4$  is the control chart constant which has a value of 3.268 for n=2 under the assumption of normality.

7. Evaluate the performance of the individual measurement and moving range n = 2

MR control charts for each of the forty gamma distributions defined in step 1 of this

Procedure I.

For the individual measurement control charts, the performance will be measured through the average run length (ARL) for several shifts in the process average  $k\sigma$  where k = 0 (0.2) 3 using the equation:

$$ARL = 1 / P$$

where

P is the probability of detection evaluated by the equation:

$$P = Probability (X > UCL_X) + Probability (X < LCL_X)$$

These probabilities will be evaluated using the gamma cumulative distribution

function routine contained in Minitab for windows release 10.

Then, empirical ARL curves will be drawn for each of the forty X charts in order to show the performance of the individual measurement X control charts, using the control chart constants  $d_2$  and  $D_4$  under the assumption of normality, when the underlying process distribution is Pearson type III with location parameter c = 0 (gamma distributions).

For the moving range n = 2 MR control charts, the performance will be measured through the probability of type I error since only shifts in the process average are considered in this research.

Since the moving range n = 2 MR distribution is theoretically unknown when the parent distribution is Pearson type III with c = 0, the probability of a type I error and empirical ARL in control must be evaluated empirically using the equations:

Empirical probability (type I error)<sub>MR</sub> = 
$$P' = B / 9,999$$
  
Empirical ARL in control =  $ARL' = 1 / P'$ 

where

B is the number of moving ranges greater than the  $UCL_{MR}$  for each of the forty moving range (n=2) control charts corresponding to the forty gamma distributions generated in step 2.

3.2 Objective two. The second objective is to determine the empirical formulas  $f(\alpha, \beta)$  for the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  when the process distribution can be approximated by a Pearson type III distribution with location parameter c = 0, shape parameter a, and scale parameter  $\beta$ .

#### PROCEDURE II

The detailed procedure designed to accomplish objective two is the following:

1. Forty gamma distributions are selected using different combinations of shape parameter  $\alpha$  and scale parameter  $\beta$  in order to have a representative set of gamma distributions which go from J-shaped curves to bell-shaped curves approximating the normal distribution as  $\alpha$  increases.

Ten values of the shape parameter  $\alpha$  are selected. They are:

$$\alpha = 0.5, 1, 1.5, 2, 3, 4, 5, 10, 50, and 100$$

Four values of the scale parameter  $\beta$  are selected. They are:

$$\beta = 0.5, 1, 5, \text{ and } 10$$

2. Generate ten thousand (10,000) random variates for each gamma distribution indicated in step 1 of this Procedure II.

The algorithm used in the generation of the 10,000 random variates for each gamma distribution depends upon the value of the shape parameter  $\alpha$ .

2.1 Case  $0 < \alpha < 1$ .

Algorithm:

2.1.1 Generate  $U_1$  as an independent and identical distributed uniform U (0, 1), and let  $P = bU_1$  and  $b = (e + \alpha) / e$ 

where

$$e = constant 2.718281828$$

If P > 1, go to step 2.1.3. Otherwise, proceed to step 2.1.2.

2.1.2 Let  $ZP^{\frac{1}{\alpha}}$ , and generate  $U_2 \sim U(0, 1)$ . If  $U_2 \leq e^{-Z}$ , return Y = Z and

 $X = \beta Y$  where

 $\beta$  is the scale parameter of the general gamma distribution to be generated.

Otherwise, go back to step 2.1.1.

- 2.1.3 Let  $Z=-\ln\left[\frac{(b-P)}{\alpha}\right]$ , and generate  $U_2 \sim U(0, 1)$ . If  $U_2 \leq Z^{\alpha-1}$ , return Y=Z and  $X=\beta Y$ . Otherwise, go back to step 2.1.1.
- 2.2 Case  $\alpha = 1$ .

Algorithm:

- 2.2.1 Generate  $U \sim U(0, 1)$
- 2.2.2 Return  $X = -\beta \ln (U)$
- 2.3 Case  $\alpha > 1$ .

Algorithm:

- 2.3.1 Generate  $U_1$  and  $U_2$  as IID U (0, 1) and let  $a = 1/(2\alpha-1)^{1/2}$ ,  $b = \alpha-\ln(4)$ ,  $q = (\alpha+1)/a$ ,  $\theta = 4.5$ , and  $d = 1+\ln(\theta)$ .
- 2.3.2 Let  $V = a \ln [U_1 / (1-U_1)]$ ,  $Z = \alpha(e)^V$ ,  $T = U_1^2 U_2$ , and W = b + qV Z
- 2.3.3 If W + d  $\theta T \ge 0$ , return Y = Z and X =  $\beta Y$ . Otherwise, proceed to the next step (2.3.4.).
- 2.3.4 If  $W \ge \ln (T)$ , return Y = Z and  $X = \beta Y$ . Otherwise, go back to 2.3.1.
- 3. Calculate the average  $\overline{X}$  of the 10,000 gamma variates for each of the forty gamma distributions using the equation  $(\sum X_i) / 10,000$ .
- 4. Group the 10,000 gamma variates  $X_1$ ,  $X_2$ ,  $X_3$ ,...,  $X_{5000}$ ,  $X_{5001}$ ,...,  $X_{9999}$ ,  $X_{10000}$  for each gamma distribution generated in step 2 in subgroups of two consecutive measurements in the following manner:

$$(X_1, X_2), (X_2, X_3), ..., (X_{5000}, X_{5001}), ..., (X_{9999}, X_{10000}).$$

At the end there will be 9,999 (N-1) subgroups of n = 2 consecutive measurements for each of the forty gamma distributions generated in step 2 of this Procedure II.

Then, for each subgroup, calculate the moving range n = 2 MR using the equation:

$$MR = Absolute value (X_{i+1} - X_i)$$

In this way, the empirical moving range n = 2 MR distributions are obtained from the 9,999 moving ranges already calculated for each gamma distribution.

5. Evaluate the expected value of each of the forty empirical moving range n = 2MR distribution. This evaluation can be done using the equation:

$$E(MR) = \overline{MR} = (\sum MR_i) / 9,999$$

6. Evaluate the standard deviation  $\sigma_{MR}$  of each of the forty empirical moving range n=2 MR distributions obtained from the 9,999 moving ranges already calculated for each of the forty gamma distributions. The evaluation of  $\sigma_{MR}$  can be done using the equation:

$$\sigma_{MR} = [\sum (MR_i - \overline{MR})^2 / 9,998]^{1/2}$$

7. With the average moving range  $\overline{MR}$  and standard deviation  $\sigma_{MR}$  for each empirical moving range n=2 MR distribution and the theoretical process standard deviation  $\sigma$  ( $\alpha$ ,  $\beta$ ) of each gamma distribution, approximate control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  can be calculated using the equations:

$$d_2 = \overline{MR} / \sigma (\alpha, \beta)$$

$$d_3 = \sigma_{MR} / \sigma (\alpha, \beta)$$

$$D_4 = 1 + 3d_3 / d_2$$

where

$$\sigma(\alpha, \beta) = (\beta^2 \alpha)^{1/2}$$

8. Find models in which the expected value of the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  can be written as functions of two independent variables  $\alpha$ ,  $\beta$ . It means

$$d_2 = f_1(\alpha, \beta)$$

$$d_3 = f_2(\alpha, \beta)$$

$$D_4 = f_3(\alpha, \beta)$$

The method to be used in order to build the models for  $d_2$ ,  $d_3$ , and  $D_4$  is the method of fitting multiple regression models using the least-squares approach.

A statistical program package (Minitab for windows release 10), which features regression software, will be used to test different multiple regression models. The model which maximizes the multiple coefficient of determination  $R^2$  will be the one selected to predict the mean value of the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$ .

The multiple coefficient of determination  $R^2$  is a sample statistic that tells us how well the model fits the data, and thereby represents a measure of adequacy of the model.  $R^2$  is defined as:

$$R^2 = 1 - [\Sigma (y_i - \hat{y}_i)^2 / \Sigma (y_i - \bar{y})^2] = 1 - SSE / SSyy$$

The global F test will be used in order to test the validity of the multiple regression model selected. In this F test the null hypothesis

Ho: 
$$\lambda_1 = \lambda_2 = \ldots = \lambda_k = 0$$

is tested against the alternative hypothesis

Ha: at least one of the  $\lambda$  parameters does not equal zero

The test statistic is defined by

$$F = (R^2/k)/\{(1-R^2)/[n-(k+1)]\}$$

and the rejection region by

$$F > F\alpha'(k, n - (k + 1))$$

where

n is the number of data points

k is the number of  $\lambda$  parameters in the model excluding the constant term  $\lambda_o$ .  $\lambda_i$ 's are the parameters of the multiple regression model, and  $\alpha'$  is the significance level.

3.3 Objective three. The third objective is to compare the performance of the individual measurement X and moving range n = 2 MR control charts, using the normal control chart constants, with the performance of these control charts using the Pearson type III c = 0 (gamma) control chart constants calculated in objective two, when 10, 30, and 50 data values are available from an unknown process distribution. The performance of the control charts will be evaluated using the proportion of control charts which indicate at least one signal when the process is in control and for shifts in the process average of 1 and 2 process standard deviations.

The motivation of this objective is due to the fact that normally people in industry use the normal control chart constants to set individual measurement and moving range control charts only having 10, 30, or 50 pieces of data from an unknown process

distribution.

The idea is to evaluate the performance of the X and MR control charts under the blind assumption of normality and then compare this performance with the performance of these control charts using the Pearson type III (gamma) constants which cover a bigger range of underlying process distribution than the normal constants.

#### PROCEDURE III

The detailed procedure designed to achieve objective three is the following:

1. Five different process distributions are selected to represent unknown parent distributions. Thus, the performance of the individual measurement X and moving range n=2 MR control charts based on normal control chart constants can be compared with those control charts based on gamma control chart constants under different process distributions generally unknown by people in industry.

The five process distributions selected are:

- Lognormal (0, 1<sup>2</sup>)
- Normal  $(40, 10^2)$
- Exponential ( $\theta = 1$ )
- Gamma ( $\alpha = 1.5$ ,  $\beta = 1$ )
- Chi-square (df = 4)
- 2. Generate one thousand (1,000) sets of k = 10, 30, and 50 observations for each of the five distributions selected in step 1 of Procedure III.

## 2.1 Lognormal (0, 1<sup>2</sup>) algorithm

Law and Kelton (5, p. 492) recommend the following algorithm to generate

lognormal random variates LN ( $\mu$ ,  $\sigma^2$ ).

2.1.1 Generate Y  $\sim$  Normal (µ,  $\sigma^2$ ). See algorithm in 2.2 of this Procedure III.

2.1.2 Return  $X = e^{Y}$ 

## 2.2 Normal (40, 10<sup>2</sup>) algorithm

Given that  $Y \sim N$  (0, 1),  $X \sim N$  ( $\mu$ ,  $\sigma^2$ ) can be obtained by using  $X = \mu + \sigma Y$ . Therefore, if one generates standard normal random variates, normal distributions N ( $\mu$ ,  $\sigma^2$ ) can be easily generated.

The algorithm to be used in order to generate standard normal random variates is known as the polar method. This method is recommended by several authors including Law and Kelton (5, p. 491).

## Algorithm:

2.2.1 Generate  $U_1$  and  $U_2$  as IID U (0, 1), let  $V_i = 2U_{i-1}$  for i = 1, 2, ..., k and let  $W = V_1^2 + V_2^2$ .

2.2.2 If W > 1, go back to step 2.2.1. Otherwise, let  $Z = [(-2 \ln W) / W]^{1/2}$ ,

 $Y_1 = V_1 Z$ , and  $Y_2 = V_2 Z$ .  $Y_1$  and  $Y_2$  are IID  $N \sim (0, 1)$  random variates.

2.2.3 Return  $X_1 = \mu + \sigma Y_1$  and  $X_2 = \mu + \sigma Y_2$ .  $X_1$  and  $X_2$  are IID N ( $\mu$ ,  $\sigma^2$ ) random variates.

## 2.3 Exponential ( $\theta = 1$ ) algorithm

The algorithm to be used to generate exponential random variates with mean  $\theta = 1$  is described in 2.2 (Case  $\alpha = 1$ ), Procedure I (p. 42).

## 2.4 Gamma ( $\alpha = 1.5$ , $\beta = 1$ ) algorithm

The algorithm to be used to generate gamma random variates with shape parameter  $\alpha = 1.5$  and scale parameter  $\beta = 1$  is described in 2.3 (Case  $\alpha > 1$ ), Procedure I (p. 42).

## 2.5 Chi- square with 4 degrees of freedom algorithm

Knowing that a chi-square distribution is a gamma distribution with shape parameter  $\alpha = \text{d.o.f.} / 2$  and scale parameter  $\beta = 2$ , the algorithm used to generate chi-square (d.o.f. = 4) random variates is the same algorithm as the one to generate gamma  $\alpha = 2$  and  $\beta = 2$  random variates. This algorithm is described in 2.3 (Case  $\alpha > 1$ ), Procedure I (p. 42).

3. Calculate the average  $\overline{X}$  for each run of k = 10, 30, and 50 observations generated from the five distributions selected in step 1 of Procedure III using the equation:

$$\overline{X} = (\sum X_i) / k$$

4. Group the runs generated in subgroups of two consecutive measurements and calculate the moving range for each subgroup using the equation:

$$MR_j$$
 = Absolute value (  $X_{i+1}$  -  $X_i$  )

The manner how to form the subgroups of two consecutive observations is explained in step 4, Procedure I (p. 43).

5. Evaluate the average moving range for each run using the equation:

$$\overline{MR} = (\sum MR_j) / (k-1)$$

6. In order to get the Pearson type III with c = 0 (gamma) control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  to be used in setting control limits for each run of k observations, Pearson type

III parameters  $\alpha$  and  $\beta$  have to be estimated from the k observations generated.

Since the process distribution is supposedly unknown, the idea is to fit the data with a Pearson type III with c=0 distribution by estimating the parameters  $\alpha$  and  $\beta$  from the k data values (gamma distribution assumption as the underlying process distribution). According to Fisher (7, p. 332), the method of moments is inefficient to estimate parameters of a gamma distribution, except for a distribution closely resembling the normal distribution. Kendall and Stuart (8, p. 38) show that the efficiency of the estimated shape parameter  $\alpha$  of a gamma distribution by the method of moments may be as low as 22 percent. Therefore, Fisher (7, p. 332) and Law and Kelton (5, p. 331) recommend the method of maximum likelihood estimation (MLE) in order to estimate the parameters  $\alpha$  and  $\beta$  of type III from the data.

The difficulty in applying the method of maximum likelihood estimation to estimate the parameters  $\alpha$  and  $\beta$  of a gamma distribution is that closed expressions for the maximum likelihood estimators  $\hat{\alpha}$  and  $\hat{\beta}$  cannot be obtained analytically. Therefore, numerical methods must be used to estimate the parameters  $\alpha$  and  $\beta$  of a gamma distribution.

Choi and Wette (9, p. 683) developed a numerical technique of the maximum likelihood method to estimate the parameters of a gamma distribution. This method is recommended by Law and Kelton (5, p. 331) to estimate  $\alpha$  and  $\beta$ . Therefore, this method is the one to be used in this Procedure III to estimate  $\alpha$  and  $\beta$  from the data in order to fit a Pearson type III distribution with location parameter c = 0 (gamma distribution).

In this numerical technique of the maximum likelihood method, the statistic T is

evaluated using the equation:

$$T = [\ln \overline{X} - \sum \ln X_i / k]^{-1}$$

Then, using Table 6.19 in Law and Kelton (5, p. 411) the estimator  $\hat{\alpha}$  is obtained as a function of the statistic T. This table is reproduced in Appendix J of this thesis research. With the estimator  $\hat{\alpha}$  and using the equation:

$$\hat{\beta} = \overline{X} / \hat{\alpha}$$

the scale parameter  $\beta$  is estimated.

Using the estimators  $\hat{\alpha}$  and  $\hat{\beta}$  and the functions (models) generated in Procedure II by multiple regression analysis

$$d_2 = f_1(\alpha, \beta)$$

$$d_3 = f_2(\alpha, \beta)$$

$$D_4 = f_3(\alpha, \beta) = 1 + 3d_3/d_2$$

one can obtain the approximate or empirical mean value of the Pearson type III with c = 0 (gamma) control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  in order to set control limits for the individual measurement X and moving range n = 2 MR control charts.

7. Given the gamma control chart constants and using the control chart constants under the assumption of normality, two sets of control limits are obtained for each simulation run of k = 10, 30, and 50 observations. One set of control limits is obtained using the normal constants and the other one is obtained using the Pearson type III (gamma) constants.

The equations to be used to set control limits for X and MR control charts are:

$$UCL_X = \overline{X} + 3 \overline{MR} / d_2$$

$$LCL_{X} = \overline{X} - 3 \overline{MR} / d_{2}$$

$$UCL_{MR} = D_{4}\overline{MR}$$

- 8. Generate three sets of 1,000 new samples of k' = 30 observations for each of the five process distributions using the same algorithms described in step 2 of this Procedure III. The first set of 1,000 new samples is left as it is (no shift in the process average), the second set of 1,000 new samples is shifted up by one process standard deviation, and the third set of 1,000 new samples is shifted up by two process standard deviations. The shifts of 1 and 2 standard deviations in the process average are considered only up since the quality characteristic cannot take negative values (see delimitations of this research).
- 9. Determine if the first observation (k'=1), the first ten observations (k'=10), and the thirty observations (k'=30) of the first new sample of k' = 30 data values fall outside normal and gamma control limits for the first X control chart. This step is executed repeatedly for the five process distributions and for the three sets of 1,000 new samples (k'=30). Each time it is compared the n<sup>th</sup> new sample of k' = 30 with the normal and gamma control limits corresponding to the n<sup>th</sup> X control chart calculated from the n<sup>th</sup> old sample of k = 10, 30, and 50 observations.
- 10. Group the first set of 1,000 new samples of k' = 30 data values (no shift in the process average) in subgroups of two consecutive measurements and calculate the moving range for each subgroup using the equation:

$$MR_i' = Absolute value (X'_{i+1} - X'_i)$$

At the end, there are 30 moving ranges for each of the 1,000 new samples of k'=30. This is different to the logical 29 moving ranges (N-1) because an additional

subgroup is formed using the last observation of the 1,000 old samples of k = 10, 30, and 50 observations with the first observation of the new 1,000 samples of k' = 30 observations (no shift).

- Determine if the first moving range ( $MR_1$ '), the first ten moving ranges ( $MR_{1...10}$ '), and the thirty moving ranges ( $MR_{1...30}$ ') fall above the normal and gamma upper control limits corresponding to the first MR control chart. This step is done repeatedly for the five process distributions and for the first set (no shift) of 1,000 new samples of k' = 30. Each time it is compared the  $n^{th}$  new sample of k' = 30 with the normal and gamma limits corresponding to the  $n^{th}$  MR control chart calculated from the  $n^{th}$  old sample of k = 10, 30, and 50 observations.
- 12. Calculate for each of the five distributions and for k = 10, 30, and 50 the proportion of individual measurement X and moving range n = 2 MR control charts which show at least one out-of-control signal. This is done comparing the first observation (k'=1), the first ten observations (k'=10), and the thirty observations (k'=30) of the three sets of 1,000 new samples generated with the two sets of control limits calculated using the 1,000 old samples of k = 10, 30, and 50 data values.

This step is done separately for the X and the MR control charts, set with the normal control chart constants  $d_2$ ,  $d_3$ , and  $D_4$ , and for those X and MR control charts set with the gamma control chart constants  $d_2$ ,  $d_3$ , and  $D_4$ . The equation to be used to evaluate the proportion is:

$$P = N / 1000$$

where

- P is the proportion of X and MR control charts which show at least one out-of-control signal for both sets of control limits (normal and gamma limits).
- N is the number of control charts which show at least one out-of-control signal.

The proportion P is evaluated separately for each of the five distributions, for each k (10, 30, and 50), for each of the three sets (no shift, 1 sigma shift, and 2 sigma shift) of k' (1, 10, and 30) and for each set of control limits (normal and gamma).

## **CHAPTER IV**

## **RESULTS AND ANALYSIS**

The results of this thesis research are presented following the three objectives described in chapter I.

## 4.1 Objective one.

The first objective is to evaluate the performance of the individual measurement X and moving range n = 2 MR control charts, using the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  under the assumption of normality, when the underlying process distribution is the Pearson type III family of distributions with location parameter c = 0 (gamma distributions) so often encountered in industry.

Following Procedure I, described in detail in chapter III (p. 40), forty gamma distributions are generated using ten values of the shape parameter  $\alpha$  (0.5, 1, 1.5, 2, 3, 4, 5, 10, 50, and 100) and four values of the scale parameter  $\beta$  (0.5, 1, 5, and 10).

For each gamma distribution, ten thousand (10,000) gamma random variates are generated in a spreadsheet designed in Quattro Pro for Windows using the random number generator included in Minitab for Windows release 10 and following the algorithm described in Procedure I. Portions of the gamma distributions generated can be observed in Appendix D. The algorithm used to generate gamma variates is tested statistically to see how closely the values generated resemble IID gamma distributions  $(\alpha, \beta)$ . The test is a goodness of fit test for 100 and 1,000 observations for the gamma distribution (1, 1). The results of the test are shown in Appendix C and they indicate that

the algorithm is good enough to generate reliable gamma variates. Then, for each gamma distribution the following values are calculated:

- Average  $\overline{X}$  of the 10,000 gamma variates.
- Average moving range  $\overline{MR}$  of the 9,999 subgroups of two consecutive measurements.
  - Control limits for the individual measurement X control charts (UCL $_{\rm X}$ ) and LCL $_{\rm X}$ ) using the normal bias correction factor  $d_2=1.128$ .
  - Upper control limits for the moving range n=2 MR control charts (UCL<sub>MR</sub>) using the normal control chart constant  $D_4=3.268$ .

These values are summarized in Table 4.1.

TABLE 4.1

SUMMARY TABLE - VALUES CALCULATED USING PROCEDURE I.

Alpha α	Beta β	Avg. $\overline{X}$	Avg,MR	UCLx	LCL <sub>x</sub>	UCL <sub>MR</sub>
0.5	0.5	0.2476	0.3149	1.0851	-0.5899	1.0291
	1.0	0.5045	0.6374	2.1997	-1.1908	2.0831
	5.0	2.4525	3.0912	10.6737	-5.7688	10.1020
	10.0	4.9689	6.3167	21.7687	-11.8308	20.6430
1.0	0.5	0.4966	0.5006	1.8280	-0.8348	1.6360
	1.0	1.0207	0.9976	3.6738	-1.6323	3.2600
	5.0	4.9572	4.9450	18.1089	-8.1945	16.1604
	10.0	9.9641	10.1105	36.8536	-16.9254	33.0410
1.5	0.5	0.7451	0.6300	2.4205	-0.9303	2.0587
	1.0	1.4920	1.2539	4.8267	-1.8427	4.0976
	5.0	7.5528	6.3645	24.4797	-9.3741	20.7992

Alpha α	Beta β	Avg. 🖁	Avg.MR	UCLx	LCLx	UCL <sub>MR</sub>
1.5	10.0	15.0286	12.7060	48.8212	-18.7641	41.5234
2.0	0.5	0.9971	0.7352	2.9524	-0.9582	2.4026
	1.0	1.9625	1.4976	5.9454	-2.0204	4.8940
	5.0	9.9023	7.3454	29.4380	-9.6335	24.0049
	10.0	20.0860	15.1945	60.4969	-20.3249	49.6556
3.0	0.5	1.5018	0.9459	4.0174	-1.0139	3.0911
	1.0	3.0280	1.8759	8.0171	-1.9611	6.1304
	5.0	15.1172	9.4211	40.1733	-9.9389	30.7881
	10.0	30.1224	18.7847	80.0816	-19.8368	61.3882
4.0	0.5	1.9969	1.0826	4.8761	-0.8823	3.5379
	1.0	4.0032	2.1963	9.8443	-1.8379	7.1774
	5.0	19.9459	11.0745	49.3993	-9.5074	36.1913
	10.0	40.2152	22.0412	98.8354	-18.4051	72.0307
5.0	0.5	2.5080	1.2346	5.7916	-0.7756	4.0347
	1.0	5.0065	2.4833	11.6111	-1.5982	8.1156
	5.0	24.9952	12.3467	57.8322	-7.8419	40.3492
	10.0	49.8423	24.3149	114.5095	-14.8250	79.4611
10.0	0.5	4.9852	1.7319	9.5913	0.3791	5.6598
	1.0	9.9423	3.5097	19.2765	0.6081	11.4696
	5.0	50.1309	17.4940	9606574	3.6044	57.1703
	10.0	100.6372	34.9837	193.6788	7.5955	114.3266
50.0	0.5	24.9684	3.9957	35.5952	14.3416	13.0579
	1.0	49.9587	7.9154	71.0104	28.9071	25.8676
	5.0	250.2511	39.4540	355.1820	145.3202	128.9358
	10.0	500.8203	80.2515	714.2551	287.3855	262.2619

Alpha α	Beta β	Avg. $\overline{X}$	Avg.MR	UCL <sub>x</sub>	LCL <sub>x</sub>	UCL <sub>MR</sub>
	0.5	49.9843	5.6459	65.0001	34.9686	18.4509
100.0	1.0	100.1233	11.2389	130.0140	70.2325	36.7288
100.0	5.0	499.9215	55.5181	647.5760	352.2670	181.4331
	10.0	1001.3230	112.9637	1301.7580	700.8875	369.1654

More details about the forty gamma distributions and their values can be observed in the spreadsheets shown in Appendix D.

Then, using the values of the individual measurement X control limits (UCL<sub>x</sub> and LCL<sub>x</sub>) and the gamma cumulative distribution function routine contained in Minitab for Windows release 10, the average run lengths (ARLs) for several shifts in the process average ( $k\sigma$ , where k = 0 (0.2) 3) are computed using the equation:

$$ARL = 1/P$$

where

P is the probability of detection evaluated by the equation:

$$P = Probability (x > UCL_x) + Probability (x < LCL_x)$$

The probabilities of detection (P) calculated in Minitab and the average run lengths (ARLs) are summarized in Tables 4.2 and 4.3 respectively for the forty gamma distributions generated in Procedure I.

TABLE 4.2 a  $\label{eq:probabilities} \mbox{ PROBABILITIES OF DETECTION (P) FOR DIFFERENT SHIFTS IN THE PROCESS$   $\mbox{AVERAGE } \mbox{ k}\sigma \mbox{ WHERE } \mbox{k} = 0 \mbox{ (0.2) 1.4}$ 

	_	Shift in the process average ko											
α	β	0	0,2	0.4	0,6	0.8	1,0	1.2	1.4				
	0.5	0.0372	0.0440	0.0520	0.0617	0.0732	0.0872	0.1040	0.1244				
0.5	1.0	0.0360	0.0425	0.0502	0.0595	0.0706	0.0840	0.1002	0.1198				
0.5	5.0	0.0388	0.0459	0.0543	0.0644	0.0765	0.0911	0.1087	0.1302				
	10	0.0369	0.0436	0.0516	0.0612	0.0726	0.0864	0.1031	0.1234				
	0.5	0.0258	0.0316	0.0385	0.0471	0.0575	0.0702	0.0858	0.1048				
1.0	1.0	0.0254	0.0310	0.0379	0.0462	0.0565	0.0690	0.0843	0.1029				
1.0	5.0	0.0267	0.0327	0.0399	0.0487	0.0595	0.0727	0.0888	0.1084				
	10	0.0251	0.0306	0.0374	0.0457	0.0558	0.0682	0.0833	0.1017				
	0.5	0.0215	0.0268	0.0335	0.0418	0.0521	0.0648	0.0806	0.0999				
1, 5	1.0	0.0218	0.0272	0.0340	0.0424	0.0528	0.0657	0.0816	0.1012				
1.5	5.0	0.0204	0.0255	0.0319	0.0398	0.0496	0.0617	0.0768	0.0952				
	10	0.0207	0.0259	0.0323	0.0403	0.0502	0.0625	0.0777	0.0964				
	0.5	0.0188	0.0240	0.0304	0.0386	0.0488	0.0616	0.0775	0.0972				
20	1.0	0.0182	0.0231	0.0294	0.0373	0.0472	0.0596	0.0750	0.0941				
2.0	5.0	0.0191	0.0243	0.0309	0.0391	0.0495	0.0624	0.0786	0.0986				
	10	0.0166	0.0212	0.0269	0.0342	0.0433	0.0547	0.0689	0.0866				
	0.5	0.0134	0.0175	0.0229	0.0297	0.0385	0.0497	0.0639	0.0818				
	1.0	0.0136	0.0178	0.0232	0.0301	0.0390	0.0504	0.0648	0.0828				
3.0	5.0	0.0134	0.0175	0.0229	0.0297	0.0385	0.0498	0.0640	0.0818				
	10	0.0137	0.0179	0.0233	0.0303	0.0393	0.0507	0.0652	0.0834				
4.0	0.5	0.0124	0.0165	0.0220	0.0290	0.0382	0.0500	0.0652	0.0843				

		Shift in the process average ko								
α	β	0	0.2	0.4	0.6	0.8	1.0	1.2	1.4	
	1.0	0.0116	0.0155	0.0206	0.0272	0.0359	0.0471	0.0613	0.0795	
4.0	5.0	0.0113	0.0151	0.0201	0.0266	0.0350	0.0460	0.0599	0.0777	
	10	0.0113	0.0150	0.0200	0.0265	0.0349	0.0458	0.0598	0.0775	
	0.5	0.0101	0.0138	0.0186	0.0250	0.0334	0.0443	0.0584	0.0765	
5.0	1.0	0.0099	0.0135	0.0183	0.0245	0.0328	0.0436	0.0574	0.0752	
5.0	5.0	0.0103	0.0139	0.0188	0.0253	0.0338	0.0448	0.0590	0.0772	
	10	0.0111	0.0151	0.0203	0.0273	0.0363	0.0481	0.0633	0.0827	
	0.5	0.0079	0.0114	0.0161	0.0225	0.0312	0.0429	0.0582	0.0782	
10	1.0	0.0076	0.0108	0.0153	0.0214	0.0298	0.0409	0.0557	0.0749	
10	5.0	0.0073	0.0105	0.0148	0.0208	0.0289	0.0398	0.0542	0.0730	
	10	0.0072	0.0103	0.0146	0.0204	0.0284	0.0391	0.0533	0.0718	
	0.5	0.0037	0.0056	0.0087	0.0134	0.0202	0.0299	0.0436	0.0622	
50	1.0	0.0039	0.0059	0.0092	0.0141	0.0212	0.0315	0.0457	0.0650	
50	5.0	0.0039	0.0059	0.0091	0.0140	0.0211	0.0313	0.0454	0.0646	
	10	0.0034	0.0052	0.0081	0.0125	0.0189	0.0281	0.0411	0.0587	
	0.5	0.0032	0.0047	0.0075	0.0118	0.0183	0.0279	0.0414	0.0600	
100	1.0	0.0032	0.0047	0.0075	0.0118	0.0183	0.0278	0.0413	0.0599	
100	5.0	0.0037	0.0054	0.0084	0.0132	0.0203	0.0307	0.0454	0.0654	
	10	0.0031	0.0045	0.0072	0.0114	0.0177	0.0269	0.0400	0.0581	

				Shift	in the p	rocess av	erage ko		
Œ	β	1.6	1.8	2.0	2.2	2.4	2.6	2.8	3.0
	0.5	0.1495	0.1803	0.2188	0.2676	0.3306	0.4153	0.5372	0.7544
0.5	1.0	0.1438	0.1733	0.2101	0.2564	0.3160	0.3953	0.5073	0.6921
0.3	5.0	0.1566	0.1892	0.2299	0.2818	0.3495	0.4414	0.5779	0.8698
	10	0.1482	0.1787	0.2168	0.2650	0.3273	0.4107	0.5302	0.7389
	0.5	0.1280	0.1563	0.1909	0.2332	0.2848	0.3479	0.4249	0.5189
1.0	1.0	0.1257	0.1535	0.1875	0.2290	0.2798	0.3417	0.4173	0.5097
1.0	5.0	0.1324	0.1617	0.1975	0.2413	0.2947	0.3599	0.4397	0.5370
	10	0.1243	0.1518	0.1854	0.2264	0.2765	0.3378	0.4126	0.5039
	0.5	0.1237	0.1529	0.1884	0.2315	0.2835	0.3458	0.4197	0.5061
1 5	1.0	0.1253	0.1548	0.1907	0.2343	0.2868	0.3498	0.4243	0.5116
1.5	5.0	0.1180	0.1458	0.1798	0.2211	0.2710	0.3309	0.4020	0.4856
	10	0.1194	0.1476	0.1819	0.2237	0.2741	0.3346	0.4064	0.4907
	0.5	0.1216	0.1515	0.1880	0.2322	0.2851	0.3478	0.4211	0.5051
20	1.0	0.1178	0.1469	0.1823	0.2253	0.2769	0.3382	0.4099	0.4924
2.0	5.0	0.1233	0.1536	0.1905	0.2351	0.2886	0.3520	0.4259	0.5105
	10	0.1085	0.1355	0.1684	0.2085	0.2568	0.3144	0.3822	0.4607
	0.5	0.1041	0.1318	0.1658	0.2070	0.2565	0.3151	0.3830	0.4603
, ,	1.0	0.1054	0.1334	0.1677	0.2094	0.2593	0.3183	0.3868	0.4645
3.0	5.0	0.1042	0.1318	0.1658	0.2071	0.2566	0.3151	0.3831	0.4603
	10	0.1061	0.1342	0.1686	0.2105	0.2607	0.3199	0.3887	0.4666
4.0	0.5	0.1083	0.1381	0.1747	0.2190	0.2718	0.3336	0.4043	0.4833

				Shift	in the pr	ocess ave	erage ko		
α	β	1.6	1.8	2.0	2.2	2.4	2.6	2.8	3.0
	1.0	0.1023	0.1307	0.1657	0.2081	0.2589	0.3185	0.3873	0.4645
4.0	5.0	0.1001	0.1279	0.1623	0.2040	0.2540	0.3129	0.3808	0.4573
	10	0.0998	0.1276	0.1619	0.2036	0.2535	0.3123	0.3801	0.4566
	0.5	0.0993	0.1279	0.1631	0.2059	0.2571	0.3171	0.3859	0.4627
5.0	1.0	0.0977	0.1259	0.1607	0.2030	0.2537	0.3131	0.3813	0.4577
3.0	5.0	0.1003	0.1291	0.1646	0.2077	0.2592	0.3195	0.3886	0.4657
	10	0.1071	0.1376	0.1749	0.2202	0.2739	0.3365	0.4078	0.4867
	0.5	0.1037	0.1358	0.1754	0.2233	0.2798	0.3448	0.4176	0.4965
10	1.0	0.0995	0.1306	0.1690	0.2156	0.2708	0.3346	0.4064	0.4845
10	5.0	0.0971	0.1276	0.1654	0.2112	0.2657	0.3287	0.3998	0.4775
	10	0.0956	0.1257	0.1630	0.2083	0.2623	0.3249	0.3956	0.4729
	0.5	0.0868	0.1187	0.1586	0.2074	0.2651	0.3312	0.4044	0.4825
50	1.0	0.0905	0.1233	0.1644	0.2143	0.2731	0.3402	0.4141	0.4926
50	5.0	0.0899	0.1226	0.1635	0.2133	0.2719	0.3389	0.4127	0.4912
	10	0.0823	0.1128	0.1514	0.1987	0.2549	0.3197	0.3918	0.4693
	0.5	0.0850	0.1174	0.1583	0.2082	0.2671	0.3343	0.4083	0.4867
100	1.0	0.0848	0.1171	0.1580	0.2078	0.2667	0.3338	0.4078	0.4862
100	5.0	0.0921	0.1265	0.1695	0.2217	0.2827	0.3517	0.4270	0.5061
	10	0.0825	0.1142	0.1543	0.2034	0.2616	0.3281	0.4016	0.4797

TABLE 4.3 a  $\label{eq:AVERAGE} \mbox{AVERAGE RUN LENGTHS (ARLs) FOR DIFFERENT SHIFTS IN THE PROCESS } \\ \mbox{AVERAGE } k\sigma \mbox{ WHERE } k = 0 \mbox{ (0.2) 1.4 }$ 

				ocess av	erage ko				
Œ	β	0	0,2	0.4	0.6	0.8	1.0	1.2	1.4
	0.5	26.9	22.7	19.2	16.2	13.7	11.5	<sub>-</sub> 9.6	8.0
0.5	1.0	27.8	23.5	19.9	16.8	14.2	11.9	9.9	8.3
0.5	5.0	25.8	21.8	18.4	15.5	13.1	10.9	9.2	7.7
	10	27.1	22.9	19.4	16.3	13.8	11.6	9.7	8.1
	0.5	38.7	31.7	25.9	21.2	17.4	14.2	11.7	9.5
1.0	1.0	39.4	32.3	26.4	21.6	17.7	14.5	11.9	9.7
1.0	5.0	37.4	30.6	25.1	20.5	16.8	13.8	11.3	9.2
	10	39.9	32.6	26.7	21.9	17.9	14.7	12.0	9.8
	0.5	46.6	37.3	29.8	23.9	19.2	15.4	12.4	10.0
1,,	1.0	45.9	36.8	29.4	23.6	18.9	15.2	12.3	9.9
1.5	5.0	48.9	39.2	31.4	25.1	20.2	16.2	13.0	10.5
	10	48.4	38.7	30.9	24.8	19.9	15.9	12.9	10.4
_	0.5	53.1	41.7	32.9	25.9	20.5	16.2	12.9	10.3
	1.0	54.9	43.2	34.0	26.8	21.2	16.8	13.3	10.6
2.0	5.0	52.3	41.1	32.4	25.6	20.2	16.0	12.7	10.1
	10	60.1	47.2	37.1	29.3	23.1	18.3	14.5	11.5
	0.5	74.7	57.1	43.7	33.6	25.9	20.1	15.6	12.2
	1.0	73.7	56.3	43.2	33.2	25.6	19.8	15.4	12.1
3.0	5.0	74.7	57.1	43.7	33.6	25.9	20.1	15.6	12.2
	10	73.2	55.9	42.9	32.9	25.4	19.7	15.3	11.9
4.0	0.5	80.8	60.5	45.5	34.4	26.2	19.9	15.3	11.9

		Shift in the process average ko												
α	β	0	0.2	0.4	0.6	0.8	1.0	1.2	1.4					
	1.0	86.3	64.7	48.6	36.7	27.9	21.2	16.3	12.6					
4.0	5.0	88.6	66.3	49.8	37.6	28.5	21.8	16.7	12.9					
	10	88.9	66.5	49.9	37.7	28.6	21.8	16.7	12.9					
	0.5	98.5	72.6	53.7	39.9	29.9	22.6	17.1	13.1					
	1.0	100.4	73.9	54.7	40.7	30.5	22.9	17.4	13.3					
5.0	5.0	97.3	71.8	53.1	39.6	29.6	22.3	16.9	12.9					
	10	90.0	66.4	49.2	36.7	27.5	20.8	15.8	12.1					
	0.5	125.2	87.9	62.2	44.4	32.0	23.3	17.2	12.8					
1.0	1.0	132.0	92.6	65.4	46.7	33.6	24.4	17.9	13.4					
10	5.0	136.2	95.4	67.4	48.0	34.6	25.1	18.4	13.7					
	10	139.0	97.4	68.7	49.0	35.2	25.6	18.8	13.9					
	0.5	273.4	178.9	115.1	74.8	49.5	33.3	22.9	16.1					
50	1.0	255.7	168.5	108.8	70.9	47.0	31.8	21.9	15.4					
50	5.0	255.8	169.6	109.6	71.4	47.3	31.9	22.0	15.5					
	10	293.9	192.8	123.8	80.3	52.9	35.6	24.4	17.0					
	0.5	315.1	211.4	133.7	84.6	54.5	35.9	24.2	16.7					
100	1.0	310.2	210.9	133.9	84.9	54.7	35.9	24.2	16.7					
100	5.0	274.1	186.7	119.1	75.9	49.1	32.5	22.0	15.3					
	10	324.7	219.9	139.3	88.1	56.6	37.2	25.0	17.2					

TABLE 4.3 b  $\label{eq:AVERAGE} \mbox{AVERAGE RUN LENGTHS (ARLs) FOR DIFFERENT SHIFTS IN THE PROCESS } \\ \mbox{AVERAGE } \mbox{k}\sigma \mbox{ WHERE } \mbox{k} = 1.6 \mbox{ (0.2) } 3.0$ 

		Shift in the process average ko											
α	β	1.6	1.8	2.0	2.2	2.4	2.6	2.8	3.0				
	0.5	6.7	5.5	4.6	3.7	3.0	2.4	1.9	1.3				
0.5	1.0	6.9	5.8	4.8	3.9	3.2	2.5	1.9	1.4				
0.5	5.0	6.4	5.3	4.3	3.5	2.9	2.3	1.7	1.2				
	10	6.7	5.6	4.6	3.8	3.1	2.4	1.9	1.4				
	0.5	7.8	6.4	5.2	4.3	3.5	2.9	2.4	1.9				
1.0	1.0	7.9	6.5	5.3	4.4	3.6	2.9	2.4	1.9				
1.0	5.0	7.6	6.2	5.1	4.1	3.4	2.8	2.3	1.9				
	10	8.0	6.6	5.4	4.4	3.6	2.9	2.4	1.9				
	0.5	8.1	6.5	5.3	4.3	3.5	2.9	2.4	1.9				
1.5	1.0	8.0	6.5	5.2	4.3	3.5	2.9	2.4	1.9				
1.5	5.0	8.5	6.9	5.6	4.5	3.7	3.0	2.5	2.0				
	10	8.4	6.8	5.5	4.5	3.6	3.0	2.5	2.0				
	0.5	8.2	6.6	5.3	4.3	3.5	2.9	2.4	1.9				
2.0	1.0	8.5	6.8	5.5	4.4	3.6	3.0	2.4	2.0				
2.0	5.0	8.1	6.5	5.2	4.3	3.5	2.8	2.3	1.9				
	10	9.2	7.4	5.9	4.8	3.9	3.2	2.6	2.1				
	0.5	9.6	7.6	6.0	4.8	3.9	3.2	2.6	2.1				
, ,	1.0	9.5	7.5	6.0	4.8	3.9	3.1	2.6	2.1				
3.0	5.0	9.6	7.6	6.0	4.8	3.9	3.2	2.6	2.1				
	10	9.4	7.5	5.9	4.7	3.8	3.1	2.6	2.1				
4.0	0.5	9.2	7.2	5.7	4.6	3.7	3.0	2.5	2.0				

				Shif	t in the p	rocess ave	erage ko		
α	β	1.6	1.8	2.0	2.2	2.4	2.6	2.8	3.0
	1.0	9.8	7.7	6.0	4.8	3.9	3.1	2.6	2.1
4.0	5.0	9.9	7.8	6.2	4.9	3.9	3.2	2.6	2.1
	10	10.0	7.8	6.2	4.9	3.9	3.2	2.6	2.2
	0.5	10.1	7.8	6.1	4.9	3.9	3.2	2.6	2.1
5.0	1.0	10.2	7.9	6.2	4.9	3.9	3.2	2.6	2.1
5.0	5.0	10.0	7.7	6.1	4.8	3.9	3.1	2.6	2.1
	10	9.3	7.3	5.7	4.5	3.7	3.0	2.5	2.0
	0.5	9.6	7.4	5.7	4.5	3.6	2.9	2.4	2.0
10	1.0	10.0	7.7	5.9	4.6	3.7	3.0	2.5	2.0
10	5.0	10.3	7.8	6.0	4.7	3.8	3.0	2.5	2.1
	10	10.5	7.9	6.1	4.8	3.8	3.1	2.5	2.1
	0.5	11.5	8.4	6.3	4.8	3.8	3.0	2.5	2.0
50	1.0	11.1	8.1	6.1	4.7	3.7	2.9	2.4	2.0
50	5.0	11.1	8.2	6.1	4.7	3.7	2.9	2.4	2.0
	10	12.2	8.9	6.6	5.0	3.9	3.1	2.6	2.1
	0.5	11.8	8.5	6.3	4.8	3.7	3.0	2.4	2.0
100	1.0	11.8	8.5	6.3	4.8	3.7	3.0	2.5	2.0
100	5.0	10.9	7.9	5.9	4.5	3.5	2.8	2.3	1.9
	10	12.1	8.8	6.5	4.9	3.8	3.0	2.5	2.0

More details about the calculations of the probabilities of detection (P) and average run lengths (ARLs) are shown in Appendix E.

From Table 4.3 (a and b), empirical average run length (ARL) curves are drawn for each of the forty X control charts corresponding to each of the forty gamma

distributions generated. These ARL curves show the overall performance of the individual measurement X control charts, using the normal bias correction factor  $d_2 = 1.128$ , when the underlying process distribution is Pearson type III with location parameter c = 0 (gamma distribution).

The empirical average run length (ARL) curves for the different combinations between shape parameters  $\alpha$  and scale parameters  $\beta$  can be observed from Figure 4.1 to Figure 4.10.

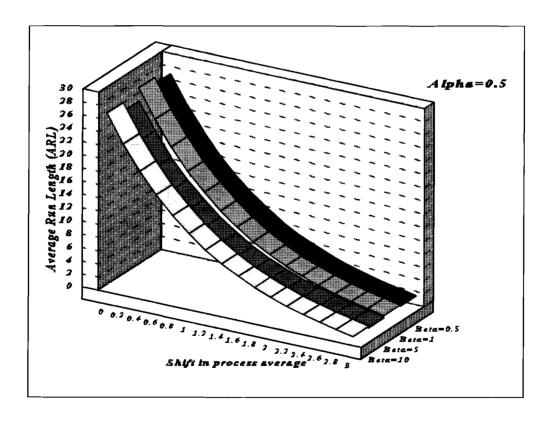
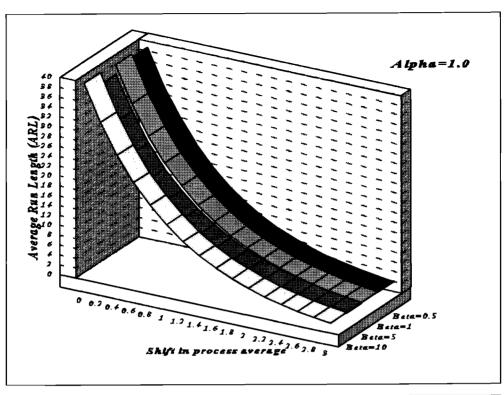
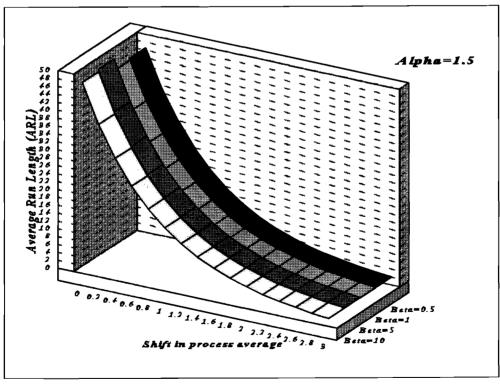
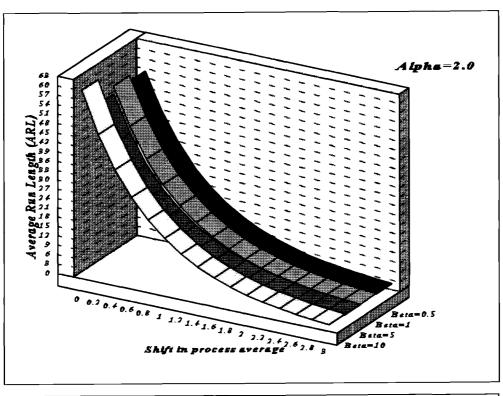


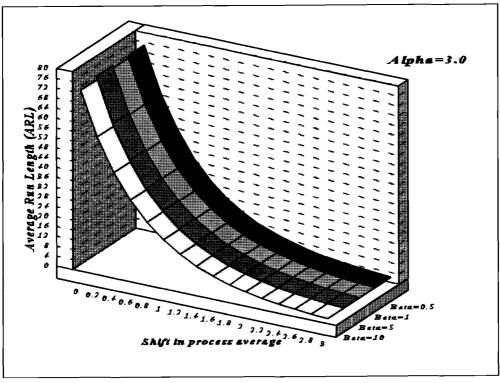
Figure 4.1 Empirical ARL curve for shape parameter  $\alpha = 0.5$ .



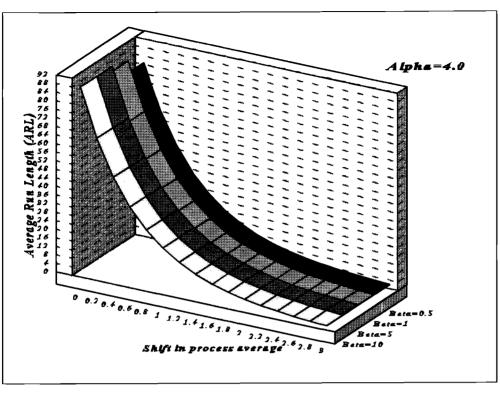


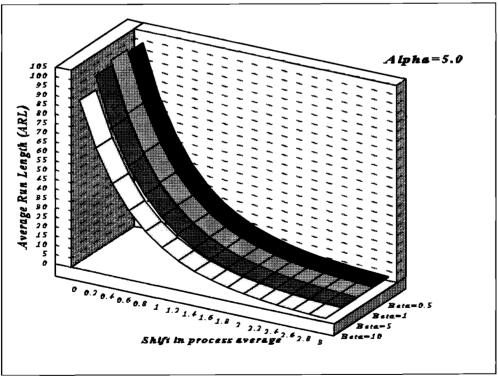
Figures 4.2 and 4.3. Empirical ARL curves for shape parameters  $\alpha = 1.0$  and 1.5.



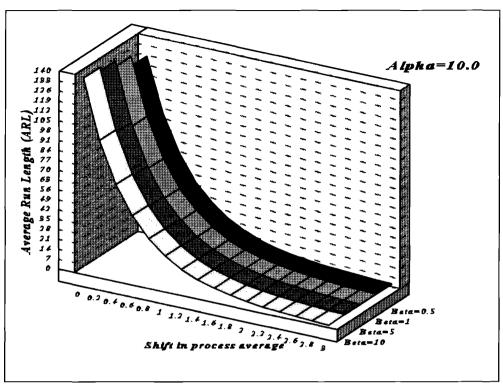


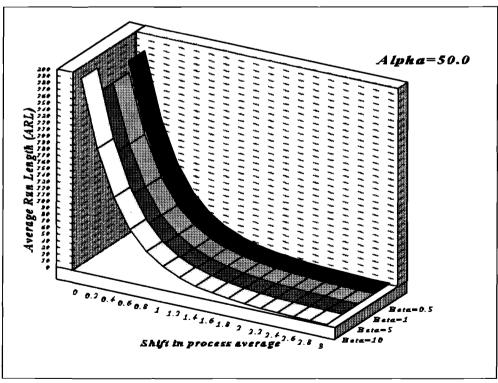
Figures 4.4 and 4.5. Empirical ARL curves for shape parameters  $\alpha = 2.0$  and 3.0.





Figures 4.6 and 4.7. Empirical ARL curves for shape parameters  $\alpha = 4.0$  and 5.0





Figures 4.8 and 4.9. Empirical ARL curves for shape parameters  $\alpha = 10$  and 50.

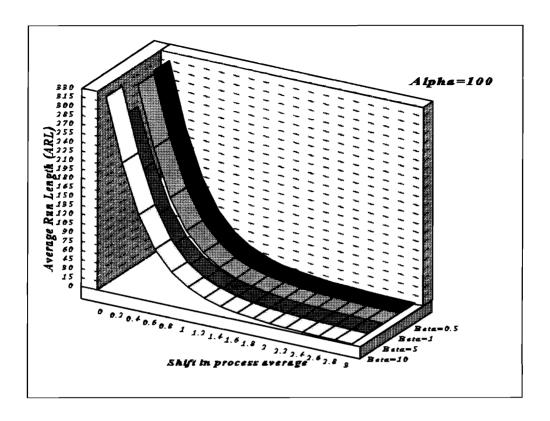


Figure 4.10. Empirical ARL curve for shape parameter  $\alpha = 100$ 

From the empirical average run length (ARL) curves, it is observed that for shape parameters  $\alpha < 5$  the ARLs in control (no shift) are substantially less (from 15% to 74%) than the 100 stated in the first hypothesis as the minimum accepted in industry for practical purposes. However, the average run lengths (ARLs) for shifts in the process average of  $k\sigma = 1$ , 2 and 3 process standard deviations are smaller, for most of the shape parameter  $\alpha$  values, than the 43.9, 6.3, and 2 stated in the first hypothesis for shifts in the process average of k = 1, 2, and 3 sigma, respectively. Only for a few combinations of shape parameter  $\alpha$  and scale parameter  $\beta$  (for example  $\alpha = 50$  and  $\beta = 10$ ), the ARLs for shifts in the process average of k = 2 and 3 process standard deviations are a little bit higher (approximately 4.5%) than the theoretical ARL for normal distributions. It is the

author's belief that these tiny differences (approximately 4.5%) in some cases are due to the presence of random error in the simulation process.

Additionally, it can be seen from the empirical ARL curves that the ARL values do not vary with the scale parameter  $\beta$ . This is due to the fact that the scale parameter  $\beta$  does not affect the shape of the gamma distribution.

For the moving range n=2 MR control charts, using the values of the upper control limits (UCL<sub>MR</sub>) and the moving range values (MR<sub>i</sub>), the empirical probabilities of type I error and empirical ARLs in control are calculated for each of the forty gamma distributions generated. The equations used are:

where

B is the number of moving ranges ( $MR_i$ ) above the  $UCL_{MR}$  for each of the forty gamma distributions.

The empirical probabilities of type I error (P') and the empirical ARL' in control are shown in Table 4.4.

TABLE 4.4

EMPIRICAL PROBABILITIES OF TYPE I ERROR (P') AND EMPIRICAL ARL' IN

CONTROL FOR THE MR (n=2) CONTROL CHARTS

α	β	Prob. P'	ARL'	α	β	Prob. P'	ARL'
0.5	0.5	0.0536	18.7	4.0	0.5	0.0176	56.8
0.5	1.0	0.0597	16.8	4.0	1.0	0.0177	56.5

α	β	Prob. P'	ARL'	α	β	Prob. P'	ARL'
0.5	5.0	0.0558	17.9	4.0	5.0	0.0151	66.2
0.5	10	0.0571	17.5	4.0	10	0.0187	53.5
	0.5	0.0396	25.3		0.5	0.0162	61.7
1.0	1.0	0.0386	25.9		1.0	0.0163	61.3
1.0	5.0	0.0415	24.1	5.0	5.0	0.0183	54.6
	10	0.0367	27.3		10	0.0155	64.5
_	0.5	0.0304	32.9		0.5	0.0129	77.5
1.5	1.0	0.0301	33.2	10	1.0	0.0129	77.5
1.5	5.0	0.0288	34.7		5.0	0.0143	69.9
	10	0.0301	33.2		10	0.0156	64.1
	0.5	0.0220	45.5		0.5	0.0100	100.0
20	1.0	0.0271	36.9	50	1.0	0.0112	89.3
2.0	5.0	0.0252	39.7	50	5.0	0.0104	96.2
	10	0.0248	40.3		10	0.0089	112.3
	0.5	0.0218	45.9		0.5	0.0107	93.5
] , ,	1.0	0.0220	45.5	100	1.0	0.0087	114.9
3.0	5.0	0.0194	51.5	100	5.0	0.0099	101.0
	10	0.0204	49.0		10	0.0096	104.2

More details about the calculations of the empirical probabilities of type I error P' and the empirical ARL' in control for MR (n=2) control charts can be seen in the spreadsheets shown in Appendix D.

From table 4.4, it is observed that for shape parameters  $\alpha \le 10$  the empirical ARL' in control (no shift) are substantially less (from 30% to 83%) than the 100 value stated in the first hypothesis as a minimum accepted value in industry for practical matters. It is

not only until the shape parameter  $\alpha$  reaches a value of 50 when the empirical ARL' in control begin to approach the practical 100 value. In normal theory the ARL in control has a value of 107.14.

For all of the reasons mentioned above, the first hypothesis is rejected. It means that for practical purposes in industry the individual measurement X control chart, using the normal bias correction factor  $d_2$ , does not work well when the underlying process distribution is skewed (asymmetric) represented by gamma distributions with shape parameter  $\alpha < 5$ . In relation with the moving range n = 2 MR control chart, it means that for practical matters this control chart does not perform well either when the underlying process distribution is asymmetric represented by gamma distributions with shape parameters  $\alpha \le 10$ .

As a consequence, individual measurement X and moving range n=2 MR control charts must be very carefully interpreted if the underlying process distribution is skewed (asymmetric). According to Duncan (1, p. 400), "In such cases, the multiple of  $\sigma$  used to set control limits might be better derived from other distributions for which the percentage points have been computed." This is exactly what this thesis research is trying to accomplish with objective three using the Pearson type III family of distributions with c=0 (gamma distributions) as the assumption to set control limits for X and MR (n=2) control charts.

#### 4.2 Objective two.

The second objective is to determine empirical functions  $f(\alpha, \beta)$  for the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  when the process distribution can be approximated by a

Pearson type III distribution with location parameter c=0, shape parameter  $\alpha$ , and scale parameter  $\beta$ .

Using the same forty gamma distributions generated in Procedure I and based on Procedure II described in page 45, the following values are computed for each distribution:

- Average  $\overline{X}$  of the 10,000 gamma variates.
- Average moving range  $\overline{MR}$  of the 9,999 subgroups of two consecutive measurements.
  - Moving range standard deviation  $\sigma_{MR}$  obtained from the 9,999 MR<sub>i</sub>.
  - Approximate values for the bias correction factors  $d_2$  and  $d_3$  and the control chart constant  $D_4$ .

These values are summarized in Table 4.5.

TABLE 4.5

SUMMARY TABLE - VALUES CALCULATED USING PROCEDURE II

α	β	X	MR	σ(α,β)	$\sigma_{ m MR}$	d <sub>2</sub>	d <sub>3</sub>	D <sub>4</sub>
	0.5	0.2476	0.3149	0.3536	0.3726	0.8907	1.0538	4.5493
0.5	1.0	0.5045	0.6374	0.7071	0.7858	0.9014	1.1112	4.6982
0.5	5.0	2.4525	3.0912	3.5355	3.7717	0.8743	1.0668	4.6604
	10	4.9689	6.3167	7.0711	7.6504	0.8933	1.0819	4.6334
	0.5	0.4966	0.5006	0.5000	0.4979	1.0012	0.9958	3.9838
1.0	1.0	1.0207	0.9976	1.0000	1.0008	0.9976	1.0008	4.0098
1.0	5.0	4.9572	4.9450	5.0000	5.0334	0.9890	1.0067	4.0536
	10	9.9641	10.1105	10.0000	10.0519	1.0110	1.0052	3.9826

α	β	$\bar{x}$	MR	σ(α,β)	O <sub>MR</sub>	d <sub>2</sub>	d <sub>3</sub>	D <sub>4</sub>
	0.5	0.7451	0.6300	0.6124	0.5831	1.0287	0.9522	3.7768
1.5	1.0	1.4920	1.2539	1.2247	1.1480	1.0238	0.9374	3.7468
1.5	5.0	7.5528	6.3645	6.1237	5.8146	1.0393	0.9495	3.7408
	10	15.0286	12.7060	12.2475	11.8153	1.0374	0.9647	3.7897
	0.5	0.9971	0.7352	0.7071	0.6406	1.0397	0.9060	3.6141
20	1.0	1.9625	1.4976	1.4142	1.3258	1.0589	0.9375	3.6559
2.0	5.0	9.9023	7.3454	7.0711	6.4374	1.0388	0.9104	3.6291
	10	20.0860	15.1945	14.1421	13.1893	1.0744	0.9326	3.6041
	0.5	1.5018	0.9459	0.8660	0.8067	1.0922	0.9315	3.5587
20	1.0	3.0280	1.8759	1.7321	1.5935	1.0830	0.9200	3.5485
3.0	5.0	15.1172	9.4211	8.6603	7.8210	1.0879	0.9031	3.4905
	10	30.1224	18.7847	17.3205	15.7486	1.0845	0.9093	3.5151
	0.5	1.9969	1.0826	1.0000	0.8836	1.0826	0.8836	3.4487
10	1.0	4.0032	2.1963	2.0000	1.7963	1.0981	0.8982	3.4537
4.0	5.0	19.9459	11.0745	10.0000	8.9646	1.1075	0.8965	3.4285
	10	40.2152	22.0412	20.0000	18.1502	1.1021	0.9075	3.4704
	0.5	2.5080	1.2346	1.1180	0.9972	1.1043	0.8919	3.4230
50	1.0	5.0065	2.4833	2.2361	2.0015	1.1106	0.8951	3.4179
5.0	5.0	24.9952	12.3467	11.1803	10.0514	1.1043	0.8990	3.4423
	10	49.8423	24.3149	22.3607	19.5458	1.0874	0.8741	3.4116
	0.5	4.9852	1.7319	1.5811	1.3572	1.0953	0.8583	3.3509
100	1.0	9.9423	3.5097	3.1623	2.7479	1.1099	0.8690	3.3489
10.0	5.0	50.1309	17.4940	15.8114	13.7233	1.1064	0.8679	3.3534
	10	100.637	34.9837	31.6228	27.5975	1.1063	0.8727	3.3666
50.0	0.5	24.9684	3.9957	3.5355	3.0206	1.1302	0.8544	3.2679

α	β	$\overline{X}$	MR	σ(α,β)	o <sub>MR</sub>	d <sub>2</sub>	d <sub>3</sub>	D <sub>4</sub>
	1.0	49.9587	7.9154	7.0711	6.0473	1.1194	0.8552	3.2920
50.0	5.0	250.251	39.4540	35.3553	29.9551	1.1159	0.8473	3.2777
	10	500.820	80.2515	70.7107	60.6941	1.1349	0.8583	3.2689
100	0.5	49.9843	5.6459	5.0000	4.2898	1.1292	0.8580	3.2794
	1.0	100.123	11.2389	10.0000	8.4914	1.1239	0.8491	3.2666
	5.0	499.921	55.5181	50.0000	42.1747	1.1104	0.8435	3.2790
	10	1001.32	112.964	100.000	85.6926	1.1296	0.8569	3.2758

The details about the calculations performed to set Table 4.5 are shown in the spreadsheets contained in Appendix D.

In order to find models in which the expected values of the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  are written as functions of two independent variables  $\alpha$  and  $\beta$ , the empirical values of  $d_2$ ,  $d_3$ , and  $D_4$  shown in Table 4.5 are plotted against  $\alpha$  and  $\beta$ . These graphs can be observed in Figures 4.11, 4.12, and 4.13

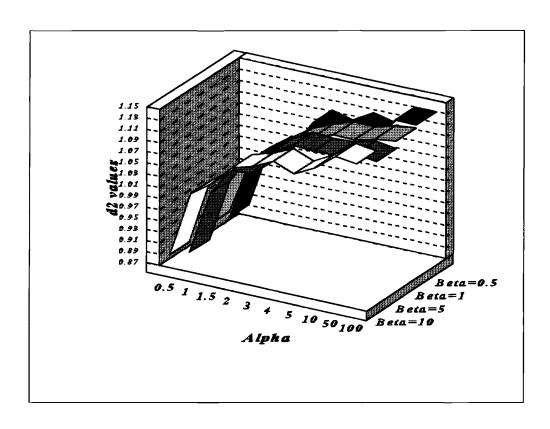
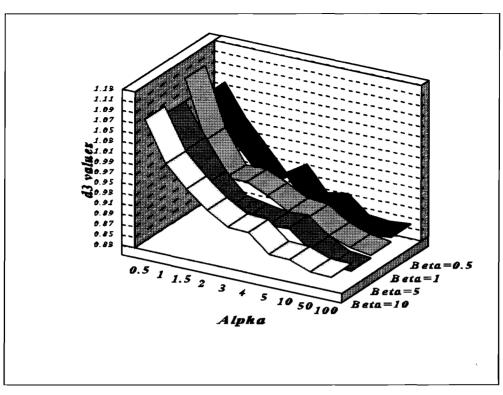
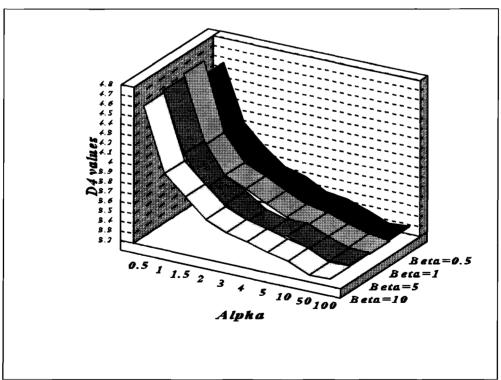


Figure 4.11. Bias correction factor  $d_2$  as a function of  $\alpha$  and  $\beta$ .





Figures 4.12 and 4.13. Empirical  $d_3$  and  $D_4$  values as functions of  $\alpha$  and  $\beta.$ 

It is obvious from the graphs (Figures 4.11, 4.12, and 4.13) that there are non-linear patterns in the three control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  as functions of the shape parameter  $\alpha$ . Also, it seems that the control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  do not vary with the scale parameter  $\beta$ .

Based on this information, different quadratic, cubic, and exponential models are generated in Minitab for Windows release 10 using the method of fitting multiple regression models with the least-squares approach. The Minitab outputs for the different models tried can be seen in Appendix F.

Combinations of exponential functions for the shape parameter  $\alpha$  are found to be the ones which better fit the data for the three control chart constants  $d_2$ ,  $d_3$ , and  $D_4$ . The scale parameter  $\beta$ , as suspected, is found not significant for all the models generated.

#### 4.2.1 Bias correction factor d<sub>2</sub>.

For the bias correction factor d<sub>2</sub>, the combination of exponential functions which best fits the data is:

$$d_2 = 0.64282 + 0.09775 (1 - e^{-0.5\alpha}) + 0.35736 (1 - e^{-2\alpha}) + 0.02483 (1 - e^{-0.1\alpha})$$

This model has a multiple coefficient of determination  $R^2$  of 97.9%. This value of  $R^2$  indicates that the model is useful for predicting the population of  $d_2$ .

The global F test is used as indicated in Procedure II to test the validity of the multiple regression model selected. From the Minitab output (Appendix G - Models selected), the value of the test statistic F is:

$$F = 566.07$$

Using a significance level  $\alpha' = 0.01$ , the rejection region for the test is defined by

the value of Fc  $_{\alpha'\,(\,k,\,n\text{-}(k+1)\,)}.$  From an F table, this critical value is:

$$Fc_{0.01(3,36)} = 4.39$$

Clearly the null hypothesis Ho:  $\lambda_1 = \lambda_2 = \lambda_3 = 0$  is rejected since the value of the F statistic is greater than the critical value Fc:

$$F \ge Fc_{\alpha'(k, n-(k+1))}$$
  
566.07 > 4.39

Therefore, it is concluded that one can be very confident that this model is useful for predicting  $d_2$ .

Graphs are built to compare the simulated values of  $d_2$  (empirical) with the regressed values of  $d_2$ . These graphs are shown in Appendix H.

In addition, a residual model diagnostic is performed to validate the assumption of normality for the residuals. Figure 4.14 shows the residual model diagnostic generated by Minitab. From this Figure 4.14, it can be concluded that the residuals ( $\epsilon_i$ ) follow a normal distribution with mean zero and variance  $\sigma^2$  ( $\epsilon_i \sim N$  (0,  $\sigma^2$ )).

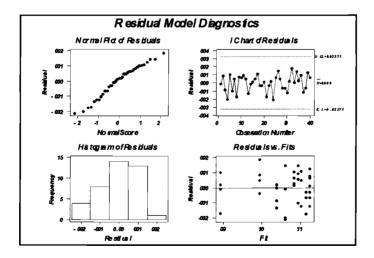


Figure 4.14. Residual model diagnostic for the bias correction factor d<sub>2</sub>.

### 4.2.2 Bias correction factor d<sub>3</sub>.

For the bias correction factor d<sub>3</sub>, the combination of exponential functions which best fits the data is:

$$d_3 = 0.859457 - 0.2964 e^{-\alpha} + 0.29099 e^{-0.5\alpha} + 0.4758 e^{-2\alpha}$$

This model has a multiple coefficient of determination  $R^2$  of 96.5%. This value of  $R^2$  indicates that the model is useful for predicting the population of  $d_3$ .

The global F test is used as indicated in Procedure II to test the validity of the multiple regression model selected. From the Minitab output (Appendix G - Models selected), the value of the test statistic F is:

$$F = 327.34$$

Using a significance level  $\alpha' = 0.01$ , the rejection region for the test is defined by the value of Fc  $\alpha'(k, n-(k+1))$ . From an F table, this critical value is:

$$Fc_{0.01(3,36)} = 4.39$$

Clearly the null hypothesis Ho:  $\lambda_1 = \lambda_2 = \lambda_3 = 0$  is rejected since the value of the F statistic is greater than the critical value Fc:

$$F > Fc_{\alpha'(k, n-(k+1))}$$

Therefore, it is concluded that one can be very confident that this model is useful for predicting  $d_3$ .

Graphs are built to compare the simulated values of  $d_3$  (empirical) with the regressed values of  $d_3$ . These graphs are shown in Appendix H.

In addition, a residual model diagnostic is performed to validate the assumption of

normality for the residuals. Figure 4.15 shows the residual model diagnostic generated by Minitab. From this Figure 4.15, it can be concluded that the residuals ( $\epsilon_i$ ) follow a normal distribution with mean zero and variance  $\sigma^2$  ( $\epsilon_i \sim N$  (0,  $\sigma^2$ )).

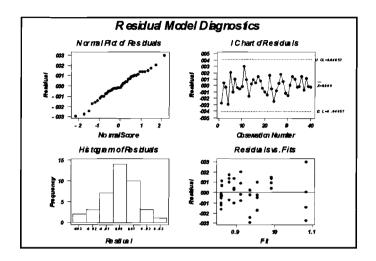


Figure 4.15. Residual model diagnostic for the bias correction factor d<sub>3</sub>.

# 4.2.3 Control chart constant D<sub>4</sub>.

For the control chart constant  $D_4$ , the combination of exponential functions which best fits the data is:

$$D_4 = 3.28976 + 1.87067 e^{-\alpha} + 0.13663 e^{-0.1\alpha}$$

This model has a multiple coefficient of determination  $R^2$  of 98.0%. This value of  $R^2$  indicates that the model is useful for predicting the population of  $D_4$ .

The global F test is used as indicated in Procedure II to test the validity of the multiple regression model selected. From the Minitab output (Appendix G - Models selected), the value of the test statistic F is:

$$F = 925.12$$

Using a significance level  $\alpha' = 0.01$ , the rejection region for the test is defined by

the value of Fc  $\alpha'(k, n-(k+1))$ . From an F table, this critical value is:

$$Fc_{0.01(2.37)} = 5.243$$

Clearly the null hypothesis Ho:  $\lambda_1 = \lambda_2 = \lambda_3 = 0$  is rejected since the value of the F statistic is greater than the critical value Fc:

Therefore, it is concluded that one can be very confident that this model is useful for predicting  $\mathbf{D}_4$ .

Graphs are built to compare the simulated values of  $D_4$  (empirical) with the regressed values of  $D_4$ . These graphs are shown in Appendix H.

In addition, a residual model diagnostic is performed to validate the assumption of normality for the residuals. Figure 4.16 shows the residual model diagnostic generated by Minitab. From this Figure 4.16, it can be concluded that the residuals ( $\epsilon_i$ ) follow a normal distribution with mean zero and variance  $\sigma^2$  ( $\epsilon_i \sim N$  (0,  $\sigma^2$ )).

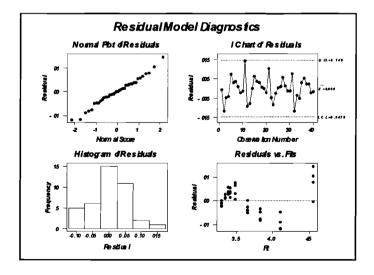


Figure 4.16. Residual model diagnostic for the control chart constant D<sub>4</sub>.

### 4.3 Objective three.

The third objective of this thesis research is to compare the performance of the individual measurement X and moving range n=2 MR control charts, using the normal control chart constants, with the performance of these control charts using the Pearson type III c=0 (gamma) control chart constants computed in objective two, when 10, 30, and 50 data values are available from an unknown process distribution. The performance of the control charts will be evaluated using the proportion of control charts which indicate at least one signal when the process is in control and for shifts in the process average of 1 and 2 process standard deviations  $\sigma$ .

The results of Objective three are presented separately for each of the five unknown process distributions. Then, an overall analysis is performed over the results of the five distributions to test the second hypothesis stated in Chapter I (p. 5).

According to Procedure III, one thousand samples of k=10, 30, and 50 observations are generated in Quattro Pro for Windows using the random number generator included in Minitab and following the algorithms described for each of the five process distributions. The algorithms used to generate gamma and normal variates are tested statistically to see how closely the values generated resemble IID gamma  $(\alpha, \beta)$  and normal  $(\mu, \sigma^2)$  distributions, respectively. The tests are goodness of fit tests for 100 and 1,000 observations for the gamma distribution (2, 1) and for the normal  $(40, 10^2)$ . The results of the tests are shown in Appendix C and they indicate that both algorithms are good enough to generate reliable gamma and normal variates respectively. The other algorithms are not tested statistically because they are particular cases of either the

gamma algorithm or the normal algorithm.

Spreadsheets which place 250 samples of k=10, 30, and 50 observations are designed to perform the whole analysis contained in objective three. Therefore, for each distribution and for k=10, 30, and 50 observations, the spreadsheets are run four times to complete the 1,000 samples required in Procedure III. A portion of the spreadsheets and a subset of the results for each of the five process distributions and for k=10, 30, and 50 observations can be seen in Appendix I.

Then, for each of the five distributions and for each sample generated of k = 10, 30, and 50 observations, the following values are calculated:

- Sample average  $\overline{X}$ .
- Sample average moving range  $\overline{MR}$  from the 9, 29, and 49 subgroups of two consecutive measurements formed respectively for k = 10, 30, and 50.
- Sample shape parameter  $\alpha$  and sample scale parameter  $\beta$ . In order to estimate these parameters  $\alpha$  and  $\beta$ , the numerical technique developed by Choi and Wette (9, p. 683) and described in Procedure III is used. The statistic T is evaluated for each sample. Then, using the table reproduced in Appendix J and included in the spreadsheets designed (Appendix I), the values of  $\alpha$  and  $\beta$  are estimated.
- Gamma bias correction factors  $d_2$  and  $d_3$  and gamma control chart constant  $\mathbf{D_4}$  using the exponential models selected in objective two

$$d_2 = f_1(\alpha)$$

$$d_3 = f_2(\alpha)$$

$$D_4 = f_3(\alpha)$$

- Two sets of control limits for the X and MR (n=2) control charts are calculated for each simulation run of k=10, 30, and 50 observations. One set of control limits is obtained using the normal control chart constants and the other one is obtained using the gamma constants computed before.

A subset of the details of these calculations performed for each of the five distributions and for each simulation run of k = 10, 30, and 50 observations can be seen partially in the spreadsheets included in Appendix I.

Next, as indicated in Procedure III, three sets of 1,000 new samples of k' = 30 observations are generated for each of the five process distributions. The first set is left as it is (no shift), the second set is shifted up one process standard deviation, and the third set is shifted up two process standard deviations. Only for the first set of 1,000 new samples (no shift in the process average), the observations are grouped in subgroups of two consecutive measurements and the moving range values are calculated. The first subgroup is formed using the last observation of the old samples of k = 10, 30, and 50 observations with the first observation of the new 1000 samples of k' = 30. Therefore, there are thirty moving ranges for each new sample of k' = 30 data values.

Then, the first observation (k'=1) and first moving range, the first ten observations (k'=10) and first ten moving ranges, and the thirty observations (k'=30) and thirty moving ranges of the first new sample of k' = 30 data values, are compared with the two sets of control limits calculated before for the first sample of k = 10, 30, and 50 measurements and for each of the five process distributions. This step is executed repeatedly for each of the 1,000 samples contained in the three sets of new samples (k'=30) and for each of the

five distributions. Each time the comparison is between the  $n^{th}$  new sample of k' = 30 with the normal and gamma control limits corresponding to the  $n^{th}$  old samples of k = 10, 30, and 50 observations, respectively. It is important to clarify that for the moving range the step is repeated only for the first set of 1,000 new samples because only shifts in the process average are considered in this research.

Thus, for each of the five process distributions and for k = 10, 30, and 50 data values, the proportion of individual measurement X and moving range n = 2 MR control charts which indicate at least one signal are recorded. This is done for the three comparisons described before (k'=1, 10, and 30 new observations) and for the two set of control limits (normal and gamma). For the moving range, the proportions are computed only for the first set of 1,000 new samples of k'=30.

A subset of the details about the calculations of the number of X and MR control charts which indicate at least one signal for each of the five distributions, for k = 10, 30, and 50, for k' = 1, 10, and 30, and for both sets of control limits (normal and gamma), can be observed partially in the spreadsheets included in Appendix I.

# 4.3.1 Lognormal $(0, 1^2)$

The number of normal and gamma individual measurement X and moving range n=2 MR control charts which indicate at least one signal are summarized in Table 4.6 for the lognormal distribution. This table indicates the number of normal and gamma control charts out of the 1,000 generated which show at least one false alarm (no shift in the process average) and signal at least one out-of-control condition (shift in the process average of 1 and 2 sigma) for values of k=10,30, and 50 and k'=1,10, and 30.

TABLE 4.6 NUMBER OF X AND MR (n=2) CONTROL CHARTS WHICH INDICATE AT LEAST ONE SIGNAL OUT OF THE 1,000 GENERATED FOR THE LOGNORMAL

	X control charts (k=10)									
Shift in		Normal lin	iits	Gamma limits						
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30				
0	62	453	714	55	413	667				
1	216	673	834	197	628	799				
2	558	844	927	512	815	904				
os :o :		X control charts (k=30)								
Shift in		Normal lim	its		Gamma limi	ts				
sigma	k' = 1	k' = 10	k' = 30	k'=1	k' = 10	k' = 30				
0	45	367	678	39	323	622				
1	129	622	858	106	566	814				
2	449	874	964	367	814	934				
SI 'P. '	X control charts (k=50)									
Shift in		Normal lim	its	Gamma limits						
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30				
0	33	328	664	28	283	605				
11	116	621	864	94	537	796				
2	395	866	974	303	806	944				
**		MR control charts (no shift in the process average)								
Value of		Normal lim	its	Gamma limits						
k (obsv.)	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30				
10	83	469	718	56	381	623				
30	60	379	669	45	283	559				
50	60	343	656	40	242	545				

From the values in Table 4.6, the reductions in false alarm rate and power of detection in percentage due to the use of gamma control limits rather than normal control limits are computed. These results are presented in Table 4.7.

TABLE 4.7

REDUCTION IN SIGNALS FROM NORMAL TO GAMMA CONTROL CHARTS

FOR THE LOGNORMAL DISTRIBUTION (IN PERCENT)

X control chart										
Shift	k = 10			k = 30			k = 50			
in σ	k'=1 k'=10 k'=30			k'=1	k'=10	k'=30	k'=1	k'=10	k'=30	
0	11239	\$ 88	6.58	13.33	11.99	8.26	15.15	0.72	8.89	
1	8.79	6.69	4.20	17.83	9.00	5.13	18.97	13.53	7.87	
2	8.24	3.44	2.48	1826	6.86	3.11		6.93	3.08	
	MR control chart (no shift in the process average)									
k	k' = 1			k' = 10		k' = 30				
10	32.53			18.76		13.23		_		
30	25.00			25.33		16.44				
50	33.33			29.45			16.92			

Note: Values marked are the biggest reduction (in percent) in the k' column.

In order to test the second part of the second hypothesis (power of detection at least equal to the theoretical power using the normal assumption for shifts of 1 and 2 process standard deviations), the performance of the gamma X control chart for k' = 1 is compared with the performance of the theoretical normal X control chart. This comparison is shown in Table 4.8. Table 4.8 indicates percentages of signals for shifts in the process average of 1 and 2 sigma for the lognormal distribution.

TABLE 4.8 PERCENTAGE OF SIGNALS (%) - GAMMA X CONTROL CHARTS vs. THEORETICAL NORMAL X CONTROL CHARTS FOR SHIFTS OF 1 AND 2 SIGMA AND k'=1

Shift	k=	10	k =	30	k = 50		
in o	Gamma	NT	Gamma	NT	Gamma	NT	
1	19.7	2.28	10.6	2.28	9.4	2.28	
2	51.2	15.87	36.7	15.87	30.3	15.87	

NT: Normal theory.

In order to evaluate the effect of the number of observations used to set control limits (k = 10, 30, and 50), the performance of only the normal X control charts for k = 10 are compared with the performance of those normal X control charts for k = 30. In the same way, the performance of only the normal X control chart constants for k = 30 are compared with those normal X control charts for k = 50. The values used to do the comparison are taken from Table 4.6. The comparison is shown in Table 4.9. Table 4.9 indicates the differences in percentage of signals between k = 10 and 30 and between k = 30 and 50 for the normal X control chart.

TABLE 4.9

DIFFERENCES IN PERCENTAGE OF SIGNALS (%) DUE TO THE VALUE OF k

FOR THE NORMAL X CONTROL CHART - LOGNORMAL DISTRIBUTION

Shift	k	= 10 vs. k = .	30	k = 30 vs. k = 50					
inσ	k' = 1	k' = 10	k'=30	k' = 1	k' = 10	k' = 30			
0	(27.42)	(18.98)	(5.04)	(26.67)	(10.63)	(2.06)			
1	(40.28)	(7.58)	2.88	(10.08)	(0.16)	0.70			
2	(19.53)	3.55	3.99	(12.03)	(0.92)	1.04			

Note: Values in parenthesis are negative percentages (reduction in percentage of signals).

## 4.3.2 Normal (40, 10<sup>2</sup>)

The number of normal and gamma individual measurement X and moving range n=2 MR control charts which indicate at least one signal are summarized in Table 4.10 for the normal distribution. This table indicates the number of normal and gamma control charts out of the 1,000 generated which show at least one false alarm (no shift in the process average) and signal at least one out-of-control condition (shift in the process average of 1 and 2 sigma) for values of k=10,30, and 50 and k'=1,10, and 30.

TABLE 4.10 NUMBER OF X AND MR (n=2) CONTROL CHARTS WHICH INDICATE AT LEAST ONE SIGNAL OUT OF THE 1,000 GENERATED FOR THE NORMAL

	X control charts (k=10)								
Shift in		Normal lim	its	Gamma limits					
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30			
0	30	150	301	27	144	290			
1	67	337	536	67	327	523			
2	235	711	843	229	696	833			
Ch.te.t.			X control	charts (k=3	0)				
Shift in sigma		Normal lim	its		Gamma limit	S			
Sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30			
0	10	72	165	10	66	154			
1	35	276	532	33	260	509			
2	167	742	912	164	734	906			
St. e.			X control	charts (k=5	harts (k=50)				
Shift in sigma		Normal lim	its	Gamma limits					
Signia	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30			
0	4	54	143	4	53	136			
11	31	263	535	26	252	514			
2	169	786	948	161	774	942			
Value of		MR control	charts (no s	hift in the p	rocess averag	e)			
Value of k (obsv.)		Normal lim	ts		Gamma limit	S			
n (uusii)	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30			
10	31	194	350	28	188	336			
30	15	119	276	13	108	253			
50	11	115	256	9	99	238			

From the values in Table 4.10, the reductions in false alarm rate and power of detection in percentage due to the use of gamma control limits rather than normal control limits are computed. These results are presented in Table 4.11.

TABLE 4.11

REDUCTION IN SIGNALS FROM NORMAL TO GAMMA CONTROL CHARTS

FOR THE NORMAL DISTRIBUTION (IN PERCENT)

		X control chart										
Shift	k = 10				k = 30		k = 50					
in σ	k'=1	k'=10	k'=30	k'=1	k'=1 k'=10 k'=30			k'=10	k'=30			
0	10.00	4.00	3.65	0.00	8.33	6.67	0.00	1.85	4.90			
1	0.00	2.97	2.43	5.71	5.71 5.80 4.32			4.18	3.93			
2	2.55	2.11	1.19	2.19	1.08	0.66	4.73	1.53	0.63			
		MR co	ntrol cha	rt (no sh	ift in the	process :	average)	l				
k	k' = 1			k' = 10				k' = 30				
10		9.68		3.09		4.0						
30	13.33			9.24			8.33					
50		18.18		13.91			7.03					

Note: Values marked are the biggest reduction (in percent) in the k' column.

In order to test the second part of the second hypothesis (power of detection at least equal to the theoretical power using the normal assumption for shifts of 1 and 2 process standard deviations), the performance of the gamma X control chart for k' = 1 is compared with the performance of the theoretical normal X control chart. This comparison is shown in Table 4.12. Table 4.12 indicates percentages of signals for shifts in the process average of 1 and 2 sigma for the normal distribution.

TABLE 4.12 PERCENTAGE OF SIGNALS (%) - GAMMA X CONTROL CHARTS vs. THEORETICAL NORMAL X CONTROL CHARTS FOR SHIFTS OF 1 AND 2 SIGMA AND k'=1

Shift	k=	10	k =	30	k = 50		
in σ	Gamma	NT	Gamma	NT	Gamma	NT	
1	6.70	2.28	3.3	2.28	2.6	2.28	
2	22.9	15.87	16.4	15.87	16.1	15.87	

NT: Normal theory.

In order to evaluate the effect of the number of observations used to set control limits (k = 10, 30, and 50), the performance of only the normal X control charts for k = 10 are compared with the performance of those normal X control charts for k = 30. In the same way, the performance of only the normal X control chart constants for k = 30 are compared with those normal X control charts for k = 50. The values used to do the comparison are taken from Table 4.10. The comparison is shown in Table 4.13. Table 4.13 indicates the differences in percentage of signals between k = 10 and 30 and between k = 30 and 50 for the normal X control chart.

TABLE 4.13

DIFFERENCES IN PERCENTAGE OF SIGNALS (%) DUE TO THE VALUE OF k

FOR THE NORMAL X CONTROL CHART - NORMAL DISTRIBUTION

Shift	k	= 10 vs. k = :	30	k	k = 30  vs.  k = 50			
in σ	k' = 1	k' = 10	k'=30	k' = 1	k' = 10	k' = 30		
0	(66.67)	(52.00)	(45.18)	(60.00)	(25.00)	(13.33)		
1	(47.76)	(18.10)	(0.75)	(11.43)	(4.71)	0.56		
2	(28.94)	4.36	8.19	1.20	5.93	3.95		

Note: Values in parenthesis are negative percentages (reduction in percentage of signals).

## 4.3.3 Exponential (mean=1)

The number of normal and gamma individual measurement X and moving range n=2 MR control charts which indicate at least one signal are summarized in Table 4.14 for the exponential distribution. This table indicates the number of normal and gamma control charts out of the 1,000 generated which show at least one false alarm (no shift in the process average) and signal at least one out-of-control condition (shift in the process average of 1 and 2 sigma) for values of k=10, 30, and 50 and k'=1, 10, and 30.

TABLE 4.14  $NUMBER\ OF\ X\ AND\ MR\ (n=2)\ CONTROL\ CHARTS\ WHICH\ INDICATE\ AT$  LEAST ONE SIGNAL OUT OF THE 1,000 GENERATED FOR THE EXPONENTIAL

			X control	charts (k=	10)				
Shift in		Normal lim	iits	Gamma limits					
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30			
0	47	342	608	38	300	533			
1	138	596	817	115	526	742			
2	347	792	912	288	729	859			
61.0°			X control	charts (k=	30)				
Shift in		Normal lim	its		Gamma limi	ts			
sigma	k'=1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30			
0	34	280	548	21	208	451			
1	89	548	825	65	444	737			
_ 2	231	820	950	172	728	902			
OLIG:	X control charts (k=50)								
Shift in sigma		Normal lim	its	Gamma limits					
ыдша	k'=1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30			
0	28	246	555	22	181	448			
1	86	537	863	57	443	776			
2	221	858	983	159	757	956			
*7-1E		MR contro	l charts (no	shift in the	process avera	ge)			
Value of k (obsv.)		Normal lim	its		Gamma limits				
A (UUSTA)	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30			
10	58	353	614	32	254	468			
30	55	278	552	20	153	360			
50	44	248	552	23	133	330			

From the values in Table 4.14, the reductions in false alarm rate and power of detection in percentage due to the use of gamma control limits rather than normal control limits are computed. These results are presented in Table 4.15.

TABLE 4.15

REDUCTION IN SIGNALS FROM NORMAL TO GAMMA CONTROL CHARTS

FOR THE EXPONENTIAL DISTRIBUTION (IN PERCENT)

		X control chart									
Shift	k = 10				k = 30		k = 50				
in σ	k'=1	k'=10	k'=30	k'=1	k'=10	k'=30	k'=1	k'=10	k'=30		
0		2223		31; 724;	25.71	77.77	21.43	263424	928		
1	16.67	11.74	9.18	26.97	26.97 18.98 10		23.072.3	17.50	10.08		
2	17.00	7.00 7.95 5.81		25.54	11.22	5.05	28.05	11.77	2.75		
		MR cor	ntrol cha	rt (no sh	ift in the	process :	average)				
k	k' = 1			k* = 10				k' = 30			
10	44.83			28.05			23.78				
30	63.64		44.96		34.78						
50		47.73			46.37		40.22				

Note: Values marked are the biggest reduction (in percent) in the k' column.

In order to test the second part of the second hypothesis (power of detection at least equal to the theoretical power using the normal assumption for shifts of 1 and 2 process standard deviations), the performance of the gamma X control chart for k' = 1 is compared with the performance of the theoretical normal X control chart. This comparison is shown in Table 4.16. Table 4.16 indicates percentages of signals for shifts in the process average of 1 and 2 sigma for the exponential distribution.

TABLE 4.16

PERCENTAGE OF SIGNALS (%) - GAMMA X CONTROL CHARTS vs.

THEORETICAL NORMAL X CONTROL CHARTS FOR SHIFTS OF 1 AND 2

SIGMA AND k' = 1

Shift	k=	10	k =	30	k = 50		
inσ	Gamma	NT	Gamma	NT	Gamma	NT	
1	11.5	2.28	6.5	2.28	5.7	2.28	
2	28.8	15.87	17.2	15.87	15.90	15.87	

NT: Normal theory.

In order to evaluate the effect of the number of observations used to set control limits (k = 10, 30, and 50), the performance of only the normal X control charts for k = 10 are compared with the performance of those normal X control charts for k = 30. In the same way, the performance of only the normal X control chart constants for k = 30 are compared with those normal X control charts for k = 50. The values used to do the comparison are taken from Table 4.14. The comparison is shown in Table 4.17. Table 4.17 indicates the differences in percentage of signals between k = 10 and 30 and between k = 30 and 50 for the normal X control chart.

TABLE 4.17

DIFFERENCES IN PERCENTAGE OF SIGNALS (%) DUE TO THE VALUE OF k

FOR THE NORMAL X CONTROL CHART - EXPONENTIAL DISTRIBUTION

Shift	k	= 10 vs. k = :	30	k	k = 30  vs.  k = 50			
inσ	k'=1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30		
0	(27.66)	(18.13)	(9.87)	(17.65)	(12.14)	1.28		
1	(35.51)	(8.05)	0.98	(3.37)	(2.01)	4.61		
2	(33.43)	3.54	4.17	(4.33)	4.63	3.47		

Note: Values in parenthesis are negative percentages (reduction in percentage of signals).

## 4.3.4 Gamma ( $\alpha$ =1.5, $\beta$ =1.0)

The number of normal and gamma individual measurement X and moving range n=2 MR control charts which indicate at least one signal are summarized in Table 4.18 for the gamma distribution. This table indicates the number of normal and gamma control charts out of the 1,000 generated which show at least one false alarm (no shift in the process average) and signal at least one out-of-control condition (shift in the process average of 1 and 2 sigma) for values of k=10,30, and 50 and k'=1,10, and 30.

TABLE 4.18

NUMBER OF X AND MR (n=2) CONTROL CHARTS WHICH INDICATE AT LEAST ONE SIGNAL OUT OF THE 1,000 GENERATED FOR THE GAMMA

		X control charts (k=10)								
Shift in		Normal lim	uits	Gamma limits						
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30				
0	36	287	539	33	252	474				
1	111	506	755	99	456	692				
2	304	743	896	257	691	856				
cu to t			X control	charts (k=	30)					
Shift in		Normal lim	its		Gamma limi	ts				
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30				
0	28	238	524	20	195	433				
1	66	489	809	58	416	742				
2	232	807	958	190	733	925				
Stree:	X control charts (k=50)									
Shift in		Normal lim	its		Gamma limits					
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30				
0	19	216	497	14	170	418				
1	57	483	811	48	412	752				
2	207	827	977	162	744	948				
Value of		MR contro	l charts (no	shift in the	process avera	ge)				
Value of k (obsv.)		Normal lim	its		Gamma limi	ts				
R (UDS*.)	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30				
10	55	297	534	36	230	433				
30	32	247	528	20	164	370				
50	26	227	511	11	139	354				

From the values in Table 4.18, the reductions in false alarm rate and power of detection in percentage due to the use of gamma control limits rather than normal control limits are computed. These results are presented in Table 4.19.

TABLE 4.19

REDUCTION IN SIGNALS FROM NORMAL TO GAMMA CONTROL CHARTS

FOR THE GAMMA DISTRIBUTION (IN PERCENT)

		X control chart										
Shift	k = 10				k = 30		k = 50					
in σ	k'=1 k'=10 k'=30		k'=1 k'=10 k'=30		k'=1	k'=10	k'=30					
0	8.33			28,57	88.07	17.37	2,576.72	2180	1500			
1	10.81	.81 9.88 8.34		12.12	14.93	8.28	15.79	14.70	7.27			
2	7.00 4.46		18.10	9.17	3.44	21.74	10.04	2.97				
		MR cor	itrol cha	rt (no shift in the process :			average)					
k	k' = 1			k' = 10			·	k' = 30	_			
10	34.55			22.56			18.91					
30	37.50			33.60			29.92					
50		57.69			38.77		30.72					

Note: Values marked are the biggest reduction (in percent) in the k' column.

In order to test the second part of the second hypothesis (power of detection at least equal to the theoretical power using the normal assumption for shifts of 1 and 2 process standard deviations), the performance of the gamma X control chart for k' = 1 is compared with the performance of the theoretical normal X control chart. This comparison is shown in Table 4.20. Table 4.20 indicates percentages of signals for shifts in the process average of 1 and 2 sigma for the gamma distribution.

TABLE 4.20 PERCENTAGE OF SIGNALS (%) - GAMMA X CONTROL CHARTS vs. THEORETICAL NORMAL X CONTROL CHARTS FOR SHIFTS OF 1 AND 2 SIGMA AND k'=1

Shift	k=	10	k =	30	k = 50		
in o	Gamma	NT	Gamma	NT	Gamma	NT	
1	9.90	2.28	5.80	2.28	4.80	2.28	
2	25.70	15.87	19.00	15.87	16.20	15.87	

NT: Normal theory.

In order to evaluate the effect of the number of observations used to set control limits (k = 10, 30, and 50), the performance of only the normal X control charts for k = 10 are compared with the performance of those normal X control charts for k = 30. In the same way, the performance of only the normal X control chart constants for k = 30 are compared with those normal X control charts for k = 50. The values used to do the comparison are taken from Table 4.18. The comparison is shown in Table 4.21. Table 4.21 indicates the differences in percentage of signals between k = 10 and 30 and between k = 30 and 50 for the normal X control chart.

TABLE 4.21

DIFFERENCES IN PERCENTAGE OF SIGNALS (%) DUE TO THE VALUE OF k

FOR THE NORMAL X CONTROL CHART - GAMMA DISTRIBUTION

Shift	k	= 10 vs. k = .	30	k = 30  vs.  k = 50			
inσ	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30	
0	(22.22)	(17.07)	(2.78)	(32.14)	(9.24)	(5.15)	
1	(40.54)	(3.36)	7.15	(13.64)	(1.23)	0.25	
2	(23.68)	8.61	6.92	(10.78)	2.48	1.98	

Note: Values in parenthesis are negative percentages (reduction in percentage of signals).

## 4.3.5 Chi-Square $\chi^2$ (df=4)

The number of normal and gamma individual measurement X and moving range n=2 MR control charts which indicate at least one signal are summarized in Table 4.22 for the chi-square distribution. This table indicates the number of normal and gamma control charts out of the 1,000 generated which show at least one false alarm (no shift in the process average) and signal at least one out-of-control condition (shift in the process average of 1 and 2 sigma) for values of k=10,30, and 50 and k'=1,10, and 30.

TABLE 4.22

NUMBER OF X AND MR (n=2) CONTROL CHARTS WHICH INDICATE AT

LEAST ONE SIGNAL OUT OF THE 1,000 GENERATED FOR THE CHI-SQUARE

	X control charts (k=10)												
Shift in		Normal lin	iits		Gamma limi	its							
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30							
0	48	266	490	43	246	454							
1	108	509	702	93	475	662							
2	291	729	881	263	691	846							
GI (6. )	X control charts (k=30)												
Shift in		Normal lin	iits		Gamma limi	ts							
sigma	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30							
0	29	194	449	23	161	397							
1	80	504	773	70	437	718							
2	219	790	955	195	736	931							
SLIE:	X control charts (k=50)												
Shift in		Normal lim	its		Gamma limits								
sigma	k'=1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30							
0	23	165	422	19	134	364							
1	72	496	799	23	156	363							
2	201	804	975	175	737	944							
17-1F		MR contro	l charts (no	shift in the	process avera	ge)							
Value of k (obsv.)		Normal lim	its	Gamma limits									
n (usari)	k' = 1	k' = 10	k' = 30	k' = 1	k' = 10	k' = 30							
10	56	282	500	44	243	414							
30	35	213	474	23	156	363							
50	34	181	444	22	124	335							

From the values in Table 4.22, the reductions in false alarm rate and power of detection in percentage due to the use of gamma control limits rather than normal control limits are computed. These results are presented in Table 4.23.

TABLE 4.23

REDUCTION IN SIGNALS FROM NORMAL TO GAMMA CONTROL CHARTS

FOR THE CHI-SQUARE DISTRIBUTION (IN PERCENT)

	X control chart												
Shift		<b>k</b> = 10		_	k = 30		k = 50						
in σ	k'=1 k'=10 k'=30		=1   k'=10   k'=30   k'=1   k'=10   k'=30		k'=1	k'=10	k'=30						
0	10.42	7//52		20.69	17.01M	11.5%	177.533	18.79					
1		6.68 5.70		12.50	13.29	7.12	9.72	13.51	9.01				
2	9.62	5.21	3.97	10.96	6.84	2.51	12.94	8.33	3.18				
MR control chart (no shift in the process average)													
k	k' = 1				k' = 10		k' = 30						
10	21.43			13.83			17.20						
30		34.29			26.76			23.42					
50	35.29				31.49			24.55					

Note: Values marked are the biggest reduction (in percent) in the k' column.

In order to test the second part of the second hypothesis (power of detection at least equal to the theoretical power using the normal assumption for shifts of 1 and 2 process standard deviations), the performance of the gamma X control chart for k' = 1 is compared with the performance of the theoretical normal X control chart. This comparison is shown in Table 4.24. Table 4.24 indicates percentages of signals for shifts in the process average of 1 and 2 sigma for the chi-square distribution.

TABLE 4.24  $\mbox{PERCENTAGE OF SIGNALS (\%) - GAMMA X CONTROL CHARTS vs.}$   $\mbox{THEORETICAL NORMAL X CONTROL CHARTS FOR SHIFTS OF 1 AND 2 }$   $\mbox{SIGMA AND } k' = 1$ 

Shift	<b>k</b> =	10	k =	30	k = 50			
in o	Gamma NT		Gamma NT		Gamma	NT		
1	9.30	2.28	7.00	2.28	6.50	2.28		
2	26.30	15.87	19.50	15.87	17.50	15.87		

NT: Normal theory.

In order to evaluate the effect of the number of observations used to set control limits (k = 10, 30, and 50), the performance of only the normal X control charts for k = 10 are compared with the performance of those normal X control charts for k = 30. In the same way, the performance of only the normal X control chart constants for k = 30 are compared with those normal X control charts for k = 50. The values used to do the comparison are taken from Table 4.22. The comparison is shown in Table 4.25. Table 4.25 indicates the differences in percentage of signals between k = 10 and 30 and between k = 30 and 50 for the normal X control chart.

TABLE 4.25

DIFFERENCES IN PERCENTAGE OF SIGNALS (%) DUE TO THE VALUE OF k

FOR THE NORMAL X CONTROL CHART - CHI-SQUARE DISTRIBUTION

Shift	k	= 10 vs. k = .	30	k = 30 vs. k = 50						
in σ	k' = 1	k' = 10	k'=30	k' = 1	k' = 10	k' = 30				
0	(39.58)	(27.07)	(8.37)	(20.69)	(14.95)	(6.01)				
1	(25.93)	(0.98)	10.11	(10.00)	(1.59)	3.36				
2	(24.74)	8.37	8.40	(8.22)	1.77	2.09				

Note: Values in parenthesis are negative percentages (reduction in percentage of signals).

## 4.3.6 Overall Analysis of the Results

The overall analysis of the results described from section 4.3.1 to section 4.3.5 is based on the second hypothesis stated in Chapter I.

The second hypothesis of this thesis research states that the individual measurement X and moving range n = 2 MR control charts, using gamma control chart constants, have better performance than the same control charts using the normal constants, when 10, 30, and 50 data values are available from an unknown process distribution. Better performance means less false alarm rate in control and power of detection (X chart), for shifts in the process average of 1 and 2 sigma, at least equal to the theoretical power using the normal assumption (0.0228 and 0.1587 respectively for shifts in the process average of 1 and 2 sigma).

From Tables 4.6, 4.10, 4.14, 4.18, and 4.22, it is clearly seen that the gamma control charts (X and MR) always yield less false alarm rate than the normal control charts (X and MR) because the gamma limits are always wider than the normal limits.

However, this reduction in false alarm rate leads to reductions in the power of detection too. This is the statistical price that the gamma control charts have to pay in order to reduce the number of false signals when the underlying process distribution is asymmetric (skewed distribution).

The higher power of detection in the normal X control charts is unquestionable. However, in general, when the power increases the probabilities of a type I error or alpha risk also increases. According to Walker, et al. (42, p. 248), "Occasions arise in practice when a signal from the chart is automatically interpreted as an indication of an out-of-control process. Operators may be instructed to stop the process in order to search out and remove assignable causes. Under such circumstances, spurious signals can lead to counterproductive changes."

In this regard, it is important to have a criterion that does not indicate trouble too often when such trouble is not present. This statement has been stressed by Shewhart and many other quality experts. This criterion is better accomplished by the Pearson type III with c = 0 (gamma) control charts (less false alarm rate at the expense of reductions in the power of detection when shifts are present).

In addition, from Tables 4.7, 4.11, 4.15, 4.19, and 4.23, it is observed that in almost all of the cases for the X chart, the reductions in false alarm rate (%) are greater than the reductions in power of detection (%) for shifts of 1 and 2 process standard deviations when gamma control limits are used instead of the normal control limits. For the MR charts, the reductions in false alarm rate are always substantially big (from 14% to 63%). Therefore, based on the empirical evidence, it seems that the gamma control

charts have better performance than the normal control charts.

Now, even though the empirical power of detection for the gamma X control charts is always less than the empirical power of detection for the normal X control charts, the empirical power of detection for the gamma X control charts is always greater than the theoretical power of detection for the normal control charts (0.0228 and 0.1587 for shifts in the process average of 1 and 2 sigma respectively). It is clearly seen in Tables 4.8, 4.12, 4.16, 4.20, and 4.24.

In conclusion, based on the empirical results, it could be said that there is not evidence to reject the statement of the second hypothesis. It means that, based on the empirical evidence, the gamma control charts (X and MR) seem to have better performance than the same control charts set with the normal constants  $d_2$ ,  $d_3$ , and  $D_4$ . However, even though the performance of the gamma control charts is better than the performance of the normal control charts when the process distribution is non-normal, the number of empirical false alarms (no shift) is still too big (greater than the 1% accepted for practical purposes and greater than the theoretical value 0.27%). For instance, it is observed in Table 4.14 (exponential distribution) that the false alarm rates for k' = 1 are 3.8%, 2.1%, and 2.2% for k = 10, 30, and 50 data values, respectively. These false alarm rate values are far away the theoretical normal curve false alarm rate (0.27%) and the practical false alarm rate used in industry (1.0%). It is the author's belief that these high false alarm rates using the gamma control charts are due to the following three factors:

- The empirical nature of the study (# of observations).
- The skewness of the process distribution which affects the number of data values above

the three sigma upper control limit (tail area).

- The use of symmetric control limits (X chart) for asymmetric process distributions.

In relation to the effects of the number of observations used to set control limits (k = 10, 30, and 50) in the performance of the individual measurement X and moving range n = 2 MR control charts there are not conclusive results. However, from Tables 4.9, 4.13, 4.17, 4.21, and 4.25, it seems that the differences in performance k = 10 versus k = 30 are more inconsistent than the differences in performance k = 30 versus k = 50. In addition, the number of false alarms (X and MR), when k = 10 is used to set control limits, is always much greater (from 28% to 65% for the asymmetric distributions and from 150% to 200% for the normal distribution) than the number of false alarms when k = 30 and 50 data values are used to set control limits.

Therefore, it is the author's belief that k=10 observations is not a good sample size to set reliable control limits (X and MR) for future predictions. This goes against some authors who believe that control charts always perform well no matter what number of observations are available. Additionally, from the empirical evidence, it seems that there is not too much difference in performance between k=30 and k=50 data values used to set control limits. As a consequence, it seems to be safe to say that k=30 measurements is a good sample size to set control limits (X and MR) for future predictions.

## **CHAPTER V**

# **CONCLUSIONS AND RECOMMENDATIONS**

#### 5.1 Conclusions and recommendations

The empirical ARL curves (from Figure 4.1 to Figure 4.10) indicate that the individual measurement X control chart, using the normal curve bias correction factor  $d_2 = 1.128$ , does not work well when the underlying process distribution shows a marked departure from normality (highly skewed distributions). This departure from normality is represented in this thesis research by a Pearson type III with c = 0 family of distributions (gamma distributions). For gamma distributions with shape parameter  $\alpha < 5$ , the ARLs in control (no shift) are substantially less (from 15% to 74%) than the 100 accepted in industry as a minimum for practical purposes and much less than the 370 stated in the normal theory (1/0.0027). Therefore, if the process is suspected to have a skewed (asymmetric) distribution, the individual measurement X control chart, using the normal bias correction factor  $d_2$ , must be very carefully used and interpreted.

In general, it is recommended not to use the X chart, under the assumption of normality, when it is suspected that the process distribution is markedly non-normal (represented in this research by asymmetric distributions). According to Duncan (1, p. 400), "In such cases, the multiple of  $\sigma$  used to set control limits might be better derived from other distributions for which the percentage points have been computed."

The empirical ARL values in control (Table 4.4) indicate that the moving range n = 2 MR control chart, using the normal curve control chart constant  $D_4 = 3.268$ , does

not work well when the underlying process distribution is skewed . From Table 4.4, it is observed that for gamma distributions with shape parameter  $\alpha \le 10$  the empirical ARLs in control are substantially less (from 30% to 83%) than the 100 accepted in industry as a minimum for practical purposes and much less than the 107.14 given by the normal theory (1 / 0.0093).

Therefore, if the process has a skewed (asymmetric) distribution, the moving range n = 2 MR control chart, using the normal  $D_4$ , must be very carefully used and interpreted.

In general, it is recommended not to use the MR (n=2) chart, under the assumption of normality, when it is suspected that the process distribution is markedly non-normal (represented in this research by skewed distributions). Instead, the control limits must be based on the percentiles of a probability distribution which better fits the moving range distribution. Another approach could be to transform the original data to a new variable that can be approximated by a normal distribution. In the latter case, the control charts under the assumption of normality can be used safely on the transformed data.

The bias correction factors  $d_2$  and  $d_3$  and the control chart constant  $D_4$  show an exponential behavior approaching the normal curve values as the shape parameter  $\alpha$  increases when the underlying process distributions are represented by gamma distributions. This behavior can be observed from Figure 4.11 to Figure 4.13 for the three constants, respectively.

The apparent exponential behavior is corroborated by the regression model selected to fit the values of d<sub>2</sub>, d<sub>3</sub>, and D<sub>4</sub> (Appendix G) when the underlying process

distribution is gamma with shape parameter  $\alpha$  and scale parameter  $\beta$ . The regression models, using the least-squares approach, which best fit the data for the three constants are combinations of exponential functions for the shape parameter  $\alpha$ . The scale parameter  $\beta$ , as suspected, is found not to be significant in all the models generated.

For four out of the five distributions selected to represent unknown process distributions (lognormal, exponential, gamma, and chi-square), the individual measurement X and moving range n=2 MR control charts, set with the gamma control chart constants  $d_2$ ,  $d_3$ , and  $D_4$ , have better performance than the same control charts set with the normal curve constants  $d_2$ ,  $d_3$ , and  $D_4$ . Better performance means less false alarm rate in control, for the X and MR control charts, and power of detection at least equal to the theoretical power using the normal assumption for the X chart. This can be observed in Tables 4.6 and 4.8, 4.14 and 4.16, 4.18 and 4.20, and 4.22 and 4.24 for the four process distributions, respectively.

For the fifth distribution (normal), the individual measurement X and moving range n=2 MR control charts, set with the gamma constants, have approximately the same performance as those control charts set with the normal constants. This can be seen in Table 4.10 for the normal curve. The similar performance is due to the fact that the gamma constants  $d_2$ ,  $d_3$ , and  $d_4$  approach the normal values when the gamma distribution approaches the normal curve ( $\alpha$  increases).

In addition, for all cases (five distributions), the reductions in false alarm rates are bigger than the reductions in power of detection for shifts of 1 and 2 sigma when the gamma control limits are used instead of the normal limits. This can be observed in

Tables 4.7, 4.11, 4.15, 4.19, and 4.23.

Therefore, based on the empirical evidence, it is recommended that the gamma control chart constants d<sub>2</sub>, d<sub>3</sub>, and D<sub>4</sub> be used to set control limits for X and MR (n=2) control charts when the underlying process distribution is suspected to be a skewed distribution (asymmetric distribution).

However, even though the performance of the gamma control charts is better than the performance of the normal curve control charts when the process distribution is skewed, the number of empirical false alarms (no shift) is still too big. These high false alarm rates are far away the theoretical normal curve false alarm rate (0.27%) and the practical false alarm rate used in industry (1.0%). It is the author's belief that these high false alarm rates, using the gamma control charts, are due to the following three factors:

- 1. The empirical nature of the study (# of observations).
- 2. The skewness of the process distribution which affects the number of data values above the three sigma upper control limit (tail area).
- 3. The use of symmetric control limits (X chart) for asymmetric process distributions.

As a consequence, more research is needed in this area to improve the performance of the X and MR (n=2) gamma control charts.

The number of empirical false alarms, when k=10 observations are used to set control limits, is always much greater (from 28% to 65% for the asymmetric distributions and from 150% to 200% for the normal distribution) than the number of false alarms when k=30 and 50 data values are used to set control limits. In addition, it is observed from Tables 4.9, 4.13, 4.17, 4.21, and 4.25 that the differences in performance k=10

versus k=30 have more variation than the differences in performance k=30 versus k=50. It means that the performance of X and MR (n=2) control charts are more consistent when k=30 and 50 data values are used to set control limits.

Therefore, based on the empirical evidence, it is not recommended to use k = 10 observations to set reliable control limits (X and MR control charts) for future predictions. Instead, it seems safe to say that k = 30 measurements is a good sample size to set these control limits for future predictions.

#### 5.2 Research contributions

- This thesis research supplies the empirical evidence required to avoid using the individual measurement X and moving range n = 2 MR control charts when the underlying process distribution is suspected to be a skewed (asymmetric) distribution. This is on behalf of people in industry who use this pair of control charts (X and MR), under the assumption of normality, indiscriminately without knowing the approximate shape of the underlying process distribution.
- This research provides empirical equations to calculate approximately the correct control chart constants  $d_2$ ,  $d_3$ , and  $D_4$  when the underlying process distribution is a gamma distribution with shape parameter  $\alpha$  and scale parameter  $\beta$ .
- This thesis provides empirical evidence that supports the hypothesis that the gamma control charts (X and MR) perform better than the normal curve control charts (X and MR) when the process distribution has a marked departure from normality (represented in this research by skewed distributions). However, more research is needed in this area since the number of empirical false alarms in control for the gamma control

charts is still unacceptable.

In this regard, this research opens ways for future research providing a new methodology for setting control limits (X and MR) under skewed (asymmetric) circumstances.

This thesis research sets the empirical foundations that support the fact that k=10 observations is not a good sample size to calculate reliable control limits for future predictions (X and MR). This goes against some authors who believe that X and MR (n=2) control charts always perform well no matter what number of observations are available. In addition, this research shows that there is not too much difference in performance between k=30 and k=50 data values used to set control limits. As a consequence, it seems to suggest that k=30 observations is a good sample size to set those control limits for future predictions.

#### 5.3 For future research

The fact that the gamma control charts (X and MR) still signal a large number of false alarms when the process is in control suggests that more research is needed in this area. It is the author's belief that these higher false alarm rates, using the gamma control charts, are due to the following three factors:

- 1. The empirical nature of the study (# of observations).
- 2. The skewness of the process distribution which affects the number of data values above the three sigma upper control limit (tail area).
- 3. The use of symmetric control limits (X chart) for asymmetric process distributions.

  In Figure 5.1, the effects of the skewness and symmetrical control limits can be observed.

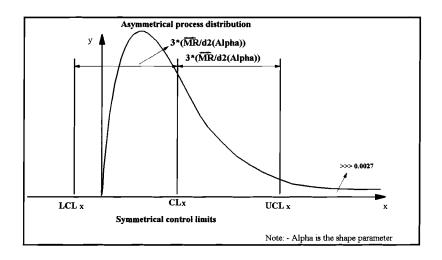


Figure 5.1. Effects of skewness and symmetrical control limits (X chart).

In order to get rid off these three factors, additional research is recommended in the field of setting asymmetric control limits (X and MR) based on the number of observations available, k, and the shape parameter,  $\alpha$ . Following the methodology developed in this research, gamma control limits for the individual measurement X control chart are set at:

$$\begin{aligned} \text{UCL}_{X} &= \overline{X} + \text{J}_{\text{u}} \left( \overline{\textit{MR}} / \text{d}_{2} \left( \alpha \right) \right) = \overline{X} + \text{E}_{2\text{u}} \left( \text{k}, \, \alpha \right) \, \overline{\textit{MR}} \\ \text{LCL}_{X} &= \overline{X} - \text{J}_{1} \left( \overline{\textit{MR}} / \text{d}_{2} \left( \alpha \right) \right) = \overline{X} - \text{E}_{2\text{l}} \left( \text{k}, \, \alpha \right) \, \overline{\textit{MR}} \\ \text{E}_{2\text{u}} \left( \text{k}, \, \alpha \right) &= \text{J}_{\text{u}} \left( \text{k}, \, \alpha \right) / \text{d}_{2} \left( \alpha \right) \\ \text{E}_{2\text{l}} \left( \text{k}, \, \alpha \right) &= \text{J}_{1} \left( \text{k}, \, \alpha \right) / \text{d}_{2} \left( \alpha \right) \end{aligned}$$

where:

- $d_2(\alpha)$  is the gamma bias correction factor evaluated in this research.
- $E_{2u}\left(k,\,\alpha\right)$  is the gamma control chart constant used to set the individual measurement upper control limit. It is a function of the number of observations available k and the shape parameter  $\alpha$ .

- $E_{2l}(k,\alpha)$  is the gamma control chart constant used to set the individual measurement lower control limit. It is a function of the number of observations available k and the shape parameter  $\alpha$ .
- $J_u$  (k,  $\alpha$ ) is a value which yields an upper tail area similar to the normal theory in control (0.00135). This value depends upon the sample size k used to set control limits and the shape parameter  $\alpha$ .
- $J_1$  (k,  $\alpha$ ) is a value which yields a lower tail area similar to the normal theory in control (0.00135). This value depends upon the sample size k used to set control limits and the shape parameter  $\alpha$ .

The proposed idea is seen in Figure 5.2.

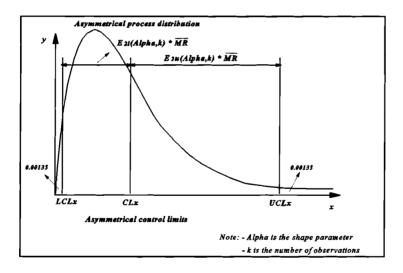


Figure 5.2. Asymmetric gamma control limits (X chart) for asymmetric process distributions.

For the MR (n=2) control charts, the same logic is used.

$$\begin{aligned} UCL_{MR} &= \overline{MR} + L_{u} * \sigma_{MR} = \overline{MR} + L_{u}(k, \alpha) * (d_{3}(\alpha)/d_{2}(\alpha)) * \overline{MR} \\ \\ UCL_{MR} &= (1 + L_{u}(k, \alpha) * (d_{3}(\alpha)/d_{2}(\alpha))) * \overline{MR} \end{aligned}$$

where:

- $d_2(\alpha)$  is the gamma bias correction factor evaluated in this research.
- $d_3(\alpha)$  is the gamma bias correction factor evaluated in this research.
- $L_u(k, \alpha)$  is a value which yields an upper tail area similar to the normal theory in control for the range distribution (0.0093). This value depends upon the sample size used to set control limits k and the shape parameter  $\alpha$ .

The proposed idea for the moving range n = 2 MR control chart is seen in Figure 5.3.

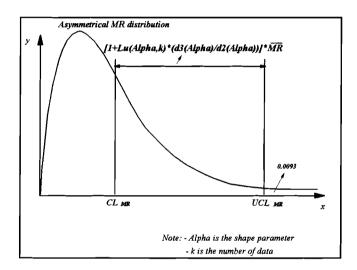


Figure 5.3. Gamma upper control limit (MR chart) for asymmetric distributions. Future research can also be done in the following areas:

- Evaluate the performance of the gamma control charts (X and MR) under shifts in the process standard deviation (variability).
- Use a more generic family of distributions (for instance, the Burr family of distributions) to fit any set of data available to set control limits. Then, using the same methodology developed in this research, appropriate control chart constants and asymmetric control limits can be calculated.

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# **APPENDICES**

# APPENDIX A

VALUES OF THE BIAS CORRECTION FACTORS  $d_2$  AND  $d_3$  AND CONTROL CHART CONSTANTS  $A_2$ ,  $D_3$ ,  $D_4$ , AND  $E_2$  - NORMAL ASSUMPTION

## ANSI/ASQC Standard A1-1978

## IV. FACTORS AND FORMULAS FOR CONTROL CHARTS FOR VARIABLES

 $Table~1\\ Factors~for~Computing~Central~Lines~and~3-sigma~Control~Limits~for~~\bar{X},~s,~and~R~Charts$ 

		Chart f	or Stand	ard Dev	ations		Chart for Ranges									
Observations in Sample, n		Factors for Control Limits		Factors for Central Line		Facto	Factors for Control Limits			Factors for Central Lane		Factors for Control Limits				
	A	A2	Α,	۲,	1/4	В,	В,	₿,	B,,	4,	1/d;	4,	D,	D,	D,	D,
2	2.121	1.880	2.659	0.7979	1.2533	0	3.267	0	2.606	1 128	0 8865	0.853	0	3.686	0	3 26
3	1.732	1.023	1.954	0.8862	1.1284	0	2.568	0	2.276	1.693	0.5907	0.888	0	4.358	0	2.57
4	1.500	0 729	1.628	0.9213	1.0854	0	2.266	0	2.088	2.059	0 4857	0 880	0	4.698	0	2.28
5	1.342	0.577	1 427	0.9400	1.0638	0	2 089	0	1.964	2.326	0 4299	0.864	0	4 918	U	241
6	1 225	0.483	1.287	0.9515	1 0510	0.030	1.970	0.029	1.874	2.534	0.3946	0 848	0	5 078	0	2.00
7	1.134	0 419	1.182	0.9594	1.0423	0.118	1 882	0.113	1.806	2.704	0.3698	0.833	0.204	5.204	0.076	1 92
8	1.061	0.373	1.099	0.9650	1.0363	0.185	1815	0.179	1.751	2.847	0.3512	0.820	0.388	5.306	0.136	1.86
9	1 000	0.337	1.032	0.9693	1.0317	0.239	1.761	0.232	1.707	2.970	0.3367	0.808	0.547	5.393	0 184	1.81
10	0.949	0.308	0.975	0.9727	1.0281	0.284	1.716	0.276	1.669	3.078	0.3249	0.797	0.687	5.469	0.223	1.77
11	0 905	0 285	0.927	0.9754	1.0252	0.321	1.679	0.313	1.637	3.173	0.3152	0.787	0.811	5.535	0.256	1.74
12	0.866	0 266	0.886	0.9776	1.0229	0.354	1.646	0.346	1.610	3.258	0.3069	0.778	0.922	5.594	0 283	1.71
13	0 832	0.249	0.850	0.9794	1.0210	0.382	1.618	0.374	1.585	3.336	0.2998	0.770	1.025	5.647	0.307	1.69
14	0.802	0 235	0.817	0.9810	1.0194	0.406	1.594	0.399	1.563	3.407	0.2935	0.763	1.118	5.696	0.328	1.67
15	0.775	0.223	0.789	0.9823	1.0180	0.428	1.572	0.421	1.544	3.472	0.2880	0.756	1.203	5.741	0.347	1.65
16	0 750	0.212	0.763	0 9835	1.0168	0.448	1.552	0 440	1.526	3.532	0.2831	0.750	1.282	5.782	0.363	1.63
17	0.728	0.203	0 739	0.9845	1.0157	0.466	1.534	0 458	1.511	3.588	0.2787	0.744	1.356	5.820	0.378	1.62
18	0.707	0.194	0718	0.9854	1.0148	0.482	1.518	0.475	1.496	3.640	0.2747	0.739	1.424	5.856	0.391	1 60
19	0 688	0 187	0 698	0 9862	1.0140	0.497	1.503	0.490	1.483	3.689	0.2711	0.734	1.487	5.891	0.403	1.59
20	0 671	0 180	0 680	0 9869	1.0133	0.510	1 490	0.504	1.470	3.735	0.2677	0.729	1.549	5 921	0 415	1.58
21	0 655	0 173	0 663	0 9876	1.0126	0.523	1.477	0.516	1 459	3 778	0.2647	0.724	1 605	5.951	0 425	1.57
22	0 640	0 167	0 647	0 9882	1.0119	0.534	1 466	0.528	1.448	3.819	0.2618	0.720	1.659	5.979	0 4.14	1.56
23	0 626	0 162	0.633	0 9887	1.0114	0.545	1.455	0.539	1.438	3.858	0.2592	0.716	1.710	6 006	0 443	1.55
24	0 612	0 157	0619	0.9892	1.0109	0.555	1.445	0.549	1.429	3.895	0.2567	0.712	1.759	6 0.11	0.451	1.54
25	0 600	0 135	0.606	0 9896	1.0105	0 565	1.435	0.559	1.420	3.931	0.2544	0.708	1.806	6 056	0.459	1.54

# APPENDIX B

CHI-SQUARE TEST - RANDOM NUMBER GENERATOR IN MINITAB

This particular case of the chi-square  $\chi^2$  test is designed to check whether the  $U_i$ 's generated appear to be uniformly distributed between 0 and 1. The idea is to evaluate how well the generated  $U_i$ 's resemble values of true IID U(0, 1) random variates.

#### Test procedure:

1. Divide the interval [0, 1] into k subintervals of equal length and generate U1, U2,..., Un.

Rules of thumb:

- k should be at least 100.
- n / k should be at least 5.
- 2. Calculate the statistic  $\chi^2$  using the equation:

$$\chi^2 = (k/n) \sum_{i} [f_i - (n/k)]^2$$

Where

fj is the number of  $U_i$ 's that are in the  $j^{th}$  subinterval.

3. The null hypothesis is:

Ho: U<sub>i</sub>'s are IID U(0, 1) random variables

4. The rejection region is defined by:

$$\chi^2_{k-1, 1-\alpha'}$$

Where

 $\alpha'$  is the confidence level.

k-1 is the degrees of freedom.

5. Reject the null hypothesis if the  $\chi^2$  statistic is greater than  $\chi^2_{k-1, 1-\alpha'}$ .

#### Results of the test:

The test is performed three times with different samples generated and different values of k and n.

**First test:** n = 5000 observations.

k = 100 subintervals.

 $\alpha' = 0.01$ 

- 1. n/k = 5000/100 = 50 which is greater than the value 5 recommended in the rules of thumb.
- 2. The value of the  $\chi^2$  statistic is:

$$\chi^2 = 118.88$$

3. The null hypothesis is:

Ho: U<sub>i</sub>'s are IID U(0, 1) random variables

4. The rejection region is defined by:

$$\chi^2_{99,0.99} = 134.6392$$

5. There is not reason to reject the null hypothesis since  $\chi^2 < \chi^2_{99, 0.99}$ .

**Second test:** n = 1000 observations.

k = 100 subintervals.

$$\alpha' = 0.01$$

- 1. n/k = 1000/100 = 10 which is greater than the value 5 recommended in the rules of thumb.
- 2. The value of the  $\chi^2$  statistic is:

$$\chi^2 = 92.0$$

3. The null hypothesis is:

Ho: U<sub>i</sub>'s are IID U(0, 1) random variables

4. The rejection region is defined by:

$$\chi^2_{99,0.99} = 134.6392$$

5. There is not reason to reject the null hypothesis since  $\chi^2 < \chi^2_{99, 0.99}$ .

**Third test:** n = 5000 observations.

k = 200 subintervals.

$$\alpha' = 0.01$$

- 1. n/k = 5000/200 = 25 which is greater than the value 5 recommended in the rules of thumb.
- 2. The value of the  $\chi^2$  statistic is:

$$\chi^2 = 168.16$$

3. The null hypothesis is:

Ho: U<sub>i</sub>'s are IID U(0, 1) random variables

4. The rejection region is defined by:

$$\chi^2_{199, 0.99} = 248.3332$$

5. There is not reason to reject the null hypothesis since  $\chi^2 < \chi^2_{199, 0.99}$ .

Therefore, based on the results of the three tests, it could be said that this random number generator does not behave in a way that is significantly different from that would be expected from truly IID U(0, 1) random variables.

n=5000	k	interval	f	n/k	[fj-(n/k)]^2	n=1000 k	Interval	9	n/k 10	[fj-(rufk)]^2
k=100	1 2	0.01 0.02	53 59	50 50	9 81	k=100 1 2	0.01 0.02	14 9	10	16 1
	3	0.02	46	50	16	3	0.03	11	10	i
	4	0.04	33	50	289	4	0.04	9	10	1
	5	0.05	53	50	9	5	0.05	9	10	1
	6	0.06	46	50	16	6 7	0.06 0.07	9	10 10	1
	7 8	0.07 0.0 <del>8</del>	56 47	50 50	36 9	8	0.07		10	16
	9	0.08	54	50	16	9	0.09	10	10	0
	10	0.1	51	50	1	10	0.1	10	10	0
	11	0.11	50	50	0	11	0.11	10	10	0
	12	0.12	69	50	361	12	0.12		10	4
	13	0.13	49	50 50	1	13 14	0.13 0.14		10 10	36 1
	14 15	0.14 0.15	50 59	50	81	15	0.15		10	į
	16	0.18	58	50	64	16	0.16		10	4
	17	0.17	51	50	1	17	0.17	10	10	0
	18	0.18	56	50	36	18	0.18		10	0
	19	0.19	50 42	50 50	0 64	19 20	0.19 0.2		10 10	1 4
	20 21	0.2 0.21	60	50 50	100	20	0.21	7	10	9
	22	0.22	44	50	36	22	0.22		10	4
	23	0.23	50	50	0	23	0.23		10	16
	24	0.24	59	50	81	24	0.24		10	1
	25 26	0.25 0.26	58 42	50 50	64 64	25 26	0.25 0.26		10 10	0 4
	27	0.26	48	50	4	27	0.27	8	10	4
	28	0.28	53	50	9	28	0.28		10	16
	29	0.29	33	50	289	29	0.29		10	0
	30	0.3	57	50	49	30	0.3		10	49
	31	0.31	63	50	169	31 32	0.31 0.32	4 12	10 10	36 4
	32 33	0.32 0.33	46 45	50 50	16 25	32	0.32		10	ŏ
	34	0.34	59	50	81	34	0.34		10	4
	35	0.35	48	50	4	35	0.35		10	1
	36	0.36	45	50	25	36	0.36		10	1
	37	0.37	60	50	100	37	0.37	10	10	0
	38	0.38	63	50	169 49	38 39	0.38 0.39		10 10	1 0
	39 40	0.39 0.4	43 53	50 50	49	40	0.39		10	81
	41	0.41	33	50	289	41	0.41	8	10	1
	42	0.42	56	50	36	42	0.42	7	10	9
	43	0.43	43	50	49	43	0.43		10	9
	44	0.44	48	50	4	44	0.44		10	0
	45	0.45	50	50	0	45	0.45 0.46		10 10	64 49
	46 47	0.46 0.47	43 45	50 50	49 25	46 47	0.45	12	10	4
	48	0.48	55	50	25	48	0.48		10	9
	49	0.49	46	50	16	49	0.49	5	10	25
	50	0.5	53	50	9	50	0.5		10	1
	51	0.51	52	50	4	51	0.51	13	10	9
	52 53	0.52 0.53	43 51	50 50	49 1	52 53	0.52 0.53		10 10	1
	54	0.53	54	50	16	54	0.54		10	í
	55	0.55	54	50	16	55	0.55		10	4
	56	0.56	66	50	256	58	0.56		10	81
	57	0.57	42	50	64	57	0.57	11	10	1
	58	0.58	51	50	1	58 59	0.58 0.59		10 10	4
	59 60	0.59 0.6	50 46	50 50	16	60	0.55		10	9
	61	0.61	39	50	121	61	0.61	9	10	1
	62	0.62	49	50	1	62	0.62		10	0
	63	0.63	51	50	1	63	0.63		10	1
	64	0.64	42	50	64	64 65	0.64 0.65		10 10	16 4
	65 66	0.65 0.66	49 57	50 50	1 49	66	0.66		10	25
	67	0.67	63	50	169	67	0.67	12	10	4
	68	0.69	56	50	36	68	0.68	14	10	16
	69	0.69	59	50	81	69	0.69		10	16
	70	0.7	49	50 50	1	70 71	0.7 0.71	9	10 10	1 16
	71 72	0.71 0.72	43 53	50 50	49 9	71 72	0.71		10	1
	73	0.73	48	50	4	73	0.73	12	10	4
	74	0.74	39	50	121	74	0.74	10	10	0
	75	0.75	51	50	1	75	0.75		10	0
	76	0.76	57 57	50 50	49 49	76 77	0.7 <b>6</b> 0.77	15 12	10 10	25 4
	77 78	0.77 0.78	57 39	50	121	78	0.78		10	ī
	79	0.79	44	50	36	79	0.79	13	10	9
	80	8.0	60	50	100	80	0.8		10	0
	81	0.81	59	50	81	81	0.81	9	10	1
	82 83	0.82 0.83	44 54	50 50	36 16	82 83	0.82 0.83		10 10	1 16
	83	0.83	54 51	50 50	16	84	0.83		10	16
	85	0.85	52	50	4	85	0.85	17	10	49
	96	0.86	44	50	36	86	0.86	13	10	9
	87	0.87	45	50	25	87	0.87	9	10	1
	88	0.89 0.89	44 66	50 50	36 256	88 89	0.88 0.89		10 10	16 0
	89 90	0.89	39	50 50	121	90	0.89		10	1
	91	0.91	40	50 50	100	91	0.91	9	10	i
	92	0.92	55	50	25	92	0.92	9	10	1
	93	0.93	44	50	36	93	0.93	4	10	36
	94	0.94	60	50	100	94	0.94 0.95		10 10	4
	95 96	0.95 0.96	36 38	50 50	196 144	95 96	0.96		10	4
	97	0.97	58	50	64	97	0.97	9	10	1
	98	0.98	39	50	121	98	0.98	10	10	0
	99	0.99	45	50	25	99	0.99		10	9
	100	1	40	50	100	100	1	10	10	0
		Total:	5000	5000	5944		Total:	1000	1000	920

Chi-square value = (k/n) Sum [fj-(n/k)]\*2 Chi-square value = 118.88

Chi-square value = (k/n) Sum [fj-(ri/k)]^2 Chi-square value = 92

					re (_4)140		1-a		-4-	(6./m8)\A2
n≃5000 k≈200	k 1	Interv <del>al</del> 0.005	fj 34	n/k 25	[fj-(n/k)]^2 81	k 101	interval 0.505	fj 24	n∕k 25	[fj-(n/k)]^2 1
K-200	2	0.01	30	25	25	102	0.51	19	25	36
	3	0.015	30	25	25	103	0.515	33	25	64
	4	0.02	24	25	1	104	0.52	21	25	16
	5	0.025	22	25	9	105	0.525	27	25	4
	6	0.03	22	25	9	106 107	0.53 0.535	21 30	25 25	16 25
	7 8	0.035 0.04	18 24	25 25	49 1	109	0.535	25	25	20
	ě	0.045	27	25	4	109	0.545	26	25	1
	10	0.05	21	25	16	110	0.55	25	25	0
	11	0.055	36	25	121	111	0.555	33	25	64
	12	0.06	33	25	64	112	0.56	22	25	9
	13	0.065	29	25	16	113	0.565	26	25	1
	14	0.07	24	25	. 1	114	0.57	28	25	9
	15	0.075	19	25	36	115	0.575	24	25 25	1
	16 17	0.08 0.085	29	25 25	16 16	116 117	0.58 0.585	21 26	25 25	16 1
	18	0.09	21 21	25	16	118	0.59	23	25	4
	19	0.095	24	25	1	119	0.595	28	25	9
	20	0.1	28	25	9	120	0.6	19	25	36
	21	0.105	30	25	25	121	0.605	25	25	0
	22	0.11	29	25	16	122	0.61	24	25	1
	23	0.115	30	25	25	123	0.615	28	25	9
	24 25	0.12 0.125	18 27	25 25	49 4	124 125	0.62 0.625	21 24	25 25	16 1
	26	0.123	35	25	100	126	0.63	25	25	ó
	27	0.135	29	25	16	127	0.635	22	25	9
	28	0.14	24	25	1	128	0.64	29	25	16
	29	0.145	33	25	64	129	0.645	18	25	49
	30	0.15	22	25	9	130	0.65	27	25	4
	31	0.155	24	25	1	131	0.655	30	25	25
	32	0.16	23	25	4	132	0.66	24	25	1
	33	0.165	20	25	25	133	0.665	18 22	25 25	49 9
	34 35	0.17 0.175	21 27	25 25	16 4	134 135	0.87 0.875	28	25	9
	36	0.175	28	25 25	9	136	0.675	34	25	81
	37	0.185	26	25	1	137	0.685	29	25	16
	38	0.19	25	25	Ö	138	0.69	21	25	16
	39	0.195	16	25	81	139	0.695	23	25	4
	40	0.2	29	25	16	140	0.7	15	25	100
	41	0.205	32	25	49	141	0.705	21	25	16
	42	0.21	28	25	9	142	0.71	22	25	9
	43	0.215	24	25	1	143	0.715	15	25	100
	44	0.22	28	25	9	144 145	0.72	28 33	25 25	9 64
	45 46	0.225 0.23	21 17	25 25	16 64	145	0.725 0.73	26	25 25	1
	47	0.235	28	25	9	147	0.735	20	25	25
	48	0.24	24	25	1	148	0.74	27	25	4
	49	0.245	15	25	100	149	0.745	24	25	1
	50	0.25	17	25	64	150	0.75	18	25	49
	51	0.255	33	25	64	151	0.755	19	25	36
	52	0.26	28	25	9	152	0.76	27	25	4
	53	0.265	20	25	25	153	0.765	25	25	0
	54	0.27	32	25 25	49 4	154 155	0.77 0.775	19 25	25 25	36 0
	55 56	0.275 0.28	23 27	25 25	4	156	0.78	25 25	25 25	ŏ
	57	0.285	26	25	1	157	0.785	28	25	9
	58	0.29	30	25	25	158	0.79	23	25	4
	59	0.295	27	25	4	159	0.795	25	25	0
	60	0.3	25	25	0	160	0.8	26	25	1
	61	0.305	16	25	81	161	0.805	26	25	1
	62	0.31	30	25	25	162	0.81	22	25	9
	63	0.315	30	25	25	163	0.815	25	25 25	0 64
	64	0.32 0.325	28 31	25 25	9 36	164 165	0.82 0.825	17 22	25 25	9
	65 66	0.323	21	25	16	166	0.83	32	25	49
	67	0.335	20	25	25	167	0.835	24	25	1
	68	0.34	27	25	4	168	0.84	29	25	16
	69	0.345	21	25	16	169	0.845	30	25	25
	70	0.35	26	25	1	170	0.85	21	25	16
	71	0.355	23	25	. 4	171	0.855	29	25	16
	72 73	0.36 0.365	21 30	25 25	16 25	172 173	0.86 0.865	16 27	25 25	81 4
	73 74	0.365	30 25	25 25	25	173	0.87	27	25 25	4
	75	0.375	34	25	81	175	0.875	15	25	100
	76	0.38	33	25	64	176	0.88	24	25	1
	77	0.385	23	25	4	177	0.885	26	25	1
	78	0.39	23	25	4	178	0.89	25	25	0
	79	0.395	27	25	4	179	0.895	25	25	.0
	80	0.4	27	25	4	180	0.9	21	25	16
	81	0.405	26	25	1	181	0.905	24	25	1 4
	82 83	0.41 0.415	17 20	25 25	64 25	182 183	0.91 0.915	23 29	25 25	16
	84	0.413	26	25	1	184	0.92	17	25	64
	85	0.425	29	25	16	185	0.925	26	25	1
	86	0.43	29	25	16	196	0.93	18	25	49
	87	0.435	27	25	4	187	0.935	25	25	0
	88	0.44	32	25	49	188	0.94	29	25	16
	89	0.445	18	25	49	189	0.945	25	25	.0
	90	0.45	33	25	64	190	0.95	29 31	25 25	16 36
	91 92	0.455 0.46	20 24	25 25	25 1	191 192	0.955 0.96	16	25 25	81
	93	0.465	24 28	25 25	9	193	0.965	25	25 25	0
	94	0.47	27	25	4	194	0.97	26	25	ĭ
	95	0.475	31	25	36	195	0.975	25	25	0
	96	0.48	20	25	25	196	0.98	30	25	25
	97	0.485	21	25	16	197	0.985	23	25	4
	98	0.49	24	25	1	198	0.99	25	25	0
	99	0.495 0.5	22	25 25	9	199 200	0.995	30 23	25 25	25 4
	100	0.0	27	20	4	200	'	23	25	
							Total	5000	5000	4004

Chi-square value = (k/n) Sum [fj-(ru/k)]^2

## APPENDIX C

# GOODNESS OF FIT TESTS - GENERATION GAMMA AND NORMAL RANDOM VARIATES

The generation of gamma and normal random variables is tested statistically to check whether the values generated, in fact, agree with the underlying probabilistic model assumed for these data. The test used is the  $\chi^2$  goodness-of-fit test.

Only the generation of gamma and normal random variates is tested statistically because the other distributions generated in this research are either particular cases or derivations from these two distributions. The exponential and chi-square distributions are particular cases of the gamma distribution. The lognormal distribution is derived from the normal distribution.

For the gamma distribution, four tests are performed using different parameters and number of observations. For the normal distribution, two tests are run using different number of observations.

#### 1. Gamma distribution

#### 1.1 First test

Gamma distribution with shape parameter  $\alpha=1$  and scale parameter  $\beta=1$ . This is equivalent to an exponential distribution with mean 1. The number of observations used to perform the test is 1000.

The null hypothesis Ho to be tested is:

Ho: The data generated can be regarded as a gamma (1, 1) distribution.

From the spreadsheet designed in Quattro Pro, the  $\chi^2$  chi-square statistic is:

$$\gamma^2 = 7.20$$

Using a significance level of  $\alpha' = 0.01$ , the rejection region is defined by the following critical value:

$$\chi^2_{g',k-1} = \chi^2_{0.99,12} = 26.217$$

Since the  $\chi^2$  chi-square statistic is not greater than the critical value  $\chi^2$  <sub>0.99, 12</sub>, there is not statistical reasons to reject the null hypothesis that the 1000 data values generated come from a gamma (1, 1) distribution.

#### 1.2 Second test

Gamma distribution with shape parameter  $\alpha=1$  and scale parameter  $\beta=1$ . This is equivalent to an exponential distribution with mean 1. The number of observations used to perform the test is 100.

The null hypothesis Ho to be tested is:

Ho: The data generated can be regarded as a gamma (1, 1) distribution.

From the spreadsheet designed in Quattro Pro, the  $\chi^2$  chi-square statistic is:

$$\chi^2 = 2.396$$

Using a significance level of  $\alpha' = 0.01$ , the rejection region is defined by the following critical value:

$$\chi^2_{\alpha', k-1} = \chi^2_{0.99} = 16.8119$$

Since the  $\chi^2$  chi-square statistic is not greater than the critical value  $\chi^2$  <sub>0.99, 6</sub>, there is not statistical reasons to reject the null hypothesis that the 100 data values generated come from a gamma (1, 1) distribution.

#### 1.3 Third test

Gamma distribution with shape parameter  $\alpha=2$  and scale parameter  $\beta=1$ . The number of observations used to perform the test is 1000.

The null hypothesis Ho to be tested is:

Ho: The data generated can be regarded as a gamma (2, 1) distribution.

From the spreadsheet designed in Quattro Pro, the  $\chi^2$  chi-square statistic is:

$$\chi^2 = 13.315$$

Using a significance level of  $\alpha' = 0.01$ , the rejection region is defined by the following critical value:

$$\chi^2_{g,k-1} = \chi^2_{0.99,14} = 29.1413$$

Since the  $\chi^2$  chi-square statistic is not greater than the critical value  $\chi^2$  <sub>0.99, 14</sub>, there is not statistical reasons to reject the null hypothesis that the 1000 data values generated come from a gamma (2, 1) distribution.

#### 1.4 Fourth test

Gamma distribution with shape parameter  $\alpha=2$  and scale parameter  $\beta=1$ . The number of observations used to perform the test is 100.

The null hypothesis Ho to be tested is:

Ho: The data generated can be regarded as a gamma (2, 1) distribution.

From the spreadsheet designed in Quattro Pro, the  $\chi^2$  chi-square statistic is:

$$\chi^2 = 5.4973$$

Using a significance level of  $\alpha' = 0.01$ , the rejection region is defined by the following critical value:

$$\chi^2_{\alpha', k-1} = \chi^2_{0.99, 8} = 20.0902$$

Since the  $\chi^2$  chi-square statistic is not greater than the critical value  $\chi^2$ <sub>0.99, 8</sub>, there is not statistical reasons to reject the null hypothesis that the 100 data values generated come from a gamma (2, 1) distribution.

#### 2. Normal distribution

#### 2.1 First test

Normal distribution with mean  $\mu=1$  and standard deviation  $\sigma=10$ . The number of observations used to perform the test is 1000.

The null hypothesis Ho to be tested is:

Ho: The data generated can be regarded as a normal (40, 10<sup>2</sup>) distribution.

From the spreadsheet designed in Quattro Pro, the  $\chi^2$  chi-square statistic is:

$$\gamma^2 = 17.80$$

Using a significance level of  $\alpha' = 0.01$ , the rejection region is defined by the following critical value:

$$\chi^2_{\alpha', k-1} = \chi^2_{0.99, 15} = 30.5779$$

Since the  $\chi^2$  chi-square statistic is not greater than the critical value  $\chi^2$   $_{0.99, 15}$ , there is not statistical reasons to reject the null hypothesis that the 1000 data values generated come from a normal (40, 10<sup>2</sup>) distribution.

#### 2.2 Second test

Normal distribution with mean  $\mu=1$  and standard deviation  $\sigma=10$ . The number of observations used to perform the test is 100.

The null hypothesis Ho to be tested is:

Ho: The data generated can be regarded as a normal (40, 10<sup>2</sup>) distribution.

From the spreadsheet designed in Quattro Pro, the  $\chi^2$  chi-square statistic is:

$$\chi^2 = 2.624$$

Using a significance level of  $\alpha' = 0.01$ , the rejection region is defined by the following critical value:

$$\chi^2_{\alpha', k-1} = \chi^2_{0.99, 8} = 20.0902$$

Since the  $\chi^2$  chi-square statistic is not greater than the critical value  $\chi^2$  <sub>0.99, 8</sub>, there is not statistical reasons to reject the null hypothesis that the 100 data values generated come from a normal (40, 10<sup>2</sup>) distribution.

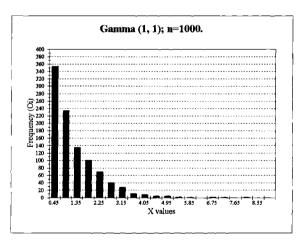
Appendix C - Goodness of fit tests

Gamma (1, 1); n=1000; k=20.

				Colapsed			Expected	
		Colapsed		Frequency	Cumulative		Frequency	
k	Interval	Interval	Frequency	Oi	Probability	Probability	Ei	(Oi-Ei)^2 / Ei
1	0.45		354	354	0.362372	0.362372	362.372	0.19342108
2	0.9		235	235	0.59343	0.231058	231.058	0.06725309
3	1.35		135	135	0.74076	0.14733	147.33	1.03189371
4	1.8		101	101	0.834701	0.093941	93.941	0.53043379
5	2.25		70	70	0.894601	0.0599	59.9	1.70300501
6	2.7		41	41	0.932795	0.038194	38.194	0.20614851
7	3.15		28	28	0.957148	0.024353	24.353	0.54615895
8	3.6		11	11	0.972676	0.015528	15.528	1.32037506
9	4.05		8	8	0.982578	0.009902	9.902	0.36534074
10	4.5		5	5	0.988891	0.006313	6.313	0.27308237
11	4.95		5	5	0.992917	0.004026	4.026	0.23563736
12	5.4	*	2	5	0.995483	0.002566	5.912	0.14068742
13	5.85	*	1		0.99712	0.001637		
14	6.3	*	0		0.998164	0.001044		
15	6.75	*	2		0.998829	0.000665		
16	7.2	-	1	2	0.999253	0.000424	1.171	0.58688386
17	7.65	-	0		0.999524	0.000271		
18	8.1	-	1		0.999696	0.000172		
19	8.55	-	0		0.999806	0.00011		
20	9	-	0		0.999877	7.1E-05		
			=======	=======		========	========	=========
			1000	1000		0.999877	1000	7.20032094

Chi-square statistic = Sum [ (Oi - Ei)^2 / Ei ]

Chi-square statistic 7.200321



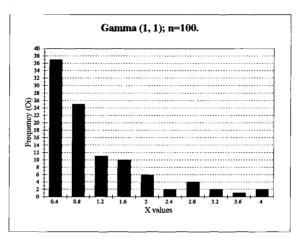
Appendix C - Goodness of fit tests

Gamma (1, 1); n=100; k=10.

aiiiiia	' ' '	, , , , , , , , ,	, K-10.						
					Colapsed			Expected	
			Colapsed		Frequency	Cumulative		Frequency	
k		Interval	Interval	Frequency	Oi	Probability	Probability	Ei	(Oi-Ei)^2 / Ei
	1	0.4		37	37	0.32968	0.32968	32.968	0.49311526
	2	0.8		25	25	0.550671	0.220991	22.0991	0.38079473
	3	1.2		11	11	0.698806	0.148135	14.8135	0.98172493
	4	1.6		10	10	0.798103	0.099297	9.9297	0.00049771
	5	2		6	6	0.864665	0.066562	6.6562	0.06469133
	6	2.4	*	2	6	0.909282	0.044617	7.4525	0.28309376
	7	2.8	*	4		0.93919	0.029908		
	8	3.2	-	2	5	0.959238	0.020048	6.081	0.19216593
	9	3.6	-	1		0.972676	0.013438		
1	0	4	-	2		0.981684	0.009008		
				=======	=======		=======	=======	========
				100	100		0.981684	100	2.39608365

Chi-square statistic = Sum [ (Oi - Ei)^2 / Ei ]

Chi-square statistic 2.396084



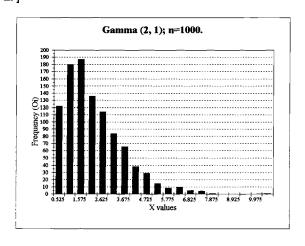
Appendix C - Goodness of fit tests

Gamma (2, 1); n=1000; k=20.

	, 1 <i>)</i> , 11–10	UU , K-2U.						
				Colapsed			Expected	
		Colapsed		Frequency	Cumulative		Frequency	
k	Interval	Interval	Frequency	Oi	Probability	Probability	Ei	(Oi-Ei)^2 / Ei
1	0.525		122	122	0.097878	0.097878	97.878	5.94485874
2	1.05		180	180	0.282628	0.18475	184.75	0.12212449
3	1.575		187	187	0.466956	0.184328	184.328	0.03873304
4	2.1		136	136	0.620385	0.153429	153.429	1.97987369
5	2.625		114	114	0.737406	0.117021	117.021	0.07798977
6	3.15		84	84	0.822164	0.084758	84.758	0.00677888
7	3.675		66	66	0.881492	0.059328	59.328	0.7503301
8	4.2		38	38	0.922023	0.040531	40.531	0.1580509
9	4.725		29	29	0.949215	0.027192	27.192	0.12021418
10	5.25		15	15	0.967203	0.017988	17.988	0.49633889
11	5.775		8	8	0.978969	0.011766	11.766	1.20540167
12	6.3		10	10	0.986595	0.007626	7.626	0.73903436
13	6.825		5	5	0.9915	0.004905	4.905	0.00183996
14	7.35	*	4		0.994634	0.003134		
15	7.875	*	1	5	0.996626	0.001992	5.126	0.00309715
16	8.4	-	0		0.997886	0.00126		
17	8.925	-	0		0.99868	0.000794		
18	9.45	-	0		0.999178	0.000498		
19	9.975	-	0		0.999489	0.000311		
20	10.5	-	1	1	0.999683	0.000194	3.374	1.67038411
			1000	1000		0.999683	1000	13.3150499

Chi-square statistic = Sum [ (Oi - Ei)^2 / Ei ]

Chi-square statistic = 13.31505



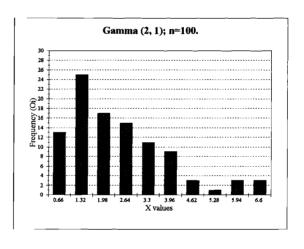
Appendix C - Goodness of fit tests

Gamma (2, 1); n=100; k=10.

· Carrier III	u (2,	, 1 <i>7</i> , 11– 10	Ο, κ-το.						
					Colapsed			Expected	
			Colapsed		Frequency	Cumulative		Frequency	
k		Interval	Interval	Frequency	Oi	Probability	Probability	Ei	(Oi-Ei)^2 / Ei
	1	0.66		13	13	0.142027	0.142027	14.2027	0.10184594
	2	1.32		25	25	0.380246	0.238219	23.8219	0.05826234
	3	1.98		17	17	0.588554	0.208308	20.8308	0.70448704
	4	2.64		15	15	0.740245	0.151691	15.1691	0.00188507
	5	3.3		11	11	0.841402	0.101157	10.1157	0.07730424
	6	3.96		9	9	0.905447	0.064045	6.4045	1.05185733
	7	4.62	*	3		0.944627	0.03918		
	8	5.28	*	1	4	0.968019	0.023392	6.2572	0.81425427
	9	5.94		3	3	0.981734	0.013715	1.3715	1.93365822
	10	6.6		3	3	0.989661	0.007927	1.8266	0.75378712
				========	=======				
				100	100		0.989661	100	5.49734157

Chi-square statistic = Sum [ (Oi - Ei)^2 / Ei ]

Chi-square statistic = 5.497342



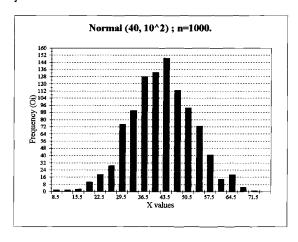
Appendix C - Goodness of fit tests

Normal (40, 10<sup>2</sup>); n=1000; k=20.

					Colapsed			Expected	
			Colapsed		Frequency	Cumulative		Frequency	
k		Interval	interval	Frequency	Oi	Probability	Probability	Ei	(Oi-Ei)^2 / Ei
	1	8.5	*	2		0.000816	0.000816		
	2	12	*	2		0.002555	0.001739		
	3	15.5	*	3	7	0.007143	0.004588	7.143	0.0028628
	4	19		11	11	0.017864	0.010721	10.721	0.00726061
	5	22.5		19	19	0.040059	0.022195	22.195	0.45992453
	6	26		29	29	0.080757	0.040698	40.698	3.36240611
	7	29.5		75	75	0.146859	0.066102	66.102	1.1977611
	8	33		90	90	0.241964	0.095105	95.105	0.27402371
	9	36.5		128	128	0.363169	0.121205	121.205	0.38094159
	10	40		133	133	0.5	0.136831	136.831	0.1072605
	11	43.5		149	149	0.636831	0.136831	136.831	1.08224424
	12	47		113	113	0.758036	0.121205	121.205	0.55543934
	13	50.5		93	93	0.853141	0.095105	95.105	0.04659087
	14	54		73	73	0.919243	0.066102	66.102	0.71983305
	15	57.5		41	41	0.959941	0.040698	40.698	0.00224099
	16	61		14	14	0.982136	0.022195	22.195	3.02581775
	17	64.5		19	19	0.992857	0.010721	10.721	6.39323207
	18	68	-	5		0.997445	0.004588		
	19	71.5	-	1		0.999184	0.001739		
2	20	75	-	0	6	0.999767	0.000583	7.143	0.1828992
				=======================================	=======		=======	=======	=======
				1000	1000		0.999767	1000	17.8007385

Chi-square statistic = Sum [ (Oi - Ei)^2 / Ei ]

Chi-square statistic = 17.80074



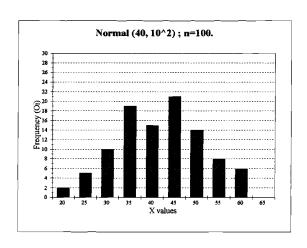
Appendix C - Goodness of fit tests

Normal (40, 10<sup>2</sup>); n=100; k=10.

					Colapsed			Expected	
			Colapsed		Frequency	Cumulative		Frequency	
k		Interval	Interval	Frequency	Oi	Probability	Probability	Ei	(Oi-Ei)^2 / Ei
	1	20		2	2	0.02275	0.02275	2.275	0.03324176
	2	25		5	5	0.066807	0.044057	4.4057	0.08016717
	3	30		10	10	0.158655	0.091848	9.1848	0.07235335
	4	35		19	19	0.308538	0.149883	14.9883	1.07375332
	5	40		15	15	0.5	0.191462	19.1462	0.89787918
	6	45		21	21	0.691462	0.191462	19.1462	0.1794912
	7	50		14	14	0.841345	0.149883	14.9883	0.06516662
	8	55		8	8	0.933193	0.091848	9.1848	0.15283414
	9	60	*	6		0.97725	0.044057		
	10	65	*	0	6	0.99379	0.01654	6.6807	0.06935688
				=======	=======		========	=======	=======
				100	100		0.99379	100	2.62424362

Chi-square statistic = Sum [ (Oi - Ei)^2 / Ei ]

Chi-square statistic = 2.624244



### APPENDIX D

FORTY GAMMA DISTRIBUTION SPREADSHEETS

0 5 Alpha=0 5 0 5 Beta=0 5	MR (MRI-MR)^2	MR (MR:MR)	*3	0 5 Alpha=0 5	110 (110) 110) 10			0.5 Alpha=0.5					0 5 Alpha=0 5				
0.07106		8 0 03981 0 075675		1 Beta=1 0 0 64404	MR (MR+MR)^2	MR (MRI-MR)^2 0.83403 0.038659		5 Beta=5 0 7 8209	MR (MR+MR)*2	3154	MR (MR+MR)*2 4 609 2 303749		10 Beta=10	MR (MR-MR)^2		(MRI-MR)^2	
0 37686	0 3058 8 3E-05 0 0503				0 47239 0 027232 0 14969	0 83403 0 038639	•	0 7 8209			4 609 2 303749 2 2627 0 686395	0	0 9 4367 0 0 4527			3 24 16812 3 38 86784	
0 12434	0 25252 0 003891 0 3847	8 0 33445 0 000382	. 0	0 0 09577	0 07588 0 315317 1 42024	1 27055 0 400865	ŏ	0 2 2503			2 5321 0 312581	ŏ	0 10 8181			2 6.67968	ŏ
0 02839	0 09595 0 047939 0 0628	2 0 32196 5E-05	0		0 08023 0 310451 1 42015	9E-05 0 406178	0	0 3 606	1 3557 3 011923 0	6446	0 5986 6 213002	ŏ				6 105385	ŏ
0 10607 0 05252	0 07968 0 055328 0 015 0 05555 0 067262 0 0142				0 41784 0 048211 6E-05	1 42009 0 612586	٥	0 0 0075			0 5239 6 590975	0		54 7575 2346 51 9	0451 9 021	7 316442	1
	0 41704 0 010433 0 2456				0 43284 0 041849 1 28552 2 44785 3 277689 0 69644	1 28546 0 419967	0	0 0 5255			0 0925 8 992138	0				3 1 094727	1
	0 43165 0 013631 0 5002		ő		2 44836 3 279536 0 00141		1	0 4 5031 0 3 7675		5 6922	5.664 6 619355	0	0 0 0298			34 05782	0
0 00065	0 03726 0 077084 0 0112	4 0 48899 0 030307	ŏ		4 73674 16 8045 0 06445		;	0 0.0028			5 6197 6 393366 12 033 79 95596	0	0 4 6913 1 0 2369			7 25 6847 2 0 038694	ò
0 67519	0 67454 0 129341 0 001	3 0 00994 0 093001	Ö	0 0 00717	4 7296 16 74601 0 04734	0 01711 0 384773	•	0 275			8 2543 26 65771	ŏ	0 4 2714			0 496754	ň
0 59999	0 0752 0 057456 0 0014	2 0 00012 0 099086	0	0 0 06001	0 05284 0 341723 0 11325	0 06591 0 326614	o	0 0 0416	2 7084 0 146528 4		0 4819 6 808391	ŏ	0 12 6021			7 33 22379	ŏ
0 30009 0 12582	0 2999 0 000225 0 4438 0 17427 0 019777 0 2164	3 0 44241 0 016259	0		0 72411 0 007517 0 43344		0	0 0 2912	0 2496 8 07463 3		1 1178 3 894266	0	0 0 2008	12 4013 37 02226 9	2022 8 332	4.063822	ō
0 12082 D 41056	0 28474 0 00091 0 2360				0 07323		o	0 0 8899			1 8086 1 645035	0	0 0			7 1.90714	0
0 45514	0 04458 0 073073 0 3973			0 0 44537	0 26391 0 139503 0 38974	0.38918.0.061619	0				0 5642 6 385675 0 8203 5 156938	- !			4693 3 964	5 53147	0
0 07886	0 37628 0 003768 0 0687			0 0 18331	0 00185 0 403938 0 23456	0.15518 0.232547	Ö	0 0 4996			0 0158 9 45802	0	0 0 1533 0 7 6674			5 22.65006 8 9 113804	
0 27915	0 20029 0 013135 0 079	6 0 01088 0 092428	0	0 0 17438	0 00893 0 394989 0 08226	0 1523 0 235333	ŏ	0 0 3172			4 1565 1 134887	ŏ	0 1 1367		2062 31 592		0
0 37238	0 09323 0 049138 0 0033					0 19004 0 200141	0	0 1 1984	0 8812 4 884053 1	1 1172	3 0773 0 000193	ō	0 37 6038	36 4671 909 0462 10	3827 21 823		1
0 03226 0 03073	0 34012 0 000636 0 0468 0 00153 0 098201 0 936			0 0 18382	0 13017 0 257294 0 03944		0				0 5258 6 581223	1	0 5 1566	32 4472 682 8026 2		5 3.500238	1
	0 15214 0 026491 1 2910			0 0 56905 0 1 92787	0 38523 0 063595 0 63182 1 35882 0 520431 0 05815	0 59238 0 002028	0	0 1 1888	12 1844 82.68648 2	2 2294	1 638 2 111759	1	0 27771			8 40 66731	0
0 05217	0 1307 0 03393 0 2659	2 1 02514 0 504441		0 0 43758	1 49029 0 727402 0 98229		0	0 0 4457 0 0 4551			2 3818 0.532009 2.3572 0.53874	0	0 26103			11 27477	ŏ
0 05349	0 00132 0 098332 0 1973	6 0 06856 0 060683			0 28069 0 12725 0 03606		ŏ	D 6 1762			5 4048 5 352794	ŏ	0 0 2401			5 1 500889 5 0 004123	ŭ
0 00816	0 04533 0 072668 0 2900	3 0 09267 0 049386	0	0 0 00753	0 14936 0 238194 0 15193	0 11587 0 272005	ō	0 8 0041			6 5238 11.78282	ŏ	0 0 6504			1 24.55904	ő
0 06164	0 05348 0 06834 0 1415	2 0 14851 D 027686	0	0 0 03414	0 02661 0 373078 0 00691	0 14502 0 242449	0	0 0 6497		0.995	0 12 8 827966	ō	0 2 6091	1 9587 18 99223 1		5 159293	ŏ
0.2511	0 18946 0 015735 0 4217 0 19899 0 013435 0 3556	6 0 28024 0 001201 3 0 06613 0 061887			0 79792 0 025763 0 18844		0	0 2 3734			0.6601 5 910195	0	0 0 8357			4 39 78213	0
	0 03331 0 079293 0 1998			0 0 0 2 1 19	0 81087 0 030088 0 28035 0 00422 0 400931 0 09428	0.09191 0.297571	0	0 0 5592 0 0 1116			6 6968 13 01485	0	0 0 0677		5258 083	30 06008	0
0 00733	0 01147 0 09207 0 178	1 0 02375 0 084768	. 0	0 0 0 5833	0 04136 0 355277 0 78125	0 68899 0 002458	ň	0 0 1116 0 0 0231			7 8337 22 49141 3 4582 0 134697	0	0 5 2464 0 1 5031			1 105 7482 3 11 40688	0
0 00018	0 00715 0 09471 0 7822	1 0 60611 0 064803	0		0 10866 0 279578 0 48437		ŏ	0 3 1772		0 6284	3.35 0 066983	ŏ	0 0 4324			4 61.88485	Ň
	0 39999 0 00724 0 0460			0 0 26459	0 0976 0 291396 0.8683	0.38393 0.064253	Q	0 1.3193	1 8579 1 521003 0	7268	0 0984 8 956788	ŏ	0 7 2209			5 0.632355	ŏ
		0 0 04607 0 07227			0.09009 0.29956 0.01737		0	0 2 1567			2 2212 0 756881	0	0 3 2962			1 30 19934	ō
0 00366	0 01243 0 091488 0 3050 0 00309 0 097225 0 0055				0 11803 0 269757 0 16073		0	0 0.0329			0 9945 4 396106	0	0 6 4543			2 91 93918	0
0 05287	0 04612 0 072243 0 0423		0	0 0 17149 0 1 34268	0 11502 0 272892 0 21287 1 17119 0 28492 0 04398	0.05214 0.342542 0.16889 0.219512	0	0 0 0276	0 0053 9 522713 1 1 6755 2 004176		0 1951 8 387334 0 5584 6 415022	0	0 79187			5 32 11724	0
2 97792	2.92505 6.812883 0.0013	7 0 04097 0 075038		0 0 11378	1 2289 0 349859 0 07639		ŏ	0 17037			5 4719 5 667783	0	0 9 8399 0 4 5693			1 20 3014 4 5 882118	0
1 19821	1 77971 2 145668 0 0259	1 0.02454 0.084309	1	0 0 32877	0 21499 0 17844 0 41654		ō	0 7 5568			6 6712 12 81648	ŏ	0 7 6962			5 25 81582	ŏ
	1 14302 0 685783 0 1667					0 11063 0 277498	0	0 9 9329	2.3761 0.511353 1		1.2016 3.570548	ŏ	0 4 3693	3 3269 8 93895 0		30.2149	ō
0 042	0 01319 0 091029 1 0969 1 97338 2 750556 0 206			0 2 15922	2 15697 2 309059 1 38405	1.07814 0 194242	1	0 0.0259			2 7809 0.096279	0	0 2 1284	2 2409 16 61221 6		0.023259	0
0 26307	1 97338 2 750556 0.206 1 75231 2 066147 0.2400			0 148828 0 056596	0.67094 0.001124 0.12437 0.92232 0.081173 0.78115		0	0 0.001 0 0.7617			1.2071 3 549793	0	0 0 7065			4 28 86599	0
	0 10315 0 044838 0 9905				0.56576 0.005134 0.01322		0	0 0 1617			1 7889 1.695958 6.9407 14.61873	0	0 0 0351 0 14.2253			7 7 268458 2 18 44451	ŏ
0 04044	0 11948 0 038189 0 1017	6 0.88876 0.329315	Ď	0 0 9376	0.9374 0.089993 0.39115		ŏ	0 13.7152			0.6623 5.899504	ĭ	0 0 4071	13 8182 58 27239 0		7 31.34889	ň
0 01114	0 0293 0 081567 0 0851				0.27899 0 128466 0.86441	0 47326 0 026946	Ó				10.2456 51 18559	i	1 7 5538			7 15 82442	ō
0 67781 0 26085	0 66667 8 123742 1 2071 0 41696 0 010416 1 0924	2 1 12196 0 651346	0	1 0 79821		0 10461 0 283877	0				10.7308 58.36365	1	1 1 8561		0473 10 978	9 21 73604	0
0 25085	0.04445 0.073143 0.0091				0 08404 0.30622 0.82263 0 82795 0 036305 0.58721		0				0 1094 8 891068	1	0 0 9831			2 17 10242	0
0 6486	0 4322 0 013759 0 0529				0 20126 0 190228 0.00014		ŭ	0 2 6304 0 3 6625	2 4156 0 456421 1 0321 4 239849 0		2 2538 0 701221	0	0 0 4756			7 80 98 186	0
0 74857	0 09997 0 046195 0 0817				0 19767 0 193372 1 30516		ñ	0 80736			2.3452 0.5565 3.2857 0.037834	0	0 0 7043		7914 15 752 8452 3 853	8 89.03984 8 6.065915	a
	0 73898 0 179844 0 084	2 0.00242 0.097644	ō		3 36656 7 448254 0.21101	1 09417 0 208629	ĭ	0 3.5788			2 7843 0 094181	ŏ	0 4 1274			2 12 47155	ň
0 23855	0 22896 0 007386 0 629			0 0 26231	3 16214 6 374256 0 11545	0 09556 0 293603	1	0 1 4962	2 0826 1.017252 1		0 6022 6 195068	ō	0 1 7104			9 12 44472	ŏ
0 13573 0 38473	0 10282 0 044978 0 185					0.83759 0.040072	0	0 42108			1 0089 4 335929	0	0 0 0047			8 1 446987	0
	0.249 0.004343 0.0554 0.30664 6.8E-05 0.1331				0 17811 0 210958 0 00489 3 66051 9 139127 1 43805	0 94815 0 096559 1 43316 0 633216	•	0 0 0011 0 3 2469		1 0078 0 452	0 8983 4 808784	0	0 049			2 1 33751	0
	0.01694 0.08878 0.098				3 69912 9 374061 0 15739	1.28066 0.413769	- }	0 3 2469			0 5558 6 428199 1 7039 1 924572	0	0 6 1378 0 3 7243			6 22 95088 5 17 38717	0
0 05429	0.04074 0.075164 0.0437					0 44901 0 035495	ò	0 2 2014			0 4401 7 028275	ŏ	0 4 838			0 17 38/17 1 7 395094	0
0 04913	0 00516 0 095939 0 780				0 05373 0 340684 1.57256	0 96616 0 108076	ō	0 0 7664			6 3412 10 56257	ŏ	0 7 2864			1 20 88771	ő
	0 21947 0 009107 0 9688	9 0 18609 0 016592			0.88229 0.059966 0.04488	1 52768 0 792579	0	0 1 0752	0 3088 7 741691	0	8 057 24 65928	0	0 3 5963		3409 1 086	3 27 35717	ō
	0 14819 0 027792 0 0050 1 27774 0 927061 0 2313				0.03079 0.367989 0.00265	0 04223 0.354241	0	0 2 1602		0 573	0.573 6 341278	0	0 0 9 1 3 6			4 20 30681	0
0.05211	134604 106325 0 0002			0 0 10281 0 0 00194	0.06797 0.324263 0.59273 0.10087 0.287876 0.00959	0.58314 0.00224 0.58314 0.002945	0	0 0 3908 0 5 1033			2.2297 0.742164	٥	0 0 0 0 2 2 2			1 66 24971	0
	0 77275 0.209627 0 1996				0.03225 0.36622 0.00722		ů	0 0 1174			1 9053 1 406334 0 7498 5 482104	0	0 28 7999			5 58 01552 8 8 359571	. !
0 01064	0 81422 0 24932 0 5279	3 0 32828 0 000179	ō		1 64144 1 006074 0.37769	0.37047 0.071258	ŏ	0 0 5644			3.8318 0 548504	ŏ				1 2 586926	i
0.25089	0 24025 0.005573 0.363	8 0 16413 0.022732	. 0		1 66953 1 065269 0.4209		ŏ	0 0 6979			0 1758 8 499495	ŏ	0 15 673			1 23 34443	ŏ
0	0.25089 0.004097 0.0042	4 0 35956 0 001995	0	0 0.02729	0 02119 0 379728 0 02315	0 39775 0.057437	ō	0 2.6399	1.942 1 320636 2	2.5263	2 2241 0 751844	ō	0 6 6418		4043 19 553		ō
0.0221	0.0221 0.085732 0.0031				0.01068 0.392817 0.02829		0	0 0 196			7 6285 20 58719	0	0 4 4996			3 147 6126	0
0.01461 0.07533	0 00749 0 094501 0.0388 0 06072 0 064607 0 0328			0 0 44104	0.40309 0.054906 0.25673	0.22844 0 167257	0	0 0.3739			9 8716 45 97397	0	0 3 2812			4 426007	0
0.07533 0.00168	0.07365 0.058202 0.0674				0 44051 0.03877 0.0997 0 57579 0 003797 0 10726	0 15703 0 230766 0 00756 0 396712	0	0 D 4155 0 D 0981		0 425 0 278	0 1418 8 698898 0 147 8 668251	0	0 0 0086			2 0 674875	0
0 64507	0.64339 0.107906 0.0775				0 54294 0 008925 1 11384	1 00658 0 136286	ő	0 00981		1 905	1 627 2 14385	Ö	0 5 4602			2 38 07517 8 7 053846	0
	0 19757 0 013766 0 0023				0 40893 0 052204 0 26846	0.84538 0.043251	ŏ	0 3 7796			1 2141 3 523464	ŏ	0 14 5494			1 3 635153	ŏ
0 23986	0 20764 0 011505 0.0122	6 0 00995 0 092995		0 0 40361	0 0387 0 358455 0 14253	0 12593 0 261613	ō	0 7 5395	3 7599 0 447174 1	1 1635	0 4726 6 85701	ŏ	0 1 163			5 27 96603	ŏ
0 44228	0 20242 0.012652 0 130				0.24538 0 153688 0 00113	0 1414 0 246027	0	0 0 0042			1 0913 3 999557	0	0 4 9712	3 8082 6 292611 0	4497 11 207	9 23 92376	ō
U /1065	0.26837 0.002165 0.9233	io 0 /9/2/5 0:228341	0	0 0 00135	0 15688 0 23091 0.08853	0.0874 0.302512	0	0 10 5704	10 5662 55 87578 1	1 2315	1 1593 3 732196	1	0 6 6046	1 6334 21 93337 11	0326 10 582	9 18 2004	0

		0 09497 0 048369		0		0 14644 0 241053		0	5 3528	5.3233 4 982318	0	4 2571	2 7699 12 57985	
		0 25932 0 003089		0		0 03087 0 367892		0	0 4334	4 9194 3 342354	ŏ	6 4328	2 1757 17 14795	
		0 05094 0 069675 0 05787 0 066064		0		0 07043 0 321468		0	0 3315	0 1019 8 935851	0	0	6 4328 0 013477	
		0.00042 0.098898		0		0 04491 0 351058 0 00578 0 398958		0	5 6596	5.3281 5.003769	o o	5 0368	5.0368 1.638164	
	1 22503	1 22442 0 827227		ĭ		0 00962 0 394122		0	5 9071 4 4398	0.2475 8 086569 1 4673 2 637017	0	3 8022 3 4909	1.2346 25 82782	
	0 00046	1 22457 0 827499		i		0 02508 0 374949		ň	3 3947	1.0451 4 186482	0	8 9614	0 3113 36 06492 5 4705 0 716068	
		0 01717 0 088643		0		0 48412 0 023498		ŏ	3 2128	0 1819 8 463965	ŭ	4 7674	4.194 4.505888	
		0 04667 0 071947		0	0 06054	0 4648 0 029795		ō	0 5642	2 6486 0 195885	ŏ	1 0375	3 7299 6 691574	
		0 41222 0 009471		0		0 04961 0 34551		0	0 0706	0 4936 6 74747	ō	0 0159	1 0216 28 03817	
		0 47079 0 024302 0 39209 0 005958		0	0 02392 1 07898	0 01299 0 389902 1 05506 0 174431		ō	0	0 0706 9 12396	0	0 0446	0.0287 39 53904	
		0 07028 0 059639		0	0 00013	1 07885 0 194868		0	0 0024	0.0024 9.54062	o o	7 4549	7 4103 1 195944	
		0 08186 0 054308		ŏ		0.23638 0 160826		, ,	10.3917 9.014	10.3893 53.26242 1.3777 2.936046	1	0.6217 0.648	6 8332 0.266764 0.2263 37 09307	
		0 21741 0 009504		ŏ	1 03823	0 80172 0 026997		ŏ	8 0367	0 9773 4 468528	9	4 888	4.04 5 183398	
		0 07806 0 056093		0	1 46562	0 42739 0 044109	l .	ŏ	1.3675	8 6692 12 80216	Ď	2 5627	2.3253 15 93134	
		1 00986 0 482969		o		1.26027 0 387953		0	0.09	1.2775 3.289469	å	0 0195	2 5432 14 23936	
		1 0176 0 493787 0 14205 0 029877		0		0 17671 0 212246		0	0.8234	0 7334 5 559171	0	0 1291	0 1096 38 528 19	
		0 05208 0 069074		0		0 37238 0 070252 0 56932 0 004636		0	3 8397	3.0163 0.005608	0	0.3276	D 1985 37 43247	
		0 27702 0 001435		0		0 12912 0 25836		0	1 6323 0.386	2.2074 0 781084	0	0 3861	0 0585 39 16516	
	0 1856	0 1699 0 021025		ŏ		0 21126 0 181588		ř	0.335	1.2463 3.403617 0.051 9.242751	0	1 0902 8 3562	0.7041 31 50137 7 266 0.901156	
	0 0782	0.1074 0.043056		ō		0 59151 0 002107		ŏ	2.7819	2 4489 0 415109		0.6036	7 7526 2.061787	
		0 30913 3.3E-05		0		1 80312 0 932594		ŏ	0 6554	2 1265 0.930626	ŏ	3.6391	3.0355 10 76632	
	0 42803	0 0407 0 075186		0		0 09103 0 298532		Ó	3 8751	3.2197 0.016515	ŏ	1.8806	1 7585 20 77726	
	0 22583	0.2022 0.012701		0	0 04652	1.50398 0 750942		0	0 5449	3.3302 0.057128	ō	2.5543	0 6737 31 84354	
		0 17261 0 020246 0 00786 0 004274		0		0.35846 0.077814 0.26149 0.141317		0	1 3156	0 7707 5 384671	0	0 2135	2 3408 15 80784	
		0 02858 0 081979		ŏ	3 69936	3.55587 8 517402		9	1.5277	0.2121 6.269156	0	0 5718	0 3583 35 50262	
		0 00687 0 094882		ŏ	0.01376	3.6856 9 291455			0.0781	1.4496 2.694816 0.6384 6.516734	9	0 0712 3 1765	0 5006 33 82711	
	0 31889	0 30898 3.5E-05		ŏ	0 08565	0.07189 0.319814		ò	3 0121	2.3956 0.483845	0	2.0218	3 1053 10.31314 1 1547 26.64632	
		0 29612 0 000353		0	0.52762	0 44187 0 038238		ŏ	4 4526	1.4405 2.724775	ŏ	15 5271	13 5053 51 67586	
		0 02347 0 084931		0		0 48221 0 024067		0	0 4883	3.9643 0 762322	Ō	1 1407	14.3864 65 11993	
		0 12188 0 037257 0 07883 0 055729		<u>o</u>		0 50492 0.017554		0	4.0103	3.522 0 185598	0	1 1417	0.001 39.88818	
		0.00134 0.09632		0		0 48276 0 030503 0.99299 0 126436		0	0 3583	3.852 0 314509	o o	5 8442	4 7025 2 605667	
		0 02971 0 081333		ů	1.11886	0.0384 0.358814		0	0.5156 0.6219	0.1573 8.607707 0.1063 8.909564	0	0.0561	5 7881 0.279426	
		0 05137 0 069448		ŏ	0.0005	1.11836 0.231312		ă	0.6219	0.2651 7.986781	0	3.9399 4.0953	3 8838 5 91904 0 1854 37.96171	
		0.55469 0.057499		ŏ	0 12362	0.12312 0.264495		ŏ	0.6971	0 1899 8.41748	ŭ	0 0299	4 0654 5 068387	
	0 00316	0 61782 0 091761		0		0.24313 0 155458		ō	5 1893	4 4922 1.962831	ŏ	5 5317	5 5018 0 664075	
		0 13717 0 031588 0 13879 0 031015		0		0 24973 0 150297		0	0.3554	4 6339 3.03704	Ö	0 1304	5 4013 0.837971	
		0.01374 0.090697		0		0.62433 0.000171		0	3 7837	3.4283 0.113644	0	9.2713	9 1409 7.976062	
		0.7437 0.183869		ŏ	2.01392 0.89367	1.27257 0 403427 1 12025 0 233133		0	0.3789 0.849	3 4048 0 098352 0 4701 6 870109	o o	0 3394 1 8648	8 9319 6.83923	
		0.55417 0.05725		ŏ		0 47005 0.02801		ŏ	1.5418	0 6928 5 752272	0	8 622	1.5254 22.95863 6 7572 0 194033	
		0.1622 0 023317		Ó		1.35892 0.520576		ō	0.2445	1 2973 3 216039	ŏ	5.3383	3.2837 9 199136	
		0 11241 0.041002		0		2 41729 3 167969		1	0.017	0 2275 8 200717	ŏ	0.0184	5 3199 0.993626	
		0 62307 0 094969 0 57015 0 065153		0		1 55695 0 845552		o	0.9991	0 9821 4 448258	0	0 0558	0 0374 39 42971	
		0 13054 0 033989		0		0.81312 0.030874 0.02164 0.379174		0	1.179	0 1799 8 475606	0	0 0331	0.0227 39 61453	
		0.05038 0.069971		ň		0 13794 0.249471		0	0 4023 0 0423	0 7767 5.356861 0 36 7 459395	0	7 5899	7 5568 1 537829	
		0 00418 0 096547		ŏ		0 18911 0 200974		ŏ	0 1983	0 156 8 615337	0	4 7188 29 0967	2 8711 11 87221 24 3779 326 2067	
		0 35708 0 001779		ō		0.33386 0.092143		ŏ	0 0001	0 1982 8 369387	š	0.0159	29 0808 518 2039	
		0 12495 0.036081		0		0.26187 0 141031		ō	1 6767	1 6766 2.001063	ŏ	0.0646	0 0487 39 28792	
		0.00531 0.095846 0.21703 0.009579		0		0.24027 0 157721		o	0.2205	1 4562 2.67319	0	4 6089	4 5443 3 141429	
Sum MR > UCLmr	O 00 101	U.21703 U.U09579		0 415 121	0.01994	0.02523 0.374766	1	0 506 91	4 9244	4.7039 2.600836		1 62	2.9889 11 0743	
Sum X	1984 884		491 3042 S		4124.014		920.9366	506 91 Sum X	19753.38	4771 391	453 10 Sum X	15 39647.91		
X Average	0 247619				0.504495		V20. 8000	X Average	2 452478	4//1.391	X Average	39547 91 4 968908		10041 17
MR Average	0.3149		N	IR Average	0.637411			MR Average	3 091189		MR Average	6 316708		
Normal constant d2 ( n=2 )	1 128			formal constant d2 ( n=2 )	1.128			Normal constant d2 ( n=2 )	1 128		Normal constant d2 (n=2)	1 128		
Normal constant D4 ( n=2 )	3 268			formal constant D4 ( n=2 )	3.268			Normal constant D4 ( n=2 )	3 268		Normal constant D4 ( n=2 )	3 268		
Upper contro limit for X ( UCLx Lower control limit for X ( LCLx				Ipper contro limit for X ( UCLx				Upper contro limit for X ( UCL)			Upper contro limit for X ( UCI	x 21 76866		
Upper control limit MR (UCLmr				ower control limit for X ( LCLx ipper control limit MR (UCLmr				Lower control limit for X ( LCLx			Lower control fimit for X ( LCI	x -11.8308		
MR Standard deviation	0.372561				0 785767			Upper control limit MR (UCLm) MR Standard deviation	3.771874		Upper control limit MR (UCL) MR Standard deviation	nr 20.643 7.650387		
Process standard deviation	0 353553				0 707107			Process standard deviation	3.535534		MR Standard deviation Process standard deviation	7 650387 7 071068		
Gamma d2	0 890672				0.901435			Gamma d2	0.87432		Gamma d2	0 893317		
Gamma d3	1.05376				1.111243			Gamma d3	1 066791		Gamma d3	1 081926		
Gamma D4	4 549322		G		4.698245			Gamma D4	4 660411		Gamma D4	4 633406		
0.5 Alpha=0.5 0.5 Beta=0.5				0 5 Alpha=0.5 1 Beta=1				0.5 Alpha=0.5			0.5 Alpha=0.5			
Proportion MR > UCLmr	0 053605				0 059706			5 Beta=5 Proportion MR > UCLmr	0 055806		10 Beta=10			
Percentage	5 360538				5.970597			Proportion MR > UCLIMI Percentage	5 580558		Proportion MR > UCLmr Percentage	0 057106 5 710571		
ARL for MR	18 65485			RL for MR	16.74874			ARL for MR	17 91935		ARL for MR	17 51138		
												., 5,,50		

1 Alpha=1 0 5 Beta=0 5	MR {MR⊦MR}^2	MR (MRFMR)*2	1 Alpha=1 1 Beta=1	MR (MRIMR)^2	MR (MRLMR)*2	1 Alpha×1			1 Alpha=1				
1 2252	0 07146	2 52468 4 096877	1 1 37167		MR (MRI-MR)*2 0.78731 0.044206	5 Beta=5 0 0 1577	MR (MREMR)*2 MR (MREMR)*2		10 Beta=10	MR (MR+MR)^2		MR (MRI-MR)^2	
0 52487		0 02919 0 222233	0 0 0 48332	0 88855 0 011884 0 35293	0.53068 0.217978 O	0 5 6364	3.3619 17 7865 164.9033 5 4787 0 284801 5 5999 2 238 7 328026		1 10 6679 0 10 5765	0 0914 100 3815		12 9752 8 20675 7 709 5 766997	
0 7399 1 08785		0 17742 0 104449	0 0 0 25879	0 22453 0 597578 0 18885	0 16408 0 694692 0	0 1 2583	4 3781 0.321413 1 7992 3 8007 1 309497	ŏ	0 05787	9 9978 0 012692	1 77	14 961 23 72219	Ö
1 03371	0 34795 0 023304 0 75904 0 05414 0 199332 0 2838		0 0 1 38907	1 13028 0 017614 0 45198		0 0 7456	0 5127 19 64557 3 3207 1 5215 11 72058	ō		21 1776 122 4816	3 165	13 586 12 0794	ŏ
	0 87733 0 141921 1 09984		0 0 0 49134	0 89773 0 009968 0 32673 0 15495 0 709994 0 77299	0 12525 0 760928 0 0 44626 D 303933 0	0 0 7267	0 0189 24 26678 13 5884 10 2677 28 33079	0	0 6 8029	14 9534 23 45409	15 394	12 229 4 488223	Ó
0 133	0 02338 0 227744 1 47197	0 37213 0 016506	0 0 0 89571		0 44626 0 303933 0 1 51255 0 265213 0	0 1 4954 0 5 1774	0 7687 17 44175 1 1073 12 4811 56 79231 3.682 1 595251 3 9747 2 8674 4.316557	0	0 31 3354	24 5325 207 9953	46 972	31 578 460 8554	0
0 13764			0 0 1 12067	0 22496 0 596913 0 08287	2 20267 1 452286 0	0 27701	2 4073 6 440087 5 2683 1 2936 13 33296	0	0 0 327	31 9084 436 724 9 3731 0 543696	4 413 33 738	42 559 1052 908 29 325 369 1986	0
0 77724 0 13154	0 6396 0 019319 0 28184 0 6457 0 021052 1 07395		0 0 0 59543	0 52524 0 223088 2 28157	2 1987 1 442733 0	0 9 9802	7 2101 5 13053 4 0929 1 1754 14 21013	ŏ	0 29593	6 7408 11 35459	14 61	19 128 81 31608	0
			0 0 0 5066 0 0 0 41145				0 2508 22 03582 12 2909 8 198 10 5818	0	0 18 6446	15 6853 31 07887	1 974	12 636 6.378366	ŏ
	0 09209 0 166885 0 1897	0 12888 0 13818	0 0 0 62585	0 09515 0 814347 0 22778 0 2144 0 813342 1 47922	0 02008 0 95547 0 1 25144 0 064454 0	0 0 4879 0 8 866	9 2415 18 45963 0 2726 12 0183 50 03111	0	0 17828	16 8618 45 58063	19 371	17 397 53 0937	0
0 381	0 28638 0 045893 0 09168	0 09802 0 162075		0 38633 0 373604 0 08107	1 39815 0 160471 0		6 3781 2 053682 10 4843 10 2117 27 73779 0 5048 19 71567 0 5298 9 9545 25 09476	0	0 8 3313 D 37 5449	6 5485 12 68754 29 2136 364 9301	12 661	6 71 11 56311	0
0 09507	0 28593 0 046086 1 14085		0 0 0 73483	0 27735 0 518705 0 4192	0 33813 0 43485 0		6 6747 2 991749 1 645 1 1152 14 56762	Ď	D 10 4167	27 1282 289 6036	7 621 31 825	5 04 25 70954 24 204 198 6279	0
0 42174 0 18719	0 32667 0 030254 1 25567 0 23455 0 070786 0 06614		0 0 1 88056	1 14573 0 021954 0 65179	0 23259 0 585182 0	0 0 5627	0.0334 24 12414 3 0078 1 3628 12 83239	Ď	0 0 8608	9 5559 0 307534	8.95	22 875 162 9335	ŏ
D 14584	0 04135 0 210916 0 14701		0 0 0 67209			0 9 3037	8.641 13.66017 0.6898 2.318 6.901301	0	0 9 3 1 6	8 4552 2 739677	3.611	5 339 22 76681	Ö
0 65584	0 51 6 8E-05 0 22715		0 0 0 33206		1 57625 0 460618 0 0 27977 0 515225 0		8 6881 14 01055 3 9949 3 3051 2 689379 2 0842 8 184363 2 4336 1 5613 11,44965	0	0 18 5902	9 3742 0 542075	21 78	18 169 84.94011	0
0 46399		0 21106 0 083837	0 0 0 13122	0 20084 0 634765 0 66254	0 60365 0 155166 0	0 68266	4 1268 0 669505 6 1344 3 7008 1 548115	0	0 3 0231	15 6671 30 87628 1 8783 67 76841	12 122 7 6	9 658 0 204718 4 522 31 23086	0
0 49849 0 94378	0 0345 0 217255 0 31234	0 29625 0 041761	0 0 0 93737	0 80615 0 036638 0 46675	0 19579 0 642838 0	0 25164	4 3102 0 403012 0 1034 6 031 1 179325	ŏ	0 3 3394	2 1946 62.6608	6 688	0 912 84 61162	0
0 3926	0 44529 0 00306 0 07499 0 55118 0 002558 0 42687	0 23735 0 069304	0 0 0 68229 0 0 1 80551		1 25012 0 063786 0		0.7257 17 80277 2 3266 2 2232 7 408373	ō	0 4 7054	1 366 76 46553	5 268	1 42 75.52405	ŏ
0 01359	0 37901 0 014786 0 2986		0 0 1 80551	1 12322 0 01579 0 72597 1 67972 0 46534 1 26573	0.9909 4.4E-05 0 0.53976 0.209582 0	0 5 0267 0 3.8208	3.236 2.920793 28 7197 26 3931 460 0196 1.2059 13.98111 1.5076 27 2121 495 8223	0	1 13.5439	5 8385 1 617876	11.093	5 825 18 36514	0
0 2751	0 26151 0 057167 0 22347	0 07513 0 18103	0 0 0 18923	0 06344 0 872583 0.33344	0.93229 0.00426 0	0 3.5749	1.2059 13.98111 1 5076 27 2121 495 8223 0 2459 22 06185 6 3522 4 8446 0 010087	0	1 10 7295 0 3 5763	2 8144 53 23245 7 1532 8 745371	15 14 28 834	4.047 36 76552	0
0 1871	0.088 0.170244 0.63759		0 0 3.06508		1 12133 0.015319 0	0 2 6496	0 9253 16 15825 1 9567 4 3955 0.301986	ŏ	0 3 4143	0 162 98 97 18	9.975	13.694 12.84178 18.859 76.537	0
1 2465 1 20098	1 0594 0 312251 2 21577 0 04552 0 207103 0 08611		0 0.40885	2.67623 2.817928 0.01074		0 0 3714	2.2782 7 111996 0.089 1 8677 9 469976	ŏ	0 25 8272	22 4129 151 3501	3.35	6 625 12 14841	ŏ
			0 1 0 8464 0 0 0.6888	0 43755 0 313613 1 49086 0 1576 0 705535 3 15328	1 48012 0 232863 0		10 6453 32 49305 8.3612 8.2722 11 07004	0	0 5 2204	20 6068 110 1732	2 974	0.376 94 75966	ō
			0 1 0.99901			0 9 3573 0 3 6007	1 6594 10 79536 16 4371 6 0759 9 80233 5 7566 0.658642 3 8565 12 5806 58 30 189	0	0 14.3867 0 16.0634	9 1663 0 891433	5 097	2 123 63 79948	0
0.5522	0 12585 0 140442 0 14354	1 78067 1 638564	0 1 1 33871	0.3397 0.432782 2.55785	1.60496 0.368933 0	9 5 0668	1 4661 12 10297 10 7327 6 8762 3 729407	ŏ	0 16 0634	1 6767 71 12826 6.72 11 4952	0 911 6 422	4 186 35 09919 5 511 21 15501	0
0 09484 0 28699	0 45736 0.00187 0 11815	0.02539 0.22583	0 0 0 26515		1 61707 0 383791 0	0 1 7377	3 3291 2 611238 4.8241 5 9086 0 928462	ŏ	0 0 9895	8 3539 3 085494	7 94	1 518 73.83032	0
0.26699	0 19215 0 095145 0 01134 0 28026 0 048552 0 72898	0 10681 0 155075 0 71764 0 047104	0 0 0.94706 0 0 3.065			0 0 5531	1 1846 14 14085 17 0841 12:26 53 50875	0	0 28 4538	27 4643 301 1559	16 222	8 282 3.343256	ō
0 11138			0 0 277574	0 28926 0.501691 0 7355	0 72465 0 074461 0 0 30518 0 479392 0	0 10.2238 0 4 1607	9 6707 22 33193 0 0825 17 0016 145 3608	0	1 5 4943	22 9595 165 0979	5.386	10 836 0 526412	0
0 30503	0 19365 0 094222 0.07031		0 0 2 35885	0 41689 0.337179 0.11027	0 62523 D 138631 0	0 0 0827	6 0631 1 250075 13 1538 13.0713 66 03622 4 078 0 751746 6 4773 6 6765 2 997979	Ö	0 4 0714 0 4 9548	1 4229 75 47365 0 8834 85 13859	1.155 3.47	4.231 34.56802 2.315 60.76916	0
1 1 66225 0 17537	1 35722 0 733788 0 40233		0 0 0 79437	1 56448 0.321396 1.71224	1 60197 0.36531 0	0 1.2074	1 1247 14 59494 3.587 2 8903 4 221926	ŏ	0 18 0079	13 0531 8 659146	15 643	12 173 4 254082	Ď
0 19216		0 12123 0 143926 0 02879 0 22261	0 0 1 05581 0 0 1 55307		0.18223 0.664766 0	0 6 5792	5.3718 0.18213 1 1357 2 4513 6 218702	0	0 54.394	36 3861 690 4094	1 718	13 925 14 55074	Ť
0 04241	0 14975 0 1231 1 19657		0 0 0 2111	0 49726 0 250302 0 14578 1 34197 0 118617 1.8904	1 38423 0 149512 0 1 74462 0.558096 0	0 0 6966 0 0.8357	5 8826 0.879033 1 4772 0.3415 21 19251 0 1391 23.09699 0 1968 1 2804 13 42953	0	0 3 6351	50 7589 1652 296	0 715	1 003 82 94578	1
0 46335	0 42094 0 006347 0 35331		0 0 3 44737	3.23627 5.011815 2.92992	1 03952 0 001761 0		15 2536 108.2668 18.8155 18 6187 186,9692	0	0 12 8831	9.248 0 743833 9.2709 0 704857	0 512 2 679	0 203 98 15771 2 167 63.09851	0
0 57553 0 93983	0 11218 0 150875 0.251		0 0 2 69386	0 75351 0 059561 0.02718	2.90276 3.629781 0	0 9.3707	6 7186 3 145541 7 5383 11 2772 40 09634	ŏ	0 0 4263	3 1859 47 94949	5 083	2 404 59 38948	ő
0 93983 0 34845	0 3643 0.018579 0 17587 0 59138 0.00824 1 97083		0 0 0 02715 0 1 0 44265		1.324 0 106562 0	0 2 5032	6 8675 3 695881 0 7624 6 7759 3 352075	ō	0 57474	5 3211 22 93794	32 902	27 819 313 5925	ŏ
0 36048			0 1 0 44265 0 0 0 50995	0 4155 0 338796 0 77987 0 0673 0 865387 2 17198	0.57129 0.181707 0 1.39211 0.155668 0	0 2 6432 0 2 1554	0 14 23 08834 5 0219 4 2595 0 469955 0 4878 19 88692 4 7925 0 2294 22:23719	0	0 6 4952	0 7476 87 65935	0 197	32 705 510 5134	0
0 33208	0 02842 0 222959 0 25729	0 35896 0 020064	0 0 0 50154	0 00841 0.978421 0 18331	1 98887 0.982296 D	0 2 2842	0 4878 19 88692 4 7925 0 2294 22.23719 0 1288 23 1961 2 0982 2.6943 5.065797	0	0 0 7732	5 722 19 25856 0 8428 85 88947	1 596 26 993	1 399 75 88949 25 397 233 8784	0
0 38522 0 08931	0 05316 0 200206 0 26593		0 0 1.01809	0 51655 0 231372 0 64588	0 46257 0 286218 0	0 3 6 1 6 1	1 3319 13 05473 3 4447 1 3465 12 94944	ŏ	0 13604	0 2556 97 11821	0 429	26 564 270,7191	ā
0.08931	0 29591 0 0419 0 06418 0 26319 0 056366 0 29476		0 0 0 27529 0 0 1 98246	0.7428 0.064903 2.44994		0 3.8047	0 1886 22 62365 1.2862 2 1585 7 764764	0	0 6 1806	4 8202 27 98682	8 011	7 582 6 393097	ŏ
0 78853	0 43603 0 00417 0 37451		0 0 1 98246 0 0 2 07609		0 85824 0 019411 0 0 77869 0 048784 0	0 35171 0 17011	0.2876 21 69168 9 6022 8.316 11 36342 1.816 9 790845 0 7474 8.8548 15 28528	0	0 48714	1 3092 77 46213	13 159	5 148 24 62598	0
0 20712	0.58141 0.006529 0.59101		0 0 1 18799		2.22215 1.499617 0	0 53209	1.816 9 790845 0 7474 8 8548 15.28628 3 6198 1 756242 2 8905 2 1431 7 850827	0	0 7 2304 0 12 8653	2.359 60 08509 5 6349 20 03061	0 913 4 065	12.246 4.560542 3.152 48.42013	0
0 06928	0 11784 0 14851 0 49789		0 0 0 82327	0.36472 0.400488 0.88612	0 73988 0.0664 G	0 8.0102	2.6893 5.06833 1.0643 1.6262 9.727117	ŏ	0 0 674	12 1913 4 329906	17 541	13 476 11 32688	0
0 31695 0 09421	0.22767 0.074494 0.7888 0.22274 0.077209 0.5174		0 0 0 18833		2 58812 2 529876 0		5 9331 0 976277 10 1264 9 0621 16 95024	0	0 8 0074	7 3334 7 712048	19 405	1.864 88 00406	ŏ
0 39309	0 29888 0 040693 0 38011		0 0 1.95412	1 76579 0.590175 0.04949 1 74314 0.555887 0 18588	3 42475 5 891244 0 0 13639 0 741617 0	1 0 4767 0 0 067	1 6004 11 18657 3 2088 6 9176 3 891022 0 4097 20 56924 3 1659 0 0429 24 0309	0	0 3 6962	4 3112 33 63139	20 245	0.84 85 94138	0
0 49077	0.09768 0 162349 0 68887	0.30876 0.036805	0 0 0 89651	0.68753 0.09612 1.47815	1 29027 0 065678 0	0 3 1776	0 4097 20 56924 3 1659 0 0429 24 0309 3 1106 3 365143 0 2304 2 9355 4 038221	0	0 29791	0 7171 88 23516 2 9385 51 43697	7 473 10 081	12 772 7 083809 2 608 56 28687	0
0 06281	0 42796 0 005277 0 74065		0 0 1.18602			0 8 8604	5.6828 0.544301 1.5739 1.3435 12.97104	ŏ	0 2 6711	2 6305 55 94976	13 227	3 145 48 50367	ŏ
0 29372 0 90279			0 0 0.9707 0 0 2.43315	0 21532 0.611902 2 58507	2 13536 1 294585 0	0 6.548	2 3124 6 930755 23 7723 22 1984 297 6787	0	1 0 2155	2 4556 58 59684	6 804	4 423 32 34717	ŏ
			0 0 2 43315 0 0 0 84486	1 46245 0.216121 0 22742 1 58829 0 34896 0 21984	2.35765 1.84984 0 0.00758 0.980064 0	0 0 0863 0 4 8005	6 4617 2 30028 2 0059 21 7664 282 9584	0	1 6 0379	5 8224 18 38744	10 082	1 278 78 0123	0
	0 10876 0 153543 0 47503	0.07774 0 178815	0 0 185169		0.06271 0.873947 0	0 0 7364	4 7142 0 053284 8 0254 6 0195 1 15448 4 0641 0 776042 0 7011 7 3243 5 660913	0	0 0 5162	5 5217 21 05669 11 8038 2 867409	10 134 D 885	0 052 101.1726 9 249 0 742109	0
0 14042	0.0753 0 180885 0.02459		0 0 1 40645	0 44524 0 305059 1 20565	1 04852 0 002597 0	0 5 1117	4.3753 0 324595 3.06 2 3589 6 688082	ŏ	0 5 7735	6 5465 12 70179	9 558	8 673 2 066284	0
0.75089	0.61047 0.01207 0.9887		0 0 2 11722		0 19691 0 641043 D	0 1 1354	3 9763 0 938443 0 2092 2 8508 4 38581	õ	0 8 101	2 3275 60 57443	43 819	34 261 583 2487	ŏ
0 39779 0 00187	0.3531 0.021758 0.05305 0.39592 0.010959 1.2374		0 0 1.37184 0 0 0.0889		0.7706 0.051512 0 1.51839 0.271262 0	0 1 1881	0.0527 23 93492 0 4756 0 2664 21 8896	0	0 11 1407	3 0397 49 99561	0 358	43 461 1112 259	ō
0 32956	0 32769 0.0299 0 1003		0 0 0.0889	0 17864 0 870633 1.28432		0 2.3676 D 11.6813	1 1795 14 17924 0 8618 0 3862 20 78298 9 3137 19.08525 1 1758 0 314 21 44646	0	0 21 2175	10 0768 0 001133	8 505	8 147 3 855165	0
0 74972	0 42016 0 006472 0 30044	0 20014 0 09028	0 0 0 46542	0 19788 0.639491 D.3884	0 89592 0 010331 0	0 8 5507	3.1306 3.292166 0.8227 0.3531 21.08585	Ö	0 96 4203	15 8461 32 8976 91 0489 6551 031	5 994 7 984	2 511 57 75175 1 99 65 94163	0
0 22881 0 16444	0 52111 0 00042 0 67715		0 0 0 70668		0 15968 0 702046 0	0 11.96	3 4093 2 358475 3.378 2 5553 5 7 10822	ŏ	0 36 6717	59 7486 2463 945	0 479	7 505 6 788408	- 1
0 16444 0 23903	0 06417 0 190476 2 06095 0 07459 0 181489 0 42172		0 0 1 40382 0 1 1 14865		0.24579 0.565161 G		10 0708 26 27349 1 7529 1 6251 11 02195	ō	0 4 5885	32 0832 482 8014	15 332	14 853 22 49171	ó
			0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		0 53558 0 213427 0 1 39476 0 157767 0	0 13679 0 5 6609	0 5213 19 56941 13 0846 11 3317 40 78952 4.293 0 425147 7 075 6 0096 1 133304	0	0 0 9665	3 622 42 10008	12 015	3 316 45 18465	0
0 4578	0 43354 0 004498 0 46268	0 07799 0 178604	0 0 0 59506		0 60566 0 153587 0	0 2 6627	2.9982 3.790157 11.7324 4.6574 0.082733	0	0 6 2553	5 2888 23 24838 13 2899 10 10886	1 431 0 963	10 585 0 225191 0 468 92 97698	0
0 49644	0 03864 0 213412 0 05937			0 01524 0 964956 0 34883	1 27814 0 078724 D	0 7 0985	4 4358 0 259318 3 7261 8 0063 9 371358	ŏ	0 51995	14 3457 17 93728	7 765	6 802 10 94589	ŏ
0 13608 0 46389	0 36036 0.019669 0.59258 0 32781 0.029858 0 45268		0 0 4 37295 0 0 0 62802		2 37721 1.90343 1		11 5502 43 62824 10 7741 7 048 4 422472	ō	0 12 527	7 3275 7 744852	2 057	5 708 19 38163	ŏ
A 40303	U 40200 U 40200		0 0 0 02802	3 74493 7 548033 1 28631	1.439/3 (/ 190013 1	0 1.7315	16 9172 143 3328 1 6963 9 0778 17 07977	1	0 3 9466	8 5804 2 341076	7 064	5 007 26 04528	0

		0 07049 0 185		0	0 53945	1 25489 0 066218		0	11 7813	10 9496 36 05483	0	15 7716	9 6943 0 173187
		0 16531 0 112423				0 24617 0 564589		ō	9 4845	2.2968 7.013136	ŏ	6 1942	9 5774 0 28415
		0 24613 0 064758				0 50487 0 242745		0	2 8367	6 6478 2 899417	ŏ	3 1325	3 0617 49 68498
		1 09137 0 349002 0 27152 0 05248				0 79722 0 040137		0	0 1275	2.7092 4 998948	0	2 7743	0 3582 95 10652
	2 17714	0 742 0 058271		0		1 60364 0 367331		0	0 1984	0.0709 23.75717	0	0 478	2 2963 61 06106
		2 00679 2 268591		•		1 17713 0 032245		o o	1 7445	1 5461 11 55274	0	28 3578	27 8798 315 7495
		0 23452 0 070802				0 33322 0 44135 0 26597 0 535226		0	0 1567	1 5878 11.27101	0	8 2077	20 1501 100 7944
	0 17197	0 2329 0 071666				0 34061 0 431585		0	6 9385 6 3904	8 7818 14 72078	0	3 9984	4 2093 34 82366
		0 16334 0 113748				1 03537 0 001429		ų,	16 1293	2 5481 5 745286 9 7389 22 98116	0	4 0203	0 0219 101 779
		3 18447 7 203127				0 72441 0 074612		ŭ	5 8588	10.2705 28.3606	0	23 6567 2 0488	19 6364 90.74358 21 6079 132 1912
		2 4282 3 71562		1	0 33544	0 1296 0 753357		ŏ	2 4937	3 3651 2 496187	ň	1 2431	0.8057 86 57851
	0 0069	0 758 0 066252		0	0 41341	0 07797 0 845649		ŏ	9 4494	6 9557 4 042783	ň	54 482	53 2389 1860 063
		1 22832 0 529568		0		0 58729 0 168323		ō	2 6742	6 7752 3 349513	ŏ	7 5993	46 8827 1352 198
		1 22817 0 52935				1 98093 0 967013		0	0 0579	2.6163 5 422996	ō	11 3126	3 7133 40.92362
		0 19097 0 095874 0 01384 0.236941				1 78104 0.613838		0	5 9979	5 94 0.96996	0	5 2288	6 0838 15 21397
		0.31347 0.236941			0 66 169	0 5389 0 21037		0	2 5392	3 4587 2 209185	0	6 9378	1 709 70 58449
		0 45682 0 001917		0		1 95457 0 915865 2 30716 1 715048		9	3 7645	1.2253 13.83641	0	2 2875	4 6503 29 81332
		0 07768 0 178866		0		0 99762 3 4E-09		0	1 4284	2 3361 6.80653	o o	1 7632	0 5243 91 89441
		0 07559 0 180638				1 22155 0 050171		0	11 809 0.5343	10 3806 29 54539 11.2747 40 06469	0	7 4464	5 6832 19 60061
		0 23682 0 069583				0.51642 0.231497		Ď	4 5574	4 0231 0 84996	0	0 6837	6 7627 11 20748
		2 13963 2 686401				0 55321 0 197448		ă	15.187	10 6296 32 31431	ŏ	8 5865 7 7584	7 9028 4.873751 0 8281 86 18215
		2 36169 3 463635				0 14567 0 725719		ŏ	6 1713	9 0157 16 57033	ŏ	30 5315	22 7731 160 3425
		0 86691 0 134179		0	0 75089	0 55684 0 194236		ŏ	0 1831	5 9882 1 088198	ŏ	20 2282	10 3033 0.037188
	0 91679	0 0078 0 242858			0.22359	0.5273 0.221148		o	12 7485	12 5654 58.07	ŏ	2 5713	17 6569 56 9488
	0 98749	0 0707 0 184819				0.05514 0.868158		0	0.2355	12.513 57 27413	ō	13 0632	10 4919 0 145498
		0 91855 0 174677 1 10243 0 362192			1 24905	1.0806 0 006895		0	2.5131	2.2776 7 115197	0	14 4679	1 4047 75 79021
		0 95051 0 202504		0		0 45064 0.299123		o o	7 7565	5 2434 0 089023	0	5 4947	8 9732 1.293354
		0 06319 0 191333				0.60381 0.15504 1.04967 0.002715		0	2 5203	5 2362 0.064778	0	5 8641	0 3694 94 8882
		0 53195 0 000982				0 75903 0 056897		0	1.379	1 1413 14 48838	0	20 1518	14.2877 17.44936
		0 77579 0 075726		ő		0 87866 0.014617		ŏ	2 1505 2 1011	0 7715 17 41837 0 0494 23 96722	0	10 2768	9.875 0.05544
		1 17828 0 456536		ŏ		1 13888 0.019971		0	0 7066	1.3945 12 60628	0	4 0692 1 8054	6 2076 15.2323 2 2638 61 57003
		0 0894 0 16909				0 19995 0.636184		ŏ	1 0677	0.3611 21.01244	ŏ	21 1639	19 3585 85.52629
		0.88009 0 144008				0 83867 0 025247		Ď	1.7827	0 715 17 89318	ĭ	13 8534	7 3105 7.853761
	0 3388	0 0869 0 171152				0.82083 0.031234		Ō	2 2495	0 4668 20.05457	ă	0 4468	13 4066 10.86456
		0 22488 0 076025				1.92973 0 868938		0	5 1499	2 9004 4 180523	ō	9 431	8 9842 1.268456
		0 41279 0 007712 0 21735 0 080234				0 45448 0 294938		0	1 8388	3 3111 2 669736	0	4.0499	5 3811 22.36682
		0 25458 0 080529				0 35588 0 411755		o o	0 3976	1.4412 12.27684	0	2.927	1 1229 80 77619
		0.51348 0.000166		0		0 15152 0.715786 0 91898 0 006175		0		38.4606 993.231	1	13 8225	10 8955 0 616292
	0 04834	0 061 0 193253				1 48374 0 236369		0	4.9208 4.7458	31.9374 728 5879	1	10 0011	3 6214 39 55224
		0 51736 0.000281		ŏ		1.64754 0.422472		0	0.9437	0.175 22.75321 3.8021 1.306295	0	32 0517 14 4696	22 0506 142.567 17 5821 55 82544
	0 79135	0.22565 0 075601		ŏ	1.2926	0.4378 0.313333		ň	12.3185	11.3748 41.34191	0	1 5764	12 8932 7 743657
		0 52231 0 000471		G		0.34991 0.419453		ŏ	10 1961	2 1224 7 967255	ŏ	3 8386	2.2622 61.59514
		0 14846 0 124007		o	0 1309	1 51181 0 264451		ō	4 3252	5.8709 0.85723	ă	14 9137	11 0751 0.930535
		0.09018 0 168449		0	0 2774	0 1465 0 724306		0	10.6762	6 351 1 978744	ŏ	6 6374	8 2763 3.364133
		0 20393 0 088016		0	1 5064	1.229 0.053564		0	5 1656	5 5106 D 319866	0	1 5884	5.049 25 61835
		0 15369 0 120351 0.35631 0 020621		0	4.0778	2.5714 2 476967		o o	1.93	3.2356 2.92216	0	21 431	19 8426 94 7146
		0.30031 0.020021		•		2.67617 2.817726 0.53024 0.218389		0	1.922	0.008 24 37429	0	2 1112	19 3198 84 81199
		1 73325 1 519412		Ÿ		0.00459 0.985993		0	1 8147 18.353	0 1073 23 40366 16 5383 134.4038	0	4 2015	2 0903 64 32292
		1 94199 2 077589				1.88452 0 786695		Ď	9.0938	9.2592 16 61204	1	2 6887	1 5128 73 91971
		0 00472 0 245903				0 21312 0 615349		ŏ	0.3169	8 7769 14 68321	ŏ	4 4778 0 2283	1 7891 69 24499
	2 59614	2 00373 2 259383		i		0 15958 0 702213		ŏ		20.8315 252.3798	ĭ		4 2495 34 35082 22 2259 146 784
Sum MR > UCLmr				331 65				307	79		327 88		*******
Sum X	4003.54		962 3167 Sun		3114 779		2092.696	Sum X	39492.28	10079 35	Sum X	79849.85	19790 97
X Average	0 496586				1.020747			X Average	4 957163		X Average	9 964083	
MR Average Normal constant d2 ( n=2 )	0 500606 1 128				997562			MR Average	4.945033		MR Average	10 11046	
Normal constant 02 ( n=2 ) Normal constant 04 ( n=2 )	1 128 3.268			mal constant d2 (n=2) mai constant D4 (n=2)	1 128			Normal constant d2 ( n=2			Normal constant d2 ( n=2 )	1 128	
Upper contro limit for X ( UCLx				maiconstant U4 (11=2) Her contro limit for X (UCLx 3	3.268			Normal constant D4 ( n=2 )			Normal constant D4 ( n=2 )	3.268	
Lower control limit for X ( LCLx				er control limit for X ( LCLx :				Upper contro limit for X ( U Lower control limit for X ( Li			Upper contro limit for X ( UCLx		
Upper control limit MR (UCLIM				er control limit MR (UCLmr 3				Upper control limit MR (UC			Lower control limit for X ( LCLx Upper control limit MR (UCLm)		
MR Standard deviation	0 497898				000811			MR Standard deviation	5 0334		MR Standard deviation	10 0519	
Process standard deviation	0.5			cess standard deviation	1			Process standard deviation			Process standard deviation	10 0519	
Gamma d2	1 001211				997562			Gamma d2	0.989007		Gamma d2	1 011046	
Gemma d3	0 995795				1 000811			Gamma d3	1.00668		Gamma d3	1 00519	
Gamma D4	3 983771		Gan		4 009771			Gamma D4	4.05361		Gamma D4	3 982624	
1 Alpha=1 0.5 Reta=0.5				1 Alpha≃1				1 Alpha=1			1 Alpha=1		
Proportion MR > UCLmr	0 039604			1 Beta=1				5 Beta=5			10 Beta=10		
Percentage	3.960396				0.038604			Proportion MR > UCLmr	0 041504		Proportion MR > UCLmr	0 036704	
ARL for MR	25.25				3.860386 25.90415			Percentage ARL for MR	4 150415 24 09398		Percentage	3 670367	
			7410					CAN'T WILL	24 09398		ARL for MR	27 24523	

1.5 Alpha=1.5																
0.5 Beta=0.5		MR (MRI-MR)*2		1 5 Alpha=1 5 1 Beta=1	MR (MRI-MR)*2	MR (MR+MR)*2		1 5 Alpha=1 5 5 Beta=5	MR (MR+MR)^2	MR (MRI-MR)^2		1.5 Alpha=1.5	MR (MRLMR)*2			
1 27555	0 315	571 0 13868 0 241346		0 0 3433	2 6485	1 6388 0 14818		0 3 0725		10.9265 20.81162		10 Beta=10 0 20 515		971	MR (MR⊩MR)^2 3 947 76 72082	
1 14682 1 31959		111 2 0554 2 031907	0	0 0 1862	0 1571 1 202878 0 5822	2 0663 0 660062	0	0 5 017	1 9445 19 53662 8 9714	4 8436 2 313212	0	0 6 824		846	4 125 73 63429	0
0.58622		908 1 92203 1 66947 221 1 17302 0 294925	0	0 01115	0 0747 1 390414 1 7435	1 1613 0 008567	0	0 2 7653	2 2517 16 91533 3 6876	5.2838 1.167966	o	0 32 822		941	13 095 0 151288	0
0 85396			0	0 1 4532 0 2 2055	1 3417 0 007716 1 5305 0 7523 0 25156 5 5085	0 213 1 083385 3 978 7 42095	0	0 12 8696 0 18 5913	10 1043 13 98592 14 7448 5 7217 0 413224 18 05	11 0572 22 0212 3 3052 9 359468	0	0 44 674		118	15 823 9 715425	0
0 07728	0 77868 0 02153 0 27	702 0 16649 0 214795	ŏ	0 0 909	1 2965 0 001818 2 3662	3 1423 3 566213	ŏ	0 11 048	7 5433 1 389511 2 7892	15 2608 79 14371	0	0 3 596 0 61 966		533	8 415 18 41304 5 161 56 92766	0
	0 58744 0 001807 0 114	468 0 15552 0 225084	0	0 1 0206	0 1116 1 304753 0 1474	2 2188 0 931113	ŏ	0 1 0505	9 9975 13 19851 10 6627	7 8735 2.277006	ŏ	0 45 976		25.31	15 938 10 44555	ò
0 22639	0 43833 0 036718 0 188 0 03531 0 353597 0 696	879 0 07411 0 308958	0	0 0 656	0 3646 0 79078 1 0568	0 9094 0 118651	0	0 5 4074	4 3569 4 030557 5.6873	4 9754 1 929667	Ō	0 48 18		487	28 177 239 3505	ŏ
0 45093		034 U 0U/00 U 014982	0	0 16271 0 29671	0 9711 0 079952 1 1913	0 1345 1 252962	0	0 5 4047	0 0027 40 47281 3.6174	2 0699 18 4438	0	0 82		264	46.223 1123.386	0
0 9134	0 46247 0 02805 0 591	169 0 20957 0 176719	ŏ	0 21384	1 34 0 00742 0 9491 0 8287 0 180759 2 5688	0 2422 1 023452 1 6197 0 13384	0	0 7 07 0 5 3147	1 6653 22 08271 11 8126 1 7553 21 24495 12 5233	8 1952 3 351372 0 7107 31.96573	0	0 10 234 0 5 422		7 493 5 65 1	0 229 155 6766 1 842 118 0274	0
0 25192	0 66148 0 000994 1 236	502 0 64433 0 000207	Ö	0 0 6873	1 4511 0 038904 1 3087	1 2601 3 9E-05	ō	0 14036	3 9111 6 019293 6 0934	6 4299 0 004274	ŏ	0 0888		3 001	0 431 150.6767	0
0 19727			0	0 0 6844	0 0029 1 564896 0 4357	0 873 0 145053	Ō	0 8 4861	7 0825 0 515489 9 3954	3 302 9 379058	ō	0 5 206		3 477	17 395 21 98632	ŏ
0 71153 1 24352			0	0 0 1332 0 1 2041	0 5512 0 493728 1 2639 1 0709 0 033474 1 5228	0 8282 0 181185	0	0 4 1246	4.3615 4.012108 3.5214	5 874 0 240614	0	0 7 549	2 443 105.33	6.8	16 677 15 7685	0
1 99225			D	0 13332	1 0709 0 033474 1 5228 0 1291 1 26508 1 9487	0 2589 0 989941 0 4259 0 685514	0	0 23.9146 0 1.7562	19 79 180 2434 6 5101 22 1584 249 4465 5 5072	2.9887 11 39619 1 0029 28 74702	0	0 31 152		6 28	1 48 126,024	0
0 59073	1 40152 0 59532 2 035	557 1 81199 0 964402	ŏ	0 17453	0 4121 0 708556 0 5877	1 361 0 011479	ŏ		0 7511 31 51054 0.4734	5 0338 1,770828	ò	0 2312 0 1891		1 127 1 588	0 153 157 5789 3.539 84 03467	0
0 16057			0	0 3 5331	1 7878 0 285094 1 416	0 8283 0 1811	ō		11 6183 27 60215 15 3391	14 8657 72 26998	õ	0 15 025		755	41 167 810 0261	ŏ
1 68 0 42629	1 51943 0 791174 0 175 1 25371 0 389076 0 266		0	0 1 4757	2 0574 0 84568 1 0003	0 4157 0 702509	0	0 18 0718	3 9462 5 848294 0 4866	14 8525 72.04572	0	0 10 51	4.215 72 0978 4	6.665	0.91 139 1466	ŏ
1 38486			Ů	0 1 2701 0 0 408	0 2056 1 098845 1 1208 0 8621 0 153474 0 8338	0 1203 1 284954 0 2868 0 935201	0	0 8 6654 0 17 5062	9 4064 9 253005 8 0615 8 8408 6 131939 12 2434	7 5749 1 465008	0	0 33 827		3 702	32 963 410 3443	0
0 11288	1 27198 0 412202 0 412		ŏ	0 17754	1 3674 0 012892 1 3814	D 5476 0.4988	0		8 8408 6 131939 12 2434 16 6012 104 7895 4.1282	4 1819 4 763851 8 1152 3 064864	0	0 2003		2 225 3 383	16 523 33.837 18 842 37 64998	0
1 66565			0	0 0 6218	1 1536 0 010062 3.0478	1.6664 0 170191	ŏ	0 2 0509	1 1459 27 23404 12 504	8.3758 4.045228	ŏ	0 3 434		1091	14 708 4 007834	ŏ
0 05072 0 33073			0	0 03114	0 3104 0 890113 1 5217	1 5261 0 074116	0	0 2 4601	0 4092 35 46589 14 7476	2.2436 16 98202	ō	0 14 451		387	9 704 9 012259	ŏ
1 477			ō	0 2 1474	1.836 0.338889 0.5612	0 9605 0 086059	0	0 5 5682	3 1081 10 6043 1 6463	13 1013 45 38414	0	0 5 445		6 12	12 267 0 192758	0
0 15762		498 0 68329 0 002845	ŏ	0 1 1813	1 1461 0 011612 0 0174 0 18 1 153171 1 1536	0 5438   0 504182 1 1362   0 013843	0	0 6 8054 0 7 6844	1.2372 26 28946 11 8209 0.879 30 09096 7 5616	10 1746 14.51667 4 2593 4.431971	0	0 1 004 0 4 324		763 3 573	4 643 65 01265	0
0 24691		004 0 59506 0 001217	ō	0 1 5448	0 3635 0 792737 0.4006	0.753 0 250859	ŏ	0 8 6034	0.919 29 65374 9 3444	1 7828 20.9922	ŏ	0 8.054		387	22.81 102.09 23 186 109 8295	ň
1 61527			0	0 17422	0 1974 1 116103 0 5879	0 1873 1 137546	ō	0 11 5208	2 9174 11 88267 9 2353	0.1091 39 13034	ō	0 724	0 814 141 4207 70	109	59 722 2210.5	ŏ
0 29236 0 08964	1 32291 0 480193 0 372 0 20272 0 182526 1 275		0	0 0 5343 0 1 6599	1 2079 0.002112 0.8825	0 2946 0 920176	0	0 7 4307	4.0901 5 173008 4 6222	4 6131 3.067488	o	0 8 096		1799	28.31 243 4835	Ō
0 32463			ň	0 0.6561	1 1255 0.01645 0.811 1 0038 0 082529 3.8073	0 0715 1.39797 2.9963 3 036104	0	0 6 2459 0 6 8557	1 1848 26 82955 7 4725 0 6098 33 11686 1 763	2.8503 12.34978 5.7095 0.429057	0	0 12.083		403	28 396 246.1748	0
1 00888	0 68425 0 002948 0 514	476 0.21653 0 170916	ŏ	0 0 4555	0 2006 1 109352 3 1526	0 6547 0 35899	ŏ	0 28193	4 0364 5 420165 5 8457	4 1827 4 780359	0	0 34.854 0 9.849		151 1965	3 252 89 37892 1 814 118 6366	0
1 38696	0 37808 0 063439 0 383		0	0 3.3054	2 8499 2.54735 0.8805	2 2721 1 036817	ā	0 2 3024	0.5169 34 19471 6 7127	0 767 31 33228	ŏ	0 5 421		059	2 094 112 6154	õ
2 47541 0 29171			0	0 0.5966	2 7068 2 116856 3.542	2 5615 1 981456	0	0 4 0863	1 7839 20 98212 5.5478	1 1649 27 0361	0	0 25 786	20 365 58 65963 2	996	7 937 22 74377	ō
0.29171			1	0 0 1738 0 1 7297	0 4228 0 690657 0.9899 1.5559 0 091229 0.5755	2 5521 1.685432 0 4144 0.70469	0	0 15.2386 0 18.0768	11 1503 22 90365 15 8991 2 8402 12 42086 4 5209	10.3513 15 89438 11 3782 25 13694	0	0 2518		107	20 889 66 9608	0
0 49305			ŏ	0 5.0532	3 3235 4 283418 0 3829	0 1926 1 126268	ŭ	0 9 1245	8 9523 6 696581 11 9391	7 4182 1 110232	0	0 22.98		3.828 7.758	2.721 99 70107 3.93 77 01892	Ď
0 12219			0	0 1.9047	3 1485 3 589668 3 1731	2 7902 2 360347	ō	0 11 7824	2 6579 13 73907 2 6706	9 2683 8 431911	ŏ	0 20 672		1 431	16.673 15 73675	ŏ
1 26395 0 72737		104 0.83253 0.041039	0	0 1.6415	0 2632 0 981403 2 3621	0.811 0.196123	0	0 13 6624	1.88 20 11096 3 8138	1.143 27 26432	0	0 12 011		987	13 464 0.5745	ō
0 47865	0 24872 0 145336 0 386		0	0 1 236 0 0 1649	0 4055 0 719711 0.6371 1.0711 0.0334 0.5337	1.525 0.073518 0.3034 0.90337	0	0 15 7571 0 1.0813	2.0947 18.2314 4.0413 14.6758 69.0773 7.3372	0 2275 37 66307 3 2959 9 416458	0	0 18 35 0 3 139	6 339 40 53923 1	354	0 387 151.7588	0
0 87457	0 39592 0.05477 0 572	262 0 18593 0 197154	ŏ	0 0 4709	0 306 0 898435 0 7653	0.2316 1.045011	ŏ	0 3 5614	2 4801 15.08878 1.8488	5 4886 0 767244	Ď	0 3 139		5 406 7 618	4 051 74 90976 12 213 0 243091	0
1 45868	0.58411 0.002101 0.215		0	0 2 1786	1 7077 0 205973 0 6817	0.0836 1.369504	ō	0 2 5695	0 9919 28 8651 19 2709	17 4223 122.2744	ŏ	0 11 602		1 686	15 732 9 156419	ŏ
0 36547 0 64184			0	0 0.6501	1 5285 0.075428 0 5191	0 1626 1 190844	0	0 9.5561	6 9866 0 386978 3 9852	15.2857 79 58737	0	0 915		442	8 444 18 16501	ō
0 4149			ū	D 0 2707	0.2738 0.960514 3.5784 0.6532 0.36079 2.5325	3 0593 3 259621 1 0459 0 043247	0	0 8 1683 0 3 2418	1 3878 24 76779 18.3559 4.9267 2.06734 6.3674	14.3707 64 09884 11.9885 31.6291	0	0 13 554		5.067	1 625 122.7895	0
0.0993	0.3156 0.098816 0.65		ŏ	0 14675	1 1968 0.003256 3.9782	1 4457 0.036803	ŏ	0 2 1042	1 1374 27 32283 6 5629	0 1955 38.05687	0	0 10.833 0 4.158		18.35 2.516	13.283 0.33288 5.834 47.22497	0
1 15037			Ö	0 1 3348	0 1327 1.256995 0.9951	2.9831 2.990278	ō	0 79687	5.8645 0.250025 2.8711	3 6918 7 143457	ŏ	0 12 383		3 686	1 17 133.0803	ă
0 10912 0 22725			0	0 1.2626	0 0722 1 396316 2 3322	1 3371 0 006929	0	0 1 0027	6.966 0.361773 1.5085	1.3626 25.01925	0	0 25 403	13 02 0.098569	808	9 078 13 16269	ō
0 22723			Ů	0 3.3263 0 4.7625	2.0657 0.659087 0.7272 1.4342 0.032523 0.5112	1 605 Q 123301 0.216 1.077149	0	0 7 1163 0 6 1063	6 1136 0 062963 6 9411 1 01 28 67093 2.0794	5 4326 0 868484 4 8617 2 258482	0	0 23 354		637	5.029 58.93698	0
0 95947	0 63165 2.9E-06 0 190	033 0 23987 0 152163	ā	0 3 4762	1 2863 0 001052 0 2786	0.2326 1.042968	ŏ	0 0 6135	5 4928 0 759904 1.8339	0 2455 37 44246	ŏ	0 29 33 0 3 351		3 267 1 455	8.63 16.61412 6.812 34.73974	0
0 42066	0.53881 0.006307 0.034		o	0 0.0128	3 4634 4.882076 1 1088	0.8302 0 179486	Ò	0 9 1357	8 5222 4 655563 11 1787	9.3448 8.882041	ŏ	0 12 497		744	6 711 35 94053	ŏ
0 84857 0 1811	0 42791 0.04082 0 445 0 66747 0 001408 0 825		٥	0 16136	1 6008 0.120369 1 9298	0 821 0 187366	0	0 2.8535	6.2622 0.006777 3.9589	7 2198 0 731496	0	0 14 455		7 235	2 491 104 3471	ŏ
0 23022	0 04912 0 337364 0 04	613 0.78419 0.002335	V	0 4.3748 0 0.5109	2 7612 2.27208 0 4954 3 8639 6.812319 0.6699	1 4344 0.032595 0 1745 1 165014	0	0 4.0414 0 0.793	1 1879 26 79744 9 4285 3 2484 9 710233 10 4523	5 4696 0 80089 1 0238 28 52334	0	0 4 278		803	3.568 63 50382	0
0 96817			ŏ	0 0.2937	0.2172 1.07466 0.3843	0 2856 0.937523	ŏ	0 07104	0 0826 39 46258 0 79	9 6623 10 87532	0	0 29 03 0 50 723		7 691 3 552	3 112 92 04565 15 861 9 953757	0
0 59974			0	0 0 9959	0 7022 0 304327 1 9604	1 5761 0.10384	ŏ	0 4.248	3 5376 7 991503 4.616	3 826 6 444108	ŏ	0 12 028		5 832	32.28 383 1398	ŏ
0 23682 1 55982			0	0 1 4158	0 4199 0 895486 1.0632	0 8972 0 127205	0	0 6 127	1.879 20 11993 1 7436	2 8724 12 19493	0	0 35 962		252	34 58 478 47	ŏ
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0 71999	0.05423 0.331454 0.259		0	0 16129	0 7325 0 271814 2 5587	0 0241 1.512305	0	0 13 4183	6 8436 0 229513 14 8201	9 0758 7 351014	ō	0 28 908	20 017 53 4501 3	1 406	19 515 46 3619	ŏ
0 37128 0 57378			0	0 0.9717	0 6412 0 37535 1 3896 0 2373 1 03339 1 0836	1.1691 0.007184 0.306 0.898435	0	0 4 0551	9 3632 8 992054 12 7226	2 0975 18 2075	0	0 32 91		8 427	24 979 150 6255	o
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0 52592	0.35092 0.077858 0.234		ō	0 1.6064	1 0589 0 038009 1 221	1 0548 0 039704	ŏ	0 11 5317	2.5375 14 64612 11 0538	0 7237 31 8189	ő	0 3 129		5 135	6 305 40 97334	0
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1 480			0 0 4411 0 0 2911	1 0724 0 032927 0 15 1 218502		0	2 3579 15 1303	0 3005 36 7724		0	5 886	0.212 156 1011	
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0 2483			0 2 8301	1 246 6 2E-05		ŏ	9 7305	6 1776 0.034941		ů	12 004	15 626 8 526152	
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1 4920			0 1999	0 3 0 909845		ŏ	12 0196	1 3545 25 10035		ŏ	1 428	0 839 140 8267	
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0 1736	9 0 21001 0 17635		0 2 1599	1 3077 0 002899		ě	2.0922	7 7045 1 795534		,	4 134	0 674 144 77	
	5 0 91706 0 082432		0 1.243	0 9169 0 113541		ŏ	3 1824	1 0902 27 8185		ŏ	27.68	22 872 103 3467	
	9 0 23285 0 157689		0 0 1446	1 0984 0 024167		0	11 1565	7 9741 2 590733		ō	10 534	17 146 19 71322	
2 6543 2 6543	7 0 01243 0 381331 3 1 80886 1 389828		0 0.335 0 0.166	0 1904 1 130943 0 169 1 176917		9	19 7827	8.6262 5 115175		o o	3 847	6 687 36 22887	
0 1707			1 0.8913	0 7253 0 279374		ŏ	2 8746 11 3847	16 9081 111 167 8 5101 4 603493		0	2 818 4 456	1 029 136 3533	
1 0406	9 0 86996 0 057605		0 1457	0.5657 0.473561		ŏ	8.7935	2.5912 14.23798		0	13 194	1 638 122.5016 8 738 15 74536	
0 690	7 0 34999 0 078378		0 3.0771	1 6201 0 134133		ŏ	0.6146	8 1789 3 291958		ŏ	19 216	6.022 44.67642	
3 769			1 2 8835	0 1936 1 124147		0	11 0271	10 4125 16 3861		ō	26 184	6 968 32 92513	
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0 1011			0 1.6527 0 0.9997	0.4801 0.598701 0.653 0.35103		0	2 9476	1 842 20 45323 12.5833 38 67317		0	5 443	6 102 43 61338	
0 8698			0 2 2391	1.2394 0.000209		ŏ	15.5309 0.3406	15 1903 77 89431		0	6 688 9 517	1 245 131.3555 2 829 97 55597	
0 2749			0 1.5114	0 7277 0 276842		ŏ	1 541	1.3004 25.64536		ŏ	1	8 517 17 54808	
0 4523			0 3.2384	1 727 0.223863		0		11.6943 28 4065		ŏ	11.869	10 869 3.374725	
0 8928 1 3356	7 0 44055 0 035872 5 0 44278 0 035033		0 0 703	2.5354 1.64235		o o	9 7819	3 5534 7.902422		0		28 111 237 3127	
	8 0 89649 0.071044		0 1.3488 0 1.1794	0.6458 0.369734 0.1694 1.176049		0	7 8035 3 8585	1.9784 19.23809 3.945 5.8541		0	28 154	11.826 0.774475	
0 4242			D 1.6635	0 4841 0 592527		ŏ	5 8192	1 9607 19 39367		0	49 722 19 656	21 568 78.53429 30 066 301,3681	
	8 0 15697 0 22371		0 0.8759	0 7876 0.217396		ŏ	3 5588	2 2604 16 84384		ŏ	15 224	4 432 68 45978	
0 8090	1 0 22775 0 161765 9 3.04258 5 820783		0 1.4134	0.5375 0.513169		o o	5 1847	1 6259 22 45458		C C	6 963	8 261 19 7584	
3 8515 1 7149			1 1 4224 1 0.9118	0.009 1.549671 0.5106 0.552432		0	9 6041 3 2515	4 4194 3 78351		0	15 716	8 753 15.62654	
1 2085			0 1.6581	0.7463 0 257615		ŏ	13 1083	6.3526 0.000142 9.8568 12 19599		0		33 133 417 2606 37 578 618.6143	
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0 4889			0 0.5002 0 0.122	2.6493 1.947258 0.3782 0.766777		0	5 1041 10 3252	1 5705 22 98267 5.2211 1 30742		0	41 609	20.043 53 83095	
0 2694	5 0 21946 0 168502		0 1,1251	1 0031 0 06288		ŏ	8 1404	2 1848 17 4701		ň	2 317 15 494	39 292 706.8131 13 177 0.221801	
2 1792			0 0 7567	0.3684 0.784036		ŏ	1 7829	6 3575 4.9E-05		ŏ	37 879	22 385 93 68222	
0 1920			0 0 4598	0.2969 0.915769		0		30 6565 590 1001		1	3 531	34 348 468 3743	
0 6403	0 99408 0 132591 7 0 54577 0 007088		0 2.2507 0 1.8965	1.7909 0.288414 0.3542 0.809384		0		31 0839 611.0475		1	5 103	1 572 123 9669	
	0 28463 0 119246		0 0.2841	1 6124 0 128552		ŏ	10 7671 10.2371	9 4115 9 284668 0.53 34.04168		0	13 769	8 666 16 32194	
0 7745	0 15042 0 229949		0 0.3047	0.0206 1.520925		ŏ	5.274	4.9631 1.963991		ŏ	19 281 7 007	5 512 51 75425 12 274 D 186661	
	2 0 37864 0 063157		0 0 3348	0.0301 1 497584		0	8 485	3.211 9.944718		ō	16 795	9 788 8 514971	
0 5035	0 64968 0 000389 3 0 32651 0 092076		0 1 6301	1 2953 0.001717		9	9 3693	0.8843 30.03286		0		22.549 96.88381	
0 1770	. U 32001 U U#2U/6		0 1 0097 251 53	0.6204 0.401269		0 238 8	15.0543 3	5.685 0 461754		0 229	9 024	30 32 310 2515	
Sum X 5957 43		1493.681 Sum X	11894 7	3025	5.326	Sum X	6071463	141	B13.31	Sum X	119645.3		30640 45
X Average 0 74511		X Average	1 492002		_	X Average	7 552795	'		X Average	15 02858		
MR Average 0 6299 Normal constant d2 ( n=2 ) 1 12		MR Average				MR Average	6.364525			MR Average	12 70604		
Normal constant 02 ( n=2 ) 1 12 Normal constant D4 ( n=2 ) 3 26			stant d2 (n=2) 1.128 stant D4 (n=2) 3.268			Normal constant d2 ( n=2 )	1.128			Normal constant d2 ( n=2 )	) 1 128		
Upper contro limit for X ( UCLx 2 42051			olimit for X (UCLx 4.826731			Normal constant D4 ( n=2 ) Upper contro limit for X ( UCL	3.268 v 24.47972			Normal constant D4 ( n=2 ) Upper contro limit for X ( UK			
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Upper control limit MR (UCLmr 2 05867			ol limit MR (UCLmr 4.097608			Upper control limit MR (UCLn	nr 20 79927			Upper control limit MR (UC)	Lmr 41.52335		
MR Standard deviation 0 58308 Process standard deviation 0 61237		MR Standa				MR Standard deviation	5.814637			MR Standard deviation	11 81534		
Gamma d2 1.02870		Process sta Gamma d2	ndard deviation 1.224745 1.023771			Process standard deviation Gamma d2	6 123724			Process standard deviation Gamma d2			
Gamma d3 0 95217		Gamma d3				Gamma d3	1 039323 0 949526			Gamma d3	1 037444 0 964719		
Gamma D4 3.77682		Gamma D4	3 746831			Gamma D4	3.740803			Gamma D4	3 789698		
15 Alpha=15			Upha=1 5			1.5 Alpha=1.5				1 5 Alpha=1 5			
0.5 Beta=0.5 Proportion MR > UCLmr 9 03040			Seta=1 MR > UCLmr 0.030103			5 Beta=5	0.000000			10 Bets=10			
Percentage 3 04030		Proportion (	MR > OCLINY 0.030103 3.010301			Proportion MR > UCLmr Percentage	0 028803 2 880288			Proportion MR > UCLmr Percentage	0 030103 3 010301		
ARL for MR 32 8914		ARL for MR	33.21927			ARL for MR	34 71875			ARL for MR	33 21927		
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2 Alpha=2 0 5 Beta=0 5	MR (MR+MR)^2	MR (MR+MR)*2		? Alpha≃? I Beta=1	MR (MR+MR)*2		MR (MRIMR)^2		2 Alpha=2					2 Alpha=2			
1 14592	0 53665	5 0 70971 0 00065		4 2317	MIT (MITTER)'2	0 8358	MR (MRFMR)*2 0 8245 0 453017		5 Beta=5 0 15.9316	MR (MRI-MR)*2	3 8634	MR (MR+MR)^2 2 7235 21 36238		0 Berta=10 0 41 069	MR (MRI-MR)^2	MR (MR+MR)^2 9 60 6241 2063 85	_
0 507	0 63892 0 00927 1 42928	8 0 89263 0 024785	0 0		0 0523 2 088791	0 2339	0 6019 0 802216	0			3 8634 10 3055	8 4421 Q 816033		0 41 069 0 13 849	27 22 144 613 10 397		0 1
1 96461	1 45761 0 521878 1 28121		0 0	0 5677	3 6117 4 469566	1 3093	1 0754 0 178223	ō	0 5 8513		5 5256	4 7799 6 582024	ŏ	0 4417	9 432 33 20622 4		0 0
1 51783	0 44678 0 083185 2 20389		0 0		5 1948 13 66955	0 503	0 8063 0 477847	1	0 8 9755	3 1242 17 51891 1	18 6868	13 1612 33 823	ō	0 19 127	14 71 0.234725 14 680		0 0
0 77552 0 33629	0 74231 5 1E-05 0 51113 0 43923 0 087597 0 52713		0 0		3 5775 4 326129 1 7893 0 085109	2 3796 4 5914	1 8766 0 143667	0	0 10 1529		20 2654	1 5786 33.25651		0 41 036	21 909 45 08472 26 350		0 0
0 29226		2 1 42049 0 469624	6 0	6 3683	2 394 0 803596	1 7329	2 2118 0 510131 2 8585 1 852144	Ô	0 9 6269 0 19 9713			7 5182 0 029844		0 11 663	29 373 201 0303 3 181		0 0
0 67991	0 38765 0 12079 0 77296	5 1 17466 0 193126	0 0		3 0912 2 539672	4 4188	2 6859 1 41214	0			26 8141 5 2641	14.9669 45 17795 21 55 201 7694	0	0 11 125	0 538 214.8125 11 503 3 113 145 9623 34 424		0 0
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2 13236		1 170787 D 048080	0 0		0 6295 0 753537 0 1449 1 829703	1 5082	1 2402 0.066237	0	0 25191		3.6799	0 8135 42 66631	0	0 31 525	25.91 114.8223 6 576		0 0
1 36036	0 772 0 001354 0 18493	3 0 22198 0 263393	0 0		1 3964 0 010234	0 68 0 5582	0 8282 0 44805 0 1218 1 89273	0	0 9 2961 0 8 7118		2 0722	1 6077 32 92 172	0	0 18.87	12 655 6 44898 12 573		0 0
0 45386	0 9065 0 029344 0 26685	0 06192 0 426773	ŏ ŏ		2 7988 1 693212	1 1226	0 5644 0 870797	ŏ	0 10 2196		1 2306 5 5898	0 8416 42.30001 4 3592 8 917663	0	0 19 261 0 9 985	0 391 219 1431 96 57 9 276 35 02845 31 689		0 1
0 45176	0 0021 0 537434 0 24741		0 0	0 1378	3 2153 2 950613	3 9492	2 8266 1 766334	ō			5.9429	0 3531 48 8929	ŏ	0 29 479		8 20 5349 28 52004	0 0
0 55373 0 65759	0 10197 0 400979 0 32642	2 0 07901 0 430584	0 0		2 8108 1 724586	0 4304	3 5 188 4 085391	Ò			7 3949	1 452 34 7327	ō	0 20 012		4 23 8444 74 82104	ŏ
0 82748			0 0		1 7754 0 077192	2 4314	2 001 0 253447	0		3 4052 15 52554		2 1618 26 87018	0	0 16 862	3 15 145.0696 36 950		o d
1 89111	1 06363 0 107867 0 30961		0 0		3 5794 4 334037 0 9076 0 476052	2 8441 0,839	0 4127 1 176932 2 0051 0 257592	0	0 9 1572 0 1 8832			11 0176 13 48472 16 1734 77 93278	0	0 1569	15 293 0 009705 25 736		0 0
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1 0826			0 0	1.5366	0 4866 1 02205	1 4385	0 3608 1 292235	ŏ			10 2442	4 9973 5 513788	ŏ	0 1781		8 18 9807 14 33543	0 0
1 24332			0 0	4.569	3 0324 2 355718	3 2787	1 8402 0 117399	0	0 12.2349	4 1977 9 908302	0 5096	9 7346 5 708059	ō	0 18 813	1 003 201 3982 4 570		ŏ
0 10024 1 27144	1 14306 0 166367 1 60876 1 1712 0 190097 3 9339		0 0		1 026 0 222374	1.075	2 2037 0 498627	0	0 8 9495		6 4486	5.939 1.978089	0	0 1978	16 835 2 691292 24 738		0 0
0 89941			0 0	2.6751 0.5773	0 6679 0 688344 2 2978 0 640376	0 2431 2 4937	0.8319 0.44311	0	0 9 0505 0 4 6033		7 8479 17 8343	1 3993 35 35665	-	0 12.091	10 113 25.82148 52 728		0 0
	0 65097 0 007094 0 79551	1 0 59477 0 01972	6 6		0 4568 1 083192	1.383	2.2506 0.567062 1.1107 0.149665	ů	0 2 3117		17 8343 21 <b>635</b> 5	9.9864 6.97464 3.8012 12.56168	0	0 23 05 D 41 707	10 959 17 93933 19 650 18 657 11 98902 6 761	6 33 0776 319.8058 2 12 8894 5.313413	0 0
0 36229	0 11385 0 386074 1 70679	0 91128 0 031005	ŏ ō		0 4436 1 110842	1 5847	0.2017 1 879266	ŏ		16 5648 84 99281		12 4935 26 50246	ň	0 52 223	10 516 21 88821 23 235		0 0
0 31208			0 0		1 1039 0 154972	2 4564	0.8717 0 391707	Ō			10.2818	1.1398 38 51004	ŏ	0 8 695	43 528 802 7881 16 073		ŏ
1.19 1.48402	0 87792 0 020369 0 9073 0 29402 0 194639 0 56437		0 0		1 3566 0.019871	1 4357	1 0207 0 2274	0	0 8 1334		10 7252	0 4434 47 63823	0	0 33 149	24 454 85 73863 27 334	9 11 2618 15.466	à c
0 78971			0 0		1 3293 0.028313 1.7736 0.076195	1 8291 0 4536	0.3934 1.219181	0	0 10 1163		14 1018	3.3788 15 75174	o	0 45 221	12 072 9 749907 14 089		0 0
1 16667	0 37696 0 128335 0 54107		0 0		1.4237 0.005456	1 4063	1 3753 0.014949 0 9545 0.29492	0	0 6 4563 0 11 8484		3 2729 22 9335	10 8289 12.13445	0	0 11 537	33 684 341 8622 8 212		0 0
1 79678	0 63011 0 011044 1 65817		ŏŏ		0 0234 2 173163	3.5162	2 1079 0.372509	ŏ				19 6608 151 863 15 7774 71 09786	0	0 7 238 0 4 263	4 299 118 7116 7 302 2 975 149 3158 30 739		0 0
0 49117	1.30561 0.325369 1 40307		0 0		1 764 0.070988	0.8213	2 6949 1 433611	ō				22 1105 218 0068	ŏ	0 30 978		3 19 7906 21 12428	0 0
1 22667 0 80346	0.7355 9 tE-06 1 09228		0 0		0 7717 0.52688	0 714	0 1073 1 932637	0	0 12 0801		12 4177	16 8489 90 31565	ō	0 29 646	1.332 192 1685 9 924		ō ō
0 85942	0 42321 0.097337 0 73969 0 05596 0 461365 1 09104		0 0		2.0975 0.359922	1 851	1.137 0 130007	0	0 9 0571		5 5859	8 8318 0 263832	0	0 8.216	21 43 38 88166 18 908		0 0
0 42042	0.439 0.087734 0.26311		0 0		0 6484 0 721081 1 0 247571	3 4411 1 6794	1 5901 0 008563 1 7617 0 069767	0	D 10 5222 D 13 4731		14 1824 5 2615	8.5965 1.565137 8.9209 2.482057	0	0 30 404	22 188 48 90926 8 403		0 0
2 2199	1 79948 1 132695 0 18371		0 0		1 0159 0 232001	1 7907	0 1113 1.921731	ŏ	D 10 65A7			17 9642 112 7579	0	0 59 666 0 30 491	29 262 197.895 35 555 29 175 195 4548 11 508		0 0
0 96019	1 25971 0 275112 0 21645		0 0	2.2486	1 1309 0 134443	0 6461	1 1446 0 124584	ō	0 12 6501		18 9386	4 2871 9 353478	ŏ	0 7 127	23 364 66 74099 7 917		0 0
0.93979	0 0204 0.510937 1 01016		0 0		0.5691 0.862047	0.4246	0 2215 1 628342	0	0 14 1132	1 4631 34 60199 1	15 1517	3 7869 12 66325	ō	0 12.17	5 043 103 0526 8.970		ŏ
1 98921 1 94906	1 04942 0 098735 1.57462 0 04015 0 483093 0.20136		0 0		0.98 0.267674 3.1061 2.587385	2.506	2.0814 0.340863	0	0 13 9723		11 0193	4 1324 10 32366	o	0 13 167	0 997 201 5686 5.20		0 0
0 83006	1.119 0 147303 0 4737		0 0		0.8028 0 482699	1 4143 0 5185	1 0917 0 164726 0.8958 0 362121	0	0 3 0895 0 10 3127		4 2362 8 5207	6 7831 0 316233 4 2845 9 369388	0	0 9736 0 35188	3 431 138 3798 8 596		0 9
0 13089	0 69917 0 001298 0.8698	6 0 3961 D 114988	ŏŏ		1 064 0 187979	0.9555	0 437 1 124798	ŏ			7 4471	1.0736 39 33605	å	0 16 812	25 452 105 2166 13 716 18 376 10 12204 15 841		0 0
0 36347			0 0	0.9233	1 0155 0 232387	1 517	0.5615 0.876218	ō	0 5 6666	16 1155 76 91385 3	30 6215	23 1744 250 5558	ŏ	0 17 779	0 967 202 4213 23 696		o d
0.54269	0 17922 0 309112 0 33625		0 0		0 0293 2 155802	1 0996	0 4174 1 166757	0	G 12 5047		5.0051	25.6164 333.6278	o	1 14 795	2 984 149 0959 7 061		ŏ
0 99887 0 67395	0 45618 0 077851 1 08401 0 32492 0 168329 0 59584		0 0	1 3861	0 4921 1 01096 0 7807 0 513896	2.0306	0.931 0.320996	0	0 3 5056			7 2135 0.01741	o.	0 2954	11 841 11 24586 9 647		0 0
0 55961	0 11434 0 385466 0 17414		0 0	5 2003	3 0335 2 359096	2 2136 2 1562	0 183 1 728081 0 0574 2:074076	0	0 8 8406 0 7 4437		7 4056 6 2394	4.813 6.413281 1 1662 38 18308	0	0 16 575	13 621 2 475852 4 337		0 0
0 29544			ŏ		2.9345 2.064782	4 7162	2.56 1.128768	ă	0 12 7164			23 3808 257 1326	ő	0 20691	4 116 122 7328 19 757 18 159 6 788354 17 118		0 0
1 48479	1.18935 0.206253 1.84034		0 0		0 8165 D 46385	3 0947	1 6215 0.01536	ō	0 17 1811	4 4647 8 298695		25 4832 328 9781	ŏ	1 6 689		4 11 7482 11 87687	0 0
2 17713	0 89234 0 001837 0 83284		0 0		0 3479 1.32173	0 6718	2 4229 0 856245	0	0 13 1846		4 2776	D 1406 51 9098	0	0 2 181	4 708 109 9664 38.21	5 32 8446 311 5266	ŏ
2 07416	0 10297 0 399713 2 31766		0 0	1 3 1272	0 2266 1 615352	2 9112	2.2394 0 550319	0	0 9 8279			13 3657 36 24346	0	0 23 097	20 916 32 73574 14 802		0 0
0 11982	0 62327 0 012528 1 42725		0 0		1 7992 0.090984	1 0955 1.1496	1 8157 0 10121 0 0541 2,083591	0	0 10 4568 0 24 5105		15.8905 8.2427	1 7528 31.27768 7 6478 0.091418	0	0 11 573 0 8 787	11 524 13 47245 26 971		0 0
1 04636			0 0		1.0584 0 192866	0 338	0 8116 0 470548	ŏ	0 6 3665		10 8088	2 5661 22 84214	ŏ	0 21226	2 786 153 9705 21 497 12 439 7 592693 13 467		0 0
0.267	0 77936 0 00195 0 90831		0 0		0 4308 1 137988	0.4653	0 1273 1 877626	ō	0 529	1 0765 39 29968 2		11 4729 17 03588	ŏ	0 15 657	5 569 92 64995 19 179		0 0
0 61687			0 0		2 1612 0 440411	1 3167	0.8534 0 414949	0	0 6 9332			12 0199 21 85052	0	0 11 404	4 253 119 7161 13 926		ŏ
0.37582			0 0		0 3497 1 317594	3.6266	2 3079 0 656643	0	0 4 4951		2 0133	8 2485 0 815507	ō	0 3106	19 646 19 81599 37 531		0 0
1 16682			0 0		2.8378 1.79623 3 1551 2 747422	1 0673	2 5593 1 127281 2 3737 0 767612	0	0 6 5047 0 20.011		1 9487 9 5188	0.0646 53.01071 7 5701 0 05047	0	0 5068	25 982 116.3705 31 236	8 6 2945 79 20972	0 0
0 68473			0 0		2 1186 0 385684	1 5149	1 9261 0 183642	ŏ			6 0385	3 4803 14 93935	ů	0 28 231	23 163 63 49724 22 752 23 942 76 51903 16 463	5 8 4843 45 02657 6 6 2889 79 30943	0 0
0 95824	0.27351 0.213156 0.63396	8 0 15165 0 340529	ō ō	4 7736	2 3802 0 779044	1.3833	0 1316 1 665861	ŏ	0 5 0287		3 9858	2 0527 28 01316	ŏ	0 20 592	16 303 1 228807 2 410		, ,
1 6932			0 0		3 0265 2 337642	0.314	1 0693 0 183411	ò			2 0178	1.968 28 91692	ŏ	0 24 819	4 227 120 2857 8 777		0 0
1.18949 0.26123			0 0	0.000	4 6498 9 936585	2.478	2 164 0 444135	0	0 15 4918			10 2644 8 520295	0	0 10 494	14 325 0 756003 29 194	5 20 4172 27 27676	0 0
0.26123 0.70442			0 0		5 1526 13.38074 0 6017 0 802574	0.8304 2.2975	1 6476 0.02251 1 4671 0.000926	1	0 20 0829 0 6 0459			11 8815 20 57579	0	0 17 372	6 878 69 16391 20 136		0 0
0 39068			0 0		2.6201 1.260085	1 3667	0.9308 0.321223	ŭ	0 12.3567		8 5921 1 9089	15 57 16 67 66962 6 6832 0 438569	0	0 7 271 0 5 956	10 101 25 94358 18 44		0 9
0 57023			ō č	1 8701	2 5958 1.20612	1 9377	0.571 0.858523	ŏ	0 13 1426		2 3259	0 417 48 00336	ů	0 8949	2 993 148 8762 14 27		0 0
	1 10917 0 139655 0 55137	7 0 23621 0.24899	o c	- 0.002	1 0869 0 168646	4.2608	2 3431 0 714929	ō	D 9 687	3 4556 15 1309	9 7429	7 417 0 00512	ō	0 44 787	35 838 426 1547 6 534		0 0
	0.78922 0.002918 0.63762		0 0		0 8733 0 389707	1 8292	2 4516 0.910183	0	0 5 8677		14 5962	4 8533 6 21079	o .	0 15 094	29 693 210 207 15 598	9 9 064 37 58284	ō ò
0 43255	0 45763 0 077044 0 8574	1 0.218/8 0.200046	0 0	1 1 6502	0 0063 2 223872	0.5474	1 2818 0.046555	0	0 15 3944	9.5267 4.757871	4 6069	9 9893 6 989966	0	0 30 095	15 001 0 037436 15 456	7 0 1432 226.5412	0 0

1	1 76092	0 21436 0 271273		0	3 1981	0 159 1 791757	a	16 3204	9.3427 3 989025	0	6.78	9 159 36 42707
1	1 31633	0 44459 0 084453		ō	1 2343	1 9638 0 217375	ŏ	6 7884	9 532 4 78102	ň	12 888	6 108 82 56419
	1 85563	0 5393 0 038376		0	1 8901	0 6558 0 708568	ŏ	10 6708	3 8824 11 99268	ŏ	8 542	4 346 117 6896
		1 05959 0 10523		0	0 0268	1 8633 0 133762	0	22.1041	11 4333 16 71055	ō	4 198	4.344 117 733
		0 64171 0 00874 0 73605 7 2E-07		0	1 8897	1 8629 0 13347	o o	18 4468	3 6573 13 60242	0	18 252	14 054 1:300704
		0 54335 0 036806		0	3 0216 0 2724	1 1319 0 133711 2 7492 1 56659	0	16 8171 4 7697	1 6297 32 66975	ō	18 766	0 514 215.5168
		0 07433 0 436747		ő	0 8646	0 5922 0 819686	0	12 4005	12 0474 22 10838 7 6308 0 081427	0	10 773 52 707	7 993 51 86137 41 934 715.0017
		0 64811 0 007584		õ	3 6849	2 8203 1 749628	ŏ	0 8046	11 5959 18 06636	0	14 675	38 032 521 5521
		0 09622 0 408294		0	1 3329	2.352 0.730059	ŏ	20.5349	19 7303 153 3846	ŏ	42.513	27 838 159 8585
	63525	1 0602 0 105626		0	1 2939	0 039 2 127412	0	11.9881	8 5468 1 443252	ō	17 887	24 626 88 95349
		0 66617 0 004765 0 40443 0 109408		0	0 2606	1 0333 0 215542	o	23 5869	11 6988 18 95169	0	12 317	5 57 92 6307
		0 26945 0 216922		0	3 4661 1 2857	3 2055 2.917042 2 1804 0 466264	0	5 9632	17 7237 107 7082	o o	15 263	2 946 150 0254
		0 21305 0 272639		ŏ	2 1711	0 8854 0 374748	0	8.2003 14.0266	2.2371 26 09519 5 8263 2.307803	0	33.68	18 417 10 38461
•		0 40019 0 112231		ŏ	2 4922	0 3211 1.38407	ŏ	15 9795	1 9529 29 07955	ŏ	13.789 13.5	19 891 22 05726 0 289 222 1735
		1 12689 0 154993		0	2 0153	0 4769 1.041757	ŏ	12.3757	3 6036 13 99991	ŏ	8 833	4 667 110 8279
		0 08502 0 422732		0	2 5261	0 5108 0 973705	0	0 6054	11 7703 19 57934	Ŏ	46 129	37 296 488 477
	0 56544 1 76874	0 33201 0 162561		0	3 4093	0 8832 0 377444	0	7 836	7 2306 0 01319	0	22 763	23 366 66 77367
		1 19956 0 215631		0	5 2056 2 807	1 7963 0 089243 2 3986 0 811864	0	20.5912 5.7443	12 7552 29 26544	ō	22 455	0 308 221 6074
		0 64055 0.008958		ŏ	0 4505	2 3565 0 737769	ů	23 8637	14 8469 56.27182 18 1194 116.0781	0	44 986	22 531 53.82446
Ċ		0 61717 0 013931		ŏ	2 8689	2 4184 0 847937	ŭ	13 1698	10.6939 11.21215	0	30 907 8 392	14 079 1.244305 22 515 53 58995
		0 57091 0 026991		0	6 641	3 7721 6 173509	ŏ	13.365	0 1952 51 12601	ŏ	27 985	19 593 19 34694
		0 59268 0 020255		0	1.833	4.808 10.95898	0	7 9035	5 4615 3.549251	ō	17 277	10 708 20 12854
		0 42578 0 095752 0 14346 0 350155		0	3 3611	1.5281 0.000932	0	3.8041	4.0994 10.53681	0	5 898	11 379 14 55792
		0 76577 0 000935		0	4.2909	0.9298 0.322357	0	7 8234	4 0193 11 06324	o	7 248	1.35 191.6697
		0 56186 0 030046		0	0 3397 2 2097	3.9512 6 020324 1 87 0 136708	0	24 5489 9 0947	16 7235 67 9479 16 4522 65 71947	0	21 352	14 104 1 189156
-		0 11072 0.389974		ŏ	3 7266	1.5169 0.000374	ň	7 837	1.2577 37 06065	0	4.298 23.848	17 054 3.457799 19.55 18 97052
		0 33823 0 157584		ò	0.4663	3.2603 3 107234	ŏ	23 127	15.29 63 11594	ŏ	28.53	4.682 110.5123
		1 39249 0 432032		0	1.5604	1 0941 0 162784	ō	1 3369	21 7901 208 648	ŏ	20 612	7 918 52 94722
		1 61272 0 770044		o	1.6799	0 1195 1.899063	0	8 734	7 3971 0.002668	0	56 571	35 959 431 1651
		0 50873 0 951288 0 05175 0 487102		0	1 8047	0 1248 1.884484 2 2497 0.565707	0	12.595	3.861 12 14136	0	13 606	42.965 771.2015
		0 12004 0.37842		0	4.0544 5.2976	1,2432 0,064702	0	10.5363	2.0587 27.94968	0	19 576	5.97 85 09111
		0 22923 0.256004		ŏ	0 1466	5 151 13.34759	Ÿ	3 6532	9.0785 3.003478 2.1954 26.52297	ŭ	11 107 35 099	8 469 45.23214 23.992 77 39628
		0 64693 0 007791		ō	0 7806	0.634 0.745745	ò	8 7934	5 1402 4 863108	ŏ	23 824	11 275 15 36236
		1 32275 0 345217		0	2 8384	2.0578 0.313863	Ō	21 588	12 7946 29 69328	ŏ	17 026	6 796 70 53454
		0 56131 0.030237		0	0.6645	2 1739 0 457429	ō	22 9703	1 3823 35 55911	0	12 776	4 252 119 738
		0.33533 0 159895 0 37349 0 130833		0	0 4844 3 5383	0 1801 1 735714 3 0539 2 422178	0	4.338	18.6323 127.3931	o o	59.333	46 557 983 6074
		0 72679 7.1E-05		ŏ	0 3131	3.2252 2.984722	0	7 826	14 9387 57 65751 11.4487 16 8367	0	17 975 33 632	41 358 684.5296 15 657 0 213921
ď	11455	1.476 0 548787		ŏ	2.9593	2.6462 1.319362	ŏ	4.0531	3 7749 12 7488	ŏ	11 939	21 693 42 23071
		0.87792 0 020369		0	2.1775	0.7818 0.51232	Ŏ	9 5669	5.5138 3.354926	ŏ	20 494	8 555 44 08275
		0 49394 0 058206		0	3.9934	1 8159 0 101337	0	15.5115	5 9446 1.962368	ō	26 858	6 364 77 97745
		0 85102 0.013415 0 16783 0 321907		0	2 2887	1.7047 0 042905	0	13.337	2 1745 26 73868	0	34 553	7 695 56.24226
		0.38601 0.121933		0	4.8982 0.884	2.6095 1.236399 4.0142 6.333451	0	15 0864	1 7494 31 31573	0	18 285	16.268 1 152436
		0 04757 0 472833		ŏ	1.008	0 124 1.886681	ŏ	15 4657 5 7328	0.3793 48.52718 9.7329 5.699939	0	19 377 35 313	1 092 195 8801 15 936 0 549846
i		1 33531 0.360134		ŏ	4.6298	3.6218 4 512374	ŏ	7 2678	1.535 33 78128	ŏ	25 513	9 8 29 10046
		1 05433 0 101845		Ò	0.8728	3.757 5 105048	ō	7 4703	0 2025 51 02 167	ŏ	11 044	14 469 0.526327
		0 65208 0.013861		o o	2.3595	1 4867 0.000118	0	1.3445	6 1258 1 487535	0	20 788	9 744 29 70778
		1 41125 0 457045 0 45542 0.078276		0	4.6514	2.2919 0.630968	0	2 0177	0.6732 44.51886	o	13 649	7 139 64 89083
		1 78735 1.107022		0	1.0574 1.6603	3.594 4.395039 0.6029 0.800426	0	8 1477	6 13 1.477308	0	31 208	17 559 5 590935
				177 43		0.000720	207 64	6.5869	1 5608 33 46212	203 49	74 46	43 252 787 2242
	72 997		1998.12	Sum X	15756.53	3868.599	Sum X	79444.32	19578.22	Sum X	1618134	39046 71
	997112				1.962513		X Average	9 902254	·· · ·	X Average	20 08601	
MR Average 0 Normal constant d2 ( n=2 )	735199 1.128				1.497565		MR Average	7 345446		MR Average	15 19448	
Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 )	3.268			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 )	1 128 3 268		Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 )	1 128		Normal constant d2 ( n=2 )	1 128	
Upper contro limit for X ( UCLx 2:				Upper contro limit for X ( UCLx )			Upper contro limit for X ( UCL)	3.268		Normal constant D4 ( n=2 ) Upper contro limit for X ( UCL:	3.268	
Lower control limit for X ( LCLx -	-0.9582			Lower control limit for X ( LCLx			Lower control limit for X ( LCL)			Lower control limit for X ( LCL)	-20 3240	
Upper control timit MR (UCLmr 2				Upper control limit MR (UCLmr	4.894043		Upper control limit MR (UCLm	24.00492		Upper control limit MR (UCLm		
	640616			MR Standard deviation	1 325774		MR Standard deviation	6 437374		MR Standard deviation	13 18933	
	707107				1 414214		Process standard deviation	7 071068		Process standard deviation	14 14214	
	039728 905968				1 058938 0 937464		Gamma d2 Gamma d3	1 038803 0 910382		Gamma d2	1 074412	
	614053				3.65586		Gamma D4	3.629129		Gamma d3 Gamma D4	0 932626 3 604102	
2 Alpha=2				2 Alpha=2			2 Alpha=2	J. 020 128		2 Alpha≠2	3 004 102	
0.5 Beta=0.5				1 Beta=1			5 Beta=5			10 Beta=10		
	022002				0 027103		Proportion MR > UCLmr	0.025203		Proportion MR > UCLmr	0 024802	
	2 20022				2 710271		Percentage	2 520252		Percentage	2 480248	
ARL for MR	45 45			ARL for MR	36 89668		ARL for MR	39 67857		ARL for MR	40 31855	

Alpha=3																						
Beta=05	MR (MR+MR)^2		MR (MR+MR)*2		3 Alp		MR (MR+MR)*2	,	MR (MRIMR)*2		3 Alpha=3 5 Beta=5	MR (MR+MR)*	,	MR (MRLMR)^2		3 Alpi 10 Bet		MR (MRLMR)**				
1 13356		1 09658	0 28038 0 44289			1 9923		5 1019	3 2043 1 764682		0 13 3879	MPC (MPCHMPC)".	12 0306	11 7059 5 220333			l=10 9 527	MR (MRIMR)*2	7 246	MR (MRI-MR)^2 7 3 131 8972		
	0 16358 0 611993			0	0	2 2	0 2077 2 762846	2 9237	2 1782 0 091393	0	0 26 2834	12 8955 12 07 149		1 7654 58 60967	0		5 178	15 651 9 819763	21 087	13 841 24 43968	0	ň
0 79264	0 17734 0 590654 0 0712 0 765065			0		3 529	1 329 0 299085	1 7464	1 1773 0 488023	0	0 11 4273	14 8561 29 53928		5 9053 12 36082	0	0 1	5 173	20 005 1 489254	18 691	2.396 268 5879	ō	ŏ
	1 63194 0 470678	0 553	1 91748 0 944006 2 5137 2 458059	0		1 2752 5 9257	2 2538 0 142819 4 6505 7 69848	1 9917	0 2453 2 658812	0	0 8 0904	3 3369 37 01743		3 2278 38 3569	0		6 056	0 883 320 4691	53 605	34 914 260 1559	Ó	ò
			1 25032 0 092684	ů		5 994	0 0683 3 267369	3 2131 2 4762	1 2214 0 428353 0 7369 1 29729	0	0 8 7 105	0 6201 77 45751		1 6202 60.85396	0		9 108	23 052 18 21028	31 627	21 978 10 19748	0	G
			0 21364 0 536176	ŏ		3 3137	2 6803 0 647081	0 662	1 8142 0 003805	0	0 22 1972 0 8 1446	13 4867 16 52914 14 0526 21 45084		3.855 30.98141 8.6243 0.634882	0		5 042 2 874	24 066 27 89266	13 493	18 134 0 423346	0	0
0 85691	1 12513 0 032131	0 71546	1 3015 0 126466	ŏ		4 3006	0 9869 0 790297	2 8747	2 2127 0 113443	ă	0 16 05 18	7 9072 2 291878		1 3225 65 58724	ŭ		2 074 8 951	12 168 43 78006 36 077 299 0254	56 296 27 715	42 803 576 8811 28 581 95 96847	0	0
			1 28452 0 114677	ō		0 6637	3 6369 3 101168	0 8675	2 0072 0 017243	ŏ	0 31 0784	15 0266 31 42169	16 0799	1 1532 68 35809	ů		6 286	22 665 15 05712	35 616	7 901 118 4538	0	ŭ
			0 36028 0 342927	0		3 6644	3 0007 1 265205	5 1936	4 3261 6 003546	ō	0 17 2836		24 4535	8.3736 1 097246	ŏ		6 133	19 847 1 128587	23 909	11 707 50 09313	ŏ	ŏ
0 45312	1 07498 0 016687 0 52198 0 179691	2 74853	1 10883 0 026553	0		3 4238	0 2406 2 674162	5 5229	0 3293 2 39193	0	0 11 7275	5 5561 14 93819	10 9484	13.5051 16 6791	0		9 649	16 484 5 292991	33 094	9 185 92 15328	ō	ō
1 90565	0 93055 0 000235	1 20601	1 0743 0 016492 1 6227 0 458085	0		1 0602 3 3549	2 3636 0 237864	1 9576	3 5653 2 854118	0	0 11 6932	0.0343 68 11192	11 3363	0 3879 81 59861	0		5 122	4 527 203 2806	16 095	16 999 3 188546	0	0
1 13806	0 76759 0 031787	0.80044	2 48740 2 378561	ő		2 0739	2 2947 0 175405 1 281 0 35389	2 4418 3 9541	0 4842 1 936791 1 5123 0 132195	0	0 18 2176	6 5244 8 390842		28 0623 347 4945	0		6 805	8 317 109 5717	40 281	24 186 29 17458	0	0
2 19589	1 05783 0 012533		1 09109 0 021086	ŏ		3 6432	1 5693 0 093995	7 4573	3 5032 2 648149	ŏ	0 14,9541	6.3653 9.337884 3.1018 39.93349	9.673	8 8952 0 276566 20 8304 130 1722	0		5 549 3 455	58 744 1596 75 32 094 177 1388	3 226	37 065 333.8057	0	0
0 82639	1 3695 0 179454	0 52879	1 37174 0 181357	ŏ		2 706	0 9372 0 881132	2 5104	4 9469 9 431124	Ď	0 10 922	4 0321 29 04127		14.0702 21.61418	ů		8 433	44 978 686 0916	17 728 14 321	14 502 18.34109 3 407 236 4721	0	
		1 86026	1 33147 0 14868	0		2 0028	0 7032 1 375194	2 6553	0 1449 2 996314	ŏ	0 25 0095	14.0875 21 77533		7 6093 3 282601	Ď		9 365	49 068 917 0813	22 694	8 373 108 4025	ň	ň
			0 61782 0 107623	0		4 7416	2 7388 0 74462	3 2378	0 5825 1 672849	0	0 14 755	10 2545 0.694564		5.9546 12 01659	ŏ	0 2	5 142	4 223 212 0417	18 298	4 396 207 0333	ă	ŏ
			0 06617 0 77389	0		3 6668	1 0748 0 64174	5 2809	2 0431 0 02796	0	0 16 6197	1 8647 57 09911		6 4231 8 987975	0	0 1	4 494	10 648 66 20507	23.596	5 298 181 8897	ō	ō
0 95808			0 27843 0 44549 0 64652 0 089616	0		2.006 3.6444	1 6608 0 046262 1 6384 0 0564	1 3675	3 9134 4 151461	0	0 48 5595	31 9398 507 0921		13.6947 18.2637	1		6 238	41 744 527 1317	47 26	23 664 23 80806	0	G
	0 24273 0 49442		1 48748 0.29333	ŏ		2 3292	1 3152 0 314369	2.3111 1.7732	0 9436 0 869158 0 5379 1 790208	0	0 7 8081 0 15 3422	40 7514 981.588 7 5341 3 56075	14 1312 23 6802	3.3197 37 22702 9 549 0 01636	1		1 082	25 156 40 5941	14.86	32 4 185.3778	0	0
	1 40476 0 210571		1 90362 0 917266	ŏ		3 2592	0.93 0.894701	5 6911	3.9179 4 169819	ă	0 15 5076	0 1654 85 66789	7 9445	15 7357 39 87424	0		6 442 3 791	5.36 180 2212 2.651 260 2947	38 875 9 951	24 015 27 35656 28 924 102 8064	0	0
2 78974	0 18417 0 580202	1 17963	1 33753 0 15339	ō		2 2731	0 9861 0 79172	3 2037	2 4874 0 373949	ŏ	0 77169	7 7907 2 658188	6 392	1.5525 61 91479	ŏ		1 692	2 099 278 4109	14 447	4 496 204 1655	0	ŭ
	2 14233 1 431492			0		1.8347	0 4384 2 066368	2 4062	0 7975 1.162918	ō	0 16 5903	8 8734 0 29997	15 9766	9 5846 0 026734	ŏ		2 354	29 338 111 3732	9 431	5.016 189 5757	ŏ	ŏ
2 24591			0 27439 0 450899	Q.		2 4145	0 5798 1.67984	0 9998	1 4064 0 220418	0	0 20 9161	4 3258 25 96203	7 9179	8.0587 1.85612	ō	0 1	1 747	9 393 88 20309	13 945	4 514 203 6515	ŏ	ŏ
		0 49848 2 23998	1 34735 0 161178	0		2 661	0 2465 2 6549	1 0909	0.0911 3 185463	G	0 15.0895	5 8266 12 92039	29 4085	21 4906 145.6729	0		0.073	28 326 91 03736	38 008	24 063 27 86098	0	C
		0 43386	1.7415 0 633011 1 60612 0 740013	0		2.4766 5.7366	0 1844 2 861127 3 2602 1 916324	2.3627 3.1487	1.2718 0 384921 0 788 1 187853	0	0 19 2933 0 AS A022		30 8688	1.4603 63.37426	0		3 732	26 341 57 09842	7 333	30.675 141.3804	0	0
	0 27739 0 446879		0.06331 0.77893	ŏ		5 8589	0 1221 3 075767	8 6128	5 4641 12 87528	0	0 46 4022 0 6 6355	27 1089 312 8584 39 7667 920 8557	10 6348 8 0183	20.234 116.9189 2.6165 46.30251	0		5 936 5 076	32.204 180 079	12 779	5.446 177 9196	0	0
1 66 166	0 69409 0 063398	0 77081	0 27364 0 451907	ŏ		2 8866	2 9723 1.202123	1 3542	7 2586 28.9736	ŏ	1 16.3907	9 7552 0 111626	5 3983	2.62 48.25489	ò		4 888	19 14 0 126274 19 812 1 055448	19 42 55 381	6 641 147 4682 35.961 295.027	0	0
	1 17461 0 052317			0	0 1	1.9985	0 8861 0 975722	2 1179	0.7637 1.236959	ŏ	0 17 4182	1.0275 70 45244	16 2013	10.803 1.909661	ŏ		6 163	56 725 1439 47	24 351	31 03 149 9486	Ď	ň
			1 09659 0 022713	0		3 2387	1.2402 0 404097	1 0101	1.1078 0.589957	0	0 35.0557	17 6375 67 50931	12 6008	3 6005 33 87933	ŏ		5 466	17 303 2 195287	75.551	51.2 1050,755	ŏ	ŏ
1 33927	0 29931 0 418053 0 88154 0 00414	1 72523	0 02081 0 855755	ō		0 6217	2.617 0 549249	1 7785	0.7684 1 226526	0	0 11 2395	23 8162 207 219	13.5844	0 9836 71 19132	o	0 6	3 379	17 913 0 753774	45 239	30 312 132 8798	ō	ŏ
	1 68254 0 542665		0 6459 0 089988	0		3 6447 D 7376	3.023 1 315869	1 0593	0.7192 1 337924	0	0 26.2962	15 0567 31 76004	5 9307	7 6537 3 123685	0		3 463	29 916 123.907	18 674	26 565 60 53385	0	0
			0 12334 0.676572	ŏ		5744	2 9069 1 062989 5 0062 9 798862	2 7971 2.6204	1.7378 0 019068 0 1767 2 887235	0	0 7 8424 0 15 7546	18 6538 85 24284 8 1122 1 713206	7 4869 33 7067	1.5562 61 85657 26 2196 282 1965	0		3 445	10 018 76 85415	68 161	49 487 942 6343	0	0
			0 60653 0 115158	ŏ		3 0079	2 7361 0 739967	2.0204	0.0632 3 285832	ň	0 85901	7 1645 5 092221	9 1618	26 2196 282 1965 24 5449 228 7295	0		3 245 9 829	9.8 80 72394 13 416 28.8224	36 172 27 866	31 989 174 3549 8 306 109 8021	0	0
		0 46109	0 77562 0 028988	ō	0 5	5 2291	2.2212 0 119241	1 151	1.5326 0 117846	ŏ	0 21 1297	12.5396 9 725073		21 8137 153 5767	ŏ		1 643	11 814 48 58996	2.37	25 498 45 04222	ň	ň
			2 02529 1 165126	0		4 3921	0.837 1 079285	6 16	5 009 9.8164	ē	0 18 6169	2 5128 47 72454	8 9 134	22.0621 159 795	ŏ		9 451	2 192 275 316	27 218	24.848 36.76421	Ö	ő
		0.55879	1 92759 0 963754	o o		1 3713	3.0208 1 310827	1 4628	4.6972 7 95981	0	0 9 2786	9.3383 0.006855	12 1609	3.2475 38 11328	ō	0 8	3 844	64 393 2080 122	78 412	51.194 1050.386	i	ă
0 27541 0 64291			1 19218 0 060664 1 43063 0 234982	0		4.3732 5.1801	3.0019 1.267906 0.8069 1.142732	1.5572	0.0944 3 173694	0	0 10.3894	1 1108 69 061	9 1266	3.0343 40 79115	0		48 86	44 984 686 4059	15 183	63 229 1975.3	0	t
			2 10568 1 345136	0		3 4423	1 7378 0 019068	2.5294 1.2809	0.9722 0.816849 1.2485 0.393614	0	0 7 1916 0 15 3915	3 1978 38 7294 8 1999 1 491317	17 7846	8.658 0.582314	0		6 604	42 256 550 9043	89 854	74 671 3123 284	0	1
			1 29657 0 122983	ö	ŏ	1.609	1.8333 0.001814	2 8017	1.3208 0.308121	0	0 13 9015		23 7656	16 9032 55.98189 10 9222 2 253316	0		4 221	17 617 1 363407 0 537 332 9767	29 137	60 717 1758 322	0	0
	1 45052 0.254661		0 21249 0 537861	ŏ	ă 1	1 9029	0 2939 2 502681	2 1572	0 4445 2 048867	ŏ	0 17 8495	3.948 29.95477		1.888 56 74752	ŏ		1 468	27 784 80 9883	26.622 25.92	2 515 264 7015 0 702 326 9822	0	ŏ
	0 30173 0 414929		1 38313 0 191187	0	0 6	6 0579	4 155 5 194358	1 2407	0.9165 0.920423	ō	0 16 8097	1 0398 70 24611	7 4609	14 4167 24 95607	ŏ		3 598	7 87 119 1296	15 38	10.54 67 97425	ŏ	ŏ
	1 57816 0 399778		1 45151 0.255662	0		3.8022	2 2557 0.144258	4.939	3.6983 3.321191	0	0 26 0513	9 2416 0 032218	13 3247	5 8638 12 65435	ò	0	41 63	1 968 282 7997	20 765	5 385 179 5506	ō	ŏ
			0.68482 0.068152	0		1 9355	1.8667 8 4E-05	5.1703	0.2313 2 704665	0	0 18.5214	7 5299 3 576619	9 1435	4 1812 27 4565	0	0	8 37	33 26 209 5358	32 599	11.834 48 31154	ò	Ó
			0 62541 0 102701 0 43715 0 258806	0		4.3626 D 6714	2 4271 0.303836 3 6912 3.295363	2.0457 4.8514	3 1246 1 559285 2 6057 0 532628	0	0 6.9652	9 5562 0.018253	20 174	11 0305 2 590184	o o		6 235	19 865 1 167158	17 621	14 978 14 49058	0	0
			D 82349 D 014979	0		7 1392	6 4678 21.08567	6 131	1 4796 0 157043	٥	0 4.8473 0 18.6067	4 1179 28 12388 13 7594 16 82089	5 7178 10 9689	14 4562 25 35228 5 2511 17 38886	0		6 962 2 643	18 727 0 003324	22.339	4 718 197 8706	0	0
1 4392			0.91406 0.001013	ŏ		3.3997	3 7395 3 473055	1 8019	4.3291 6 018256	ò	0 13 9492		23 8336	12 8647 11 85841	ů		2 955 2 955	24 319 30 62903 0 312 341 2388	19 709	2.63 260 9727 0.239 343 9411	0	0
			0 75263 0 037346	0	0 4	4 9232	1 5235 0 124176	4.3345	2.5326 0.431273	ŏ	0 14 5266	0 5774 78 21094	18 5621	5.2715 17 21914	ŏ		6 624	23 669 23 85687	58 134	38 664 395 1886	ŏ	Ň
3 19775	2 42794 2 196502	1 38299	0 23821 0 500797	0		2 8385	2 0847 0 043603	2.9257	1 4088 0 21817	0	0 3 1051	11 4215 4.00162	4 4062	14 1559 22 41838	ō	0 5	6 364	9 74 81 80569	38 939	19 195 0 168387	ŏ	ŏ
0 79168	2 40607 2 132155	0 25867	1 12432 0 031841	0		2 1908	0.6477 1.508442	2 7548	0 1709 2 906979	0	0 15 0873	11 9822 6 559258	2 7683	1 6379 60 57813	0	0	9 079	47 285 812 2699	11 42	27 519 76 28887	Ö	ō
1 87318 3 62232	1 0815 0 018393 1 74914 0 645226			0		1 6364 1 7715	0 5544 1 746327 0 1351 3.030338	3.3892	0 6344 1 541289	0	0 13 2877	1 7996 58 08719	9 9566	7 1883 4 985374	0		9 903	0 824 322 585	50 257	38 837 402 0967	0	0
			0 05235 0 798396	ŏ		3 4157	1.6442 0.053679	5.858 1.2084	2 4688 0.351546 4.6496 7 693486	0	0 12 1725	1 1152 68 98789 17 7814 69 8947	16 1798	6 2232 10 22653	0		3 348	6 557 149 5154	12 509	37 748 359 6086	0	0
		0 79062	0.0625 0.78036	ŏ		1 7014	1.7143 0.02611	3 592	2.3836 0 257773	ò	0 25 8489	4 105 28 26087	12 7878 11.485	3.392 36 34999 1 3028 65 90672	0		0 322 9 188	36 976 330 9252 11 134 58 53245	40 842 6 813	28 333 91 17099 34 029 232 3902	0	0
	0 07021 0 766798	1.498	0 70738 0 056882	ō	0 3	3 5319	1 8305 0 00206	6.736	3.144 1.608112	ŏ	0 14 8912	10 9577 2.361 155	10 9373	0.5477 78 73714	ŏ		7 708	1.48 299 4509	21 206	14 393 19 28659	Ň	Ň
2 40364			0.63098 0.099162	o		3.8687	0.3368 2.368787	0 8856	5.8504 15.79676	Ğ	0 18 2384	3.3472 36.8922		14 1965 22 80449	ŏ	• •	9 633	1 925 284 2478	46 565	25 459 44 54695	ŏ	ŏ
			0 07434 0 759582	0		3 8034	0 0653 3 278224	1.979	1 0934 0 612285	0	0 13.2884	4.95 19 99069	15 4753	9 6585 0.056361	ō		7 452	2 181 275 6812	35 857	10 808 63 62695	ŏ	ō
1 97377			0 03792 0 824392	0		6 5714	2 768 0 795868	5.6874	3 7084 3 358106	0	0 24 705	11 4166 3 98204	16 5169	1 0416 70:21594	0		4 456	47 004 796 3317	48 569	12 812 35 67255	ō	ō
1 14768			0 64384 0 091228 0 65929 0 082134	0	0 1	1.808 5.5846	4 7634 8.337734 3 7766 3.812712	2.3225 1.7196	3.3649 2.217161 0.6029 1.620495	0	0 5 5855	19 1195 94 05906		10 2205 0 639048	0		8 625	55 831 1372 432	28 083	20 586 3 244862	0	0
1 95598			1 16874 0 049687	ŏ		3.8759	1 7087 0 027951	3 6706	1.951 0.005642	0	0 6.5141	0 9286 72 12247 14 3877 24.66716	9 9 196	16 8178 54 71124 15 6067 38 26171	0		2 662 6 228	5 963 164 3947	21 532	6 551 149 6622	0	0
0 87223			0 44446 0 251422	ŏ		2 0823	1 7936 0 006771	2.9002	0 7704 1.2221	ŏ	0 9822	11 0798 2 751302	10 1256	15 4007 35 75567	0		0 228 4 948	3 566 231 6073 38 72 397 4162	29 237 37 279	7 705 122 7586 8 042 115 4045	0	0
1 70926	0 83703 0 011848	1 42553	0.1139 0 692191	ŏ	ŏ.	4.667	2.5847 0 502417	2 1282	0 772 1 218565	ō	0 14.3155	4 4935 24 28119	25 2221	15 0965 32 21022	ŏ		0 918	24 03 27 5137	83 849	46 57 772 0257	0	0
			0 76161 0 033955	0		2 1241	2.5429 0 444907	3 4009	1.2727 0 363834	ō	0 5 0417	9 2738 0.021696	12 583	12 6391 10 35556	ō		17 18	13 738 25 46868	37 034	46 815 785 7005	ŏ	ŏ
	0.87341 0.005252		1 16308 0 047176	0		0 9559	1.1682 0.50082	2 8063	0 5946 1 641695	0	0 10 8358	5 7941 13 15509		0 7019 76 02436	Ó		5 774	11 406 54 44448	13 359	23 675 23 91552	ŏ	õ
			0 51887 0 182338	0		3.2509	2 295 0 175656	1 5444	1.2619 0.376979	0	0 15 7543	4.9185 20 27336		24 6309 231 3382	0		9 939	24 165 26 94817	9 218	4 141 214 4365	Ö	0
	1 66975 0.523988		0 67452 0 073636 0 58518 0 130105	0		4 195 <del>9</del> 2 7151	0.945 0.86655 1.4808 0.156093	3.3094 3.8081	1.765 0 012296 0 4987 1.896643	0	0 9 9024	5 8519 12 73915 3 0045 41 17269		6 4493 8 831566 5 7331 13 60131	0		0 208	0 269 342 5293	22 308	13 09 32 42904	0	0
1 4403		- 10021	- 555 TO 1 150 100	٠	•		300 0 136093	3.0001	U 1307 1.030043	v	J 12.9U09	3 JUNO 41 1/209	44 3296	5 /331 13 BU131	U	0 4	2 119	11 911 47 24707	64 968	42 66 570 0323	0	0

	0 71458	1 67617 0 533323	0	3 9144	2 4929 0 380706		6 6104	9 4676 0 002163	0	26 748	27 672 78 98499
		0 15253 0 629404	Ö	2 3808	1 5336 0 11716	ň	17 1597	10 5493 1 272846	9	16 757	9 991 77 32828
		1 06016 0 01306	ō	2 7689	0 3881 2 213509	ň	24 5984	7 4387 3 92989	ň	23 3	6 543 149 858
		0 32743 0 382481	0	3 6861	0.9172 0.91908	ō	14 7002	9 8982 0 227629	ŏ	13 241	10 059 76 13697
		1 61406 0 446464	0	3 9023	D 2162 2 754559	ō	10 4245	4.2757 26.47509	ŏ	59 886	46 645 776 1991
		1 03392 0 007751	o	2 7319	1 1704 0 497711	Ö	23 5732	13 1487 13 89504	ō	33 332	26 554 60 3628
		0 52537 0 176829 1 21774 0 073908	0	3 6534	0 9215 0 910854	0	7 5233	16 0499 43 94105	0	13 403	19 929 1 309537
		0 18525 0 578558	0	1 0221	2 6313 0 57065	0	30 7557	23 2324 190 7521	0	50 127	36 724 321 8203
		1 05081 0 01101	0	3 3363	2 3142 0 192119	0		22.8396 180 0563	0	36 556	13 571 27 18215
		0.45106 0.244847	0	3 0294 1 8301	0 3069 2 461719 1 1993 0 457769	0	20 2379	12 3218 8 414089	0	15 025	21 531 7 542438
		0 64477 0 090667	ň	8 9613	7 1312 27 61832		17 0617 11 2694	3 1762 38 99871 5 7923 13 16815	0	14 797	0 228 344 3493
	1 28171	0 14419 0 642707	ŏ	5 1912	3 7701 3 588045	i	17 3318	6 0624 11 28083	0	10 743 9 635	4 054 216 9921 1 108 312 464
	1 55817	0 27646 0 448123	ŏ	2 7365	2 4547 0 335025	ň	8 2014	9 1304 0 084504	ŏ	27 12	17 485 1 68909
	0 25367	1 3045 0 126608	O	1 4718	1 2647 0 373549	ŏ	8 8224	0.621 77 44167	ň	24 084	3 036 248 02
	0 61059	0 35692 0 346874	0	3 1089	1 6371 0 057019	ŏ	22 8244	14.002 20 98469	ŏ	27 346	3 262 240 9527
		0 63407 0 097226	0	3 8685	0 7596 1 246096	Ö	61 0014	38 177 826 9021	ī	15 99	11 356 55 18484
		0 04101 0 81879	0	7 9485	4 08 4 858116	0	22 2537	38 7477 860 0498	1	36 186	20 196 1 991909
		0 33498 0 373199 1 32886 0 146674	0	3 0764	4 8721 8 977295	0	42 3601	20 1064 114 1757	0	40 708	4 522 203 4232
		1 30017 0 125521	0	4 0881 7 4049	1 0117 0 746818	0	69 1748	26 8147 302 5375	0	59.95	19 242 0 209169
		0 63475 0 096802	v v	0 7026	3 3168 2 076232 6 7023 23 29427	0	18 9089 10 464	50 2659 1668 298	1	46 027	13 923 23 63564
		0 09564 0 722908	ň	1 2723	0 5697 1 706123	1	10 464 36 2258	8.4449 0.952957 25.7618 267.0186	0	23 659	22 358 12 8404
		0 22687 0 516976	ŏ	6 3811	5 1088 10 45173	, ,	16 3902	19 8356 108 4619	0	37 938 40 918	14 279 20 30088
	1 5341	0 84202 0 010787	ō	5 0999	1 2812 0 353652	ŏ	9 0705	7 3197 4 415861	ň	35 771	2.98 249 787 5 147 185 9855
	0 83915	0 69495 0 062966	ō	4 1517	0 9482 0 860602	ă	14.154	5 0835 18 81473	ŏ	44 171	8 4 107 841
		1 16629 0 048581	0	2 298	1 8537 0 000492	Ğ	38 1643	24 0103 212 8449	ŏ	25 643	18 328 0 206529
		0 50928 0 19062	0	4 7064	2 4084 0 283571	Ó	7 4259	30 7384 454 4275	ŏ	55 247	29 404 112,7706
		0 69451 0.063167	0	1 2243	3 4821 2 579922	0	14 4262	7 0003 5.860249	Ö	42.543	12 704 36 97431
		0 49353 0 204621	0	1.9303	0.706 1.368634	0	9 0297	5.3965 16 19737	0	32 205	10.336 71.3459
	1 02396	0 95134 3E-05 1 25406 0 094975	0	4,9383 5,049	3.006 1.261681 0 1107 3 115883	0	14.8269	5 7972 13 13262	0	31 574	0.631 329 555
		0 50408 0 195187	0	0.9541	4 0949 4.924021	0	11.0225	3 8044 31 54726	0	39 133	7 559 126 0152
		0 95769 0 000139	ň	2 5135	1.5594 0.100164	0	5 8393 30 0947	5 1832 17 95975 24 2554 220 0566	9	19 132	20 001 1 479507
		0 17961 0.58717	ñ	0.545	1.9685 0.008577	ů,	11.24	18 8547 88 9929	ž	12 307 15 179	6 825 143 0332
	0 84257	0 85539 0 084384	Ď	0 9962	0 4512 2 029732	ň	23 4336	12 1936 7 686783	ŏ	10 039	2 872 253 2124 5.14 186 1765
		0 58934 0 127121	ō	1 459	0 4828 1.996814	ŏ	3 3823	20 0513 113 0013	ň	22 874	12 835 35 39834
		0.57543 0 137233	0	4 7589	3 2999 2.027814	ō	9 4407	6 0584 11 30772	ŏ	35 772	12 898 34 65265
		1 13988 0 037636	0	3.5093	1 2496 0.392235	0	33 9585	24 5178 227 9105	ō	20 96	14 812 15 78195
		0 66372 0.079614	o o	1 2156	2 2937 0 174568	0	14 7544	19 2041 95 70719	0	82 085	61 125 1792 705
		0 43557	0	2.5581	1 3425 0 284501	0	2 1325	12 6219 10.24515	0	15.379	66 706 2296 456
		1.88224 0.87677	0	3.8284 1.8055	1 2703 0.366735 2.0229 0.021613	0	9 5583	7 4258 3.981202	ō.	29 951	14.572 17.74842
		1 66689 0 519855	ŏ	2.6853	0 8798 0 992168	0	10 2454 8 8925	0 6871 76.28267 1 3529 65 09577	0	21 894	8 057 115 0825
		0 60386 0 116978	ŏ	5 1674	2 4821 0 367495	ň	4,545	4.3475 25.74137	0	28 875 26 153	8 781 144 0876 2 522 264 4738
	0 44463	0 95187 3.6E-05	ŏ	5.0457	0 1217 3.07717	ŏ	22.2217	17 6767 68 15501	ŏ	33 624	7 471 127 9987
		0 00756 0.880445	ō	3.2189	1 8268 0.002409	ă	5 9323	16.2894 47 17361	ŏ	44 662	11 038 60 01059
		2 75655 3 278526	0	3.085	0 1339 3 034517	ò	32.0271	26 0948 278 0124	ŏ	31 595	13 067 32 69152
	0 78692	2 4067 2 133995	0	3.6758	0 5908 1 651447	0	8 4406	23 5865 200 6587	Ó	45 146	13 551 27 39109
	0 88063	0 70021 0 060354	0	3.7417	0 0659 3.276051	0	8 6977	0 2571 83 97881	0	27 714	17 432 1.829662
		0 6065 0 115179 0 06384 0 777995	0	2.5459	1.1958 0.462518 4.7631 8.336002	0	10.378	1 6803 59 91991	. 0	18 513	9 201 91 84635
		0 44125 0.254652	0	7 309 5 3673	4 7631 B 336002 1 9417 D 004331	0	19 3601	8 9821 0 192717	0	19.85	1 337 304 4205
		0 79626 Q 022386	ň	4 9064	0 4609 2 002187	, ,	12 062 7 2341	7 2961 4 507108 4 8279 21 09744	0	30 618	10 768 64 26868
		0 03106 0 836898	Ď	5.4371	0.5307 1.809527	ŏ	9 3573	2 1232 53 25 <del>9</del> 27	ŏ	17 836 24 952	12 782 36 03181 7 118 136 1574
		0 10854 0 701138	ŏ	1.8976	3.5395 2.76761	ŏ	23 7365	14.3792 24.5828	0	14 546	10 408 70 20178
			176 42			174 46	3		161 33		10 400 70 20170
Sum X	12068.98	2948.656	Sum X	24155 91	6124 122	Sum X	121403 4	29768.68	Sum X	239886 1	61337 99
X Average	1 501763		X Average	3 028003		X Average	15 11721		X Average	30 12241	
MR Average Normal constant d2 ( n=2 )	0 94588 1 128		MR Average Normal constant d2 ( n=2 )	1.875887		MR Average	9 421095		MR Average	18 78465	
						Normal constant d2 ( n=2 )	1 128		Normal constant d2 ( n=2 )	1 128	
			Normal constant D4 ( av2 )	3 260		Marmal constant D4 ( c=2 )	2 200			2 242	
Normal constant D4 ( n=2 )	3 268		Normal constant D4 ( n=2 ) Upper contro limit for X ( LICL)	3.268 8.017063		Normal constant D4 ( n=2 )	3.268		Normal constant D4 ( n=2 )	3 268	
Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx	3 268 4 017402 -1 01388		Normal constant D4 ( n=2 ) Upper contro limit for X ( UCL) Lower control limit for X ( LCL)	8.017063		Normal constant D4 (n=2) Upper contro limit for X ( UCL) Lower control limit for X ( LCL)	x 40 17331		Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx	80 08158	
Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr	3 268 4 017402 -1 01388 3 091136		Upper contro limit for X ( UCL)	8.017063 -1.96106 6.130397		Upper contro limit for X ( UCL)	x 40 17331 x -9 9389		Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx	80 08158 -19 8368	
Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation	3 268 4 017402 -1 01388 3 091136 0 806728		Upper contro limit for X ( UCL) Lower control limit for X ( LCL) Upper control limit MR (UCLm MR Standard deviation	8 017063 -1.96106 6 130397 1 593547		Upper contro limit for X ( UCL): Lower control limit for X ( LCL): Upper control limit MR (UCL): MR Standard deviation	x 40 17331 x -9 9389		Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx	80 08158 -19 8368	
Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR ( UCLmr MR Standard deviation Process standard deviation	3 268 4 017402 -1 01388 3 091136 0 806728 0 866025		Upper contro limit for X ( UCL) Lower control limit for X ( LCL) Upper control limit MR (UCLm MR Standard deviation Process standard deviation	8 017063 -1.96106 6 130397 1 593547 1 732051		Upper contro limit for X ( UCL); Lower control limit for X ( LCL); Upper control limit MR (UCL)mi MR Standard deviation Process standard deviation	x 40 17331 x -9 9389 r 30.78814 7 820973 8 660254		Normal constant D4 ( n=2 ) Upper control limit for X ( UCLX Lower control limit for X ( UCLX Upper control limit MR ( UCLmr MR Standard deviation Process standard deviation	80 08158 -19.8368 61 38824	
Normal constant D4 (n=2) Upper contro limit for X (UCLx Lower control limit for X (UCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2	3 268 4 017402 -1 01388 3 091136 0 806728 0 866025 1 092208		Upper control limit for X ( UCL) Lower control limit for X ( LCL) Upper control limit MR (UCLm MR Standard deviation Process standard deviation Gamma d2	8 017063 -1.96106 6 130397 1 593547 1 732051 1 083044		Upper contro limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmi MR Standard deviation Process standard deviation Gamma d2	40 17331 4 -9 9389 5 30.78814 7 820973 8 660254 1 087854		Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2	80 08158 -19.8368 61 38824 15 74864 17 32051 1 084532	
Normal constant D4 (n=2) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard devlation Process standard devlation Gamma d2 Gamma d3	3 268 4 017402 -1 01388 3 091136 0.806728 0 866025 1 092208 0 931529		Upper contro limit for X ( UCL) Lower control limit for X ( UCL) Upper control limit MR (UCLm MR Standard deviation Process standard deviation Gamma d2 Gamma d3	8 017063 -1.96106 6 130397 1 593547 1 732051 1 083044 0 920035		Upper control limit for X ( UCL); Lower control limit for X ( LCL); Upper control limit MR (UCL); MR Standard deviation Process standard deviation Gamma d2 Gamma d3	x 40 17331 x -9 9389 r 30.78814 7 820973 8 660254 1 087854 0 903088		Normal constant D4 ( m-2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma d3	80 08158 -19.8368 61 38824 15 74864 17 32051 1 084532 0 909248	
Normal constant D4 (n=2) Upper control limit for X ( LCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma D4	3 268 4 017402 -1 01388 3 091136 0 806728 0 866025 1 092208		Upper contro limit for X ( UCL) Lower control limit for X ( UCL) Upper control limit MR (UCL m MR Standard deviation Process estandard deviation Gamma d2 Gamma d3 Gamma D4	8 017063 -1.96106 6 130397 1 593547 1 732051 1 083044		Upper contro limit for X ( UCL). Lower control limit for X ( UCL). Upper control limit MR (UCLmi MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma D4	40 17331 4 -9 9389 5 30.78814 7 820973 8 660254 1 087854		Normal constant D4 ( m=2 ) Upper control limit for X ( UCLX Lower control limit for X ( LCLX Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma D4	80 08158 -19.8368 61 38824 15 74864 17 32051 1 084532	
Normal constant D4 (n=2) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma D4 3 Alpha=3	3 268 4 017402 -1 01388 3 091136 0.806728 0 866025 1 092208 0 931529		Upper control limit for X ( LCL) Lower control limit for X ( LCL) Upper control limit MR (UCLm MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma O4 3 Alpha=3	8 017063 -1.96106 6 130397 1 593547 1 732051 1 083044 0 920035		Upper contro limit for X ( UCL), Lower control limit for X ( UCL), Upper control limit find ( UCL) MR Standard deviation Process standard deviation Gamma d2 Gamma D4 3 Alpha=3	x 40 17331 x -9 9389 r 30.78814 7 820973 8 660254 1 087854 0 903088		Normal constant D4 (n=2) Upper control limit for X (UCLx Lower control limit for X (UCLx Upper control limit with (UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma D4 3 Alpha=3	80 08158 -19.8368 61 38824 15 74864 17 32051 1 084532 0 909248	
Normal constant D4 (n=2) Upper control limit for X (UCLx Lower control limit for X (UCLx Lower control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d3 Gamma D4 3 Alpha=3 0 5 Beta=0 5	3 268 4 017402 -1 01388 3 091136 0.806728 0 866025 1 092208 0 931529		Upper control limit for X ( LCL) Lower control limit for X ( LCL) Lipper control limit MR (UCLm MR Standard deviation Frocess standard deviation Gamma d3 Gamma d3 Gamma d3 Gamma D4 Beta=1	8.017063 -1.96106 6.130397 1.593547 1.732051 1.083044 0.920035 3.548471		Upper control limit for X ( UCL) Lower control limit for X ( UCL) Upper control limit MR (UCLmi MR Standard deviation Germa d2 Germa d3 Germa d3 Germa d3 Germa d5 Beta=5	x 40 17331 x -9 9389 r 30.78814 7 820973 8 660254 1 087854 0 903088 3 490466		Normal constant D4 (n=2) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d3 Gamma D4 3 Alpha=3 10 Bets=10	80 08158 -19.8368 61 38824 15 74864 17 32051 1 084532 0 909248 3 515134	
Normal constant DA ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( UCL Upper control limit fin ( UCL MR Standard deviation Frocess standard deviation Gamma DA Gamma DA 3 Alpha=3 0.5 Beta=0.5 Proporbon MR > UCL mr	3 268 4 017402 -1 01388 3 091136 0.806728 0.806025 1 092208 0.931529 3 558658		Upper control limit for X ( LCL) Lower control limit for X ( LCL) Upper control limit MR (UCLm MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma O4 3 Alpha=3	8.017063 -1.96106 8.130397 1.593547 1.732051 1.083044 0.920035		Upper control limit for X ( UCL) Lower control limit for X ( LCL) Upper control limit MR (UCLm) MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma d3 Gamma O4 3 Alpha=3 5 Beta=5 Proportion MR > UCLmr	x 40 17331 x -9 9389 ir 30.78814 7 820973 8 660254 1 087854 0 903088 3 490466		Normal constant D4 (n=2) Upper control limit for X (LCLx Lower control limit for X (LCLx Lower control limit for X (LCLx Upper control limit for (IUCLm MR Standard deviation Gamma d2 Gamma d3 Gamma d3 Gamma D4 3 Alpha=3 10 Beta=10 Proportion MR > UCLmr	80 08158 -19.8368 61 38824 15 74864 17 32051 1 084532 0 909248 3 515134	
Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( UCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d3 Gamma d3 Gamma D4 3 Alpha=3 0 5 Beta=0 5 Proportion MR > UCLmr Percentage	3 268 4 017402 -1 01388 3 091136 0 866025 1 092208 0 931529 3 558658		Upper contro limit for X ( UCL) Lower control limit for X ( UCL) Upper control limit MR (UCLm MR Standard deviation Gamma d2 Gamma d3 Gamma O4 3 Alpha=3 1 Beta=1 Proportion MR > UCLmr	8 017063 -1.96106 6 130397 1 593547 1 732051 1 083044 0 920035 3 548471		Upper control limit for X ( UCL) Lower control limit for X ( UCL) Upper control limit MR (UCLmi MR Standard deviation Germa d2 Germa d3 Germa d3 Germa d3 Germa d5 Beta=5	x 40 17331 x -9 9389 r 30.78814 7 820973 8 660254 1 087854 0 903088 3 490466		Normal constant D4 (n=2) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d3 Gamma D4 3 Alpha=3 10 Bets=10	80 08158 -19.8368 61 38824 15 74864 17 32051 1 084532 0 909248 3 515134	

4 Alpha=4					4 Alphas4														
0 5 Beta=0 5	MR (MREMR)^2		MR (MR+MR)*2		1 Beta×1	MR (MRI-MR)*2		MR (MRI-MR)*2		4 Alpha≃4 5 Beta≈5	MR (MRIMR)	2	MR (MR+MR)^2		4 Alpha=4 10 Beta=10	MR (MR+MR)^2		MR (MRFMR)*2	
1 08946 1 13115	0 04169 1 083483		0 66319 0 175901	0	0 5 9 19 1		2 8703	4 9493 7 579269		0 31 8246	,	13 2859	1 7718 86 53939		0 38 562		29 241	24 927 8 327664	
1 47313	0 34198 0 548511	2 66596	1 1125 0 000894	0	0 8 5601 0 3 3627		2 3969 2 7076	0 4734 2 968222 0 3107 3 555309	0	0 13 4349 0 20 912	18 3897 53 51281 7 4771 12 94096		16 4953 29 38556 9 0994 3 900841	0	D 74 921 D 49 915	36 359 204 9985	32 353	3 112 358 3158	0
0 82683	0 6463 0 190353	0 95071	1 71525 0 400252	ō	0 4 7341	1 3714 0 680382	2 0471	0 6605 2 358537	ŏ	0 11 0811	9 8309 1.546429		0 8426 104 6909	0	0 49 915 0 35 859	25 006 8 789857 14 056 63 76391	26 431 58 676	5 922 259 8296 32 245 104 1169	0
1 16452 2 94196	0 33779 0 554735 1 77734 0 48267		2 09006 1 014985	0	0 2 755		1 8831	0 164 4 130051	0	0 8 7744	2 3067 76 87352	16 4344	3 4048 58 8236	ō	0 62 044	26 185 17 17082	18 075	40 601 344 465	ŏ
5 23558	2 29362 1 466581		187129 0 62204	Ö	0 17014		3 5382 1 8335	1 6551 0 292846 1 7047 0 241624	Đ D	0 19 4734 0 16 8179	10 699 0 140966 2 6555 70 8788		0 0607 121 3028 3 563 56 42195	0	0 32 723	29 321 52 99504	27 535	9 46 158 2874	0
2 33646	2 89912 3 299763		0 1872 0 801732	0	0 5 2751	3 5737 1 897361	9 3948	7 5613 26 78373	ŏ		26 0203 223 3783		1 527 91 15389	0	0 21 049 0 20 963	11 674 107 4795 0 086 482 0322	52 341 60 034	24 806 7 643949 7 693 205 8717	0
3 59373 1 21683	1 25727 0 030511 2 3769 1 675225	2 33833	0 55043 0 2832	0	0 1 6219		2 3466	7 0482 23 54139	0	0 22 7498	20 0884 81 25121	18.5256	2 9381 66 20027	ŏ	0 34 277	13 314 76 16456	74.92	14 886 51 19733	ŏ
1 15922	0 05761 1 050594	1 86626	0 41889 0 440504	á	0 3 0275		5 0867 6 7334	2 7401 0 29577 1 6467 0 302008	0		14 1865 9.684825 20 4572 88 03591	25 1769 16 9174	6 6513 19 5643 8 2595 7 923971	0	0 48 178	13 901 66 26336	19 906	55 014 1087 204	o
1 46999	0 31077 0 595714	2 33357	0 46731 0 378576	ā	0 4 4183	0 0138 4 7631	4 8722	1 8612 0 11226	ŏ		11 1808 0 011309	16 4946	0 4228 113 4577	ů	0 41 266 0 21 864	6 912 228 8936 19 402 6 965539	29 395 26,68	9 489 157 5585 2 715 373 5032	0
2 49841 0 70547	1 02842 0 002935 1 79294 0 50459	0 76878	1 56479 0 232512	0	0 3 3123 0 8 3494		2 1746	2 6976 0 251349	0	0 14 7516	3 0881 63.78186	18 6537	2 1591 79 48355	ō	0 34 92	13 056 80 73437	33 752	7 072 224 0779	ŏ
1 77908	1 07361 8 1E-05	1 16798	0 27127 0 658248	ŏ	0 0 5242		2 7239	0 5493 2 712453 0 6335 2 442196	0	0 6 6745 0 10 0826	8 0771 8 984136 3 4081 58 773	14.9024 5.5235	3 7513 53 6286 9 3789 2 874906	0	0 23 789	11 131 119 0331	28 373	5.379 277 5299	0
	0 77234 0 096258		0 86172 0 048786	0	0 2 9484	2 4242 0 05196	7 3297	5 2393 9 260136	ò	0 10 0395	0 0431 121 6908	7 2329	1 7094 87 70425	0	0 22 381	1 408 425 7302 41 994 398 113	32 001 5 849	3 628 339.0471 26 152 16 89842	0
	0 47742 0 366237 0 29114 0 626401		0 70968 0 139068 1 40487 0 103861	0	0 4 1457 0 2 0514	1 1973 0 997907 2 0943 0 010394	8 276	0 9463 1 562382	0	0 25.0738	15 0341 15 67879		21 7133 113 185	ō	0 55 498	8 877 173.297	16 854	11 005 121.7984	ŏ
2 80826	1 61524 0 283711		1 12156 0 001518	Ö	0 4 0247		2 28 9 5012	5 996 14 43808 7 3212 26 26508	0	0 19 968 1 23 4823	5 1056 35 62723 3 5143 57 15594	9 9477 17 701	18 9985 62 79049 7 7533 11 03007	0	0 14 761	40 737 349 5318	35 415	18 561 12 11201	0
2 53636	0 2719 0 657227		1 41993 0 113795	0	0 2 1546	1 8701 0 106376	5 4373	4 1639 3 871636	ŏ	0 18 413	5.0693 36 06188		6 8236 18 06977	ŏ	0 18 776	20.22 3.316881 16.205 34.06159	29 361 12 615	6.054 255 5915 16 746 28.03947	0
3 33891 2 68104	0 80255 0 078425 0 65787 0 180391	2 49703 1 70884	2 31363 1 515447 0 78819 0 088674	0	0 4 864 0 2 8031		2 1985 2 5079	3 2388 1 086905	0	0 20 9994	2 5864 72 04707		7 3549 13 83509	Ö	0 21 35	2 574 378 9731	18 687	6 072 255 0163	ŏ
1 07385	1 60719 0 2752	1 44575	0 26309 0 671589	ŏ	0 2 2338		1 1522	0 3094 3 560213 8 6443 41 57731	0		10 6975 0 142095 25 3141 202 7675	15 8229 14 1548	16 0566 24 82177 1 6681 88 47951	0	0 53 321	31 971 98 60032 12 695 87 35203	27 918 54 909	9 231 164 102	0
2 08329	1 00944 0 005352			o o	0 2 4126	0 1788 4 070116 1	1 4546	0.3024 3 586678	ŏ		26 2769 231 1143		10 7574 0 100524	Ö	0 20 665	19 961 4.32736	26 568	26 991 24 50022 28 341 39 68709	0
2 77367	0 10168 0 962194 0 5887 0 243932	2 80167	0 17323 0 826945 0 82418 0 086778	0	0 2 3653 0 8 0794		5 9074 2 5267	5 5472 11.22885	0	0 17 9138	8.5747 6 248774		15 0236 15 59575	0	0 40 698	20 033 4 032991	62 177	35.509 184.0844	ŏ
2 39259	0 38108 0 492123		1 56706 0 234706	ŏ	0 3.07		1 6125	3 3807 1 402915 0.9142 1 643659	0	0 B 0398 0 11.1277	9 874 1 441092 3 0879 83 78506	19 9607 13,108	19 9751 79 22149 6 8527 17 82321	0	0 48 081 0 52 136	7 383 214 8637 4 055 323 5045	19 68 1 32 193	42 496 418 3976	0
1 2379 2 10923	1 15469 0 005198 0 87133 0 044633	0 6733	0 56131 0 271738	0	0 8012	2.942 0.556139	1 7466	0 1341 4 252474	ō	0 29 089	17 9613 47 42864	19.2936	6 1856 23.9009	ŏ	0 20 427	31 709 93 46576	40 848	12 512 90.80624 8 655 179 1912	D
1 72733	0 3819 0 490974	1.57618	0 90288 0 032298 3 38719 5 311158	0	0 5 7684 0 5 8406		4 0559 3 3139	2.3093 0.01278 0.742 2.114851	0		24 6035 183 0351	9 3678	9 9258 1.319408	Ö	0 56 233	35 806 189 4689	42 509	1 661 415.3538	ŏ
1 46819	0 25914 0 678078	2 07246	2 89091 3 270003	ŏ	0 7656		4.0187	0.742 2.114831	ŏ	0 14 9487 0 8 3578	10 4632 0 373632 6 5909 20 10226	7 0922 14 2217	2 2756 77 41985 7 1295 15.56267	0	0 47 646 0 27 811	8 587 181 0163 19 835 4 867454	17 714 21 108	24 795 7 583245 3 394 347 7192	0
	1 46973 0 149873 0 85654 0 051101		0 24792 0 696683	0	0 6 2762	1 3798 0 666595	2 026	1 9927 0 041434	ō	0 27 963	19 6052 72 77361	23.5553	9 3336 3 030575	ŏ	0 57 146	29 335 53 19907	54 159	33 051 121.215	ŏ
1 70211	0 37927 0 494666	1 08442	0 89079 0 036789 2 14675 1 132426	0	0 3 5246 0 3 7272		6 9374 2 1477	4.9114 7 372025 4 7897 6 725969	0	0 12 2016	15 7614 21 96746	31.911	8 3557 7 391628	Ó	0 24 291	32 855 116 9376	55 062	0 903 446 8248	ō
4 87567	3 17356 4 372134	1 88858	0 82416 0 066789	ŏ	0 2.3724		4.2397	2.092 0.010869	ŏ	0 17 1267 0 7 3367	4 9251 37 81458 9 79 1 849824	7 1705 22 3429	24 7405 186 7608 15 1724 16 79315	0	0 58 599 0 23 534	34 308 150 4736 35 065 169 6186	28 895 26 576	26 367 18 71228 2 119 396 8953	0
2 54224 2 21068	2 33343 1 564588 0 33156 0 564054	3 01971	1 13113 0 002356	0	0 3 1357	0 7633 2.053354	1 4998	2 7399 0 295552	ŏ	0 20 6859	13 3492 5 174466	7.1518	15 1911 16 94677	ŏ	0 34 818	11 284 115 718	45 939	19 363 7 17292	ŏ
2.2303	0 01962 1 129916	1 04376	2 30762 1 500686	0	0 6 7537 0 5 4638	2.618 0 177871 0.2899 3.634181	1.378 0.5563	0 1218 4 303354 0.8217 1 889395	0		14 5077 11 78717 25 9995 222 757		7 9733 9 517161	0	0 23 84	10 978 122 3951	19 406	26 533 20 17599	õ
2.59721	0 36691 0 512205	2 53077	1 48701 0 163551	ŏ	0 1 2845		5 4828	4.9265 7.45425	ŏ	0 16 8565	7 6624 11 64212		4.5108 43.08156 5.3541 32.72246	0	0 46 151 0 24 015	22 311 0 072775 22 136 0 008961	73 078 84 564	53 672 1000 506 8 514 182 986	0
3 54445 3 97745	0 94724 0.018321 0 433 0 421974	2 49459	0 03618 1 094985 0 71425 0 135678	0	0 4.158		3 7712	1 7116 0 234888	0	0 10 5338	6 3227 22 57917	11 8931	4 0753 48 98817	ŏ	0 26 744	2 729 372 9623	31 953	32 611 111.72	ŏ
1 36549	2 61196 2 338957		1 29346 0 044464	Ŷ	0 3.2135 0 3.6424		2 0302 3 1689	1 741 0 207255 1 1387 1 118418	٥	0 25 8295 0 20 8556	15 2957 17 81891		9 9764 1.205724 12 7844 2.923913	0	0 48 708	21 964 0.005965	23 454	8 499 183 392	Ō
1 317	0 04849 1 069373	2.90567	0 16813 0 836246	ŏ	0 6.3801		2 4687	0 7002 2 238174	ŏ	0 18 0121	2 8435 67 74862		12 /844 2.923913 27 6051 273.2622	0	0 57 326 D 39 476	8 618 180 1831 17 848 17 58318	77 784 16 618	54 33 1042 565 61 166 1530 748	0
	0 65087 0.186387 0 83266 0.062468		2 14079 1 119776 0 12683 0 913487	0	0 4 1444		2.8445	0.3758 3.314048	o	0 7.1999	10.8122 0.068778	20.8644	15 8258 22 57528	ō	0 20 751	16 727 10 98413	38 524	21 906 0 018287	ŏ
2 99458	1 49579 0 17073	2 35297	1 71492 0.399835	0	0 4 6682		5 4296 7 2902	2 5851 0 151202 1 8606 0 112663	0	0 13 1438 0 17 0054	5.9439 26.32259 3.8616 52.02527		0 2826 116 4641 16 6432 31 01092	0	0 27 493	6.742 234 0665	90.2	51 676 678 2198	Ö
2 25696	0 73762 0 119006	1 47305	0 87992 0 041077	ō	0 1.3969		2 8343	4 4559 5 106006	ŏ	0 18 0759	1 0705 100.0791		13 1612 4 354506	0	0 17 531 D 9 286	9 962 145 9078 8.243 190 3912	13.565 45.399	76 635 2980 48 31 834 95 89633	0
	0 72846 0 125412 0 90931 0 030028		0 75389 0 108047 0 19644 0 785271	0	0 4.943		1 0473	1.787 0 167488	0		13 4398 5 594858	7 3441	16 7197 31.86879	ŏ	0 29.879	20 591 2 103169	40 828	4 571 305,209	ŏ
0 77358	0 15439 0.861565	2.61603	2 09331 1 021545	0	0 4 4831 0 5 5282	0 4599 3 014921 1 0451 1 325153	4.0385	2.9912 0.631941 1.5365 0.435274	0	0 5 7317 0 18 6429	25 784 216.3707 12 9112 3 373633	19 3309 18 8582	11 9868 0 832374 0 4727 112 3972	0	0 32 723	2 844 368 5337	56 213	15 385 44 30541	Ó
2 84908	2.0755 0.98586	2 56664	0 04939 1 067513	ō	0 2 7923		3 5442	1.0422 1 331838	ŏ	0 9 1052	9 5377 2 361615		13 6226 6 493044	0	0 22 443 0 13 795	10 28 138 3265 8 646 179 3786	15 737 23 173	40 476 339 8407 7 436 213 3128	ō
3 67856 1 48657	0 82948 0 064067 2 19199 1 230757		0 23557 0 717452 0 09803 0 969368	0	0 4 1001 0 5 6635		1.8077	1 7365 0.211373	0		13.5388 6 072997	20 3307	12 1501 1 157013	ŏ	0 36 196	22 401 0 129434	30 819	7 646 207 2227	ŏ
	0 18188 D 811288	1 30265	1 12645 0 001923	0	0 5 6635 0 3 0908		2 5012 4 8553	0 6935 2 258266 2.3541 0 024916	0	0 19 7796 0 6 5011	2 8644 67 405 11 2785 0 041634		2.6879 70 3343 4.6315 41 51167	0	0 34 389	1 807 409 4241	59 993	29 174 50 8764	o.
			0 13786 0 892524	ò	0 8 1772	5 0864 8 352951	5 1657	0.3104 3 556441	ŏ	0 8 3555			2 7121 69 92898	0	0 41 642 0 95 651	7 253 218 6918 54 009 1021 938	25 291 63 779	34 702 160 2951 36 486 270 4962	0
	0 05709 1 051661 0 89331 0 035829		0 29692 0.617285 0 12543 0 916165	0	0 6 0877 0 11 2369		2.9862	2 1795 0 000281	0	0 15 4507	7 0952 15 83447		5.0879 35 83884	ō	0 84 302	11 349 114 3238	18 38	45 399 545 5854	ŏ
			0.02723 1 113796	0	0 16073		5 4539 3 5999	2 4677 0 073684 1.854 0 117137	9	0 19 9442 0 38 5544	4 4935 43 30897 18 6102 56 78746		10 9843 0 008128	0	0 29 033	55 269 1104 085	21 76	3 38 348 2415	0
1 94909	0 70533 0 142329	1 42026	0 21897 0 745848	0	0 4.8916	3.2843 1 183847	4.843	1.2431 0.9085	ò		27 4086 266 8043		15 782 22 16098	ă	0 52 431 0 11 59	23 398 1 840823 40 841 353 4313	84 763 90 259	53 003 1677 867 5 496 273 7447	0
2 98619 1 26216	1 0371 0 00207 1 72403 0 411439		0 31779 0 584927 0 13477 0 898372	0	0 1 7328		6.6429	1 7999 0 157096	0	0 20 7709	9 6251 2 100629		7 4367 13 23326	ŏ	0 21 028	9 438 158 8414	60 467	29 792 60 07442	ŏ
	0 72044 0 131156		1 1977 0 013249	Ö	0 2.6074		5 4316 3 2652	1 2113 0 970132 2 1664 0 000691	0	0 14 4916 D 13 472	6 2793 22 99351 1.0196 101 1001	10 7817	10 7602 0 098756 11 2926 0 047587	0	0 24 138 0 53 555	3 11 358 3915 29 417 54 40197	10 203	50 264 796 5247	0
	0 45219 0 397411		1.759 0 457524	0	0 6.862	4 2546 4 236793	5 7014	2 4362 0.057575	ŏ	0 22 5522	9 0802 3 977052		7 4474 13 15553	ŏ	0 72.8	19 245 7 818906	20 935 34 756	10 732 127 8987 13 821 67 57219	0
	0.01883 1 131596 0 38528 0 486248		0.59813 0.234706 1.71529 0.400303	0	0 5 0478		5 5836	0 1178 4.319966	0		13 4197 5.500175		3 3693 59 36941	0	0 12 057	60 743 1497 827	23 609	11 147 118 6843	ŏ
1 27457	0 65995 0 178629	3 07724	0.2045 0.771051	0	0 5 2494 0 2,2201		2 4696 6 2303	3.114 0.84226 3.7607 2.447495	0	0 26 123 0 37 3383	9 8489 1 501985 11 2153 0 019837		0 5142 111 519 18 0815 49 00868	0	0 21 164 0 68 08	9 107 167 2943 46 916 618 7541	49 701	26 092 16 40873	0
	0 32565 0 572966		2 20268 1.25459	ŏ	0 5.637	3 4169 1.48998	2 7115	3 5188 1 749131	ŏ	D 50.5011	13 1628 4 361186	23 4835	5 3414 32 86792	ŏ	0 68.08 0 49.64	18 44 12 96886	6 855 27 959	40 846 353 6193 19 104 8 527324	0
	0 27128 0 658232 0 34896 0 538191		1 09163 B 2E-05 0 15093 0 868	0	0 3.7578		4.9011	2 1896 4 4E-05	0		29 3747 334 899	14 4285	9 055 4 078198	ŏ	0 82 993	33 353 127 9561	31 992	4 033 324 2964	ŏ
	0 64123 0 194803		1 08168 8 4E-07	ŏ	0 17927		3 1191 1 1054	1.782 0 171605 2.0137 0 033326	0	0 41 7957 0 22 6213	20 6693 92 06105	9 8749 37 90A6	4 5536 42 52155 26 0307 287 5143	0	0 51 363 D 45 588	31 63 91 9445	59 256	27 264 27 27732	0
	0 71859 0.1325		0 73576 0 120295	ō	0 4 1259	0 4678 2 987549	5.2472	4 1418 3 785154	ŏ	0 22 0502	0 5711 110 3205	5 5591	32 3465 452 4999	٥	0 43 454	5 775 264 5903 2 134 396 2978	37 415 28 668	21 841 0 040092 8 747 176 7366	0
2 00635	1 05709 0 000651		1 24293 0.025707 1 18318 0.010117	0	0 9 9781		1.6367	3.6105 2 000095	ò	0 22.266	0 2158 117 9104	15 3366	9 7775 1 682092	ŏ	0 36 421	7 033 225 247	39 42	10 752 127 4467	0
	0.2573 0.681112 1.04137 0.0017	1 44646	1 18318 U 010117 0.08263 0.99993	0	0 4.8949 0 3.072		3 5473 5 3759	1 9106 0 081598 1 8286 0 135169	0	0 28 2636 D 11 3412	5 9976 25 77445 16 9224 34 19846		1 9938 82 45829 5 4683 31 42897	0	0 49 666	13 245 77 37367	78 192	38 772 279.9186	ō
				-		115 0 100082		0 100109	٠	5 11.5412	10 0244 JH 18640	11 0021	U 4003 31 4209/	U	0 29 637	20 029 4 049072	62 75	15 442 43 54985	0

		1 88549 0 64464		0	3 2761	0 5312 2 77240	11	0	16 7155	7 295 14.28428	0	36 421	3 452 345 5595
		0 39924 0 466974		0	3 1285	0 1476 4 19697		0	30 7051	13 9896 8 498072	ŏ	21 957	14 464 57 41443
		0 38596 0 4853		0	1 4922	1 6363 0 31354		0	15 1981	15.507 19 64748	ŏ	25 704	3 747 334 6789
		1 1513 0 00472 1 27547 0 037201		0	6 0798	4 5876 5 71854		0	8 8179	6.3802 22.03603	ō	44 679	18 975 9 401771
		0 16521 0 841595		0	4 696	1 3838 0 66007		0	26 4612	17 6433 43 14973	0	36 613	8 066 195.3071
		0 37611 0 499121		0	4 3288 3 8791	0 3672 3 34543		o o	33.7005	7 2393 14 70841	0	53 11	16 497 30 73849
		0 06603 1 033405		0	2 0694	0 4497 3 05044 1 8097 0 14942		ō	19.6952	14 0053 8.589854	0	21 115	31 995 99 07752
		1 08245 2 1E-08		ŏ	2 0337	0 0357 4 66796		0	10 614	9.0812 3.973065	0	19 005	2 11 397 254
		0 44268 0 409491			5 7436	3 7099 2 29112		0	13.3765	2 7625 69 08859	0	57 185	38 18 260 4599
2.75	5685 (	0 96482 0 013871		č	5 0857	0 6579 2 36652		0		32 2204 447 151	o o	66 876	9 691 152 5282
		94848 0 749757		ň	0 9591	4 1266 3 7262		, ,	10.0273	41 4207 920 8946 5 8511 27 28344	1	23 113	43 763 471 8353
1 00	8262 (	27425 0 653422		Ö	4 2454	3 2863 1 18820		•	13 046	3.0187 64 89519	0	34 662	11 549 110 0869
		1 38026 0 088604		ŏ	3 9627	0 2827 3 66168		ŏ	16 9719	3 9259 51 10184	0	46 395 64 622	11 733 106.2596
		0 05199 1 062147		0	2 3526	1 6101 0 34357		ŏ	11 651	5 3209 33 10339	0	30 459	18 227 14.54836 34 163 146 9373
		0 51622 0 320781		0	2 0817	0 2709 3 70698	13	ŏ	26 8786	15 2276 17 24862	č	21 38	9 079 168 0194
		0 84889 0 054618		0	4 3722	2 2905 0 00888	13	ŏ	20.2237	6 6549 19 53246	ň	103 012	81 632 3551 06
		0 694 0 151006		0	7 0573	2.6851 0.23897	2	Ö	15 435	4 7867 39 51071	ň	24 124	78 888 3231 555
		45751 0 390731		0	2 3299	4 7274 6 40670		0	21 8837	6 4487 21 39761	ŏ	93 344	69 22 2225 836
		39581 0 471674		0	2 2579	0.072 4.5124		0	7 918	13 9657 8.359299	ŏ	65 973	27 371 28 40644
0.64	0207 (	0 32837  0 568856 1 84636  0 583337		0	1 9361	0 3218 3 51357		e e	18 3961	10 4781 0 355639	Ó	44 852	21 121 0 846825
234	0043	1 30438 0 049189		0	1 73	0.2061 3.96070		0	14 1157	4.2804 46 15918	0	39 076	5 776 264 5577
		0 46247 0 384555		0	6 5 1 6 6	4 7866 6 70989		0	18.4282	4.3125 45 72403	0	9 053	30 023 63 70864
		93769 0 020997		ų,	1 2897 6 4064	5.2269 9 18482 5 1167 8 52901		0	14 2888	4 1394 48 09499	0	14 39	5 337 279 0313
		0 63801 0 197656		,	6 0654	0.341 3 44196		0	28 5099	14 2211 9 901376	0	18 361	3 971 326 5332
		1 22542 0 020399		v v	1 0819	4.9835 7 76874		0		18 2681 51 74853	0	75 307	56 946 1218 343
		91635 0 027637		ň	1 2922	0 2103 3 94400		0		21 2071 102.6705 13 7738 7.286465	0	42 113	33 194 124 3843
0.97		1 03697 0 002082		ň	1 7081	0 4159 3 16965		ž	12.5696	5 1055 35 62842	0	69 118	27 005 24 63901
		17186 0.829438		ŏ	7 8412	5.9331 13.9640		ŏ	14 7748	2.2052 78.66368	0	57 831	11 287 115.6535
0.69	9055 (	10883 0 948219		ŏ	1 7503	5 8909 13.6504		ň	22.8217	8 0469 9 166088	ž	31 742 15 106	26 089 16 38444
	6613			ō	4 5603	2.81 0 37668		ň		10 7254 0.121839	ŏ	44 537	16 636 29 21652 29 431 54 60869
	9335 '			0	6 3403	1 76 0 17326	8	ŏ		15 4547 19 18655	ň	79 945	35 408 178 6705
	4329 (			0	3 0168	3.3235 1.27068	16	ŏ	20 1547	7 3963 13 52882	ŏ	20 713	59 232 1383 153
		0 51006 0 327796		0	8 5428	5.526 11.0872	2	ō	30 5462	10.3915 0.466427	ň	33 663	12 95 82 65048
		1 27108 0 035527		0	4.5103	4 0325 3.37180		0	14 8512	15.695 21.34944	ŏ	27 055	6 608 238 1846
		0 16807 0.836356		0	4 2375	0.2728 3.69967		ó	9 5003	5 3509 32 75908	ŏ	12 18	14 875 51 35486
		1 28686 0 041724		0	2 2727	1 9648 0.0535		0	20 3669	10 8666 0.043204	ò	36 104	23 924 3 54482
		78786 0 086869		0	2.5465	0.2738 3.69582		0	10 4831	9 8838 1 417659	ō	58 701	22 597 0.308879
		0 45488 0 394026 0 7777 0 092961		0	3.8363	1 2898 0 82165		0	33 3854	22.9023 139.6979	0	14 104	44 597 508 7627
		1 62546 0 294702		0	3.5781	0 2582 3 75604		0	22 5804	10 505 0.324279	0	16 189	2 085 398 2511
		0.3091 0.598295		0	0 9972	2.5809 0 14795		0	26 0935	3.2131 61.8009	0	63.841	47 652 655.9115
		2 37457 1 669199		ÿ	2.6834 4.552	1 6862 0 26015 1 8686 0 10735		0	17 1617	8.9318 4 59097	0	41 203	22 638 0.356134
		04736 0 001242		ŏ	1.2117	3 3403 1 30884		0	13 9575	3 2042 61 94091	0	57 402	16 199 34 13166
		1.46405 0 145508		ň	4 1822	2.9705 0.59945		v v	11 6798 27 9659	2.2777 77 38289 16.2861 27 16125	9	21 949	35 453 179 8756
		3 5969 6 321729		ĭ	1.5155	2.6667 0.22132		ň	19 5537	8 4122 7 087601	0	19 993	1 956 403 4165
		2 86618 3 181 175		ó	5.5349	4.0194 3 32386		ň	13 6063	5 9474 26.28669	ŭ	50 875 25 827	30 882 78 1592 25 048 9.040661
		1 18056 0 009597		0	2 201	3 3339 1 29424		ŏ	26 4122	12 8059 2.997902	ŏ	31 175	5 348 278 664
		91627 0 027664		0	2 6806	0.4796 2.94689	17	ŏ	17 0756	9 3366 3 020139	ŏ	13 014	18 161 15 05619
		35136 0.534705		0	4.8864	2 2058 9 1E-0	15	ō	17 5518	0 4762 112 323	ŏ	49 548	36 534 210 0404
		0 66219 0 17674		0	3.5321	1.3543 0 70686		0	37 7903	20 2385 83 97972	ŏ	24 474	25 074 9 197689
		31818 0.58433		o,	6 8331	3.301 1.22046		0		18 0855 49 15475	ā	67 481	43 007 439 5635
		0 27453 0.652969 1 00964 0 005322		0	7 32	0 4869 2 92188		0	17 0197	2 6851 70 38127	0	45 469	22 012 0.000854
		2 19439 1.236088		0	7 0927	0 2273 3 87677		0	9 7643	7 2554 14 58518	0	90 28	44 811 518 4624
Sum MR > UCLmr	7720 2	1 19439 1 230000		0 128 5	7 8196	0.7269 2 15899	16	.0	11 5141	1 7498 86.94919	0	54 168	36 112 197 9865
	5905		4063.998	Sum X	32086.97		7944 791	146 31			124 2		
	9969		4003.330	X Average	4 003177		7944 /91	Sum X X Average	159671	39788 14	Sum X	321468 8	80684 96
	2595			MR Average	2 196253			MR Average	19 94592 11 07445		X Average	40 21518	
	1 128			Normal constant d2 ( n=2 )	1 128			Normal constant d2 ( n=2 )	1 128		MR Average	22 04123	
Normal constant D4 ( n=2 ) 3	3 268			Normal constant D4 ( n=2 )	3 268			Normal constant D4 ( n=2 )	3 268		Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 )	1 128 3 268	
Upper contro limit for X ( UCLx 4.876	6142			Upper contro limit for X ( UCL				Upper contr. limit for X ( UCL)			Upper contro limit for X ( UCL		
Lower control limit for X ( LCLx -0 8)	8234			Lower control limit for X ( LCL	× -1 83792			Lower control limit for X ( LCL)			Lower control limit for X ( LCL		
Upper control limit MR (UCLmr 3 53)				Upper control limit MR (UCLn	r 7 177354			Upper control limit MR (UCLm			Upper control limit MR (UCLn	72 03074	
MR Standard deviation 0.883	3636			MR Standard deviation	1 796333			MR Standard deviation	8.964618		MR Standard deviation	18 15019	
Process standard deviation	. 1			Process standard deviation	2			Process standard deviation	10		Process standard deviation	20	
Gamma d2 1 08:				Gamma d2	1 098126			Gamma d2	1 107445		Gamma d2	1 102062	
Gemma d3 0 883				Gamme d3	0.898167			Gamma d3	0 896462		Gamma d3	0 907509	
Gamma D4 3 44: 4 Alpha=4	1866 T			Gamma D4	3 453725			Gamma D4	3 428458		Gamma D4	3 470396	
4 Alpha=4 0 5 Beta=0 5				4 Alpha=4				4 Alpha=4			4 Alpha=4		
Proportion MR > UCLmr 0 01	7602			1 Beta=1 Proportion MR > UCLmr	0.017700			5 Beta=5			10 Beta=10		
Percentage 1 760				Percentage	0.017702 1.770177			Proportion MR > UCLmr	0 015102		Proportion MR > UCLmr	0 018702	
	8125			ARL for MR	56 49153			Percentage ARL for MR	1.510151 66 21854		Percentage	1 870187	
				CALL IN MILI	AC 42 172			ARL IOF MIX	00 21804		ARL for MR	53 47059	

5 Alpha=5				5 Alpha=5			5 Alph				upha=5					
0 5 Beta=0 5 1 07974	MR (MRI-MR)^2 3 5469	MR (MR+MR)*2 6 2 0358 0 641893		1 Betn=1 0 2 9028	MR (MR+MR)*2 5 805	MR (MRI-MR)^2	5 Bets		MR (MR+MR)^2		Seta=10	MR (MR+MR)*2	M	R (MRI-MR)^2		
1 56595	0 48621 0 560114 1 418		0	0 40098	1 107 1 894332 4 873		0 14 0 0 25	0566 23 50 4499 11 3933 0 909053 44 47	536 17 5218 26 78122	0 0	47 753 43 843			1 944 112 9781 3 256 326 1233		0
3 26401	1 69806 D 214779 2 6092	7 1 19067 0 001931	ō	0 48418	0 832 2 726948 7 661	2 7881 0 092874		3492 14 8993 6 515549 18 32	213 26 1576 190 7398	0 0				2 609 471 1455	0	Ü
1 14765 3 33162	2 11636 0 77747 1 4183		0	0 5 3451	0 5033 3 920588 4 677		0 0 31	4167 8 9325 11 65705 11 65	542 6 6671 32.25834	ŏ ŏ				0.831 181.8152	ŏ	ŏ
3 33162		9 0 82995 0 163756	ò	0 3 3801 0 9 5113	1 965 0 268684 5 710 6 1312 13 30683 7 314			5314 21 8853 90 98408 27 64		0 0	53 4			448 97 35543	0	0
1 66348	1 71995 0 235548 1 2757	4 0 97619 0 086785	0	0 47212	6 1312 13 30683 7 314 4 7901 5 321108 3 160			6469 26 1155 189 5787 25 13 4873 4 1596 67 0293 30 62		0 0	45 843 53 14			922 179 3694	0	0
1 55128	0 1122 1 259821 0 6631	8 0 61256 0 386956	ŏ	0 4 8319	0 1107 5 629456 3 427			1144 15.3729 9 157628 34 20		0 0	37 348			7 161 & 100367 3 056 3 031479	0	0
3 46223	1 9 1095 0 457426 2 6008		0	0 6 1617	1 3298 1 330672 3 851	0 4242 4 240088	0 0 2		174 21 8501 90 3138	ŏŏ	42 199			1 497 910 96	ŏ	ő
4 91497 1 28157	1 45274 0 047577 2 3251 3 6334 5 754157 2 1348		0	0 3 0317 0 6 0751	3 13 0 41816 3 54				68 3 2626 82 52165	0 0	91 068			7 818 272 1472	ō	ō
2 00249			0	0 6 0751 D 4 5401	3 0434 0 313659 8 188 1 535 0 899363 6 24			9523 10 4604 3 558289 15 75 6712 12 2811 0 004309 27		0 0				635 11 02316	0	0
	2 21066 0 952659 1 7385	7 0 16286 1 148684	ŏ	0 3 0363	15038 0 959513 2 729			6712 12 2811 0 004309 27 0328 13 6384 1 668379 23.04	144 11 3903 0 914783 431 4 1009 67 99392	0 0				3 379 438 3113 1 321 168 8411	0	0
2 30045	1.9127 0 459796 3 0813		0	0 2418	0 6183 3 478402 3 999				657 17 5226 26 7895	0 0	23.242			2 675 69 89 151	ň	ŏ
2 80184 1 73867			0	0 7 2346	4 8 166 5 444068 4 442				119 23 8538 132 4124	o o		47 267 526.7996		056 59 92485	ō	ŏ
2 05937	1 06317 0 029394 1 6648 0 3207 0 835245 3 6381		0	0 5 465 0 6 3506	1 7696 0 509435 6 76 0 8856 2 552797 4 681			1203 10 3574 3.957484 8 73		0 0				17 19 50 76399	٥	0
2 5696		9 2 23125 0 993276	ŏ	0 84171	2 0665 0 173762 6 206			7864 1 3339 121 2827 26 15 1823 4 6041 59 94851 20 46		0 0	78 758 45 792			5 265 438 9073 5 155 367 1012	0	0
3 37311	0.80351 0.185854 1.7720	6 0 36518 0 755956	ŏ	0 2 8594	5 7577 10 72139 6 943				633 17 5226 27 83467	0 0	63 486			7 822 552 5844	0	0
2 90406 1 38113			0	0 9 4099	8 7505 18 20859 7 214		0 0 12	7298 32.4772 405.2353 28.50		ō ō	55 063			517 1781 018	ŏ	ŏ
1 96881	1 52293 0 083124 2 8992 0 58768 0 418528 4 0150		0	0 4 4822 0 3 7217	4 9277 5.97486 4 141 0 7605 2 968203 3 783				281 11 1791 1 363389	0 0	53 736			457 14 88328	0	0
2 50294	0 53413 0 490683 1 3105	2 2 70454 2 160672	ŏ	0 4 8478	1 1261 1.84212 3 842			4914 20 4942 66 38106 19 94		0 0	82 861 47 574			3.251 837 2987	0	0
1 52343	0 97951 0.06508 3.2229	4 191242 0 459416	ō	0 3 6596	1 1882 1 677407 1 937			6909 19 3965 49 72728 22 5		0 0	45 888			3 356 80.26163 2 265 4 202031	ň	0
1 19808			0	0 3 8524	0 1928 5 246607 5 921	3 9837 2 251058		4786 5 2123 50 90027 37.5		ŏŏ	40 803			698 11.44546	ŏ	ŏ
5 73276 2 6298			1	0 3 7283 0 10 0638	0 1241 5 566048 3 437			3989 2 9203 88 85782 17 15		0 0			87 041 59	567 1242 712	ō	ō
0 B1147	1 81833 0.34072 3.3529	1 0 74699 0.237781	0	0 10.0638 0 2.8474	6 3355 14 83908 5 005 7 2164 22.40179 5.20			7054 2.6935 93 18509 30 25 4725 3 7671 73 61027 18.65		0 0	39 499 63 314			498 911 0204	0	0
2 15976	1 34829 0.012921 1 5814	8 1 77143 0 288168	ŏ	0 4.9375	2.0901 0 154643 7 652			9523 12 5202 0 030067 22 2		0 0				3 681 58 27621 5 742 130 5789	0	0
1 76522			0	0 10.3067	5 3692 8 328145 3 365	4 287 3.253163	0 0 34	5111 14.5588 4.893198 32.10		ŏŏ				815 691,696	ŏ	ŏ
2 2527 1 65925	0 48748 0 558214 4 1088		0	0 4 1397	6 167 13.5693 6.176			4931 26.018 186.9033 19 9		0 0				10 11 201 7788	ō	ō
1 33464		8 2.2545 1.04016 4 1.00468 0.577685	o o	0 2 3584 0 3 6165	1 7713 0 507011 1 768 1.2481 1 525836 3 028			1147 6.6218 32 77726 24 2 3924 11.2777 1.142852 28 7		0 0				7 782 273 3363	0	0
3 45224	2 1176 0 779658 3 0728		ŏ	0 4 2854	0.6689 3 292219 5 044				765 4 5601 60.6318 157 20 6195 68 43851	0 0	62 169 59 092			1 303 400 4756 1 654 386 5504	0	0
1 88209			0	0 4.6129	0.3275 4.847678 8.892	1.848 0 403666		1798 21 7305 88 0549 30 80		9 9				5 898 339 1817	ŏ	ŏ
2.38122		3 3 49146 5 093338	0	0 3 724	0.8889 2.542262 1 106			5554 24 3756 144 6934 15.5		0 0				1.312 169.075	1	ō
2 24181			ņ	0 6.2091 0 5.3706	2 4851 3 1E-06 1 975 0 8385 2 705523 9 318			3.342 17 2134 23 68435 23.52 .5342 11 1922 1.332969 23.30	203 8.0016 18.88026 912 0.1291 149.2708	0 0				4.84 379.2712	1	0
2 59748		3 0 75513 0.229908	ŏ	0 5 1275	0.2431 5.018708 7 558			3137 5.2205 50.78333 13.50		0 0	21 292 33 422			2.899 130.3224 3.996 387 425	0	0
1 87849		8 0 87402 0 130031	0	0 13 6759	8 5484 36 78486 4 183	3.3756 0 796115		6365 9.3228 9 144229 25.9		0 0	36 969			2.735 339 3006	ŏ	ŏ
0 99817 4 03124	0.88032 0.125527 3.7030 3.03307 3.234431 1.985		0	0 6 0884	7 5875 28 05237 4 264			1418 1 4947 117 7668 22.54	496 3.3705 80.57293	o o	32 093	4 876 377 8703		161 229 6402	ŏ	ō
2 64701		6 171757 0.233243 9 0.55671 0.459559	0	0 6.2878 0 7.4279	0 1994 5:216416 8:996 1 1401 1:804314 2:668			1343 9.9925 5.542458 27.0° 17288 3.5945 76.60175 29.00		0 0	31 265			1 496 738 9217	0	0
1 00248	1 64453 0 168028 2 6303	4 1 20155 0 001093	ŏ	0 4.5954	2.8325 0 121908 4.594			6629 16 0659 13 83213 32.8		0 0	67 032 21 026			9 041 2000 425 0.999 278.3597	0	0
3 00551		5 0 39531 0 704437	0	0 7 7005	3 1051 0.386576 3.96	0.6261 3 449368		3964 7 7335 21 28201 22 20	032 10 6142 3.001704	ŏŏ	20.629			048 1.604999	ŏ	ŏ
1 71786 1 09607			0	0 4.9889	2.7116 0.052099 5.023				179 26 5147 200 731	0 0	45 259	24.63 D 099297	24.849 57	7 572 1106.036	Ö	ō
2.32542			0	0 9 4249 0 5 4208	4.438 3.812852 3.513 4.0041 2.312689 3.715			.8842 3 7314 74.22413 30 20 5 149 11 7352 0 373984 25 73		0 0				2 411 3.62478	0	0
1 12327	1 20215 0 001054 1 0106		ŏ	0 3.8004	1 6204 0 744678 5.559			1036 7 9546 19 29092 32 12		0 0	43.894 54.892			3 659 426 6656 1 054 175 8511	0	D
3 31009		2 0.91156 0 104366	0	0 6 1422	2.3418 0 020036 4 634	0 9252 2 427823		0657 2.0379 106.2722 58 7		ŏŏ	51 716			5.091 138 6769	ŏ	ŏ
2 47822 3 60301	0.83187 0.162206 0.7749 1.12479 0.012062 4.0638		0	0 4.8534	1.2688 1 426943 10.95				616 41 7913 866 982	0 1	37 747		26 251 42	387 326 6013	ō	ō
2.02372			ů	0 3 7603 D 4 5953	1.0931 1.932788 7.855 0.835 2.717049 3.450			4964 0.065 150.3503 16 24 4896 7 9932 18 95333 8 21		0 0	38 317 67 933			2 296 484 8313	0	0
4 4306	2 40688 1.374199 1 8534	5 1.25494 0 000413	ŏ	0 4.2874	0 3079 4 732571 3.542				865 14.3167 3.880732	0 0	38 501			5 329 1.028426 5 862 238 7917	0	0
0 47303		2 1.30797 0.005381	0	0 6.8226	2 5352 0 002689 4 387		0 0 30	0154 1 9715 107 6457 18 0	672 4.5193 61 26886	ŏ ŏ	38 757	0 256 578.83		1 572 517 2388	ŏ	ŏ
4 06493 4 61555		8 0.10666 1.272288 7 0.07662 1.340958	0	0 3.3983	3 4243 0 885392 2 150			3019 20 7135 70 00263 22 0		0 0	38 072	0 685 558 3715		3 111 77 37163	0	0
3,77708		8 0 45152 0.613242	0	0 3.0878	0 3105 4 721266 4 103 0 5201 3 85434 2 875			9011 7 5992 22 53916 28.79 6544 1 2467 123 2109 12.1	574 6 7272 31 57926 949 15 8084 11 98307	0 0	49 698			841 20 48571	0	0
1 7336	2 04346 0.654226 3.0800		ŏ	0 5.2042	1 5963 0 786853 1 516			.8412 9 1868 9 965237 37 9		0 0	44 402 28 534			1 773 55 62347 7 326 529 5114		0
1 61067			0	0 7 1467	1 9425 0.292516 4.561		0 0 54	4351 29 5939 297 4644 17 13	275 20 7761 71 05407	ŏŏ				0 013 204 5439	ŏ	ŏ
2 03211		8 1.35592 0.014714	0	0 3 6615	3 2852 0 642968 4 722			8847 25 5504 174.3366 25 6		0 0	73 834		66 966 29	386 25 7162	ō	ŏ
		4 0.26952 0.931413 4 3.09544 3.46266	0	0 3.5359 0 2.8881	0 3256 4 655874 5 886 0 6476 3 369234 7 66			7447 9.86 6 183889 21.5 4604 22.2843 98.75505 17.7		0 0				844 90 80402	0	0
		3 2.22301 0.97692	ŏ	0 5.4054	35173 1 069058 5 803			14604 22.2843 98.75505 17.76 11916 2.7312 92.45868 15.8		0 0	29 091 35 391			8 624 151 5143 3 595 371 7228	0	0
1 87735	1 01626 0 04768 2 1746	4 0 54179 0 48001	ō	0 772	1 3146 1 36597 3.656	2 1468 0 113264	0 0 22		659 31.8133 378.9469	0 0	25 973			3 090 371 7228 7 098 298 4211	0	ŏ
3 07456		0.93013 0.092713	0	0 2 7681	4 9519 8 093752 7 586			4218 8 5739 14 23434 24	455 23 204 117 88	a o	74 474	48 501 584 9681	18 402 14	847 89 84086	ŏ	ŏ
4.24346 2.32625		6 0.74865 0.236164 i2 0.60764 0.393101	0	0 7 8499 0 4 8654	5.0818 6 751956 2 981 2.9845 0 251154 7 751			0397 7 6179 22.36195 39 7		0 0		22 797 2 303977	40 709 22	2 307 4 031605	Ö	ò
2.84001		15 0 36167 0.762037	0	0 4 8654	2.9845 0.251154 7.761 1.0597 2.026772 6.864			11.04 10.9997 1.814524 46 19 1094 1.0694 127 1785 39 2	979 6 4906 34 29441 146 6 9833 28 76652	0 0	54 036 47 12			1 202 1360 659	0	0
1 22033	1.61968 0 148273 3 1800	4 2 15619 0 849296	ŏ	0 3 4273	2 4978 0 000209 3.94			0852 15 9758 13 17006 45 4		0 0				1 346 49 43657 2 741 339 5217	0	0
2 09993	0.8796 0.126037 2.0650	8 1 11496 0 014318	0	0 1 7698	1.6575 0 682024 3 462	0 4806 4 010997	0 0 20	9351 7 1501 27 00509 25 4	543 20 0429 59 23084	ŏŏ	20 75	6 046 333 7522		8 961 7 001921	ŏ	ŏ
5 96812 3 00293			0	0 8.8697	7 0999 21.31256 3.878			0988 0 1637 148 4265 33 0		0 0	29 496		59 036	4 251 402 5595	ō	0
	2.96519 2.994881 1.7021 1.30095 0.0044 4.1676		0	0 6.8754 0 2.2251	1 9943 0 239167 5.030 4 6503 4 695684 5 207		0 0 22	1.3713 1 2725 122 8388 23 8 1 4318   0.9395 130 1252   21 5	972 9 3445 9 013461	0 0	26 588 24 766			3 153 78 11227	0	0
. 53000			•	- 4.2201	100001 0201		J J 21	10.0 0.000 100 1202 210	NOV 2 12/0 104 4309		4 /00	1 822 505 9299	22 82 3	3 063 451 6426	U	0

		2 25556 1 042324	0		3 7792 1 679234	0	13 4849	2 0713 105 5847	0	30 246	34 317 100 0423
		4 7407 12 29261 5 62262 19 25457	1	8 5446	4 6252 4 587533	0	20 253	6 7681 31 12125	0	54 826	24 58 0 070286
		0 57744 0 431882	1	3 9542	4 5904 4 439671 6 2439 14 14176	0	32 172	11.919 0 182964	o o	59 22	4 394 396 8417
		0 01072 1 497925	ŏ	6 0758	4 1223 2 686166	0	20 9336 38 0435	11.2384 1.228423 17.1099 22.68767	0	40 853 62 386	18 367 35 37734 21 533 7 738887
		2 63111 1 950191	o	6 4503	0 3745 4 447237	ŏ	8 7951	29.2484 285 666	ŏ	80 037	17 651 44 40737
		1 92206 0 472577	o	1 7938	4 6565 4 722592	ó	35 6191	26 824 209.591	ŏ	40 173	39 864 241 775
		0 44774 0 619176 0 44112 0 629638	0	8 3348	6 541 16 46454	0	16 1141	19.505 51.24065	0	69 802	29 629 28 23981
		2 80073 2 452708	ŏ	3 0281 5 0815	5 3067 7 97132 2 0534 0 184855	0	21 924 17 6107	5 8099 42 73031 4 3133 64 5362	0	61.27 47.771	8 532 249 0995 13 499 116 9834
	2 86582	2 82673 2 534822	ŏ	6 5176	1 4361 1 096727	ŏ	12 8899	4 7208 58 155	0	34.46	13 499 116 9834
		1 93785 0 494536	<u>o</u>	8 3015	1 7839 0 489227	0	25 6902	12 8003 0.205714	ŏ	29 691	4 769 382 0416
		3 54207 5 324337 1 49029 0 065368	0	4 7321	3 5694 1.17951	0	21 1203	4 5699 60 47928	<u>o</u>	49 714	20 023 18 42028
	5 23164	2 25189 1 034843	ŏ	4 2538 3 9871	0 4783 4 020215 0 2667 4 913526	0	27 1342 10 9266	6 0139 40 1049 16.2076 14 90622	0	37 709 32 597	12 005 151 5333 5 112 368 7508
	2 68479	2 54685 1 721954	ő	4 4203	0 4332 4 203104	ŏ	40 4285	29.502 294.3029	0	65 384	32 787 71 77672
		0 07419 1 346592	0	2 0929	2 3274 0 02432	ō	25 9821	14 4465 4 408981	ŏ	71 275	5 891 339 4396
		0 63404 0 360693 0 40862 0 682272	0	12 4445	10 3516 61 9094	1	14 2669	11 7152 0.398846	0	62.262	9 013 234 1477
		0 64714 0 34513	V	6.8579 4.8303	5 5866 9 630177 2 0276 0 207706	0	18 49 8 4126	4.2231 65 99357 10.0774 5 149916	0	22 855	39 407 227 7719
	1 83126	0 35762 0 769125	ŏ	3 0771	1 7532 0.533115	ĕ	11 0242	26116 94,773	0	64 992 43 534	42 137 317 6278 21 458 8 161795
	4 00033	2 16907 0 873201	o	13 1329	10.0558 57 34204	ĭ	33.84	22 8158 109:6012	ŏ	85 901	42 367 325 6788
		0 39632 0 702743 1 97766 0 552112	9	1.806	11 3269 78 20842	1	18 9113	14.9287 6.666504	Ö	36.85	49 051 611.8754
		183506 0 360531	0	2 0614 4 5561	0.2554 4.96375 2.4947 0.000129	0	15.8563	3 055 86 33648	0	54 433 66 709	17 583 45 31828
		1 45817 0 049976	ŏ	3 4022	1 1539 1.76743	ŏ	26.6714 21.5148	10.8151 2.345929 5 1566 51.69815	0	66 709 64 466	12 276 144.9348 2 243 487 1681
		0 05496 1 391592	ō	7 0557	3 6535 1.369257	ŏ	38 7034	17 1886 23.44358	ŏ	44 838	19 628 21 9669
		0 46176 0 597309 0 5363 0 487647	ō	1.9579	5.0978 6 835363	0	30 1095	8.5939 14 08383	ō	30 388	14 45 97 31597
		0 5363 0 48/64/	0	4 4673 1,897	2 5094 0 000679 2 5703 0 007561	0	21 6454	8 4641 15.07491	0	97 045	66 657 1792 855
		0 95562 0 07784	ŏ	4 8838	2.9868 0.253465	0		34.7063 499.9498 24.6252 150.7605	0	26 781 48 452	70.264 2111.321 21.671 6.990131
		3 54698 5 34702	ō	1.8504	3 0334 0.302558	ŏ	33 3052	1.5767 115.9507	ă	24 14	24 312 8 3E-06
		4 85615 13 1155	1	8 8296	6.9792 20.21269	0	17 1896	16 1156 14:20429	ŏ	12 673	11 467 165 0682
		1 82541 0.349036 0 80946 0 180759	0	3.5055 6.2197	5.3241 8.069875 2.7142 0.063293	0	11 417	6 7726 43 21935	o o	88 473	75 8 2650 717
		0 80678 0 183045	ě	4.8608	1.3589 1 264382	0	20 1894 18 6211	8 7724 12 77593 3.5683 77 06108	0	37 673 30 664	50.8 701 4613 7,009 299 4937
		1 22945 2.7E-05	õ	3.0598	1.801 0 465598	ŏ	52 7417	36 1206 565.1963	ŏ	30 304	0.36 573 8365
		2 18445 0 902182	ō	1.7304	1.3294 1 331595	0	33.704	19.0377 44 76891	ō	36 686	6 382 321.5884
		0 34018 0 800018 2 58707 1.77543	0	1.6601 6.7943	0.0703 5 822798 5 1342 7 02702	0	23 6455	10 0585 5 236054	o o	58.366	21 68 6 942622
		3 57636 5 483758	ă	6 2525	0 5418 3 769606	0	13 9967 18 7171	9 6488 7 278894 4 7204 58 1611	0	33 825 62 961	24 541 0 051128 29 136 23 24314
	1 80311	0 54904 0 470017	ō	7 8566	1.6041 0.773076	ŏ	19 0236	0.3065 144.9674	ŏ	65 149	2 188 489 5991
		0 20893 1 052035	o o	5.2234	2.6332 0.022456	0	43 8729	24.6493 156.3139	ō	102 156	37 007 161 0898
		0.76365 0.22181 0.52153 0.508494	0	2.9746 3.3522	2.2488 0.055012 0.3776 4.434172	0	18 1313	27 7416 237 0016	0	25 738	76 416 2714 735
	1 33296	0 9212 0 098231	ŏ	1 4025	1.9497 0.28478	ŏ	28 5568 31 1521	12.4255 0.008203 2.5953 95.09063	0	78 351 49 263	52 613 800 7833 29 088 22 78262
		1 03768 0 038784	ŏ	3.6647	2.2622 0.048906	ŏ	17 2671	13.885 2.366236	ŏ	65 194	15 931 70 28954
	2 34732	0 02332 1 467242 1 20917 0 000648	0	4.5439	0 8792 2.573289	ō	35.688	18 4209 36 89539	ō	32 615	32 579 68 29559
		0 15252 1 170935	0	3.8428 8.1261	0.7011 3.176406 4.2833 3.239829	0	27 7642 7 6298	7 9238 19 56242 20 1344 60 64761	0	29 003	3 612 428 6095
		2 72614 2 224639	ŏ	5.675	2 4511 0.00104	Ö	29 7713	22 1415 95 93727	0	70 977 40 713	41 974 311 8443 30 264 35 39196
		1 16337 0 005076	Ō	4 4511	1 2239 1.586208	ŏ	33 3711	3.5998 76 50901	ŏ	27 775	12 938 129 4335
		0 89915 0 112538 0 4129 0.67522	0	3.8726	0.5785 3.628444	o o	14 9362	18 4349 37 08566	0	45 725	17 95 40 51177
		9 88458 9 122526	ů o	4 0164 5 1765	0 1438	0	17 0003 21 9666	2.0641 105.7327 4.9663 54.47093	0	27 066	18 659 31 98904
		1 43557 0.040382	ŏ	7 3112	2 1347 0 121555	ě	41 0754	19 1088 45 72542	0	69 83 20 512	42 764 340 3698 49 318 625 1557
Sum MR > UCLmr			 125 37			122 41			143 40	200.2	45 010 025 1057
Sum X X Average	20148 89 2 508		Sum X X Average	40133.31 5 006472	9931 408	Sum X	200090 1	49861 53	Sum X	399443 5	98979 13
MR Average	1 234618			2 483347		X Average MR Average	24 99516 12 34674		X Average MR Average	49 84226 24 31489	
Normal constant d2 ( n=2 )	1 128		Normal constant d2 ( n=2 )	1 128		Normal constant d2 ( n=2 )	1 128		Normal constant d2 ( n=2 )	1 128	
Normal constant D4 ( n=2 )	3 268		Normal constant D4 ( n=2 )	3.268		Normal constant D4 ( n=2 )	3.268		Normal constant D4 ( n=2 )	3 268	
Upper contro limit for X ( UCLx Lower control limit for X ( LCLx			Upper contro limit for X ( UCLx			Upper contro limit for X ( UCL)			Upper contro limit for X ( UCLx	114 5095	
Upper control limit MR (UCLm			Lower control limit for X ( LCLx Upper control limit MR (UCLmr			Lower control limit for X ( LCL) Upper control limit MR (UCLm)			Lower control limit for X ( LCLx		
MR Standard deviation	0.997153			2.001456		MR Standard deviation	10.05138		Upper control limit MR (UCLmr MR Standard deviation	79 46105 19 54583	
Process standard deviation	1 118034		Process standard deviation	2.236068		Process standard deviation	11 18034		Process standard deviation	22 36068	
Gamma d2 Gamma d3	1 104275 0 891881			1.110587		Gamma d2	1 104326		Gamma d2	1 087395	
Gamma Q3 Gamma D4	3 422985			0.895078 3 417853		Gemme d3 Gamma D4	0 899023 3 442275		Gamma d3 Gamma D4	0 874116	
5 Alpha=5	- 722000		5 Alpha=5	- 417000		5 Aipha=5	J 4422/0		Gamma D4 5 Alpha=5	3 411588	
0 5 Beta=0 5			1 Beta=1			5 Beta=5			10 Beta=10		
Proportion MR > UCLmr Percentage	0 016202			0.016302		Proportion MR > UCLmr	0 018302		Proportion MR > UCLmr	0 015502	
ARL for MR	61 72222			1.630163 61.34356		Percentage ARL for MR	1 830183 54.63934		Percentage	1 550155	1
			rate or mit	V		PAGE NOT MAIN	J4.03934		ARL for MR	64 50968	

10 Alpha=10														
0.5 Beta+0.5	MR (MR+MR)^2	MR (MR+MR)*2		10 Alpha=10 1 Beta=1	MR (MR+MR)*2	MR (MR+MR)^2		10 Alpha=10		MR (MRLMR)*2	10 Alpha=10			
3 4631	6 475			0 15 3092	13 6984	2 3218 1 411002		5 Beta=5 0 58 91	MR (MR+MR)^2 33 093	MR (MR+MR)^2 7 724 95 45219	10 Beta = 10 0 120 65	MR (MRI-MR)*2 83.031	MR (MRI-MR)^2 0.913 1160.81 0	
5 6872	2 2241 0 242277 4 812	3 1 663 0 004745	0	0 6 8521	8 4571 24 4772 7 7992	5 8992 5 70992	0	0 47 867	11 043 41 61494 50 355	17 262 0 063807	0 0 54 089		7 258 768 7119 0 0	
6 4087	0 7215 1 020874 4 224		C	0 8 527	1 6749 3 36633 10 857	3 0578 0 204174	0	0 50 443	2 576 222.5456 51 244	0 889 275 7248	0 0 88 029		0 914 1160 741 0 0	
7 6504 1 8374	1 2417 0 240279 7 739		0	0 16 4922	7 9652 19 85187 10 2296	0 6274 8 3074	0	0 61 53	11 087 41 04919 34 931	16 313 1 394676	0 0 114 822	26 793 67 08683 102 875	28 016 48 54821 0 0	
4 6458	5 813 16 65552 6 297 2 8084 1 158889 2 920		1	0 10 4939	5 9983 6 193349 8 7417	1 4879 4 087498	0	0 34 152	27 378 97 69417 52 067	17 136 0 128138	0 0 130 929	16 107 356 3281 85 145	17 73 297 6886 0 0	
3 7845	0 8613 0 757915 7 508		0	0 3 8104	0 2706 10 49148 11 4685 6 4129 8 428825 11 7721	2 7268 0 612864 0 3036 10 2788	0	0 66 508 0 57 015	32 356 220 8801 55 345	3 278 202 0936	0 0 94 707		47 837 165 2085 0 0	
4 7956	1 0111 0 519526 2 741		ň		14 2077 114 4481 8 0543	3 7178 0 043324	•	0 42 204	9 493 64 01542 49 18 14 811 7 198295 56 562	6 165 128 3454	0 0 98 553		50 556 242 4979 0 0	
8 9884	4 1928 6 056112 3 639		ŏ	0 87146	9 3035 33 56863 7 5206	0 5337 8 856315	ò	0 84 159	41 955 598 3423 22 931	7 382 102 2518 33 631 260 4039	0 0 115 071 0 0 97 292		45 171 103 782 0 0 53 751 352 2132 0 0	
3 9825	5 0059 10 71919 3 415		0	0 8 1937	0 5209 8 932663 11 7271	4 2065 0 485591	Ď	0 87 257	3 098 207 2438 42 713	19 782 5 235109	0 0 141 115		2 891 1029.938 0 0	
4 2194	0 2369 2 234975 3 27		0	0 13 4176	5 2239 2 938632 11 6934	0 0337 12 08227	Ō	0 62 572	24 585 51 711 70 845	28 132 113 1678	0 0 89 396		9 148 667 4811 D D	
5 0726 4 8661	0 8532 0 772084 3 778 0 2065 2 326794 3.978		0	0 8 6124	4 8052 1 678434 7 3	4 3934 0 781003	0	0 81 941	18 469 0.950695 55 581	15 264 4 972739	0 0 135 60		51.016 257 0361 0 0	
5 6818	0 8157 0 839392 5 950		0	0 14 9947 0 8 43	6 3823 8 252083 9 4187	2 1187 1.934759	0	0 44 203	36 638 374 1917 34 014	21 567 16 58962	0 0 129 390		59 9 620 8243 0 0	
10 1263	4 4445 7 35829 7 448		0	0 12 9856	8 5647 25 55347 8 2417 8 5556 9 277774 6 4469	1 177 5 441284 1 7948 2 940731	0	0 48 237 0 49 952	4.034 181 1706 58 083 1 715 248 9757 52 032	24 069 43 2311 6 051 130 9414	0 0 93 500		16 731 333 1594 0 0	
10 0258	0 1005 2 661411 5 076		ŏ	0 10 9177	2 0679 2 078661 11 0813	4 6344 1 265049	Ň	0 63 765	13.813 13.5495 32.019	20 013 6.345543	0 0 48 579 0 0 93 614		2 674 1043 914 0 0	
6 4517	3 5741 3 393763 7 356	9 2 2807 0 3012	ō	0 11 7932	0 8755 6 938778 7 1037	3 9776 0 218972	ŏ	0 42 77	20 995 12 25725 77 832	45.813 801 9678	0 0 45 202		18 849 260 3271 0 0 24 517 109 5509 0 0	
2 9275	3 5242 3 2124 4 082		0	0 6 607	5 1862 2 8108 13 5001	6 3964 8 333291	ō	0 33 236	9 534 63 36103 27 906	49 926 1051 837	0 0 90 686		99 166 4119 373 0 0	
4 0081	1 0806 0 42417 4 771		0	0 9 6362	3 0292 0 230838 7 2671	6 233 7 416602	0	0 44 121	10 885 43.6784 64 618	36 712 369 3329	0 0 11394		131 151 9248 158 0 1	
4 1126 4 8684	0 1045 2 648376 5 712 0 7558 0 952738 2 362		0	0 8 8768	0 7594 7 563908 7 6938	0 4267 9 504818	0	0 55 865	11 744 33 06208 39 885	24 733 52 40364	0 0 100 799		16 754 332 3203 0 0	
7 3476	0 7558 0 952738 2 362 2 4792 0 558483 5 671		0	0 7 323 0 13 6242	1 5538 3 825373 10 2511 6 3012 7 792718 8 3277	2 5573 0 906982	0	0 53 435	2 43 226 923 75 208	35 323 317 8745	0 0 64 718		59 542 603 1123 0 0	
3 6901	3 6575 3 708 5 743		ň	0 12 1688	1 4554 4 219968 12.8009	1 9234 2 516208 4 2732 0 582999	0	0 57 469 0 68 756	4.034 181 1706 53 311 11 287 38.5264 65 856	21 897 19 38673 12.545 24 49224	0 0 80 118 0 0 153 763		39 218 17 92968 0 0	
4 0165	0 3264 1 975383 7 166		ŏ	0 7 6797	4 4891 0.95931 12 7879	0 187 11.04004	ň	0 56 667	12 089 29 21363 20 706	45 15 764 8563	Q 0 103 783 Q 0 143 679		2 015 1086 932 0 0 52 414 303 8169 0 0	
7 5475	3 531 3 236822 11 193	8 4 0273 5 268939	ō	0 9 9537	2 274 1 526846 8 7168	4 0711 0.315219	ŏ	0 69 992	13 325 17 38026 40 094	19.388 3.587373	G 0 148.083		38 775 14 3743 0 0	
7 8327	0 2852 2 092892 6 740		0	0 4 5697	5.384 3.513165 15 3777	6 6609 9.930338	0	0 71 428	1 436 257 8582 85 994	25.9 70 66144	0 0 96 37		26 583 70 571 0 0	
3 1433 6 9937	4 6894 5 746906 6 756		Ō	0 11 6588	7 0891 12 81242 11 8722	3 5055 1 7E-05	0	0 53 615	17 813 0 101784 32 926	33 068 242 5508	0 0 99 919		50 599 243 839 0 0	
4 3953	3 8504 4 488114 3 36 2 5984 0 750852 3 99		0	0 8 3419 0 12 8432	3 3169 0 037155 4 95	6 9222 11 64546	0	0 69 968	16.353 1.301799 38.785	5 859 135 3724	0 0 128 373		5 135 890 9422 0 0	
4 3332	0 0621 2 788176 4 538		0	0 12 8432 0 8 9166	4 5013 0 983358 12 7268 3 9266 0 173842 7 7988	7 7768 18 20852 4 9282 2 012267	0	0 58 967	11 001 42 15858 54 541 18 488 0.988108 42 616	15 756 3 020519	0 0 150 233		50 745 248 42 0 0	
3 4475	0 8857 0 716026 4 205		ŏ	0 4 876	4.0406 0 281901 12 1994	4 4008 0 794138	ň	0 60 755	20 276 7 739725 33 919	11 925 31 01336 8 697 77 38657	0 0 90 945 0 0 81 995		13 162 476 1846 0 0 77 383 1797 704 0 0	
2 4885	0.959 0.597348 2.499	9 1 706 0 00067	ō	0 9 6951	4 8191 1 714643 6.3205	5 8789 5 813317	ŏ	0 49 158	11 597 34 77418 50 314	16 395 1 207722	0 0 93 24		77 385 1797 704 U U	
4 3171	1 8286 0 009354 5 116		0	0 10 2038	0.5087 9 005737 9 3443	3 0238 0 236056	ō	0 41 858	7 3 103 9169 43 743	6 571 119 3111	0 0 140 936		33 761 1 494885 0 0	
5 739	1 4219 0 09609 6 458		0		10 2191 45 01664 10.078	0 7337 7 705932	0	0 55 975	14 117 11 40389 85 195	41 452 573 9875	0 0 123 533	17 404 309 0443 115 358	28 999 35 81609 0 0	
3 7707	1 9683 0 055893 3 285 0 3825 1 820835 5 006		0	0 15 3697	5.0532 2.382528 13.2384	3 1604 0 12198	0	0 39.606	16 369 1 265544 62 906	22 289 22 99237	0 0 114 088		61 369 696 1864 0 0	
4 9869	0 8337 0 806733 4 976		0	0 6 3717 0 14 2903	8.998 30 12192 11 7862 7 9186 19 43879 4.292	1 4522 4 233125 7 4942 15 87659	0	0 64 455 0 46 011	24 849 54.09656 45 809	17 097 0 15758	0 0 89 863		36 927 3 776591 0 0	
7 40562	0 9307 0 641894 4 345		ů.	0 16 1757	1 8854 2 638208 8 3922	4 1002 0 348742	0	0 46 011	18 444 0.902569 60 571 10 879 43 75775 50.94	14 762 7 463627 9.631 61 8262	0 0 96 254		8 123 721 4948 0 0 1 836 1098 767 0 0	
4 6103	0 5541 1 387173 5 587		ŏ	0 7 6044	8 5713 25.62024 9 8874	1 4952 4 058033	ă	0 57 379	22 247 22 59135 76 882	25 942 71.36931	0 0 139 844 0 0 164 994		13 032 481 8751 0 0	
5 4626	0 8523 0 773666 4 834	2 0 7534 0 957429	0	0 11 7749	4 1705 0 436715 9 3765	0 5109 8 992538	ŏ	0 31 336	26 043 73 08602 45 996	30 886 179 3466	0 0 7173		12 668 497 9884 0 0	
4 5328	0 9298 0.643337 8 317		0	0 14 5425	2 7676 0 550647 15.011	5 6345 4.514962	0	0 40 517	9 181 69 10537 38 763	7 233 105 2874	0 0 79 405		53 659 348 7685 0 0	
4 6151 4 0537	0 0823 2 721124 4.297 0 5614 1 370031 4 437		0	0 13 1225	1.42 4 366662 6.6887	8.3243 23 1808	0	0 35 035	5 482 144 2873 70 982	32.219 216 8267	0 0 83 344		22 856 147 06 0 0	
5 6604	0 5614 1 370031 4 437 1 6267 0 011063 2 110		0	0 14 5862 0 11 529	1 4637 4 185936 9 5713 3 0572 0 204716 12 8394	2.8848 0 390695	ò	0 50 706	15 671 3 323197 61 271	9 711 80 57453	0 0 69 24		5 874 847 372 0 0	
8 4349	2 7545 1 045745 4 501		ŏ	0 11 2675	0 2615 10.55052 9.6555	3 2681 0.058349 3 1839 0.106117	Ň	0 43 649 D 46 124	7 057 108 9302 71.34 2 475 225 5693 76 425	10.069 55 13009 5.085 153.9824	0 0 74 556 0 0 122 813		14 731 410 17 0 0	
4 798	3 6369 3 629089 3 239		ŏ	0 11 6869	0 4194 9.549683 7 8004	2 0551 2 115733	ŏ	0 59 513	13 389 16 85073 51 846	24 579 50 19774	0 0 177 43		6 459 813.6559 0 0 6 963 785 1571 0 0	
7 4941	2 6961 0 929714 3 634		0	0 9 3112	2.3757 1.285856 15.3098	7 7094 17 63785	ō	0 60 007	0 494 288 9988 56 327	4 481 169 3372	0 0 139.20		1.916 1093 47 0 0	
4 1843	3 3098 2 489822 4 471		0	0 9 5215	0 2103 10.88575 13 4739	1 8359 2 801459	0	0 56 864	3 143 205 9502 38 425	17 902 0 166493	0 0 113 599		22 425 157 7198 0 0	
6 5995 3 4332	2 4152 0 466922 7 693 3 1663 2 057552 2 656		0		3 1141 0 156465 6 0147	7 4592 15 5989	0	0 34 315	22 549 25 55339 35 052	3 373 199 4016	0 0 72 038		15 849 366 135 0 0	
5 1768	27436 1.023571 7 487		0	0 8 9899 0 10 8426	2 5825 0 859618 13.0921 1 8527 2 745503 11 8628	7 0774 12.7288 1 2293 5 200024	0	0 54 697 0 82 498	20 382 8.340753 34 144	0 908 275 0942	0 0 114 111		41 492 42 35856 0 0	
7 1914	1 0146 D 514495 6 686		ŏ	0 9.8851	0.9575 6 513501 11.3026	0.5602 8.699291	ŭ	0 82 496 D 57 099	27 801 106 235 52.674 25 399 62 4896 27 882	18 53 1 073371 24 792 53 26133	0 0 110 136 0 0 142 96		96.23 3751 115 0 0	
2 4044	4 787 9 333739 5.291	5 1 3947 0 113692	ŏ	0 10 445	0 5599 8.701061 8 5897	2 7129 0 63482	ŏ	0 63 882	6 783 114 7247 48 551	20 669 10 08085	0 0 158 2		101.563 4432 809 0 0 32 71 5 169506 0 0	
6 5 1 5 9	3 1115 1 903343 4 739		0	0 7 7476	2 6974 0 65976 9 2984	0 7087 7 845355	ō	0 46 092	17 79 0 087637 57 15	8 599 79 12038	0 0 88 404		39 069 16 69005 0 0	
7 3511	1 8352 0 010674 6 288		0		0 9659 6 470695 14 4947	5 1963 2 844768	0	0 73.052	26 96 89 60584 52 491	4 659 164 7363	0 0 124 76		3 113 1015 739 0 0	
3.5122 3.682	3 8389 4 43952 7 102 0 1698 2 440104 6 603		0		11 7295 87 58583 8 9969	5 4978 3.952716	1	0 36 682	36 37 356 3047 26 755	25 736 67 93116	0 0 79 285		32 139 8 092061 0 0	
3 6644	0 1698 2 440104 6 603 0 0176 2 938767 4 013		0	0 12 1944 0 6 3612	6 3168 7 880057 8 4434 5 8332 5 398856 8 9859	0 5535 8 738859 0 5425 8 804015	0	0 72 77 0 47 02	36 088 345 7382 58 322	31 567 198 0503	0 0 92 44		20 338 214 4952 0 0	
6 2597	2 5953 0 745489 3 319		ň	0 5 1499	1 2113 5.282441 9 7257	0.7396 7.672103	0	0 47 02 0 37 32	25 75 68 16213 30 16 9 7 60 74587 38 311	28 162 113.807 8 151 87 29097	0 0 129 849 0 0 102 544		13 937 442 9617 0 0	
5.2649	0 9948 0.543292 6 844		ŏ		13 7227 104 3063 10 5879	0 8622 7 009024	ĭ	D 45 183	7 863 92.75547 25 502	12 809 21 94889	0 0 10254		17 416 308.6225 0 0 28 068 47 82628 0 0	
5 197	0.0679 2.76884 7.554		ō		10 0904 43 30619 6 3229	4.265 0.570544	ó	0 29 049	16 134 1 849502 45 199	19 697 4 853368	0 0 75 20		58 044 531 7795 0 0	
7 6037	2 4067 0 455378 5 381		0	0 11 114	2 3318 1 387345 6 6332	0 3103 10.23588	ō	0 34 538	5 489 144 1192 48 591	3 392 198 8654	0 0 105 93		32 629 5 544399 0 0	
2 8585	4 7452 9 080079 6 520		0	0 14.884	3 77 0.067779 10.655	4 0218 0 262291	0	0 47 396	12 858 21 49216 50 727	2 136 235 8671	0 0 148 294	42 367 54 51379 91 672	37 319 5 453837 0 0	
4 3194 2 6693	1 4609 0 073432 3 398 1 6501 0 006688 3 870		0	0 14.5467	0 3373 10 06384 9 8743	0 7807 7 447201	0	0 47 44	0 044 304 5012 80 466	29 739 149 9409	0 0 158 249		18 621 267 7365 0 0	
2 6693 5 2386	2 5693 0 701267 5 345		0	0 9 3354 0 12 2794	5 2113 2 895592 9 3683	0 506 9 02195	0	0 48 788	1 348 260 6922 41 987	38 479 440 3717	0 0 81 174		11 317 560 1105 0 0	
5 1559	0.0827 2.719805 4 174		0	0 12 2794	2 944 0 319967 9 2761 1.2243 5 222852 9 8487	0.0902 11.69268 0.5706 8 638051	0	0 34 998 0 53 457	13 79 13 71935 66 876 18 459 0 931295 50 075	24 889 54 68656 16 801 0 480199	0 0 101 604 0 0 55 783		23 134 140 4143 0 0 156 024 14650 77 0 1	
6 3998	1.2439 0.238128 6.029		ŏ	0 11 6386	1.8651 2.704565 11.0593	1,2106 5 285659	0	0 74 377	20 92 11 73772 58 072	7 997 90 19232	0 0 5578		156 024 14650 77 0 1 113 806 6212.962 0 0	
4 6936	1 7062 0.00066 4 395	6 1 6336 0.00966	ō	0 9 0781	2 5605 0 900897 8 6671	2 3922 1.248708	ŏ	0 54 588	19 789 5 267 191 49 156	8 916 73 58146	0 0 92 97		113 806 6212.962 U U	
4 8346	0 141 2.530909 3.32		0	0 11 1639	2 0858 2.027366 10 5957	1 9286 2 499738	0	0 43 294	11 294 38 43955 28 244	20 912 11 68297	0 0 112 579		10 051 621 6373 0 0	
6 7811	1 9465 0 04606 5.329		0	0 20 7764	9 6125 37 2447 9 1029	1 4928 4 067708	0	0 49 618	6 324 124 7681 41 692	13 448 16 36982	0 0 97 89		18 32 277 6774 0 0	
5 1102 4 9005	1 6709 0 003719 5 534 0 2097 2 317041 5 796		0		13 3197 96 23696 14 2593	5 1564 2 711766	1	0 53 745	4 127 178.6757 44 657	2 965 211 0908	0 0 58 34:		26 911 36 87714 0 0	
4 9005 8 1949	3 2944 2 441459 3.560		0	0 11.144 0 13.0434	3.6873 0.031557 10.4205 1.8994 2.592925 10.6977	3 8388 0 108336 0.2772 16 44877	0	0 36961 0 39055	16 784 0 504049 46 224 2 094 237 1589 59 353	1 567 253 6682 13 129 19 05291	0 0 100 444 0 0 65 28		43 824 78 1517 0 0	
2 1343			·	- 13 0-34	. 0004 2.002023 10.0011	10 TTO!	·	J 33 003	a vort 231 1000 09 303	13 129 19 03291	0 0 65 28	3 15 165 392 7791 68 076	4 512 928 5217 0 0	

		0 2833 2 098393		0 965	1 3 2039	0 093487		0	47 702	0 149 300 8478	0	111 505	30 404 20 97	324
	3 676	0 417 1 728918		0 9 24		9 614688		0	50 838	3 136 206 1511	ō	99 214	12 291 514 9	
	3 4962	0 1798 2 408962		0 7 31:		2 496893		0	61 078	10 24 52 61999	Ō	96 403	2 811 1035	
	1 5129	1 9833 0 06321		0 8 46		5 542522		0	45 577	15 501 3 971905	0	66 9	29 503 30 03	
	7 0403 5 128	5 5274 14 40595 1 9123 0 03255		0 6 470		2 305709		0	64 466	18 889 1 946126	0		110 702 5733	
	4 4491	0 6789 1 108773		0 70		8 717587 8 403366		0	76 4	11 934 30 9132	0	91 959	85 643 2566	
	5 4935	1 0444 0 472633		0 12.810	0 0 0 100	2 741488		0	36 387	40 013 507 107	0	94 643	2 684 1043	
	7 1881	1 6946 0 00139		0 700		5 288362		Ů	27 909 49 492	8 478 81 2876 21 583 16 72022	0	134 229 117 974	39 586 21 18 16 255 350 7	
	3 8026	3 3855 2 734449		0 691		11 69336		Ď	37 267	12 225 27 76198	ý ,	112 948	5 026 897 4	
	4 6459	0 8433 D 78958		0 7 43		8 938641		ŏ	55 124	17 857 0 131795	ŭ	125 011	12 063 525 3	
	6 1427	1 4968 0 055264		0 10.88		0 00312		ŏ	38 173	16 951 0 29481	ŏ	129 624	4 613 922 3	
	5 5737	0 569 1 352297		0 838	2 5013	1 016782		Ō	72 356	34 183 278 5239	ő	83 146	46 478 13	
	6 6372	1 0635 0 446736		0 10 25		2 68028		0	58 569	13 787 13 74158	ŏ	39 719	43 427 71 29	
	4 6567	1 9805 0 06181		0 14 93		1 373687		0	48 346	10 223 52 86692	0	70 257	30 538 19 76	5385
	6 95	2 2933 0 315189		0 4 38:		49 62137		0	34 092	14.254 10 49737	0	99 848	29 591 29 08	
	5 9605 5 1238	0 9895 0 551133 0 8367 0 801353		0 16 07		66 99822		1	45 633	11 541 35 43778	0	108 252	8 404 706	
	4 3936	0 7302 1 003369		0 7 02		30 75084 12 28332		0	55 277	9 644 61 62193	0	95 762	12 49 505 9	
	6 6256	2 232 0 250117		0 6:		2 553464		0	34 313 47 471	20 964 12 04115 13 158 18 80058	0	117 18	21 418 184.	
	4 8778	1 7478 0 000253		0 961		8 035842		0	54 358	6 887 112 5077	0	92 321 113 768	24 859 102 5 21 447 183	
	3 4141	1 4637 0 071922		0 903		8 557708		š	33 932	20 426 8.596836	0	132 773	19 005 255 3	
		3 1922 2 132525		0 1281		0 076975		ŏ	61 515	27 583 101 7886	ŏ	121 134	11 639 544 9	
		3 0825 1 770541		0 12 2		8 838468		Ō	49 499	12 016 30 00809	ŏ	128 677	7 543 752 9	
	5 3057	1 7619 0 000901		0 9 29		0 272021		0	67 286	17 787 0 08587	ō	82 37	46 307 128 2	
	3 3877	1 918 0 034639		0 9 47		11 06265		0	46 517	20 769 10 72586	0	79 231	3 139 1014	082
	2 918 6 5211	0 4697 1 593106 3 6031 3 501453		0 9.54		11 83743		0	44 033	2 484 225 299	0	48 026	31 205 14 27	7823
	3 0681	3 453 2 962243		0 64		0 145204		0	27 888	16 145 1 819704	0		188 388 23533	
	6 5546	3 4865 3 07868		0 10.999 0 7.75		1 151423 0.071586		0	65 181	37 293 392 0018	o o		140 863 11210	
	6 1113	0 4433 1 560446		0 //5		10.9068		U	51 187 34 87	13.994 12.24975 16 317 1 385244	0	92 338	3 213 1009	
	8 6735	0 5622 1 368159		0 962		2 073439		ň	49.242	14 372 9 746659		65 268 122 227	27 07 62 62 56 959 482.9	
	5 1995	1 474 0 066504		0 7 12		1 019203		ă	48 788	0 454 290 3604	ŏ	81 375	40 852 34 43	
	6 4329	1 2334 0 248485		0 98	4 2 7039	0 649243		ō	37 935	10 853 44 1024	ŏ	83 609	2 234 1072	
	2 524	3 9089 4 739403		0 908	3 0 7407	7 667118		Ö	36 117	1 818 245 7358	ŏ	70.595	13 014 482 6	
	4 3588	1 8348 0 010592		0 14.58		3 966646		0	41 126	5 009 155 8743	ō	104 27	33 675 1 712	
	5 5136	1 1548 0 333025		0 5.38		32.32541		0	43 196	2 07 237 8987	0	62 743	41 527 42.81	
	3 8297	1 6839 0 002302		0 11 17		5 168093		0	52 856	9 66 61 37099	0	133 775	71 032 1299	
	5 8439 4 0949	2 0142 0 079703 1 749 0 000293		0 3 93		13 89682		0	35 088	17 768 0 075096	o o	88 21	45 565 111 9	
	2 358	17369 2 5E-05		0 14 20 0 10 53		45 65764 0 025454		0	44 555 48 776	9 467 64 43215 4 221 176 1716	0	109 265	21 055 194 0	
	4 2639	1 9059 0 030282		0 731		0 082919		Ů	48 / /6 42 772	6 004 132 0193	0	81 194	28 071 47 7 28 304 44 61	
	4 9046	0 6407 1 190681		0 853		5.216455		ň	49.83	7 058 108 9093	ŏ	109 498 74 686	34 812 0.029	
	3 7388	1 1658 0.32045		0 10 38		2 743184		ŏ	74.884	25.054 57 15415	ŏ	89 043	14.357 425 4	
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	20 7501	5 0692 1 152439	ň	48 7122	6 3318 2 507847		ň	193 902		ų.	633 088	139 372 3495 234	
	26 0146	5 2645 1 609897	ŏ	43 6483	5 0639 8 131156		ŭ	221 053	43 891 19 68667 27 151 151 3646	0	490 846	142 242 3842 822	
	29 6192	3 6046 0 152946	ŏ	37 4552	6 1931 2 96638		0	204 154	27 151 151 3646 16.899 508 7295	0	614 281	123 435 1864 815	
	21 1769	8 4423 19 7724	ň	47 9223	10 4671 6 51108		ž	223.564	19 41 401 7633	0	441 597	172 684 8543 768	
	18 6655	2 5114 2 203096	ŏ	54 9326	7 0103 0 819239		· ·			o o	435 168	6 429 5449 761	
	26 2797	9 6142 31 56774	ň	AN 240R	14 6918 45.91935		0	274.2	50 636 125 0364	o o		210 394 16937 07	
	22 194	6 0857 4 368172	ů	49 3083	9 0675 1 327292		, ,	223 311	50 889 130 7585	0	332 897	312 665 54016 04	
	24 5376	2 3436 2 729378	å	51 8529	2.5446 28.84569		9	210 178	13 133 692 7968	0	522 139	189 242 11878.93	
	21 7251	2 8125 1 399922	9	41 0653	10 7876 8 249428		0	254.067	43 889 19 66893	0	487 668	34 471 2095.854	
	19 929	1 7961 4 838165	ŏ	45 7819	4 7166 10 23244		0	265.91	11.843 762 3692	0	510 048	22 38 3349 11	
	24 3417	4 4127 0 173903	ž	51 2925	5 5106 5 783151		0	288 695	22 785 277 8567	o o	443 238	66 81 180 6738	
	25 7328	1 3911 6 783852	č	48 9871			0	229 788	58 907 378 4179	0	557 388	114 15 1149 108	
	29 4727	3 7399 0 065425	ž		2 3054 31.4723		0	184 757	45 031 31 10256	0	428 196	129 192 2395 173	
	26 9881	2 4846 2 283371	•	44 9569	4 0302 15 09492		0	231 686	46 929 55 87512	0	501 896	73 7 42 92211	
	23 2675	3 7206 0 075671	0		13 3778 29 83761		o o	216 668	15 018 597.1197	0	512 443	10 547 4858 717	
	22 9608	0 3067 13 60859	0	55.0977	3.237 21.8876		0	248 618	31 95 56 31052	0	470 931	41 512 1500 749	
	24 3356	1 3748 6 869027	0	38 183	16 9147 80 98707		o o	240 084	8 534 956.0485	0	597 788	126 857 2172 073	
	24 3330 25 6848	1 3492 7 003871	0	46 4465	8 2635 0 121161		0	213 717	26 367 171.2704	0	383 519	214 269 17960.69	
	25 5403	0 1445 14.83161	ų.	37 9642	8 4823 0 321355		0	245 317	31 6 61 68584	0	458 574	75 055 27 00358	
	18 0021	7 5382 12 54943	0	47 0203	9 0561 1 301155		o	287 645	42 328 8.259683	0	429 468	29 106 2615 862	
			o o	44 7558	2 2645 31 93288		0	232 333	55 312 251.4751	0	469 725	40 257 1599.56	
	25 3836	7 3815 11 46376	0	56 1939	11 4381 12 40929		0	271 259	38 926 0.278819	0	483 3	13 575 4445 755	
	27 4515	2 0679 3 716347	0	54 5679	1 526 40.82466		0	269 609	1.65 1429 145	0	562 672	79 372 0 773515	
	26 1261	1 3254 7 13041	0	40 2996	14 3683 41.63968		0	214 483	55 126 245.6105	0	431 848	130 824 2557 578	
	29 3415	3 2154 0.608841	0	44 5275	4.2279 13.59779		o	343 48	128 997 8017 943	1	466 271	34 423 2100 251	
	25 9595 26 9801	3 382 0 376607 1 0206 8 851118	<u>o</u>	47 7249	3 1974 22 2597		0	257 503	85 977 2164 386	0	506 978	40 707 1563 767	
			ō	57 1525	9 4276 2 286694		0	264 528	7 025 1051 642	0	535 629	28 651 2662 611	
	21 0246	5.9555 3 840883	ō	43.83	13.3225 29.23653		0	201 497	63 031 555.8733	o	468 663	66 966 176 5044	
	25 9906	4 966 0.941515	o o	48 8367	5.0067 8 460642		0	224 847	23.35 259.3399	Q	519 524	50 861 863 8013	
	25 438	0 5526 11.85482	0	54 4537	5 617 5.282726		0	192 922	31 925 56 68635	0	422 684	96 64 268 583	
	26 2063	0 7683 10 416	0	54 2568	0 1969 59.57552		0	227 342	34 42 25 34 149	0	445 091	22 207 3369 164	
	21 1683	5 038 1 086425	0	44 1295	10 1273 4.892421		0	311 182	83 84 1970 114	0	672 942	227 851 21785 61	
	27 4567	6 2884 5 256552	0	43.6945	0.435 55.95666		0	312 087	0 905 1486 028	0	545 795	127 147 2199 188	
	25 0258	2 4309 2 448545	0	51 2583	7 5638 0.123635		0	254 432	57 655 331.2752	0	722 253	176 458 9255 691	
	30 0607	5 0349 1 079972	ō	50 7683	0 49 55 13684		0	287 505	33 073 40 71759	ō	539 979	182 274 10408 59	
6 MD - UCI	21 0119	9 0488 25.53399	.0	62.614	11 8457 15 44712		0	229 55	57 955 342 2858	0	635 812	95 833 242 7832	
Sum MR > UCLmr			 64 36				91 21			84 20			
Sum X	199499 8		Sum X	399465.3		100121.8	Sum X	2001376	501134 9	Sum X	4005407		1002796
			K Average	49.95871			X Average	250 2511		X Average	500 8203		
X Average	24 96842												
MR Average	24 96842 3 995683		MR Average	7 915418			MR Average	39 45403					
MR Average Normal constant d2 ( n=2 )	24 96842 3 995683 1 128		MR Average Normal constant d2 (n=2)	7 915418 1 128			MR Average Normal constant d2 ( n=2 )			MR Average	80 2515		
MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 )	24 96842 3 995683 1 128 3 268		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 )	7 915418 1 128 3.268			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 )	39 45403 1 128 3.268					
MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx	24 96842 3 995683 1 128 3 268 35 59524		MR Average Normal constant d2 (n=2)	7 915418 1 128 3.268			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 )	39 45403 1 128 3.268		MR Average Normal constant d2 (n=2) Normal constant D4 (n=2)	80 2515 1 128 3.268		
MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lover contro limit for X ( LCLx	24 96842 3 995683 1 128 3 268 35 59524 14 34161		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx	7 915418 1 128 3.268 71 01036 28.90707			Normal constant d2 ( n=2 )	39 45403 1 128 3.268 355 182		MR Average Normal constant: d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx	80 2515 1 128 3 268 714 2551		
MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789		MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper contro limit for X (UCLx	7 915418 1 128 3.268 71 01036 28.90707			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx	39 45403 1 128 3.268 355 182 145.3202		MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx	80 2515 1 128 3 268 714 2551 287 3855		
MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx	7 915418 1 128 3.268 71 01036 28.90707			Normal constant d2 (n=2) Normal constant D4 (n=2) Upper contro limit for X (UCLx Lower control limit for X (LCLx	39 45403 1 128 3.268 355 182 145.3202		MR Average Pormal constant: d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr	80 2515 1 128 3 268 714 2551 287 3855 262 2619		
MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper control limit for X (UCLx Lower control limit for X (LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592 3 535534		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr	7 915418 1 128 3 268 71 01036 28 90707 25 86759			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr	39 45403 1 128 3.268 355 182 145.3202 128 9358		MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation	80 2515 1 128 3 268 714 2551 287 3855 262 2619 60 69407		
MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper control limit for X ( UCLx Lower control limit for X ( UCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592 3 535534 1 13015		MR Average  Normal constant d2 ( n=2 )  Normal constant D4 ( n=2 )  Upper contro limit for X ( LCLx  Lower contro limit for X ( LCLX  Upper control limit MR (UCLmr  MR Standard deviation  Gamma d2	7 915418 1 128 3.268 71 01036 28 90707 25 86759 6 047264 7 071068 1 119409			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation	39 45403 1 128 3 268 355 182 145 3202 128 9358 29 95508		MR Average Pormal constant: d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr	80 2515 1 128 3 268 714 2551 287 3855 262 2619 60 69407 70 71068		
MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper control limit for X (UCLx Upper control limit for X (LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma d3	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592 3 535534 1 13015 0 854352		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit for X ( LCLx MR Standard deviation Process standard deviation	7 915418 1 128 3.268 71 01036 28 90707 25 86759 6 047264 7 071068			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation	39 45403 1 128 3 268 355 182 145 3202 128 9358 29 95508 35 35534		MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper contro limit for X (UCLx Lower control limit for X (UCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2	80 2515 1 128 3 268 714 2551 287 3855 262 2619 60 69407 70 71068 1 134928		
MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper control limit for X ( UCLx Lower control limit for X ( UCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592 3 535534 1 13015		MR Average  Normal constant d2 ( n=2 )  Normal constant D4 ( n=2 )  Upper contro limit for X ( LCLx  Lower contro limit for X ( LCLX  Upper control limit MR (UCLmr  MR Standard deviation  Gamma d2	7 915418 1 128 3.268 71 01036 28 90707 25 86759 6 047264 7 071068 1 119409			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit fin R (UCLmr MR Standard deviation Process standard deviation Gemma d2	39 45403 1 128 3.268 355 182 145.3202 128 9358 29 95508 35.35534 1 115929 0 847258		MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper contro limit for X (UCLx Upper control limit for X (UCLx Upper control limit MR (UCLmi MR Standard deviation Process standard deviation Gamma d2 Gamma d3	80 2515 1 128 3 268 714 2551 287 3855 262 2619 60 69407 70 71068 1 134928 0 858344		
MR Avirage Normal constant d2 (n=2) Normal constant d4 (n=2) Normal constant D4 (n=2) Upper control limit for X (UCLx Lower control limit for X (UCLx MR Standard deviation Forcess standard deviation Gamma d3 Gamma D4 S0 Alpha=50	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592 3 535534 1 13015 0 854352		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Upper control limit for X ( LCLx Upper control limit for XC (LCLx Upper control limit for MR ( UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma d3	7 915418 1 128 3.268 71 01036 28 90707 25 86759 6 047264 7 071068 1 119409 0 855212			Normal constant d2 ( n=2 ) Normal constant d4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma d3	39 45403 1 128 3 268 355 182 145 3202 128 9358 29 95508 35 35534 1 115929		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Upper control limit for X ( UCLx Upper control limit file MR ( UCLm MR Standard deviation Process standard deviation Gamma d3 Gamma d3 Gamma D4	80 2515 1 128 3 268 714 2551 287 3855 262 2619 60 69407 70 71068 1 134928		
MR Average Normal constant d2 ( n=2 ) Normal constant d4 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Upper control limit for X ( UCLx Upper control limit for X ( LCLx Upper control limit for X ( LCLx Upper control limit for X ( LCLx Upper control limit for X ( UCLx Upper c	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592 3 535534 1 13015 0 854352 3.267891		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( LCLx Upper c	7 915418 1 128 3.268 71 01036 28 90707 25 86759 6 047264 7 071068 1 119409 0 855212			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( LCLx Lower control limit for X ( LCLx Lower control limit for X ( LCLx MR Standard deviation Process standard deviation Gamma d3 Gamma d3 Gamma D4	39 45403 1 128 3.268 355 182 145.3202 128 9358 29 95508 35.35534 1 115929 0 847258		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( UCLx MR Standard devisition Process standard devisition Gamma d2 Gamma D4 50 Alpha=50	80 2515 1 128 3 268 714 2551 287 3855 262 2619 60 69407 70 71068 1 134928 0 858344		
MR Average Normal constant 02 ( n=2 ) Normal constant 04 ( n=2 ) Upper control inms for X ( UCLx Lower control lims for X ( UCLx Upper control lims for X ( UCLx MR Standard deviation Gamma d3 Gamma d3 Gamma D4 50 Alpha=50 50 Alpha=50 Froportion MR > UCLmr	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592 3 535534 1 13015 0 854352		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper contro limit for X ( UCLx Upper control limit for X ( LCLx Upper control limit MR ( UCL mr MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma D4 50 Alpha=50	7 915418 1 128 3.268 71 01036 28 90707 25 86759 6 047264 7 071068 1 119409 0 855212			Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Lower control limit for X ( UCLx Upper control limit find (UCLmr MR Standard deviation Process standard deviation Gamma d2 Gamma d3 Gamma D4 50 Alpha=50	39 45403 1 128 3.268 355 182 145.3202 128 9358 29 95508 35.35534 1 115929 0 847258		MR Average Mormal constant 02 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Upper control limit for X ( LCLx Upper control limit for X ( LCLx Upper control limit for X ( LCLx Upper control limit film	80 2515 1 128 3 268 714 255 287 3855 262 2819 60 69407 70 71068 1 134928 0 858344 3 268895		
MR Average Normal constant 02 ( n=2 ) Normal constant 04 ( n=2 ) Upper control limit for X ( UCLL Lower control limit for X ( UCLL Lower control limit for X ( UCL I R) Standard deviation Process standard deviation Gamma 03 Gamma 03 Gamma 05 Samma 05 Samma 05 Samma 05 Samma 05 Samma 05	24 96842 3 995683 1 128 3 268 35 59524 14 34161 13 05789 3 020592 3 535534 1 13015 0 854352 3.267891		MR Average Normal constant d2 (n=2) Normal constant D4 (n=2) Upper control limit for X (UCLx Lower control limit for X (UCLx Lower control limit for X (UCLx Process standard deviation Process standard deviation Gamma D4 Samma D4 So Alpha=50 1 Beta=1	7 915418 1 128 3.268 71 01036 71 01036			Normal constant d2 ( n=2 ) Normal constant d2 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( UCLx Upper control limit for X ( LCLx Upper control limit MR (UCLmr MR Standard deviation Process standard deviation Gamma d3 Gamma d3 Gamma d3 Samma D4 S0 Alpha=50 5 Beta=5	39 45403 1 128 3.268 355 182 145 3202 128 9358 29 95508 35 35534 1 115929 0 847258 3 27772		MR Average Mormal constant 02 (n=2) Normal constant D4 (n=2) Upper control limit for X (UCLL Lower control limit for X (UCLL Upper control limit for X (UCLI MR Standard deviation Gamma d2 Gamma d3 Gamma D4 50 Alpha=50 10 Beta=10 Proportion MR > UCLmr	80 2515 1 128 3 268 714 2551 287 3855 262 2619 60 69407 70 71068 1 134928 0 858344 3 268895		
MR Average Normal constant 02 ( n=2 ) Normal constant 04 ( n=2 ) Upper control inms for X ( UCLx Lower control lims for X ( UCLx Upper control lims for X ( UCLx MR Standard deviation Gamma d3 Gamma d3 Gamma D4 50 Alpha=50 50 Alpha=50 Froportion MR > UCLmr	24 96842 3 995683 1 128 3 268 35 59524 14 34161 3 05789 3 020592 3 535534 1 13015 0 854352 3 267891		MR Average Normal constant d2 ( n=2 ) Normal constant D4 ( n=2 ) Upper control imm for X ( UCLx Lower control limit for X ( UCLx Lower control limit for X ( UCLx MR Standard deviation Gamma d3 Gamma d3 Gamma D4 50 Ajha=50 1 Beta=1 Proportion MR > UCLm Proportion MR > UCLm	7 915418 1 128 3.268 71 01036 28.90707 25.86759 6 047264 7 071068 1 119409 0 855212 3 291956			Normat constant d2 ( n=2 ) Normat constant d2 ( n=2 ) Upper contro limit for X ( UCLx Lower control limit for X ( UCLx Lower control limit for X ( UCLx IV) MR Standard deviation Gamma d2 Gamma d3 Gamma D4 50 Alpha=50 5 Beta=5 Proportion MR > UCLmr	39 45403 1 128 3.268 355 182 145.3202 128 9358 29 95508 35.35534 1 115929 0 847258 3 27772 0 010401		MR Average Mormal constant 02 ( n=2 ) Normal constant D4 ( n=2 ) Upper control limit for X ( UCLx Upper control limit for X ( LCLx Upper control limit for X ( LCLx Upper control limit for X ( LCLx Upper control limit film	80 2515 1 128 3 268 714 255 287 3855 262 2819 60 69407 70 71068 1 134928 0 858344 3 268895		

100 Alpha=100 0.5 Beta=0.5	MR (MR+MR)^2	MR (MR+MR)^2		100 Alpha=100				100 Alpha=100				100 Alpha=100				
49 7119	54 6286	4 525 1 256447		1 Beta=1 0 107 415	MR (MR+MR)^2 109 44	MR (MR+MR)*2 4 86 40 69063		5 Beta=5 0 417 135	MR (MRI-MR)^2	MR (MR+MR)^2		10 Beta=10	MR (MRHMR)^2	MR (MR+MR)*2		
45 7292	3 9827 2 766279 43 5644		n	0 81 271	26 144 222 1614 99 13			0 417 135	545 89 134 489 6236 405 473 462	49 602 35 00012 72 428 285 9451	o	0 1022 24 0 898 38	1069 17 123 86 118 7294 964 5		_	0
48 6756	2 9464 7 287373 49 1222	5 5578 0 007764	ō	0 106 115	24 844 185 0982 88 50		ŏ	0 483 302	68 322 163 9401 481 468	8 006 2257 399	Ö	0 90629	123 86 118 7294 964 5 7 91 11036 28 1170 71		0	0
49 6362	0 9606 21 95216 44 8564	4 2658 1 904713	0	0 111817	5 702 30 65749 103 40	14 9 13 4035	ŏ	0 586 201	102 899 2244 951 483 193	1 725 2893 697	ŏ	0 914 49	8 2 10975 43 985 62		ň	0
60 9238	11 2876 31 82863 56 0504	11 194 30 78126	0	0 121 301	9 484 3 079746 85 10		D	0 513 984	72 217 278 8536 489 944	6 751 2378 229	ō	0 1094 17	179 68 4451 065 1016 34		ō	ō
46 9439 50 6789	13 9799 69 45533 49 3748 3 735 3 65159 51 8006	6 6756 1 060254 2 4258 10 36913	0	0 106 267 0 111 283	15 034 14 40263 107 88		0	0 474 983	39 001 272 8143 573 316	83 372 775 8403	0	0 1096 32	2 15 12279 68 975 11	41 23 5145 723	0	0
44 7317	5 9472 0 090774 53 8974	2 0968 12 59621	0	0 106 311	5 016 38 72474 129 73 4 972 39 27429 93 08		0	0 439 716	35 267 410 1066 574 471	1 155 2955 346	0	0 1075 69	20 63 8525 511 995 02	19 91 8658 99	0	0
46 6668	3 9351 2 926883 41 1123	12 7851 50 96798	0	0 102 257	4 054 51 62308 97 68		0	0 485 228 0 472 264	45 512 100 1218 456 133 12 964 1810 851 509 622	118 338 3946 341 53 489 4 117205	0	0 1095 59 0 971 05	19 9 8660 852 762 31 124 54 134 0108 896 97	232 71 14339 18 134 66 470 7296	0	0
44 6955	3 9713 2 80433 55 821	14 7087 82 1341	ŏ	0 87 941	14 316 9 468418 99 1		ă	0 522 362	50 098 29 37737 548 462	38 84 278 1587	ŭ	0 934.96	124 54 134 0108 896 97 36 09 5909 565 1047 98	151 01 1447 521	0	0
55 3033	10 6078 24 62032 49 9181	5 9029 0 066042	0	0 89 263	1 322 98 34531 93 10		ō	0 481 574	40 788 216 9755 537 028	11 434 1943 407	ŏ	0 922 74	12 22 10149 29 1225 58		ŏ	ŏ
51 7999	3 5034 4 590364 46 3031	3 615 4 124609	0	0 96 642	7 379 14 89899 103 37		0	0 528 962	47 388 66 09836 494 15	42 878 159 7719	ō	0 923 67	0 93 12551 55 993 81	231 97 14162.5	ŏ	ŏ
45 5407 47 09	6 2592 0 37612 46 646 1 5493 16 78224 57 1925	0 3429 28 12195 10 5465 24 01575	0	0 101 11	4 468 45 84536 103 21		0	0 446 882	82 08 705 5351 427 728	66 422 118 8953	0	0 942 05	18 38 8946 076 1059 68	66 07 2199 019	0	0
50 0401	2 9501 7 26741 54 6637	2 5288 9 716396	0	0 86 225 0 95 145	14 885 13 2939 103 02 8 92 5 377392 101 52		0	0 512 827 0 503 651	65 945 108 7205 468 295	40 567 223 5351	0	0 878 19	63.86 2411 173 1085 73		0	0
48 7599	1 2802 19 05945 52 5618	2 1019 12 56003	٥	0 98 001	2 856 70 27336 93 32		ů	0 503 651 0 463 244	9 176 2147 589 464 663 40 407 228 345 429 826	3 632 2692 166 34 837 427 7075	0	0 1082 52 0 926 75	204 33 8347 801 934 5 155 77 1832 38 938 5		0	0
44 0279	4 732 0 835238 46 7704	5 7914 0 021166	ŏ	0 116 483	18 482 52 4622 96 9		ŏ	0 433 704	29 54 674 8612 504 949	75 123 384 3525	0	0 92675	155 77 1832 38 938 5 191 15 6113 098 1032 15	4 11873 09 93 65 373 0189	0	0
54 588	10 5601 24 14923 54 2833	7 5129 3 485639	0	0 116 15	0 333 118 9391 97 80		ŏ	0 456 777	23 073 1052 684 466 246	38 703 282 7472	ŏ	0 823.74	294 16 32832 1 963 64		ň	ň
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51 9878 54 3215	6 5822 0 876633 49 0608 2 3337 10 97076 56 9378	2 7494 8 38979 7 877 4 977747	0	D 94 003 D 88 679	4 403 46 72981 85 80		0	0 472 873	95 904 1631 022 578 842	20 399 1233 35	0	0 982 93	33 51 63 12 89 1145 98		Ó	Ó
56 29	1 9685 13 52337 44 2211	12 7167 49 99602	0	0 103 28	5 324 34 98628 100 65 14 601 11 30358 92 12		0	0 467 178 0 516 965	5 695 2482 34 582 672 49 807 32 61655 449 666	3 83 2671 659 133 006 6004 376	0	0 1048 76	65 83 2221 585 1144 34		0	0
53 0121	3 2779 5 607488 50 176	5 9549 0 095473	ŏ	0 98 702	4 578 44 36786 94 96		0	0 509 331	7 654 2290 971 379 573	70 093 212 428	0	0 1171 73	122 97 100 1261 912 2 201 34 7810 371 1109 64		0	0
49 5297	3 4824 4 68079 51 3186	1 1426 20 27983	ŏ	0 93 249	5 453 33 47688 103 37		ŏ	0 490.268	19 063 1328 974 490 231	110.658 3040.41	ň	0 1122 62	152 23 1541 843 921 53		u	0
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44 505 44 8015	8 594 8 691214 54 4716	14 4536 77 57534	0	0 116 721	0 682 111 4486 95 05		0	0 447 98	61 651 37 61259 378 055	103.839 2334 91	õ	0 1046 59	31 22 6682 032 1097 71		ŏ	ŏ
44 8015 38 0258	0 2965 28 61622 56 6018 6 7757 1 276418 50 4809	2 1302 12.36024 6 1209 0 225612	0	0 102 018 0 106 505	14 703 11 99985 95 38		0	0 485 521	37 541 323 1758 406 795	28 74 717 0661	0	0 1050 22	3 63 11953 86 871 48		0	0
49 8187	11 7929 37 78544 55 7435	5 2626 0 146929	Ö	0 106.505 0 103.716	4 487 45 58843 95 28 2 787 71 43496 91 50		٥	0 528 849 0 408 638	43 328 148 5983 506 721 120 211 4185 173 587 399	99.926 1972.062 80.678 633.0211	0	0 987 26	62 96 2500 37 914 54		0	0
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53 2416	14 4798 78 03755 49 6404	1 3587 18 3802	0	0 93 65	13 795 6 533542 91 41		ŏ	0 477 842	20 971 1193 501 490 235	157 514 10403 17	ŏ	0 1093 68	1 65 12390 74 989 41		ů	Ď
51 2975	1 9443 13 70194 48 5326	1 1078 20 59447	0	0 103 379	9 729 2 27986 115 59	24 184 167 5751	0	0 512 446	34 604 437 3992 444 221	46 014 90 32772	ŏ	0 1024 67	69 01 1931 927 1054 13		ŏ	ŏ
45 3927 55 9042	5 9048 0 067022 38 7351 10 5115 23 67393 54 1384	9 7975 17 23567	0	0 104 902	1 523 94 39911 95 30		0	0 453 331	59 115 12 93776 551 024	108 803 2630 142	0	0 9412	83 47 869 9781 1015 47	38 66 5521 039	0	0
53 1583	2 7459 8 410078 45 5804	15 4033 95.20659 8 558 8 480248	0	0 96 506 0 103 334	8 396 8 082197 94 14 6 828 19 45622 104		0	0 474 691	21 36 1166 775 434 383	116 641 3736.01	0	0 1035 78	94 58 337 9603 893 92		0	o o
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47 8789	11 0915 29 65441 44 5127	8 7569 9 678237	0	0 90 008	2 745 72 14669 94 11		ō	0 455 933	161 875 11311.79 475 362	11 137 1969 681	ŏ	0 1044 61	124 06 123 128 1014 24		ò	ă
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44 9048 50 393	0 3227 28 3366 48 8969 5 4882 0 024874 51 449	4 3461 1 689515 2.5521 9 571682	0	0 107 859	3 291 63 16944 100 8		0	0 563 559	4 044 2649 582 582 854	100 333 2008 376	0	0 958 38	208 13 9056 625 979 7	45 25 4585 145	0	0
50 3379	0 0551 31 25719 51 167	0 282 28.77157	0	0 97 997 0 106 01	9 862 1 89591 93 63 8 013 10 40656 89 83		0	0 559 462 0 521 25	4 097 2644 128 584 365 38 212 299 5007 564 877	1 511 2916 766	0	0 929 52	28 86 7073 432 955 63	24 07 7902 089	0	0
48 8489	1 489 17 27993 50 8026	0 3644 27 89438	ő	0 108 332	2 322 79 51147 89 94		ň	0 503.743	17 507 1444.843 535.66	19 488 1298 167 29 217 691 7473	0	0 795 06 0 1109 04	134 46 462 0911 1034 13 313 96 40407 55 930 36	78.5 1187 746 103 77 84.52405	0	0
49 7291	0 8802 22 71202 46 7426	4 06 2 515121	ŏ	0 101 423	6 909 18 74821 114 2		ŏ	0 5319	28 157 748 6292 498 034	37 626 320 1269	ă	0 80047	308 57 38261 83 1131 1		ů	Ö
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49 6155 45 7041	1 7178 15 43008 48 1971 3 9114 3 008537 46 7734	2 5975 9 292824	0	0 101.614	12 381 1 304346 106 56		0	0 523 058	105 642 2512 406 517 079	38 037 305.5885	0	0 938 02	61 94 2603 416 1011 03		0	0
41 4618	4 2423 1 970131 41 9376	1 4237 17 82709 4 8358 0 656284	0	0 120 132 0 89 188	18 318 50 11337 93 4 30 944 388 2902 88 70		D	0 465 193 0 456 271	57 865 5 507987 510 906	6 173 2434 938	o o	0 1060 14	122 12 83 8379 1079 09	68 06 2016 342	0	0
44 6164	3 1546 6 206643 51 3052	9 3676 13 85095	ő	0 107 304	18 116 47 29422 90.95		0	0 456 271 0 515 17	8 922 2171 196 507 336 58 899 11 43055 505 802	3 57 2698 604 1 534 2914 282	0	0 993 21 0 1118 47	66 93 2119 101 1106.9 125 26 151 1991 1071 21		0	0
50 6201	6 0037 0 128011 45 8858	5 4194 0 051308	ō	0 75 072	32 232 440 7094 107 66		ŏ	0 606 712	91 542 1297 722 500 855	4 947 2557 435	õ	0 958 77	159 7 2184 282 913 35	35 69 5971 224 157 86 2015 678	Ď	ů
46 2119	4 4082 1 531935 46 5725	0 6867 24.5938	0	0 93.35	18 278 49 54864 119 36	9 11 708 0.220036	ō	0 434 165	172.547 13695 77 566 541	65 686 103 3864	ŏ	0 994 86	36 09 5909 565 1026 55	113 2 0 055839	ŏ	ŏ
57 2111	10 9992 28 65768 43 9954 3 8109 3 367274 44 576	2 5771 9 417616	0	0 109 829	16 479 27 45843 110 83		0	0 509.33	75 165 386.0011 428 297	138 244 6843 576	0	0 1028 98	34 12 6216 328 1042 91	16 36 9332 274	ő	ŏ
61 022 48 616	3 8109 3 367274 44 576 12 406 45 69877 52 0204	0 5806 25 6574 7 4444 3 234554	0	0 109 162 0 93 774	0 667 111.7655 112 98 15 388 17 21486 86 82		0	0 462 072 0 562 235	47 258 68 22908 574 927	146 63 8301 38	0	0 968 53	60 45 2757 688 1090 21		0	0
47 4515	1 1645 20 08307 59 5994	7 579 3 736824	ŏ	0 95 719	1 945 86.37696 96 05		ö	D 562 235 D 503 39	100 163 1993 168 566.22 58 845 11 06833 438 796	8 707 2191 278 127 424 5170 46	0	0 1033 13 0 944 45	64 6 2339 047 945 89 88 68 589 6979 1048 6	144 32 983 2178	0	0
50 9857	3 5342 4 459334 43 9179	15 6815 100 713	ŏ	0 85 406	10 313 0.857329 106 38		ŏ	0 508 807	5 417 2510 119 508 605	69 809 204 2301	0	0 1037 58	93 13 393 3755 986 79	102 71 105 1383 61 81 2616 701	0	0
49 8379	1 1475 20 23302 49 2651	5 3472 0 08923	0	0 114 095	28.689 304 5053 89 88		ō	0 432 513	76 294 431 6384 470 034	38 571 287 2039	ŏ	0 96026	77 32 1270 473 880 49		ŏ	ŏ
56 5326	6 6947 1 099953 47 5944	1 6707 15.80232	0	0 106 117	7 978 10.6336 103.22		0	0 496 728	64 215 75 63625 510 555	40 521 224 9127	0	0 1207 41	247 15 18005 96 1022 46	141 97 841 3657	ŏ	ō
44 7507 51 9382	11 7819 37 65033 51 7371 7 1875 2 376489 46 4933	4 1427 2 259651 5 2438 D 181695	0	0 121 871 0 99 548	15 754 20.38594 96 46		0	0 551 075	54 347 1 371451 482 774	27 781 769 3462	0	0 1133 62	73 79 1534 578 976 64		0	0
53 8415	1 9033 14.00716 50 4403	3 947 2 886307	ŏ	0 107 959	22.323 122.8568 81 46 8.411 7.997134 124.62		ů	0 447 372 1 549 057	103 703 2321 786 488 228 101 685 2131 384 518 997	5 454 2506 413 30 769 812 5174	0	0 1026 67	106 95 36 16454 1160 07	183 43 4965 5	0	0
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49 6631 46 2411	5 5267 0 014212 47 6314 3 422 4.945791 50.3706	5 7976 0 023009 2 7392 8 448983	0	0 90 394 0 102 728	7 028 17 73185 96 20		0	0 490 762	3 512 2704.633 547 057	15 492 1602 088	0	0 1102 36	180 43 4551 702 1002 17	47 52 4282 877	0	٥
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50 3831	8 9199 10 71899 44 7563	9 3905 14 02193	0	0 108 581	22 729 132 0219 83 45	8 20 5 85 76759	ŏ	0 484 315	49 73 33 50198 447 684	5 331 2518 744	ŏ	0 861 01	80 04 1083 97 1032 61		ŏ	ŏ
46 832	3 5511 4 388243 48 1003	3 344 5 298805	0	0 116 735	8 154 9 516734 110 73		0	0 460 916	23 399 1031 636 423 792	23 892 1000 21	ŏ	0 896 42	15 41 9516 724 937 46	95 15 317 3278	ŏ	ŏ
41 82	5 012 0 401846 47 3839	0.7164 24.3001	0	0 100 278	16 457 27 22835 97 06		0	0 429 573	31 343 584 435 470 207	46 415 82 86624	0	0 981 15	84 73 797 1416 1056 84	119 38 41 16895	ō	ō
45 7241 54 8939	3 9041 3 033914 56 6268 9 1698 12 41778 59 6455	9 2429 12 93831 3 0187 6 90225	0	0 115 349 0 110 934	15 071 14 68483 96 77 4 415 46 56589 108 98		0	0 454 753 0 518 666	25 18 920 3997 517 817 63 913 70 47452 562 313	47 61 62 53788	0	0 1362 98	401 83 83443 74 987 17		1	0
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50	0 6376 25 0832		0 97 099	5 514 32 77471	a	456 2	3 573 2698 292		
39 80	10 9988 28 65339		0 88 061	9 038 4 844051	0	467 923	11 723 1918 01	0 846 04 0 1020 7	415 79 91703 77
51 132	7 11 3315 32 32589		0 103 579	15 518 18 31052	ŏ	480 057	12 134 1882 179		174 66 3806 434 54 03 3473 181
46 522	4 6099 1 073324		0 98 946	4 633 43 63819	ŏ	494 365	14 308 1598 272		18 69 8887 53
63 483	16 9604 128 0176		0 105 138	6 192 25 47141	ŏ	447 83	46 535 80 6959		
49 050	14 4324 77 20235		0 84 24	20 898 93 29782	ŏ	593 979	146 149 8213 962	0 1119 86 0 1104 06	
61 240			0 95 836	11 596 0 127506	Č	391 083	202 896 21720 25	1 894.47	15 8 9440 784 209 59 9336 643
52 324			0 120 193	24 357 172 084	ō	415 123	24.04 990 8701	0 826.41	68 06 2016 342
54 188			0 99 735	20 458 84 99143	ō	553 509	138 386 6867 091	0 789 49	36 92 5782 644
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50 237			0 101 178	2 53 75 8453	Ď.	535 255	115 055 3544 844	0 963.51	87 52 647 3817
39 790			0 106 319	5 141 37 18463	ŏ	578 793	43 538 143 5226	0 972 57	9 06 10795 98
42 587			0 101 625	4 694 42 83598	Ď	410 57	168 223 12702 4	0 928 13	44 44 4695 497
48 599			0 84 563	17 062 33 90825	ō	493 422	82 852 747 1426	0 840 38	87 75 635 7305
40 823			0 109 673	25 11 192 4068	Ö	484 925	8 497 2210 983	0 1077 72	
43 405			0 106 14	3 533 59 38121	o o	565 427	80 502 624 1958	0 1016 32	61 4 2658 815
40 864			0 104 724	1 416 96 48977	0	501 774	63 653 66 17676	0 955 82	60 5 2752 439
45 719			0 91 446	13 278 4 157845	0	489 618	12 156 1880 271	0 1006 71	50 89 3853 144
48 709			0 100 423	8 977 5 116284	0	447 107	42 511 169 1844	0 850 4	156 31 1878 902
51 624			0 95 785	4 638 43 57215	0	545 388	98 281 1828 666	0 944 53	94 13 354 7081
48 602			0 957	0 085 124 4099	0	491 489	53 899 2.621452	0 1146.5	202 27 7975 616
57 827			0 93 365	2 335 79 2798	0	436 122	55 367 0 022828	0 921 75	225 05 12563.34
56 032 52 02			0 112 542	19 177 63 01311	0	514 237	78 115 510.6204	0 1076 88	155 13 1777 997
52 02 52 661			0 96 944	15 598 19 00157	O	465 106	49 131 40 79492	0 870 86	206 02 8659 476
48 345			0 101 268	4 324 47 81613	0	509 586	44 48 121 8394	0 1195 16	324.3 44663.03
40 343			0 101 501	0.233 121.1303	0	566 107	56 521 1 005829	0 1022 13	173 03 3807 961
55 065			0 95 488	6 013 27 31024	0	552 812	13 295 1782.789	0 1022.7	0 57 12632 34
42 352			0 993	3 812 55 15915	ō	499 077	53 735 3 179409	0 876 69	146 01 1092 058
50 869			0 94 512	4 788 41 61438	<u>o</u>	457 321	41 756 169 3951	0 929.9	53.21 3570 504
46 997			0 98 22 0 92 583	3.708 56 71476	0	515 273	57 952 5.923919	0 989 21	59 31 2878 719
48 715			0 94 701	5.637 31.38151 2 116 63 19119	0	469 177	46 096 88 77578	0 932 79	56 42 3197 19
43 787			0 9509		0	492 681	23 504 1024.902	0 1205 99	273.2 25675 67
46 803			0 58.769	0.389 117.7208 6 321 24 18594	ů	491 281	1 4 2928 768	0 931	274 99 26252 52
48 93			0 107 275	18 506 52 81044		516 732	25 451 904 0299	0 1046 31	115 31 5 505 141
54 785			0 114 382	7 107 17 07277	0	469 713	47 019 72 23453	0 1177 55	131 24 334 0233
65 538			0 114 425	0 043 125.3486	0	465 712 462 067	4 001 2654 011	0 1013 1	164 45 265u 839
48 556	16 9821 128 5091		0 95 804	18 621 54 4951	ŏ	574 447	3.645 2690 817 112.36 3233 277	0 1167 59	154 49 1724 434
42 665	5 8904 0 059774		0 103 444	7 64 12 95223	ŏ	513 311	61 136 31 56091	0 897 32	270 27 24745 27
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44 438	5 1 0028 21 5585 5 6103 0.001268		0 101 477	5 576 32 06867 2 757 71.94296 8 433 7 87319	ŏ	539 615 472 917 447 41	71 533 256 4773 66 698 124 9904 25 507 900 6655	0 1239 56 0 1214 58 0 1069 28	222 95 12096 99 24 98 7741 131 145.3 1045 637
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44 436 50 048 47 507 51 42 49 607	5 1 0028 21 5585 5 6103 0.001268 5 2 5413 9 638625 1 3 9135 3 001256 3 1 8137 14.68588		0 101 477 0 96 72 0 90 287 0 95 109	5 576 32 06867 2 757 71.94296 8 433 7 87319	0	539 615 472 917 447 41 498 058 587 526	71 533 256 4773 86 698 124 9904 25 507 900 6655 50 648 23.71777 89 468 1152 596	0 1239 56 0 1214 55 0 1069 28 0 888 47 0 946 75	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4603 121 58 28 2990 307
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4 4 434 55 046 47 500 51 47 49 600 50 665 42 593 43 593 44 595 45 595 47 7 266 52 52 573 44 4 4 4 4 4 4 5 6 6 6 6 6 6 6 6 6 6 6 6	3 10028 215565 5 25413 963625 1 25413 963625 1 39135 3001258 3 18137 14 68586 3 12925 18 85221 7 0763 2 051731 9 6051 1 343714 1 64627 0 66714 1 64627 0 66714 3 8 4692 0 66714		0 101 477 0 98 72 0 90 287 0 95 109 0 125 567 0 96 552 0 113 346 0 119 68 0 88 364 0 104 842 0 100 872 0 114 327 0 114 327	5 707 32 08967 2 757 71 94296 8 433 7 67319 4 622 41 17687 31 456 408,8112 30 015 392-5412 16 794 30 85891 6 334 24 06925 31 316 403 0891 16 478 27 44795 17 833 44,8107 13 963 7 420699 13 465 4 911008 33 429 510 3117	0 0 0 0 0 0 0	539 615 472 917 447 41 498 058 587 528 529 275 546 927 530 515 579 008 431 373 462 59 471 261 548 399 525 894	71 533 256 4773 86 588 129 9004 25 507 900 6855 50 448 23 17777 89 468 1152 596 68 251 7 468798 17 652 1433 841 16 412 1529 286 48 493 49 35189 147 635 4845 525 31 217 590 543 8 671 2194 65 77 138 467 4205 22 505 1089 864	0 1239 56 0 1069 28 0 1069 28 0 888 47 0 946 75 0 1037 89 0 794 47 0 901 00 0 1151 38 0 1007 4 0 983 18 0 943 55	222 95 12096 99 24 98 7741 131 145.3 1045 837 180.8 1 4603 121 58 28 2990 307 91 14 478 2737 243 42 17018 85 58 91 5959 8 143 98 962 0111 106 32 44 1387 235 05 14905 07 152 95 1598 904 39 65 5374 899 141 77 9750 194
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4 4 434 50 046 47 500 91 47 49 600 50 696 43 797 43 524 45 56 97 7 24 47 7 24 47 55 50 300 80 800 97 1 24 47 55 50 300 80 800 97 1 24 47 55 80 800 80 800 800	3 10028 215585 5 56103 001288 5 2413 9 634625 3 9135 301255 3 18137 14 88582 7 56051 0 001665 6 6051 1 343714 6 8051 1 343714 8 1791 6 41703 6 4627 0 66714 9 52866 0 126599 8 3439 7 279132 2 7946 8 129988	999103 Sum X	0 101 477 98 72 98 72 98 72 90 98 72 90 98 72 90 98 70 99 650 90 113 346 90 119 68 90 90 119 68 90 90 110 672 90 85 909 90 119 183 90 90 119 183 90 90 119 183 90 90 119 183 90 90 119 183 90 90 119 183 90 90 90 90 90 90 90 90 90 90 90 90 90	5 707 32 08967 2767 7194296 8 433 7 87319 4 822 41.17887 31 455 408.8112 30 015 382.5412 16 794 30 8391 6 334 24 05822 31 44785 31 44785 31 44785 31 452 41785 31 452 911008 33 422 911008 33 425 911008 33 485 75 2873	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	539 615 472 917 447 41 488 056 587 526 529 275 530 515 579 008 431 373 462.59 471 261 548 399 525 894 496 288	7,153, 256, 4773 86 698 129 9004 25 907 900 6955 90 488 23.11777 89 468 1152 296 88 251 7 468798 17 652 1433 541 16 412 1529 286 847 637 8485 255 31 217 590 543 8 671 2194 85 77 138 467 4205 22 905 1089 964	0 1239 56 0 1069 28 0 1069	222 95 10069 99 24 98 7741 131 146.3 1045 637 180 81 480.3 121 58 26 2990 307 91 14 478 2737 243 42 17018 83 58 97 99509 81 106 82 88 88 1196 107 108 88 1197 108 82 1198 109 83 1198 109 1198 904 39 65 3174 899 14 17 9780 194 51 66 3316 928
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4 4 432   5 044   47 503   5 14 2   49 603   45 563   45 563   45 563   53 74   47 284   47 55   50 303   50 MR > UCLmr   50 MR > UCLmr   50 MR > 47 59   50 MR > 48 59   50 MR > 48 59   50 MR > 50 M	5 10028 215556 5 6103 0 001268 5 25413 9 63565 5 25413 9 63565 5 1613 7 168565 5 1613 7 168565 6 1637 1 68562 7 5 6051 0 001666 7 0783 2 05051 9 6 8051 1 343714 8 6 4627 0 66714 5 2896 0 16714 5 2896 0 16714 6 3 2 3 2 3 3 5 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	999 10 3 Sum X X Average MR Average Mromat constant - Normal constant - Upper contro limit	0 101 477 0 98 72 0 98 72 0 99 87 0 95 109 0 128 567 0 96 552 0 113 346 0 119 68 0 88 396 0 104 842 0 88 390 0 108 87 0 104 542 0 88 390 1 104 559 2 20 2 600696 6 1 100 123 1 123892 2 42 (n=2) 1 128 2 3 266 1 11 23 376	5 7/6 22 08967 2 7/67 71 94/296 6 433 7 87/319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 7/8 30 63981 6 334 24 05825 31 316 433 08991 77 833 7 44/107 13 963 7 42/9699 33 425 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	539 815 472 917 447 411 488 058 587 526 529 275 546 927 530 515 579 008 431 373 462.59 471 261 548 399 398 848 499 2215 55 51809 1 128 3 268 847 576	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 485 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1099 864 127 046 5116 242 97 44 1757 447	0 1239 56 0 1099 28 0 1099 28 0 1099 28 0 1099 28 0 1099 28 0 1099 28 0 1099 28 0 1099 28 0 1099 29 0 1099	222 95 12069 99 24 98 7741 131 145.3 1045 837 180 81 8403 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 15 95 159 9600 15 159 159 904 39 65 3374 898 14 17 9790 194 31 66 3316 92 126 36 179 461
4 4 434 5 0 046 47 500 5 0 146 47 500 5 0 186 48 529 48 529 48 529 48 529 48 529 48 529 48 529 49 541 50 550 50 865 48 529 49 541 50 550 50 865 50 86	5 1 0028 21 5595 5 6103 0 001286 5 2 5413 9 63452 5 2 5413 9 63452 5 1 2925 18 5001255 6 1 8137 1 4 68598 1 1 2925 18 68522 5 6001 0 001666 7 0783 2 001663 6 8001 1 343714 8 1791 6 4707 8 17	99910 3 Sum X X Average MR Average Normal constant Upper contro limit Lower control limit	0 101 477 0 98 72 0 98 72 0 98 72 0 98 72 0 96 109 0 126 567 0 96 552 0 113 346 0 119 68 0 68 596 0 119 68 0 100 672 0 114 327 0 119 183 0 104 549 0 119 183 0 104 549 22 800969 6 100 123 30 104 549 24 (n=2) 1 128 24 (n=2) 1 128 24 (n=2) 3 286 16to X (UCLx 130 014	5 7/6 22 08967 2 7/67 71 94/296 6 433 7 87/319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 7/8 30 63981 6 334 24 05825 31 316 433 08991 77 833 7 44/107 13 963 7 42/9699 33 425 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	539 815 472 917 447 411 488 058 587 556 587 556 589 275 546 927 530 515 579 008 431 373 462.59 471 261 548 399 525 894 398 848 496 288 3998864 499 9215 55 51809 1 128 3 268 647 576 352 267	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 485 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1099 864 127 046 5116 242 97 44 1757 447	0 1293-95 0 0 1099-22 0 0 888-47 0 946-75 0 1946-75 0 1946-75 0 1946-75 0 1946-75 0 1946-75 0 1946-75 0 951-35	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4803 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
4 4 432   5 044   47 503   5 14 2   49 603   45 563   45 563   45 563   53 74   47 284   47 55   50 303   50 MR > UCLmr   50 MR > UCLmr   50 MR > 47 59   50 MR > 48 59   50 MR > 48 59   50 MR > 50 M	5 10028 215556 5 6103 0 001268 5 2 5413 9 63625 5 2 5413 9 63625 5 1813 7 14 68562 5 1837 14 68562 7 5 6051 0 001666 7 0783 2051 1 343714 8 6427 0 66714 5 2060 1 343714 8 6427 0 66714 5 2086 0 6714 5 2086 0 208714 8 129988 8 3439 7 279132 3 279 5 60714 5 27946 8 129988	999 10 3 Sum X X Average MR Average MR Average MR Constant Normal constant Upper contro limit Lower control limit Upper contro	0 101 477 0 98 72 0 98 72 0 99 287 0 95 109 0 125 567 0 96 552 0 113 346 0 119 58 0 85 396 0 104 842 0 85 396 0 108 319 119 183 0 100 123 117 23892 22 100 123 11 23892 24 (n=2) 1 126 16 nx (UCLx 70 23251	5 7/6 22 08967 2 7/67 71 94/296 6 433 7 87/319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 7/8 30 63981 6 334 24 05825 31 316 433 08991 77 833 7 44/107 13 963 7 42/9699 33 425 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	539 815 472 917 447 41 488 056 587 526 529 275 548 927 530 515 579 008 431 373 462 59 471 251 548 399 525 894 398 848 499 228 3998864 499 9215 5 5 5 1809 1 128 3 268 6 647 576 332 267 181 4331	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 485 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1099 864 127 046 5116 242 97 44 1757 447	0 1239 56 0 1099 28 1 1 1 1 2 1 1 1 1 2 1 1 1 1 2 1 1 1 1	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4803 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
4 4 432 5 0 046 47 500 5 1 47 5 1 47 5 1 48 6 1 5 1 47 5 1 6 1 48 6 1 5 1 47 6 1 6 1 5 1 47 6 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1	5 10028 215556 5 6103 0 001268 5 2 5413 9 63625 5 2 5413 9 63625 5 1813 7 14 68562 5 1837 14 68562 7 5 6051 0 001666 7 0783 2051 1 343714 8 6427 0 66714 5 2060 1 343714 8 6427 0 66714 5 2086 0 6714 5 2086 0 208714 8 129988 8 3439 7 279132 3 279 5 60714 5 27946 8 129988	99910 3 Sum X X Average MR Average Normal constant Upper control limit Lower control limit Upper control MR MR Standard dew	0 101 477 0 98 72 0 98 72 0 98 72 0 98 72 0 96 109 0 126 567 0 96 552 0 113 346 0 119 68 0 68 594 0 100 672 0 114 327 0 101 452 0 104 542 0 104 549 0 104 549 0 119 183 0 104 559 55 22 600696 6 100 1233 0 104 559 65 120 123892 42 (n=2) 1 128 64 (n=2) 3 286 107 32351 KMR (UCLx 130 014 KMR (UCLx 170 32351 KMR (UCLx 170 32351 KMR (UCLx 170 32351 KMR (UCLx 170 32351	5 7/6 22 08967 2 7/67 71 94/296 6 433 7 87/319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 7/8 30 63981 6 334 24 05825 31 316 433 08991 77 833 7 44/107 13 963 7 42/9699 33 425 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	539 815 472 917 447 41 488 056 587 526 587 526 587 526 587 526 587 526 587 526 587 526 588 529 588 548 499 5215 55 51809 1 128 3 268 647 576 3 32 267 181 4331 42 17469	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 485 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1099 864 127 046 5116 242 97 44 1757 447	0 129 56 0 1099 22 0 1099 22 0 1099 22 0 1099 22 0 1099 22 0 1099 22 0 1099 22 0 1099 22 0 1099 22 0 1099 22 0 1099 22 0 1099 21 0 1099	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4603 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
4 4 43/2 50 04/2 47 50/2 60/2 47 50/2 60/2 61/2 61/2 61/2 61/2 61/2 61/2 61/2 61	5 1 0022 21 5552 5 6103 0 001268 5 2 5413 9 636625 3 9133 30133 30133 3013 1 9133 104 6558 1 1 8137 14 6558 1 1 8137 14 6558 2 0583 20 8137 5 001 0 001068 7 0753 2 0 0817 8 1791 6 417034 9 1791 6 417	999 10 3 Sum X X Average MR Average MR Average MR Constant Normal constant Upper contro limit Lower control limit Upper contro	0 101 477 0 98 72 0 98 72 0 98 72 0 98 72 0 96 109 0 126 567 0 96 552 0 113 346 0 119 68 0 68 594 0 100 672 0 114 327 0 101 452 0 104 542 0 104 549 0 104 549 0 119 183 0 104 559 55 22 600696 6 100 1233 0 104 559 65 120 123892 42 (n=2) 1 128 64 (n=2) 3 286 107 32351 KMR (UCLx 130 014 KMR (UCLx 170 32351 KMR (UCLx 170 32351 KMR (UCLx 170 32351 KMR (UCLx 170 32351	5 7/6 22 08967 2 7/67 71 94/296 6 433 7 87/319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 7/8 30 63981 6 334 24 05825 31 316 433 08991 77 833 7 44/107 13 963 7 42/9699 33 425 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	539 815 472 917 447 41 488 056 547 526 529 275 548 927 530 515 579 066 431 373 462 59 471 261 548 399 525 894 398 846 496 288 399864 499 815 55 51809 1 128 3 268 647 576 3 32 68 647 576 635 267 181 4331 42 17469 50	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 4865 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1089 864 127 046 5116 242 97 44 1757 447	0 1239 56 0 1099 28 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4603 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
4 4 436 5 0 046 47 500 9 11 47 49 900 9 12 49 60 65 60	5 1 0028 21 5595 5 6103 0 001286 5 2 5413 9 838625 5 2 5413 9 838625 8 1 8137 14 8598 1 1 2925 18 85221 7 5 607 1 001693 7 0783 2 001693 8 4807 1 001693 8 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	99910 3 Sum X X Average MR Average Normal constant Upper control limit Upper control limit Upper control MR MR Standard dew Process standard Gemma 42 Gemma	0 101 477 0 98 72 0 90 287 0 90 109 0 126 597 0 96 502 0 113 346 0 119 58 0 119 58 0 100 72 0 50 60 0 113 346 0 100 72 0 50 60 0 113 340 0 100 72 0 50 60 0 113 340 0 104 569 0 119 183 0 104 569 0 119 183 0 112 3892 2 800959 6 100 1233 11 23892 11 23892 11 23892 11 23892 11 23892 11 23892	5 707 32 08967 2 767 71 94296 8 433 7 87319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 794 30 63991 6 334 24 05825 31 316 433 08991 77 833 7 44107 13 963 7 420609 33 429 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	O O O O O O O O O O O O O O O O O O O	539 815 472 917 447 41 488 056 529 275 548 927 530 515 579 008 431 373 462 59 471 261 548 399 925 894 399 8215 55 51809 1 128 3 268 647 576 352 267 181 4331 421 17469 50 1 110362	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 4865 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1089 864 127 046 5116 242 97 44 1757 447	0 1239 56 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4603 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
4 4 432   5 0 044   7 50 046   7	5 1 0022 21 5556 5 6103 0 001268 5 2 5413 9 636625 5 2 5413 9 636625 5 3 9133 30136 5 1 8373 14 68558 1 8 137 14 68558 1 8 5271 5 6001 0 001668 7 0783 0 201751 9 6791 6 447034 9 5 7896 0 126959 2 7946 8 129988	999 10 3 Sum X X Average MR Average MR Average MR Average MR Average MR Constant Mormal constant Upper control limit Lower control limit Upper control limit MR Standard deview Process standard deview Process standard MR	0 101 477 0 98 72 0 98 72 0 99 287 0 95 109 0 125 567 0 96 552 0 113 346 0 119 68 0 68 592 0 119 68 0 100 672 0 101 432 0 86 592 0 114 327 0 114 327 0 80 498 0 10 123 11 23892 42 (n+2) 1 126 4 (n+2)	5 707 32 08967 2 767 71 94296 8 433 7 87319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 794 30 63991 6 334 24 05825 31 316 433 08991 77 833 7 44107 13 963 7 420609 33 429 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	O O O O O O O O O O O O O O O O O O O	539 815 472 917 447 41 488 056 567 528 529 276 548 927 530 515 579 008 431 373 462 59 471 261 548 399 548 399 548 399 548 399 1 128 398 848 496 288 39686 647 576 3 268 647 576 1 110362 0 843464	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 4865 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1089 864 127 046 5116 242 97 44 1757 447	0 1239 56 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4603 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
4 4 436 5 0 046 47 500 9 11 42 49 900 0 8 16 43 794 64 900 64 97 900 82 32 33 64 966 87 22 47 67 26 67 27 27 26 67 27 26	5 1 0022 21 5556 5 6103 0 001268 5 2 5413 9 636625 5 2 5413 9 636625 5 3 9133 30136 5 1 8373 14 68558 1 8 137 14 68558 1 8 5271 5 6001 0 001668 7 0783 0 201751 9 6791 6 447034 9 5 7896 0 126959 2 7946 8 129988	999 10 3 Sum X X Alwange MR Alwan	0 101 477 0 98 72 0 90 287 0 96 109 0 125 597 0 96 5109 0 96 552 0 1113 346 0 119 58 0 0 104 542 0 114 327 0 80 498 0 114 327 0 114 327 0 114 327 0 114 327 0 114 327 0 114 327 0 104 542 0 114 327 0 104 549 0 117 306 0 104 549	5 707 32 08967 2 767 71 94296 8 433 7 87319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 794 30 63991 6 334 24 05825 31 316 433 08991 77 833 7 44107 13 963 7 420609 33 429 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	O O O O O O O O O O O O O O O O O O O	539 815 472 917 447 41 488 056 529 275 548 927 530 515 579 008 431 373 462 59 471 261 548 399 925 894 399 8215 55 51809 1 128 3 268 647 576 352 267 181 4331 421 17469 50 1 110362	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 4865 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1089 864 127 046 5116 242 97 44 1757 447	0 1239 56 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4603 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
44 433 45 50 044 47 500 50 64 47 500 50 64 47 500 64 47 500 64 47 500 64 47 500 64 47 500 64 52 94 64 64 52 94 64 64 64 64 64 64 64 64 64 64 64 64 64	5 1 0028 21 5595 5 6103 0 001288 5 2 5413 9 83852 5 2 5413 9 83852 5 1 8313 3 001255 8 1 8137 14 8558 1 1 8237 18 9522 7 5 607 1 001686 7 0783 2 001686 7 0783 2 00168 8 1 8 107 1 00168 8 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	99910.3 Sum X X Average MR Average MR Average Normal constant to Upper control limit Lower control limit UMP. Standard Process standard Gamma 43 Gamma 54 Gamma 54	0 101 477 0 98 72 0 99 72 0 99 72 0 99 6109 0 125 567 0 96 552 0 113 346 0 119 68 0 68 596 0 119 68 0 68 596 0 100 672 0 114 327 0 80 498 0 101 1289 2 202 (n=2) 1 128 2 4 (n=2) 1 128 2 1 128 2 1 128 2 1 128 2 1 128 3 2 1 128 3 2 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	5 707 32 08967 2 767 71 94296 8 433 7 87319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 794 30 63991 6 334 24 05825 31 316 433 08991 77 833 7 44107 13 963 7 420609 33 429 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	O O O O O O O O O O O O O O O O O O O	539 815 472 917 447 41 488 056 567 528 529 276 548 927 530 515 579 008 431 373 462 59 471 261 548 399 548 399 548 399 548 399 1 128 398 848 496 288 39686 647 576 3 268 647 576 1 110362 0 843464	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 4865 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1089 864 127 046 5116 242 97 44 1757 447	0 1239 56 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4603 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
4 4 436 5 044 47 500 8 11 47 48 900 9 12 48 48 900 8 12 37 49 900 9 12 47 47 52 47 724 47 75 50 300 8 MR > UCLmr Sum X 399933 X Average 49 904 Normal constant D4 (n=2) Upper control limit for X (UCLX 500 Normal constant D4 (n=2) Upper control limit for X (UCLX 500 Upper control lim	5 1 0022 21 5556 5 6103 0 001268 5 2 2413 9 634625 5 2 2413 9 634625 5 2 3 2413 9 634625 5 1 8137 14 68562 1 1 2925 18 68562 5 6051 0 001666 7 0783 0 2917 6 9051 0 001666 9 4677 0 66714 9 5 266 0 12569 8 4487 0 66714 9 5 266 0 12569 8 3439 7 27912 2 7946 8 129988	999 10 3 Sum X X Arage MR Average	0 101 477 0 98 72 0 98 72 0 98 72 0 98 6109 0 128 587 0 96 552 0 113 346 0 119 68 0 0 88 596 0 119 68 0 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 543 0 104 543 0 104 543 0 104 543 1 123892 1 23892	5 707 32 08967 2 767 71 94296 8 433 7 87319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 794 30 63991 6 334 24 05825 31 316 433 08991 77 833 7 44107 13 963 7 420609 33 429 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	539 815 472 917 447 41 488 056 567 528 529 276 548 927 530 515 579 008 431 373 462 59 471 261 548 399 548 399 548 399 548 399 1 128 398 848 496 288 39686 647 576 3 268 647 576 1 110362 0 843464	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 4865 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1089 864 127 046 5116 242 97 44 1757 447	0 1239 56 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	222 95 12096 99 24 98 7741 131 145.3 1045 837 180 81 4603 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 145 98 982 911 152 95 1598 904 39 65 3374 889 14 17 9750 194 316 65 3516 926 126 36 179 461
44 432 50 044 47 500 67 50 464 47 500 68 69 59 59 69 69 59 59 69 69 59 59 69 69 69 59 59 69 69 69 59 69 69 59 69 69 59 69 69 59 59 69 69 69 69 69 69 69 69 69 69 69 69 69	5 1 0022 21 5595 5 6103 0 001286 5 2 5413 9 63652 5 2 5413 9 63652 5 1 613 9 63652 5 1 613 7 16 6558 1 1 613 7 16 6558 1 2925 1 6 85221 5 6001 0 001666 7 0783 2 001666 7 0783 2 001671 8 6427 0 66714 5 2095 0 1005 5 2095 0 1205 5 209	99910 3 Sum X X Average MR Average MR Average MR Average MR Constant Normal constant Upper control limit Lower control limit Lower control limit MR Standard dear Process standard Camma 42 Gamma DA Gamma DA Gamma DA Gamma DA Gamma DA Gamma DA Geta = 1 Seta = 1 Proportion MR > 1 Proportion MR > 2 Percentage	0 101 477 0 98 72 0 98 72 0 98 72 0 98 6109 0 128 587 0 96 552 0 113 346 0 119 68 0 0 88 596 0 119 68 0 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 542 0 104 543 0 104 543 0 104 543 0 104 543 1 123892 1 23892	5 707 32 08967 2 767 71 94296 8 433 7 87319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 794 30 63991 6 334 24 05825 31 316 433 08991 77 833 7 44107 13 963 7 420609 33 429 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	O O O O O O O O O O O O O O O O O O O	539 815 472 917 447 41 489 058 587 528 527 528 529 275 530 515 579 008 431 373 462.59 471 261 548 399 525 894 398 848 496 228 3998864 499 9215 55 51809 1 128 3 268 647 576 3 32 267 181 4331 42 17469 1 110362 0 843494 3 27897	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 4865 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1089 864 127 046 5116 242 97 44 1757 447	0 1239 56   0 1069 28   0 1069 28   0 1069 28   0 1069 28   0 1069 28   0 1069 28   0 1069 28   0 1069 28   0 1069 28   0 1037 89   0 704 47   0 1074 8	222 95 12069 99 24 98 7741 131 145.3 1045 837 180 81 8403 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 15 95 159 9600 15 159 159 904 39 65 3374 898 14 17 9790 194 31 66 3316 92 126 36 179 461
4 4 436 5 044 47 500 8 11 47 48 900 9 12 48 48 900 8 12 37 49 900 9 12 47 47 52 47 724 47 75 50 300 8 MR > UCLmr Sum X 399933 X Average 49 904 Normal constant D4 (n=2) Upper control limit for X (UCLX 500 Normal constant D4 (n=2) Upper control limit for X (UCLX 500 Upper control lim	5 1 0022 21 5595 5 6103 0 001286 5 2 5413 9 63652 5 2 5413 9 63652 5 1 613 9 63652 5 1 613 7 16 6558 1 1 613 7 16 6558 1 2925 1 6 85221 5 6001 0 001666 7 0783 2 001666 7 0783 2 001671 8 6427 0 66714 5 2095 0 1005 5 2095 0 1205 5 209	99910 3 Sum X X Average MR Average MR Average Mormal constant to the constant of the constant	0 101 477 0 98 72 0 99 72 0 99 72 0 99 5109 0 125 567 0 96 552 0 113 346 0 119 68 0 68 394 0 100 872 0 114 327 0 86 998 0 119 183 55 22 60069 6 100 123 22 60069 6 100 123 242 (n=2) 1 366 6 100 123 242 (n=2) 1 366 6 100 123 242 (n=2) 1 366 6 100 123 25 60 123 26 100 123 27 (n=2) 1 366 28 80969 6 100 123 28 80969 6 100 123 29 1 360 100 123 20 1 360 100 100 100 100 100 100 100 100 100 1	5 707 32 08967 2 767 71 94296 8 433 7 87319 4 422 41.17687 31 455 408.8112 30 013 325.5412 16 794 30 63991 6 334 24 05825 31 316 433 08991 77 833 7 44107 13 963 7 420609 33 429 910 3117 38 685 753 267 38 685 753 267 34 594 11 25656	O O O O O O O O O O O O O O O O O O O	539 815 472 917 447 41 484 058 597 526 529 276 548 927 530 515 579 008 431 373 471 251 548 399 525 894 398 848 496 228 398 848 496 228 398 848 496 228 3 268 47 576 32 267 181 4331 42 17469 0 110362 0 843494 3 27897	71 533 296 4773 86 688 129 9004 25 907 900 6855 50 448 23 17777 89 488 1162 996 68 251 7 468798 17 652 1433 841 16 412 1592 286 48 493 49 35189 147 635 4865 525 31 217 590 543 8 671 2914 85 77 138 467 4205 22 505 1089 864 127 046 5116 242 97 44 1757 447	0 1239 56   0 1069 28   0 1069 28   0 1069 28   0 888 47   0 946 75   0 1037 89   0 794 47   0 1057 89   0 1007 8   0 1007 8   0 1007 8   0 1007 8   0 1007 8   0 1007 8   130   0 943 35   0 943 35   0 943 35   15   Sum X   8000127 8    8000127 8   8000127 8   8000127 8    8000127 8	222 95 12069 99 24 98 7741 131 145.3 1045 837 180 81 8403 121 58 26 2990 307 91 14 478 2737 243 42 17018 85 358 91 99509 8 143 98 982 911 15 95 159 9600 15 159 159 904 39 65 3374 898 14 17 9790 194 31 66 3316 92 126 36 179 461

## APPENDIX E

# PROBABILITIES OF DETECTION AND AVERAGE RUN LENGTH (ARL) SPREADSHEETS

							Average									Average
Alpha	0.5					Probabil.	run	Alpha	0.5						Probabil.	run
Beta	0.5					of	length	Beta	1						of	length
Shift				Altered	Altered	detection	ARL	Shift					Altered	Altered	detection	ARL
k	Sigma	k*Sigma UCLx	LCLx	UCLx	LCLx	Р	(1/P)	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0	0.353553	0 1.085119	-0.58988	1.085119	-0.58988	0.037216	26.87016	0	0.707107	0	2.199737	-1.19075	2.199737	-1.19075	0.03595	27.81641
0.2	0.353553	0.070711 1.085119	-0.58988	1.014408	-0.66059	0.043972	22.74174	0.2	0.707107	0.141421	2.199737	-1.19075	2.058316	-1.33217	0.042464	23.54936
0.4	0.353553	0.141421 1.085119	-0.58988	0.943698	-0.7313	0.05203	19.21968	0.4	0.707107	0.282843	2.199737	-1.19075	1.916894	-1.47359	0.050229	19.90882
0.6	0.353553	0.212132 1.085119	-0.58988	0.872987	-0.80201	0.061668	16.21587	0.6	0.707107	0.424264	2.199737	-1.19075	1.775473	-1.61501	0.059512	16.80333
0.8	0.353553	0.282843 1.085119	-0.58988	0.802276	-0.87272	0.07323	13.65561	0.8	0.707107	0.565685	2.199737	-1.19075	1.634052	-1.75644	0.070639	14.15649
1	0.353553	0.353553 1.085119	-0.58988	0.731566	-0.94343	0.087149	11.4746	1	0.707107	0.707107	2.199737	-1.19075	1.49263	-1.89786	0.084026	11.90108
1.2	0.353553	0.424264 1.085119	-0.58988	0.660855	-1.01414	0.10398	9.617234	1.2	0.707107	0.848528	2.199737	-1.19075	1.351209	-2.03928	0.100196	9.980438
1.4	0.353553	0.494975 1.085119	-0.58988	0.590144	-1.08485	0.124436	8.03626	1.4	0.707107	0.989949	2.199737	-1.19075	1.209788	-2.1807	0.119827	8.345365
1.6	0.353553	0.565685 1.085119	-0.58988	0.519434	-1.15557	0.149462	6.690664	1.6	0.707107	1.131371	2.199737	-1.19075	1.068366	-2.32212	0.143808	6.953716
1.8	0.353553	0.636396 1.085119	-0.58988	0.448723	-1.22628	0.180331	5.545358	1.8	0.707107	1.272792	2.199737	-1.19075	0.926945	-2.46354	0.173332	5.769275
2	0.353553	0.707107 1.085119	-0.58988	0.378012	-1.29699	0.218827	4.56982	2	0.707107	1.414214	2.199737	-1.19075	0.785523	-2.60496	0.210055	4.760658
2.2	0.353553	0.777817 1.085119	-0.58988	0.307302	-1.3677	0.267562	3.737452	2.2	0.707107	1.555635	2.199737	-1.19075	0.644102	-2.74638	0.256379	3.900475
2.4	0.353553	0.848528 1.085119	-0.58988	0.236591	-1.43841	0.330647	3.024373	2.4	0.707107	1.697056	2.199737	-1.19075	0.502681	-2.88781	0.316017	3.164387
2.6	0.353553	0.919239 1.085119	-0.58988	0.16588	-1.50912	0.41532	2.407782	2.6	0.707107	1.838478	2.199737	-1.19075	0.361259	-3.02923	0.395319	2.529603
2.8	0.353553	0.989949 1.085119	-0.58988	0.09517	-1.57983	0.537241	1.861362	2.8	0.707107	1.979899	2.199737	-1.19075	0.219838	-3.17065	0.507279	1.971302
3	0.353553	1.06066 1.085119	-0.58988	0.024459	-1.65054	0.754443	1.325481	3	0.707107	2.12132	2.199737	-1.19075	0.078417	-3.31207	0.692089	1.444901

								Average									Average
Alpha	0.5						Probabil.	run	Alpha	0.5						Probabil.	run
Beta	5						of	length	Beta	10						of	length
Shift					Altered	Altered	detection	ARL	Shift					Altered	Altered	detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)	k	Sigm	ı k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)
0	3.535534	0	10.67373	-5.76877	10.67373	-5.76877	0.038803	25.7712	0	7.0710	38 (	21.76866	-11.8308	21.76866	-11.8308	0.036928	27.07972
0.2	3.535534	0.707107	10.67373	-5.76877	9.966623	-6.47588	0.045862	21.80454	0.2	7.0710	38 1.414214	21.76866	-11.8308	20.35445	-13.245	0.043628	22.92106
0.4	3.535534	1.414214	10.67373	-5.76877	9.259516	-7.18298	0.054289	18.41994	0.4	7.0710	38 2.828427	21.76866	-11.8308	18.94023	-14.6592	0.05162	19.37234
0.6	3.535534	2.12132	10.67373	-5.76877	8.55241	-7.89009	0.064373	15.53446	0.6	7.0710	38 4.24264°	21.76866	-11.8308	17.52602	-16.0734	0.061176	16.34628
8.0	3.535534	2.828427	10.67373	-5.76877	7.845303	-8.5972	0.076482	13.07497	0.8	7.0710	8 5.656854	21.76866	-11.8308	16.11181	-17.4877	0.072639	13.76671
1	3.535534	3.535534	10.67373	-5.76877	7.138196	-9.3043	0.091074	10.98008	1	7.0710	88 7.071068	21.76866	-11.8308	14.69759	-18.9019	0.086437	11.56912
1.2	3.535534	4.242641	10.67373	-5.76877	6.431089	-10.0114	0.10874	9.196248	1.2	7.0710	8 8 48528	21.76866	-11.8308	13.28338	-20.3161	0.103116	9.697816
1.4	3.535534	4.949747	10.67373	-5.76877	5.723983	<i>-</i> 10.7185	0.130244	7.677897	1.4	7.0710	68 9.89949	21.76866	-11.8308	11.86917	-21.7303	0.123384	8.104779
1.6	3.535534	5.656854	10.67373	-5.76877	5.016876	-11.4256	0.1566	6.385696	1.6	7.0710	68 11.3137°	21.76866	-11.8308	10.45495	-23.1445	0.14817	6.749005
1.8	3.535534	6.363961	10.67373	-5.76877	4.309769	-12.1327	0.189191	5.285664	1.8	7.0710	68 12.72792	21.76866	-11.8308	9.040738	-24.5587	0.178731	5.595
2	3.535534	7.071068	10.67373	-5.76877	3.602662	-12.8398	0.229967	4.34845	2	7.0710	68 14.14214	21.76866	-11.8308	7.626524	-25.9729	0.216818	4.612163
2.2	3.535534	7.778175	10.67373	-5.76877	2.895555	-13.5469	0.281835	3.548175	2.2	7.0710	58 15.55635	21.76866	-11.8308	6.212311	-27.3871	0.264997	3.773628
2.4	3.535534	8.485281	10.67373	-5.76877	2.188449	-14.2541	0.34947	2.861476	2.4	7.0710	68 16.97056	21.76866	-11.8308	4.798097	-28.8014	0.327283	3.05546
2.6	3.535534	9.192388	10.67373	-5.76877	1.481342	-14.9612	0.44144	2.265314	2.6	7.0710	68 18.38478	21.76866	-11.8308	3.383884	-30.2156	0.410699	2.434873
2.8	3.535534	9.899495	10.67373	-5.76877	0.774235	-15.6683	0.577868	1.730499	2.8	7.0710	68 19.79899	21.76866	-11.8308	1.96967	-31.6298	0.530239	1.885942
3	3.535534	10.6066	10.67373	-5.76877	0.067128	-16.3754	0.869838	1.149639	3	7.0710	68 21.2132	21.76866	-11.8308	0.555457	-33.044	0.738905	1.353354

									Average										Average
Alpha	1							Probabil.	run	Alpha	1							Probabil.	run
Beta	0.5							of	length	Beta	1							of	length
Shift						Altered	Altered	detection	ARL	Shift						Altered	Altered	detection	ARL
k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)	k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0		0.5	0	1.827984	-0.83481	1.827984	-0.83481	0.025836	38.70568	0		1	0	3.673837	-1.63234	3.673837	-1.63234	0.025379	39.40266
0.2		0.5	0.1	1.827984	-0.83481	1.727984	-0.93481	0.031557	31.68869	0.2		1	0.2	3.673837	-1.63234	3.473837	-1.83234	0.030998	32.26015
0.4		0.5	0.2	1.827984	-0.83481	1.627984	-1.03481	0.038544	25.94438	0.4		1	0.4	3.673837	-1.63234	3.273837	-2.03234	0.037861	26.4124
0.6		0.5	0.3	1.827984	-0.83481	1.527984	-1.13481	0.047077	21.2418	0.6		1	0.6	3.673837	-1.63234	3.073837	-2.23234	0.046243	21.62489
0.8		0.5	0.4	1.827984	-0.83481	1.427984	-1.23481	0.0575	17.3913	0.8		1	0.8	3.673837	-1.63234	2.873837	-2.43234	0.056482	17.70476
1		0.5	0.5	1.827984	-0.83481	1.327984	-1.33481	0.070231	14.23873	1		1	1	3.673837	-1.63234	2.673837	-2.63234	0.068987	14.49548
1.2		0.5	0.6	1.827984	-0.83481	1.227984	-1.43481	0.08578	11.65773	1.2		1	1.2	3.673837	-1.63234	2.473837	-2.83234	0.084261	11.86789
1.4		0.5	0.7	1.827984	-0.83481	1.127984	-1.53481	0.104772	9.544535	1.4		1	1.4	3.673837	-1.63234	2.273837	-3.03234	0.102917	9.716568
1.6		0.5	0.8	1.827984	-0.83481	1.027984	-1.63481	0.127969	7.814393	1.6		1	1.6	3.673837	-1.63234	2.073837	-3.23234	0.125703	7.95526
1.8		0.5	0.9	1.827984	-0.83481	0.927984	-1.73481	0.156302	6.397871	1.8		1	1.8	3.673837	-1.63234	1.873837	-3.43234	0.153533	6.513258
2		0.5	1	1.827984	-0.83481	0.827984	-1.83481	0.190907	5.238153	2		1	2	3.673837	-1.63234	1.673837	-3.63234	0.187526	5.332594
2.2		0.5	1.1	1.827984	-0.83481	0.727984	-1.93481	0.233175	4.288624	2.2		1	2.2	3.673837	-1.63234	1.473837	-3.83234	0.229045	4.365954
2.4		0.5	1.2	1.827984	-0.83481	0.627984	-2.03481	0.2848	3.511236	2.4		1	2.4	3.673837	-1.63234	1.273837	-4.03234	0.279756	3.574544
2.6		0.5	1.3	1.827984	-0.83481	0.527984	-2.13481	0.347856	2.874753	2.6		1	2.6	3.673837	-1.63234	1.073837	-4.23234	0.341695	2.926587
2.8		0.5	1.4	1.827984	-0.83481	0.427984	-2.23481	0.424872	2.35365	2.8		1	2.8	3.673837	-1.63234	0.873837	-4.43234	0.417347	2.396088
3		0.5	1.5	1.827984	-0.83481	0.327984	-2.33481	0.518939	1.927009	3		1	3	3.673837	-1.63234	0.673837	-4.63234	0.509749	1.96175

						Average									Average
Alpha	1				Probabil.	run	Alpha	1						Probabil.	run
Beta	5				of	length	Beta ·	10						of	length
Shift			Altere	Altered	detection	ARL	Shift					Altered	Altered	detection	ARL
k	Sigma k*Sig	gma UCLx	LCLx UCL	LCLx	P	(1/P)	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0	5	0 18.10885	-8.19452 18.108	5 -8.19452	0.026735	37.40415	0	10	0	36.8536	-16.9254	36.8536	-16.9254	0.025088	39.85969
0.2	5	1 18.10885	-8.19452 17.108	5 -9.19452	0.032654	30.62412	0.2	10	2	36.8536	-16.9254	34.8536	-18.9254	0.030643	32.63388
0.4	5	2 18.10885	-8.19452 16.108	5 -10.1945	0.039884	25.07271	0.4	10	4	36.8536	-16.9254	32.8536	-20.9254	0.037427	26.71868
0.6	5	3 18.10885	-8.19452 15.108	5 -11.1945	0.048715	20.52756	0.6	10	6	36.8536	-16.9254	30.8536	-22.9254	0.045714	21.87514
0.8	5	4 18.10885	-8.19452 14.108	5 -12.1945	0.0595	16.80672	0.8	10	8 (	36.8536	-16.9254	28.8536	-24.9254	0.055835	17.90991
1	5	5 18.10885	-8.19452 13.108	5 -13.1945	0.072674	13.76008	1	10	10	36.8536	-16.9254	26.8536	-26.9254	0.068197	14.6634
1.2	5	6 18.10885	-8.19452 12.108	5 -14.1945	0.088764	11.26583	1.2	10	12	36.8536	-16.9254	24.8536	-28.9254	0.083296	12.00538
1.4	5	7 18.10885	-8.19452 11.108	5 -15.1945	0.108417	9.223646	1.4	10	) 14	36.8536	-16.9254	22.8536	-30.9254	0.101737	9.829266
1.6	5	8 18.10885	-8.19452 10.108	5 -16.1945	0.132421	7.551672	1.6	10	) 16	36.8536	-16.9254	20.8536	-32.9254	0.124262	8.047513
1.8	5	9 18.10885	-8.19452 9.108	5 -17.1945	0.161739	6.182801	1.8	10	18	36.8536	-16.9254	18.8536	-34.9254	0.151774	6.588744
2	5	10 18.10885	-8.19452 8.108	5 -18.1945	0.197549	5.062035	2	10	20	36.8536	-16.9254	16.8536	-36.9254	0.185378	5.394383
2.2	5	11 18.10885	-8.19452 7.108	5 -19.1945	0.241286	4.144459	2.2	10	22	36.8536	-16.9254	14.8536	-38.9254	0.226421	4.416551
2.4	5	12 18.10885	-8.19452 6.108	5 -20.1945	0.294708	3.393189	2.4	10	24	36.8536	-16.9254	12.8536	-40.9254	0.276551	3.61597
2.6	5	13 18.10885	-8.19452 5.108	5 -21.1945	0.359957	2.77811	2.6	10	26	36.8536	-16.9254	10.8536	-42.9254	0.33778	2.960507
2.8	5	14 18.10885	-8.19452 4.108	5 -22.1945	0.439653	2.274521	2.8	10	28	36.8536	-16.9254	8.8536	-44.9254	0.412566	2.423855
3	5	15 18.10885	-8.19452 3.108	5 -23.1945	0.536993	1.862222	3	10	30	36.8536	-16.9254	6.8536	-46.9254	0.503909	1.984485

					Average									Average
Aipha	1.5			Probabil.	run	Alpha	1.5						Probabil.	run
Beta	0.5			of	length	Beta	1						of	length
Shift		Alt	Itered Altered	detection	ARL	Shift					Altered	Altered	detection	ARL
k	Sigma k*Sigma l	UCLx LCLx U	JCLx LCLx	Р	(1/P)	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0	0.612372 0 2.4	420511 -0.93029 2.4	120511 -0.93029	0.021472	46.57228	0	1.224745	0	4.826731	-1.84273	4.826731	-1.84273	0.021754	45.96856
0.2	0.612372 0.122474 2.4	420511 -0.93029 2.2	298037 -1.05276	0.026842	37.25505	0.2	1.224745	0.244949	4.826731	-1.84273	4.581782	-2.08768	0.027193	36.77417
0.4	0.612372 0.244949 2.4	420511 -0.93029 2.1	175562 -1.17524	0.033523	29.83027	0.4	1.224745	0.489898	4.826731	-1.84273	4.336833	-2.33263	0.03396	29.44641
0.6	0.612372 0.367423 2.4	420511 -0.93029 2.0	053088 -1.29771	0.041821	23.91143	0.6	1.224745	0.734847	4.826731	-1.84273	4.091884	-2.57758	0.042363	23.6055
8.0	0.612372 0.489898 2.4	.420511 -0.93029 1.9	930613 -1.42019	0.05211	19.19017	0.8	1.224745	0.979796	4.826731	-1.84273	3.846935	-2.82253	0.052781	18.94621
1	0.612372 0.612372 2.4	420511 -0.93029 1.8	308139 -1.54266	0.064843	15.42187	1	1.224745	1.224745	4.826731	-1.84273	3.601986	-3.06747	0.065673	15.22696
1.2	0.612372 0.734847 2.4	420511 -0.93029 1.6	385664 -1.66514	0.080569	12.41172	1.2	1.224745	1.469694	4.826731	-1.84273	3.357037	-3.31242	0.081592	12.2561
1.4	0.612372 0.857321 2.4	420511 -0.93029 1.	.56319 -1.78761	0.09994	10.006	1.4	1.224745	1.714643	4.826731	-1.84273	3.112088	-3.55737	0.101199	9.881521
1.6	0.612372 0.979796 2.4	420511 -0.93029 1.4	440715 -1.91009	0.123735	8.081788	1.6	1.224745	1.959592	4.826731	-1.84273	2.867139	-3.80232	0.125279	7.982184
1.8	0.612372 1.10227 2.4	420511 -0.93029 1.3	318241 -2.03256	0.152866	6.541677	1.8	1.224745	2.204541	4.826731	-1.84273	2.62219	-4.04727	0.154752	6.461952
2	0.612372 1.224745 2.4	420511 -0.93029 1.1	195766 -2.15503	0.188389	5.308166	2	1.224745	2.44949	4.826731	-1.84273	2.377241	-4.29222	0.190684	5.244278
2.2	0.612372 1.347219 2.4	.420511 -0.93029 1.0	073292 -2.27751	0.231498	4.319692	2.2	1.224745	2.694439	4.826731	-1.84273	2.132292	-4.53717	0.234275	4.268488
2.4	0.612372 1.469694 2.4	.420511 -0.93029 0.9	950817 -2.39998	0.283506	3.527262	2.4	1.224745	2.939388	4.826731	-1.84273	1.887343	-4.78212	0.286844	3.486216
2.6	0.612372 1.592168 2.4	.420511 -0.93029 0.8	328343 -2.52246	0.345786	2.891962	2.6	1.224745	3.184337	4.826731	-1.84273	1.642394	-5.02707	0.349765	2.859063
2.8	0.612372 1.714643 2.4	.420511 -0.93029 0.7	705868 -2.64493	0.41965	2.382938	2.8	1.224745	3.429286	4.826731	-1.84273	1.397445	-5.27202	0.424342	2.35659
3	0.612372 1.837117 2.4	.420511 -0.93029 0.5	583394 -2.76741	0.506119	1.97582	3	1.224745	3.674235	4.826731	-1.84273	1.152496	-5.51696	0.511565	1.954786

								Average									Average
Alpha	1.5						Probabil.	run	Alpha	1.5						Probabil.	run
Beta	5						of	length	Beta	10						of	length
Shift					Altered	Altered	detection	ARL.	Shift					Altered	Altered	detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0	6.123724	0	24.47972	-9.37413	24.47972	-9.37413	0.020421	48.9692	0	12.24745	0	48.82124	-18.7641	48.82124	-18.7641	0.02068	48.3559
0.2	6.123724	1.224745	24.47972	-9.37413	23.25498	-10.5989	0.025534	39.16347	0.2	12.24745	2.44949	48.82124	-18.7641	46.37175	-21.2136	0.025857	38.67425
0.4	6.123724	2.44949	24.47972	-9.37413	22.03023	-11.8236	0.031896	31.35189	0.4	12.24745	4.898979	48.82124	-18.7641	43.92226	-23.6631	0.032298	30.96167
0.6	6.123724	3.674235	24.47972	-9.37413	20.80549	-13.0484	0.039802	25.12437	0.6	12.24745	7.348469	48.82124	-18.7641	41.47277	-26.1126	0.040301	24.81328
0.8	6.123724	4.898979	24.47972	-9.37413	19.58074	-14.2731	0.049608	20.15804	0.8	12.24745	9.797959	48.82124	-18.7641	39.02328	-28.5621	0.050226	19.91001
1	6.123724	6.123724	24.47972	-9.37413	18.356	-15.4979	0.061749	16.19459	1	12.24745	12.24745	48.82124	-18.7641	36.57379	-31.0115	0.062514	15.99642
1.2	6.123724	7.348469	24.47972	-9.37413	17.13125	-16.7226	0.076751	13.02915	1.2	12.24745	14.69694	48.82124	-18.7641	34.1243	-33.461	0.077695	12.87084
1.4	6.123724	8.573214	24.47972	-9.37413	15.90651	-17.9473	0.095241	10.49968	1.4	12.24745	17.14643	48.82124	-18.7641	31.67481	-35.9105	0.096403	10.37312
1.6	6.123724	9.797959	24.47972	-9.37413	14.68176	-19.1721	0.11797	8.476731	1.6	12.24745	19.59592	48.82124	-18.7641	29.22532	-38.36	0.119396	8.37549
1.8	6.123724	11.0227	24.47972	-9.37413	13.45702	-20.3968	0.145818	6.857864	1.8	12.24745	22.04541	48.82124	-18.7641	26.77583	-40.8095	0.147563	6.776767
2	6.123724	12.24745	24.47972	-9.37413	12.23227	-21.6216	0.179809	5.561457	2	12.24745	24.4949	48.82124	-18.7641	24.32634	-43.259	0.181933	5.496529
2.2	6.123724	13.47219	24.47972	-9.37413	11.00753	-22.8463	0.221106	4.522718	2.2	12.24745	26.94439	48.82124	-18.7641	21.87685	-45.7085	0.22368	4.470672
2.4	6.123724	14.69694	24.47972	-9.37413	9.782782	-24.0711	0.271001	3.690023	2.4	12.24745	29.39388	48.82124	-18.7641	19.42736	-48.158	0.2741	3.648304
2.6	6.123724	15.92168	24.47972	-9.37413	8.558037	-25.2958	0.330858	3.022445	2.6	12.24745	31.84337	48 82124	-18.7641	16.97787	-50.6075	0.33456	2.989
2.8	6.123724	17.14643	24.47972	-9.37413	7.333292	-26.5206	0.402021	2.487432	2.8	12.24745	34.29286	48.82124	-18.7641	14.52838	-53.057	0.406398	2.460642
3	6.123724	18.37117	24.47972	-9.37413	6.108547	-27.7453	0.485603	2.059295	3	12.24745	36.74235	48.82124	-18.7641	12.07889	-55.5064	0.490704	2.037888

								Average										Average
Alpha	2						Probabil.	run	Alpha	2							Probabil.	run
Beta	0.5						of	length	Beta	1							of	length
Shift	0.0				Altered	Altered	detection	ARL	Shift						Altered	Altered	detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)	k	S	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)
0	0.707107	-	2.952427		2.952427		0.018824	. ,	. 0		414214		5.945399	-2.02037	5.945399		0.018182	
0.2	0.707107	_			2.811006	-1.09962	0.023954		0.2			0.282843			5.662556		0.023143	
0.4	0.707107			-0.9582	2.669584	-1.24104	0.030427	32.86555	0.4			0.565685		-2.02037	5.379714	-2.58606	0.029405	34.00782
0.6	0.707107	0.424264	2.952427	-0.9582	2.528163	-1.38246	0.038572	25.92554	0.6	1.4	414214	0.848528	5.945399	-2.02037	5.096871	-2.8689	0.037288	26.81828
8.0	0.707107	0.565685	2.952427	-0.9582	2.386742	-1.52389	0.048791	20.49558	0.8	1.4	414214	1.131371	5.945399	-2.02037	4.814028	-3.15174	0.047182	21.19452
1	0.707107	0.707107	2.952427	-0.9582	2.24532	-1.66531	0.061569	16.24194	1	1.4	414214	1.414214	5.945399	-2.02037	4.531185	-3.43458	0.059559	16.79007
1.2	0.707107	0.848528	2.952427	-0.9582	2.103899	-1.80673	0.077487	12.90539	1.2	1.4	414214	1.697056	5.945399	-2.02037	4.248343	-3.71743	0.074988	13.33547
1.4	0.707107	0.989949	2.952427	-0.9582	1.962478	-1.94815	0.097233	10.28457	1.4	1.4	414214	1.979899	5.945399	-2.02037	3.9655	-4.00027	0.094139	10.62259
1.6	0.707107	1.131371	2.952427	-0.9582	1.821056	-2.08957	0.121609	8.223076	1.6	1.4	414214	2.262742	5.945399	-2.02037	3.682657	-4.28311	0.117797	8.489181
1.8	0.707107	1.272792	2.952427	-0.9582	1.679635	-2.23099	0.151531	6.59931	1.8	1.4	414214	2.545584	5.945399	-2.02037	3.399815	-4.56595	0.146863	6.809067
2	0.707107	1.414214	2.952427	-0.9582	1.538213	2.37241	0.18802	5.318583	2	1.4	414214	2.828427	5.945399	-2.02037	3.116972	-4.8488	0.182345	5.48411
2.2		1.555635		-0.9582	1.396792		0.232173	4.307133	2.2	1.4	414214	3.11127	5.945399	-2.02037	2.834129	-5.13164	0.225331	4.437916
2.4		1.697056			1.255371	-2.65526		3.507541	2.4			3.394113	• • • • • • • •				0.276934	
2.6	0.707107	1.838478							2.6			3.676955		-2.02037			0.338196	
2.8	0.707107	1.979899			0.972528	-2.9381		2.374834	2.8			3.959798		-2.02037	1.985601		0.409917	
3	0.707107	2.12132	2.952427	-0.9582	0.831107	-3.07952	0.505071	1.97992	3	1.4	414214	4.242641	5.945399	-2.02037	1.702758	-6.26301	0.492389	2.030915

	_							Average		_								Average
Alpha	2						Probabil.	run	Alpha	. 2							Probabil.	run
Beta	5						of	length	Beta	10							of	length
Shift					Altered		detection	ARL	Shift						Altered		detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)	k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0	7.071068	0	29.43801	-9.63351	29.43801	-9.63351	0.019104	52.34506	0		14.14214	0	60.49687	-20.3249	60.49687	-20.3249	0.016627	60.14314
0.2	7.071068	1.414214	29.43801	-9.63351	28.0238	-11.0477	0.024307	41.14041	0.2		14.14214	2.828427	60.49687	-20.3249	57.66844	-23.1533	0.021178	47.21881
0.4	7.071068	2.828427	29.43801	-9.63351	26.60958	-12.4619	0.030872	32.39181	0.4		14.14214	5.656854	60.49687	-20.3249	54.84002	-25.9818	0.026926	37.13882
0.6	7.071068	4.242641	29.43801	-9.63351	25.19537	-13.8762	0.039132	25.55453	0.6		14.14214	8.485281	60.49687	-20.3249	52.01159	-28.8102	0.03417	29.26544
0.8	7.071068	5.656854	29.43801	-9.63351	23.78116	-15.2904	0.049492	20.20529	0.8		14.14214	11.31371	60.49687	-20.3249	49.18316	-31.6386	0.043271	23.11017
1	7.071068	7.071068	29.43801	-9.63351	22.36694	-16.7046	0.062444	16.01435	1		14.14214	14.14214	60.49687	-20.3249	46.35473	-34.467	0.054673	18.29056
1.2	7.071068	8.485281	29.43801	-9.63351	20.95273	-18.1188	0.078575	12.72669	1.2		14.14214	16.97056	60.49687	-20.3249	43.52631	-37.2955	0.068904	14.51295
1.4	7.071068	9.899495	29.43801	-9.63351	19.53852	-19.533	0.098579	10.14415	1.4		14.14214	19.79899	60.49687	-20.3249	40.69788	-40.1239	0.086597	11.54774
1.6	7.071068	11.31371	29.43801	-9.63351	18.1243	-20.9472	0.123266	8.112537	1.6		14.14214	22.62742	60.49687	-20.3249	37.86945	-42.9523	0.108495	9.217015
1.8	7.071068	12.72792	29.43801	-9.63351	16.71009	-22.3614	0.153558	6.512197	1.8		14.14214	25.45584	60.49687	-20.3249	35.04103	-45.7807	0.135455	7.382526
2	7.071068	14.14214	29.43801	-9.63351	15.29587	-23.7756	0.190482	5.24984	2		14.14214	28.28427	60.49687	-20.3249	32.2126	-48.6092	0.168448	5.93655
2.2	7.071068	15.55635	29.43801	-9.63351	13.88166	-25.1899	0.235139	4.252804	2.2		14.14214	31.1127	60.49687	-20.3249	29.38417	-51.4376	0.208537	4.795312
2.4	7.071068	16.97056	29.43801	-9.63351	12.46745	-26.6041	0.288636	3.464571	2.4		14.14214	33.94113	60.49687	-20.3249	26.55574	-54.266	0.256835	3.89355
2.6	7.071068	18.38478	29.43801	-9.63351	11.05323	-28.0183	0.351982	2.841054	2.6		14.14214	36.76955	60.49687	-20.3249	23.72732	-57.0945	0.314425	3.180409
2.8	7.071068	19.79899	29.43801	-9.63351	9.63902	-29.4325	0.4259	2.347969	2.8		14.14214	39.59798	60.49687	-20.3249	20.89889	-59.9229	0.382222	2.616281
3	7.071068	21.2132	29.43801	-9.63351	8.224807	-30.8467	0.51053	1.958749	3		14.14214	42.42641	60.49687	-20.3249	18.07046	-62.7513	0.460744	2.170403

								Average									Average
Alpha	3						Probabil.	run	Alpha	3						Probabil.	run
Beta	0.5						of	length	Beta	1						of	length
Shift					Altered	Altered	detection	ARL	Shift					Altered	Altered	detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)
0	0.866025	0	4.017402	-1.01388	4.017402	-1.01388	0.013385	74.7105	0	1.732051	0	8.017063	-1.96106	8.017063	-1.96106	0.013572	73.68111
0.2	0.866025	0.173205	4.017402	-1.01388	3.844197	-1.18709	0.01752	57.07763	0.2	1.732051	0.34641	8.017063	-1.96106	7.670653	-2.30747	0.017762	56.29997
0.4	0.866025	0.34641	4.017402	-1.01388	3.670992	-1.36029	0.022862	43.74071	0.4	1.732051	0.69282	8.017063	-1.96106	7.324243	-2.65388	0.023174	43.15181
0.6	0.866025	0.519615	4.017402	-1.01388	3.497787	-1.5335	0.029735	33.6304	0.6	1.732051	1.03923	8.017063	-1.96106	6.977833	-3.00029	0.030135	33.18401
0.8	0.866025	0.69282	4.017402	-1.01388	3.324582	-1.7067	0.038536	25.94976	0.8	1.732051	1.385641	8.017063	-1.96106	6.631422	-3.3467	0.039047	25.61016
1	0.866025	0.866025	4.017402	-1.01388	3.151377	-1.87991	0.049746	20.10212	1	1.732051	1.732051	8.017063	-1.96106	6.285012	-3.69311	0.050395	19.84324
1.2	0.866025	1.03923	4.017402	-1.01388	2.978172	-2.05311	0.063945	15.63844	1.2	1.732051	2.078461	8.017063	-1.96106	5.938602	-4.03952	0.064765	15.44044
1.4	0.866025	1.212436	4.017402	-1.01388	2.804966	-2.22632	0.081814	12.22285	1.4	1.732051	2.424871	8.017063	-1.96106	5.592192	-4.38593	0.082842	12.07117
1.6	0.866025	1.385641	4.017402	-1.01388	2.631761	-2.39952	0.10414	9.602458	1.6	1.732051	2.771281	8.017063	-1.96106	5.245782	-4.73234	0.10542	9.485866
1.8	0.866025	1.558846	4.017402	-1.01388	2.458556	-2.57273	0.131809	7.586735	1.8	1.732051	3.117691	8.017063	-1.96106	4.899372	-5.07875	0.133387	7.496982
2	0.866025	1.732051	4.017402	-1.01388	2.285351	-2.74593	0.16578	6.032091	2	1.732051	3.464102	8.017063	-1.96106	4.552961	-5.42516	0.167708	5.962745
2.2	0.866025	1.905256	4.017402	-1.01388	2.112146	-2.91914	0.207045	4.829868	2.2	1.732051	3.810512	8.017063	-1.96106	4.206551	-5.77157	0.209373	4.776165
2.4	0.866025	2.078461	4.017402	-1.01388	1.938941	-3.09234	0.256548	3.897906	2.4	1.732051	4.156922	8.017063	-1.96106	3.860141	-6.11798	0.259321	3.856225
2.6	0.866025	2.251666	4.017402	-1.01388	1.765736	-3.26555	0.315065	3.173948	2.6	1.732051	4.503332	8.017063	-1.96106	3.513731	-6.46439	0.318315	3.141542
2.8	0.866025	2.424871	4.017402	-1.01388	1.592531	-3.43875	0.38303	2.610762	2.8	1.732051	4.849742	8.017063	-1.96106	3.167321	-6.8108	0.386766	2.585543
3	0.866025	2.598076	4.017402	-1.01388	1.419326	-3.61196	0.460291	2.172539	3	1.732051	5.196152	8.017063	-1.96106	2.820911	-7.15721	0.464484	2.152927

								Average										Average
Alpha	3						Probabil.	run	Alpha	3							Probabil.	run
Beta	5						of	length	Beta	10							of	length
Shift					Altered	Altered	detection	ARL	Shift						Altered	Altered	detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)	k	Sig	gma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0	8.660254	0	40.17331	-9.9389	40.17331	-9.9389	0.013387	74.69934	0	17.3	32051	0	80.08158	-19.8368	80.08158	-19.8368	0.013667	73.16895
0.2	8.660254	1.732051	40.17331	-9.9389	38.44126	-11.671	0.017522	57.07111	0.2	17.3	32051	3.464102	80.08158	-19.8368	76.61748	-23.3009	0.017884	55.9159
0.4	8.660254	3.464102	40.17331	-9.9389	36.70921	-13.403	0.022865	43.73497	0.4	17.3	32051	6.928203	80.08158	-19.8368	73.15338	-26.765	0.023332	42.85959
0.6	8.660254	5.196152	40.17331	-9.9389	34.97716	-15.1351	0.029738	33.62701	0.6	17.3	32051	10.3923	80.08158	-19.8368	69.68928	-30.2291	0.030338	32.96196
0.8	8.660254	6.928203	40.17331	-9.9389	33.24511	-16.8671	0.03854	25.94707	0.8	17.3	32051	13.85641	80.08158	-19.8368	66.22517	-33.6932	0.039306	25.44141
1	8.660254	8.660254	40.17331	-9.9389	31.51306	-18.5992	0.049751	20.1001	1	17.3	32051	17.32051	80.08158	-19.8368	62.76107	-37.1573	0.050724	19.71453
1.2	8.660254	10.3923	40.17331	-9.9389	29.78101	-20.3312	0.063952	15.63673	1.2	17.3	32051	20.78461	80.08158	-19.8368	59.29697	-40.6214	0.06518	15.34213
1.4	8.660254	12.12436	40.17331	-9.9389	28.04895	-22.0633	0.081822	12.22165	1.4	17.3	32051	24.24871	80.08158	-19.8368	55.83287	-44.0855	0.083363	11.99573
1.6	8.660254	13.85641	40.17331	-9.9389	26.3169	-23.7953	0.104151	9.601444	1.6	17.3	32051	27.71281	80.08158	-19.8368	52.36877	-47.5496	0.106067	9.428003
1.8	8.660254	15.58846	40.17331	-9.9389	24.58485	-25.5274	0.131822	7.585987	1.8	17.3	32051	31.17691	80.08158	-19.8368	48.90467	-51.0137	0.134186	7.452342
2	8.660254	17.32051	40.17331	-9.9389	22.8528	-27.2594	0.165796	6.031509	2	17.3	32051	34.64102	80.08158	-19.8368	45.44056	-54.4778	0.168683	5.92828
2.2	8.660254	19.05256	40.17331	-9.9389	21.12075	-28.9915	0.207064	4.829425	2.2	17.3	32051	38.10512	80.08158	-19.8368	41.97646	-57.9419	0.210549	4.749488
2.4	8.660254	20.78461	40.17331	-9.9389	19.3887	-30.7235	0.25657	3.897572	2.4	17.3	32051	41.56922	80.08158	-19.8368	38.51236	-61.406	0.260721	3.835518
2.6	8.660254	22.51666	40.17331	-9.9389	17.65665	-32.4556	0.315091	3.173686	2.6	17.3	32051	45.03332	80.08158	-19.8368	35.04826	-64.8701	0.319955	3.12544
2.8	8.660254	24.24871	40.17331	-9.9389	15.9246	-34.1876	0.38306	2.610557	2.8	17.3	32051	48.49742	80.08158	-19.8368	31.58416	-68.3342	0.38865	2.573009
3	8.660254	25.98076	40.17331	-9.9389	14.19255	-35.9197	0.460325	2.172378	3	17.3	32051	51.96152	80.08158	-19.8368	28.12006	-71.7983	0.466597	2.143177

									Average										Average
Alpha	4							Probabil.	run	Alpha	4							Probabil.	run
Beta	0.5							of	length	Beta	1							of	length
Shift						Altered	Altered	detection	ARL	Shift						Altered	Altered	detection	ARL
k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)	k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0		1	0	4.876142	-0.88234	4.876142	-0.88234	0.012382	80.7624	0		2	0	9.844274	-1.83792	9.844274	-1.83792	0.011581	86.34833
0.2		1	0.2	4.876142	-0.88234	4.676142	-1.08234	0.016522	60.52536	0.2		2	0.4	9.844274	-1.83792	9.444274	-2.23792	0.015467	64.65378
0.4		1	0.4	4.876142	-0.88234	4.476142	-1.28234	0.021954	45.54979	0.4		2	0.8	9.844274	-1.83792	9.044274	2 63792	0.020573	48.6074
0.6		1	0.6	4.876142	-0.88234	4.276142	-1.48234	0.029039	34.43645	0.6		2	1.2	9.844274	-1.83792	8.644274	3.03792	0.027241	36.70937
8.0		1	0.8	4.876142	-0.88234	4.076142	-1.68234	0.038223	26.16226	0.8		2	1.6	9.844274	-1.83792	8.244274	-3.43792	0.035898	27.85671
1		1	1	4.876142	-0.88234	3.876142	-1.88234	0.050046	19.98162	1		2	2	9.844274	-1.83792	7.844274	-3.83792	0.047061	21.24902
1.2		1	1.2	4.876142	-0.88234	3.676142	-2.08234	0.065151	15.34896	1.2		2	2.4	9.844274	-1.83792	7.444274	-4.23792	0.061349	16.30018
1.4		1	1.4	4.876142	-0.88234	3.476142	-2.28234	0.084287	11.86423	1.4		2	2.8	9.844274	-1.83792	7.044274	-4.63792	0.079486	12.58083
1.6		1	1.6	4.876142	-0.88234	3.276142	-2.48234	0.108302	9.23344	1.6		2	3.2	9.844274	-1.83792	6.644274	-5.03792	0.1023	9.775171
1.8		1	1.8	4.876142	-0.88234	3.076142	-2.68234	0.138123	7.239924	1.8		2	3.6	9.844274	-1.83792	6.244274	-5.43792	0.130701	7.651051
2		1	2	4.876142	-0.88234	2.876142	-2.88234	0.174715	5.723607	2		2	4	9.844274	-1.83792	5.844274	-5.83792	0.16565	6.036825
2.2		1	2.2	4.876142	-0.88234	2.676142	-3.08234	0.219007	4.566064	2.2		2	4.4	9.844274	-1.83792	5.444274	-6.23792	0.208095	4.805497
2.4		1	2.4	4.876142	-0.88234	2.476142	-3.28234	0.271788	3.679338	2.4		2	4.8	9.844274	-1.83792	5.044274	-6.63792	0.258866	3.863002
2.6		1	2.6	4.876142	-0.88234	2.276142	-3.48234	0.333552	2.998033	2.6		2	5.2	9.844274	-1.83792	4.644274	-7.03792	0.318542	3.139303
2.8		1	2.8	4.876142	-0.88234	2.076142	-3.68234	0.404299	2.473417	2.8		2	5.6	9.844274	-1.83792	4.244274	-7.43792	0.387257	2.582264
3		1	3	4.876142	-0.88234	1.876142	-3.88234	0.483295	2.06913	3		2	6	9.844274	-1.83792	3.844274	-7.83792	0.46447	2.152992

									Average
Alpha	4							Probabil.	run
Beta	5							of	length
Shift						Altered	Altered	detection	ARL
k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)
0		10	0	49.39925	-9.50742	49.39925	-9.50742	0.011285	88.6132
0.2		10	2	49.39925	-9.50742	47.39925	-11.5074	0.015077	66.32619
0.4		10	4	49.39925	-9.50742	45.39925	-13.5074	0.020061	49.84796
0.6		10	6	49.39925	-9.50742	43.39925	-15.5074	0.026574	37.63077
8.0		10	8	49.39925	-9.50742	41.39925	-17.5074	0.035035	28.54289
1		10	10	49.39925	-9.50742	39.39925	-19.5074	0.045952	21.76184
1.2		10	12	49.39925	-9.50742	37.39925	-21.5074	0.059934	16.68502
1.4		10	14	49.39925	-9.50742	35.39925	-23.5074	0.077697	12.87051
1.6		10	16	49.39925	-9.50742	33.39925	-25.5074	0.100058	9.994203
1.8		10	18	49.39925	-9.50742	31.39925	-27.5074	0.127924	7.817141
2		10	20	49.39925	-9.50742	29.39925	-29.5074	0.162252	6.163252
2.2		10	22	49.39925	-9.50742	27.39925	-31.5074	0.203993	4.902129
2.4		10	24	49.39925	-9.50742	25.39925	-33.5074	0.253996	3.93707
2.6		10	26	49.39925	-9.50742	23.39925	-35.5074	0.312866	3.196257
2.8		10	28	49.39925	-9.50742	21.39925	-37.5074	0.380788	2.626133
3		10	30	49.39925	-9.50742	19.39925	-39.5074	0.457289	2.186801

									Average
Alpha	4							Probabil.	run
Beta	10							of	length
Shift						Altered	Altered	detection	ARL
k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0		20	0	98.83547	-18.4051	98.83547	-18.4051	0.011254	88.8573
0.2		20	4	98.83547	-18.4051	94.83547	-22.4051	0.015037	66.50263
0.4		20	8	98.83547	-18.4051	90.83547	-26.4051	0.020008	49.98001
0.6		20	12	98.83547	-18.4051	86.83547	-30.4051	0.026506	37.72731
0.8		20	16	98.83547	-18.4051	82.83547	-34.4051	0.034946	28.61558
1		20	20	98.83547	-18.4051	78.83547	-38.4051	0.045838	21.81596
1.2		20	24	98.83547	-18.4051	74.83547	-42.4051	0.059788	16.72576
1.4		20	28	98.83547	-18.4051	70.83547	-46.4051	0.077513	12.90106
1.6		20	32	98.83547	-18.4051	66.83547	-50.4051	0.099828	10.01723
1.8		20	36	98.83547	-18.4051	62.83547	-54.4051	0.127638	7.834657
2		20	40	98.83547	-18.4051	58.83547	-58.4051	0.161902	6.176576
2.2		20	44	98.83547	-18.4051	54.83547	-62.4051	0.203571	4.912291
2.4		20	48	98.83547	-18.4051	50.83547	-66.4051	0.253494	3.944867
2.6		20	52	98.83547	-18.4051	46.83547	-70.4051	0.312281	3.202244
2.8		20	56	98.83547	-18.4051	42.83547	-74.4051	0.38012	2.630748
3		20	60	98.83547	-18.4051	38.83547	-78.4051	0.456546	2.19036

								Average									Average
Alpha	5						Probabil.	run	Alpha	5						Probabil.	run
Beta	0.5						of	iength	Beta	1						of	length
Shift					Altered	Altered	detection	ARL	Shift					Altered	Altered	detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P	(1/P)	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0	1.118034	0	5.791557	-0.77556	5.791557	-0.77556	0.010149	98.53188	0	2.236068	0	11.61112	-1.59818	11.61112	-1.59818	0.009956	100.4419
0.2	1.118034	0.223607	5.791557	-0.77556	5.56795	-0.99917	0.013778	72.57947	0.2	2.236068	0.447214	11.61112	-1.59818	11.16391	-2.04539	0.013519	73.96997
0.4	1.118034	0.447214	5.791557	-0.77556	5.344343	-1.22277	0.018611	53.73166	0.4	2.236068	0.894427	11.61112	-1.59818	10.71669	-2.49261	0.018266	54.74652
0.6	1.118034	0.67082	5.791557	-0.77556	5.120737	-1.44638	0.025002	39.9968	0.6	2.236068	1.341641	11.61112	-1.59818	10.26948	-2.93982	0.024548	40.73652
8.0	1.118034	0.894427	5.791557	-0.77556	4.89713	-1.66999	0.033394	29.9455	0.8	2.236068	1.788854	11.61112	-1.59818	9.822266	-3.38703	0.0328	30.4878
1	1.118034	1.118034	5.791557	-0.77556	4.673523	-1.89359	0.044325	22.56063	1	2.236068	2.236068	11.61112	-1.59818	9.375052	-3.83425	0.043554	22.96
1.2	1.118034	1.341641	5.791557	-0.77556	4.449916	-2.1172	0.058439	17.11186	1.2	2.236068	2.683282	11.61112	-1.59818	8.927838	-4.28146	0.057447	17.40735
1.4	1.118034	1.565248	5.791557	-0.77556	4.226309	-2.34081	0.076487	13.07412	1.4	2.236068	3.130495	11.61112	-1.59818	8.480625	-4.72868	0.075226	13.29328
1.6	1.118034	1.788854	5.791557	-0.77556	4.002703	-2.56441	0.099323	10.06816	1.6	2.236068	3.577709	11.61112	-1.59818	8.033411	-5.17589	0.097736	10.23164
1.8	1.118034	2.012461	5.791557	-0.77556	3.779096	-2.78802	0.127876	7.820076	1.8	2.236068	4.024922	11.61112	-1.59818	7.586198	-5.6231	0.125902	7.942686
2	1.118034	2.236068	5.791557	-0.77556	3.555489	-3.01163	0.163106	6.130982	2	2.236068	4.472136	11.61112	-1.59818	7.138984	-6.07032	0.160686	6.223318
2.2	1.118034	2.459675	5.791557	-0.77556	3.331882	-3.23523	0.205931	4.855995	2.2	2.236068	4.91935	11.61112	-1.59818	6.69177	-6.51753	0.203011	4.925841
2.4	1.118034	2.683282	5.791557	-0.77556	3.108275	-3.45884	0.257115	3.88931	2.4	2.236068	5.366563	11.61112	-1.59818	6.244557	-6.96474	0.253654	3.942378
2.6	1.118034	2.906888	5.791557	-0.77556	2.884669	-3.68245	0.317116	3.15342	2.6	2.236068	5.813777	11.61112	-1.59818	5.797343	7.41196	0.313098	3.193888
2.8	1.118034	3.130495	5.791557	-0.77556	2.661062	-3.90606	0.385897	2.591365	2.8	2.236068	6.26099	11.61112	-1.59818	5.35013	-7.85917	0.381342	2.622318
3	1.118034	3.354102	5.791557	-0.77556	2.437455	-4.12966	0.46271	2.161181	3	2.236068	6.708204	11.61112	-1.59818	4.902916	-8.30638	0.45769	2.184885

								Average									Average
Alpha	5						Probabil.	run	Alpha	5						Probabil.	run
Beta	5						of	length	Beta	10						of	length
Shift					Altered	Altered	detection	ARL	Shift					Altered	Altered	detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	Р	(1/P)
0	11.18034	. 0	57.83224	-7.84192	57.83224	-7.84192	0.010267	97.39944	0	22.360	68 0	114.5095	-14.825	114.5095	-14.825	0.011115	89.96851
0.2	11.18034	2.236068	57.83224	-7.84192	55.59617	-10.078	0.013935	71.76175	0.2	22.360	8 4.472136	114.5095	-14.825	110.0374	-19.2971	0.015067	66.37021
0.4	11.18034	4.472136	57.83224	-7.84192	53.3601	-12.3141	0.018818	53.14061	0.4	22.360	8 8.944272	114.5095	-14.825	105.5652	-23.7693	0.020319	49.21502
0.6	11.18034	6.708204	57.83224	-7.84192	51.12404	-14.5501	0.025276	39.56322	0.6	22.360	38 13.41641	114.5095	-14.825	101.0931	-28.2414	0.027251	36.6959
0.8	11.18034	8.944272	57.83224	-7.84192	48.88797	-16.7862	0.033752	29.62787	0.8	22.360	88 17.88854	114.5095	-14.825	96.62096	-32.7135	0.036333	27.52319
1	11.18034	11.18034	57.83224	-7.84192	46.6519	-19.0223	0.044789	22.32691	1	22.360	38 22.36068	114.5095	-14.825	92.14882	-37.1857	0.048133	20.77577
1.2	11.18034	13.41641	57.83224	-7.84192	44.41583	-21.2583	0.059036	16.93882	1.2	22.360	38 26.83282	114.5095	-14.825	87.67668	-41.6578	0.063326	15.7913
1.4	11.18034	15.65248	57.83224	-7.84192	42.17976	-23.4944	0.077247	12.94549	1.4	22.360	8 31.30495	114.5095	-14.825	83.20455	-46.13	0.082697	12.09234
1.6	11.18034	17.88854	57.83224	-7.84192	39.9437	-25.7305	0.100279	9.972178	1.6	22.360	35.77709	114.5095	-14.825	78.73241	-50.6021	0.107123	9.335063
1.8	11.18034	20.12461	57.83224	-7.84192	37.70763	-27.9665	0.129063	7.748154	1.8	22.360	8 40.24922	114.5095	-14.825	74.26028	-55.0742	0.13755	7.270084
2	11.18034	22.36068	57.83224	-7.84192	35.47156	-30.2026	0.16456	6.076811	2	22.360	68 44.72136	114.5095	-14.825	69.78814	-59.5464	0.174933	5.716474
2.2	11.18034	24.59675	57.83224	-7.84192	33.23549	-32.4387	0.207685	4.814984	2.2	22.360	68 49.1935	114.5095	-14.825	65.316	-64.0185	0.22016	4.542151
2.4	11.18034	26.83282	57.83224	-7.84192	30.99942	-34.6747	0.259192	3.858144	2.4	22.360	8 53.66563	114.5095	-14.825	60.84387	-68.4906	0.27392	3.650701
2.6	11.18034	29.06888	57.83224	-7.84192	28.76336	-36.9108	0.319524	3.129655	2.6	22.360	58 58.13777	114.5095	-14.825	56.37173	-72.9628	0.336547	2.971353
2.8	11.18034	31.30495	57.83224	-7.84192	26.52729	-39.1469	0.388623	2.573188	2.8	22.360	68 62.6099	114.5095	-14.825	51.8996	-77.4349	0.407817	2.45208
3	11.18034	33.54102	57.83224	-7.84192	24.29122	-41.3829	0.465709	2.147264	3	22.360	68 67.08204	114.5095	-14.825	47.42746	-81.907	0.48673	2.054527

Alpha Beta Shift	10 0.5				Altered	Altered	of	LCLx Probabil. of detection	Average run length ARL	Alpha Beta Shift	10 1				Altered	Altered	of	LCLx Probabil. of detection	Average run length ARL
k	Sigma	k*Sigma	UCLX	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))
0	1.58113	0	9.591253	0.379109	9.591253	0.379109	0.007989	•	125.1721	0	3.16227	8 (	19.27649	0.608102	19.27649	0.608102	0.007574	•	132.0306
0.2	1.58113	0.316228	9.591253	0.379109	9.275025	0.062881	0.011383	*	87.8503	0.2	3.16227	8 0.632456	19.27649	0.608102	18.64403	-0.02435	0.010805		92.54975
0.4	1.58113	0.632456	9.591253	0.379109	8.958797	-0.25335	0.016082		62.18132	0.4	3.16227	8 1.26491	19.27649	0.608102	18.01158	-0.65681	0.015285		65.42362
0.6	1.58113	0.948683	9.591253	0.379109	8.64257	-0.56957	0.022516		44.41286	0.6	3.16227	8 1.897367	19.27649	0.608102	17.37912	-1.28926	0.021431		46.66138
8.0	1.58113	1.264911	9.591253	0.379109	8.326342	-0.8858	0.031227		32.02357	8.0	3.16227	8 2.529822	19.27649	0.608102	16.74667	-1.92172	0.029764		33.59763
1	1.58113	1.581139	9.591253	0.379109	8.010114	-1.20203	0.04287		23.32634	1	3.16227	8 3.16227	19.27649	0.608102	16.11421	-2.55418	0.040925		24.43494
1.2	1.58113	1.897367	9.591253	0.379109	7.693886	-1.51826	0.058225		17.17475	1.2	3.16227	8 3.794733	19.27649	0.608102	15.48176	-3.18663	0.055674		17.96171
1.4	1.58113	2.213594	9.591253	0.379109	7.377659	-1.83449	0.078181		12.79083	1.4	3.16227	8 4.427189	19.27649	0.608102	14.8493	-3.81909	0.074887		13.35345
1.6	1.58113	2.529822	9.591253	0.379109	7.061431	-2.15071	0.103709		9.642365	1.6	3.16227	8 5.05964	19.27649	0.608102	14.21685	-4.45154	0.099524		10.04783
1.8	1.58113	2.84605	9.591253	0.379109	6.745203	-2.46694	0.135805		7.363499	1.8	3.1622	8 5.692	19.27649	0.608102	13.58439	-5.084	0.130582		7.658023
2	1.58113	3.162278	9.591253	0.379109	6.428975	-2.78317	0.175402		5.701189	2	3.1622	8 6.32455	19.27649	0.608102	12.95193	-5.71645	0.169011		5.916775
2.2	1.58113	3.478505	9.591253	0.379109	6.112748	-3.0994	0.223247		4.479344	2.2	3.1622	8 6.95701	19.27649	0.608102	12.31948	-6.34891	0.215595		4.638326
2.4	1.58113	3.794733	9.591253	0.379109	5.79652	-3.41562	0.279751		3.574607	2.4	3.1622	8 7.589460	19.27649	0.608102	11.68702	-6.98136	0.270804		3.692708
2.6	1.58113	4.110961	9.591253	0.379109	5.480292	-3.73185	0.344804		2.900198	2.6	3.1622	8 8.22192	19.27649	0.608102	11.05457	-7.61382	0.334618		2.988482
2.8	1.58113	4.427189	9.591253	0.379109	5.164064	-4.04808	0.417608		2.39459	2.8	3.1622	8 8.85437	19.27649	0.608102	10.42211	-8.24628	0.406352		2.460921
3	1.58113	4.743416	9.591253	0.379109	4.847837	-4.36431	0.496535		2.013957	3	3.1622	8 9.48683	19.27649	0.608102	9.789657	-8.87873	0.484507		2.063954

							UCLx	LCLx	Average									UCLx	LCLx	Average
Alpha	10						Probabil.	Probabil.	run	Alpha	10							Probabil.	Probabil.	run
Beta	5						of	of	iength	Beta	10							of	of	length
Shift					Altered	Altered	detection	detection	ARL	Shift						Altered	Altered	detection	detection	ARL
k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))	k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))
0	15.8113	9 0	96.65738	3.604379	96.65738	3.604379	0.007341	•	136.2212	0		31.62278	0	193.6788	7.595542	193.6788	7.595542	0.00719	*	139.0821
0.2		3.162278				0.442101	0.01048	*	95.41985	0.2		31.62278	6.324555	193,6788	7.595542	187.3542	1.270987	0.01027	*	97.37098
0.4	15.8113	6.324555	96.65738	3.604379	90.33282	-2.72018	0.014837		67.39907	0.4		31.62278	12.64911	193.6788	7.595542	181.0297	-5.05357	0.014546		68.74742
0.6	15.8113	9.486833	96.65738	3.604379	87.17055	-5.88245	0.020818		48.03535	0.6		31.62278	18.97367	193.6788	7.595542	174.7051	-11.3781	0.020421		48.9692
8.0	15.8113	12.64911	96.65738	3.604379	84.00827	-9.04473	0.028937		34.55783	0.8		31.62278	25.29822	193.6788	7.595542	168.3806	-17.7027	0.028401		35.21003
1	15.8113	15.81139	96.65738	3.604379	80.84599	-12.207	0.039824		25.11049	1		31.62278	31.62278	193.6788	7.595542	162.056	-24.0272	0.03911		25.56891
1.2	15.8113	18.97367	96.65738	3.604379	77.68371	-15.3693	0.054228		18.44066	1.2		31.62278	37.94733	193.6788	7.595542	155.7315	-30.3518	0.053289		18.7656
1.4	15.8113	22.13594	96.65738	3.604379	74.52144	-18.5316	0.073016		13.69563	1.4		31.62278	44.27189	193.6788	7.595542	149.4069	-36.6763	0.071799		13.92777
1.6	15.8113	25.29822	96.65738	3.604379	71.35916	-21.6938	0.097142		10.29421	1.6		31.62278	50.59644	193.6788	7.595542	143.0824	-43.0009	0.095591		10.46124
1.8	15.8113	28.4605	96.65738	3.604379	68.19688	-24.8561	0.127602		7.836868	1.8		31.62278	56.921	193.6788	7.595542	136.7578	-49.3255	0.12566		7.957982
2	15.8113	31.62278	96.65738	3.604379	65.0346	-28.0184	0.165356		6.047558	2		31.62278	63.24555	193.6788	7.595542	130.4332	-55.65	0.162969		6.136136
2.2	15.8113	34.78505	96.65738	3.604379	61.87233	-31.1807	0.211206		4.734714	2.2		31.62278	69.57011	193.6788	7.595542	124.1087	-61.9746	0.208337		4.799916
2.4		37.94733					0.265658		3.764238	2.4		31.62278	75.89466	193.6788	7.595542	117.7841	-68.2991	0.262287		3.812617
2.6	15.8113	41.10961	96.65738	3.604379	55.54777	-37.5052	0.328741		3.041908	2.6		31.62278	82.21922	193.6788	7.595542	111.4596	-74.6237	0.324883		3.078031
2.8	15.8113	44.27189	96.65738	3.604379	52.38549	-40.6675	0.399833		2.501044	2.8		31.62278	88.54377	193.6788	7.595542	105.135	-80.9482	0.395545		2.528157
3	15.8113	47.43416	96.65738	3.604379	49.22322	-43.8298	0.477511		2.094193	3		31.62278	94.86833	193.6788	7.595542	98.81047	-87.2728	0.472898		2.114621

Alpha Beta Shift	50 0.5				Altered	Altered	UCLx Probabil of detection	LCLx Probabil. of detection	Average run length ARL	Be	oha eta hift	50 1				Oborad	Oborod	UCLx Probabil. of detection	LCLx Probabil. of detection	Average run length ARL
211111	Ciama	letCiama.	HOLV	LOLV	UCLX	LCLX	P1	P2	(1/(P1+P2))	31	HIL.	Ci	let©i	UCLx	101.	Altered	Altered		P2	(1/(P1+P2))
۸ ^	Sigma	k*Sigma	UCLX	LCLx						,	κ		k*Sigma		LCLX	UCLX	LCLx	P1	. –	
0	3.535534			14.34161							0	7.071068	_	71.01036					0.000231	255.676
0.2		0.707107				13.6345			178.8813		0.2		1.414214							
0.4		1.414214									0.4		2.828427					0.009175		
0.6	3.535534	2.12132	35.59524	14.34161	33.47392	12.22029	0.013367	3.8E-06	74.78984		0.6	7.071068	4.242641	71.01036	28.90707	66.76772	24.66443	0.014104	4.9E-06	70.87725
0.8	3.535534	2.828427	35.59524	14.34161	32.76681	11.51318	0.020215	*	49.46822		0.8	7.071068	5.656854	71.01036	28.90707	65.35351	23.25022	0.02128	*	46.99248
1	3.535534	3.535534	35.59524	14.34161	32.05971	10.80608	0.029992	*	33.34222		1	7.071068	7.071068	71.01036	28.90707	63.93929	21.836	0.031494	•	31.75208
1.2	3.535534	4.242641	35.59524	14.34161	31.3526	10.09897	0.04363	*	22.92001		1.2	7.071068	8.485281	71.01036	28.90707	62.52508	20.42179	0.045697	*	21.88327
1.4	3.535534	4.949747	35.59524	14.34161	30.64549	9.391863	0.062192	*	16.07924		1.4	7.071068	9.899495	71.01036	28.90707	61.11087	19.00758	0.064968	*	15.39219
1.6	3.535534	5.656854	35.59524	14.34161	29.93839	8.684756	0.086824	*	11.51755		1.6	7.071068	11.31371	71.01036	28.90707	59.69665	17.59336	0.090456	*	11.0551
1.8	3.535534	6.363961	35.59524	14.34161	29.23128	7.977649	0.118649	*	8.428221		1.8	7.071068	12.72792	71.01036	28.90707	58.28244	16.17915	0.123271	*	8.112208
2	3.535534	7.071068	35.59524	14.34161	28.52417	7.270542	0.158634	*	6.303819		2	7.071068	14.14214	71.01036	28.90707	56.86822	14.76493	0.16435	•	6.084576
2.2	3.535534	7.778175	35.59524	14.34161	27.81707	6.563435	0.207417	*	4.821206		2.2	7.071068	15.55635	71.01036	28.90707	55.45401	13.35072	0.214275	•	4.6669
2.4	3.535534	8.485281	35.59524	14.34161	27.10996	5.856329	0.265128	*	3.771763		2.4	7.071068	16.97056	71.01036	28.90707	54.0398	11.93651	0.273099	•	3.661676
2.6	3.535534	9.192388	35.59524	14.34161	26.40285	5.149222	0.331221	*	3.019132		2.6	7.071068	18.38478	71.01036	28.90707	52.62558	10.52229	0.340183	*	2.939594
2.8	3.535534	9.899495	35.59524	14.34161	25.69575	4.442115	0.404373	•	2.472964		2.8	7.071068	19.79899	71.01036	28.90707	51.21137	9.10808	0.414098	*	2.414887
3	3.535534	10.6066	35.59524	14.34161	24.98864	3.735008	0.482472	*	2.072659		3	7.071068	21.2132	71.01036	28.90707	49.79716	7.693867	0.492639	•	2.029884

				UCLx	LCLx	Average								UCLx	LCLx	Average
Alpha	50			Probabil.	Probabil.	run	Alpha	50						Probabil.	Probabil.	run
Beta	5			of	of	length	Beta	10						of	of	length
Shift			Altered Alte	ed detection		ARL	Shift					Altered	Altered	detection	detection	ARL
k	Sigma k*Sigma	UCLX LCLX	UCŁX LC	.x P1	P2	(1/(P1+P2))	k	Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))
0	35.35534 0	355.182 145.320					0	70.71068	0	714.2551	287.3855	714.2551	287.3855	0.0032	0.000203	293.867
0.2	35.35534 7.071068	355.182 145.320	2 348.1109 138.3	491 0.005813	8.36E-05	169.5893	0.2	70.71068	14.14214	714.2551	287.3855	700.113	273.2434	0.005123	6.33E-05	192.8157
0.4	35.35534 14.14214	355.182 145.320	2 341.0399 131.	781 0.009102	2.36E-05	109.5818	0.4	70.71068	28.28427	714.2551	287.3855	685.9708	259.1012	0.00806	1.73E-05	123.8037
0.6	35.35534 21.2132	355.182 145.320	2 333.9688 124	.107 0.013995	5.8E-06	71.42449	0.6	70.71068	42.42641	714.2551	287.3855	671.8287	244.9591	0.012456	4.1E-06	80.25618
8.0	35.35534 28.28427	355.182 145.320	2 326.8977 117.	359 0.021123	. *	47.34176	8.0	70.71068	56.56854	714.2551	287.3855	657.6866	230.817	0.018897	*	52.91845
1	35.35534 35.35534	355.182 145.320	2 319.8267 109.	649 0.031273	•	31.97647	1	70.71068	70.71068	714.2551	287.3855	643.5444	216.6748	0.028127	*	35.55303
1.2	35.35534 42.42641	355.182 145.320	2 312.7556 102.	938 0.045393	. •	22.02983	1.2	70.71068	84.85281	714.2551	287.3855	629.4023	202.5327	0.041052	•	24.35935
1.4	35.35534 49.49747	355.182 145.320	2 305.6845 95.8	273 0.064561	•	15.48923	1.4	70.71068	98.99495	714.2551	287.3855	615.2602	188.3906	0.058718	•	17.03055
1.6	35.35534 56.56854	355.182 145.320	2 298.6135 88.7	166 0.089923	. *	11.12063	1.6	70.71068	113.1371	714.2551	287.3855	601.118	174.2484	0.082261	*	12.15643
1.8	35.35534 63.63961	355.182 145.320	2 291.5424 81.6	059 0.122595		8.15694	1.8	70.71068	127.2792	714.2551	287.3855	586.9759	160.1063	0.112818	•	8.863834
2	35.35534 70.71068	355.182 145.320				6.115684	2				287.3855			0.151391	•	6.605412
2.2	35.35534 77.78175	355.182 145.320	2 277.4003 67.5	845 0.213275	•	4.688782	2.2	70.71068	155.5635	714.2551	287.3855	558.6916	131.822	0.198687	*	5.033042
2.4	35.35534 84.85281	355.182 145.320	2 270.3292 60.4	739 0.271939	. *	3.677295	2.4	70.71068	169.7056	714.2551	287.3855	544.5495	117.6799	0.254932	*	3.922615
2.6	35.35534 91.92388	355.182 145.320	2 263.2581 53.3	632 0.33888	. *	2.950897	2.6	70.71068	183.8478	714.2551	287.3855	530.4073	103.5377	0.319702	*	3.127913
2.8	35.35534 98.99495	355.182 145.320	2 256.1871 46.3	525 0.412687	*	2.423144	2.8	70.71068	197.9899	714.2551	287.3855	516.2652	89.3956	0.391807	*	2.552277
3	35.35534 106.066	355.182 145.320	2 249.116 39.2	418 0.491167	*	2.035967	3	70.71068	212.132	714.2551	287.3855	502.1231	75.25347	0.469261	•	2.13101

								UCLx	LCLx	Average									UCLx	LCLx	Average
Alpha	100							Probabil.	Probabil.	run	Alpha	100							Probabil.	Probabil.	run
Beta	0.5							of	of	iength	Beta	1							of	of	length
Shift						Altered	Altered	detection	detection	ARL	Shift						Altered	Altered	detection	detection	ARL
k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))	k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))
0		5	0	65.00006	34.96861	65.00006	34.96861	0.002755	0.000418	315.1393	0		10	0	130.014	70.23251	130.014	70.23251	0.002745	0.000478	310.2314
0.2		5	1	65.00006	34.96861	64.00006	33.96861	0.00457	0.000161	211.3941	0.2		10	2	130.014	70.23251	128.014	68.23251	0.004554	0.000186	210.9749
0.4		5	2	65.00006	34.96861	63.00006	32.96861	0.007422	5.66E-05	133.7149	0.4		10	4	130.014	70.23251	126.014	66.23251	0.007398	6.64E-05	133.9692
0.6		5	3	65.00006	34.96861	62.00006	31.96861	0.011797	1.83E-05	84.63602	0.6		10	6	130.014	70.23251	124.014	64.23251	0.01176	2.17E-05	84.87739
8.0		5	4	65.00006	34.96861	61.00006	30.96861	0.018339	5.4E-06	54.51255	0.8		10	8	130.014	70.23251	122.014	62.23251	0.018284	6.5E-06	54.67319
1		5	5	65.00006	34.96861	60.00006	29.96861	0.027867	*	35.88474	1		10	10	130.014	70.23251	120.014	60.23251	0.027788	•	35.98676
1.2		5	6	65.00006	34.96861	59.00006	28.96861	0.041377	*	24.16802	1.2		10	12	130.014	70.23251	118.014	58.23251	0.041267	•	24.23244
1.4		5	7	65.00006	34.96861	58.00006	27.96861	0.060005	•	16.66528	1.4		10	14	130.014	70.23251	116.014	56.23251	0.059855	•	16.70704
1.6		5	8	65.00006	34.96861	57.00006	26.96861	0.084956	*	11.7708	1.6		10	16	130.014	70.23251	114.014	54.23251	0.084758	•	11.7983
1.8		5	9	65.00006	34.96861	56.00006	25.96861	0.117394	*	8.518323	1.8		10	18	130.014	70.23251	112.014	52.23251	0.117141	•	8.536721
2		5	10	65.00006	34.96861	55.00006	24.96861	0.15828	*	6.317918	2		10	20	130.014	70.23251	110.014	50.23251	0.157965	*	6.330516
2.2		5	11	65.00006	34.96861	54.00006	23.96861	0.208185	*	4.80342	2.2		10	22	130.014	70.23251	108.014	48.23251	0.207807	•	4.812157
2.4		5	12	65.00006	34.96861	53.00006	22.96861	0.267108	*	3.743804	2.4		10	24	130.014	70.23251	106.014	46.23251	0.266669	•	3.749967
2.6		5	13	65.00006	34.96861	52.00006	21.96861	0.334317	*	2.991173	2.6		10	26	130.014	70.23251	104.014	44.23251	0.333825	*	2.995582
2.8		5	14	65.00006	34.96861	51.00006	20.96861	0.408279	*	2.449305	2.8		10	28	130.014	70.23251	102.014	42.23251	0.407748	•	2.452495
3		5	15	65.00006	34.96861	50.00006	19.96861	0.486699	*	2.054658	3		10	30	130.014	70.23251	100.014	40.23251	0.486145	•	2.056999

								UCLX	LCLx	Average									UCLx	LCLx	Average
Alpha	100							Probabil.	Probabil.	run	Alph	a 100	0						Probabil.	Probabil.	ณฑ
Beta	5							of	of	length	Beta	. 10	0						of	of	length
Shift						Altered	Altered	detection	detection	ARL	Shift	t					Altered	Altered	detection	detection	ARL
k	Sigma	a k*	'Sigma	UCLx	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))	k		Sigma	k*Sigma	UCLx	LCLx	UCLx	LCLx	P1	P2	(1/(P1+P2))
0		50	0	647.576	352.267	647.576	352.267	0.00312	0.000529	274.0852		0	100	0	1301.758	700.8875	1301.758	700.8875	0.002632	0.000448	324.6542
0.2		50	10	647.576	352.267	637.576	342.267	0.00515	0.000207	186.6682		0.2	100	20		700.8875					
0.4		50	20	647.576	352.267	627.576			7.47E-05			0.4	100								
0.6		50	30	647.576	352.267	617.576	322.267	0.013156	2.47E-05	75.8685		0.6	100	60	1301.758	700.8875	1241.758	640.8875	0.011337	2E-05	88.05142
8.0		50	40	647.576	352.267	607.576	312.267	0.02034	7.4E-06	49.14633		8.0	100	80	1301.758	700.8875	1221.758	620.8875	0.017658	5.9E-06	56.61264
1		50	50	647.576	352.267	597.576		0.030736		32.53514		1	100			700.8875					37.1927
1.2		50	60	647.576	352.267	587.576	292.267	0.045378	*	22.03711		1.2	100	120	1301.758	700.8875	1181.758	580.8875	0.040003	*	24.99813
1.4		50	70	647.576	352.267	577.576	282.267	0.065428	*	15.28398		1.4	100	140	1301.758	700.8875	1161.758	560.8875	0.058132	*	17.20223
1.6		50	80	647.576	352.267	567.576	272.267	0.092092	*	10.85871		1.6	100	160	1301.758	700.8875	1141.758	540.8875	0.08248	*	12.12415
1.8		50	90	647.576	352.267	557.576	262.267	0.126502	•	7.905013		1.8	100	180	1301.758	700.8875	1121.758	520.8875	0.114218	*	8.755187
2		50	100	647.576	352.267	547.576	252.267	0.169541	*	5.898278		2	100	200	1301.758	700.8875	1101.758	500.8875	0.154332	*	6.479538
2.2		50	110	647.576	352.267	537.576	242.267	0.221658	•	4.511455		2.2	100	220	1301.758	700.8875	1081.758	480.8875	0.203435	•	4.915575
2.4		50	120	647.576	352.267	527.576		0.282687		3.537481		2.4	100			700.8875					3.822864
2.6		50	130	647.576	352.267	517.576		0.351705		2.843292		2.6	100			700.8875					3.047712
2.8		50	140	647.576	352.267			0.426985		2.342003		2.8	100			700.8875					2.490251
3		50	150	647.576	352.267	497.576	202.267	0.506067	*	1.976023		3	100	300	1301.758	700.8875	1001.758	400.8875	0.479703	*	2.084623

## APPENDIX F

MINITAB OUTPUTS - MULTIPLE REGRESSION MODELS FOR  $\label{eq:d2d3} d_2,\,d_3,\,AND\,\,D_4$ 

#### 1. Bias correction factor d<sub>2</sub>

#### 1.1 Regression Analysis

The regression equation is

d2 = 1.03 + 0.00433 Alpha - 0.0021 Beta -0.000035 Alpha^2 + 0.00025 Beta^2 -0.000003 Alph\*Bet

Predictor	Coef	Stdev	t-ratio	p
Constant	1.02930	0.02107	48.86	0.000
Alpha	0.004333	0.001404	3.09	0.004
Beta	-0.00211	0.01125	-0.19	0.852
Alpha^2	-0.00003451	0.00001400	-2.47	0.019
Beta^2	0.000254	0.001044	0.24	0.810
Alph*Bet	-0.00000306	0.00008224	-0.04	0.971

$$s = 0.06122$$
 R-sq = 33.9% R-sq(adj) = 24.2%

#### Analysis of Variance

SOURCE	DF	SS	MS	$\mathbf{F}$	p
Regression	5	0.065297	0.013059	3.48	0.012
Error	34	0.127431	0.003748		
Total	39	0.192729			

#### 1.2 Regression Analysis

- \* NOTE \* Alpha is highly correlated with other predictor variables
- \* NOTE \* Alpha^2 is highly correlated with other predictor variables
- \* NOTE \* Alpha^3 is highly correlated with other predictor variables

#### The regression equation is

d2 = 0.979 + 0.0234 Alpha - 0.00211 Beta -0.000600 Alpha^2 +0.000254 Beta^2 -0.000003 Alph\*Bet +0.000004 Alpha^3

Predictor	Coef	Stdev	t-ratio	p
Constant	0.97908	0.01905	51.39	0.000
Alpha	0.023366	0.003973	5.88	0.000
Beta	-0.002112	0.008631	-0.24	0.808
Alpha^2	-0.0005997	0.0001141	-5.26	0.000
Beta^2	0.0002535	0.0008011	0.32	0.754
Alph*Bet	-0.0000306	0.00006309	-0.05	0.962
Alpha^3	0.00000381	0.00000076	4.98	0.000

s = 0.04697 R-sq = 62.2% R-sq(adj) = 55.4%

## Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	6	0.119937	0.019989	9.06	0.000
Error	33	0.072792	0.002206		
Total	39	0.192729			

## 1.3 Regression Analysis

## The regression equation is

d2 = 1.03 + 0.00432 Alpha -0.000035 Alpha^2

Predictor	Coef	Stdev	t-ratio	р
Constant	1.02859	0.01205	85.36	0.000
Alpha	0.004321	0.001308	3.30	0.002
Alpha^2	-0.00003451	0.00001344	-2.57	0.014
s = 0.05877	R-sq = 33.7%	R-sq(adj) =	= <b>30.1%</b>	

SOURCE	DF	SS	MS	F	p
Regression	2	0.064942	0.032471	9.40	0.000
Error	37	0.127787	0.003454		
Total	39	0.192729			

#### 1.4 Regression Analysis

- \* NOTE \* Alpha is highly correlated with other predictor variables
- \* NOTE \* Alpha^2 is highly correlated with other predictor variables
- \* NOTE \* Alpha^3 is highly correlated with other predictor variables

#### The regression equation is

d2 = 0.978 + 0.0234 Alpha -0.000600 Alpha $^2 +0.000004$  Alpha $^3$ 

Predictor	Coef	Stdev	t-ratio	p
Constant	0.97836	0.01339	73.08	0.000
Alpha	0.023354	0.003805	6.14	0.000
Alpha^2	-0.0005997	0.0001095	-5.48	0.000
Alpha^3	0.00000381	0.00000073	5.19	0.000

s = 0.04508 R-sq = 62.0% R-sq(adj) = 58.9%

#### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	3	0.119582	0.039861	19.62	0.000
Error	36	0.073147	0.002032		
Total	39	0.192729			

#### 1.5 Regression Analysis

## The regression equation is

$$d2 = 0.760 + 0.351 \text{ 1-e}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.759508	0.009801	77.49	0.000
1-e^-x	0.35134	0.01113	31.58	0.000

$$s = 0.01365$$
 R-sq = 96.3% R-sq(adj) = 96.2%

SOURCE	DF	SS	MS	F	p
Regression	1	0.18565	0.18565	996.99	0.000
Error	38	0.00708	0.00019		

Total 39 0.19273

## 1.6 Regression Analysis

## The regression equation is

 $d2 = 0.878 + 0.250 \text{ } 1\text{-e}^{-.5x}$ 

Predictor	Coef	Stdev	t-ratio	p
Constant	0.87794	0.01042	84.22	0.000
1-e^5x	0.25036	0.01339	18.70	0.000

s = 0.02230 R-sq = 90.2% R-sq(adj) = 89.9%

### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	1	0.17384	0.17384	349.67	0.000
Error	38	0.01889	0.00050		
Total	39	0.19273			

## 1.7 Regression Analysis

## The regression equation is

$$d2 = 0.505 + 0.591 \text{ } 1-e^{2x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.50466	0.03128	16.13	0.000
$1-e^{2x}$	0.59064	0.03296	17.92	0.000

s = 0.02316 R-sq = 89.4% R-sq(adj) = 89.1%

SOURCE	DF	SS	MS	F	p
Regression	1	0.17234	0.17234	321.18	0.000
Error	38	0.02039	0.00054		
Total	39	0.19273			

### 1.8 Regression Analysis

### The regression equation is

$$d2 = 1.00 + 0.149 \text{ 1-e}^{-1.1x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	1.00080	0.01234	81.13	0.000
1-e^1x	0.14879	0.02339	6.36	0.000

s = 0.04957 R-sq = 51.6% R-sq(adj) = 50.3%

## Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	1	0.099374	0.099374	40.45	0.000
Error	38	0.093355	0.002457		
Total	39	0.192729			

## 1.9 Regression Analysis

## The regression equation is

$$d2 = 0.772 + 0.308 \ 1-e^{x} + 0.0331 \ 1-e^{5}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.77222	0.01452	53.17	0.000
1-e^-x	0.30830	0.03809	8.09	0.000
1-e^5x	0.03312	0.02805	1.18	0.245

s = 0.01358 R-sq = 96.5% R-sq(adj) = 96.3%

<b>SOURCE</b>	DF	SS	MS	F	p
Regression	2	0.185909	0.092955	504.36	0.000
Error	37	0.006819	0.000184		
Total	39	0.192729			

#### 1.10 Regression Analysis

#### \* NOTE \* 1-e^-x is highly correlated with other predictor variables

The regression equation is

$$d2 = 0.624 - 0.150 \ 1 - e^{-x} + 0.197 \ 1 - e^{-5x} + 0.448 \ 1 - e^{-2x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.62359	0.03547	17.58	0.000
1-e^-x	-0.1499	0.1077	-1.39	0.172
1-e^5x	0.19707	0.04339	4.54	0.000
1-e^-2x	0.4479	0.1008	4.44	0.000

s = 0.01106 R-sq = 97.7% R-sq(adj) = 97.5%

#### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	3	0.188325	0.062775	513.25	0.000
Error	36	0.004403	0.000122		
Total	39	0.192729			

#### 2. Bias correction factor d<sub>3</sub>

#### 2.1 Regression Analysis

Predictor	Coef	Stdev	t-ratio	p
Constant	0.95909	0.01966	48.78	0.000
Alpha	-0.004572	0.001311	-3.49	0.001
Beta	-0.00164	0.01050	-0.16	0.877
Alpha^2	0.00003595	0.00001306	2.75	0.009
Beta^2	0.0001919	0.0009747	0.20	0.845
Alph*Bet	-0.00000222	0.00007676	-0.03	0.977

$$s = 0.05714$$
 R-sq = 41.1% R-sq(adj) = 32.5%

#### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	5	0.077564	0.015513	4.75	0.002
Error	34	0.111016	0.003265		
Total	39	0.188580			

#### 2.2 Regression Analysis

- \* NOTE \* Alpha is highly correlated with other predictor variables
- \* NOTE \* Alpha^2 is highly correlated with other predictor variables

#### The regression equation is

d3 = 1.01 - 0.0240 Alpha - 0.00164 Beta +0.000614 Alpha^2 +0.000192 Beta^2 -0.000002 Alph\*Bet -0.000004 Alpha^3

Predictor	Coef	Stdev	t-ratio	р
Constant	1.01046	0.01639	61.66	0.000
Alpha	-0.024039	0.003417	-7.03	0.000
Beta	-0.001636	0.007424	-0.22	0.827
Alpha^2	0.00061404	0.00009811	6.26	0.000
Beta^2	0.0001919	0.0006890	0.28	0.782
Alph*Bet	-0.00000222	0.00005426	-0.04	0.968
Alpha^3	-0.00000389	0.00000066	-5.92	0.000

$$s = 0.04040$$
 R-sq = 71.4% R-sq(adj) = 66.3%

#### Analysis of Variance

SOURCE	DF	SS	MS	F p
Regression	6	0.134729	0.022455	13.76 0.000
Error	33	0.053851	0.001632	
Total	39	0.188580		

#### 2.3 Regression Analysis

The regression equation is

d3 = 0.958 - 0.00458 Alpha +0.000036 Alpha  $^2$ 

<sup>\*</sup> NOTE \* Alpha^3 is highly correlated with other predictor variables

Predictor	Coef	Stdev	t-ratio	p
Constant	0.95840	0.01124	85.25	0.000
Alpha	-0.004581	0.001220	-3.75	0.001
Alpha^2	0.00003595	0.00001253	2.87	0.007

s = 0.05482 R-sq = 41.0% R-sq(adj) = 37.8%

#### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	2	0.077375	0.038687	12.87	0.000
Error	37	0.111206	0.003006		
Total	39	0.188580			

#### 2.4 Regression Analysis

- \* NOTE \* Alpha is highly correlated with other predictor variables
- \* NOTE \* Alpha^2 is highly correlated with other predictor variables
- \* NOTE \* Alpha^3 is highly correlated with other predictor variables

#### The regression equation is

d3 = 1.01 - 0.0240 Alpha +0.000614 Alpha^2 -0.000004 Alpha^3

Predictor	Coef	Stdev	t-ratio	p
Constant	1.00977	0.01151	87.75	0.000
Alpha	-0.024048	0.003270	-7.35	0.000
Alpha^2	0.00061404	0.00009410	6.53	0.000
Alpha^3	-0.00000389	0.00000063	-6.17	0.000
_				

s = 0.03874 R-sq = 71.3% R-sq(adj) = 69.0%

SOURCE	DF	SS	MS	F	p
Regression	3	0.134540	0.044847	29.88	0.000
Error	36	0.054040	0.001501		
Total	39	0.188580			

### 2.5 Regression Analysis

### The regression equation is

$$d3 = 0.875 + 0.342 e^{-x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.874665	0.003557	245.91	0.000
e^-x	0.34207	0.01484	23.05	0.000

$$s = 0.01820$$
 R-sq = 93.3% R-sq(adj) = 93.1%

### Analysis of Variance

SOURCE	DF	SS	MS	F p
Regression	1	0.17599	0.17599	531.09 0.000
Error	38	0.01259	0.00033	
Total	39	0.18858		

### 2.6 Regression Analysis

## The regression equation is

$$d3 = 0.856 + 0.251 e^{0.5x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.855758	0.004323	197.95	0.000
$e^{-0.5x}$	0.25090	0.01152	21.78	0.000

$$s = 0.01919$$
 R-sq = 92.6% R-sq(adj) = 92.4%

### Analysis of Variance

SOURCE	DF	SS	MS	F p
Regression	1	0.17459	0.17459	474.17 0.000
Error	38	0.01399	0.00037	
Total	39	0.18858		

## 2.7 Regression Analysis

$$d3 = 0.891 + 0.561 e^{-2x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.890590	0.005238	170.04	0.000
e^-2x	0.56135	0.04187	13.41	0.000

$$s = 0.02943$$
 R-sq = 82.5% R-sq(adj) = 82.1%

### Analysis of Variance

SOURCE	DF	SS	MS	F p
Regression	1	0.15567	0.15567	179.74 0.000
Error	38	0.03291	0.00087	
Total	39	0.18858		

## 2.8 Regression Analysis

## The regression equation is

$$d3 = 0.828 + 0.160 e^{-0.1x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.82809	0.01418	58.41	0.000
e^-0.1x	0.15981	0.02082	7.68	0.000

$$s = 0.04411$$
 R-sq = 60.8% R-sq(adj) = 59.8%

#### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	1	0.11464	0.11464	58.92	0.000
Error	38	0.07394	0.00195		
Total	39	0.18858			

### 2.9 Regression Analysis

$$d3 = 0.865 + 0.190 e^{-x} + 0.117 e^{-0.5x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.864807	0.004173	207.26	0.000
e^-x	0.19025	0.04471	4.26	0.000
e^-0.5x	0.11685	0.03293	3.55	0.001

$$s = 0.01593$$
 R-sq = 95.0% R-sq(adj) = 94.7%

### Analysis of Variance

SOURCE	DF	SS	MS	F p
Regression	2	0.179186	0.089593	352.86 0.000
Error	37	0.009394	0.000254	
Total	39	0.188580		

## 2.10 Regression Analysis

The regression equation is

$$d3 = 0.857 + 0.255 e^{-0.5x} - 0.0044 e^{-0.1x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	0.857133	0.006655	128.80	0.000
e^-0.5x	0.25545	0.02026	12.61	0.000
e^-0.1x	-0.00437	0.01593	-0.27	0.785

$$s = 0.01943$$
 R-sq = 92.6% R-sq(adj) = 92.2%

### Analysis of Variance

SOURCE	DF	SS	MS	F p
Regression	2	0.174617	0.087308	231.35 0.000
Error	37	0.013963	0.000377	
Total	39	0.188580		

## 3. Control chart constant D<sub>4</sub>

## 3.1 Regression Analysis

D4 = 3.82 - 0.0246 Alpha + 0.0021 Beta +0.000196 Alpha^2 - 0.00022 Beta^2 +0.000002 Alph\*Bet

Coef	Stdev	t-ratio	p
3.8201	0.1213	31.50	0.000
-0.024634	0.008083	-3.05	0.004
0.00211	0.06477	0.03	0.974
0.00019614	0.00008059	2.43	0.020
-0.000223	0.006012	-0.04	0.971
0.0000016	0.0004734	0.00	0.997
	3.8201 -0.024634 0.00211 0.00019614 -0.000223	3.8201     0.1213       -0.024634     0.008083       0.00211     0.06477       0.00019614     0.00008059       -0.000223     0.006012	3.8201       0.1213       31.50         -0.024634       0.008083       -3.05         0.00211       0.06477       0.03         0.00019614       0.00008059       2.43         -0.000223       0.006012       -0.04

s = 0.3525 R-sq = 33.5% R-sq(adj) = 23.7%

### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	5	2.1300	0.4260	3.43	0.013
Error	34	4.2236	0.1242		
Total	39	6.3536			

### 3.2 Regression Analysis

- \* NOTE \* Alpha is highly correlated with other predictor variables
- \* NOTE \* Alpha^2 is highly correlated with other predictor variables
- \* NOTE \* Alpha^3 is highly correlated with other predictor variables

### The regression equation is

D4 = 4.11 - 0.136 Alpha + 0.0021 Beta + 0.00351 Alpha^2 - 0.00022 Beta^2 +0.000002 Alph\*Bet -0.000022 Alpha^3

Predictor	Coef	Stdev	t-ratio	p
Constant	4.1143	0.1082	38.02	0.000
Alpha	-0.13613	0.02257	-6.03	0.000
Beta	0.00211	0.04902	0.04	0.966
Alpha^2	0.0035071	0.0006479	5.41	0.000
Beta^2	-0.000223	0.004550	-0.05	0.961
Alph*Bet	0.0000016	0.0003583	0.00	0.996
Alpha^3	-0.00002230	0.00000434	-5.13	0.000

s = 0.2668 R-sq = 63.0% R-sq(adj) = 56.3%

### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	6	4.00517	0.66753	9.38	0.000
Error	33	2.34844	0.07116		
Total	39	6.35361			

### 3.3 Regression Analysis

The regression equation is

 $D4 = 3.82 - 0.0246 \text{ Alpha} + 0.000196 \text{ Alpha}^2$ 

Predictor	Coef	Stdev	t-ratio	p
Constant	3.82174	0.06928	55.16	0.000
Alpha	-0.024627	0.007519	-3.28	0.002
Alpha^2	0.00019614	0.00007725	2.54	0.015
s = 0.3379	R-sq = 33.5%	R-sq(adj) =	29.9%	

### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	2	2.1298	1.0649	9.33	0.001
Error	37	4.2238	0.1142		
Total	39	6.3536			

### 3.4 Regression Analysis

- \* NOTE \* Alpha is highly correlated with other predictor variables
- \* NOTE \* Alpha^2 is highly correlated with other predictor variables
- \* NOTE \* Alpha^3 is highly correlated with other predictor variables

### The regression equation is

 $D4 = 4.12 - 0.136 \text{ Alpha} + 0.00351 \text{ Alpha}^2 -0.000022 \text{ Alpha}^3$ 

Predictor	Coef	Stdev	t-ratio	p
Constant	4.11598	0.07586	54.26	0.000
Alpha	-0.13613	0.02156	-6.31	0.000
Alpha^2	0.0035071	0.0006203	5.65	0.000

Alpha^3	-0.00002230	0.00000416	-5.36	0.000
s = 0.2554	R-sq = 63.0%	R-sq(adj) =	60.0%	
Analysis of V	Variance			
SOURCE	DF	SS	MS	F p
Regression	3	4.0050	1.3350	20.46 0.000
Error	36	2.3486	0.0652	
Total	39	6.3536		

# 3.5 Regression Analysis

### The regression equation is

 $D4 = 3.35 + 2.03 e^{-x}$ 

Predictor Constant e^-x	Coef 3.34869 2.02745	Stdev 0.01312 0.05476	t-ratio 255.19 37.02	p 0.000 0.000	
s = 0.06716	R-sq = 97.3%	R-sq(adj) =	97.2%		
Analysis of V	ariance				
SOURCE	DF	SS	MS	F	p
Regression	1	6.1822	6.1822	1370.67	0.000
Error	38	0.1714	0.0045		
Total	39	6.3536			

# 3.6 Regression Analysis

# The regression equation is

$$D4 = 3.25 + 1.44 e^{-0.5x}$$

Predictor	Coef	Stdev	t-ratio	p
Constant	3.24989	0.02885	112.64	0.000
e^-0.5x	1.43744	0.07690	18.69	0.000

s = 0.1281 R-sq = 90.2% R-sq(adj) = 89.9%

# Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	1	5.7304	5.7304	349.41	0.000
Error	38	0.6232	0.0164		
Total	39	6.3536			

# 3.7 Regression Analysis

The regression equation is

 $D4 = 3.44 + 3.44 e^{-2x}$ 

Predictor	Coef	Stdev	t-ratio	p	
Constant	3.43660	0.02059	166.93	0.000	
e^-2x	3.4398	0.1646	20.90	0.000	
s = 0.1157	R-sq = 92.0%	% R-sq(adj)	= 91.8%		
Analysis of V	/ariance				
SOURCE	DF	SS	MS	F	p
Regression	1	5.8451	5.8451	436.82	0.000
Error	38	0.5085	0.0134		
Total	39	6.3536			

# 3.8 Regression Analysis

The regression equation is

 $D4 = 3.13 + 0.856 e^{-0.1x}$ 

Predictor	Coef	Stdev	t-ratio	p	
Constant	3.12678	0.09128	34.25	0.000	
e^-0.1x	0.8558	0.1341	6.38	0.000	
s = 0.2840	$R-sq = 51.7^{\circ}$	% R-sq(adj)	= 50.5%		
Analysis of V	Variance				
SOURCE	DF	SS	MS	F	p
Regression	1	3.2878	3.2878	40.75	0.000
Error	38	3.0658	0.0807		
Total	39	6 3536			

# APPENDIX G

MINITAB OUTPUTS - MULTIPLE REGRESSION MODELS SELECTED FOR  $d_2,\,d_3,\,\text{AND}\,\,D_4$ 

### 1. Bias correction factor d<sub>2</sub>

The regression equation is

$$d2 = 0.643 + 0.0977 \cdot 1 - e^{-.5x} + 0.357 \cdot 1 - e^{-2x} + 0.0248 \cdot 1 - e^{-.1x}$$

Where x represents the shape parameter  $\alpha$ .

Predictor	Coef	Stdev	t-ratio	p
Constant	0.64282	0.02142	30.01	0.000
1-e^5x	0.09775	0.02083	4.69	0.000
1-e^-2x	0.35736	0.03317	10.77	0.000
1-e^1x	0.02483	0.01035	2.40	0.022

$$s = 0.01054$$
 R-sq = 97.9% R-sq(adj) = 97.8%

### Analysis of Variance

<b>SOURCE</b>	DF	SS	MS	F	p
Regression	3	0.188728	0.062909	566.07	0.000
Error	36	0.004001	0.000111		
Total	39	0.192729			
SOURCE	DF	SEQ SS			
1-e^5x	1	0.173837			
1-e^-2x	1	0.014251			
1-e^1x	1	0.000639			

# 2. Bias correction factor d<sub>3</sub>

The regression equation is

$$d3 = 0.859 - 0.296 e^{-x} + 0.291 e^{-0.5x} + 0.476 e^{-2x}$$

Where x represents the shape parameter  $\alpha$ .

Predictor	Coef	Stdev	t-ratio	p
Constant	0.859457	0.003827	224.56	0.000
e^-x	-0.2964	0.1325	-2.24	0.032
e^-0.5x	0.29099	0.05340	5.45	0.000
e^-2x	0.4758	0.1240	3.84	0.000

s = 0.01361 R-sq = 96.5% R-sq(adj) = 96.2%

### Analysis of Variance

SOURCE	DF	SS	MS	F	p
Regression	3	0.181911	0.060637	327.34	0.000
Error	36	0.006669	0.000185		
Total	39	0.188580			
SOURCE	DF	SEQ SS			
e^-x	1	0.175988			
e^-0.5x	1	0.003198			
e^-2x	1	0.002726			

# 3. Control chart constant D<sub>4</sub>

The regression equation is

 $D4 = 3.29 + 1.87 e^{-x} + 0.137 e^{-0.1x}$ 

Where x represents the shape parameter  $\alpha$ .

Predictor	Coef	Stdev	t-ratio	p
Constant	3.28976	0.01945	169.18	0.000
e^-x	1.87067	0.06329	29.56	0.000
e^-0.1x	0.13663	0.03663	3.73	0.001
s = 0.05802	R-sq = 98.0%	6 R-sq(adi)	= 97.9%	

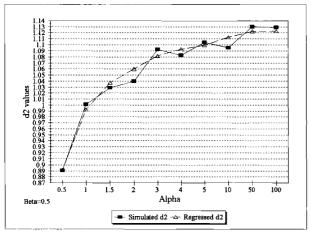
# Analysis of Variance

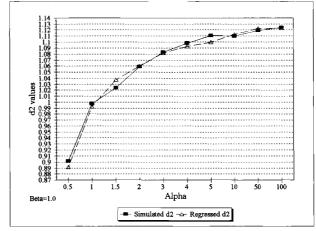
SOURCE Regression Error Total	DF 2 37 39	SS 6.2290 0.1246 6.3536	MS 3.1145 0.0034	F 925.12	p 0.000
SOURCE e^-x e^-0.1x	DF 1 1	SEQ SS 6.1822 0.0468			

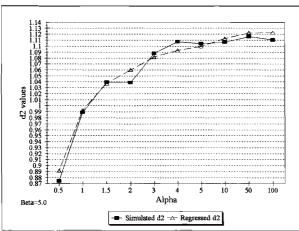
# APPENDIX H

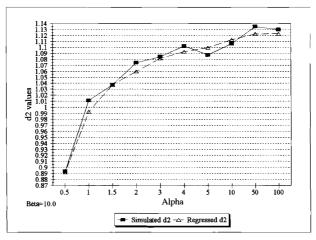
GRAPHS - SIMULATED VALUES OF  $d_2,\,d_3,\,AND\,\,D_4$  VERSUS REGRESSED VALUES OF  $d_2,\,d_3,\,AND\,\,D_4$ 

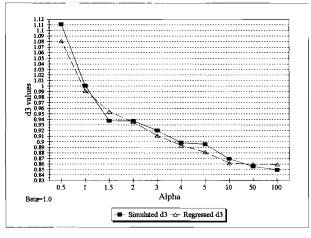
Alpha	Beta	d2	Fits	d3	Fits	D <b>4</b>	Fits
0.5	0.5	0.89067	0.89154	1.05376	1.08131	4.54932	4.55435
1	0.5	1.00121	0.99263	0.9958	0.99129	3.98377	4.10157
1.5	0.5	1.0287	1.03741	0.95218	0.95446	3.77682	3.82477
2	0.5	1.03973	1.05992	0.90597	0.9351	3.61405	3.6548
3	0.5	1.09221	1.08166	0.93153	0.91081	3.55866	3.48412
4	0.5	1.08259	1.09276	0.88364	0.89357	3.44866	3.41561
5	0.5	1.10427	1.09965	0.89188	0.88137	3.42299	3.38524
10	0.5	1.09534	1.11296	0.85834	0.8614	3.35089	3.34011
50	0.5	1.13015	1.12259	0.85435	0.85946	3.26789	3.29069
100	0.5	1.12918	1.12275	0.85795	0.85946	3.27939	3.28977
_ 0.5	1	0.90144	0.89154	1.11124	1.08131	4.69825	4.55435
1	1	0.99756	0.99263	1.00081	0.99129	4.00977	4.10157
1.5	1	1.02377	1.03741	0.93738	0.95446	3.74683	3.82477
2	1	1.05894	1.05992	0.93746	0.9351	3.65586	3.6548
3	1	1.08304	1.08166	0.92004	0.91081	3.54847	3.48412
4	1	1.09813	1.09276	0.89817	0.89357	3.45373	3.41561
5	1	1.11059	1.09965	0.89508	0.88137	3.41785	3.38524
10	1	1.10985	1.11296	0.86897	0.8614	3.34889	3.34011
50	1	1.11941	1.12259	0.85521	0.85946	3.29196	3.29069
100	1	1.12389	1.12275	0.84914	0.85946	3.26661	3.28977
0.5	5	0.87432	0.89154	1.06679	1.08131	4.66041	4.55435
1	5	0.98901	0.99263	1.00668	0.99129	4.05361	4.10157
1.5	5	1.03932	1.03741	0.94953	0.95446	3.7408	3.82477
2	5	1.0388	1.05992	0.91038	0.9351	3.62913	3.6548
3	5	1.08785	1.08166	0.90309	0.91081	3.49047	3.48412
4	5	1.10745	1.09276	0.89646	0.89357	3.42846	3.41561
5	5	1.10433	1.09965	0.89902	0.88137	3.44228	3.38524
10	5	1.10642	1.11296	0.86794	0.8614	3.35338	3.34011
50	5	1.11593	1.12259	0.84726	0.85946	3.27772	3.29069
100	5	1.11036	1.12275	0.84349	0.85946	3.27897	3.28977
0.5	10	0.89332	0.89154	1.08193	1.08131	4.63341	4.55435
1	10	1.01105	0.99263	1.00519	0.99129	3.98262	4.10157
1.5	10	1.03744	1.03741	0.96472	0.95446	3.7897	3.82477
2	10	1.07441	1.05992	0.93263	0.9351	3.6041	3.6548
3	10	1.08453	1.08166	0.90925	0.91081	3.51513	3.48412
4	10	1.10206	1.09276	0.90751	0.89357	3.4704	3.41561
5	10	1.08739	1.09965	0.87412	0.88137	3.41159	3.38524
10	10	1.10628	1.11296	0.87271	0.8614	3.36661	3.34011
50	10]	1.13493	1.12259	0.85834	0.85946	3.26889	3.29069
100	10	1.12964	1.12275	0.85693	0.85946	3.27576	3.28977

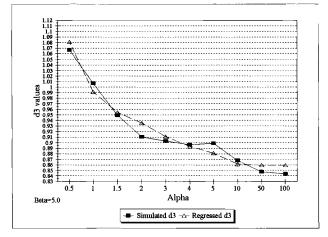


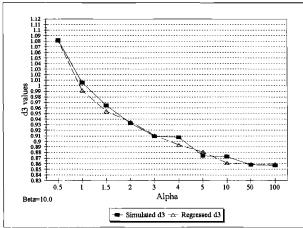


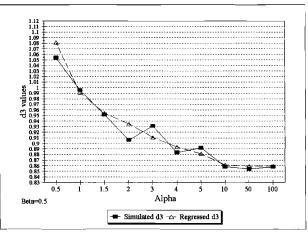


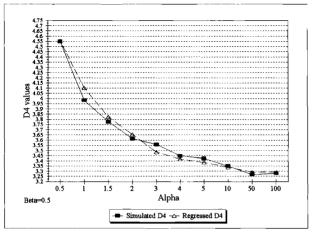


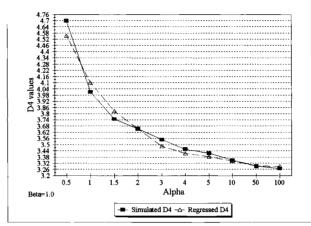


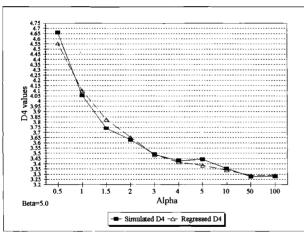


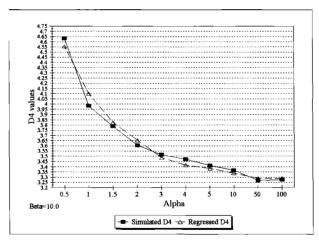












# APPENDIX I SPREADSHEETS OBJECTIVE THREE (#3) \_218\_ \_ \_ \_

x		0 82577 5 88475 0 2428 0 74748 1 0855 0 3767 0 3767 1 2862	2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2
g		17517 122725 122728 22528 22528 07848 07848 049618 42885	20 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
g		0.83218 7.18009 0.6168 4.48002 0.21241 1.37875 2.21115 0.16701 0.16701	9977 0000000000000000000000000000000000
ä		1 84657 0 53782 0 62831 0 6648 2 75887 3 80628 0 26211 0 34589 0 50647 5 05675	
8		2 1250 21 7161 2 7405 0 6985 0 6703 0 61051 0 61051 0 61051	87 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
8		57395 58088 64248 63747 006438 00048 57501	0
*		0 15837 0 1 80859 0 1 32822 0 7 78834 0 1 04872 0 1 1 15523 1 1 2523 1 1 2523 1 0 87888 2 0 33603 1	
*		6 41334 0 42924 1 0 42954 1 0 0 42954 1 0 0 42954 1 0 0 9 0 9 0 0 9 0 0 0 0 0 0 0 0 0 0 0	7778 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
ĸ		0.6746 0.6746 0.6746 0.6746 1.1828 1.1828 1.3299 1.33979 0.2451 1.2451	
ĸ		21462 0 10542 0 50664 0 04896 0 33875 1 33875 1 41293 2 57467 1 49601 1	
8		1 86354 1 0 16798 1 0 48621 1 0 48621 1 0 48685 1 1 56375 0 1 56375 0 1 56375 0 1 66346 0 0 48696 0	
ន		0 80704 1 0 58275 0 0 58273 0 1.34503 0 0 2478 0 2 57911 1 0 44253 1 0 1970 0 0 3177 0	
Ħ		1 01703 0 0 33269 5 0 40732 0 1 37268 1 0 16546 0 0 46362 2 0 36465 0 0 34264 2 0 34264 2	
Ä		0 65944 1 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	
R		3 00531 0 0 34381 1 0 49653 0 0 46159 0 3 39634 0 1 194814 0 0 77188 2 0 280023 0	9
•		58361 3 46921 0 13152 0 1353 0 4692 1 55903 1 35003 0 13308 0	1
=		5 59189 0 0 51681 0 1 85024 3 07247 0 54733 2 0 74808 1 0 74808 1 0 74808 1	
4		4 17241 5 0 56359 0 0 56354 0 0 5074 3 1 6 1735 0 1 31543 0 1 0 1560 0 1 91560 0 1 56603 0 1 56603 0	
2		1 9639 4 1 262 0 3 5208 0 1 4359 0 0 7861 1 0 7861 1 0 1213 0 0 1988 1	4 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
ā		1 27975 2 93488 3 79451 2 62846 0 02297 2 57209 0 61633 1 07408 0 99012 19	NN
3		1 40347 1 1 8035 3 2 84674 2 2 75726 0 6 15324 0 2 1769 1 7 32444 0	945
2		14338 1 149158 100628 0 0.0946 2 12034 0 171548 0 14539 16532 0 103265 7	7.7.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0
2		24 4833 D 0 7408 1 3 2063 2 0 3114 2 7 8241 2 0 5045 2 1 9486 0 0 8575 4	T
Ξ		0.0574 24 0.02063 0 2.02053 0 1.04279 0 4.77449 0 0.05262 0 0.06086 0 0.06086 0	+ 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
ō		1 8094 0 09601 0 09601 1 16242 1 16242 1 16242 1 0 0942 0 0 0942 1 0 0944	- r - r - r - r - r - r - r - r - r - r
•		3 16817 0 26835 0 26835 1 06297 1 56436 0 154192 0 154192 0 154192 0 154192 0 154192 0 154192 0 154193 0 15643 0 15643 0 15643	
•		5 08459 3 3 44082 0 0 33482 1 1 3101 2 1 98584 1 0 64584 1 0 64586 0 1 80896 0 3 23852 0	
		2 02527 5 2 26523 0 0 6236 3 0 77635 0 0 77635 0 0 77635 1 0 12096 0 0 05033 1 0 41204 3	20 20 20 20 20 20 20 20 20 20 20 20 20 2
•		120064 2 17361 2 0 7346 0 0 5938 0 0 5913 0 0 5913 0 0 7775 0 1 7762 1 2 5768 0 1 6439 0	
•		0.74235 12 0.43535 12 1.09016 0 1.21272 0 1.83676 0 1.37387 0 0.45018 0 0.45018 2 1.36088 1	2
•	k = 10 obs	0 9093 07 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	
•	1	00000000	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
~ .	62.		00000000000000000000000000000000000000
1	LOGNORIMAL (0 1°2)		- 4
ē	8		

3 84674 2 24579 0 30615 0 78740 1 81532 0 22520 0 87602 0 98507 0 58244 2 08750 0 51505 0 68244 5 0 68250 0 68

0.20420 0.48512 2.10021 2.42300 1.34649 0.24738 0.28740 2.05088 4.97339 1.12170 0.55478 3.81199

0 08370 3 74240 0 26036 2 54760 0 84690 2 21127

0 447**8**4 2 07777 0 42421

1 23660 1 72147

0.10780

1 10986 0 68890 2 76473

4 04855 0 91080 1 81685

0.17851

4 75580 1 93520

0 21310 2 13250

0 30130

0 26011 1 01735 1 44160 0 80030 1 97040 0 89029 0 56030 0 30400

0 19291 1 86045 0 37547 0 45841 1 10082 4 05890 1 93840 0 63910

1.27835 1.43756 4 29985 0.22724 2 84760 0 70990 32 61400 0 48470 0 66230 0 25518 0 90883 1 39576 1.38002 0.58685 3.52731

0.20034 0.42390

4 62643 0 71636 0 14336 1 96475

8 34814 O 74887

12

221

OBJECTIVE # 3 Lognormal (0 1\*2)

False alarm in X? (Y=1#H=0) False alarm in MR? (Y=1#H=0)

False alarm is X7 (Y=184-0) False alarm in MR? (Y=1A4-0)

False alarm in MR? (Y=184-0)

Faibe alarm in X7 (Y=1/H=0) Faibe alarm in MR7 (Y=1/H=0)

Sub-lotal X control charts with at least one false aterm k 1 = Sub-total MR control charts with at least one false aterm k 1 =

Sub-total MR control charts with at least one false alarm k 1 =

Sub-lotal X control charts with at least one false alarm k 10 = Sub-lotal MR control charts with at least one false alarm k 10 =

Bub-total X control charts with at least one falce alarm k 10 <

k = 10 abs

0 30000 1 18150

0 74230 3 45330

1 14430 2 67576 0 33234 0 61300

2 52000 0 83320

0.86250

5 61520

0 96600 2 11100

1 08479 0 20246 2 48753 4 08795

0 44349 5 19462 2 66579 0 31873

0.34997 1 29578

0 77978 0 69604 0 08042

1 70084 3 80530 0 36355 1 78198

1 01865 0 33277 1 41526

0 82175 0 50895

0 70908

1 28790 3 07858 0 80430 3 21995

0 54569 0 44876

1 80100

1 2	3			•	•	1		•	10	11	12	13	14	15	14	17	10	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34
Lognormal (0, 1*2)		- 10 ob	•	:	hall 1 pro	ocess stan	derd devlati	on																									
New observations is =	10	2 4086 3 0598 8 1375 2 2250 3 0861	7 1 2 6 2 7 3 3 3 3 5 3 5 5 5 5 5 5 5 5 5 5 5 5 5	3991 1194 1194 1213 9378 9598 9597 77275 9300 98531 2478 4409 9637 9874 4109 9637 4109 9637 9637 9637 9637 9637 9637 9637 963	4 13659 5 65703 3 70077 3 80190 2 82048 4 36957 4 14104 8 72918 3 36340 2 64152 2 94625 2 94625 4 97290 4 97290 4 50136 4 97290 4 50136 4 4 5472 3 14600 4 2015 5 14800 4 2015 5 14800 5 14800 6 14800	4 1899(3 8471(3 3 0577) 2 9190(3 10 30 057) 2 9190(3 10 30 057) 2 4584(4 800) 2 2553(2 5 251) 18 2374(3 10 14) 3 0141(3 10 2 2 2 3 0 0 0 0 0 2 2 2 2 2 2 2 2 2 2	2 53900 1 2 54846 1 2 4846 1 3 4886 1 3 4886 1 3 33805 1 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3	2 36234 2 284177 5 47775 2 44574 3 84946 2 84047 2 35955 1 2 35955 1 2 3595 1 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3	2 81 205 2 80 305 3 2 581 31 3 2 286 3 77754 2 7881 77 2 49254 5 42590 2 8567 7 2 43206 2 8567 7 2 43206 3 47808 2 52987 2 52987 2 35287 3 25287 2 35287 2 352	8 1900 2 48776 3 09579 3 07131 2 98074 3 63775 4 42928 2 53038 5 40431 2 53038 5 40431 2 55200 2 54520 2 54520 2 54520 2 54520 3 3713 2 44212 2 85588 4 4212 2 85588 5 40833 3 334844 4 12151	2 50735 4 20747 3 93121 2 4248 4 55318 2 92126 3 74510 2 34424 4 02018 2 50729 3 84548 2 50729 3 84548 3 53780 4 50220 2 51252 5 5029 3 03510 3 03510	2 36138 3 46138 9 14223 3 13650 4 05721 2 24048 2 2 88645 2 98533 2 78738 3 14082 3 14082 4 57683 3 14082 4 57683 3 14082 4 51612 2 2766 4 51612 2 27533 2 27533 2 27533 3 33080 4 94819 3 33080 4 94819	2 30801 3 89383 4 84591 2 43502 4 78972 2 85707 2 85662 2 75965 3 301337 3 20200 2 57030 4 00281 3 80172 3 80172 2 86727 2 86877 2 86877 2 86877 2 86877 3 80408	8 18333 4 841631 3 87184 2 61921 2 61921 2 83794 2 90254 3 10197 3 90599 2 56481 2 44894 2 48739 2 48139 2 81172 2 8127 2 71854 3 4516 2 80739 2 80739 2 80739 2 8074 5 97418 5 97418 5 97418 5 97418 5 97418 5 97418	3 43206 2 81518 7 5537 3 70829 7 5537 4 10320 4 10320 4 34044 3 11809 8 83523 2 87423 8 29563 2 56528 8 1338 8 3523 8 12506 8 10750 2 43842 4 38704 2 56551 2 436551 3 5336 2 45551 3 23341 2 80850 3 3 33805	8 00880 2 88130 3 6867 7 15610 2 81730 4 76580 2 22410 2 34560 2 22410 3 28640 4 88640 4 78770 12 73630 8 77700 3 2050 6 54980 2 83550 3 03570 2 87590 7 73758 10 30810 5 38250 3 81750	15 20000 5 30000 2 77300 2 55220 2 45520 2 72200 2 27200 2 27200 2 2750 2 2750	2 48323 4 90110 2 45098 2 57448 2 58203 5 12772 2 35061 4 08528 2 18801 4 52751 3 50399 3 38991 3 15502 2 7890 4 73607 3 72759 3 72759 2 7890 4 73607 3 72759 3 72759	3 20050 2 3440 4 90700 4 90700 20 22340 2 73800 2 98000 2 98000 2 48190 2 6190 2 6190 2 6190 2 6190 2 6190 2 6190 3 7440 3 7440 2 7410 2 7410 3 7440 2 7410 2 7410	3 47349 6 36909 2 97835 2 7308 2 97835 2 97035 2 97035 2 90580 6 3381 4 23788 6 5563 4 13027 4 88922 2 45650 3 18263 3 18263 3 70142 3 70158 3 60335 5 70160 5 7058 2 57342 3 3 6036 8 2 57342 3 3 6036 8 2 57342 3 3 3 6036	2.54800 3.02010 3.02150 3.23300 3.13480 3.08920 2.89160	5 85241 2 99445 2 35934 4 83190 2 23325 5 03634 6 90913 3 89355 4 04481 2 87338 3 89345 7 07725 2 77721 5 05783 5 55752 2 47655 2 47648 4 37770 3 91323 2 70524 4 72448 2 70388 5 72038 5 7203	3 50000 3 00110 5 50310 3 33520 5 14720 3 02140 2 26480 4 07320 3 82230 2 77186 2 92340 3 80610 8 80610 8 80610 2 11800	2 27598 3 13153 4 00398 7 38712 3 87015 2 908407 2 70846 2 75346 2 75358 2 45008 7 01391 4 85530 2 86753 2 2 8683 2 7680 3 17804 2 7533 2 7680 3 17804 2 8022 4 45748 8 45748	3 88990 4 01840 3 15490 2 35440 2 84619 14.29290 3 37520 6 14620 2 40510 3 58090	2 48378 2 48378 2 48733 3 34819 2 79530 2 79750 2 37757 4 84112 2 54286 2 57721 4 77415 2 54286 2 77415 2 1009 8 05092 8 05092 8 05092 8 05092 8 05092 1 4274 2 7894 2 7894 2 7894 2 7894 2 7894 3 7058 3 3 7058 3 3 7058 3 3 7058 3 3 42508	3 18080 3 88510 2 74470 5 58650 3 84240 3 52320 2 240470 2 77800 2 74210 3 57050 7 84810 3 72380 2 74800 2 748	2 72400 2 43300 2 78480 10 71420 2 69660	4 18310 2 21390 3 59120 2 41140 8 12350 5 42970 4 69480 2 82250 4 7490 2 19800 2 19800 2 59830 3 24970 5 74676 3 98120 5 74676 3 98000 2 19800 2 57680 2 38240 2 38240	2 78830 2 75590 3 80740 5 56150 2 45780 5 56150 2 45780 3 28420 3 27520 8 81460 3 58720 2 72050 2 71050 2 7105	3 25660 3 15300 2 80550 2 80550 2 35280 2 31280 2 58170 2 89928 3 85410 3 85410 3 85410 4 86950 4 26950 2 94600 2 94600 4 40570 3 72100 4 46570 3 72100 4 46570 4 46570 4 46570 3 72100 4 46570 3 72100 5 6 6 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7	3 30295 4 50442 6 87046 3 08615 2 70552 2 31713 4 36192 3 91512 3 43733 2 27832 3 91512 3 45733 3 91518 3 32503 3 3694 5 47860 4 50961 2 98139 6 450661 2 98139 6 53054 6 53054	4 68000 4 68000 2 6150 2 6150 5 60520 2 6150 3 00560 3 00560 2 0150 2 0150 3 0550 2 0150 3 0550 2 0150 3 0550 2 0150 3 0550 2 0150 3 0550 2 0150 3 0550 2 0150 3 0550 4 0550 6 1150 3 1550 6 1150 3 1550 6 1150 3 1550 6 1150 3 1550 6 1150 6
Estimator shape parameter				0		1	8 0.94766: 0 (			. 0	0						9			9	1 205204	8			9	0	0		۰	0	0		0
Estimator scale parameter Control chart constant d2 Control shart constant d3 Control shart constant d3 Upper control brail X Lower control brail X Upper control limit MR False alarm in X7 (Y=1R4=0)	2	0 98274 0 99966 4 15420 6 86708 -4.0800	5 1 00 6 0 8 2 3 4 1 2 2 7 -0 2	6348 6908 6314 1812 5382	0 998773 0 988175 4 067849 7.15754 -2 9555	0.99401 4.05297 2.56557 -0.9494	7 0 985614 7 0 997231 5 4.139194 8 7 583400 8 -4 00801	0 618466 1 1.062094 1 0.933061 3 837414 9 3.761929 1 -1 20408 9 3 19751	0 997582 0 987189 4 074323 5 007691 -2 48823	0 900064 0 900017 4 000579 8.455675 -5.50009	0 917173 1 057636 4 453667 21.00014 -12.7789	0 998011 0.998811 4 971825 7.580133 -4.96928	1.019447 0.99014 3.944694 6.854422 -1.56324	1.073748 0.920849 3.543863 4.918062 -1.42918	0.970873 1.010011 4.215254 10.39776 -5.51106	1.941133 9.951404 3.799266 7.545397 -3.69001	1.003843 0.98213 4.039937 5.257387 -2.38445	1.049584 0.944301 3.735569 3.924674 -1.05669	1 030798 0 952508 3 807874 4 308268 -1.82480	1 044344 0 948732 3 774828 3 879815 -2 01488	1.022178 0.000013 3.027328	0.994355 0.999987 4.092194 9.569935 -5,61484	1 063131 0 932063 3 629078 2 889745 -1.03078	1 078265 0.914043 3.50158 2.94644 -0.88089	1.02567 0.984085 3.904683 7.030812 -3.58291	0 97849 1.005008 4 186241 7.213158 -2.97767	1 01021 0 976709 4 001381 7 226618 -3 87678	1 094674 0 890264 3 406262 2 286222 -0.36797	0 912131 1 062259 4 474227 22 78327 -15 6947	1.021705 0 987297 3 930342 8.093676 -2.65469	0 987892 0 995473 4 128203 10 68473 -0.91481	1 03914 0.95305 3.812574 13 03156 -6 39438	0 998014 0 998809 4.071908 10 05528 -5 84981
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OBJECTIVE # 3 LOGNORMAL (0. 142) 0.20420 0.6999 1.10135 0.80387 0.39762 0.44865 0.18705 3 44183 0.78327 0.2779 0.30643 1 79103 1 75794 1 2786 3 50653 0 59257 2 11556 5 12232 1 95778 2 31177 0 27593 3 46593 1 5759 2 89225 0 79005 0 6419 0 6419 0 34115 2 69493 0 54411 0 3415 2 69493 0 65501 0 13625 1 56501 0 13625 0 57441 0 34641 0 35032 1 21776 1 44840 1 1 50501 0 11362 0 57241 0 5450 0 6221 2 53821 0 6221 2 53821 0 52574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 51574 0 5450 0 6221 0 4 50022 2 00973 4 4103 1 70912 1 22157 1 22157 1 22682 0 15784 0 1903 2 54284 0 1903 2 40986 1 04493 2 41537 2 11557 2 11557 2 11557 2 1558 0 99787 0 7595 0 3045 0 3045 0 3069 0 4041 2 95087 0 15087 0 15087 0 15087 0 15087 3 7905 11 1526 3 1403 0 590 2 9588 1 1979 1 9581 0 8193 0 8219 3 0381 0 8219 3 0382 2 8593 0 4095 1 0972 0 3022 2 8578 0 2913 0 5007 0 7086 0 2 313 0 5114 0 2052 0 8355 8 8262 1 1074 0 245 0 3080 0 1080 7 594 0 645 0 1988 0 4082 1 5018 0 4082 1 5018 0 5195 1 2777 1 (748 1 (8918) 1 208 1 308 8 64679
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1 2 OBJECTIVE # 1 Lognormal (0 1*2)	3 4 5	<b>a</b> 7	• •	1 <b>0</b> 15 1.	2 13	14 15	16 17	19 1	9 20	21 22	23 24	25 26	27 28	29 30	31	32 33	34
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Sub-total MR control cheese Mormal layer control first X Mormal Layer control first X Mormal Layer control first X Mormal Layer control first MB False alarm in X 7 (**1-M**) False alarm in X 7 (**1-M**) Table 1 shee alarm in X 7 False alarm in X False alarm in MR (**1-M**) False alarm in MR (**1-M**) False alarm in MR (**1-M**) False alarm in MR (**1-M**) Cotal false alarm in MR Sub-total mormal X control of Sub-total mormal MR control Sub-total mormal MR control	R )) )) -0) -0)	5 13982 -2 42455 4.647428 1 1 1 1 0 0 0 0 0 0	10 16746 -5 7936 9 80636	5 482252 1 -2 48771 1 4 872942 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	-1.87354 4 124914 1 1 1 1 1 1 1 1	149 4.051621 -2.05707 4.121713 1 1 1 0 1 1 242 181	-2 48995 4 88999 1 1 1 1 1 0 0	4.737817 -2 16805 4.242813 1 1 1 0 1	-2.98909	-5 34642	-5.0722	-2 6101	-3.00502	-2.87631	-3.49594	-2 83786	-1.5578	-1.25328	-3 10754	-3.20014	-1,7524	-4 04700	-3.83166	-1 78056	2 4939	-3 92031	-2 82689	-2 80578	-3.24362	-3 #1377	4.748458 -1 89853 4 082575 1 1 1 0 0	-3 0248
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	16 8707	1.08378 1.11699 0.85948 3.31046 06.5425 8.57253 36.173	86.3149 8.80005 34.7218
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41 5114

48 7871

48.7671 30.7052 39.0259 48.0815 45.4983 48.7708

13.3758 35.542 37.8503 8.9188 21.588 48.0559

34.373 44.2584 41.2541 37.7769 42.338 34.2128

46 4556 23 1713 49 0297 30 9395 33 2703 24 6725

41.2541 42.338 48.4558

30 0204 24 5309 54 4884 54 0487 48 4342 36 1016 53 4237

37 9918 42 9783

42 7442 53 3486 82 1529 51 1303 34 3203 30 8384

45 3771

48 0793

42 8495 14 7445 34 3452 35 3123 45 1854 23 399 28 9582 56 9039

56 1159 52 3456 48 7998 30 9281 38 5426 41 105 38 4442 37 8322

40 3998 54 7529 53 9417

28 9149 38 124 40 6249

12

236

OBJECTIVE # 3 Normal (40 10\*2)

k = 10 ob

1 42 0364

46 052 31 9634 45 23 41 8902 31 3381 35 5531

12 0448 11 9784

Sub-total X control charts with at least one false alarm k 1 =

Sub-lotal MR control charts with at least one faire alarm k 10 = Sub-lotal MR control charts with at least one faire alarm k 10 = Sub-lotal MR control charts with at least one faire alarm k 10 = Faire atom in X? (Y=1/H=0)

Sub-total X control charts with at least one false alarm k 10 = Sub-total MR control charts with at least one false alarm k 10 =

False alarm in X? (Y=1AN=0) False alarm in MR? (Y=1AN=0)

Faise alarm in MR? (Y=1/N=0)

33 0230 30 4617

25 649

48 0229 47 791

48 914

37 468 41 4012 40 878 28 2788 24 0086 70 967 25 4258 27 9735 44 0138 40 9525 28 9182 40 363 31 1747 32 9056 36 735

26 8153 24 2501 56 3401 32 7013 52 29 41 1898 46 0046 46 3633 56 9533

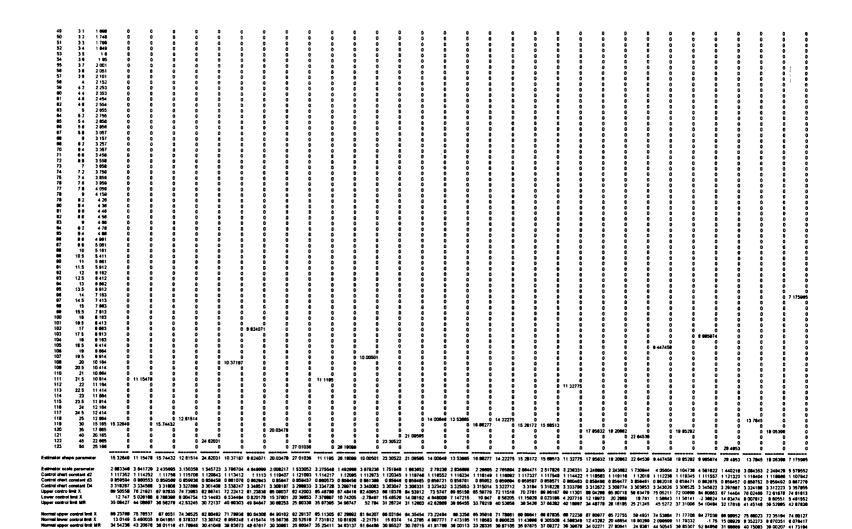
28 9182 32 9058 45 9337 40 363 36 735 33 6115

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7029 54 9591 44 5994 42 754 52 9055 43 9047 43 9498 44 5573 33 9016 56 95549 56 95549 57 84993 48 3078 49 29451 50 7294 65 2495 57 7594 58 7555 57 7294	44 7411 51 8367 48 8169 28 302 52 8841 52 8856 45 8556 44 8072 28 5587 62 3865 52 9178 50 9805 37 5776 47 8314 39 283 84 08 41 5138 56 2418 38 1902 56 9668 44 4308 44 4308 44 4308 44 2186 49 2183	23 5147 543 2996 68 4807 58 212 72 317B 38 4036 57 2023 60 3945 48 572 48 745 48 745 74 74 745 74 74 74 745 74 74 74 74 74 74 74 74 74 74 74 74 74 7	53 1993 36 977 6955 51 2295 59 118 56 978 59 118 56 978 30 252 80 1734 42 1131 43 161 30 744 42 194 47 5721 53 3578 42 1558 54 9708 46 8495 52 36708 46 8495 52 36708 46 8495 47 1693 47 1693	39 5901 84 9375 44 6175 45 9805 55 2090 55 2090 51 8237 52 0419 41 9138 34 3451 50 1822 248 9703 47 6829 48 9703 49 4814 49 4914 49 3783 55 3783 55 3783 64 3978 64 3978 64 3978 64 3978 64 3978 65 3783 64 3978 65 3783 64 3978 64 39	32 5259 48 1831 59.3418 40 9025 50 232 43 9002 38 0502 68 9272 53 5265 57 0132 71 0572 54 6003 54 5024 54 8008 40 5963	20 0176 53 2417 41 1515 49 537 41 1515 49 537 50 4003 42 2780 61 4155 61 4053 63 6400 57 0852 67 086 51 4637 61 5703 56 3456 51 9157 46 4482 46 6176 56 9046 46 6176 56 9046 47 084 61 764 61 765 61 9046 61 765 61 9046 61 765 61 9046 61 765 61 9046 61 765 61 9046 61 765 61 9046 61 765 61 9046 61 765 61 9046 61	60.4603 48.378 50.0566 72.173 31.241 35.9511 31.8243 41.3415 57.5056 34.8275 53.5518 50.9381 57.6468 43.6883 33.2819 65.7822 34.3683 41.274 54.0883 33.2819 65.7823 41.274 54.0883 34.275 55.7823 34.275 54.2843 41.274 54.0883 34.275 54.2843 41.274 54.0883 34.275 54.2843 41.274 54.0883 38.4844 38.4843 38.4844	36 7619 41 8286 39 2781 44 6869 41 0193 42 8097 45 6456 83 5098 45 456 83 5098 43 7317 83 6608 52 66121 43 7317 83 6608 52 6125	60 8694 43 9145 41 7903 44 1144 57 289 75 6967 56 9025 52 2873 40 9245 52 0513 58 3631 53 1638 56 1439 29 6705 50 7213 63 7561 54 79677	88 4175 87 8239 39 5641 41 8239 39 5641 41 82352 55 6074 43 3778 49 6049 51 9695 30 3895 51 9695 30 3895 547 5655 38 1011 54 8364 46 1295 42 4434 61 295 42 4434 41 3772 42 4434 41 3772 43 9712 54 8712 54 8712 54 8712 54 8712 55 8712 56 8712 57 872 57 872	53 2917 45 3957 55 8094 53 7862 49 8422 49 4582 49 4582 49 4582 42 4413 72 1296 44 6396 52 9132 56 3283 50 5286 47 5072 55 1795 57 1396 44 9621 45 9621 45 9621 46 9621 46 9621 47 9621 48 9621 49 9621 49 9621 49 9621 40 962	54 7817 42 4851 58 8051 59 5082 60 0344 51 5677 43 2074 34 1054 48 1054 48 1313 48 2276 52 8560 47 5616 55 2655 44 7037 48 7037 48 7037	50 3341 51 3524 48 7521 30 1429 48 442 58 0243 58 0243 53 8032 56 804 50 9132 59 9129 50 1103 49 8778 68 535 62 5466 41 4691 33 8672 53 2364 41 9398 41 9398 41 9398 41 9398 51 7673 61 3575 68 4817	48 5238 48 5168 57 6728 53 6962 46 3675 37 0045 37 0045 35 284 56 1811 64 6295 45 30847 38 8634 56 1719 56 7781 59 0086 44 7734 84 7734 86 781 96 781 97 781 98	40 1930 48 753 97 548 68 7758 47 9829 45 5028 52 1257 67 9474 53 1844 43 6657 95 122 40 875 49 1965 43 9942 53 3287 54 1978 54 1978 54 1978 55 329 56 1929 56 241 14 1978 56 241 17 198 57 198	55 2832 56 0878 40 5418 40 118 55 1578 55 1503 31 3055 55 1001 33 0802 21 6031 33 0802 45 1088 81 141 63 0013 46 7844 32 6277 43 0254 50 828 57 1028 33 4082 34 4083 34 4083	57 6572 18 6951 50 9031 42 6047 44 36053 42 856 68 4071 54 2785 42 856 68 4071 59 3748 51 30059 33 1204 46 9500 40 3254 44 8500 40 3254 45 9500 46 9500 47 9500 48 9500 95 9500 9500	42 1902 42 7851 54 7221 52 281 50 2325 50 8347 46 1866 59 8107 51,552 35 4598 32 335 34 2493 34 2493 35 4712 39 8242 53 3815 44 0197 52 750 44 0197 52 850 44 0197 52 850 45 18 18 18 18 18 18 18 18	47 6992 48 2192 61 4892 61 4892 61 1898 22 1941 28 93 41 0433 51 695 63 4045 69 4415 49 9502 63 0099 08 6902 63 0099 08 9097 47 4154 32 4271 35 3125 29 884 40 0939 47 2444 52 4897 47 0137 48 4818 59 2004 44 6283 55 3135 55 3137	48 0003 48 0003 90 5802 94 1115 43 8046 53 1807 67 7233 44 5114 55 1475 56 1475 56 1276 57 723 58 7277 72 8847 72 77 72 8847 72 77 72 8847 72 77 72 8847 72 77 72 8847 73 74 74 74 75 74 75 74 75 7	45.591 44.8099 41.7709 71.3511 49.0774 54.0756 51.1853 31.8023 47.8268 59.8741 51.848 45.824 55.846 46.3612 41.2765 50.073 45.073 45.073 45.073 47.07	34 648 47 1831 74 7788 33 5996 31 9124 46 8916 52 6833 46 8312 48 2282 33 0549 52 4465 49 3525 69 3525 49 0347 37 1143 71 198 49 0347 47 1739 45 3102 48 9015 53 3547 44 3091 54 3132 44 3132 44 3132 44 3132 44 3132 44 3132	51 0645 43 1655 43 1766 33 8733 42 1999 41 3326 44 8618 40 8654 52 2491 40 4364 56 2382 39 2402 53 3553 59 5741 45 652 50 1834 51 7887 52 11965 51 4687 51 1497 52 11965 43 43 43 43 43 43 43 43 43 43 43 43 43 4	50 (807 ) 50 (807 ) 73 7747  82 4033  90 (1575 ) 60 (15
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Bå-hatel MR control charts Narmal layer control fem 2. Narmal layer control fem 3. Narmal layer control fem 3. Narmal layer control fem 4. False sterm in X? (**-16*+ False sterm in X? (**-16*+ Total false sterm in XR? (**-16*+ False sterm in MR? (**-16*+ False sterm in MR? (**-16*+ Total false sterm in MR? Sah-latel X control charts v Sah-latel MR control charts Sah-latel MR control charts	with :  K ( MR () () () () () () () () () () () () ()	It least or 77 0102 -4 2127 48 9021	e false als 9 73 7193 1 2.63023 1 43 6750 3 3 5 6 6 7 8 9 9 9 9 9 9 9 9 9 9 9 9 9	m k 30 = 8	70 9133 75 11 6740 52 36 3657 1 0 0 0 1 1 1 0 0 0	8.468355	19 78685	1.854521	18.83537	11 4847	8.800053	8 949322	-1.46044	15.95504	10.08426	-1 18158	12 58660	30.10512	14 54721	-5 63251	4.255373	12 03902	-5 92397	-18 0864	11 0617	13 63856	18 5436	13 54555	17 20875	7 893368	71 70063 1 042106 43 45202 0 0 0 0 0 0	-0 36472
Faise alarm in X7 (Y=1/him Faise planm in MR7 (Y=1/him Sub-total X coeffed charts v Sub-total MR coeffed charts Faise alarm in X7 (Y=1/him Faise alarm in MR7 (Y=1/him Sub-total X control charts Sub-total MR7 control charts	H=(I) with at s with : -(I) H=(I) with at	at least or	faise siarn se faise ale D Taise alern	m k 1 = 0 0 n k 1 =	;	13			0 0 1	0	0 0 0	9 0 0	0 0		0	0 0 0	0 0 8	0 0 0	0	0	0	0 0 0	0	0	0	0	0	0 0 0	0	. 0	0 0 0	0
False alarm in X? (Y=18)- False alarm in MR? (Y=18)- Sub-total X corrior charts: Sub-total MR corrior charts: Sub-total MR corrior charts: False alarm in MR? (Y=18)- False plarm in MR? (Y=18)- Sub-total X control charts: Sub-total X control charts Sub-total MR control charts	N=0) with at a with -0) N=0) with at	at least o	false plant to false ala D D Dalse alant	rm k 10 = 0 0 n k 10 =	;	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0		0	0	1 0	1 0	0	0	;	1 1	0 0 0	1 0	;	0	0	0	0	0	0	0	0	0 1	1 0	. 0	1	0	0 0

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OBJECTIVE # 3																																
tormai (40, 10°2)	k.	= 10 obs		Shift 2 pro	cess stand	lard deviatio	wn.																									
few observations k =	10	54 1022	76 3656 53 9766 65 5383 57 672	56 5403 40 879 57 8574 87 378 61 5254 88 4863 44 1806 93 5784 89 879 60 8755 60 489 879 50 875 50 90 90 875 50 90 90 90 90 90 90 90 90 90 90 90 90 90	77 0443 43 848 77 190 57 1807 30 1823 81 8707 84 3483 57 2094 74 0719 81 1849 83 1849 83 1716 43 3234 43 3232 63 71716 84 4897 72 1503 85 74 0719 72 5475 57 4055 75 9237 76 0237 76 0237	50 112 56 3885 64 4504 54 6824 56 8186 50 632 70 9348 54 9042 71 9423 73 2069 64 2542	48 092 93 814 47 9443 57 0802 55 4802 60 0777 78 6505 81 842 80 0577 85 000 71 4246 55 232 43 944 72 2729 61 2379 43 7495 55 457 76 7724 55 7795 68 3006 78 3708	61 9341 99:3079 52 9457 89:4106 88:8418 73:4234 61:1016 50:4819 39:9092 61:9092 44:3628	65 1474 50 78 56 1883 31 8155 59 3755 75 2837 54 9369 52 8832 61 9008 83 4278 51 7505 57 7318 75 560 33 7998 51 5501 40 447 47 8529 43 9785 50 2577 61 5373 54 6514	64 9214 80 409 81 2293 63 1872 60 0192 33 1375 55 5906 48 2777 57 615 53 17136 46 1573 62 9881 53 276 63 5151 36 1831 64 55151 36 1831 64 56151 36 1831 67 1534 57 1617 53 1279 53 1279 53 1279	71 2779 53 420 67 0002 64 2195 61 9395 56 9282 50 2802 50 2802 71 9811 23 1948 90 977 31 9515 70 524 90 9844 90 9874 61 4679 45 6048 45 644 45 644 45 644 47 82 41 904	54 9761 43 9696 57 295 9896 57 295 9896 57 197 73 2766 74 4198 95 9653 75 4896 48 125 95 9653 75 4896 48 125 96 973 97 196 98 973 98 973 98 973 98 973 98 973 98 973 98 973 98 973 98 973	74 1456 76 770 8956 61 8553 45 9986 82 898 71 1997 57 297 59 2988 83 3856 61 33884 80 529 61 7787 52 25 57 3086 88 8355 60 8097 48 4384 78 53844 80 529 61 7787 62 557 3086 81 558 569 61 753 569 61 753 569 61 753 569 61 753 569 61 753 569 61 753 569 61 753 569 61 753 569 61 753 569	58 4805 69 5107 73 5964 42 9888 76 5721 71 8038	87 8418 57 0157 58 7057 58 39781 58 8772 74 4954 48 028 53 3011 83 2534 81 0407 71 4419 83 9224 64 801 84 4378 47 3643 81 5428 48 208	64 2794 51 4283 58 2111 76 2342 52 2487 76 4741 76 4741 76 5547 40 9722 76 2762 99 8076 56 5547 40 9722 99 8076 56 5547 40 9722 99 8076 56 429 61 3114 56 5547 47 7029 64 1272 76 6556 77 6556 77 6556 77 70 1111	65 5292 60 9605 7 6011 77 6426 57 7026 57 7026 57 7026 57 7026 57 7052 56 2442 56 8145 64 8773 56 1815 65 988 70 5181 70 3326 70 70 3326 63 7201 56 270 56 2007 50 2007 50 2007 50 200	57 1272 85 9027 52 9434 84 1835 59 8846 68 1201 57 4227 67 3982 82 958 55 7039 52 3172 84 1298 57 75884 80.577 84 102 71 1887 64 3185 70 837 84 102 71 1887 64 3185 70 837 84 102 87 422 87 423 87 423	68:0763 70:271 69:5563 49:1748 45:844 54:2802 76:7012 35:0780 56:3473 47:384 51:486 52:0187 47:4881 52:0187 47:4881 52:0187 47:4881 53:0187 47:4881 53:0187 47:4881 53:0187 47:4881 53:0187 54:0187 55:0187 56:0187 57	62 6134 71 0778 66 8029 66 8029 66 8029 66 8029 82 406 82 406 82 406 62 9019 56 6333 70 1567 73 4262 67 847 55 44082 52 4318 45 830 60 2651 51 272 64 84517 71 277 71 277	92 041a 87 198 177 7301 77 7301 77 7301 77 7301 78 376 91 1851 54 1304 60 8294 67 7321 52 2039 52 2039 52 2039 62 30341 67 22 80 7188 52 2037 40 2506 63 0356 44 4891 71 3629 59 8448 75 8178 53 8161 50 8603	77.035 75.7403 54.5015 54.5015 54.5016 75.6000 69.0272 46.2200 50.0182 52.0547 52.006 58.7732 81.2758 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851 58.041 70.4851	46 3122 53 8653 43 5527 71 0949 57 148 67 038 69 9861 72 0401 69 9821 72 0401 69 9827 50 376 58 2908 58 8522 64 7478 63 4547 57 5965 64 4773 64 778 64 778 64 778 65 1316 64 778 64 778 64 778 65 1316 65 1316 65 1316 67 1316	72 2058 80 5841 45 5977 84 974 44 0533 73 7054 55 5598 81 5772 64 7325 64 7325 64 7325 64 7325 64 7325 64 7408 64 4708 65 6984 64 4708 65 7808 62 9657 64 5823 62 9457 64 4184 74 4144 74 4144	89 9715	81 B1 B6 35,833 55 7878 64 8848 65 6006 46 7753 51 458 57 8079 55 7594 42 8574 56 7008 63 0619 38 554 51 9447 39 7428 68 8628 53 4539 48 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Sub-state MR control charts Normal loyer control line 2 Normal loyer control line 2 Normal loyer control line 2 Normal loyer control line 1 False alarm in X7 (**1 Rhef- False alarm in X7 (**1 Rhef- False alarm in X7 (**1 Rhef- Total false starm in MR 7 (**1 Rhef- False alarm in MR 7 (**1 Rhef- False alarm in MR 7 (**1 Rhef- Total false starm in MR Sub-total normal X control Sub-total normal X control	with a ( MR (0) (0) (0) (-0) (-0) (-0)	l least one 69 23/68 13 0149 34 54238 0 0 0 0 0 0 0 0	felse alam 75 78537 5 460035 43 20676 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	n k 30 = 67 e551   9.041851   36.01118   0   1   1   1   1   1   1   1   1   1	6.376337 41.76948 0 0 0 0 0 1 0 0 1	13.30742	6 956246	1.415474	15.56736		7.731812		-2.21751	15.6374	14.2765	4 997771	7.473195	11 18563	8.890625	69 99641 11.43898 35 97475 0 0 0 0 0	0.305500	4.598349	12 43262	20 46854	18 90289		11 79332	-1.75	15 08926	75.88023 B 352273 40.75083 0 0 0 0 0 0	8 870351	
False alarm in X? (Y=1A9- False alarm in MR? (Y=1A- Sub-total X control charts v Sub-total MR control charts False alarm in MR? (Y=1A9- False alarm in MR? (Y=1A- Sub-total MR control chart Sub-total MR control chart		i least on 0 0 east one i	falog alen ( ) Disc alem	mk1 = ) 0 ) 0 k1 =	9	0 4 0 0 0		Ō	0	9	0	0	0	0 0 0	0	0	6 6 0	0	0	0	0 0 0	0	0	0	0	0 0 0	0 0 1	0	0	0	0	0
False alarm in X7 (Y=1R)- False alarm in MR7 (Y=1R)- Sub-total X control charts v Sub-total MR control charts False alarm in X7 (Y=1R)- False alarm in MR7 (Y=1R)- Sub-total X control charts Sub-total MR cartrol chart	N=0) with at i s with a =0) N=0) with at	t least on 0 0 least one l	talee star ( (siee starm	m k 10 - 0 0 k 10 -	0 1	0 9 15 26 0 0			, o	9	0	0	0	0 0 0	0	0	0 0 0	0	0	9 0	0 0 0	0	0	0	0	0	0 0 1	0	0	0 0 0	1 0	0

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OBJECTIVE # 3 Normal (40, 10*2)	k • 30 obs Swift 1	process standard deve	·																	
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Mormal upper control limit X Mormal librer control limit X Mormal librer control limit X False sterm in X 7 (**) # Mormal librer in M M 7 (**) # Mormal librer in	13.0140 5.480035 8.041 8 34.54230 43.20976 30.01 0) 0 0 0) 1 0 1 0 1 0 1 0 1 0 1 0	551 74 36525 62 804 651 8.378337 13 307 116 41 76946 30 410 0 0 0 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 0	42 8.050248 1.4154	74 15.56736 20.525	8 7.731812 1	10.91929 -2.21751	15.6374 14	.2765 4.987771	7 473195 11 1	5563 8.890625	11 43698 9.3055	08 4.598349 1	2 43282 20 4685	18 90266 2.0	99899 11 79332	-1 75	nd 98952 75 15 08929 8:3 31 88809 40 1 0 0 1 0 0	52273 8.87	0351 8 078	M17
Sub-total MR control charts False alarm in X7 (Y=1#N=0 False alarm in MR7 (Y=1#N Sub-total X control charts w	i=0) Q Q ofth at least one false elerm it 1 = s with at least one false elerm it 1 = 0) Q Q	1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0		0 0 1 0 1 0 1	0 0 0 0	0 0 0 0	0	0 0	0 0	0 0	0 0	0 0 0 0	0 0	0 0 0 0	0 0 0 0	0	0	0 0 0	0	0
Sub-total MR control charts False plants in X7 (Y=1A)=6 False alarm in MR? (Y=1A) Sub-total X control charts w	I=0) 1 0 with at least one false starm k 10 = s with at least one false starm k 10 0) 0 0	• =	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	1 0	0 0	1 0	0	1 0 0	0	0 0	1 0	0 1	0 0	0 0	1 0	0 0 1	0 0 0	0

i 2 OBJECTIVE #3	3		•	,	•	•	10	11	12	13	14	15	18	17	10	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34
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86 7404 86 7404 86 7404 87 7405	67 7439 70 897 61 1812 61 4543 65 2833 62 9546 69 3949 75 315 59 8169 70 7108 86 8066 72 7091 56 0223 50 4591 73 7694 61 8341 80 3079 56 408 81 8341 82 3079 56 408 81 8341 82 3079 56 408 81 8341 82 3079 56 408 81 8341 82 3079 57 408 81 8341 82 3079 57 408 81 841 81 8341 82 408 81 841 81 8341 81 8341 81 8341 81 8341 82 8481 83 8488 8488 85 4888 85 4	95 1474 50 199 50 1993 61 8159 59 3755 75 2837 54 8989 82 4932 81 9008 83 4294 75 4278 51 7505 51 7505 51 7505 51 7506 61 9501 40 6474 70 951 40 7629 43 9785 56 7788	64 9214 80 406 81 2293 83 1677 89 0192 33 1327 55 5666 48 2277 57 0154 53 7136 48 1573 56 1274 62 9281 53 0055 53 275 53 275 56 1873 67 1355 61 1875 67 1535 67 1536 67 1536 67 1536 67 1536 67 1536	63 8515 70 5249 68 8964 39.448 48 5924 58 0284 60 6774 81 4979 45 7209 38 812 46 7074 45 8448 47 82 41,955 70 9864	54 9781 63 6699 58 6698 58 6698 57 2954 98 1355 59 1197 73 2784 63 2897 63 5697 63 5698 63 4908 44 3225 65 9258 53 1108 94 9149 72 4154 96 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4801 77 3672 85 2037 40 2586 42 4801 77 3672 85 2037 86 2038 86 8448 87 56 2038 86 8448 87 56 2038 86 8448 87 56 2038 87 88 2038 88	70 348 77 035 75 7403 75 7403 54 5015 41 6193 75 8008 80 9272 46 2286 52 0547 52 006 58 7732 81 2758 70 465 71 0003 86 7024 45 314 58 8725	58 8522 84 7478 62 2362 55 4588 63 4457 57 9053 47 7436 57 5865 56 0778 84 4158 84 728 52 9011 59 1316 62 1027 57 1106	95 1023 72 2058 80 5941 45 5977 84 874 48 0533 73 7054 54 5598 81 5772 84 7325 43 1772 43 1772 43 1772 43 1772 43 1772 43 1772 43 1772 43 1772 43 1772 44 1782 45 1575 67 1782 67 1782	74 855 50 3693 50 3693 50 5769 81 898 65 9569 61 0756 62 9633 56 6197 74 553 61 907 74 553 61 907 74 553 61 907 74 553 61 907 74 553 61 907 74 553 61 907 74 553 74 7154 64 7614 86 0963 53 5318 47 1827 56 7448 86 344 73 443 73 443	51 5717 61 6186 35 933 95 7876 64 8448 65 8008 48 7753 51 458 55 7594 42 6174 56 7086 57 2555 67 8793 93 5444 85 593 61 9447 10 7428 48 1037 48 1037 48 2137 61 9318 52 6356 70 3618 63 182 63 183	99 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Sub-cotal MR costroi charts. Normal layer control first X. Normal lower control first X. Normal lower control first X. Normal layer control first M. False allerm in X.? (**1-16*4- False allerm in X.? (**1-16*4- False allerm in X.? (**1-16*4- Total falses elemen in X. False allerm in MR? (**1-16*4- False allerm in MR? (**1-16*4- False allerm in MR? (**1-16*4- Total falses allerm in MR? C**1-16*4- Sub-cotal normal X. control of Sub-cotal normal X. control of Sub-cotal normal MR control	69:2376 13:014 18:34:5423 3) 3) 3) 1-0) 1-0) 1-0) 1-onarts with at in	8 75 78537 8 5 480035 8 43 20876 0 1 1 1 0 0 0 0 0 0 0 0 0 0 0 0	87 8551 8 941651 1 38 91116 1 1 1 1 1 1 1 1 1 0 0 0 0 0 0 0	0.378337 41.76946 1 0 1 1 1 0 0 0	13 30742	6 959246 39 83673 1 1 1 0 0 0	1 415474 48 67617 0 0 0 0 0	15 56736	20 52519	7 731812	10.91929	-2.21751	15.6374	14 2765	4.997771	7 473195	11 19563	6 800625	11 43898	8 305508	4 598349	12 43282	20 48854	18 90266	2 000000	11 79332	-1 75	15 08928	9 352273	72 35194 8 870351 30 00207 1 1 0 1 0 0	6 076417
False slarm in X7 (Y=1/N=C False slarm in MR? (Y=1/N= Sub-total X control charts in Sub-total MR control charts False slarm in X7 (Y=1/N=C False slarm in MR? (Y=1/N= Sub-total MR control charts in Sub-total MR control charts	i=0) with at least one with at least o 0) i=0; with at least o with at least o o	ne felse sier 0 0 i 1 felse sierm	mk!= } ( k!=	0 0 0 0	42 42 34 0 0 43			;	1 0 1 0	0	;	0 0	1	1 8 1 0	0 0 0	0	1	0	0	0	0	0	0	;	0	0	0	9	0 0	0	0 0 0
False allows in X? (Y=1,964 False allows in MR? (Y=1,00 Sub-total X control charts or Sub-total MR control charts False allows in MR? (Y=1,04 False allows in MR? (Y=1,04 Sub-total X control charts v Sub-total MR control charts	HO) with at least one a with at least o  O) HO) with at least o  with at least one	no false ate: 0 0 : I false alerni	m k (0 = 1 1 0 ( 1 k 10 =		100 54 54 100 100		0 0	1	;	1 0	;	0 0 0	1 0	1 0	1 0	1	1	1	1	1 0	1 0	1 0 1 0	;	;	0	1 0	0	1 0 1 0	0	1 0	1

OBJECTIVE # 3	,	•	•	•	,	•	•	10	"	12	13	14	18		"	**	19	20	21	22	В	4			21			<b>3</b> 0	31	32	33	-
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Estimator sibape paramete Estimator scale paramete Estimator scale paramete Conferia dinari constant d Conferia dinari constant d Leper contro sim X Lever control sim X Lever control sim X Faiba damm in X I Y 1 - 10-10 Faiba damm in X I Y 1 - 10-10 Faiba damm in MR Y 1 Y - 10 Faiba damm in MR Y 1 Y - 10 Faiba	0) 00) 00) N=0) N=0)	2 291936 1 11936 0 85946 3 311197 70 4423 14 51190 34 53472 6 6 6 6 6 6	0 2 429764 1 1 117907 1 1 117907 1 1 117907 1 0 059536 1 3 316317 9 1 0 531179 1 3 7 40459 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	0 3.877117 1 114180 0 800588 3.34855 72.35578 13.65014 34.35501 0 0 0 0 0	0 2.807195 1.118541 0.859723 3.323488 66.93452 11.80991	4 342817 1 111754 0 862477 3 344984 75 80092 3 583104	3 286178 1 115085 0 860188 3.3308 72 54837 8.038441	0 3 861517 1 113601 0 900947 3 33744 77 05109 4.334438	0 3 074837 1 115612 0 050004 3 327100 73.43056 6 230684	0 2.711953 1.11009 0.055644 3.321164 05.02369 14.72783	0 2.562255 1.11724 0.859808 3.319858 69.81103 7.814082	2 329088 1 118327 0.859509 3.314058 65.73514 14.67008	0 4 038741 1 112394 0.861878 3.342418 68.8949 8.288345	0 1 956833 1 119802 0 959464 3 306023 65 99539 18 20188	2.453081 1.117908 0.859538 3.316311 73.10656 7.267437	2.782081 1.11747 0.85958 3.318642 73.48 12.87971	17 49334 0 2.282253 f 118427 0.859633 3.313518 60 11384 118.73457 30 05824 0 0 0 0 0 0	0 2 429987 1 118238 0.856514 3 314533 72 00292 10 84469	0 2 129671 1 119028 0.859479 3.310254 65.76019 15.0482	0 2.500500 1.117275 0.850003 3.310072 00.26400 0.700075	3.96792 1.112981 0.661393 3.34005 74.6377 4.811441	3.497251 1.114027 0.860681 3.335573 74.11008 2.369765	2.653185 1.117364 0.859582 3.318201 75.45458 8.892834	0 2 82618 1.116551 0.856722 3 32344 72 98724 6 169316	2.276129 1.118243 0.859514 3.314512 68.69442 9.14273	3.49992 1.114182 0.880592 3.334882 70.7775 8.788495	0 2 11608 1 119413 0 85947 3 308153 71 93262 12 93558	3.576689 1.114208 0.660578 3.334775 71.55606 7.812685	0 2 648003 1 117706 0 659555 3 317389 76.16904 8.482671	0 2 845481 1 110615 0 858709 3 323108 73 94654 6 312569	0 2 650097 1 117527 0 859574 3 318342 72 17727 10 74498	0 3 409473 1 114988 0 860206 3 331261 74 62919 8 642995
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1 73419 2 18751 2 49562 1 96945 0 49531 0.4102

0 55108 0 37558 0 97739 1 73514

0 07027 0 34116

0 09479 0 164

0 55378 2 04088 1 70877

3 05417 0 56758

0 13247

0 37078

1 02318 1 22234 1 03824 1 20815 0 20903 0 14168 0 82316 0 3406 1 00208 2 3067 1 18295 0 20815 2 83369 0 10672 0 00162 0 30649 0 20706 0 647 1 75471 0 05707

1.28457 0 12317 0 88522 0 07169 1.8444 0 73046

0.45484

0.497 0.60589 2.8554

0.96476

0 61225 0 1957 3.3032

2 80306

0 54793 1.01779 3 0346 0 4563

2 9382

0.2006

0 1000

1 1213

7 0.64418 0.03678 0.29857 2 1.19848 0.75251 0.24039 5 0.44465 1.0998 0.53324 0.11105 0.78448 0.26207

1.0898 0.78448 1.34983 0.08808 0.4278

0 07377

0 21832

0 31057 0 26715 2 05041

1 36296 0 38328 2 71938

2 88051

1.462

0 53931 0 53475 1.03487 0 13082 1.427 0 19797

1 0.36216 1.17518 0.00573 1 3.97461 0.96751 0.218 1 0.6649 0.3091 0.50461 0.52925 0.63618 0.04858

0 45378

0 62744 0 09032

2 10041 2 26706

0 50461 0 04858 0 70854

0 12838 0 08222 0 00108 0 35401 0 48038 0 18508

1.29999 0 64492 0 09696 1 94064

0.4080

0 48831 0 18556 0 72621 2 55669 0 26335

1 40150

0 81835

11 12 13

0 00332 1 48244 0 13105 1 76437 0 05297 0 2273

1 28282 3 95277 1 82782 1 0337

0.20723 0.22326

0 05831 0 15644 0 75967 0 4135 0 19495 0 13086 0 43585 0 58875 0 17456 1 06097 0 01753 1 15771

0.53029

1 57542 1 25501 1 16075

OBJECTIVE # 3 Fenomential (Masses )

k = 10 obs

0 03662 0 27508 0 17009 3 11145

0 83065 0 1482 0 29203 0.0851 0.33018

2 73362 0 79368 0 52598 0 19858 1 75038 0 23607 1 09337 2 47018

0.05858 0.03010 2 79031

False starm in MR? (Y=1/H=0) 0 0

Total false alarm in MR 0 1

Sub-total X control charts with at least one false alarm is 30 =

Sub-total X control charts with at least one false starm k 1 = Sub-total MR control charts with at least one false starm k f = False atom in X7 (Y=1/N=0) 0 0

Sub-total MR control charts with at least one false alarm k 1 =

False alarm in MRT ("V=18+0)

Sub-total X control charts with at least one false alarm is 10 = Sub-total MR control charts with at least one false alarm is 10 = False alarm is X7 (V=18+0)

0 0

False alarm is MR7 (Y=18+0)

0 0 Sub-total X control charte with at least one false alarm k 10 =

False alarm in X7 (Y=1/N=0) False alorm in MR? (Y=1A4-6)

Entre places in MR2 (Yat Mark)

False starm in X7 (Y=184-0) False starm in MR7 (Y=184-0)

1 11715 1 07096 0 76151 0 9956 0 82726 0 39328 0 66691 0 25825 0 78378 2 02404 1 37827 0 94374 0 29826 0 13512 0 43585 1 06097 0 1285

0 5208 1 09754 1 02382 1 43057

3 97825

0 2983 4 12306

1 85724 1 41235

1 2 OBJECTIVE # 3	3	•	•	•	,	•	•	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	м
Exponential (Mean=1)	k•	10 abe		Shall Ipn	ocess stand	lard develo	n																									
More observations is =	10 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	48658 50225 20152 00000 2 518 30557 25107 64730 01714 18612 78375	1 37803 1 99219 1 03138 1 98573 1 36456 2 12163 2 52646 1 47983 1 14783 1 14781 1 17201 3 25756 1 17201 1 7471 1 7	3 25484 2 09118 1 01307 1 0922 2 35837 2 84585 1 32402 2 80578 3 80357 1 0903 1 36501 2 37084 1 46701 2 72482 1 10375 2 11022 2 11022 2 11022 1 85375 2 92674 4 85927 1 15543 1 1557 1 1	1 39903 2 2027 1 69387 1 69387 1 36291 1 13902 1 52988 1 7455 3 0 1997 2 2 22983 2 7 2998 2 7 2998 1 1 24597 1 1 24597 1 1 2592 1 1 2592 1 1 2592 2 3 0 1997 2 3 0 1997 2 3 0 1997 3 1 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	1 40266 1 87024 2 43396 1 61374 1 15557 1 69347 2 84159 2 158163 1 12389 1 40396 3 32128 1 18303 3 9222 1 11162 1 19002 1 19002 1 19002 1 19002 1 19002 1 19004 1 15444 1 72231 1 1605 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	5 9705 1 2 4485 1 1 28500 2 23114 1 35123 1 14404 1 14404 2 10058 2 10058 2 10058 2 5208 1 41562 1 72945 1 01567 1 43558 2 5008 1 01567 1 43558 1 43558 1 15278 1 152788 1 15278 1 15278 1 15278 1 15278 1 15278 1 15278 1 15278 1 152788 1 15278 1 15	1 37042	1 51374 1 295947 1 819247 1 817 4 70181 1 23582 3.3306 2 02596 1 2274 1 81038 1 18055 1 14835 2 80096 1 40318 1 14835 2 80096 1 2874 1 14836 1	2 79035 3 56597 2 91019 2 50747 1 04106 1 42775 2 15100 2 03444 1 07318 2 1256	1 31201 2 58021 1 60381 2 53492 7 16931 1 .08736 3 70875 1 48533 1 20711 5 67097 6 3293 1 42543 1 90375 4 0615 2 79615 1 62256	1 80123 1 34776 1 01547 1 01547 1 58723 2 31290 2 18784 1 18323 2 2623 2 5553 1 .05629 1 .05623 1 .07995 1 65653 1 17971 1 18208 1 00543 1 00543 1 00642 1 00642 1 10294 1 10294 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	3 0476 1 17547 1 0926 1 55776 1 55917 2 36336 1,4537 2 71296 1,9206 1,92	4 07156 3 28715 1 48027 1 180173 1 14802 1 180173 1 14808 2 12001 1 1,08723 1 1,08723	2 48083 1 84403 1 10585 1 32007 1 54211 2 6024 2 82316 1 63165 1 03000 2 10004 1 05553 3 03341 1 11648 1 4529 2 8533	1 13852 1 18659 3.65214 1 72938 2 14348 3.61948 3.61948 1 1.8698 2 14201 1 1.8698 1 45942 2 260136 1 17498 1 45942 2 20013 1 17498 1 145231 2 20091 1 12246 3 341386 1 30019 1 192217 1 17243 2 38115 1 1229 2 2 38815 1 1292 2 2 38815 1 1922 2 1 1862 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	3 68643 1 65154 1 65154 1 15123 1 64694 2 6876 1 1523 2 6756 3 78708 4 62078 1 91394 1 1913 1	1,85824 1,04408 1,46283 1,00917 1,3228 1,07425 1,18102 2,98432 2,1108 2,59822 1,53456 1,4525 1,51427 1,5102 2,18038 2,1285 2,18038 2,1285 1,78214 5,98956 2,9851 1,38721 1,5885 1,78214 1,5885 1,78214 1,5885 1,78214 1,8885 1,888	4,20951 1 00743 2,53726 3,21915 1,66424 1,96818 1,4055 1,5004 1,5004 1,5004 1,5004 1,5004 1,5004 1,5004 1,5004 1,5004 1,5004 1,5004 1,5006 1,5	1 885/8 1 75628 2 2305/1 1 75628 2 2305/1 1 15656 1 89552 1 7200 1 131782 1 7200 4 34702 4 34702 4 34702 4 34702 4 34702 1 10284 4 4887 8 58481 1 100547 2 19024 1 88618 1 106073 3 27925 1 8543 1 98648 2 18039 3 78627 1 98648 2 18039 3 78627 1 98648 2 19039	1 30530 2 00588 1 61034 2 50094	3 85192 1 44757 3 38185 1 27166 2 18708 2 18708 2 18908 2 18908 1 45704 1 35202 1 72409 1 127409 1 127409 2 48709 2 74807 1 001909 1 101909 2 74807 1 01190 2 88533 2 74803 1 101903 1 100908 1 100908	1 08794 1 59725 1 74108 1 54755 1 74108 1 54655 2 27742 1 37415 1 71028 1 71028 1 71028 1 71028 1 07371 1 39212 1 45082 1 24083 1 4578 1 4578 1 4578 1 5478 1 5478	1 01367 1 87325 1 12214 2 44369 1 05687 2 44083 2 34083 2 34083 2 36981 2 36921 1 10701 1 30319 2 36920 1 10701 1 30319 2 69205 1 43337 1 6316 2 27122 2 41187 2 9225 1 .26725 1 .37593 1 .48655 1 .37593 1 .48655 1 .37593 1 .48655 1 .37593 2 19594 4 73735 2 19594 4 73735 2 19594 4 73735 2 19594 4 73735 2 19594 5 1,94823	1.28139 1.02871	1 04368 1 24599 2 20011 1 22265 4 24665 1 14193 2 40901 2 56226 1 04253 1 45222 1 70425 2 70432 2 70432 1 3405 1 3405 1 3405 1 34472 1 34472	1 43482 1 0679 1 01879 1 68042 2.4881 2 65518 1 46729 1 12483 2 02667 1 17782	1 48936 2 55384 2 68766 1 18743 3 98022 1 67874 4 05193 2 4948 1 50931 3 57087 1 2477 2 08608 3 80690 5 19832 1 45037 1 00806 1 3925 1 55183 1 20765 1 4755 1 4755 3 1 4886 3 1 9886 5 3 9886	2.02963 1.45024	1 18294 1 57981 1 57981 1 22341 4 00058 4 2853 2 6575 4 55451 1 25268 2 94277 1 76217 1 8593 1 45962 1 76876 2 4773 1 3048 1 76876 1 3248 1 76876 1 3248 1 102487 1 102487 1 1 20347 1 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	1 00402 2 90498 2 1 906 2 1 906 1 5 7 806 1 3 5 7 8 7 1 3 8 4 0 5 1 3 5 7 8 1 3 1 1 3 1 1 1 2 3 1 1 3 1 1 1 2 3 1 1 3 1 1 1 3 1 1 3 1 1 2 3 2 8 5 1 2 1 2 9 1 1 3 1 1 3 1 1 1 1 1 1 1 1 1 1 1 1 1	1 62511 1 21803 2 04274 1 61864 1 03419 1 193 1 40802 1 7185 2 61018 2 25179 1 06466 1 7827 1 3565 2 1018 1 47082 1 6185 2 30881 2 30881 2 4055 1 5185 1 518
Estimator shape par smeler Estimator shape par smeler Estimator seale parameter Control description Control share Control Control share Control Control share Control Upper control that X False alarm in X Total false seam in X Total false se	0: 1: 0: 3: 4: 4: 0: 0: 0: 0: 0: 0: 0: 0: 0: 0: 0: 0: 0:	971112 017363 970643 970643 970644 246173 1 10444 261753 1 1 0 1 1 1 0 0 0 0 0 0	0 1 530549 D 909484 1 004685 4 484787 4 113286 -2 39143 4 42196 1 1 0 0 0 0 0	0 873042 0 995532 0 996794 4 095154 3 241837 -1 45432 3 18348	1.867896 1.867896 1.965371 1.014804 4.241087 7.145834 -4.06973	2 563222 0 0 0.366308 1 07488 0 0919758 2 2 83381 2 2414253 0 0 1 0 0 0 0 0 0 0 0 0	0 662971 1.041387 0 951184 3 798431 4.378917 -2.29953	0.407591 1.00081 0.925254 3.575238 3.014849 -1.0048	0 675626 0 968279 1 012081 4 226981 3 06472 -1 93678	0.900817 1.040727 0.95174 3.801183 5.512541 -2.70902	0 331452 1.070793 0.024188 3.567358 2.423285 -0.03385	0 0.965048 1.018511 0.969905 3.950571 4.835565 -2.9864	0 2.567422 0.925965 1.049626 4.417907 6.95739 -3.71391	0 898757 0 898207 0 985814 4 095207 4 458645 -2 59536	0.914829 1.00685 0.979477 4.021284 4.685499 -2.63382	0 1.456511 0.838934 1.03704 4.357836 4.827321 -2.82429	0.593315 1.03712 0.954713 3.826998 2.281383 -0.53724	0.537758 1.036111 0.955541 3.833984 2.087833 -1.09723	0.840239 0.90747 0.987262 4.074948 4.909178 -3.16361	0.473308 1.027801 0.902427 3.801427 2.311819 -1.02864	0 1.410108 0.986184 0.986186 4.987588 6.768552 -3.80817	0 8.707004 1 02235 0 966772 3 926212 3 385632 -1.57536	0.90338 0.918264 1.058038 4.44942 2.943253 -1.88673	0 290318 1 075287 0 819032 3 531844 1 838729 -0.32044	0 1.651662 0.937412 1.039299 4.369639 5.86965 -3.65645	0 0 854599 1 028014 0 982155 3.899212 2.611901 -0.83157	0 0 36535 1 059181 0 935817 3 860889 2 826268 -1 38154	0 1 278994 0 969507 1 011018 4 220983 5 021044 -2 98613	0 1.51962 0.981749 1.000513 4.159362 5.907185 -3.11085	0 0 893913 1 038988 0 953192 3 813801 4 48477 -2,36714	0 797767 1 027251 0 962777 3 894272 4 130306 -2 00391	0 0 557986 1 083957 0 931258 3 622424 3.563081 -1 18578
Sub-total MR contro charts. Normal upper control first 2 Normal lower control first 3 Normal lower control first 3 False alarm in X7 (**18**6 False alarm in X7 (**18**6 False alarm in X7 (**18**6 Total false alarm in X8 False alarm in MR7 (**18**6 False alarm in MR7 (**18**6 False alarm in MR7 (**18**6 Total false alarm in MR7 (**18**6 Total false alarm in MR7 (**18**6 Total false alarm in MR7 (**18**6 Sub-total MR control charts \$ Sub-total MR control charts \$ Sub-total MR control charts \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$	( 3 ( 3) ( 0) ( 0) ( 0) ( 0) ( 0) ( 0) ( 0)	934731 -1 793 519026 1 0 1 1 0 8 0 0	3 483738 -1.76138 3 222212 1 1 1 1 1 0 1 1 0 1	2 90529; -1.1788; 2.54899; k 30 =	-3 27976	108 2.74373 2.230907 2.230907 1 1 0 0 1 1 0 0 0 1 1 0 0 0 0 0 0 0 0 0	-2.94313 3.786073 1 0 0 1 0 0	-0 2000 2.394594 1 0 1 1 1 0 0	-1.58175	-2.39098	2.348891 -0.75126 1.898845 1 1 1 1 1 1 1	-2.32134	-2.75824	-2 18437	4.292444 -2.24078 4.013898 0 0 0 0 0 0 0	-2.26076	-0.42369	-0.94307	-2.89653	2.163276 -0.0001 1.800001 1 1 1 1 1 1 1	-3.20237	-1.34256	-1.41955	-0 26998	-2.84996	2.456288 -0.87898 1.928087 1.5 1.5 1.5 1.5 1.5 1.5 1.5 1.5 1.5 1.5	-1 25315	-2.31203	-2.52624	4.214364 -2.00073 3.877435 0 0 0 1 0 0 0	-1 72997	1 05087
False alarm in X? (Y=1/h)= False alarm in MR? (Y=1/h)= Sub-total X control charts Sub-total MR control charts False alarm in X? (Y=1/h)= False alarm in MR? (Y=1/h)= Sub-total MR control charts Sub-total MR control charts	vi=0) with at less s with at l 0) vi=0) with pt less	east one 0 0 est one fa	tolee alem ( ) dee alem	mk1 = ) ) k1 =	1	21 21 11 0 0 0 20 20		;	0 0 0	0	8	0	0	1 0	0	0 0	0	0	0		0	100	0	0	0	0 0 0	0	0	0 0 0	0	0	0
False altern in X? (Y=1R)- False altern in MR? (Y=1R)- Sub-total X control charts in Sub-total MR control charts False altern in X? (Y=1R)- False altern in MR? (Y=1R)- Sub-total MR control charts Sub-total MR control chart	N=0) with at leas is with at l =0) N=0) with at lea	esst one 1 0 1st one fi	faise alar ( also alarm	m k 10 ~    -   k 10 =	1	134 62 0 152	1 0		1	0	1 1 1	0	0 0 0	1	0	0	1	1	0 0	; ;	0 0 0	1 0	0	;	0	;	0 0	0	0 0 0	1 0	•	0 0

) 2 OBJECTIVE # 3 Exponential (Mean=1)	3	k = 10 o	4	<b>5</b>	e SWR 2 pro	, cess stan	B Nerd devlets	en	10	11	12	13	14	15	18	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34
New observations is =	10	3 7519 2 2561 2 1542 3 3 229 3 3 229 3 3 229 2 88 3 107 2 108 2 108 2 108 2 2 407 2 2 407 2 2 407 2 2 407 2 2 407 2 407	2 2 3 4 4 2 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 2 5 3 4 4 4 2 5 3 4 4 4 2 5 3 4 4 4 2 5 3 4 4 4 4 2 5 3 4 4 4 4 4 2 5 3 4 4 4 4 4 2 5 3 4 4 4 4 4 2 5 3 4 4 4 4 4 4 2 5 3 4 4 4 4 4 4 2 5 3 4 4 4 4 4 4 2 5 3 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4	0967 9227 9227 93555 7889 2474 4251 1938 2421 1938 2421 1938 2421 1938 2431 2431 2431 2431 2431 2431 2431 2431	2 38253 2 80500 2 51878 2 19726 2 39726 3 99027 2 89950 2 8995	2 00552 2 3977 3 4027 2 7192 3 30817 2 3027 2 1427 2 7000 2 1427 2 7000 2 4077 2 0037 2 0037 2 4182 2 4379 2 2 227 2 1822 2 4379 2 4379	4 61499 2 51192 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 2 4929 3 4929 2 4929 3 4929	2 2461 2 2958 2 31148 3 31132 2 21906 2 25777 3 40094 2 2095 2 2013 3 47974 3 40094 2 2095 2 2018 3 2 3211 4 30094 2 2095 2 2018 3 2 3211 4 30094 2 2095 2 2057 2 2	2 31057 2 40937 2 02748 2 47969 3 60103 3 6075 2 1074 2 32549 3 66 2 42111 2 68644 7 51090 2 0305 3 60133 2 3061 2 0314 2 0324 3 66 4 4111 2 0325 3 6013 3 6	2 81281 3 60371 2 81273 3 02483 3 53037 3 1832 2 81827 2 27243 3 28179 4 11487 2 40832 2 74080 2 60832 3 27052 2 08872 3 36438 3 24138 3 24138 2 53412 4 26548	2 07597 2 04687 5 91333 2 05877 5 91333 2 05173 2 05517 2 20565 2 03717 2 43147 4 43647 4 3438 2 11002 2 38443 2 11002 3 81681 3 85238 3 45965 8 16977 3 45278 4 07518 2 98005 2 78748 3 2 5817	2 20864 3 36907 2 02607 2 34357 2 17034 2 25971 2 18127 2 30333 4 17855 2 67103 8 54114 2 36127 2 3783 2 47302 2 0790 2 59975 3 85915	2 74811 2 59718 3 08652 2 58053 3 72963 3 72963 3 72963 3 62453 3 62453 2 07031 2 01149 3 65551 2 86057 2 48057 2 48105 2 4810	2 00079 2 40064 4 17741 2 13929 2 84897 2 1152 2 95383 4 52025 5 64305 2 35408 2 59551 2 100454 2 10045 2 10045 2 10045 2 10045 2 10045 2 10045 2 10045 2 10045 3 177456 4 03339 3 02778 4 03339 3 02778 4 05738 2 55734	2 11547 2 47128 2 21523 2 45368 2 20741 2 83360 2 283 3 47342 2 22753 2 61475 3 2465 3 46011 3 1461 2 1235 2 1235 2 1235 2 1235 2 1236 2 1246 2 1246	3 26134 2 31401 2 1124 3 81124 3 81125 2 22762 2 22762 2 22763 5 34675 2 29951 2 209151 2 20151 2 20152 2 20152 2 30455 2 41192 2 00127 2 97694 3 07377 3 07377 3 11492 2 20122 2 20122 2 20127 2 20122 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	2 28615 2 5859 3 08581 2 68621 2 76792 2 76792 2 75080 3 37495 2 32696 2 23553 2 26567 2 48783 3 32077 4 45824 3 07248 2 551246 2 73187	4 19696 2 30072 4 71917 2 82708 2 21901 2 3372 2 5673 5 11936 2 96948 2 30648 2 30648 2 30648 2 30648 2 31489 2 16452 2 27914 2 70307 3 5166 4 42715 2 3063 3 17437 4 1083 4 50608 3 55567 2 67107	2 00315 2 1006 2 43060 2 1578 4 1622 2 27277 3 19178 4 1622 2 72779 3 10115 3 2005 3 10115 3 2005 3 57786 6 5150 6 5150 2 53346 2 32734 2 32734 2 32734 2 32734 2 32734 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3	2 34654 3 20793 4 23311 2 30387 3 00073 2 72800 3 67067 2 72800 2 61127 3 61248 2 46805 2 01723 8 70416 3 73031 3 73031 3 73031 2 25100 2 27100 2 11334 2 21300 4 92346 4 92346 2 95725	2 64298 4 65190 2 86077 2 90611 3 87273 3 75940 2 74779 2 37172 2 34408 2 17763 2 90148 2 9014 2 41274 2 45861 2 45981 2 45984 4 52795 2 4 4284 4 43684	2 (0779 4 05277 4 05277 4 05271 4 05271 2 78378 2 43756 2 48145 2 08092 3 38077 3 00285 5 55318 2 06521 3 30388 2 05521 3 30388 2 05521 3 30388 2 05521 3 30388 3 63979 2 101143 3 63979 2 111143 3 63979 2 111143 3 63979 3 49247 4 73478	4 14412 2 28090 4 95336 2 179 2 2352 5 56557 2 29292 2 20495 2 13971 2 43028 2 1025 2 13971 2 43028 2 1923 3 30335 3 30335 3 43333 2 87418 2 17488 2 19673 3 72247 2 22034 2 19861 4 43096 4 62437 2 40421 2 18246 3 75609 2 70498	2 18314 3 49283 2 08575 2 04575 2 77718 3 3448 2 400378 2 22279 2 00008 3 11427 2 78766 2 10327 2 10327 2 10327 2 10327 3 08151 6 71563 2 1597 2 16927 2 16927 2 177152 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3	2 78072 2 00386 2 36008 2 36008 2 46735 2 64731 2 44221 2 4523 2 72204 3 56929 2 10181 2 13038 2 45116 2 75318 2 35678 2 34487	2 27723 2 56723 2 55365 2 55376 2 55365 3 62421 3 15522 4 8657 2 48637 2 48637 2 48637 2 48637 2 4863 2 10568 3 38406 5 1137 3 8406 5 1137 3 8526 2 20662 2 20662 2 20662 2 20662 2 20662 2 20662 2 20662 2 20662 2 20662 2 20663 2 20	2 0755 2 41980 2 46541 2 04654 2 36955 2 39054 2 39054 2 23067 2 2248 2 80537 2 87551 2 1841 2 60048 2 77556 2 74556 2 74556 2 74551 3 2 53677 2 4003 2 48451 3 1544 3 3 5447 3 3 5447	2 27792 3 5617475 2 14727 2 14727 2 03438 3 02962 2 200401 2 06983 2 06022 2 47215 2 17702 4 42576 2 55133 2 07790 2 32162 2 233984 2 14768 2 1468 2	2.37412 2.3094 2.23163 3.05303 4.80831 2.5138 2.23384 6.02833 2.15479	3 76327 2 17032 2 169131 3 03482 2 68167 2 88167 2 88167 2 81784 3 24086 2 51417 2 83067 3 07809 4 83217 2 83063 2 40334 4 47680 2 33368 2 33368 2 33368 2 33368 2 3326 2 18917 2 18919 2 22823 2 22823 2 23282 2 23282 2 23282	2 81717 2 60874 4 82837 2 00180 2 78151 2 77713 2 77613 2 76151 2 77713 2 14100 2 43122 2 74100 2 143122 2 74100 2 16205 2 76205 2 762	3 44658 2 41181 3 01991 2 00949 2 49582 2 55504 2 88480 2 78643 3 84363 3 84363 3 13096 2 5205 2 52007 2 3265 2 52007 2 3265 2 78126 2 78126 2 78126	2 21409 2 29479 2 39279 2 19463 3 71098 3 71098 5 90066 2 67218 2 72015 2 00376 2 0037
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Sub-Letal MR control charts Normal toper control first X Normal tower control first X Normal tower control first X Normal toper control first N Faise alarm in X7 (**InNet Faise alarm in X7 (**InNet Total faise sintm in MR 7 (**InNet Total faise sintm in MR 7 (**InNet Faise alarm in MR 7 (**InNet Total faise alarm in MR Sub-Lotal X Sub-Lotal X control charts in Sub-Lotal MR control charts in Sub-Lot	X X MR -0) -0) N-0) N-0) with all	3 9347 -1 7 3 5190	37 3 46 33 -17 26 3 22 1 0 1 1 1 1 0 1 1 1 1 1 1	13236 : 76136 12212 : 1 1 1 1 0 0 1 1 1 1 1 1 1 1 1 1 1 1 1	2.986292 -1.17983 2.548894 1 1 1 1 1 0 0	-3 2797	-0.0074	-2 0431: 7 3.70007	0.9000 2.394594 1 1 1	-1.58175	5 19449t -2 39098 4 890389 1 0 1 1 0 0 0 0 0 0	-0.75126	-2 32134	-2.75824	-2 18437	-2.24076	-2.20976	-0.42368	-0 84307	-2 69653	-0 8601	-3.20237	-1 34258	-1.41955	-0 26999	-2 84996	-0.67898	-1 25315	-2 31203	-2 52624	-2.09673	-1 72997	4 3 429281 7 -1 05087 5 2 751983 1 1 1 1 1 1 0 0 0
False starm in X? (Y=1864 False attern in MR? (Y=184 Sub-lotal X central charte in Sub-lotal MR control charts False attern in MR? (Y=184 False attern in MR? (Y=184 Sub-lotal X control charts in Sub-lotal MR control charts	N=0) with at is with =0) N=0) with at	et least least on	one false O O o folse s	alarm 1 1 Harm k	*1- 0			2			0	1 1	0	0 0 0	0 0 0	0 0	0	;	0 0 0	0 0 0	1	0	1 0 1 0	;	1	0	1	1 1	0	0	0	0	) 0 0
False altern to X? (Y=1/N= False altern in MR? (Y=1/N= Sub-total X control charts in Sub-total MR control chart False altern in X? (Y=1/N= False altern in MR? (Y=1/N= Sub-total X control charts in Sub-total MR control charts	N=0) with all is with =0) N=0) with all	at least least or	one false f f g false s	siarm i i siarm k	k 10 - 1 10 -		18 7 0 0	1 0 6 6 1 1	1 1 1 1 1 0		1 0 1 1 3 0	1 0	1 D	0	9 8	1 0	0	1	1 0	0	1	0	1	;	;	0	1 1	1 1	1 0	0	1 0	1	1 1

1 2 OBJECTIVE # 3 Exponential (Mean=1)	3	4 r = 30 obs	<b>5</b>	•	,	•	•	10	rı	12	13	14	15	18	17	19	19	20	21	22	23	24	25	20	27	29	29	30	31	32	33	34
New observations k =	10 20 30	0 27508 1 08773 0 81517 0 83005 2 73368 0 079368 0 079368 0 075558 1 37836 0 095558 1 14855 0 20844 1 5002 2 84805 2 30252 0 18407 0 1824 0 1824 0 1824 0 1824 0 1824 0 1824 0 1824 1 1473 1 1473 1 1473 1 1473 1 1473 1 1473	0.76877 0.1482 0.52596 0.19658 0.63618 0.25633 0.78546 0.78596 0.73701 0.66619 6.30699 0.72112 0.30392 0.20392 0.20392 0.20392 0.20392 0.20392 0.20392 0.20392	1 02382 1 07084 1 62084 0 28208 1 75938 2 28418 2 28418 2 28418 0 30002 0 30001 0 30001 0 76053 1 10439 0 00115 0 15181 0 34523 0 3052 0 30501 0 30	0 70744 0 58518 0 61988 1 37796 1 26446 0 0213 0 344 1 72056 2 14902 0 40318 1 34446 2 04744 0 37994 1 16217 0 2057 1 07627 0 93093 2 11236 0 04475 0 52785	0 90223 8:29064 9:09481 0:09103 2:76121 0:2055 0:63131 0:08407	0 66951 0 25825 2 47018 1 3348 1 41235 0 88148 0 09034 0 25043 2 3433 0 7345 0 2257 2 36367 2 36367 0 2527 0 2527	2 02404 1 37827 1 38202 1 82782 0 28723 1 59716 0 21029 0 45088 0 75049 0 5363 1 77108 1 91308 0 96302 0 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80	2 86051 0 53475 0 13082 0 18797 1 497 2 85841 3 87845 1.13734 8.5734 0.19749 3 4230 0 22071 0 24178 0 71096 0 43571 2 89772 0 00053 2 00739 6 53034 1 51976 0 10051 1 127996 3 47316	0 35401 4 14790 9 35809 9 4782 0 26918 0 81835 1 81835 0 2646 0 26426 0 02335 0 5731 1 66491 0 01231 0 42241 0 06546 0 12511 0 97017 0 40903 0 5532 1 16676 1	0 48036 1 28999 0 8719 0 48831 0 18556 1 48558 0 52891 0 19818 0 52891 0 1705 0 27201 0 85206 0 7201 0 85206 0 47039 1 18674 4 09916 0 45028 0 45433 0 45433 0 22554 1 197788 6 2255 0 2255 1 197788	1 94084 0 72921 2 55899 0 26335 0 42072 0 57144 2 64209 2 25582 0 70966 0 00448 2 57879 2 2817 0 22022 0 43534 0 53443 0 46678 0 42085	3.07481 0.052925 0.61105 0.52925 0.61105 2.43054 2.5222 1.91834 0.03161 2.00571 1.05939 1.19432 0.19378 0.35757 0.95758 0.00748 0.71132 0.4113 2.10984 2.01307 0.4113 2.10984 0.715327 1.53408 5.81177 0.73327 1.73327	0 90751 0 30011 0 45381 0 45374 0 002744 0 00274 1 00013 2 10041 2 67993 0 2497 0 33623 1 10013 2 10327 0 51225 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Estimator shape perseneter  Estimator schale personates  Control other constant 62  Control other constant 62  Control other constant 62  Control other constant 64  Lipper control first in  False altern in 1X (Y-1844-  False altern in 1X (Y-1844-  False altern in 1X (Y-1844-  Total fal	-0) -0) -0) N=0) N=0)	1 090444 1 0202301 3 939794 4 875943 -1 94902 4 438122	0 74068 1 1012227 1 0975051 3 989267 3 19281 - 1 43197 3 112574 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	0 1 064388 0 0 900007 1.013699 4.237728 3.97157 -2.2138 4.235560 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	0 730818 0 895958 0 895958 0 988525 4 083352 2 9808 -1.44818	1 112207 0 964469 1 015369 4 245424 3 978795 -2 17038	0.74482 1.009447 0.977336 4.005938 3.033758 -1.32576	0 1 007342 0 897555 0 987191 4 974471 3 935173 -1,84104	0 1.480324 0.845475 1.032098 4.33333 5.065612 -2.95274	0 1.315765 0.960641 1.018463 4.26224 4.740856 -2.65348	0 1.107975 0.978048 1.002819 4.173259 4.18477 -2.18488	0 1.635774 0.864198 1.015623 4.246718 6.83639 -4.1847	0 1.476852 0.956898 1.022005 4.281231 4.647077 -2.36907	1.710035 0.957548 1.021435 4.278199 9.380186 -3.73631	0 1.133162 1.000083 0.985101 4.080376 4.808017 -2.40332	0 0 283974 1.063641 0.931567 3.624968 1.646205 -0.44249	0 0.829835 1.014784 0.972948 3.973628 3.578421 -1.58266	0.799804 1.003132 9.082553 4.042678 2.868212 -1.13082	0 527228 1 950189 0 8438 3.731117 2.849578 -0.80924	0.83057 0 1 338427 0 984648 9 989651 4.147421 5.211073 -2.78401 0 0 0 0 0 0	0 763581 1.010834 0.971194 3.960413 3.848551 -1.77648	0.809546 1.010963 0.978069 3.99876 3.912703 -1.78958	0 501851 1 045796 0 947514 3 764074 2.573905 -0.9163	0.477612 1.03968 0.952605 3.608717 2.726763 -1.25683	0 1 307166 0.994174 0.990016 4.093187 5.626477 -2.98000	0 773123 0.987353 0.987364 4.075601 3.352042 -1.74741	0 987719 0 986612 0 996368 4 133929 3 541547 -1,65535	0 721666 1.034753 0 956654 3 843447 3 597502 -1 48366	9 819218 1.025967 9.993623 3.902737 4.094412 -1.91081	0 1.082530 0.954187 1 024360 4 293700 6 304164 -3.78067	1 39257 0.941348 1.035778 4.351632 4.259471 -2.32619	0 762639 0 982048 1 000258 4 157818 2 831167 -1 52376
Sub-total MR control chan't Normal lower control limit 3 Normal lower control limit 3 Normal lower control limit 3 Fatise starm in X? (**) Nor- Fatise starm in MR? (**) Nor- Fatise starm in MR? (**) Nor- Fatise starm in MR? (**) Nor- Fatise starm in MR Sub-total mormal X control Sub-total mormal X control Sub-total mormal X control	X X MR =0) =0) =0) N=0) N=0) charte	4.35944; -1.6325; 3.66136; ()	2.95557 2.119483 3.2.549814 3.1 3.1 3.1 3.1 3.1 4.1 4.1 4.1 5.1 6.1 6.1 6.1 6.1 6.1 6.1 6.1 6.1 6.1 6	3.527048 -1.77683 3.258621 0 0 0 0 0 0 0 0	-1 18978 2 394975 1 0 0 1 1 1 0 0	-1.72464	-1.09667 2.396917 0 1 1 1 0 1 1	-1.50705	-2.304	-2.10563	-1.78432	-3.38427	-1.83695	-2.9715	-1.99443	-0.38291	-1.32370	-0.80957	-0.66692	4.775808 -2.28874 4.32806 0 0 0 0 0 0	-1.50848	-1.50324	2 446728 -0.76812 1.868056 0 1 1 1 0 1 1	-1 10098	-2 4701	-1.45209	-1 32965	-1 28354	-1.03921	-3 00923	3 7746 -1 78132 3 376602 0 0 0 0 0 0	
False starm in X? (Y=1R)= False starm in StR? (Y=1R) Sub-total X control charts v Sub-total MR control charts v False starm in X? (Y=1R)= False starm in MR? (Y=1R) Sub-total X control charts v Sub-total MR cortar charts v	NI-O) with at its with its with its original in out its with its original in out its o	of least or	e faise alor ) ( ) ( faise starm	mk1= ) ( ) ( k1=	9 0			0 0 0	0 0 0	0 0 0	0 0	0 0	0 0	0	6 0 0	0 0		0 0	0 0		0 0 0	0	0	0	0	0	0	0	0	0	0	0 0
False altern in X7 (Y=184- False altern in MR7 (Y=18- Sub-total X control charts Sub-total MR control chart- False altern in X7 (Y=184- False altern in MR7 (X) Sub-total X control charts Sub-total X control charts	NIO) with at to with =0) NI=0) with at	et leest or least one	e faice ater 0 1 1 1alog alerm	k t0 = m k 10 = l k 10 =		4 32		0 0 0	8	0	8	0	0	0 0	0 0	; ;	0	0	0	0 0 0 0	0 0 1	0	0	0	0	1 0	1 1	0	0	0	0 0	;

3

False alarm in MR? (Y=1/N=0) 0 1
Sub-total X control charts with at least one false alarm k 10 =
Sub-total MR control charts with at least one false alarm k 10 =

OBJECTIVE # 3

10

12 13

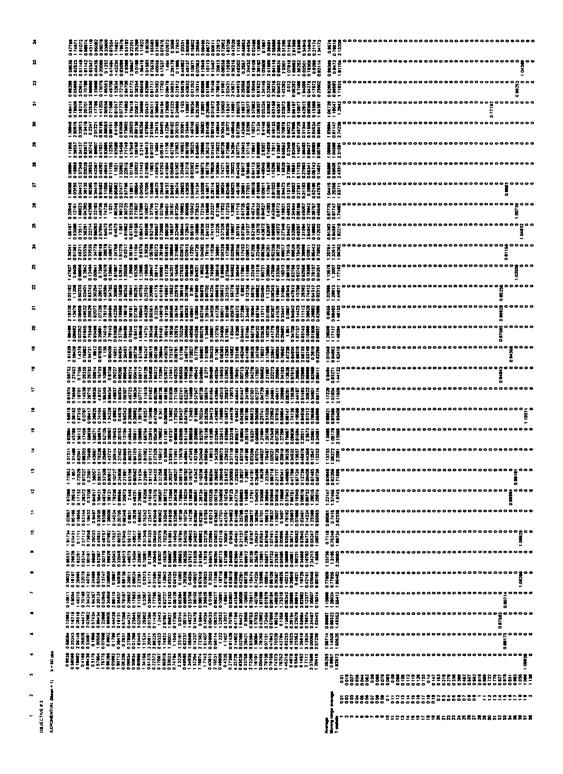
12

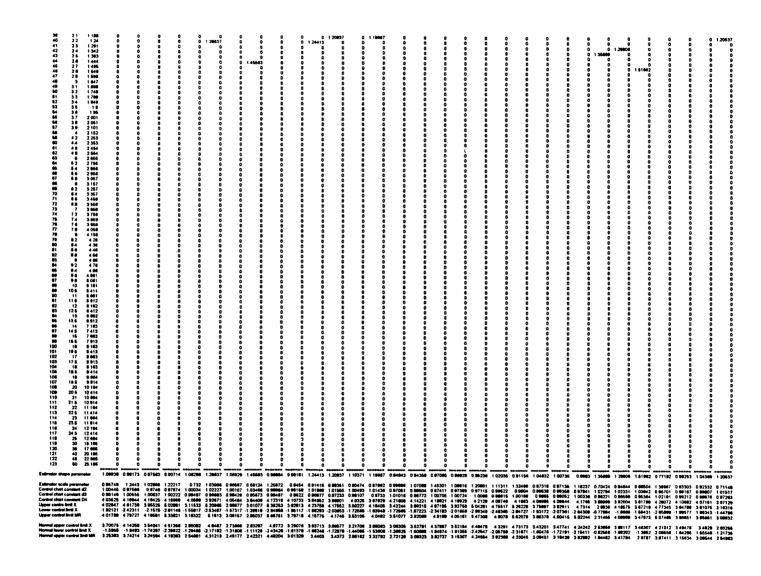
COLECTME 4.3

Sub-total X control charts with at least one false alarm k 10 = Sub-total MR control charts with at least one false alarm k 10 = False alarm in X? (Y=1#N=0) 1 1

Sub-total X control charts with at least one false aterm k 10 = Sub-total MR control charts with at least one false aterm k 10 =

Feire show is MET (Ye 184el)





1 2	3		•		,			10	11	12	13	14	15	18	17	18	19	20	21	22	23	24	25	26	27	28	20	30	31	32	23	34
OBJECTIVE #3																																
Exponential (Mean-1)	•	- 50 obs																														
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Estimator shape paremeter		1 000375	0 66173	0 675631	0.90714	1.062957	1 286374	1 089293	1 455029	0 000638	0 001812	1,344128	1,209372	1 103713	1 198673	0.848433	0 943577	0 670648	0.000203	0.052350	1.020348	0.011561	1.046318	1 007346	0.000200	1 358894	1.299064	1,519616	0.771825	0 002529	1 043893	1 205367
Estimater scale parameter Control chart screetest d2 Control shart constant d3 Control shart constant D4 Usper control limit X Lower control limit X Usper control limit X Usper control limit MR False altern in X? (Y=1,R4=0 False slarm in X? (Y=1,R4=0	D)	0 0 957477 1 004454 0 981457 4 035247 4 026467 -1 92121	1 244302 8.975856 1 00555 4 19944 4 61736 -2 42311	0 1 026545 0 974898 1 006372 4 194255 3.955253 -2.1575	1.222167 0.978744 1.002223 4.169688 5.028611 -2.81148	0 731997 1.000341 0.98487 4.058903 3 11533 -1.55917	0 1.03966 1.022273 0.966835 3.926709 5.209651 -2.53487	0 0 005872 1 001074 0 984261 4 054844 2 998773 -1 57317	0 591241 1.03488 0.064729 3.044080 3.010774 -1.20018	0 1 258721 0 998638 0 994674 4 12316 5 392529 -2 94958	0 0 845405 0 901501 0 902195 4 107320 3.620134 -1.05117	0.914159 1.019679 0.900769 3.949516 4.237592 -1.96293	0 0.003513 1.019546 0.07233 3.909005 4.175522 -2.03053	0.804743 1.004829 0.601085 4.032497 3.502267 -1.72588	0 07902 1.014350 0.073302 3.076293 4.104048 -1.03048	0.99998 0.970505 1.010156 4.216082 3.422445 -1.72565	0 1.070885 0.98504 0.987718 4.142214 3.893151 -1.87223	0 1.453012 0.974108 1.007051 4.19821 4.971951 -2.34183	0 1.099165 0.973802 1.007237 4.196280 3.927580 -2.01858		0 1 113109 0 985218 0 989146 4.087456 4.755168 -2.48365	0 1.324658 0.980403 1.00168 4.186302 5.282287 -2.84727	0 0.873184 0 908381 0 908502 4 009848 3 758973 -1.83172	0.871351 0.88358 0.980518 4.086441 3.828114 -2.07361	0 1 16237 8.878409 1.003363 4.176505 4.731403 -2.64309	0 704236 1 027943 0 982213 3 889689 2 683602 -0.77864	0 846437 1 023309 0 96569 3 92004 4 165747 -1.9666	0 005037 1 030422 0 053642 3 017007 3 072100 -1.50431	0 1.369671 0.957000 1.021000 4.280719 4.773452 -2.85689	0 0 933026 0 991674 0 992117 4 109822 3 947862 -1.99577	0 0 923319 0 999087 0 986764 4.071809 3 810753 -1.88343	0 0 711484 1 015174 0 972834 3 971284 3 183156 -1 44788
False starm in X7 (Y=184-0) Total false starm in X False starm in MR? (Y=184 False starm in MR? (Y=184 False starm in MR? (Y=184 Total false starm in MR	-0) -0)	0 0 0 0	1 0 1 0	0 0	0 0	1 1 0	0000	0 0	1 1 0 0	0 0 0	1 0 1	800	0	1 0 1 0	0 0 0	,	0 0 0	0 0	1 0 0 0	0 0	1 0 0 1	9 9 9	1 0 0 0	0	9	1	0 0	1 0 0 1	0	, 0 0 1	0 0 0 0	1
Sub-total X control charts w Sub-lotal MR control charts	with a	I teast one	folso siarr	m k 30 -		109																										
Normal upper control first X Normal upper control first X Normal upper control first M False starms X X (**In-In-In-In-In-In-In-In-In-In-In-In-In-I	iR 3) 3) 0) (-0) (-0) (-0) charts	-1.5955 3.253834 0 0 0 0 0 0 0 0 0 0	-1 9483 3 742141 9 1 0 1 0 1 1 0 1 1 0 1	-1.74267 3.24564 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.	-2 29622 4.183932 0 0 0 0 0 0 0 0	-1.29465	-2.17192	-1.31808	-1.11126	-2.43426	-1.01379	-1.86248	-1.72678	-1,44085	-1.53606	-1.36625	-1.50698	-1.04074	-1 61055	4 484777 -2.42547 4.245542 0 0 0 0 0 0	-2.05758	-2.31671	-1.60476	-1.72191	-2.15411	-0.62550	-1 88202	-1.3052	-2.09558	-1 64265	3.4928 -1.55548 3.095437 0 1 0 1 0 0 0	-1 21735
False alarm is X7 (Y=1AN-C False alarm in MR7 (Y=1AN	<b>⊢</b> 0)	0	0		0	0		0	0	0	0	0	0		0	0	0		0	0	0	0	0	0	0	1	0	0	0	0	0	0
Sub-total X control charts w Sub-lotal MR control charts False starm in XF (Y=18)=( False starm in MR7 (Y=18)= Sub-total X control charts w Sub-total MR control charts	- with a 0) i=0) with at 1	t least one 0 0 1 least one	i falos alem ( ( (alos elem	mki- ) 0 ) 0	0	0		0	0	0	0	0	0	9	0	0	0	0	0	0 0	D Q	•	0	0	0	;	0	0	0	0	0	0
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Sub-total X control objects v Sub-total MX control objects v Sub-total MX control objects False atarm in MX? (Y=1A4- Ealse-total X control objects v Sub-total MX control objects v Sub-total MX control objects	with at a with a color of the c	t least on 0 0 1 ano teasi	i fision plan 	m k 10 = 0 0 1 0 k 10 =		33		. 0	1	0	:		0		0	1 0	0		6	2 0	0	0	0	0	0	1	1	0	0	;	9	;

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OBJECTIVE # 3				
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| Exponential (Mean=1)  | k   | - 50 obs   |  | Shaft 1 pro  | cess sland  | ard deveto  
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| How observations k =  | 16  | 5 18012  | 1 99219<br>1 03139<br>1 88573<br>1 35458<br>2 52646<br>1 47083<br>2 52646<br>1 4708<br>4 21843<br>1 36094<br>1 57785<br>1 17201<br>3 25756<br>1 24003<br>2 7785<br>1 71471<br>1 71471 | 2 09119<br>1 01307<br>2 05456<br>1 32402<br>2 80576<br>3 80357<br>1 0803<br>1 38031<br>1 38501<br>2 37084<br>1 46701<br>2 72482<br>1 03753<br>1 03753<br>1 03753<br>1 03753<br>1 03753<br>1 03753<br>1 03764<br>2 11025<br>1 05742<br>1 85332<br>1 5603<br>4 8673<br>1 16116<br>2 33818<br>2 33818 | 1 20039<br>1 82431<br>1 39003<br>2 20257<br>1 69387<br>1 36291<br>1 18802<br>1 52083<br>2 72098<br>2 72083<br>2 72098<br>4 91590<br>1 24597<br>1 04085<br>1 8112<br>1 1250<br>1 | 1 40296<br>1 8792<br>2 4339<br>2 4339<br>1 61374<br>1 15557<br>1 18937<br>2 94159<br>2 94159<br>2 94159<br>3 22128<br>1 158183<br>1 12389<br>1 12389<br>1 11162<br>1 11162<br>1 11162<br>1 16051<br>1 16051<br>1 16051<br>1 16051<br>1 16051<br>1 16051<br>2 30723<br>1 16051<br>1 16051<br>2 30723<br>1 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| 1.27498<br>1.9228<br>2.49799<br>2.08071<br>1.89989<br>1.89989<br>1.27038<br>2.74867<br>1.01188<br>2.89533<br>2.58646<br>2.199693<br>1.13802 | 1,2429<br>1,08794<br>1,59725<br>1,74108<br>1,54551<br>1,3455<br>1,3655<br>1,3651<br>1,54826<br>1,07371<br>1,36212<br>1,36212<br>1,36212<br>1,36212<br>1,36212<br>1,36212<br>1,36212<br>1,36212<br>1,36212<br>1,4681<br>1,26814<br>1,26814<br>1,26814<br>1,36212<br>1,36212<br>1,36212<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,36512<br>1,3 | 1 01367<br>1.67325<br>1 12214<br>2 44390<br>1.05087<br>3 44093<br>3 34093<br>1 98619<br>1 19701<br>1 19701<br>1 19318<br>2 9225<br>1 43337<br>1 8318<br>2 271127<br>2 241167<br>2 24127<br>2 10508<br>1 1,37563<br>2 | 4.09480<br>1.29139<br>1.02873<br>2.551149<br>1.92469<br>1.92469<br>1.92469<br>2.0931<br>1.2008<br>2.5082<br>2.17315<br>3.48062<br>2.0291<br>2.04952<br>2.20302<br>1.12681<br>1.0201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3201<br>1.3 | 1 04368<br>1.24590<br>2 20011<br>1.22265<br>4 24893<br>1 14193<br>2 49001<br>2 58226<br>1 04253<br>1.52221<br>1 24367<br>1.22455<br>2 77923<br>4 94593<br>2 0625<br>2 70432<br>1 87914<br>4 5693<br>2 0475<br>2 70432<br>1 3234<br>1.3495<br>1 3495<br>1 3495 | 2 (5800<br>2 27842<br>1 43492<br>1 0879<br>1 01879<br>1 08042<br>2 48518<br>1 4872<br>1 12483<br>2 02667<br>1 17782<br>1 17782<br>1 17782<br>1 17703<br>1 17703<br>1 17703<br>1 17703<br>1 17704<br>1 17704 | 3.96822<br>1.87874<br>4.05183<br>2.4948<br>1.50931                        | 1 7598<br>1 13598<br>1 18822<br>1 55584<br>2 20758<br>1 35991<br>1 05784<br>3 19283<br>3 10782<br>3 13283<br>1 24091<br>1 51629<br>1 5045<br>1 1985<br>1 1985<br>1 17084<br>1 17084<br>1 17084<br>1 17084<br>1 18882 | 1 97391<br>2 23132<br>4 00056<br>4 2958<br>2 0575<br>4 53451<br>1 25246<br>2 70290<br>2 40277<br>1 70217<br>1 80113<br>1 3692<br>1 3693<br>1 36725<br>1 34725<br>1 34872<br>1 35872<br>1 4972<br>1 4 | 2 1906<br>1 57802<br>2 3230<br>1 35797<br>1 38405<br>1 33111<br>1 23505<br>1 33111<br>1 23505<br>1 30111<br>1 23505<br>1 30111<br>1 23505<br>1 30111<br>1 0310<br>1 03 | 1 82511<br>1 21803<br>2 04271<br>1 81884<br>1 03419<br>1 193<br>1 48602<br>1 7873<br>2 81018<br>2 25179<br>1 00468<br>1 78737<br>1 35855<br>1 47082<br>1 4095<br>2 30821<br>1 4095<br>2 30821<br>1 4095<br>2 35836<br>1 51215<br>1 47827<br>2 35836<br>1 51215<br>2 57873<br>2 90844<br>1 25586 |
| Estimator shape paramete  Estimator scale paramete  Control shape control scale  Control shape control stale  Control shape  Control shape  Control shape  Control shape  Lipper control shap  False shape  Ban 27 (Y=186-  False shape  BA 28 (Y=186- | 0)<br>0)<br>0)<br>N=0)<br>N=0)                                | 0 957477<br>1 004454<br>2 981457<br>1 035247<br>1 035247<br>1 025467<br>1 02121<br>1 0 1<br>1 1<br>0 0 | 1 244302<br>0 875958<br>1 00555<br>4 18944<br>4 61739<br>-2 42311<br>4 797260<br>1<br>1<br>0<br>0  | 0.974898<br>1.006372<br>4.194255<br>3.955253<br>-2.1975<br>4.195813<br>0<br>0<br>1<br>1<br>1<br>0<br>0   | 0<br>1.222167<br>0.979744<br>1.002223<br>4.100008<br>5.026811<br>-2.81146   | 0<br>8 731997<br>1.800341<br>0.98487<br>4.058803<br>3.11533<br>-1.55817  | 0<br>1.03966<br>1.022273<br>0.966835<br>3.926709<br>5.209651<br>-2.53487  
   | 1.099283<br>0 0.95672<br>1.001074<br>0.994261<br>4.054644<br>2.996773<br>-1.57317<br>3.091508<br>0<br>1<br>1<br>0<br>1  | 0.591241<br>1.03408<br>0.956729<br>3.944088<br>3.010774<br>-1.29018  | 0<br>1.258721<br>0 988838<br>0 994874<br>4.12316<br>5.392529<br>-2.84958   | 0<br>8 845406<br>9 901581<br>8 902185<br>4 107328<br>3 628134<br>-1.95117   | 0<br>9.914159<br>1.918679<br>0.909768<br>3.949518<br>4.237592<br>-1.98293   
   | 0.003513<br>1.015646<br>0.07233<br>3.909005<br>4.175522<br>-2.03053   | 0<br>0.804743<br>1.004928<br>0.901085<br>4.032487<br>3.502267<br>-1.72588   | 0.97962<br>1.914358<br>0.973302<br>3.978293<br>4.194046<br>-1.83048   | 0 0 00006<br>0 070605<br>1 010156<br>4 210002<br>3 422445<br>-1.72565   |
0<br>1.970895<br>8.98504<br>9.987718<br>4.142214<br>3.883151<br>-1.87223   | 0<br>1.453012<br>0.874108<br>1.007051<br>4.10821<br>4.871951<br>-2.34183   | 0<br>1.099185<br>0.973692<br>1.007237<br>4.199289<br>3.827588<br>-2.01659 | 0<br>1 200000<br>0 871151<br>1 000500<br>4 212000<br>5 042000<br>-2 00340  | 0<br>1 113100<br>0 005210<br>0 000140<br>4 007456<br>4 755100<br>-2 40305  | 0<br>1 324858<br>0.980403<br>1.00188<br>4 106302<br>5.282287<br>-2.84727  | 0.873184<br>0.998381<br>0.998502<br>4.099849<br>3.758973<br>-1.93172   
   | 0.871351<br>0.98358<br>0.980518<br>4.098441<br>3.828114<br>-2.07361   | 0<br>1 16237<br>0.878408<br>1 003363<br>4 179505<br>4.731403<br>-2.84308   | 0 704236<br>1.027943<br>0.062213<br>3.009009<br>2.003802<br>-0.77964   
  | 0.846437<br>1.023309<br>0.90509<br>3.92004<br>4.185747<br>-1.9000  | 0<br>0 885037<br>1 038422<br>0 953642<br>3 817887<br>3 672198<br>-1.58431 | 0<br>1.369671<br>0.957008<br>1.021908<br>4.260719<br>4.773452<br>-2.65888  | 0<br>0.833028<br>0.991674<br>0.992117<br>4.109622<br>3.647882<br>-1.89577  | 0 923318<br>0 986067<br>0 986784<br>4.071809<br>3 810753<br>-1.88343   | 0<br>0 711484<br>1 015174<br>0 972634<br>3 071294<br>3 163156<br>-1.44796   |
| Sub-total MR central chart<br>Normal space control lam!<br>Normal space control lam!<br>Normal space control lam!<br>False alarm in XR (Y=1AH-<br>False alarm in XR (Y=1AH-<br>False alarm in XR (Y=1AH-<br>False alarm in MR (Y=1A<br>False sizem in MR (Y=1A<br>False sizem in MR (Y=1A<br>False sizem in MR (Y=1A<br>False sizem in MR (Y=1A<br>Sub-total normal X control<br>Sub-total normal X control<br>Sub-total normal MR control  | X<br>MR<br>-0)<br>-0)<br>-0)<br>N-0)<br>N-0)                  | 3.700753<br>-1 5955<br>3 253834<br>1<br>0<br>1<br>1<br>1<br>0<br>0<br>0                                | 4.14258<br>-1 9483<br>3.742141<br>1<br>0<br>0<br>0<br>0<br>0<br>0<br>0<br>0<br>0<br>0  | 3 540414<br>-1.74267<br>3.24564<br>1<br>0<br>1<br>1<br>1<br>9<br>1<br>9<br>1<br>1<br>1<br>1<br>1   | -2.29622<br>4 183832<br>0<br>1<br>0<br>1<br>0<br>0  | -1 29465  
  | -2 17192<br>4.312131<br>0<br>0<br>1<br>0<br>0   | 2 73966<br>-1.31806<br>2.491771<br>1<br>1<br>1<br>0<br>0  | -1.11126   | -2.43426   | -1.61379   
  | -1.06248  | -1.72678  | -1.44085  | -1.53806  | -1.36625   
  | -1.50000   | -1.84874   | -1.61055  | -2.42547   | -2 05750  
  | -2.31871  | -1.60476   | -1 72181  | -2.15411   | -0.82559   
  | -1 68202   | -1 3852   | -2 09556   | 3 494762<br>-1.64265<br>3 158344<br>1<br>0<br>0<br>1<br>1<br>1<br>0<br>0   | 1 55548   
  | 1 21735   |
| False sterm in X? (Y=1.Rh-<br>False sterm in MR? (Y=1.R<br>Sub-total X compto charts<br>Sub-total MR contrail chart<br>False altern in X? (Y=1.Rh-<br>False sterm in MR? (Y=1.Rh-<br>Sub-total X control charts<br>Sub-total MR control chart   | H+O)<br>with at is<br>to with at<br>+O)<br>H+O)<br>with at is | least one<br>0<br>0<br>0<br>1 end one 1  | false plar<br>(<br>(<br>(alse als/m  | k1=<br>mk1=<br>} 0<br>} 0  | 0   | 0<br>0<br>12<br>8<br>0<br>0<br>0<br>19<br>21  
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  | 0  | 0  | 1   | 0 0  | 0   
  | 0   | 0  | 0<br>0<br>0   | 0<br>0<br>1<br>1   | 0  
  | 0  | 0<br>0<br>0   | 0  | 0  | 0<br>0  
  | 0   |
| False siarm in X7 (Y=1/Ab<br>False altern in MR7 (Y=1/A<br>Sub-total X control charts<br>Sub-total MR control chart<br>False siarm in X7 (Y=1/Ab<br>False siarm in MR7 (Y=1/Ab<br>Sub-total X control charts<br>Sub-total MR control chart  | NI-O) with at it to with a -O) NI-O; with at it               | l least on<br>1<br>1<br>sest one 1   | e feise sier<br>i<br>Imais seich   | m k 10 -<br>  f<br>  0<br>  k 10 -   |   | 0<br>0<br>110<br>40<br>1<br>139   
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   | 10   | 20   | 21   | 22   
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Exponential (Mean=1)	k + 56 abs		SNR 2 proc
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| Estimator shape parameter Estimator scale parameter Costruct than't constant 42 Costruct than't constant 42 Costruct than't constant 42 Costruct than't constant 52 Costruct than't constant 50 Costruct confort of than't X Upper control land MR False alarm in X (Y-14)-M-0 False alarm in X (Y-14)-M-0 Tatal hate alarm in X (Y-14)-M-0 Tatal hate alarm in MR False alarm in MR (Y-14)-M-0 Tatal base alarm in MR Sub-total X control chaints with | 0 0 0 95147<br>1 004454<br>0 991457<br>4 035247<br>4 025467<br>-1 02121<br>4 017879<br>0) 0<br>1 1<br>-0) 1<br>-0) 0<br>0 th at least on 1   | e feles aterm  | 0<br>1 026545<br>0 974898<br>1 006372<br>4 194255<br>3 955253<br>-2 1575<br>4 195813<br>1<br>0<br>0<br>0<br>0<br>0  | 0<br>1 222167<br>0 979744<br>1 002223<br>4 189088<br>5 029811<br>- 2 81148<br>5 330211<br>1<br>1<br>0<br>0<br>0  | 0 731907<br>1.000341<br>0.98407<br>4.058803<br>3.11533<br>-1.55817<br>3.183221<br>1<br>1<br>1<br>0<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>2<br>2<br>2<br>2<br>2<br>2<br>2  
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| Normal space control first X<br>Normal lower control first X<br>Normal upper control first M<br>False alarm in X (Y **I-N**O<br>False alarm in X X **V **I-N**O<br>Table alarm in X X **V **I-N**O<br>Table alarm in MR X (Y **I-N**<br>False alarm in MR X (Y **I-N**<br>False alarm in MR X (Y **I-N**<br>Total false alarm in MR X<br>Sub-total normal X control of<br>Sub-total normal M Control  | -1 5955 IR 3.253934 )) 1 )) 1 )) 1 )) 1 () 1 () 1 () 1 () 1  | 3.742141<br>1<br>1<br>0<br>1<br>0<br>0<br>0<br>0<br>0<br>0<br>0<br>0   | -1 74287<br>3.24584<br>1<br>0<br>1<br>1<br>1<br>0<br>0<br>0<br>0<br>t<br>slorm k 30   | -2.29622<br>4 183832<br>1<br>1<br>1<br>1<br>0<br>0<br>0  | -1.29465  
   | -2.17192   | -1.31606  | -1 11128  | -2 43426   
  | -1.01370   | -1 85246  | -1.72876  | -1 44065  | -1.53806   | -1.36825   
   | -1.50688   | -1.84974   | -1 81055   | -2 42547   
   | -2 05756   | -2.31871  | -1.60476  | -1 72191  | -2 15411   | 2.539558<br>-0.62559<br>1.844678<br>1<br>1<br>1<br>1<br>1<br>0<br>1           | -1.88202   | -1 3852  | -2 09556   |
3.494762<br>-1.64265<br>3.156344<br>-1.6<br>-1.6<br>-1.6<br>-1.6<br>-1.6<br>-1.6<br>-1.6<br>-1.6  | 3 4926<br>-1 55548<br>3 095437<br>1<br>1<br>1<br>1<br>0   | -1 21735   |
| False alarm in X? (Y=1AN=0) False alarm in MR? (Y=1AN=0) Sub-lotal X control charts w Sub-lotal MR control charts False alarm in X? (Y=1AN=0) False alarm in MR? (Y=1AN=0) Sub-total MR control charts w Sub-total MR control charts  | i=0) () with at least one if with at least on () i=0) () with at least one if () with at least one if ()   | e falce sierm<br>1 1<br>0 0<br>falce slerm k   | 0<br>0  | 0  | 0<br>9<br>41<br>20<br>0<br>0<br>63<br>46  
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| False starm in X7 (Y=1Ri=C<br>False starm in MR? (Y=1Ri=<br>Sub-lotal X control charts w<br>Sub-lotal MR control charts<br>False starm in MR? (Y=1Ri=C<br>False altern in MR? (Y=1Ri=<br>Sub-lotal X control charts w<br>Sub-lotal MR control charts  | I=D) with at least one with at least one with at least on  iiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiii   | e faice alerm<br>1 1<br>1 0<br>faice slorm k   | nk 10 -<br>1<br>1<br>10 -   | 1<br>0<br>1  | 101<br>   
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1 29594 0 85213 0.62149 1.50392 0.5515 3 31244

0 80229 0 81039 2.01232 0.43314 1 18294 0.13818 0.20521 9.5884 0.48622 1.30104 2.09219 1.78531 1.77151 1.01236 1.30225

0.00434 0 51138

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1 43817 1 97735 3.43389 2 62637 1 13803 1 03661 1 05094 4 82496

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2.39983 0.7991 0.81997 1 12829 0 7567 1 79548 0 75773 0 85133 2 7150 2.1776 1 81618

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ORJECTIVE # 3 Gemma (1.5. 1.0)

False starm in X7 (Y=1/N=0)

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0 05584 1 50087 1 94105

1 80587 0 89989 0 91492

0 27312

2 20902 2 63458 0 41629 0 22637 1 10322 1 82583 0 72957

1 23723 0 20618 0 75517

2 86509 0 13831 4 58205 0 79714

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0 55836 0 47964

2 62822 2 79424

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| 1 2<br>OBJECTIVE #3  | 3                                    | •  | 5  | •   | 7  | •  |  
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| New observations h =   | 10                                   | 2 95 207 2 95613 1 77 1565 2 9652 2 96513 1 77 1565 2 96932 2 96932 2 16402 9 1 77 1565 2 9652 2 965 | 8 21134<br>1 7123<br>2 5 90472<br>2 1 83822<br>3 05418<br>1 98928<br>1 1 98928<br>1 1 98928<br>1 1 98928<br>1 1 98928<br>1 1 98928<br>1 1 98927<br>1 72039<br>3 26738<br>1 7 2039<br>3 1 24499<br>1 1 24928<br>1 2492 | 1 903<br>2 771<br>6 0428<br>2 5294<br>4 6618<br>1 617<br>1 6028<br>1 4178<br>4 4016<br>3 128<br>1 655<br>2 7301<br>2 4304<br>1 835<br>1 9738<br>1 | 3 17776<br>2 53068<br>1 42801<br>1 40901<br>1 40905<br>1 87706<br>1 59902<br>3 48776<br>1 3913<br>1 8107<br>1 80051<br>1 47656<br>1 69905<br>5 1144<br>1 83137<br>2 94212<br>2 92848<br>5 50031<br>1 1 44279<br>1 30623<br>1 1 8256<br>5 1 1427<br>2 17432<br>2 17432<br>3 1 47344 | 1 81013<br>4 81048<br>2 33418<br>1 35716<br>2 15562<br>2 15562<br>2 8235<br>1 98278<br>1 9474<br>1 44043<br>3 54893<br>3 46759<br>2 51732<br>2 20375<br>1 83197<br>1 74757<br>3 36197<br>2 95742<br>2 78008<br>1 83741<br>3 30815<br>1 78081 | 1 52943<br>4 89821<br>1 94511<br>2 57009<br>3 00093<br>1 84857<br>3 10941<br>2 37652<br>1 70994<br>2 9861<br>2 1800<br>2 8805<br>3 36146<br>1 71402<br>2 3284<br>1 71402<br>2 3284<br>1 71402<br>2 5284<br>1 71402<br>2 5284<br>1 71402<br>2 3284<br>1 7155<br>1 | 1 82927<br>1 57265<br>1 40427<br>3 24078<br>2 14131<br>2 8322<br>4 28029<br>1 98007<br>2 09593<br>2 09593<br>3 94431<br>2 72909<br>5 7177<br>4 10862<br>1 4172<br>2 90898<br>2 91898<br>2 | 2 6375<br>4 4079<br>5 0999<br>2 6878<br>5 1626<br>2 5908<br>2 1005<br>2 2383<br>3 3896<br>1 8998<br>1 8293<br>3 2051<br>1 8188<br>2 202<br>1 8292<br>1 8292<br>1 8292<br>1 8292<br>1 8292<br>2 6847<br>2 705<br>1 875<br>2 741<br>1 875<br>2 741<br>1 875<br>2 741<br>1 875<br>2 1829<br>2 1 8292<br>2 829 | 2 24891<br>4 73421<br>4 33962<br>2 28009<br>1 94832<br>2 72797<br>3 12248<br>2 54:53<br>3 185181<br>1 85203<br>1 85181<br>1 71958<br>1 71958<br>1 71958<br>1 71958<br>1 71958<br>1 71958<br>1 71958<br>1 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1.69817<br>2.8957<br>2.20845<br>5.01835<br>1.89512<br>1.89512<br>1.89518<br>1.89510<br>1.89516<br>1.8928<br>3.51531<br>3.8971<br>2.07938<br>2.39486<br>3.77144<br>3.50199<br>1.8929<br>1.8929<br>1.8929<br>2.2948<br>2.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2948<br>3.2 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83741<br>2 32345<br>2 32345<br>2 1284<br>1 7355<br>3 12814<br>1 7355<br>3 2586<br>2 25045<br>2 3219<br>2 32408<br>4 04503<br>1 60571<br>2 84108<br>4 17135<br>1 50571<br>2 84108<br>4 17135<br>1 50571<br>2 84108<br>4 17135<br>1 50571<br>2 84108<br>4 17135<br>1 50533<br>7 7 3223 | 1 70004<br>2 22231<br>1 97831<br>1 46428<br>1 49515<br>3 06249<br>1 41529<br>1 41529<br>1 41529<br>1 41529<br>1 80847<br>2 18016<br>1 50103<br>1 50103<br>1 50103<br>1 50103<br>1 50103<br>1 7150<br>2 8867<br>2 8867<br>2 8867<br>2 8867<br>3 06545<br>5 7546<br>8 754 | 3 08456<br>1 46146<br>2 27438<br>3 08444<br>2 3 30444<br>1 82169<br>2 15223<br>4 8816<br>3 58817<br>1 77480<br>1 50191<br>2 07934<br>4 00235<br>2 87714<br>2 15006<br>5 78321<br>2 8714<br>2 15006<br>3 3 15006<br>3 | 1 65215<br>1 96927<br>2 5821<br>2 82712<br>3 20033<br>1 51995<br>3 20033<br>1 51995<br>3 28779<br>1 83856<br>3 1746<br>1 42738<br>1 56292<br>2 53458<br>1 70285<br>2 1045<br>1 81385<br>1 70285<br>2 71045<br>2 71047<br>2 3029<br>1 56292<br>2 71215<br>2 43299<br>1 56292<br>2 71215<br>2 33215<br>3 24342<br>2 33215<br>5 59975<br>3 5,51399 | 1 79287<br>1 92598<br>2 18195<br>1 99654<br>2 29671<br>1 57237<br>3 13738<br>2 78903<br>3 99283<br>2 54953<br>2 54953<br>3 99283<br>2 54953<br>4 05503<br>1 45198<br>4 05503<br>1 45198<br>1 45198<br>1 45198<br>2 23457<br>2 23457<br>2 27512<br>3 96286<br>2 27512<br>3 54853<br>3 3 2599<br>6 15411<br>1 70488<br>7 92984 |
| Estimator shape parameter<br>Estimator ecale parameter   | •                                    | 0 816592   | 1 926318<br>0<br>0 667965  | 0.543668  | 0 567053   | 0.456371   | 1.287527   
   | 0<br>0 <b>88</b> 4125  | 0<br>1 128915  | 0.021501  | 0<br>0.564941   
  | 0<br>0 750232   | 0<br>0 778430                               |  | 0 407561  | 0.619295   | £.080083   
   | 0<br>0.000174   | 0<br>860033  | 0<br>1.339478  | 0<br>828556   | 1.031968  | 0.32944   
   | 0.526311  | 0.542154  | 1.520316  | 0 720000  | 1.419684  
  | 0<br>0 605332   | 0 819973 (<br>0<br>2.582739 (   | 0.431284  | 0<br>1 062426  |
| Control othert constant d2<br>Control ethert constant d3<br>Control shert constant D4<br>Upper control thret X<br>Lower control thret X<br>Upper control thret MR  | <b>.</b> .                           | 0 931714<br>3 826184<br>5 702395<br>-2 24941   | 0 937441<br>3 674977<br>3 33014<br>0 75672   | 0 940677<br>3 705167<br>3.416505<br>-1 43213  | 0.91974<br>3.536471<br>4.078465<br>-1.1997   | 0.000667<br>3.432003<br>3.941321<br>-0.50040   | 0.989237<br>4.088053<br>5.737883<br>-3.11245   
   | 0 830443<br>3 615753<br>4 760722<br>-1 80833   | 0.97869<br>4.015673<br>6.320775<br>-3.76794  | 0 937352<br>3.674202<br>5.276962<br>-1.72339  | 0.909734<br>3.479676<br>3.431312<br>0.0193  
  | 0.946435<br>3.754511<br>4.429075<br>-1.89081  | 0 937273<br>3 873514<br>4 481383<br>-1.4743 | 1.010938<br>4.22053<br>4.725921<br>-2.31939  | 0.824288<br>3.568101<br>2.827851<br>-0.97598  | 0.01857<br>3.518398<br>5.518527<br>-2.14321  | 0 962302<br>3.890409<br>4.384881<br>-1.45266   
   | 0.954093<br>3.82157<br>6.170858<br>-3.45892   | 0.945302<br>3.744458<br>5.347153<br>-2.41174   | 0.992724<br>4.110731<br>5.865069<br>-3.02092   | 0 932978<br>3 636723<br>6 338134<br>-2 90675  | 0.826769<br>3.588692<br>7.363368<br>-2.8248   | 0.075320<br>3.37333<br>3.930141<br>-0.18700   
   | 0 923058<br>3.559229<br>4.250901<br>-1.87958  | 0 918013<br>3 525328<br>4 745308<br>-1.86105  | 0 872323<br>3.908951<br>6 606902<br>-2.91   | 0 922618<br>3 556107<br>5 684746<br>-2 13926  | 0.980402<br>4 027835<br>7 630881<br>-4 47583  
  | 0 912279<br>3 491849<br>4 766804<br>-1 22255  | 0.08567 1<br>1.014343 (<br>4.236642 3<br>10.30561<br>-0.10367<br>11.18707 3   | 0 931769 1<br>3.626807 2<br>2 68269 1<br>-0.86135   | 980384<br>3 874674<br>5 907861<br>-2 95466   |
| Faise altern in X7 (Y-1A)-<br>Faise altern in X7 (Y-1A)-<br>Faise altern in X7 (Y-1A)-<br>Total faise altern in X<br>Faise altern in MR7 (Y-1A)-<br>Faise altern in MR7 (Y-1A)-<br>Total faise altern in MR7<br>Total faise altern in MR               | 0)<br>0)<br>←0)<br>←0)               |  |  |   | 1 1 0 1 0 1  | 0 0 1 1 0 0 0  | 0<br>1<br>1<br>0<br>0  
   | 1<br>0<br>1<br>0<br>0  | 1<br>0<br>1<br>0<br>0  | 0 0 0   | 1   
  | 1<br>0<br>1<br>1<br>0   | 1 0 0 0                                     | 0<br>0<br>1<br>0<br>0  | 1   | 1<br>0<br>1<br>1<br>0<br>0   | 1 0 0 0  
   | 0 0 0   | 0<br>1<br>1<br>9<br>9  | 0<br>1<br>1<br>0<br>0  | 0<br>0<br>0<br>0  | 0<br>0<br>0<br>0  | 1<br>0<br>1<br>0<br>1   
   | 1<br>0<br>1<br>0<br>0   | †<br>1<br>0<br>0  | 1<br>0<br>1<br>0<br>0   | 1 1 0 0 0   | 0   
  | 8<br>1<br>0<br>0  | 0000  | 1   | 0<br>1<br>0<br>0   |
| Sub-total X control charts v<br>Sub-total fill? control charts<br>Normal lower control first X<br>Normal lower control first X<br>Normal spiper control first I<br>Falso alarm in X? (Y=1R6-<br>Falso alarm in X? (Y=1R6-<br>Falso alarm in X? (Y=1R6- | s with a<br>K<br>(<br>MR<br>()<br>() | 5 475015<br>-2 02204   | e feise slan<br>3 202218   | m k 30 =<br>3.256463<br>3.1.27206   | -1 07498   | -0.51137   | -2.59112   
   | -1.62231   | -3.23043   | -1.50452  | 0 008208  
  | -1.05428  | -1,28637                                    | 1.82471  | -0.87886  | -1,971   | -1,19347   
   | -3.07517  | -2 13802   | -2.49326   | -2.63703  | -2 36097  | -0 14241  
   | -1 53001  | -1.70015  | -2.43586  | -1 94575  | -3.81989  
  | -1 09669  | 9 125187 :<br>-4 92282<br>8 830922 :<br>0<br>0  | -0 75988  | -2 57041   |
| Total false alarm in X False alarm in MR? (Y=1# False alarm in MR? (Y=1# False alarm in MR? (Y=1# Total false alarm in MR Sub-total X control charts Sub-total MR control charts   | 4-0)<br>4-0)<br>with at              |  |  |   | 1 1  | 1<br>0<br>0<br>1<br>193<br>125   | 1<br>0<br>0<br>0   
   | 0<br>0<br>0  | 1<br>0<br>0<br>0   | 0<br>0<br>0<br>0  | 1   
  | 1<br>1<br>0<br>1  | 1<br>0<br>0<br>1<br>1                       | 0<br>0<br>0  | 1 0 1   | 0 0  | 1<br>0<br>1<br>0   
   | 0   | 1<br>0<br>0<br>0   | 1<br>0<br>0<br>1<br>1  | 0<br>0<br>0   | 0<br>0<br>0<br>0  | 1<br>1<br>0<br>1  
   | 1<br>0<br>0<br>0  | 1<br>0<br>0<br>0  | 1<br>0<br>0<br>0  | 1<br>0<br>0<br>0  | 1<br>0<br>0<br>0  
  | 1<br>0<br>0<br>1  | 0<br>0<br>0   | 1   | 1<br>0<br>0<br>1   |
| False alarm in X7 (Y=1A)=<br>False alarm in MR? (Y=1A<br>Sub-lotel X control cherts :  | ₩C)                                  |  |  |   |  | 1<br>1<br>23   | 8  
   | 0  | 0  | 0   | 0   
  | 0   | 0   | 0  | 1   | 0  | 0  
   | 0   | 0  | 0  | 0   | 0   | 1   
   | 0   | 0   | 0   | 0   | 0   
  | 0   | 0   | 1   | •  |
| Sub-total MR control chart<br>faise alarm in X7 (Y=1#h-<br>faise alarm in MR? (Y=1#<br>Sub-total X control charts<br>Sub-total MR control chart  | (0)<br>N=0)<br>with at               | least one  | 0 (<br>0 (<br>false alarm  | k!=   |  | 14<br>1<br>1<br>26<br>27   | 0  
   | 0  | 0  | 0   | 0   
  | 9   | 0   | 0  | 0   | 0  | 0  
   | 8   | 0  | 0  | 0   | 0   | 1   
   | 0   | 0   | 0   | 0   | 0   
  | 0   | 0   | ;   | 8  |
| False alarm in X? (Y=1A)=<br>False alarm in MR? (Y=1A<br>Sub-total X control charts  | N=0)<br>with at                      |  |  |   | : 8  | 199  | :  
   | 0  | 0  | 0   | ;   
  | ;   | 0   | 0  | ;   | 0  | 0  
   | 0   | 0  | ò  | 0   | 0   | 0   
   | 0   | 0   | 0   | 0   | 0   
  | 0   | 0   | ;   | 0  |
| Sub-total MR control chart<br>False alarm in X7 (Y=1/M=<br>False alarm in MR7 (Y=1/<br>Sub-total X control charts<br>Sub-total MR control chart  | -0)<br>H0)<br>with at                | least one  | 0<br>Salso alerm   | t 10 =  | 1 6  | 115<br>70  | 8  
   | 1  | 0  | 0   | 1   
  | 1   | 0   | 1  | 1   | 0  | 0  
   | 0   | 0  | 1  | 0   | 8   | ;   
   | •   | 0   | 0   | 8   | 0   
  | 0   | 0   | 1   |  |

3 00070

3 83214

5 08029 3 99992 2 99268

5 01841

3 13417

2 87926

3 9198 3 2262 6 01325 3.5260 3 10705

4 18152 2.87018 3 87336 4 72016 2 92125 3 09837

6 704E3 2 63870

4 56305 4 8503 6.37252 2.54549 3 26455 4 51636 7 73988 3 34998 2 7326 3 71875 2.72058 4 3861

3 63357 3 41637 2 7326 5 15416 8.8565 2 50431 2 65 1 77

1 81050

8 40471

3 04064 3 21928 2 54179 3 28718

12

4 88741 5 22188 3 48972 3 80552 2 9712 5 5314 2 90845 3 85976 3.4477 2.87892 5 35012 4 94582

3 03114 3 45087 2 9382

•

Sub-total X control charts with at least one false alarm k 1 a

Sub total X control charts with at least one false starm is 10 a Sub-total All Control charts with at least one false starm k 10 = False starm in X7 (Y=1/H=0)

Sub-total X control charts with at least one false alarm k 10 = Sub-total MR control charts with at least one false starm k 10 =

False alarm in X? (Y=1#N=0) False alarm in MR? (Y=1#N=0)

Falsa electro in MR7 (Ya SAMO)

k = 10 abs

2 99891 7 53409 5 55434

SNR 2 process standard develope

5 46481 4 48993

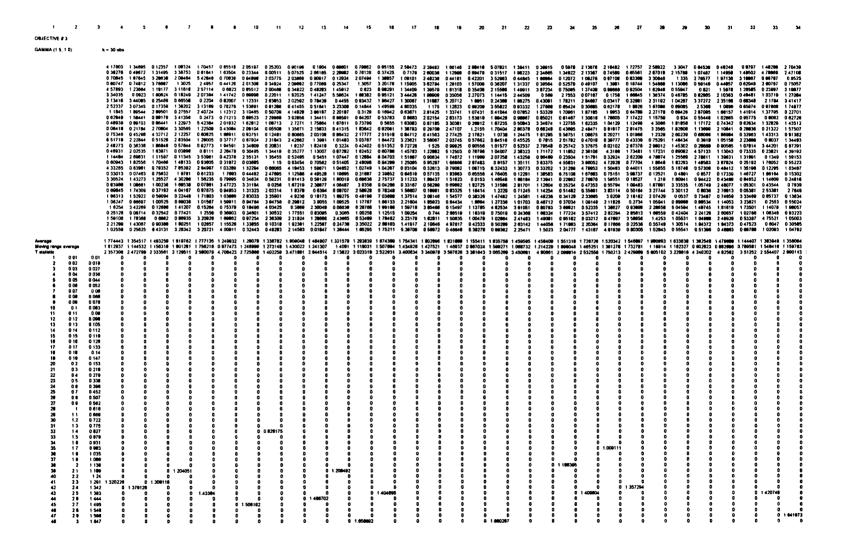
3 81343

4 31404 4 34433 2 7704 4 97997 3 47557 7 45784 4 13347 3 8121 3 6575 4 1872 3 67306 3 35454 4 27224 4 000007 2 82676 4 1944 3 23005

4 13347 5 42632 4 32996 3 32159

2 92975

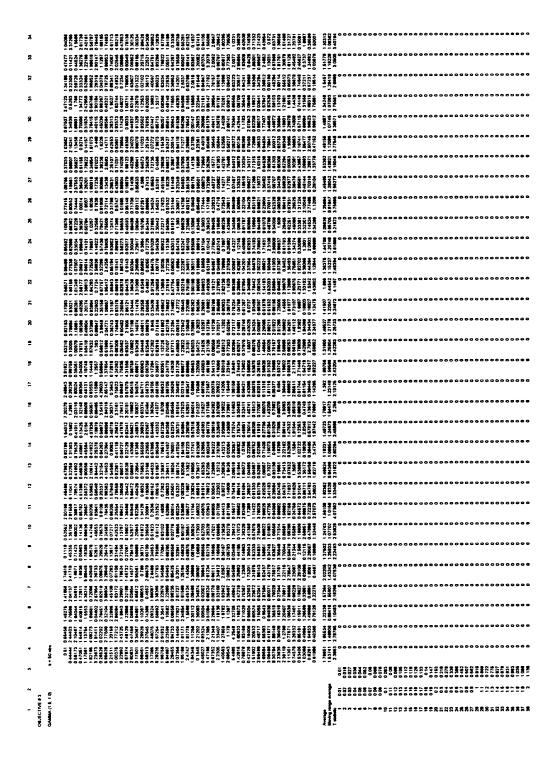
OBJECTIVE # 1 Garreno (1.5, 1.0)



Sub-total X control charts with all least one false alarm it 10 = Sub-total MR control charts with at least one false alarm it 10 =

S 2	3		•	,	•	•	10	11	12	13	14	15	16	17	18	10	20	21	22	23	24	25	20	27	28	29	30	31	32	33	и
Gemma (1 5, 1 0)	k = 30 ol	•	Shelt 1 pro	cess stands	erd devletion	•																									
Henr observations k =	1 2 8526 2 8501 1 7852 1 7159 2 8803 2 1572 2 1640 4 7861 1 7769 3 3772 3 321 3 321 3 321 1 579 2 2 1835 1 651 2 1835 3 3 1772 1 8055 3 3 1772 1 8055 3 3 1772 1 8055 3 3 1772 3 3 2 1835 3 3 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	2 8 21134 2 3 50472 2 3 50472 2 1 83923 3 505418 6 1 78277 8 4 0992 2 1 94226 5 1 96997 5 1 96997 5 1 96997 6 2 205275 8 2 205275 8 3 205275 8 3 205275 8 1 30582 9 1 30582 9 1 49886 9 1 96997 7 3 26736 8 1 30582 9 1 30582 9 1 49895 1 3 1 24499 9 1 46995 1 3 05827 9 1 3 05827 9	2 3499 1 803 2 771 6 0428 2 5294 4 6618 1 817 1 6829 1 4476 3 128 1 455 4 3056 2 7301 2 4304 1 855 2 7301 2 4304 1 855 2 7301 2 4304 1 855 2 456 1 865 2 456 2 456 1 865 2 456 2 566 2 566	1 429015 1 429015 1 87704 1 59929 3 468929 1 3913 1 73973 1 8107 1 47856 1 69955 5 51944 1 62137 2 94212 2 9448 1 62482 1 3993 3 09244 1 1,8258 5 11427 2 347344 1 49731	1 37990 1 81013 4 81046 2 33418 1 35718 2 13562 5 02832 2 38035 1 38052 2 1235 1 96276 1 9474 1 44043 3 46043 3 46073 3 46759 2 51732 2 78097 1 74757 3 36673 1 83167 1 74757 3 3617 1 74757 1 74757 3 3617 1 74757 1	4 83023 1 94511 2 52003 3 00993 3 10981 2 37652 1 70994 2 68614 2 68614 2 17451 2 1806 2 87451 2 1806 2 17451 2 1806 2 17451 2 1806 3 3867 2 4 1565 1 71402 2 32884 3 18851 2 8661 2 8661 3 18851 2 8662 3 18851 2 8663 3 18851 2 8663	4 67127 2 94089 2 36152	4 4072 5 0989 2 6878 5 1626 2 5908 2 1005	1 87512 2 24891 4 73421 4 33900 1 94832 2 72797 3 12248 2 54163 1 85181 1 85203 2 27013 1 80035 1 71636 1 72864 1 1604 1 72864 1 1604 2 4 6125 2 4 6125 2 4 6125 2 12015 1 1804 2 12015 1 1804 1 1804	3.96326 3.39616 6.14522 3.02496 2.39641 2.12966 1.82261 2.32918 2.53275 3.72062 3.0301 2.32918 2.53275 3.72062 3.0301 1.81542 5.7371 2.09661 1.83651 5.1079 2.01055 4.34765 2.54765 1.93674 2.54765 2.54765 1.93674 2.55567 3.1715	7 73362 3 22218 2 82032 2 24705 4 49078 3 52977 1 73696 1 55714 2 17364 4 44937	2.07483 2.425 <b>66</b>	2 07528 4 24342 4 21678 3 07711 3 05942 2 55841 5 34278 4 34684 2 45784 2 12241 1 23068 4 57846 2 06745 3 35294 3 75294 3 75294 3 75294 3 21625 2 06621 1 55624 4 25705 2 0693 1 55624 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	3 17881 3.0056 1 811 3.0012 2 30078 6 20064 3 90702 2 90829 2 10559 2 2082 2 2082 2 2082 2 2082 3 3 00021 2 32763 3 00021 1 3023 1 1,3623 2 2,65703 2 265703 2 265703 2 265703 2 3,0531 1 3,0531	4,0052 6,40302 2,82048 2,00201 1,9748 2,00201 1,9748 4,39512 4,5837 1,987 4,2123 2,00765 1,9484 1,34119 3,12455 2,3378 1,86724	2 25836 2 86312 3 11126 3 11126 5 18333 1 48962 2 6721( 2 15328 4 12246 1 40036 1 40036 2 19734 2 13734 1 4904 2 19613 2 257375 2 02745 1 81305 2 89042 1 93312 1 9332	1 85232 1.8453 3 3722 2 17182 3 37132 1 30994 3 0994 1 0994 1 4448 2 56143 1 49162 2 13776 1 70362 2 20986 1 49162 2 77022 1 49162 2 77022 1 20029 2 2 33436 4 2956 1 95516 2 03095 2 04931 1 56955 2 1,56955 3 1,7653 3 1,7653 3 1,7653 3 1,7625 3 1,7625 3 3,83437	1.00817 2.0057 2.2085 5.01825 5.01825 1.80412 1.80408 1.82418 1.80408 1.87305 2.51434 1.92208 3.51531 3.80714 2.07934 2.07934 2.07934 2.07934 3.55153 3.80714 3.55159 1.78428 3.77144 3.50190 1.6448 3.77144 3.50190 1.7852 2.28273 2.28273 2.18531 1.50648 4.18542 4.18542 4.18542 4.18542 4.18542 4.18548	3.9808 3.980 2.1956 1.8772 1.6372 5.2078 2.1783 8.2080 3.0748 1.8552 2.4814 1.7391 2.2653 2.0867 3.1784 1.4223 2.6834 2.7008	2 61863 4 79090 2 99037 4 07003 2 20441 2 190936 1 91551 2 82781 2 17439 2 02781 1 7439 2 10742 1 75477 2 23978 2 10742 1 10742 1 10742 1 10854 3 14528 4 43708 4 48791 1 4528 1 1854 3 14709 2 1925 2 1925 2 1925 1 1951 1 14528 1 1854 1 1854 1 1855 1 1855	3 85641 1 82096 3 83786 4 4085 4 412352 2 15885 1 818641 5 73208 2 2 56495 3 81701 3 58464 3 49777 1 74642 2 16065 5 74356 1 8895 2 8250 3 21588 3 21588 3 21588 3 21688 2 83787 1 8797 2 93977	2 71481 2 66778 5 8173 1 44733 2 37031 2 42862 3 18082 2 61443 2 12128 2 36213 1 25086 1 41183 2 21228 2 36213 1 25086 1 42246 1 42246 1 42246 1 56282 3 68123 3 68126 3 7875 2 63036 3 7875 2 41571 3 82073	2 21254 2 17196 1 69058 3 04455 2 84555 2 82571 1 32842 2 17861 2 51967 4 3438 1 19889 2 32724 1 19889 3 1168 1 5155 3 5482 2 35918 1 19889 1	2:36083 1:50313 1:807812 2:39818 1:98086 2:59292 2:8113 2:39292 2:8113 1:38717 3:75175 1:35743 4:74704 2:21402 1:4954 4:59181 4:59181 3:74704 2:210053 1:9713 3:74704 4:59181 5:19794 4:59181 5:19794 4:59181 5:19794 4:59181 5:19794 4:59181 5:19794 4:59181 5:19794 4:59181 5:19794 4:59181 5:19794 4:59181 5:29181	F 36101 1 95066 2 56094 5 30767 1 99044 1 71292 2 21906 2 42052 1 42614 3 3223 6 6208 1 55934 2 29775 3 3562 4 29527 4 29556 3 08667 4 2969 3 36224 2 52937 5 10156 6 20763 2 32241 2 3443 2 3443 2 3443 1 51335	2 5019 3 22495 5 95678 1 50705 2 14938 2 45928 5 44088 1 57711 3 56855 1 14378 3 20126 1 18948 6 03398 1 18949 2 3 7628 1 18942 3 7628 2 13153 2 05948 1 18948 2 3 50712 2 5071 2 5071 2 5094 3 7928 3	2 25442 2 69376 1 53992 2 69755 1 49531 3 04603 2 03606 1 41320 1 64560 1 64560 1 64560 1 72557 2 9757 1 53164 3 32606 2 12713 2 12757 1 53164 3 32606 4 04503 1 60450 1 60450	1 70894 2 2224 1 97831 1 49515 3 69216 1 49515 3 69216 2 40898 1 30111 1 554 1 62236 2 05365 1 30572 2 687814 2 33037 2 687814 2 33037 2 687814 5 17486 5 2546 8 7126 8 7126 8 7126 8 7126 8 7126 8 7126 8 7126 8 7126 8 7126	3 08456 1 48148 2 27436 3 09845 1 82189 2 15223 4 8816 3 58877 1 77498 1 60938 1 54808 1 54808 1 51091 2 0793 4 08235 2 0793 4 08235 2 0793 3	2 5821 2 82712 3 2003 5 2003 5 1995 3 03828 2 28179 1,93856 3 1746 1 42738 1 56292 2 53458 1 70285 2 1045 2 1045 2 1045 2 1045 2 1045 2 1028 2 71215 2 43290 1 58205 2 24329 2 32525 2 33525 5 9075	1 79287 1 92588 2 97685 2 19765 2 19763 2 19763 2 19763 3 13738 1 13738 2 14078 2 1748 2
Estimator shape parameter Estimator scale parameter Estimator scale parameter Cactor other constant d3 Cactor other constant d3 Lipper control limit 3 Lipper control limit 4 Lipper control limit 4 Lipper control limit 4 Lipper control limit 4 Lipper control limit 5 Lipper control limit 4 Lipper control limit 5 Lipper control limit 4 Lipper control limit 5 Lipper co	1 34404 1 02499 0 98461 3 90910 6 4952 -2 9463 6 30513 )) )	0 1 0 0 0 1 0 1 0 1 0 0 0 0	0 1 141534 1,024036 0 995307 3 915333 4,890791 -1,89427 4,527372 1 1 1 0 1 1 1	0 1.59442 1.015051 0.972735 3.972048 7.243478	0 1.239423 1 033211 0.857815 3 854081 6.87843 -3.32218	0 8 498338 1 073178 0 821508 3 546378 3 982395 -1 48253	0 855848 1 037818 0 954057 3 82128 4.895106 -2 31355	0 1.616545 0.9671 1.013103 4.232725 5.206163 -2.6106	0 1 012389 1 055894 0.836798 3.896743 5.972014 -2.15392	0 0 998776 1.835351 0 958163 3.839286 5.061678 -2.13198	0 1 993577 1.915464 0 972397 3 989508 5.484503 -2.84135	0 0.779941 1.04613 0.947233 3.761586 4.502897 -1.91522	0 1 192002 1 031229 0 959534 3 967626 6 061092 -2 71229	0.94984 1.054501 0.940025 3.967659 5.836629 -2.32795	0.00000 1.053313 0.941072 3.706912 5.808701 -2.26291	6 0 940002 1 058183 0 938715 3 868661 5 967623 -2 33385	0 0.628002 1.054127 0.940358 3.700577 3.822925 -1.3121	0 1.092527 1.047171 0.948355 3.753802 8.417448 -2.74563	0.778514 1.055488 0.938151 3.069852 4.487247 -1.57808	0 570284 1.074172 0 920355 3 540556 4 846568 -1 93275	0 1 305389 1.013573 0.973648 3 961092 6.577235 -3.4748	0 1 224973 1 031568 0 959256 3 865319 5 987961 -2 53451	0 1 506616 0 993804 0 990328 4 095215 5 720198 -2 67951	0 1 130092 1 027824 0.96231 3.890477 6 604517 -3.51072	0.889543 1.081058 0.811845 3.488472 5.225321 -1.26353	0 926897 1 050932 0 943143 3 725282 4 95183 -1 68415	0 0 808221 1 987818 0 827363 3 591274 3.918439 -1.15334	0 576441 1.074381 0 920132 3 539069 3.945047 -0 98567	0 800341 1 058659 0 938099 3 880724 3 386135 -1 09732	0 974099 1 032331 0 959634 3 860123 5 863717 -3 11582	0 0 827083 1 045286 0 947943 3 767858 4 080616 -1 97049
Sub-total MR control charte Normal super control limit X Normal lovet control limit X Normal super control limit M False starm in XT (Y-184-0 False attern in XT (Y-184-0 Total false starm in XT (Y-184-0 Total false starm in MR (X-184-0 Sub-total normal X control of Sub-total normal MR control in Sub-total normal MR control in Sub	# 08416 -2.5152 IR 5 27107 )) )) =0) =0) -0)	# 4 398456 # -1 88945 7 3 740332 0 0 0 1 0 0 1 0 0 0 1 0 0 0 0 0 0	4.588574 -1.58206 3.778849 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	-2 97090 5.890598 0 0 0 0 0 0 0	-2.00365	-1.34973	-2.02571	-2.04725	-1.8942	-1.83844	-2 42603	-1 88231	5.684757 -2.33598 4.927799 0 0 0 0 0 0	-2.08195	-1.9937	5,739789 -2,07801 4,801902 0 0 0 0 0 0 0	-1 1505	-2.41762	-1.38278	-1 77082	-2.96476	-2 17022	-2.17987	-3.08158	-1 12852	-1 45748	-1 01804	-0 20044	-0 95554	5 502077 -2 73418 5 080224 0 0 1 1 1 9 0	
False aterm in X? (Y=1/N=0) False aterm in MR? (Y=1/N=0 Sub-lotal X control charts with-lotal MR control charts False aterm in X? (Y=1/N=0) False aterm in MR? (Y=1/N=0 Sub-lotal X control charts w Sub-total MR control charts	=())  with at least one with at least o ))  =(0)  with at least one with at least one	no falso alarr 0 0 0 0 falso alarm	1 0 k1 = mk1 = 0 0 1 1 k1 =	0	0 0 13 8 0 0 0	] :		0	0	0	0	0 0 0	0	0	0	0	0	0	0	0	0	0	0	0 0	0	0	0	0 0 0	9	0	0
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1 04783 1 36304 1 86014 1 86694 3 52062 0 44149 1 36035 1 09684 4 47702 0 6706 0 07126 1.20824 0.12711 0 94356 0.96727 2 15765 2.91482 5.35341 1.32115

1 83414 0 31954 5 85858 0 74962 2 47745

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OBJECTIVE # 3 Gertine (1.5.10)

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Sub-total X control charts with at least one false alarm k 1 = Sub-total MR control charts with at least one false alarm k 1 =

Sub-total X control charts with at least one false alarm it 10 = Sub-total MR control charts with at least one false alarm it 10 = False plants in X? (Y=1N=0) 0 Bub-total X control sharts with at least one false alarm k 10 = Sub-tetal MR control charts with at least one false plans it 10 a

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2 62822 2 78424 3 01452

2 20814

2 14412 0 62163 2 56339 0 73377 0 51575 0 62259

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2.5504<br>2.21254<br>2.17106<br>3.04441<br>2.52371<br>1.3265<br>2.52371<br>1.3266<br>2.54376<br>3.0107<br>4.3306<br>1.70854<br>3.70784<br>3.70784<br>3.70784<br>3.70784<br>3.70856<br>3.1000<br>3.1100<br>1.51565<br>3.54482<br>3.54482<br>3.54482<br>3.54482<br>3.5488<br>3.1100<br>1.51565<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.5488<br>3.548 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97831<br>1.48426<br>2.56191<br>1.69515<br>3.6624<br>2.56191<br>1.41208<br>1.66847<br>2.18016<br>2.40898<br>1.30111<br>1.54<br>1.30111<br>1.54<br>1.30121<br>1.30121<br>1.30121<br>1.30121<br>1.30121<br>1.30121<br>1.30121<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.30122<br>1.3012 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| Estimator shape parameter<br>Estimator scale personneter<br>Control delars constant 42<br>Control shart constant 42<br>Control shart constant 62<br>Lipper control shart 3<br>Lipper contr   | 1 1347<br>1 02610<br>0 98371<br>3 98184<br>6 29330<br>-2 5903<br>5 99872<br>0)<br>0)<br>0)  | 1 1 539702<br>3 0 7 1 075101<br>2 1 039773<br>3 0 952528<br>9 3 808048<br>9 3 808048<br>9 5 88748<br>9 6 88748<br>0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0  | 0 554841 1 1 08041 1 0 829194 3 805609 3 738608 -1.29291 1 1 5 5 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1  | 0<br>1.286656<br>1.018608<br>0.87146<br>3.962436<br>8.174443<br>-3.02717  | 0.023207<br>1.005630<br>0.029501<br>3.000065<br>6.054821<br>-2.01052   
  | 0<br>1 097631<br>1 019427<br>0 909156<br>3 844807<br>5 000996<br>-2.33096  | 0<br>0 963261<br>1 031769<br>0 859092<br>3 863951<br>4 379201<br>-1.88394   | 0<br>0.713055  <br>1.085817<br>0.929812  <br>3.609036  <br>4.420818  <br>-1.29867  | 8<br>0.883039<br>1.053172<br>0.941195<br>3.708005<br>4.874244<br>-1.767  | 0<br>1 127624<br>1 023408<br>0.985909<br>3.9194<br>4.232482<br>-1.3 | 0 824845<br>1 033961<br>0 857285<br>3 848765<br>4 292594<br>-1.80787   | 1.080849<br>1.028944<br>0.961307<br>3.863013<br>5.13221<br>-2.13775  
   | 0<br>1 393839<br>1 020785<br>0 988048<br>3 936211<br>6 307997<br>-2.77195  | 0<br>1.170102<br>1.013692<br>0.873849<br>3.890369<br>5.036525<br>-2.25253  | 0<br>1.300011<br>1.027801<br>0.062247<br>3.000062<br>6.457037<br>-2.00181  | 0<br>0 874443<br>1 027552  | 0<br>1 154447<br>1 020842<br>0 968002<br>3 935848<br>5 043047<br>-2 11341   
   | 0.78848<br>1.051328<br>0.942802<br>3.72258<br>4.897745<br>-2.0878  | 0.051130<br>1.000644<br>0.920572<br>3.00074  | 0 984793<br>1 029826<br>0 980876<br>3 877083<br>4.720738<br>-1 99323  | 0 738629<br>1 058524<br>0 936403<br>3 805953<br>4 809229<br>-1.97507   | 0.623691<br>1.050697<br>0.043345<br>3.727081<br>3.828078<br>-1.63625  | 0.618193<br>1.000806<br>0.934208<br>3.647108<br>3.853901<br>-1.34063   
  | 0<br>1.024478<br>1.032273<br>0.056081<br>3.060519<br>5.204877<br>-2.20558 | 0<br>1.241000<br>1.017004<br>0.970418<br>3.954409<br>5.772461<br>-2.70521   | 0<br>0 770090<br>1 061102<br>0 033920<br>3 044736<br>4 050356<br>-1 00726   | 0.001755<br>1.05381<br>0.940835<br>2.703045<br>4.535005<br>-1.50050 | 0<br>0 981202<br>1 036827<br>0 853308<br>3 814808<br>4 43489<br>-1,74993   | 0<br>1.034337<br>1.03708<br>0.054745<br>3.927176<br>5.200442<br>-2.19004   | 0.907358<br>1.046809<br>0.946862   
  | 0 703293<br>1 054841<br>0 938902<br>3 898589<br>4 385572<br>-1 77932  |
| Sub-total MF control charts<br>Normal loyer control first 3<br>Normal loyer control first 3<br>Normal loyer control first 3<br>February 19<br>February 19<br>Feb | K 5.86735<br>( -2.2603<br>MR 5.02424<br>())<br>()<br>()<br>()<br>()<br>()<br>()<br>()<br>()<br>()<br>()<br>()<br>()   | 3 5.812938<br>4 -2 30227<br>3 4.802975<br>0 0<br>0 0<br>0 1<br>0 0<br>0 0<br>0 1<br>0 0<br>0 0   | 3 80148<br>-1 1547<br>2 82212<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1<br>1  | -2 57283<br>5 005049<br>0<br>0<br>0<br>0<br>0<br>0<br>0<br>0  | -1.78757   
  | -1.97425   | -1.61679  | -1.14051   | -1.54341   | -1.04351  | -1.64956   | -1.81854   
   | -2.34015   | -1.00321   | -2.27642   | 4.667551<br>-2.02946<br>4.114533<br>0<br>1<br>0<br>0<br>0<br>0<br>0  | -1 77344  
   | -1 83087   | -1.8482  | -1.70107  | -1.7843  | -1.44898  | -1 1861  
  | -1.97731  | -2.29141  | -1.49955  | -1.30005  | -1 50548   | -1.00620   | 4 000000<br>-1 57330<br>3 798344<br>0<br>1<br>1<br>1<br>0<br>0<br>0   | -1 57885   
  |
| False alarm in X7 (Y=1A4-<br>False alarm in MR7 (Y=1A-<br>Sub-total X control charts o<br>Sub-total MR control that<br>False alarm in X7 (Y=1A4-<br>False alarm in MR7 (Y=1A-<br>Sub-total X control charts<br>Sub-total MR control charts   | H=0) with at least one s with at least or G) H=0) with at least one   | te false alarm<br>0 D<br>0 D<br>false alarm i  | 0<br>0<br>1   | 0<br>0<br>0  
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  | 0  | 8  | 0<br>0   | 0  | 0  | 9   
   | 0  | 0  | 0   | 0  | 1   | 0  
  | 0   | 0 0   | 0   | 0   | 0  | 0  | 0  
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| False starm in X7 (Y=1/h) False atterm in MR7 (Y=1/h) False atterm in MR7 (Y=1/h) Sub-total MR control chart False starm in X7 (Y=1/h) Bub-total X control chart Sub-total X control charts Sub-total X control charts   | N=0)<br>with at least one<br>is with at least or<br>=0)<br>N=0)<br>with at least one  | no faloo atarri<br>O 1<br>O 1<br>Saloo alarrii I   | 1 10 -<br>1 10 -  | 0<br>0<br>0  
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Estimator shape parameter Estimator schap parameter Control chief contract 22 Control chief constant 22 Control chief constant 04 Upper control heri X Upper control heri X Upper control heri X Upper control heri X Upper control heri X False altern h X Y (**16hd- False altern h X Y (**16hd- False altern h M X Y (**16hd- M X Y (**16hd-M X Y (**16hd- M X Y (**16hd-M X	0) 0) 0) 0; 0; 0; 0; 0; 0; 0; 0; 0; 0; 0; 0; 0;	1 3471 1 026102 0 963713 3 901841 6 293396 -2 99634 5 996724	7 1 0751( 7 1 0751) 7 1 0751( 3 0 9525; 8 3 80804 9 5 9487 9 -2 6388 8 6 6085( 1 1	0 1 0 5548 73 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	0 41 1 2666 41 1.0160 64 0.071 09 3 9624 96 6 1744 91 -3 027	0 56 0 82326 56 1 08563 66 0 82956 58 3 80886 13 6 85462 17 -2 8105	7 1 252711 0 0 7 1 097831 8 1,019427 11 0 909155 5 3 944807 11 5 000000 22 -2 330000 1 1 1 1 1 1 1 1 1 1 0 0 0 0 0 0 0	0 0 863261 7 1 031769 9 0 959082 7 3 863651 3 4 379201 3 -1.88384	0.713095 1.005617 0.829612 3.609036 4.420818 -1.29867	0 883039 1.053172 0.941195 3.708005 4.874244 -1.787	1 127824 1 023408 0 985909 3 9194 4 232482 -1.3	0.824845 1.033981 0.957285 3.848785	0 1.080849 1.028944 0.961397 3.893013 5.13221 -2.13775	0 1.393836 1.020785 0.968048 3.936211 6.307997 -2,77165	0 1 170102 1 013092 0 973849 3.860369 5.036525 -2.25253	0 1.369611 1.027901 0 962247 3.669962 6.457037 -2.66191	0 0 974443 1 027552 0 962532 3 892282 4 904883 -2 35678	0 1 154447 1 020842 0.908002 3 935848 5.043847 -2 11341	0.798648 1.051326 0.942802 3.722258 4.897745 -2.0876	0.951139 1.000044 0.929572	0.984783 1.029828 0.980878 3.877083 4.720738 -1.99323	0 738628 1 058524 0 838403 3 865953 4 869228 -1.87507	0.623891 1.050897 0.943345 3.727081 3.829979 -1.63625	0 619193 1 000006 0 834208 3 647108 3 853001 -1.34083	0 1 024478 1 032273 0 958981 3 860519 5 204877 -2.29558	0 1 241008 1 517894 0 870418 3 954499 5 772461 -2 70521	0 726699 1 081182 0 933928 3 644738 4.650358 -1.68728	0.001755 1.05361 0.940635 3.703045 4.535905 -1.59856	0 801202 1 036027 0 953308 3 814808 4 43489 -1.74903	0 1 034337 1.03708 0.954745 3.827176 5.299442 -2 19804	0 907358 1 046808 9 946662 3 756523 4 848728 -1 81315	0 703293 1 054641 0 839902 3 696568 4 385572 -1 77832
Sub-total MR control chart Normal layer control first 2 Normal Steer control first 3 Normal Steer control first 3 Falso altern in X7 (V=1AN-1 Falso altern in X7 (V=1AN-1 Falso altern in X7 (V=1AN-1 Total falso altern in X8 Falso altern in X8 Falso altern in MR7 (V=1A) Falso altern in MR7 (V=1A) Falso altern in MR7 (V=1A) Total falso altern in MR7 Sub-total normal X control Sub-total normal X control Sub-total normal MR control	X X MR +0) +0) +0) N=0) N=0)	5 88735; -2.2903; 5 02424;	3 5.6129: 4 -2.302: 3 4 9629: 1 1 1 1 0 0 0 0 0 0 0 0	36 3.601 27 -1 15 75 2 92 1 0 0 0 0 0	i47 -2.572 f12 5 0950 1 1 1 1 1 1 1 1 1 1 1 1 1	83 -1 7875	121 8 4.724281 17 -1.97422 17 4.115471 1 1 1 1 0 0 0 0 0 0 0 0 199	-1.61879	-1.14051	-1.54341	-1.04351	-1,84958	-1.81854	-2.34015	-1.88321	-2.27642	-2.02948	-1.77344	-1 63067	-1 9482	-1,70107	-1 7643	-1 44806	-1 1861	-1.07731	-2.29141	-1 49955	-1 30005	-1 50548	4.987887 -1.89628 4.229402 0 1 1 1 0 0 0	-1 57336	-1 57885
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123 50 25 180 Estimator shape parameter	REHERRY	0 3 28566	0 2.24726	0 3.80994	1.65898	0 ####### 2.84591	0 ******** 5 16688	0 1.67245	0 ******** 2 02514	*******	1 43795	0 2 678	0 1.51407	3 91517	0 ************************************	0 2 8824	0 3,82901	0 2 27034	0 ************************************			0 ********	0				******	0	0	1 71014	0
Estimator scale parameter Control chert constant d2 Control chert constant d3 Control chert constant D4 Upper contro limit X Lower control limit X Upper control limit MR	1 2667 1 09445 0 89066 3 40732 14.526 -3.86782 11 4322	1.0814 1.08548 0.90532 3.45812 8.40724 -1.30099 6.07364	2 20546 1.06718 0.92805 3.5966 15.927 -6.0145 14.0358	1 45811 1.09107 0.89643 3 42454 18 7188 -5 6234 13.9133	2.23199 1.04803 0.94731 3.7623 15.0953 -7.69862 14.9509	1.32774 1.07932 0.91398 3.5012 12.4125 -4.85528 10.8758	0 59732 1 10057 0 87974 3 38189 7 63013 -1 65521 5 88406	3.29959 1.04679 0.94667 3.75063 18.6923 -7.65545 17.2684	1 92763 1 06075 0 93434 3 64623 11.3967 -3.58923 9.6655	1.24171 1 07408 0 92049 3 54145 8 86823 -2.53157 7 22695	2.29861 1.03348 0.95769 3.85221 14.6104 -7.99925 15.0023	1.31984 1.07648 0.91781 3.52281 11.1965 -4.11743 8.67245	3.09193 1.03827 0.95377 3.81877 20.6468 -11.484 21.3648	1 02707 1 09203 0 89482 3 41942 8 92569 -0 88343 6 10472	0.71941 1.09598 0.88797 3.40031 8.65399 -2.30431 6.80831	1 7848 1 0799 0.91321 3.49693 16.6699 -6.38067 14.5078	1.23712 1.09128 0.69612 3.42353 11.9231 -2.44695 8.94763	1 28197 1.06775 0 92743 3.59183 10 1796 -4.3566 9.29277	1.88415 1.06117 0.93394 3.64487 12.8931 -5.21248 11.6715	1 8522 1 05958 0.93543 3 05754 13.5261 -6 15557 12.7126	0 82983 1.08454 0.90672 3 46432 7 41914 -2.09059 5.95496	2 77453 1 03693 0 95467 3 82821 16.0425 -7 76333 15.7499	0.68129 1 10166 0 87778 3 37802 7 44475 0 10256 4 68113	1 69626 1 07574 0 91849 3 52835 14 0507 -5 08783 12 107	2 80134 1 03514 0 95833 3 84074 18 5541 -8 35503 16 5053	1 22399 1 0898 0 89854 3 43165 13 0391 -4 03643 10 6432	1.25546 1.08419 0.90722 3.46662 10.0336 -2.03912 7.56266	1 22759 1 98837 0 90084 3 44 8 8983 -0 20948 3.68325	1 06971 1 09369 0 89198 3 41098 11.0574 -2 26151 8 28118	2 50458 1 04858 0 94518 3 74321 14 4795 -5 91311 13 3403	2 82874 1 03185 0 95903 3 86341 14 1688 -6 17087 13 5139
Normal upper control limit X Normal lower control limit X Normal upper control limit MR																														13 7618 -5 19518 11 6467	

1 2 Objective #1 Chisquare (df=4)	3 k-	4 - 10 obe	5	•	,	•	•	10	11	12	13	14	15	16	17	18	19	20	21	n	23	24	25	26	27	28	29	30	31	32	33	34
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Extinator shape parameter Extinator scale parameter Catheria shan conduct 42 Contrat shan conduct 42 Contrat shan constant 51 Upper contro front X Lopes control front X Lopes control front X Lopes control front X File C	1 1 2 3 3 14 4 4 1 1 1 1 1 1 1 1 1 1 1 1 1 1	0 286704 1.09445 890657 487324 4.52598 3.86762 1.43218 0 0 0 0 0	0 1 081404 1 085475 0 90532 3 45912 8 407237 -1 30099 8 073835 1 1 1 0 1 1	0 2.205485 1.087157 0.928046 3.586598 15.92702 -8.0145 14.03577 0 0 0 0	3.809938 0 1 456108 1 091073 0 896433 3 424538 18.71976 -5 8234 0 0 0 0 0 0 0	2.231995 1.048035 0.847314 3.762296 15.08520 -7.88862	0 1 327738 1 079316 0 913676 3 501201 12 41252 -4 85528	0 0 597318 1 100568 0 979737 3 381668 7 830127 -1.65521	0 3 299591 1 046793 0 949074 3 759633 18:99227 -7:65545	8 1 927628 1 080747 0 834339 3 848225 11 38686 -3 58923	1.241707 1.074057 0.920489 3.541452 8.868235 -2.53157	0 2 298809 1 033484 0 957891 3 852212 14 81041 -7 90925	0 1.319837 1.070458 0.817611 3.522906 11.19649 -4.11743	0 3.091933 1.03627 0.953767 3.918766 20.94677 -11.484	0 1.027086 1.08203 0 884824 3.419422 8.92568 -0.88343	0 0.719405 1 095677 0.867967 3.400306 8.653694 -2,30431	0 1 784798 1 979895 9 913212 3 49993 16 86989 -8 38087	0 1.237119 1 091259 0 908123 3.423532 11 92306 -2.44895	0 1.291905 1.067748 0.927435 3.501833 10.17904 -4.3506	0 1 864148 1 001100 0.933044 3 644809 12.89311 -5.21248	0 1 852203 1 059581 0 835427 3 857537 13 52608 -6 15557	0 0 829835 1.084537 0.806718 3.464317 7.419141 -2.08059	0 2.774526 1 036833 0 954866 3.828213 16 04245 -7 76333	0 0 681292 1 101859 0.877782 3.37802 7.44475 -0.10256	0 1 898263 1 975737 9 818488 3 528348 14 95073 -5.08783	0 2 801336 1 035142 0 958335 3.840741 18 55413	0 1.223003 1.009790 0.606537 3.431845 13.03608 -4.03643	0 1 255482 1 084184 0 807218 3 488817 10 03383 -2 03812	0 1.22759 1.088371 0.800841 3.430907 8.808303 -0.20048	0 1 099715 1.093892 0.991977 3.410995 11 0574 -2.26151	0 2 504578 1 048578 0 945181 3 743205 14 47947 -\$ 91311	0 2 828738 1 031848 0 958027 3 863407 14 16879 -6 17087
Sub-total BRF control there's Normal layers central Brist. X Normal layers control Brist. X Fishes pattern at X F (11-Fisher). Falses altern in X F (11-Fisher). Falses altern in in X F (11-Fisher). Falses altern in in idit X (11-Fisher altern in in idit X (11-Fisher altern in in idit X (11-Fisher altern in idit X Sub-total X control charts will Sub-total X control charts will Sub-total X in Control Charts.	10 R 11 ) ) ) (0) (0) (0)	4 25242 3 59429 D 96472 0 0 0 0 0 0 0	-1 11799 5 739719 1 1 0 1 1 1 1 0 1 1 1 1 1 1 1 1 1 1 1	95 33528 -5.42276 12.75341 0 0 0 0 0 0	16.36308 -5.2577 13.2773 0 0 0 0 0 0	-6.67047	12.03989 -4.48205 10.15118 0 1 0 1 0 1 0 1	-1 53987	-6 70703	-3.14248	-2.25899	-7 05201	-3 76777	-10 19 <b>8</b> 1	-0.72703	-2.14877	-5 00930	11.60003 -2.21292 8.541136 0 0 0 0 0 0	-3.97032	-4 6761		-1.90736		-0.01444	4 84447	15 52886 -7 32978 14 04398 0 0 0 0 0 0	-3 74729	-1 80466	-0 04949	-2.05896		-5 304
False plants in X7 (Y=186-0) False alerm in MR7 (Y=186- Sub-total X-control charts wi Sub-total MR control charts in False alerm in MR7 (Y=186-0) False alerm in MR7 (Y=186- Sub-total X-control charts will Sub-total MR control charts	-(3) 6th at lea with at l ) -(3) 6th at lea	least one D G ast one fr	taleo elerr 0 0 0 maleo elerr	k1= nk1= 0 k1=		0 0 10 14 0 0	:	0	8	0	8	0	0 0 0	0	0 1 0 1			0	0	0	0 0 8 0	0 0 0	0 0	0 1	0	0	0 0 8	9	0	6 0 0	0	0 0 0
False slarm in X? (Y=1/N=0). False slarm in MR? (Y=1/N=0 Sub-total X control charts wi Sub-total MR control charts wi Sub-total slarm in X? (Y=1/N=0). False alarm in XIP? (Y=1/N=0). Sub-total MR control charts wi Sub-total MR control charts.	=0) Ethalie: with at i) =0) Athat le:	least one 0 6 ast one f	oleo alerro I falos alerr I I Illos alerro	n k 10 = 0 k 10 =	0	0 0 69 71 0 0 72		1 0	0	0	;	0	0	0	; ;	1	0	0	0	;	0	1	0	;	0	0 0 0	0	0 1 8 1	1	0	0 0 0	0 0 0

OBJECTIVE # 3	3	4	5	•	,	•	•	10	11	12	13	14	15	16	17	18	18	20	21	22	23	24	25	26	27	29	20	30	31	32	33	34
Chi-square (dh-4)	-	i = 10 obs		Shift 1 pro	coss stand	ard deviation	n																									
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Normal upper control limit > Normal lower control limit >	K	14 25242		15.33528	-5.2577	14 20713 -4 87047	4 46205	-1.53987	-6.70703	·3.1424E	-2.25899	-7 05201	-3.76777	-10.1981	-0.72703	-2 14877	-5 88936	-2.21292	-3 97032	-4.8761	-5 55867	-1 90738	-6.60237	-0.01444	-4 64447	-7 32076	-3 74729	-1 80469	-0 04949	-2 05896	-5 19519	-5.304
Normal upper control Irms I False altern in X2 (V=164e False altern in X2 (V=164e False altern in X2 (V=164e Total false altern in X4 (V=164e Total false altern in MR? (V=164e False altern in MR? (V=164e False altern in MR? (V=164e Total false altern in MR Sub-total X control charts Sub-total MR control charts	4-0) 4-0) 4-0)	Q Q 1 1 1 0 0 0 0 0 0	5.739719 1 1 1 1 1 0 1 lates alarm	0 1 0 0 0 0	13 2773 8 0 0 0 0 0 0	12.9866 0 0 0 0 0 0 0 0 191	10.15118 0 1 1 1 0 0 1	5.00501 1 1 1 1 1	15.02223 0 0 0 0 0 0	1.658145 1 0 1 1 1 0 0 0 1	8 868924 1 1 1 1 0 1	12.72700 0 0 0 0 0 0 0	9.972835 0 1 1 1 1 0 0	18.28341 0 0 0 0 0 0 0	5.834386 1 1 1 1 0 1 1	0.541478 1 1 1 1 0 1 1	13 55808 1 0 0 1 1 1 0 0	8.541136 1 1 1 1 1 0 0	8 454955 † † † 0 0 0	10.4847 B 1 0 1 0 0	11.35005 0 0 0 0 0 0 0	5.617503 1 1 1 1 0 1 1	13 4451 0 1 0 1 0 1 0	4 528664 1 1 1 1 0 1 1	11 21363 1 0 1 1 0 0 0 1	14.04398 0 0 0 0 0 0 0	10 13563 0 0 0 0 0 0 0	7 129367 1 1 1 1 1 0 0	5.300000 1 1 1 1 1 1 0 0	7 83404 0 0 1 1 0 0 0	11 84572 1 0 1 1 1 1 0	11 43117 0 0 1 1 0 0
Faise alarm in X7 (Y=184= Faise alarm in MR7 (Y=18		9	9			0		0	0	0	9	0	0		0	0	0	0	0		0	0	0	0	9	0	0	0	0	0	0	0
Faise minns as left ( Y=1).  Sub-total MR control charts Sub-total MR control chart Faise aterm in X? (Y=1).  Sub-total MR ( Y=1).  Sub-total X control charts Sub-total MR control charts	with all a with a =0) N=0) with at	nt least on ( least one	a false elen 0 0 1 Inise elen	mki =   0   0  ki =		18 20 0 0 22 22 24		0	9	0		8	0		0	:	0	0	0	0	8	8	0			0		0	0			:
False sterm in X7 (Y=1#N= False sterm in MR7 (Y=1#	N-0)					8	. 0	1	0	1	1	0	0		1	1	1	1	1		0	1	0	:	1	0	0	;	;	0	0	1
Sub-total X control charts Sub-total MR control chart False alarm in X7 (Y=1Ri- False alarm in MR7 (Y=1R Sub-total X control charts Sub-total MR control sharts	s with : -0) H-0) with sit	nt least on ( least one	o falea star I false alarm	m k 10 =	0 0	117 67 0 0 127	 	;	0	;	;	0	1	0	1	1 0	1	;		0	0	1	0	1 0	. 0	0	0	;	;		;	1

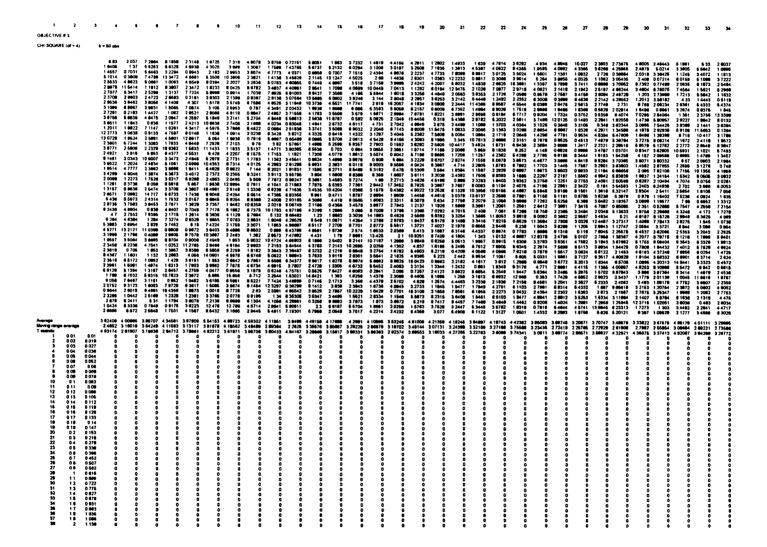
08JECTIVE # 3	3	•	,		7		9	10	11	12	13	14	15	10	17	10	19	20	21	n	23	24	25	26	27	28	29	30	31	32	13	34
Ch-square (df=4)  New observations k =	10 20 30	8 137:1 14 4925 9 71:29 7 3991 9 1204 11 1742 9 8113 6 5732 9 0204 17 72572 7 4278 15 1442 8 93:00 7 5213 8 3585 8 3585 8 3585 8 3400 7 7 9008 7 7 9008	11 9783 8 5678 11 4444 10 2985 8 7257 10 297 10 6868 7 1116 9 1157 11 8422 9 6136 9 6136 8 7362 12 4916 7 7 1937 10 7077 10 777 10 777 10 777 10 777 11 777 11 777 11 777 12 777 13 777 14 777 15 777 17 777 17 777 18 777 17 777 18 777 19 8444 11 777 11 777	7 0133 10 0634 11 0678 9 6342 14 6553 10 1274 9 899 9 4525 6 7961 11 5541 10 4538 8 3718 8 8791 10 1509 8 77526 10 1509 8 77526 10 1509 8 77526 10 1509 10 1509 8 7752 10 1509 10 1509	8 8090 8 8081 7 8022 15 3791 8 4141 8 2098 7 9464 7 1542 8 9011 10 5305 12 2398 12 2398 12 2398 12 2398 12 2398 12 2398 12 2398 12 2398 12 2398 12 2398 13 2137 10 5577 8 9464 12 2398 12 2398 12 2398 13 217 9 3654 15 12 2398 16 15 12 2398 17 4789 18 15 12 2398 17 4789 18 15 12 2398 18 15 12 2398 18 15 12 2398 18 15 12 2398 18 15 15 15 15 16 16 16 16 16 16 16 16 16 16 16 16 16	9 3721 14 0919 10 5007 7 0052 9 777 6 4129 9 9171 9 9171 9 5339 10 4189 9 5339 9 5392 10 7501 14 5406 9 7006	11 8963 17 9823 12 1048 8 9053 8 9753 8 9954 8 9857 7 9433 15 2586 8 8708 12 4197 8 4964 7 4799 13 5901 6 8949 13 105	8 4792 6 1886 6 3835 7 595 7 6808 6 0531	7 7792 10 9379 12 9345 8 5719 10 1202 8 9255 10 2845 12 985 12 985 17 7471 7 9103 11 3078 7 9934 8 4552 8 2555	10 0792 14 5042 25 2893 8 0524 12 0448 9 0633 9 462 7 1166 8 1888 9 1888 9 2366 7 2392 8 9357 5 6789 8 4578 8 4578 8 247 10 7031 10 7031 10 7031 12 3044 8 262 12 3044 8 263 9 368 17 396 18 39	11 7121 12 95304 7 2057 17 7575 8 3938 10 4937 14 0717 16 4775 11 418 8 9565 13 717 7 3504 15 4707 10 7938 8 1052 8 8083 7 2746 8 4093 7 27403 8 4093 10 921 8 4093 11 6572 8 8 6893 7 2746 8 4093 8 4093 8 4093 10 921 8 4093 11 921 8 4093 12 1214 8 7447	6 1124 9 9057 7 5913 7 5933 8 4149 11 0237 7 2115 12 4399 8 4274 7 626 13 9035 14 9093 14 9093 14 9093 17 1002 8 2559 9 4084 9 9494 8 4037 9 4037 9 9494 8 4037 9 911 9		9 7918 7 807 7 3275 7 2515 13 1021 11 8542 8 1718 7 2554 11 4983 9 884 11 9883 9 894 9 4862 6 836 8 6183 7 2564 9 10 5649	5.9723 7.529 7.7259 7.1954 8.5199 9.1395 6.1963 10.2438 9.1109 9.3744 12.2695 12.8134 11.4769 11.3132 7.6089 7.6053 10.0755 19.11093 7.6053 10.0755 10	7 9785 11 0567 12 6067 9 5786 6 0286 10 8601 6 3786 10 428 115 7475 6 6897 7 1975 14 7860 13 3053 7 0965 14 786 15 1475 16 6118 8 8132 8 8132 8 8132 8 1065 7 1981 7 1981 7 1985 7 1878 7 1878	17 5612 9 031 5 8843 9 9993 8 0924 12 6755 15 2825 11 9709 13 4425 11 9709 8 7108 5 8993 7 1986 8 4713 15 3056 8 4713 15 3056 8 4713 17 7 0403 10 3396 7 8773 11 3186	11 8334 7 0151 13 5479 7 8705 14 0875 12 0131 10 68139 8 1108 11.1 8 4256 8 7409 11 1423 8 0928 6 9718 13 9844 8 0594 7 4017 11 4801 11 8828 7 5218 9 .3288 17 2402 7 7 517 7 7 517 7 7 577 7 5514 7 7 775	11 964 14 7192 10 1835 8 1197 7 0775 15 2508 17 181 8 0378 7 261 8 9078 7 261 8 9297 6 3194 12 9408 7 4223 6 9297 13 1003 10 4443 8 9094 8 9031 6 893 12 9083 6 8904 12 9083 6 8908 8 9094 10 9084 6 9092 8 911 14 10 9181 8 9092 8 9181 10 9818 10 98	7 28 12.9754 8.4513 10.7757 6.7374 13.3615 10.561 10.1835 16.2562 8.7619 8.9261 10.0271	8 5714 10 1033 10 0823 6 0802 10 2023 9 5108 8 9508 10 3252 17 5208 10 3252 17 5208 17 334 17 334 17 334 17 334 18 9108 18 9124 18 912	6 1501 11 062 9 4158 12 1051 11 1383 8 5158 7 1348 8 8085 8 8085 8 8085 8 8085 8 8085 14 8084 11 1472 8 8531 8 8508 14 8084 11 1472 8 8531 8 8508 14 8523 12 1701 8 8084 11 3042 11 8054 11 3042 11 8055 11 8058 11 80	8 8904 9 9029 9 0993 9	10 5275 9 6031 7 5072 9 8091 7 7023 21 0064 10 2054 8 5157 8 5157 8 5157 8 5167 11 1444 7 0534 8 5090 14 1149 9 3 292 15 9788 7 5585 9 21 7895 11 6514 12 657 10 4705 11 5514 12 657 13 5895 14 10514 12 657 13 5895 14 10514 13 3287 8 5984 12 7 8 7 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	10 6863 8 9016 9 171 8 805 7 6317 12 7863 9 4024 8 8166 9 5785 6 8548 7 3067 9 7 307 9 061 7 7594 9 113 5638 9 4778 11 5213 18 3572 8 4024 19 4024 7 1399 7 1399	\$ 2327 6 486 8 3523 8 7218 8 7218 8 7218 8 3241 11 7525 8 8941 8 6014 8 6014 8 6014 8 6052 6 371 14 3186 7 6052 6 371 18 9001 18 2782 7 6 2631 12 1718 9 758 7 5770 10 2484 7 7 205 7 7 7013 10 2316 12 8501 5 9957	7 8971 9 6383 8 1709 9 865	12 3207 12 707 13 1902 7 5565 9 5565 9 5565 9 7 3579 7 3579 7 482 11 1767 7 482 10 6871 10 1736 6 98 6 98 6 98 8 4535 8 4542 8 4478 8 4478 8 4478 8 7755 8 7755 7 482 10 7835 10 7835	16 0072 7 156 7 9481 11 0061 9 1025 7 0526 7 0526 1 852 8 389 7 7083 7 0867 8 7357 16 345 8 0794 7 7799 7 7167 16 345 8 0794 9 7 251 16 345 8 0794 9 7 2799 7 7167 16 345 8 0814 8 0806 10 0806 10 0806 11 080	7 9026 13 7492 7 7993 12 0834 8 1886 7 7475 14 3187 8 2083 7 3181 7 3081 10.563 13.2001 8 444 8 444 8 7 2441 17 2441 10 689 8 6218 8 9 224 10 689 8 9 224 10 689 8 10 719 10 719	13 8569 8 826 13 8380 12 2297 9 2129 7 2081 8 7770 12 1812 9 887 9 8408 15 1148 7 4901 11 9571 8 1642 8 1609 11 2763 7 945 9 8018 11 0932 17 6737 8 1481 1 0932 17 6737 9 1481 1 0932 17 6737 9 1481 1 0932 1	15 7821 9 1612 12 2446 10 6061 11 423 7 624 9 11 423 7 624 9 9353 6 4378 9 9353 10 5568 6 681 8 3752 7 3712 8 3152 7 3712 8 3152 7 3712 8 3152 7 4846 10 2905 9 1811 11 9846 12 4616 6 7901 7 5284 12 4616 6 7901 7 5284 11 982 11 982 11 984 11 984 12 4616 6 7901 7 5284 11 7 982 11 984 10 465 11 984 11 984 12 4616 6 7901 7 5284 11 7 982 11 10005 8 945
Estimator chaips parameter Estimator scale parameter Cytorist shart constant 42 Control shart constant 42 Control shart constant 42 Control shart constant 62 Lippes control shart X Lippes control shart Lippes control	-0) -0) -0) N-0) N-0)	0 1 208704 1 094857 3 407324 14 52598 -3 98782 11 43218 0 0	1 08140- 1 0853- 0 9053- 3 4581- 8 40723- - 1 3009- 6 97383-	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	0 1 456108 1 091073 0 996433 3.424536 16 71676 -5.6234	1.859963 0 2.231985 1.046735 0.467314 3.762296 15.09528 -7.09682 14.95067 1 0 0 0 0 0	0 1.327738 1.079318 0.913978 3.501201 12.41252 -4.85528	0.597318 1.100566 0.679737 3.381868 7.830127 -1.65521	3 299591 1.046793 0.948674 3.756833 18.89227 -7.85545	0 1.927829 1.080747 0.934339 3.848225 11.39666 -3.58923	0 1.241707 1.074057 0.020480 3.541452 0.000235 -2.53157	2 290000 1.033484 0 957691 3.652212 14.61041 -7 60625	1 319937 1 076456 0 817611 3 522906 11 19849 -4 11743	3.091933 1.03827 0.953767 3.818768 20.84677 -11.484	1.027080 1.09203 0.894824 3.419422 8.82560 -0.89343	0.719405 1.095977 0.887967 3.400306 8.853894 -2.30431	0 1 784799 1 079895 0.913212 3.496933 16 66989 -6.38087	0 1.237119 1.081258 0.998123 3.423532 11.82308 -2.44895	1.281965 1.087748 0.927435 3.591833 10.17964 -4.3588	0 1.004146 1.061186 0.933044 3.644808 12.89311 -5.21248	0 1 852203 1 059581 0 935427 3 857537 13 52808 -8 15557	0 829935 1 084537 0 906718 3.464317 7.419141 -2.09058	0 2.774526 1 036833 0.954996 3.828213 16 04245 -7 76333	0 001292 1 101050 0 077762 3 37802 7 44475 -0.10256	0 1.698263 1 075737 0 918488 3 528348 14 05073 -5.08783	0 2 801338 1 035142 0 956336 3 840741 16 55413 -8 35503	0 1 223993 1 089799 0 896537 3.431845 13 03908 -4 03843	0 1.255482 1.094194 0.907219 3.466617 10.03383 -2.03612	1.22758 1.086371 0.900641 3.439997 6.898303 -0.20948	0 1.069715 1.063692 0.061977 3.410965 11.0574 -2.26151	2 504578 1 048578 0 945181 3 743205 14 47947	0 2 928738 1 031949 0 959027 3.963407 14 16879 -6 17097
Sub-total MR control chart Normal spayer control limit. Normal spayer control limit. Normal spayer control limit. Pales starm in X7 (Y=164- Fales starm in X7 (Y=164- Fales starm in XR (Y=16- Fales starm in MR? (Y=16- Fales sta	X X MR =0} =0} =0} N=0; N=0; N=0;	14 25242 -3 59421 10 98472 10 98473	9.22424 1 -1 11791 2 5 739711 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	1 15.33528 9 -5 42278 9 12 75349 1 0 1 1 1 1 1 0 1 1 1 1 1 1 1 1 1 1	-5.2577	115 14.28713 -8.87047 12.9886 1 0 1 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	-4 48205 10 15118 1 1 1 1 0 0 0	-1 53987	-8 70703	-3.14248	-2.25800	-7.05201	-3.76777	-10 1981	-0.72703	-2.14877	-5.88936	-2.21292	-3.87032	4 8781	-5 55867	7 235828 -1 90738 5 817503 1 1 1 1 1 1 0	-6.80237	-0 01444	13 60737 -4 64447 11 21363 0 1 1 1 0 0 0	7 32976	-3 74729	-1 80489	-0.04949	-2 05898	13 76155 -5 10516 11 04872 1 1 1 1 0 0 0	-5 304
False aterm in X7 (Y=1/N- False aterm in MRT (Y=1/F Sub-total X control charte Sub-total MR control charte False aterm in X7 (Y=1/N- False aterm in MRT (Y=1/F Sub-total X control charts Sub-total MR control charts	14-0) with at 15 with -0) NI-0) with at	at least on	false sturm e false sis: ) ) false slarm	m k 1 = 0 ( 0 ( 1 k 1 =		0 0 07 29 29 20 20 20 20 43		. 0	0	0 0	;	0			0	0	1	1	1	0 0 1 0	0 0	0	9	1 0	8 0	0	0 0 0	1 0	1 1	0	8 8 0	1 0
False alerm in X? (Y=1/hit False sterm in MR? (Y=1/ Sub-total X control chert Sub-total MR control chert False sterm in X? (Y=1/hit False sterm in MR? (Y=1/hit Sub-total MR control chert Sub-total MR control chert	=0) R4=0) with all 1s with =0) R4=0)	isset one at least or	3 false alem e false ale 1 0 false alem	1 6 0 6 1 k 10 = rm k 10 = 1 6 1 6		175 175 185		1	0	1	;	0			1 0	1 6	1 0	1 0 1 0	1 1 3	;	0	1 1	0	1 1	0	0 0	0	1 0	1	1 0 1	1 0	1 0

OBJECTIVE #3	3	•	•	•	7	•	٠	10	11	12	13	14	15	18	17	10	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	×
CHI-SQUARE (df = 4)		k = 30 abs																														
		2 1456 3 0072 1 8745 1 8063 4 1063 5 1062 4 1063 5 1064 3 075 1 4084 3 075 1 4084 3 013 2 0079 1 3245 2 0079 3 2453 4 2345 2 0034 4 725 1 7841 2 0034 4 725 1 7145 2 0546 6 1703 3 3307	3 90000 1 9410	3 27513 2 91642 0 87419 2 1302 5 97711 3 86679 1 02577 6 74794 4 73627 6 79797 7 74174 7 6 56975 2 63694 1 95626 0 81782 3 80259 3 80259 3 80259 4 17262	4 13388 7 05463 3 99040 0 99371 3 27132 1 34933 5 2938 8 93199 2 64729 4 72538 4 72588 1 37290 3 3015 2 90429 2 31502 3 77445 1 200314 4 81228 0 80818 3 11597 7 63528 4 6307 1 15988 3 45994 4 29148	1 8451 2 3339 6 1275 3 8657 2 215 5 2008 4 0546 1 9915 1 054 1 0618 2 29026 1 084 3 1 087 1 1 0879 3 4087 11 0879 3 4483 2 5248 4 4 4003 4 4 4003 4 15483 8 218 2 328 8 298 9	2 89756 2 57845 9 8801 2 44453 1 95697 3 70043 5 84354 8 33 3 10197 1 71087 2 58195 6 36781 8 04714 5 75798 3 46094 7 7008 2 27885 4 50678 4 50678 2 2825 2 2825 3 87154	3 8363 0 61574 3 13503 2 95628 8 70492 2 88791 3 10044 2 58441 0 37475 6 18083 3 7248 4 31114 2 20438 3 37249 4 45145 4 45145 2 20438 2 12038 2 12038 2 12038 2 12038 2 12038 2 12038 5 3224 1 18338 6 47227 5 12082 2 10045 1 18338 6 47227 5 13082 2 10045 1 18338 6 47227 5 13082 2 10045 1 18338 6 47227 5 13082 2 10045 1 18338 6 47227 5 13082 2 10045 1 18338 6 47227 5 13082 2 10045 1 18338 6 47227 5 13082 2 10045 1 18338 6 47227 5 13082 2 10045 1 18338 6 47227 1 18388 6 47227 1 18388 6 47227 1 18388 6 47227 1 18388 6 47227 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	7 59777 4 78812 3 14088 4 82312 6 50912 7 89308 2 98218 1 30914 5 78177 5 8201 3 85497 2 84442 1 3 1448 3 38728 2 45044 4 18082 1 30907 2 11288 7 37741 4 9093 2 31285 1 38267 5 5 1943 2 31285 5 1943 2 31285 5 1943 2 31285	9 4831 1 399 2 1785 3 882 4 0957 1 8275 1 8275 1 8275 1 8275 2 5505 3 7817 2 0550 3 7817 1 638 4 6173 2 4395 13 0161 5 3356 4 6173 2 4395 1 3 0161 5 3356 4 6173 2 4395 1 3 184 1 9 184 2 4 085 3 7 184 4 082 1 9 4 7 184 4 082 2 8 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	2.0002 5.15 12.8213 2.1578 4.758 1.3512 1.2503	6 3359 7 6379 2 1031 8 9012 12 8279 3 2389 3 2389 3 2389 3 2052 2 6228 8 0323 3 0795 2 3012 1 0474 4 1425 7 7086 1 7765 3 0471 1 3 0134 9 467 2 5023 7 3896 1 1333 2 8489 1 1845 5 0473 4 865 4 865 4 865 5 0473 4 865 4 865 4 865 4 865 5 0473	8 7534 1 8701 0 7218 1 5105 4 5781 0 7802 0 4777 1 4598 0 4777 1 1187 2 3698 1 8104 8 2493 2 4493 2 4493 2 4693 2	6 7282 4 1973 0 7824 4 6221 2 9503 0 4595 5 8908 3 3453 4 9637 5 2875 5 4811 1 1,4578 5 5903 6 8013 6 3794 5 5965 5 4766 5 4766	8.3542 2.4583 1.0134 5.7917 8.7753 2.028 11.201 3.1476 6.2013 8.4485 2.2025 2.025 2.025 2.025 2.035 1.9025 2.0345 1.9025	3 4047 8 524 4 3824 2 2151 8 1614 0 9892 3 3945 2 708 8 7131 5 4150 2 8339 2 4503 10 4413 10 8413 0 811 0 811 0 811 4 1092 4 4057 4 4 557 4 7030	5.79292 2.79805 6.10829 0.93854	5 7138 8.1673 3.4873 4.815 1.9358	7 0808 4 250 5 1885 1 7808 1 14027 2 0137 2 2338 0 9809 1 0884 2 1274 2 7108 6 .5243 17 2898 6 .5243 17 2898 6 .80 4 1251 5 .5287 2 8118 6 4805 6 .21 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	0.7814 3 0818 0.3673 7 1049 1 3031 1 1805 3 3091 2 9226 4 6434 10 5947 1 2548 5 2181 2 0078 10 987 6 087 7 9745 2 3915	2 1761 4 2805 5 4167 3 4194 6 4208 5 41408 0 7315 4 4208 0 7315 4 4137 0 5212 1 7767 0 8672 1 2596 1 1025 3 1305 5 1716 3 1305 1 1856 1	7 81 2 8 9212 8 9215 1,895 5,4001 10,5278 10,5278 1,2887 1,2887 1,2773 1,5604 1,2777 5,9504 4,3598 3,4931 5,533 4,5535 4,7854 3,7478 1,0150 2,	9 3943 8 329 0 4912 3 5963 6 8721 5 8393 3 1996 9 2842 2 9 2642 2 9 2642 5 57962 5 57962 5 57962 5 5999 12 1767 1 6498 5 2292 2 3471 3 3973 8 0837 9 25443 7 257 3 8484 8 1298 4 11,918	4 2923 4,85 8 3906 3,443 2 9075 2 8106 3 1746 3,3115 6,5731 2,8633 2,863	3,8078 3,90574 0,87344 3,78575 3,9351 1,41925 6,77148 5,52678 2,59156 5,08662 2,69156 5,08662 2,69156 6,08662 2,69156 5,08662 2,69156 6,08662 2,69156 7,52402 5,25512 1,78848 9,41944	1.2502 1 7231 4 7245 0 4650 2 6568 2 3118 1.5002 5 185 1 2237 1 9165 1 2672 0 2217 1 0148 2 4728 2 4728 3 6172 3 7 1275 6 6713 2 5756 6 7 1246 7 2346 8 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	12 2026 2 5336 3 3095 5 8054 8 3382 1 7195 0 8214 3 8682 0 8614	0 85111 8 51348 5 70291 1 97004 2 3714 0 76893 5 51168 9 15365 4 52148 2 80537 2 75062	1 7724 1 4345 5 3131 1 6111 5 8005 1 4764 6 2716 3 2708 2 38172 4 4241 2 3963 2 8078 2 346 0 6243 1 8123 5 0208 2 1826 6 6755 2 3975 2 3989 0 6 3374 1 8047 1 8047	5 42346 4 53836 7 70408 0 8373 7 20001 5 49815 4 34186 1 81833 1 108018 2 54456 2 10408 2 13408 2 13408 0 70228 1 30008 7 10578 5 33743 3 42296 8 03756 8 21281 2 23749 8 04021	3 74968 0 76118 9 89504 4 57296 2 74532 2 75664 4 8402 7 54631 1 54364 1 76011 3 22444 3 56328 3 26966 2 11327	4 92231 3 20812 2 8024 8 97877 1 50199 8 42539 0 69986 0 64858 8 42539 0 69986 0 64858 1 9297 1 92974 0 30095 1 90291 2 8 7091 1 90291 3 4 9 9 9 115 4 0 9 9 115 4 0 9 9 9 115 5 9 9 115 5 9 9 115 6
Monrage Police Interest Police	8 01 0 10 0 10 10 10 10 10 10 10 10 10 10	7 108028	2 499774	2 (053358	2.250354	2 322093	2 854 149	2 117435	2 58915	2 900597 3 95667 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	4 114787 2 334123 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	3 668807	3.178478	2 606534	3 554645	1 501220	2 474134	1 167707	1 170034	1 530001	1 411007											

| 1 2 OBJECTIVE # 3 Clo-square (df=4)  | 3<br>k  | 4<br>- 30 obs  | •   | •  | ,   | •  | •   | 10  | 11  | 12  | 13  | 14   | 15  
  | 18   | 17   | 10   | 19  | 20  
   | 21   | 22   | 23  | 24   | 25  | 26   
  | 27   | 28   | 29   
   | 30   | 31  | 32  | 33   | и   
   |
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New observations k =	10 10 20 30	5 2817 3 8245 0 5859 0 5859 0 5859 0 5858 2 8650 0 8868 2 807 3 481 1 5575 3 481 1 5575 5 1409 6 5850 0 8 4284 9857 5 1409 6 5024 4 2 311 3 5955 6 224 4 2 311 3 5955 6 224 1 2 311 3 5955 6 224 1 2 311 3 5955 6 224 1 2 311 1 0185 6 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	4 6219 3 1675 2 4457 5 7263 8 6353 0 9908 1 9101 3 6356 3 2945 4 1926 1 8207 4 3791 1 2 2431 3 849 1 4773 1 475 3 449 6 6454 1 1356 1 1356 1 1356 1 1356 1 2 7752 5 4777 6 4773
Estimator shape parameter Estimator colos personates Contrate shart constant 62 Contrat chart constant 62 Contrat chart constant 04 Upper control shart X Upper control shart X Upper control shart X Upper control shart X False sharm in X (***-184-6** False sharm in X (***-184-6** False sharm in MS (***-184-	0) 0) 0) 0-0) 1-0)	0   950105   087037   087037   087037   042000   141648   248317   262731   0   0   1   1   0   0   1   1   1	0 1.633572 1.055290 0.939344 3.00165 10.53381 -3.67928 8.228293 0 1 0 0 0 0 0
   | 0<br>2.410822<br>1.051086<br>0.94301<br>3.724099<br>14.48941<br>-6.97312   | 0<br>1 626662<br>1 060663<br>0 611612<br>3 466660<br>14 75862<br>-5 17641  | 0<br>1.38398<br>1.000649<br>0.020492<br>3.564577<br>10.13755<br>-3.75363  | 0<br>2.212454<br>1.0488<br>0 846563<br>3.755631<br>13.34131<br>-5.83106   | 0<br>2.049344<br>1.008525<br>0.926622<br>3.585572<br>13.61673<br>-4.18363   
  | 2.69226<br>1.045323<br>6.947912<br>3.767566<br>14.5275<br>-5.7152  | 0<br>2 300249<br>1 050295<br>0 943699<br>3 730222<br>14 33788<br>-6 29648   | 0<br>1.182878<br>1.085288<br>0.9054<br>3.456341<br>18.30824<br>-2.57212  | 0<br>2.095657<br>1.075261<br>0.819062<br>3.532041<br>16.87179<br>-5.91864   | 0<br>1.748071<br>1.071473<br>0.923436<br>3.561827<br>12.02123<br>-3.52721  
  | 0<br>1 412735<br>1.071767<br>0.923100<br>3 550584<br>9 249380<br>-2.3508   | 0<br>2.173626<br>1.042682<br>0.050118<br>3.787018<br>11.71404<br>-4.78345  | 0<br>1 841727<br>1 065628<br>0 829297<br>3.606511<br>14 01244<br>-5 80561  | 0<br>1 786071<br>1 081954<br>0 933195<br>3 636541<br>11 51557<br>-4 14485   
  | 0<br>1 745251<br>1.058742<br>0 936203<br>3 864221<br>12 48061<br>-5 62203   | 0<br>1.94822<br>1.080408<br>0.934658<br>3.650652<br>13.41227<br>-5.56241  | 0<br>1 276494<br>1.079084<br>0.91428<br>3 502926<br>9.926606   | 0<br>2 13342<br>1 048618<br>0 045120<br>3 742600<br>12 53531<br>-5 23486  
   |
| Sub-total MR control charts<br>Mormal layer control firm X<br>Mormal layer control firm X<br>Mormal layer control firm X<br>False altern in X ? (**1-film-<br>False altern in X ? (**1-film-<br>False altern in X ? (**1-film-<br>Tatal false altern in MR ? (**1-film-<br>false sitern in MR X **1-film-<br>false false sitern in MR X **1-film-<br>false false sitern in MR X **1-film-false  | X<br>MRR<br>-0)<br>-0)<br>-0)<br>N-0)<br>N-0)<br>N-0)         | 935034<br>-2.28655<br>3.894364<br>1<br>0<br>1<br>1<br>0<br>0<br>1<br>1<br>1<br>4th at least  | 10 07550<br>-3.22108<br>8 189263<br>0<br>1<br>0<br>1<br>0<br>1<br>4 one tyles   | 8.495271<br>-2.59701<br>6.81495  |   | -2.52587   | -2.00003  | -2 38062  | -2 92512  | -4 13010  | 12 83653<br>-4-608<br>10 71578<br>0<br>0<br>0<br>0<br>0<br>0  | -5.2354  | -5.3465  | -2.88198  
  | -5.27548   | -4.75988   | -3.38917  | 12.64849<br>-5.23825<br>10.98933<br>0<br>0<br>0<br>0<br>0<br>0  | -3 71436   
   | -4 87335   | 13 62707<br>-5 58567<br>11.804<br>0<br>0<br>1<br>1<br>0<br>0<br>0   | -2 32825   | -5 38301  | -3 13782  
   | -2.00165   | 11 00075<br>-4 10010<br>9 374033<br>0<br>0<br>0<br>0<br>0<br>0<br>0  | -5 35788   | -3.69648   
   | -5 06628  | -4.99389  | 9 654789<br>-2 42599<br>7 42224<br>0<br>0<br>1<br>1<br>0<br>0  | -4 6094  
  |
| False alarm in X7 (Y=1/hierals alarm in MR7 (Y=1/hierals alarm in MR7 (Y=1/hierals x) Sub-total X control charts y Sub-total MR control chart false alarm in MR7 (Y=1/hierals alarm in MR7 (Y=1/hierals alarm in MR7 (Y=1/hierals alarm in MR7 (Y=1/hierals x) Sub-total MR control chart y Sub-total MR control chart   | N=0)<br>with at it<br>is with at<br>=0)<br>N=0)<br>with at it | least one<br>0<br>0<br>ast one fi  | false alarr<br>C<br>C<br>dee alarm  | m k 1 =<br> <br> <br>  k 1 =   | o d   | 9<br>4<br>5<br>0<br>0<br>7   | 0<br>0<br>0   | 0   | 0   | 0   | e<br>0<br>0   | 0  | 0   
  | 0  | 0  | 0  | 0   | 0   
   | 0  | 0  | 0<br>0  | 0  | 0   | 0  
  | 0  | 0  | 0  
   | 0 0  | 0   | 0   | 0<br>0<br>0  | 0<br>0<br>0   
   |
| Faise planm in X7 (Y=184e<br>Faise alarm in MR7 (Y=185e)-total X control charts in<br>Sub-total XX control charts in<br>Sub-total IRT control chart<br>Faise alarm in X7 (Y=184e<br>Faise alarm in X7 (Y=184<br>Sub-total X control charts in<br>Sub-total X control charts in   | NeiG)<br>with at i<br>ts with a<br>=0)<br>N=O)<br>with at i   | least one<br>1<br>0<br>leat one 1  | talse alem<br>C<br>C<br>stee alem   | k 18 =<br>m k 10 =<br>l<br>k 18 =  | 0 1   | 9<br>- 45<br>- 44<br>0<br>0<br>55<br>57                                  | 0 0   | 0   | 0<br>8<br>0   | 0   | 0<br>0<br>0   | 0<br>0<br>0  | 0   
  | 0  | 0  | 0<br>0<br>0  | 0   | 9   
   | 0<br>0<br>0  | 1 1 1  | 0   | 0  | 0   | 1 1  
  | 1 1  | 0  | 0  
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1 2 OBJECTIVE # 3	3	•	•	•	•	,	•	•	10	"	12	13	14	15	18	17	10	19	20	21	22	23	24	25	28	27	28	29	36	31	32	23	34
Chi-square (df=4)	,	- 30 ob	•	s	hMi 1 pro	cess stand	erd devletio	•																									
New observations it —	10 20 30	6 7794 6 5-5 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7	1955 84 1955 8 1956 1956 1956 1956 1956 1956 1956 1956	3342 3734 3736 3757 7268 3247 3247 3248 3247 3488	8 2922 8 081 8 3051 7 8947 7 8957 3 8903 3 8403 5 4672 1 6 6346 6 705 7 7053 5 5963 1 7035 7 7035 7 7035 7 7035 7 7035 7 7035 7 7035 7 7035 8 6107 8	9 7125 9 0628 11 7312 6 3594 3 6706 7 8906 4 9916 5 0705 6 4724 7 0074 5 1756 9 8241 2 9807 4 9801	4 34 7 1827 4 8845 8 1407 3 4371 4 1947 4 9248 10 4096 5 4421 9 2724 4 4816 3 7322 4 4816 3 7328 4 3905 7 1284 4 4002 5 7 1284 5 5 5 5 5 5 6 6 6 6 6 6 6 6 6 6 6 6 6 6	4 843 8 7523 6 0087 7 3 4008 8 787 5 0557 8 1509 8 4138 5 8251 5 8251 7 1002 7 1018 3 7655 6 3475 3 9002 12 6315 3 3 4081 8 3085 8 3085 14 8418 3 3 751 7 1834 8 5 751 8 751	7 4781 6 7429 5 5533 6 9076 7 0991 13 0562 4 335 6 3394 7 5147 7 1723 8 5656 18 596 18 596 18 596 19 7192 10 9562 5 967 11 1824 9 0794 8 9066 5 906 11 1824 9 0794 8 9066 5 906 1 9066 5 906 9 9066 9	12 1422 0 9357 5 9056 4 4685 4 4685 4 8056 7 8413 3 0317 14 206 3 7866 10 3051 10 3051 10 3051 10 3051 10 3051 6 6478 7 2517 9 0553 9 2741 6 7632 5 524 6 7597 3 1341 8 7597 9 1525 16 8257 7 4136 11 4571 8 4708 9 8494	4 6363 4 4876 16 803 8 6575 13 292 6 5173 7 4843 5 0862 8 0862 8 0862 8 0862 8 0862 8 0862 8 0862 8 0862 8 0862 8 1872 8	7 803 12 2551 7 8508 6 1181 4 4821 11 5411 5 7783 6 5078 5 3234 4 188 6 352 8 1528 4 8995 7 1138 6 0023 9 404 6 8818 12 12 12 13 146 3 0824 7 2215 7 704 8 7748	10 5594 5 5927 6 3508 6 8124 5 8767 8 8723 2 8723 2 8723 2 8723 7 7159 8 4555 6 1834 4 8144 4 5284 10 8284 10 7842 7 8093 7 8834 8 834 8 8	10 2008 5.8577 5.475 5.425 5.6344 6.1156 5.6057 7.7607 8.6704 4.9202 9.8562 11.0095 8.5092 4.8080 9.0554 7.9484 7.3363 9.8071 8.4505 8.5055 8.5092 4.8095 8.5095 8.	3 3354 3 633 5 2457 9 5649 7 5727 5 2056 3 5988 3 5983 3 5915 3 8014 7 1429 9 5082 7 8018 4 4011 8 0700 9 8025 3 6071 8 0921 8 0921 3 5602 8 0135 8 0143 8 0153 8 0143 8 0153 8 0153 9 0153 8 0	6 8081 4 1076 4 8006 6 1456 4 1593 6 5508 6 8074 4,115 7 965 11 7975 7 4827 7 4827 7 8035 8 8105 8 1735 5 8045 8 1735 5 8045 8 1735 5 8045 8 1735 7 9244 9 9717 13 ,7208 8 9714 13 ,7208 8 9714 13 ,7208	3 3748 5.8707 9 071 12,017 7 4096 6 4952 6 3951 5 7575 8 0904 3 8339 3.814 3 8325 5 2396 18 5864 5 2911 3 6318 6 1958 7 7189 6 3095 10 5187 2 8 758 1 7 189 4 744 4 7443 4 2598 4 7 4991 5 6 0008 7 7.2598	4 3392 5 0141 5 1238 5 3065 18 0513 4 0115 3 8065 7 0051 5 9058 4 1802 5 7355 7 7355 7 7355 7 7355 8 7314 7 8956 8 5352 6 3565 5 9099 8 6871 8 3872 10 3788 5 2178 8 8877 8 8877 8 8877 9 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	5.7560 11 380 4 1836 4 1836 8 9533 6 3124 8 9533 5 8524 5 2283 14 7483 13 7786 8 2372 4 3279 7 3278 8 5522 4 2731 6 4422 8 1258 8 1258 8 1258 8 1258 14 7482 14 7482 14 7482 14 7482 14 7482 17 7485 3 1283 3 1283 3 1283 3 1283 3 1283	3 8724 6 9067 12 8541 18 9065 5 9255 5 42008 6 3125 5 4300 5 7291 7 8171 7 0786 9 2778 3 782 8 7403 5 8523 10 1715 3 9065 4 4005 5 7400 5 7403 6 8123 10 1715 5 8523 10 7715 5 8523 10 7715 6 8523 10 7715 6 8523 10 7715 6 8523 10 7715 6 8523 10 7715 6 8523 10 7715 7 8726 8 7480 8 74	3 346 3 2517 3 607 3 6042 5 2064 4 5762 10 565 6 940 8 1001 8 3447 8 5101 15 292 4 5007 13 4704 8 7803 7 6416 3 8783 3 8783 3 8783 3 8083 10 4374 8 4004 8 5582 3 5582 8 5584	3 1552 4 8590 4 3590 4 3590 4 0393 4 0393 4 0313 4 11 1007 8 5195 3 2013 5 977 3 0213 5 9752 8 0908 5 0793 10 3448 4 5034 8 5059 5 1633 5 0544 4 8622 8 5059 7 10 631 4 3008 7 10 631 4 3008 7 10 631 4 3008 7 174 8 5059 5 1774 8 5059 7 10 631	4 4438 5 2293 3 8:673 10.154 8 6594 8 0594 4 7521 5 454 8 754 6 2311 9 649 5.1224 6 438 6 2441 13 7474 11 3494 12 796 7 0056 8 8080 18 118 5 8054 3 8508 4 9182 5 8058 4 9182 5 8058 6 9182 6 9	3.6000 14 9104 7 8134 7 8134 7 3145 7.329 6 1311 4 2605 7 12.576 5.766 3 2755 18 0343 5 1813 4 3281 7 1605 6 2043 5 6419 7 667 7 8 205 7 13.029 8 205 7 10 1477 8 5256 7 10 1477 8 5256 3 1471	5.8814 5.8118 6.6032 7.6528 4.828 8.855 3.7878 4.1818 5.526 5.3452 3.352 4.7214 9.0027 2.845 8.955 9.4547 10.7573 5.7735 4.4207 4.0318 5.3462 7.5735 5.3462 7.5735 5.3462 7.5735 5.3462 7.5735 5.3462 7.5735 5.3462 7.5735 5.3462 7.5735 5.3462 7.5735 7.605	7 5941 9 5592 6 6029 7 2756 7 2771 7 1332 11 4938 13 4383 18 0392 7 5952 4 3728 3 8054 7 5063 2 9477 4 551 7 0314 8 2257 10 5878 7 7 822 8 0557 3 212 8 4892 6 4892 6 4892 1 7076 8 4081 1 7077 4 1597 4 1597 4 1597 4 1597 4 1597 4 1597 4 1597 8 2244	13 4897 5 8054 2 8716 4 412 8 0309 8 4353 8 759 8 85781 5 8679 4 8778 4 0474 3 6228 8 2315 3 6228 8 2315 5 8486 6 8877 12 1276 4 4867 8 8809 5 7 1295 7 1295 7 1295 7 1295 7 1295 7 1295 7 1295 7 1295 7 1295 8 38336 8 3836 8 3836	4.588 5.4803 8.9507 6.464 7.5895 5.4995 5.4532 9.2021 8.5509 10.0795 8.1995 6.1914 6.2995 7.283 8.3539 7.283 8.3539 8.353	4 2371 4 7431 12 9354 6 27013 3 6991 6 2019 11 0701 4 648 21 2834 7 7828 8 6192 3 4482 8 6192 3 4482 8 6192 3 4482 8 6192 3 4982 8 6193 3 8904 4 4325 8 6383 9 9001 4 5044 9 9246 5 5592 11 9945 5 5991 5 5991 6 5992 7 5923	7 9995 4 8271 8 1353 6 7026 4 9422 5 7243	4 1731 5 8764 8 2730 8 3328 5 0279 8 359 3 1255 5 4433 4 7369 5 3372 6 6280 5 749 5 3909 5 790 11 1348 7 1381 1 1348 7 1381 1 1348 7 1381 1 1348 7 1381 1 1348 7 1381 8 2548 1 10 0888 8 5,703 3 3,044 4 3,955 8 6,858 8 6,858 8 7 1381 8 7 1381 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	3 1821 7 2941 3 9144 13 2946 14 8968 4 7972 3 4189 5 4024 4 917 18 1148 4 9293 10 128 8 8903 9 8537 3 8756 5 3002 9 1548 4 6378 3 0848 6 4392 4 9023 11 953 11 953 11 953 11 953 11 953 14 902 4 378 7 885 7 7 885	6 4056 4 2005 5 3906 14 3068 8 45 4 1124 6 7861 11 0262 37 5772 8 4678 13 4678 13 4678 9 3172 7 3577 6 0308 3 6079 9 7509 9 4066 6 7861 7 1504 6 1864 6 1864
Estimator shape parameter		3 49961	3 1 <b>8</b> 4	BQ17 0	2 01536	2 967969 0	3.53248	3 30142 0	2 838006 0	3.362434	1 979056	1 410403	1.863400	1.300018	2.400005	1.768262	2.945451 0	2 30053	1 674667 D	2.301492	1.642702	1 747841	3.270488	2.613528	2 420152	2 441572	1 501945	2 200795	2 063362	1 984925	2 014623	2 831504 0	1 711017
Estimator scale parameter Control Orbit Consister G2 Centrol offers Consister G3 Centrol offers Consister G3 Centrol offers Consister G3 Centrol offers Consister G4 Centrol offers Centrol offers G4 Centrol offe	0) 0) 0) 1-0) 1-0)	1 08703 0 90152 3 44280 9 14184 -2 4931 7 26273	7 1 055 7 0 936 9 3 66 8 10 53 7 -3 67 1 9 221 0 1 1 1 0 1	5286 9344 6 9105 3381 8 7929 - 8293 7 1 1	1,08043 9,94838 3,95078 1,848677 2,95045 1,613143 1,1 1,1 1,1 1,0 1,0 1,0 1,0 1,0 1,0 1,0	0.011450 3.487470 9.000132 -2.50100	1 03325 1.080301 0.900951 3.440415 10.05097 -2.75115 7 900903	1 085867 8 905031 3.456871 11 50413 -3 15417	1 075723 0 918505 3 528458 9 158008 -2 85429	1 006395 0.903925 3.452195 11 11006 -3.18083	1.059224 0.935758 3.660364 11.76042 -4.64007	1.031623 0.050211 3.004045 13.05024 -5.42071	1.055048 0.93954 3.993363 14.95421 -5.91008	1.020092 9.002091 3.000092 12.38178 -8.16798	1 071027 8 923929 3.565491 12.0537 -3.06376	1.051086 0.94301 3.724099 14.48941 -5.97312	1.080863 0.011812 3.489868 14.75802 -5.17841	1.068649 0 926492 3.584577 10 13756 -3 75363	1.0489 0 948583 3.755831 13.34131 -5.93108	1 000525 0.026022 3.505572 13.61673 -4 18363	3.767588 14.5275 -5.7152	1 050296 2 943009 3 730222 14 33786 -4 29848	1.085288 0.9058 3.458341 10.30824 -2.57212	1.075261 8.819062 3.532041 16.87178 -5.91864	1.071473 0.923439 3.561927 12.02123 -3.52721	1 071787 0 923108 3 550584 9 249380 -2 3508	1 042882 0 950118 3 787018 11 71404 -4 78345	1 085929 0 929297 3 809511 14 01246 -5 90581	1 081954 0 933195 3.638541 11.51557 -4 14495	1 058742 0 936203 3 864221 12 48061 -5 82203	0 834659 3 650952 13 41227 -5 56241	1.079064 0.91428 3.502928 9.928008	1 048618 0 945128 3 742898 12 53531 -5 23488
Sub-total MR control charts Normal spiper control thrill X Hormal supper control thrill X Normal supper control thrill X False altern in X7 (Y=1R+C False altern in X7 (Y=1R+C Total false altern in X False altern in X False altern in MR? (Y=1R+C False altern in MR? (Y=	( dR D) O) O)	8.93503 -2.2885	4 100	7559 E 2108 -	495277 2 59705	9.727058 -2 24291 7 354156 0	99 9.825993 -2.52587 7 5666 1 0 1 1	-2 68693	8.662335 -2.36062 6.918778 1 1 1	-2 92512	4 13616	12.63953 -4.606 10.71578 0 0 0 0	-5.2354	-5.3485	-2.00198	-5 27540	-4.75000	-3 36617	-5.23025	-3 71438	13 78548 -4 97336 11 52523 0 0 0 0 0	-5 56567	-2 32825	-5.38361	-3 13782	-2 06165	-4 16916	13 48442 -5 35788 11 56412 0 0 0	-3 68648	-5 08629	12 94375 -4 96389 10 95918 0 0 1 1 1 0	0 054790 -2 42500 7 42224 1 1 1	-4 8094
False alorm in MR? (Y=1/N) Total false alorm in MR Sub-total normal X control o	charts :						194	, ;	ĭ	i	í	ő	ŏ	i	ě	ò	ŏ	ĭ	ŏ	ŏ	i	ŏ	i	ĭ	i	i	ĭ	ŏ	ĭ	ŏ	ŧ	i	ī
Sub-lotal normal MR control False attern in MR? (Y=1Ah-C False attern in MR? (Y=1Ah- Sub-total X confroi chants in Sub-total MR control chants False attern in X? (Y=1Ah-C False attern in MR? (Y=1Ah- Sub-total X control chants in	0) +-0) with at i with a 0) +-0)	oast ore I least o	0 0 Islae si ne false 0 0	0 term k 1 alerm i 0 0	1- k1- 0		0 20 20 11		0	;	0	0	0	0	0	0	0	0	0		0	0 0 0	0 0 0	0	0	0	;	0	0 0 0	0	0	0	0
Sub-total MR control charts	with a						15	1 .				_	_	_	_																		
Pales Salarm in MRT? (Y=104 Pales Salarm in MRT? (Y=104 Sub-total MR control charts v Sub-total MR control charts v Fales salarm in MRT? (Y=104 Sub-total X control charts v Sub-total MR control sharts v	+-0) with sti s with s 0) +-0) with sti	d load o	na faise 0 0 faise al	alarmi t O larmik	k 10 - 1 10 -		111 49 1 130 130			† †	;	0		0	9	9	0	;	;	0		0		9	0 0	;	;	0 0	;		0	;	;

1 2 OBJECTIVE #3	,			• •	, 7	•	•	10	11	12	13	14	15	10	17	19	19	20	21	u	23	24	25	26	27	29	29	30	31	32	33	м
Cts-square (df=4)		k = 30 ob	•	SNR 2 p	rocess stand	lard deviatio	•																									
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Normal upper control limit & False alarm in X2 (Y=1Ab=False alarm in X2 (Y=1Ab=False alarm in X2 (Y=1Ab=Talse alarm in X2 (Y=1Ab=Talse alarm in X4 (Y=1Ab=Talse alarm in MR7 (	0) 0) 0) 4-0) 4-0) 4-0) charts	with at le	1 1 1 3 0 1 1 1 1 1 1 1 1	1 1 1 1 0 0 0 0 0 0 0 0		7.5696 1 1 1 0 0 1 1 1 239	8 67376 1 1 1 1 0 0 0	8.919778 1 1 1 1 0 1 1	# 481341 1 1 1 1 1 0 0	9 47815 1 1 1 1 0 0	10.71578 1 1 1 1 0 0	11.98936 0 1 1 1 0 0 0	10.38727 1 1 1 1 0 0	8.610011 1 0 1 0 0 0 0	11.71482 0 0 1 1 0 0 0	11 73613 1 1 1 1 0 0 0	9.08548 1 1 1 1 0 0	10.98033 1 1 1 1 0 0	10 35963 1 0 1 1 0 0 0	11.52523 1 0 1 1 1 0 0 1	11 804 0 1 1 1 0 0	7 81444 1 1 1 1 0 9	13.34625 0 1 1 1 0 0	1 073906 1 1 1 1 1 0 1	# 771671 1 1 1 1 1 1 1	# 374#33 1 1 1 1 0 1 0	11 56412 0 0 0 0 0 0 0	0 050221 1 1 1 1 1 0	10 4301 1 1 1 1 0 0	10 05016 1 1 1 1 0 0	7 42224 1 1 1 0 0 1 1	10 14928 1 1 1 1 1 0 0
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OBJECTIVE # 3

Sub-total MR control charts with at least one false above is 10 a

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3 3748 5.8707 9.071

3.346 3.2517 3.607 3.6042 5.2066 4.5762

3 8724

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4 4129

31 32

3 1821

4 2371 4 6927

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4 6363 4 4876 14 803 6 6575 7 903 12 2551 7 9508 6 4181 10 5594 5 5627 6 3508 8 9124 10 2009 5.8577 5.475 5.4225

OBJECTIVE # 3 Chi-square (dh-4)

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False alorm in MR? (Y=184-0)

Sub-local X portrol charts with at least one false alarm is 10 . Sub-total MR control charts with at least one false alarm it 10 =

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16.1897 9 981 7 7594 9 1574 11 3 5638 12 7072 11 3213 10 3573 11 3573 12 7072 11 9213 10 3573 10 3573	9.2327 8.489 6.3523 9.219 9.3603 9.3241 12.0688 13.763 9.8717 11.7525 6.8711 14.3168 7.6052 6.371 6.371 8.2057 9.2	9 3092 7 0971 9 0383 8 1708 9 905 11 2384 8 4892 7 907 9 1328 15 5235 7 902 9 9051 1 667 13 3273 10 9052 7 9725 17 0338 8 4972 10 3209 7 9725 10 3209 7 9714 8 10 10 10 10 10 10 10 10 10 10 10 10 10	10 3477 8 8783	12.077	7 90.26 13 7480 7 7803 12 0834 8 1885 7 7475 14 3197 6 2933 8 920 7 3161 7 8524 10 593 17 2454 8 8133 17 2454 8 8278 12 4163 10 25 16 202 18 202 18 202 18 203 19 205 11 205 11 205 11 205 13 176 9 5741 11 6456	8 7398 13 8560 8 946 13 8389 12 2297 9 5128 7 2061 8 7774 12 1812 8 8977 9 6408 15 1148 1 1564 1 1564 8 1564 1 1 2763 7 945 9 9016 11 2763 7 945 9 9016 11 2763 1 945 1	15 7821 6 1812 12 2448 10 8081 11 422 9 9118 12 4481 19 9082 6 8353 6 4379 7 8935 8 3752 7 7858 8 3752 7 4848 10 2905 9 1911 11 8848 12 4818 6 7801 11 8848 12 4818 9 7 9 9 1 1 1 1 1 1 1 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Sub-total MR control charts Mormal lower control first 3 Mormal lower control first 3 Mormal lower control first 3 Mormal lower control first 16 False altern in X7 (V=16+False altern in X7 (V=16+False altern in X7 (V=16+False altern in MR 7 (V=16+False altern	X 16 X MR (-0) -0) -0) N=0) N=0)	1.43366 -2.7855 1.12164 f i i 0 0 0 0 0	12 41356 -4 39569 10 32747 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	13.2785 -5.5644 11.5766	4 -8 6007 4 13 4508 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	95 3 12 20568 4.4495 5 10.23267 10.23267	4 87543	-8.44473	-4.8753	-3.57633	-2.0687	-4.4333	-6.0802	13.02508 -4.48667 10.75608 1 0 0 1 0 0 0	-3.52246	<b>-4 87027</b>	-4.47505	12:30:190 -3:9540 10:03706 1 1 1 1 0 0	-4 48516	-4 8853	-4 51378	-5.56526	-4 65117	-3 57766	-2.79767	-3 55127	-3.47418	4 10514	-3 12889	-3 3278	-3 14902	-3 97730
False atom in X? (Y=1R)- False atom in MR? (Y=1R)- Sub-total X control charts i Sub-total MR control chart; False atom in X? (Y=1R)- False atom in MR? (Y=1R)- Sub-total X control charts i Sub-total MR control charts is	N=0) with at lea to with at i =0) N=0) with at lea	esel one 0 0 ut one fi	false alar ( ( ) ()	k1 = mk1 = ) ) k1 =	0 0	45		. 0	1 0	9	1	9	0 0	0 0 8	0	0	1 0	0 0	0	0 0 0	0 0 0	0 0	0	0 0	1	0	0	1 0	. ;	0 0 0	0 0 0	† †
False alarm in X2 (Y=1R)- False alarm in MR7 (Y=1R) Sub-lotal X notificities in MR7 (Y=1R) Sub-lotal X control charts Sub-lotal MR control charts	N=0) with at leading to with at leading =0; N=0; with at leading	east one 1 0 1st one S	fales alor ( ) iles alarm	m k 10 =	1 0 1 0	19 44		. 0	1	; ;	;	0 0 0	0	0 0 1 0	6	1 0	1 0	1 0	1 0	1 1	0 0	0	1 1	;	1	1			1 1	1 0	1 0	1

## APPENDIX J

TABLE "T" STATISTIC

TABLE 6.19  $\hat{\alpha}$  as a function of T, gamma distribution

T	â	T	â	T	â	T	ά
0.01	0.010	1.40	0.827	5.00	2.655	13.00	6.662
0.02	0.019	1.50	0.879	5.20	2.755	13.50	6.912
0.03	0.027	1.60	0.931	5.40	2.856	14.00	7.163
0.04	0.036	1.70	0.983	5.60	2.956	14.50	7.413
0.05	0.044	1.80	1.035	5.80	3.057	15.00	7.663
0.06	0.052	1.90	1.086	6.00	3.157	15.50	7.913
0.07	0.060	2.00	1.138	6.20	3.257	16.00	8.163
0.08	0.068	2.10	1.189	6.40	3.357	16.50	8.413
0.09	0.076	2.20	1.240	6.60	3.458	17.00	8.663
0.10	0.083	2.30	1.291	6.80	3.558	17.50	8.913
0.11	0.090	2.40	1.342	7.00	3.658	18.00	9.163
0.12	0.098	2.50	1.393	7.20	3.759	18.50	9.414
0.13	0.105	2.60	1.444	7.40	3.859	19.00	9.664
0.14	0.112	2.70	1.495	7.60	3.959	19.50	9.914
0.15	0.119	2.80	1.546	7.80	4.059	20.00	10.164
0.16	0.126	2.90	1.596	8.00	4.159	20.50	10.414
0.17	0.133	3.00	1.647	8.20	4.260	21.00	10.664
0.18	0.140	3.10	1.698	8.40	4.360	21.50	10.914
0.19	0.147	3.20	1.748	8.60	4.460	22.00	11.164
0.20	0.153	3.30	1.799	8.80	4.560	22.50	11.414
0.30	0.218	3.40	1.849	9.00	4.660	23.00	11.664
0.40	0.279	3.50	1.900	9.20	4.760	23.50	11.914
0.50	0.338	3.60	1.950	9.40	4.860	24.00	12.164
0.60	0.396	3.70	2.001	9.60	4.961	24.50	12.414
0.70	0.452	3.80	2.051	9.80	5.061	25.00	12.664
0.80	0.507	3.90	2.101	10.00	5.161	30.00	15.165
0.90	0.562	4.00	2.152	10.50	5.411	35.00	17.665
1.00	0.616	4.20	2.253	11.00	5.661	40.00	20.165
1.10	0.669	4.40	2.353	11.50	5.912	45.00	22.665
1.20	0.722	4.60	2.454	12.00	6.162	50.00	25.166
1.30	0.775	4.80	2.554	12.50	6.412		

# VITA \_

#### Jose R. Oyon

#### Candidate for the Degree of

#### Master of Science

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### Biographical:

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